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Liquid Propellant Rocket Engine Combustion Simulation with a Time-Accurate CFD Method

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ABSTRACT

Time-accurate computational fluid dynamics (CFD) algorithms are among the basic requirements as an engineering or research tool for realistic simulations of transient combustion phenomena, such as combustion instability, transient start-up, etc., inside the rocket engine combustion chamber. A time-accurate pressure based method is employed in the FDNS code for combustion model development. This is in connection with other program development activities such as spray combustion model development and efficient finite-rate chemistry solution method implementation. In the present study, a second-order time-accurate time-marching scheme is employed. For better spatial resolutions near discontinuities (e.g. shocks, contact discontinuities), a 3rd-order accurate TVD scheme for modeling the convection terms is implemented in the FDNS code. Necessary modification to the predictor/multi-corrector solution algorithm in order to maintain timeaccurate wave propagation is also investigated. Benchmark 1-D and multidimensional test cases, which include the classical shock tube wave propagation problems, resonant pipe test case, unsteady flow development of a blast tube test case, and H2/O2 rocket engine chamber combustion start-up transient simulation, etc., are investigated to validate and demonstrate the accuracy and robustness of the present numerical scheme and solution algorithm.

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- BACKGROUND
- APPROACH
- NUMERICAL METHOD
- BENCHMARK VALIDATION CASES
- SUMMARY AND FUTURE PLAN

BACKGROUND • A CONTINUING RESEARCH EFFORT TO DEVELOP A • A CONTINUING RESEARCH EFFORT TO DEVELOP A • BOBUST AND ACCURATE PRESSURE-BASED CFD CODE FOR COMPLEX COMBUSTION FLOW • CODE FOR COMPLEX COMBUSTION FLOW • PIGH-ORDER, TIME-ACCURATE AND FLOW • HIGH-ORDER, TIME-ACCURATE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE ESSENTIAL FOR • IGH-ORDER, TIME-ACCURATE AND EFFICIENT • IGH-ORDER, TIME-ACCURATE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE ESSENTIAL FOR • IGH-ORDER, TIME-ACCURATE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE AND EFFICIENT • NUMERICAL SCHEMES ARE ESSENTIAL FOR • NUMERICAL SCHEMES ARE ESSENTIAL FOR	ESI Engineering Sciences, Inc.
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 BASIC BUILDING BLOCKS TIME ACCURATE CFD CODES FOR ALL SPEED RANG (FDNS, MAST, ETC.) GENERAL AND ROBUST TURBULENCE MODELS -TWO-EQUATION TURBULENCE MODELS OR HIGHER-ORDER ONES EFFICIENT TIME-ACCURATE FINITE-RATE CHEMISTRY SOLUTION METHODS EFFICIENT TIME-ACCURATE FINITE-RATE CHEMISTRY SOLUTION METHODS REALISTIC TWO-PHASE FLOW MODELS FOR SPRAY COMBUSTION

G EQUATIONS BLE FLOW CONSERVATION EQUATIONS Y, MOMENTUM, ENERGY (STATIC ENTHALPY) CE MODELS AND SPECIES TRANSPORT S OSITY TYPE TURBULENCE MODELING SPECIES FORMULATION WITH FINITE-RATE M AND ENERGY EQUATIONS INCLUDE PHASE SOURCE TERMS

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GAS PHASE GOVERNING EQUATIONS

$$\frac{\partial p U}{\partial t} + \frac{\partial}{\partial x_i} \left(p u_i U + \mu \cdot \frac{\partial U}{\partial x_i} \right) = S_v$$
where
$$U = (1, u, v, w, h, k, \varepsilon \text{ and } \alpha_n)$$

$$\begin{pmatrix} 0 \\ -\frac{\partial}{\partial x_i} + \frac{\partial}{\partial x_i} \left(\mu \cdot \frac{\partial u_i}{\partial x_j} \right) - \frac{2}{3} \frac{\partial}{\partial x_j} \left(\mu \cdot \frac{\partial u_i}{\partial x_j} \right) + D_i + M_p u_p$$

$$S_v = \begin{cases} \frac{DP}{pt} + \Phi + Q_i + H_p + M_p \left(hv + \frac{1}{2}u_r^2 \right) \\ p \left(P_r - \varepsilon \right) \\ p \left(P_r - \varepsilon \right) \end{cases}$$

$$\begin{cases} \frac{E}{\omega_n}, n = 1, \dots, N \end{cases}$$

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CHARKRAVARTHY-OSHER TVD FLUXES

$$\frac{\partial F}{\partial \xi} = f_{i+1/2} - f_{i-1/2} + h_{i+1/2} - h_{i-1/2}$$

where f and h represent first-order fluxes and TVD flux limiters respectively.

$$f_{i+1/2} = \max \left\{ 0, \left(\rho U \right)_{i+1/2} \right\} \phi_i + \max \left\{ 0, -\left(\rho U \right)_{i+1/2} \right\} \phi_{i+1}$$

$$h_{i+1/2} = \left\{ \frac{1}{4} \left| \rho U \right|_{i+1/2} \left\{ d \phi_{i+1/2}^+ + d \phi_{i-1/2}^- + \alpha \left(d \phi_{i+1/2}^+ - d \phi_{i-1/2}^- \right) \right\}, U \ge 0$$

$$h_{i+1/2} = \left\{ \frac{1}{4} \left| \rho U \right|_{i+1/2} \left\{ d \phi_{i+1/2}^- + d \phi_{i+3/2}^+ + \alpha \left(d \phi_{i+1/2}^- - d \phi_{i+3/2}^+ \right) \right\}, U < 0$$

BENCHMARK VALIDATION CASES

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- (1-D WITH 160 GRID AND 0.005 TIME STEP SIZE) CLASSICAL SHOCK TUBE
- **RESONANT PIPE PRESSURE OSCILLATIONS** (1-D WITH 100 GRID AND 0.005 TIME STEP SIZE)
- A BLAST TUBE FLOW FIELD SIMULATION (2-D WITH 7000 GRID AND 0.01 TIME STEP SIZE)
- (2-D WITH 6000 GRID AND 0.0001 TIME STEP SIZE OR 0.1 µsec) A H2/O2 ROCKET ENGINE CHAMBER START-UP TRANSIENT SIMULATION











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	SUMMARY AND FUTURE WORK
	 TIME-ACCURACY OF THE 3RD-ORDER C-O TVD SCHEME AND PREDICTOR/CORRECTOR SOLUTION ALGORITHM OF THE FDNS CODE HAS BEEN VALIDATED AND DEMONSTRATED IN THE PRESENT STUDY
1827	 LARGE PRESSURE OSCILLATIONS CAN BE EXPECTED DURING H2/O2 ROCKET ENGINE START-UP TRANSIENT (THE MAGNITUDE CAN BE REDUCED WITH CORRECT O/F RATIO DISTRIBUTIONS AND START-UP SEQUENCE)
	• SPRAY COMBUSTION MODEL WILL BE INCLUDED IN FUTURE STUDY
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