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## Present-Day Plate Motions

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#### Abstract

A data set comprising 110 spreađing rates, 78 transform fault azimuths and 142 earthquake slip vectors has been inverted to yield a new instantaneous plate motion model, designated RM2. The model represents a considerable improvement over our previous estimate RMI (Minster, Jordan, Molnar and Haines, 1974). The mean averaging interval for the relative motion data hes been reduced to less than 3 My . A detailed comparison of RM2 with angular velocity vectors which best fit the data along individual plate boundaries indicates that RM2 performs close to optimally in most regions, with several notable exceptions. The model systematically misfits data along the India-Antarctica and Pacific-India plate bounderies. We hypothesize that these discrepancies are manifestations of internal deformation within the Indian plate; the data are compatible with NW-SE compression across the Ninetyeast Ridge at a rate of about $1 \mathrm{~cm} / \mathrm{yr}$. RM2 also fails to satisfy the EW-trending transform fault azimuths observed in the FAMOUS area, which is shown to be a consequence of closure contraints about the Azores triple junction. SIow movement between North and South America is required by the data set, although the angular velocity vector describing this motion remains poorly constrained. The existence of a Bering plate, postulated in our previous study, is not necessary if we accept the proposal of Engdahl and others that the Aleutian slip vector data are biased by slab effects. Absolute motion models are derived from several kinematical hypotheses and compared with the data from hotspot traces younger than 10 My . Although sone of the models are inconsistent with the wilson-Morgan hypothesis, the overall resolving power of the hotspot data is poor, and the directions of absolute motion for the several slower-moving plates are not usefully constrafned.


## Introduction

Present-day plate motions can be modelled using systematic inversion methods. In our initlal study (Minster et al., 1974, referred to as Paper I), a Iinearized least-squares algorithm was formulated and applied to an extensive, globally distributed data set. Angular velocity vectors for eleven major platts were estimated from these data, and this model was designated Relative Motion 1 (Rrfi). The Caribbean plate was subsequently added to this mudel by Jordan (1975). Revisions and additions to the data set were begun in 1975, and an Interim model was derived (Jordan, Minster and Molnar, 1976).

We present in this paper a new relative motion model, RM2, based on a much improved data set. Consistent with our previous work, we have attempted to obtain a simple model compatible with the available high-quality observations of relative motions. Only relative motion . data which involve at least one oceanic plate have been used, since the data from intracontinental environments exhibit complexities not easily described in terms of rigid plate kinematics (e.g. Molnar and Tapponijer, 1975). We have not attempted to model the complex tectonics of the western Pacific (e.g., the Philippine plate), because Iittle kinematical information is available concerning behind-the-arc spreading, and the assumptions fundamental to a simple plate model (e.g. triplejunction closure) may not apply.

The value of any model can be judged by its predictive capability and by its ability to withstand the test of new observations. In this respect the success of our original model RM1 has been mixed. For
example, the relative motion between the North American and South American plates was predicted by RM1 entirely on the basis of data from other plete boundaries. Although no data yet exist which confizm directly the existence of such relative motion, the model implies that a component of NS convergence exists between the South American and Caribbean plates (Jordan, 1975). It appears that some convergence is indeed required by recent studies (Talwani et al., 1976; Rial, 1978).

On the other hand, RM1 failed to satisfy an extensive set of new data collected in the South Atlantic Ocean (Forsyth, 1975; Sclater et a1., 1976). The investigation of this failure is an Important aspect of this study. We show that RM1 incorrectly predicts the plate kinematics in the South Atlantic because the presently available data are inconsistent with the plate geometry assumed in deriving RM1. We demonstrate that this inconsistency can be remedied by postulating the existence of internal deformation with the Indian plate, although alternate explanations are possible.

Other problems with the RMI model have been noted (Jordan et al., 1976). The well-mapped fracture zones in the FAMOUS area yield an apparent azinuth for Africa-North America motion that is due east (Macdonald and Luyendyk, 1977), whereas RM1 predicts an azimuth of S79E, parallel to the general trends of the nearby major transform faults (e.g. the Oceanographer T. F.).

In RMI the slip vector data from the North Pacific were modelled using a Bering plate whose motion differs from that of North America. Engdahl et ai. (1977) have demonstrated that the focal mechanisms from

this region can be affected by slab structure, perhaps blasing the observations. They have suggested that corrections for this blas may eliminate the need for a Bering plate.

These and other problems are examined in this paper.

## The Revised Data Set

The 330 data used in this study are listed in Table 1. The data locations are shown in Figure 1, delineating the major plate boundaries. These relative motion data comprise 110 rates of sea floor spreading. derived from magnetic anomaly profiles, 78 transform fault azimuths and 1.42 earthquake slip vectors. In compiling and editing this data set, we have generally followed the guidelines in Paper I. In particular, we have excluded data from diffuse plate boundaries, specifically continent-continent boundaries. Therefore the details of Asian and Indonesian tectonics are not represented by our model.

Rate data have been determined directly from published magnetic anomaly profiles using the time scale of Talwani et a1. (1971). In Paper I, anomalies 3 and 5 were generally used to estimate rates; we thus averaged the plate speeds over the last 5-10 My. In this study, we have redetermined the spreading rates using anomalies 2 and $2^{\prime}$ in every instance, except for a few slow-spreading profiles where the anomalies out to 3 were employed. Hence, the mean averaging interval for the rate data is less than 3 My. In most cases the rates were determined by comparing the corrected profiles with synthetics, generally those published by the authors of the'original observational study. However, for the anomaly profiles along the Pacific-Antarctic Ridge (Malnar et al., 1975), we generated our own synthetics. For the several studfes where a direct inversion for magnetization was made (Macdonald, 1977; Macdonald and Holcombe, 1978; McGregor et al., 1977), the original authors' results were used directly.

In Paper 1 , the directions of plate motion fimplied by earthquake focal mechanisms were estimated by projecting the slip vectors onto a horizontal plane. Although this procedure is almost universally adopted, It is only approximately correct for shallow thrust events in subduction : zones whth oblique convergence, and it can introduce a slight bias. In this study, the more exact procedure of rotating the slif vectors Into the horizontal plane was employed for earthquakes along inclined selsmic zones. This problem is discussed in the Appendix.

The most precise estimates of relatiye motion direction are the azimuths of well-mapped transform faults. In determining these azimuths we have used detailed bathymetric surveys where available, relying on contours which cross charted ship tracks. Interpretive diagrams have been avoided to minimize the feedback between data and plate tectonic models.

The uncertainties listed in Table 1 are based on a case by case subjective evaluation of the data quality. They are used to weight the .. data in the inversion algorithm and to derive estimates of the uncertainties in the model parameters. Although we have attempted to use a consistent set of criteria in assigning these errors, the estimates areneyertheless crude indicators of data quality. With this in mind, we have adopted a conservative.stand and have deliberately overestimated these uncertainties. This bias is apparent in Figure 3, where it is seen that the sample standard deviation of the normalized residual distribution is significantly less than its expected value of 1.

## Mode1 RM2: General Description

Inversion of the data was performed using the linearized, iterative, weighted least-squares algorithm described in Paper T. Our extensive experience in applying this algorithm to the plate motion problem has demonstrated to us its effectiveness. Although the algorithm involves the Inearization of a non-linear problem, convergence has always been rapid and no difficulties associated with local minima have been evident. The uncertainties in the model parameters derived from the linear theory have proven to be effective measures of the errors induced on the model by errors in the data.

The inversion algorithm has been applied to the data set listed in Table 1 to obtain an 11 plate model, designated RN2. The plate geometry is identical to that of RM1, except that the Bering plate has been recambined with the North American plate and a Caribbean plate has been added. RM1, supplemented with the CARB-NOAM angular velocity vector derived by Jordan.(1975), was used as a starting model in the inversion algorithm. Convergence was attained in five iterations.

Model RM2 is specified in Table 2 by its geohedron (McKenzie and Parker, 1974). Although a more compact specification is possible, this format conveniently provides an explicit relative rotation vector for each plate boundary. The RM2 geohedron is illustrated in Figure 2.

In the notation of Paper I the quantity minimized by the fitting procedure is the variable

$$
x^{2}=\sum_{i=1}^{N} \frac{\left[d_{i}^{0}-d_{i}(\underline{m})\right]^{2}}{\sigma_{i}{ }^{2}}
$$

where $N=330$ is the total number of data. The elevin plate model is specified by 30 parameters. If the data were normally distributed and the variances were exactiy known, $\chi^{2}$ would be chi-square distributed with 300 degrees of freedom, and a sample value would lie in the interval ( $300 \pm 49$ ) $95 \%$ of the time. The value of $\mathrm{X}^{2}$ for RM2 is 109 , almost a factor of three less than its expected value. Thus, the data are fitted significantly better than they should be if their assigned uncertainties were correct.

This fact is also evident from the histograms of normalized residuals ploted in Figure 3. The sample variances of these distributions are about $1 / 3$ their expected value of unity. This discrepancy could be corrected by uniformly reducing the standard errors assigned to the data by a factor of $1 / \sqrt{3}$. Such a reduction would not change the model but would decrease the derived model uncertainties by the same factor. However, to be conservative we have retained the larger estimates of uncertainty.

It can be seen from Figure 3 that the distribution of normalized residuals for the slip vector data departs from the assumed gaussian behavior in another manner: the distribution is skewed towards negative values. Much of this skewness is actributable to the predominantly negative residuals exhibited by the slip vectors from the Aleutians and the Kurils, a feature discussed in more detail below.

Because the data set is large and because the geometry of the problem is complex, the performance of RM2 cannot be fully described by these simple statistics. A complete assessment of RM2's success in explaining the observations requires that each data subset pertaining
to an individual plate boundary be considered separately. For a large number of plate pairs, a relative rotation vector, or at least a "bestfitting pole" (BFP), can be determined from that data subset alone. These vectors and poles have been obtained by inversion and are listed in Table 3. The corresponding BFP's are shown with the RMI and RM2 poles on Figures 4-6. The differences between these poles and those for RM2 measure the constraints imposed on RM2 by the simultaneous inversion scheme. These differences are not large, which is evidence that RM2 perfoms close to optinally in most regions. Notable exceptions involve the INDI-ANTA, INDI-PCFC and AFRC-NOAM poles, discussed below.

The estimated model uncertainties $\sigma_{\theta}, \sigma_{\phi}, \sigma_{\omega}$ are much smaller in Table 2 than in Table 3 . This is, of course, a direct consequence of tive self-consistency constraints inherent to the rigid plate model, as discussed in Paper I. An inpressive example of this behavior is provided by the COCO-PCFC rotation vector, which is heavily constrained by two triple junction closure conditions; these constraints reduce the nominal uncertainty of the rotation rate by a factor of four.

It should be emphasized that the uncertainties in the model parameters given in Table 2 correspond to marginal distributions. A complete description of the model uncertainties; including the various error cross-correlations, requires the specification of a $30 \times 30$ (symmetric) variance matrix. A more complete discussion of this point is given in Paper $I$.

Listed in Table 1 are quantities which we have termed "data importances." As defined in Paper $I$, they axe the diagonal elements
$=-$ of an orthogonal projection operator in tive data spate, and are $=$ $=$ Indicative of the distribution of Information among the data (Paper I; $=-1$ Mnster et a1., 1977): Importances are additive and sum to the number ... of inverted parameters, 30 in the case of RM2. They depend on the geometry of the data set, and on the data uncertainties, but not on the actual values of the data. The final model depends heavily on the most important data and is robust with respect to the least. Important data.

Cumulative importances for individual plate boundaries are listed by data types in Table 2 for RM2 and in Table 3 for the best fitting vectors. The cumulative importance for ajl slip vector data is only 4.6, compared with 11.1 for the transform fault azimuths, despite the fact that the former outnumber the latter by nearly $2: 1$. This reflects the lower uncertainties--by a factor of two to three--generally assigned to transform fault data. The most important datum (0.95) is the rate across the Mid-Cayman Rise (Macdonald and Holcombe, 1978); alone, it essentially determines the relative speed of NOAM-CARB. When the entire data set is considered, $50 \%$ of the cumulative importance is associated with the 49 most important data, and only $10 \%$ with the 151 least important data. Importances are very useful for a detailed comparison of data and models, as illustrated in the next sections.

This discussion is devoted to a detailed evaluation of RM2 on a region-by-regton basis. The fit of RND and RM2 to the data for Individual plate boundaries is illustrated in Figures 7-20. The data and model values are depicted as residuals with respact to the bestfitting angular velocity vectors and poles listed in Table 3. Baselines provided by the best-fitting vectors remove the large variations in the data functionals due to geometrical complarities and allow the models to be plotted as smooth lines on the diagrams. More importantly, the deviations from the locally best-fitting parameters required by closure conditions are readily apparent.

The Pacific-North America Boundary. It was concluded in Paper I. that the slip-vector data along the Aleutian-Kuril trench system are not consistent with the NOAM-PCFC relative motion inferred from data In the Gulf of California and in the northwest Pacific. We suggested that this inconsistency was diagnostic of deformation of the North American plate, and attempted to model it by including a hypothetical Bering plate in Rill. However, the BERI-PCFC pole was determined by only ten slip vectors. Engdahl et al. (1977) pointed out that our date were a poor representation of the earthquake population along the trench and that the slip vector orientations for individual events in the vicinity of $175^{\circ}$ E could be significantly biased by the laterally heterogeneous selsmic velocity structure of the downgoing slab. In the present study the number of data along this trench system has been increased to 27, Including 15 high quality slip vectors from the Kuril-Kamehatka Arc dence for bias due to siab stucture presented by En;dahl et al. (1977), we assigned large uncertainties ( $\pm 20^{\circ}$ ) to the data lying between $165^{\circ} \mathrm{E}$ - 7 and $165^{\circ}$ W longitude. It can be seen from Figure 7 that these data are in fact systematically misfit by RM2 and the BFP in the direction ob-

- served in Paper I and predicted by the model of Engdahl et al. (1977). On the other hand data from the Kuril-Kamrhatka Are are fitted by the model without difficulty, consistent with the conclusion of Engdahl et al. (1977) that slip vectors in this region are not like.iy to be significantly biased by slab structure. Since the fit of the data elsewhere along the boundary is satisfactory (Figure 7), we conclude that there is little evidence for deformation within the North American plate of the sort hypothesized in Paper I.

The East Pacific Rise. The data set for the COCO-PCFC boundary includes a redetermination of the Siqueiros T.F. azimuth from revised bathymetry (Rosendahl, 1976). R $!$ ! 2 performs very well along this boundary and constitutes a slight improvement over RM1 (Figure 8).

The data set for the NAZC-PCFC boundary has been significantly revised and augmented, especially the rate data set. Between $6^{\circ} \mathrm{S}$ and $12^{\circ} \mathrm{S}$; the magnetics are poor and the data relatively scattered (Figure 9), as might be expected for east-west profiles in the vicfnity of the magnetic equator. Nevertheless, Rea's (1976a, b) data indicate a lower rate than used in Paper I. Herron's (1972) profile at $19^{\circ}$ S is easily readable, despice the small size of the published figure, but the bathymetry indicates that a fracture zone may be crossed to the west of
the ridge. Thus, the western part of the profile is suspect beyond anomaly 2 , and we assigned a large uncertainty to the measurement. A sequence of high quality profiles at $20^{\circ} \mathrm{S}$ has been discussed by Rea and Blakely (1975). Since their published profiles are rate adjusted and could not be remeasured, we adopted their estimated spreading rate ( $16.1 \mathrm{~cm} / \mathrm{yr}$ ) and assigned it an uncertainty of $0.6 \mathrm{~cm} / \mathrm{yr}$, a conservative value in view of the datum's quality. However, this rate is less than that obtained at $19^{\circ} \mathrm{S}$ and is not fitted well by the nodel. It is also difficult to reconcile this rate with the comparable rates much further north and a higher rate to the south: the profile at $28^{\circ} \mathrm{S}$ (Herron, 1972) yields a rate which exceeds $17 \mathrm{~cm} / \mathrm{yr}$.

The azimuths along the NAZC-PCFC boundary have been much improved by the recent bathymetric studies of Mammerickx et al. (1975) and Lonsdale (1977, 1978). However, the position of the NAZC-PCFC pole has not been significantly altered by these revisions; the RM1 and RM2 poles, and the BTP, lie very close together, well within the RM2 error ellipse.

The Galapagos Spreading Center. The rate data along the COCO-NAZC boundary are taken from the study by hey (1974): We also Included a good deep-tow profile published by Klitgord and Mudie (1974). As seen in Figure 10 and in Table 1 , the data along this boundary are internally consistent. A particularly satisfying feature is that the recent bathymetry of Lonsdale and Klitgord (1978) clearly requires the COCO-NAZC pole to lie north of the equator; the transforms at $84.5^{\circ} \mathrm{W}$ and $85.3^{\circ} \mathrm{W}$ trend east of north. The implied shift from the RMI pole
position is in complete concordance with the shift dictated by the lower spreading rates along the NAZC-PCFC boundary. It should be noted that the strike of the Panama T.F. is very consistent with this new pole position, a point we shall return to in the next section.

The Chile Rise. The slower opening rate along the NAZC-PCFC boundary also affects the motion along the Chile Rise. In particular, the RM2 rate is considerably less than the $7.6 \mathrm{~cm} / \mathrm{yr}$ estimate derived from the profile of Klitgord et al. (1973), which we consider to be the best rate observation along this boundary and is the only value included in the data set. However, the RM2 rate is: between this value and the Jower estimates of Morgan et al. (1968) and Herron and Hayes (1969).

Eastern Pacific Subduction Zones. Strongly coupled to the opening of the East Pacific Rise are the convergence rates and directions along the Middle American and South Anerican trenches. We have adopted a set of slip vectors estimated by $\mathrm{Stauder}(1973,1975)$ and Abe (1972) to represent the direction of subduction in South America. The residuals for these data show a slightly negative trend, although Abe's (1972) well deternined solution has a large positive residual. The negative trend could be eliminated by increasing the rate along the NAZC-PCFC boundary. However, the COCO-NOAM and COCO-CARB slip vectors aliso exhibit this negative residual trend, and the possibility that these data are biased, Iike the Aleutian slip vectors, cannot be discounted. In any case, the scatter in the data is large, the average misfit is small and the data importances are low; hence, any bias will not significantly affect the model.
 globaf'todel; particular :attention was devoted to the PCFC-ANTA boundary. The data along this boundary are of suffictent -number and quality to provide significant coupling; viat the Antarctic plate, among the plates In the Pacific and the plates with boundaries in the South Atlantic and Indian oceans. The configuration of the PCFC-ANTA boundary has been investigated by NoInar et al. (1975), and our data set is based primarily on this study. Since these authors did not use synthetic magnetic. profiles, we computed synthetics and reinterpreted the magnetics. A significant component of apparently asymetric spreading is observed on many profiles (Molnar et al., 1975; Stein et al., 1977), so the rates were estimated only from pairs of corresponding anomalies on both sides of the axis... All measurements were based on anomaly $2^{\prime \prime}$ or younger anomalies. Transform fault azimuths were derived from the bathymetry of Molnar et al. (1975), but estimates were obtained from ship track crossings rather than their interpretive map. It is clear from Figure 11 that RN2 is very close to the best-fitting vector and represents an improvement over RNI in this region. The difference in the RMI and RM2 poles is mainly attributable to the southwesternmost transform fault, an important datum ( $\vec{J}^{\prime}=0.25$ ) not included in Paper I. Some internal inconsistency of unknown origin j.s evident in the rate data (Figure 11): the rates are greater in the middle of the boundary than those required by the rates at the ends of the houndary. Nevertheless, most of the data are fitted within their unctrtainties, and the relative rotation vector: is one of the best determined in the RN2 geohedron.


#### Abstract

-The Tndia-Pactfic boundary.: The data used along this boundary,  F-: Paper $I$, but the data-north-of $25^{\circ}$ S wereinlintnated:because of documented  - Nevertheless, the geometry is surh that-a BFP could be determined.from $\therefore$ the 14 remaining slip vectors (Table 3): We observe .- that this best-fitting pole is almost identical to the pole determined by Falconer (1973) exclusively from seismicity data :long the Macquarie Ridge, a completely independent data-set: However, as seen in Figures $\therefore .4$ and 12,-both RM1 and RM2 differ signifiu:antly from this pole, a direct result of-requiring closure around the INOI-PCFC-ANTA triple junction. Consequently, the global models are a poor fit to the southernmost slip vectors, determined by Banghar and Sykes (1969). Furthermore, these models predict a significant component of compression across the Macquarie Ridge system, in disagreement with the hypothesis $\therefore$. of Falconer (1973) that this segment is a strike-slip fault. We =:strongly suspect that-these inconsistencies result from internal $=\therefore$ deformation-within the Indian plate (see below).


Motions about the Azores triple junction. The plate boundaries which form the Azores triple junction are individually well constrained. Figure 13 is a residual plot for the northern Mid-Atlantic Ridge data. The longitude of the EURA-NOAM pole is reasonably well fixed by the precise azimuth data along the Charlie-Gibbs T.F. and a number of fault plane solutions in the Arctic, but its latitude is more uncertain. Both
the RMI fole and the BFP Ife near the mouth of the Lena River, the posfifion yiost cōmatible with the rate data. The RM2 pole is seyeral degrees further south $\left(65: 8^{\circ} \mathrm{N},-132.4^{\circ} \mathrm{E}\right)$, and its fit to the rate data south of $60^{\circ} \mathrm{N}$ is not as good. However, this pole is more consistent. with the conclusions reached by Chapman and Solomon (1976) in their study of northeast Asian tectonics.

The -data set along the Azores-Gibraltar Ine is considerably improved over our previous study, We deleted the datum east of Gibraltar, because of its probable involvement with the Altoran plate (Andrieux et al., 1971), but added three new slip vectors west of Gibraltar. The most important addition, however, is the azimuth of the Gloria T.F. $\left({ }^{(6}=0.783\right)$, well defined by Laughton et al. (1972) and Laughton et al. (1975). This datum places*a strong constraint on the longitude of the AFRC-EURA pole. Although the individual slip vectors are not particularly well determined, their variation from NW compression on the east to SW extension on the west requires that the pole be not fur south of the boundary, a conclusion established by McKenzie (1972). As a result, the pole is very tightly constrained, and the RM2 solution is very close to the BFP (Figures 6 and 14).

- The data set south of the Anores on the Mid-Atlantic Ridge has also been improved. Severai special :tudies have yielded much better magnetics, and these imply a significantly lower rate during the last 3 My than used in Paper I. The azimuth data along the AFRC-NOAM boundary have also been revised. In Paper I, the general trends of the Oceanographer T.F. (S77E) and the Atlantis T.F. (S81E) were used and were well fitted
by RMI. In the present data set, these azimuths hava been deleted and replaced by the axdmuths of transforms $A(S 88 E)$ and $B(S 89 E)$ in the FAMOUS area (Macdonald and Luyendyk, 1977). The difference between the azimuths of the major transform faults and transforms $A$ and $B$ has been attributed to a change in the direction of plate motion within the last 5 My (Macdonald, 1977; Fox et al., 1978; Atwiter and Ma donald, 1977). A slip vector showing east-west motion on the Oceanofrapher T.F. (Udias et al., 1976), supporting this conclusion, ha; also been included. The revised data along the AFRC-NOAM boundary are internally consistent, as indicated by the performance of the best-fitting angular velocity vector, but the AFRC-NOAM azimuth data are poorly fitted by RM2 (Figure 15). It is clear that the misfit is forced by the closure condition about the Azores triple junction. To satisfy the 'triple junction condition, the AFRC-NOAM pole must be on the great circle connecting the EURA-NOAM and AFRC-EURA poles (Figure $4 \& 6$ ). The BFP is not; it lies to the west near the northeastern tip of Greanland, as required by the revised azimuth data. The triple junction great circle cannot be shifted to include the AFRC-NOAM BFP without completely misfitting the data along one or both of the other boundaries. For example, any good fit to both the AFRC-NOAM and EURA-NOAM data sets yields an AFRC-EURA pole that is much to the west of the RN2 pole and Implies compressive motion along the entire Azores-Gibraltar Line, a prediction in flagrant disagreement with the observed earthquake mechanisms. Hence, the RM2 solution is significantly different from the AFRC-NOAM BFP. The, RMI and RM2 poles are each included within the other's $95 \%$ confidence
ellipses. Both models predict directions of AFRC-NOM motion which $=-$
 misfit the azinuths of transforms A tand b-by about $10^{\circ}$,
$=$ A possible explanation for this discrepancy concerns the way the RM2 data set averages over time. It is conceivable that the east-west Erends observed in the FAMOUS region are so'recent tiat the pole shifts required by this reorientation are not represented in the data from the other plate boundaries.

However, we believe that this explanation can bie rejected. The Iu ation of the great circle connecting the EURA-NOAM and AFRC-EURA poles is fixed by truly "instantaneous": data; i.e., the slip vectors in the North Atlantic and along the Azores-Gibraltar Line. Therefore, the conflict is among data which involve little or no time averaging.

Perhaps the east-west transforms observed in the FAMOUS area are not unbiased indicators of AFRC-MDAM motion. $\therefore$ This would be the case, for example, if these short fault segments were "Leaky" in the sense of Menard and Atwater (1969); i.e., if a component of extension existed across these faults. For this explanation to be correct, the rate of opening normal to the faults would have to be about $0.4 \mathrm{~cm} / \mathrm{yr}$. Although the field data do not appear to support this hypothesis (Detrick et al., 1973; ARCYANA, 1975; Choukroune et al., 1977), the ability of these studies (as well as ours) to resolve such a component is an open question.
. The incompatibility of the FAMOUS trends with the RM2 model remains problematic. It is interesting to note, however, that the RM2-predicted dzinuths are essentially perpendicular to the rise-crest segments in the fantous area.
$E^{-2-}$ The Americast one-plate or twot A rajor conclasion of Paper I =-wasthet sfgnificant relative motion exists.between North and South - =iAnerica. $=$ The-present-study supports tifis conclusion, although direct observational evidence For-NOAM-SOAM motion is stijl lacking. An i.... Inversion of the global data set was performed with :he Americas grouped $==$ Into a single plate. This model was rejeited becaus. it does not satisty - the relative motion data tn the Atlantic.-In particilar: :
-.... (1) The rate data along the AFRC-NOMM boundary are misfit, model Values being $0.4 \mathrm{~cm} / \mathrm{yz}$ too Low.
(2) The azimuths along the AFRC-SOAAt boundary rield systematically positive residuals of about $5^{\circ}$.
(3). The EURA-NOAM pole is shifted northward to $81^{\circ} \mathrm{N}, 118^{\circ} \mathrm{E}$, we w outside the RM2 $95 \%$ confidence Ellipse. Gonsequentiy, the variation in rates along this boundary does not match the observations.
(4) The AFRC-EURA pole is shifted westward to $12^{\circ} \mathrm{S}, 38^{\circ} \mathrm{W}$. Such a pole implies compressive motion along the entire AzoresGibraltar Line. As noted above, this consequence is in direct conflict with"the extension observed on the western portion $\cdots \quad \cdots \quad$ of this boundary.

We conclude that a nom-zero NOAM-SOAM angular velocity is required by the revised data set. To derive $R N 2$, we adopted the convention of Paper I and partitioned the AFRC-MOAM and AFRC-SOAN data sets $1 a t \cdot 15^{\circ} \mathrm{N}$, -- where the distance between the Mid-Atlantic Ridge and the West Indes Arc is least.


 apparently continuous fault'within the Venia fault zone. - Theifr data yield a remarkably well determinea azimuth of:relative motion; we assigned this datum an uncertainty of $\pm 2^{\circ}$; the lowese given to any đirection datum: Its residual computed from RM2 is mily 0.4 ${ }^{\circ}$. In contrast, the residual computed from the model with in single Americas plate is nearly $5^{\circ}$.

Although some motion is required, the NOAM-SOAM angular velocity vector is not precisely nonstrained. This is indicated by the large confidence ellipse associated with the pole (Figure 5). It is aiso evidenced by the fact that the RM2 pole is nearly $30^{\circ}$ north of the RMI pole, completely reversing the sense of motion predicted along the boundary postulated to lie somewhere between $10^{\circ} \mathrm{N}$ and $20^{\circ} \mathrm{N}$. Discussion of the inferred relative motion may be found in a later section.

Caribbean plate motion. Although a Caribbean plate was not included $=$ In the RMI model derived in Paper I, the topic of Gariboean plate motion was treated in detail by Jordan (1975). He dexived a NOAN-GARB angular velocity vector using'a spreading rate of $2.2 \mathrm{~cm} / \mathrm{yr}$ 'across the Mid-Cayman Rise estimated from topographic decay (Holcombe et a1., 1973). For the present study, we were fortunate to have available a much more reliable rate ( $2.0 \pm 0.4 \mathrm{~cm} / \mathrm{yr}$ since $2.3 \mathrm{My} \mathrm{B.P)}$. magnetic profile across the Mid-Cayman Rise by Macdonald and Holcombe (1978).

This rate is essentially identienl to the previous estimate. Four slip vectors from the Nolnax and Sykes (1969) set used by Jordan (1975) were $\because-7=2$ deleted, one from the West Indies Arc, because it may ife south of the CARB-NOAM-SOAM triple junction, and tinee fron Hispaniola and the Puerto Rico Trench, where the data show internal scatter and the stress and strain fields are complex (Jordan, 1975). A slip vector for the 1976 Guatemala earthquake (Kanamort and Stewart, 1977) was added. The changes to the direction data shifeed the NOAM-CARB pole northtestward from the position computed by Jordan (1975). It can be seen from Figure 5, however, that this shife is in the direction least constrained by the data, as indicated by the orientation of the RM2 confidence ellipse. Jordan's pole lies within this confidence elifpse, and the difference between these poles is not resolvable by the present data set (Figure 17). The CARB-SOAM pole is also shifted with respect to Jordan's solution, but, again, the shift is along the major axis of the error ellipse. This pole is unconstrained by data along the CARB-SOAM boundary, so its $95 \%$ confidence cllipse is quite large. The change in its location reflects the shifts in both the NOAN-SOAM and NOAM-CARB poles. Nevertheless, Jordan's conclusion that a component of northsouth motion exists along this boundary is unaffected (Table 5).

The Bouvet triple junction. RMI did not predict correctly the relative motions of SOAM-ANTA and AFRC-ANTA (Forsyth, 1975; Sclater ...e al $_{1}, 1976$ ). In Paper $I$, these boundaries were very poorly constrained by data, but this deficiency has been remedied by a number of recent
special studies (Table 1). RM2 provides an excellent fit to the data around Bouvet triple junction (Table 1, Figures 16 and 18), whereas RM1 performs miserably. Three explanations for this discrepancy were Investigated:
(1) RMI is located in a loval minfmum of the fitting function manifold. This possibillty can be dismissed; inverting the RMI data set with RM2 as a stanting model yields the published RMI solution.
(2) The SOAM-ANTA and AFRC-ANTA vect:ors are very sensitive to small errors in the RMI data set. This possibility can also be excluded; the error ellipsoids for these vectors are actually quite small (Paper I, Table 2, Figures 5 and 7). The prediction error computed from the RMI variance matrix is much smaller than the RMI misfit to the new data. If the new data along the SOAM-ANTA and AFRC-ANTA boundaries are exluded from the revised data set, a solution similar to RMI is obtained.
(3) The global data set is inconsistent with the plate geometry assumed by RMI.
Hypothesis (3) is our preferred explanation and was in fact advocated by Forsyth (1975) in his original study of this problem. For reasons detailed below, we believe that the data sets for plate motions about the Indian triple junction are inconsistent with our model, and we ascribe this Inconsistency to internal deformation within the Indian plate.

Plate motions in the Indian Ocean. This brings us to the major at: $-\underset{\text { diffculty we encountered in constructing RM2: as polnted out by }}{-\cdots}$ Jordan et al. (1976) and Minster and Jordan (1977), each of the three legs of the Indian triple junction are populated by internally. consistent data, but the three best-fitting vectors sum to a vector (the closure vector) significantly different from zero (Table 3, Figure 6).

The AFRG-ANTA boundary is densely papulated by good observations. The 6 rates, 6 transform faults, and 11 slip vectors along this boundary constrain the angular velocity vector very well. The most important of these data is the well mapped Melvilie transform fault ( $\ddot{\theta}=0.53$ ) near the northeastern end of the boundary (Engel and Fisher, 1975), which controls the latitude of the pole. RM2 performs close to optimally along this boundary (Figure 18).

As noted by NoKenzie and Sclater (1971), the transform faults along the Centiral Indian and Carlsberg ridges tightly constrain the INDI-AFRC pole, and these constraints have been strengthened by improved bathymetry (Engel and Fisher, 1975). As shown on Figure 19, there is a minor discrepancy between the rate data and the transform fault azimuths: the northernmost rates are too large by a few tenths of a $\mathrm{cm} / \mathrm{yr}$. In an effort to fit these rates, the best-fitting vector skews slightly with respect to the T.F. data, and RM 2 is actually a better fit to the azimuths than the BFP. However, the Carlsberg Ridge is opening slowly and lies close to the magnetic equator; the magnetics along this boundary are not of exceptional quality (McKenzie and Sclater, 1971), and we are not disturbed by this slight wisfit.

The problem of data inconsistency is evident along the Southeast Indian Ridge. The data are not quite as good along this boundary, but they determine a BFP and angular rate whith constitute an acceptable fit (Figure 20). RM1 fits these data very well, but RM2 fits poorly; the RM2 pole is significantly different from the BFP (Figure 6) and does not match the gradient in the spreading rates. The situation is now clear: RMI satisfies the INDI-AFRC and INDI-ANTA data, but misses badiy along the AFRC-ANTA boundary; RM2 corrects the misfit, but then does not satisfy the INDI-ANTA data. The most comprehensive local study of this triple junction was published by McKenzie and Sclater (1971). Their instantaneous motion model is also shown on Figures 18-20. It is different from either RM1 or RM2 but does not constitute a better solution.

The motion of Arabia, In the Gulf of Aden, the rates obtained by Laughton et al. (1970, Table 1) are used cirectly. These data show very little scatter and are fitted by RM2 very well. The only other data used in the inversions are two rate estimates in the Red Sea (AIlan and Morelli, 1970), and these are also well fitted. Because of the mediocre quality of the azimuth datia, and the variety of the possible interpretations of Red Sea tectonics (e.g. LePichon et a1., 1973), we did not attempt to model the northern Red Sea in this work. Since the Arabian plate is unconstrained along its other boundaries, the RM2 and best-fitting ARAB-AFRC vectors are identical.

## The Indian Plate Problem

Although RM2 is a very good fit to the data set as a whole, we have not been able to fit the Indian Ocean data satisfactorily by an RM2-type model. These discrepancies may simply result from bad data, contaminated by systematic observational errors we do not understand. We are aware that data blas is the probable explanation for the misfit to the Aleutian slip vectors; in Paper I, we attributed this misíit, evidently incorrectly, to internal deformation within the North American plate. The existence of systematic errors in the Indian Ocean data obviously cannot be ruled out at this time. However, because its implications are important, an alternate hypothesis--internal deformation within the major plates--deserves investigation.

In RM2, Indian Ocean tectonics are modelled by three plates, ANTA, AFRC and INDI, There is no geological or seismic evidence for deformation within Antarctica; in fact, the intraplate seismicity of Antarctica appears to be the lowest of any major plate (e.g. Tarr, 1974). In contrast, both the African and Indian plates are characterized by high intraplate selsmicity, and observations of significant post-Miocene intraplate deformation have been-reported (e.g. Nckenzie et al., 1970; Sykes, 1970b; Eittreim and Ewing, 1972).

To investigate hypothetical intraplate deformation, we have chopped these plates into two pleces and modelled each as a rigid entity, as we did for NOAM and SOAM. This procedure is obviously unsatisfactory for representing widely distributed strain, and we are implicity assuming that most of the deformation is localized within a relatively narrow zone.

Deformation of the African jlatt: Active extension across the African Rift valleys is well document ed (e.g. Mckenzie et al. 2 1970; Maasha and Molnar, 197? LePichon et al., 1973). - To test the hypothesis that the_RM2 misfit along the TNMI-ANTA boundary stems from ignoring this deformation, another global invorsion was performed. The data along the African plate boundaries in the Red Sea and west of $20^{\circ}$ E were assigned to a Nubian plate (NUBI), and the data east of $40^{\circ}$ E were assigned to a Somalian plate (SOMA). We arbitrarily assumed that the position of . the NJBI-SOMA-ANTA triple junction is somewhere between $20^{\circ} \mathrm{E}$ and $40^{\circ} \mathrm{E}$. Since we did not feel justified in specifying its position more accurately, the 10 data along the Southwest Indian Ricige in this interval were deleted. As: expected, the resusting model is a better fit to the data set than RM2. In pariacular, the INDI-ANTA angtalar velocity vector is very close to the best-fitting solution in Table 3, and the fit to data along this boundary is much improved. However, the resulting SOMA-NUBI pole is at $43^{\circ} \mathrm{S}, 48^{\circ} \mathrm{E}$ and the angular rate is $0.17^{\circ} / \mathrm{Fly}$, which implies east-west compressive motion across the African Rift valleys at a rate exceeding $1 \mathrm{~cm} / \mathrm{yr}$ ! This prediction clearly çontradicts the geophysical evidence. If a non-zero component of extension is imposed on this boundary, the fit to the INDI-ANTA data set is degraded with respect to RM .

Therefore, problems with RM2 in the Indian Ocean cannot be remedied by simply postulating internal deformation in Africa, because the resulting model violates other constraints. Althousih the evidunce for extension across the African Rift Zone is compelling, we nave not been able to successfully resolve this motion in our global modeling studies, a
conclusion also stated in Paper I.
In a recent parallel study, Chase (1978) has produced a global plate model which predicts opening of the Rift valleys. The differences between his model and the model described above are evidently due to differences in the inverted data sets. We note that Chase's poles do not provide a satisfactory fit to our data set along the RM2 AFRC-ANTA. boundary. Also, the misfit to the INDI-ANTA data set described for RM2 is a feature of his solution as well.

Deformation of the Indian plate. The hypothesis that the Indian plate is deforming is suggested by two aspects of the RM2 fit discussed in the previous pages: RM2's performance is unsatisfactory along both the INDI-ANTA and INDI-PCFC boundaries. To test the hypothesis that INDI deformation is responsible for these discrepancies, the western portion of the Indian plate (WIND) was separated from the eastern portion (AUST). SIx INDI-ANTA data within a transition zone between $90^{\circ} \mathrm{E}$ and $130^{\circ} \mathrm{E}$ were deleted. Data on the Indian plate boundaries west of $90^{\circ} \mathrm{E}$ were assigned to WIND and data east of $130^{\circ}$ were assigned to AUST. With this configuration, the global data set was inverted. The resulting AUST-WIND angular velocity vector is labelied "A" in Table 4. Again, introduction of more model parameters permits*a better fit to the observations: The remaining data along the Southeast Indian Ridge are satisfied, and the AUST-PCFC pole lies within $2^{\circ}$ of the INDI-PCFC BFP of Table 3.

From Table 3 we can estimate the hypothetical AUST－WIND VECTOR inde－ pendently of the data along the Southeast Indian Ridge．Deformation of ニ゙ニンーニー the Indian plate can be approximately descrtbed by the closure vector of the circuit WIND－AFRC－ANTA－PCFC－AUST．This vector may be calculated using the best fitting angular velocity vector for each boundary traversed by the circuit．The result is not unique since the PCFC－AUST rate is not constrained，and a one parameter family of closure vectors is therefore $=$ generated．To specify a member of this family，we arbitrarily chose to minimize the relative velocity of AUST with respect to WIND at a point along the Ninetyeast Ridge．Numerical experiments show that the result is quite insensitive to this point＇s location．The derived angular velocity vector is labelled＂B＂in Table $t$.

In view of the uncertainties involvad（and the ad－hoc criterion used to construct vector B），the two solutions in Table 4 are remarkably similar．Both imply slow compressive motion between WIND and AUST in a NW－SE direction．

Our modelling procedures do not require the extstence of a specific boundary separating the Indian plate into two portions．However，we speculate that any deformation within the Indian plate may in fact be localized in the vicinity of the Ninetyeast Ridge．This Inear feature behaved as an active transform fault in the Cretaceous（eg．McKenzie and Sclater， 1971；Schlich，1975；Sclater et al．，1976），and，although it has been commoniy considered to be quiescent during recent times，Stein and Okal （1977）have suggested that i．t is now the site of significant seismic and tectonic activity．The nature of this tectonic activity is undoubtedly complex，but Stein and Okal argue that the bottom morphology and
selsmice source mechanisma are conststent with NW-SE compression in the : region, in agreement with the angular velocity vectors in Table 4. Vector =A predicts a rate of deformation of about $3 \mathrm{~cm} / \mathrm{yr}$, computed at $15^{\circ} \mathrm{N}$, $90^{\circ} \mathrm{E}$. This race is equivalent to a strain rate of $10^{-8} / y x$, if. the. deformation were distributed over a zone 1000 km wide, and is grossly compatible with the level of regional seismicity (Stein and Okal, 1977). In summary, the hypothesis that deformation is occurring within the Indian plate suffices to resolve the difficulties encountered in fitting the instantaneous relative motion data. Although the nature of this deformation remains speculative, at least a partial localization of the deformation in the vicinity of the Ninetyeast Ridge is suggested by other observations. We note that, if extension across the African Rift Zone is incorporated into the plate tectonic model, deformation within the Indian plate predicted by the model will be greater.

## Predictions and Implicarions

Along plate boundaries-whern data are not:available-or where interpretation is hindered by geological complications, RM2 provides a useful basis for predictions and comparisons of global motions with local-field evidence. We discuss here a few selected examples. In this discussion, prediction errors were calculated using the bilinear form described by. Jordan (1975). .

Central Califoznia. Because of possible-bias associated with extension in the Basin and-Range Province, data along the San Andreas fault system were not used in the inversion (Figure 1)." In central California RM2 predicts a rate of relative motion between the Pacific and North American plates of $5.6 \pm 0.3 \mathrm{~cm} / \mathrm{yr}$ (Table 5). Based on geological evidence, Hall and Sieh (1977) estimate a slip rate of $3.7 \pm 0.3 \mathrm{~cm} / \mathrm{yr}$ along the San Andreas in central California, averaged over three millenia, which is identical to Thatcher's (1977) geodetical estimate of $3.7 \pm 0.2 \mathrm{~cm} / \mathrm{yr}$. cownicel evidnce imalles a simiar rate over the past 10 My (og. Huffman, 1972). This comparison suggests that a significant fraction of the PCFC-NOAM motion is taken up elsewhere. Some of it may possibiy be accommodated on fault systems west of the San Andreas. For example, Weber and Lajoie (1977) conclude that right-lateral slip has occurzed along the San Gregorio fault zone during the last 200,000 years, with a rate ranging from 0.6 to $1.3 \mathrm{~cm} / \mathrm{yr}$. The discrepancy between the observed and predicted rates may also be attributed to deformation distributed within the Basin and Range Province. Thompson and Burke (1973)
estimate that the Basin and Range underwent 100 km of extension in N 55 W direction during the last 15 My , equivalent to an average of $0.7 \mathrm{~cm} / \mathrm{yi}$ of right-lateral motion in a direction parallel to the San Andreas.

The comparison of observed and predicted azimuths also suggests' active deformation within the western U.S.: Between the Carrizo Plain and Hollister, the San Andreas fault exhibits a well deffned azimuth of $N 41^{\circ} \mathrm{W} \pm 2^{\circ}$, whereas the direction of relative motion calculated from RM2 is $N 35^{\circ} \mathrm{K} \pm 2^{\circ}$ (Table.5). These two values can be reconciled by postulating about $0.8 \mathrm{~cm} / \mathrm{yr}$ of EN extension between central California and the stable North-American platform to the east. Thompson and Burke's (1973) model implies an average rate for EW Basin and Range extension of $0.5 \mathrm{~cm} / \mathrm{yr}$. Furthermore, Clark and Lajoie (1974) estimate a horizontal displacement rate of $0.7 \mathrm{~cm} / \mathrm{yx}$ along the Garlock Fault during Holocene time. Such agrement may be fortuitous, but we consider it to be support for Davis and Burchfiel's (1973) suggestion that the Garlock Fault is a major intracontinental transform structure.

Relative motion of North and South America. As argued above, relative motion between North and South America is required by our data set. Figure 5 and Table 2 indicate that the NOAM-SOAM vector is poorly sonstrained and a wide range of possible relative velocities are allowed by the data. Very little direct evidence for this relative motion exists, and the movement could be distributed across a broad zone between, say, $10^{\circ} \mathrm{N}$ and $20^{\circ} \mathrm{N}$. Since the relative velocities are predicted to be small, the deformation may be largely aseismic. However, some seismicity does
exist. For example, a magnitude 6.2 earthquake occurred October 23, 1964, at $19.8^{\circ} \mathrm{N}, 56.1^{\circ} \mathrm{W}$. The mechanism for this event is consistent with rightlateral strike-slip motion in a direction $\mathrm{N} 55^{\circ} \mathrm{W}$ (Molnar and Sykes, 1969; J. Dore1, 1975, personal communication), which does not disagree with the RM2 prediction of $N 71^{\circ} \mathrm{W} \pm 58^{\circ}$ (Table 5). It is, however, inconsistent with the RNI model, which predicts left-1ateral motion.

Southern Boundary of the Caribbean plate. RM2 predicts a component of NS convergence across the CARB-SOAM boumdary. Although the rates are somewhat higher, the azinuths for CARB-SOAM motion are alrost identical to those deduced by Jordan (1975) using the RML model. Consequently, Jordan's conclusions concerning motions along this boundary are substantiated by this study. They are also supported by Ladd's (1976) model of tertiary plate motions. Direct evidence for NS compressive motion has been obtained by Talwani et al. (1976) from an analysis of multichannel seismic reflection records from the south margin of the Venezuelan Basin and by Rial (1978) from a study of local mechanisms in Columbia and Venezuela. No such compression is predicted by a model which assumes a single American plate. We take this to be an additional argument in favor of modelling NOAM and SOAM as two separate plates with a zone of decoupling between $10^{\circ} \mathrm{N}$ and $20^{\circ} \mathrm{N}$.
... Jordan's (1975) portrayal of the tectonic relationships in the Panama Basin is also compatible with RM2. The RM2 COCO-NAZC pole lies north of the equator, and the Panama T.F., as mapped by Lonsdale and Klitgord (1978), closely approximates a small circle about this pole;'; even though it was not used in the inversion. Thus, RM2 is consistent with the hypothesis that the Pamama Basin east of this transform is not acting as a separate plate, as suggested by Molnar and Sykes (1969) and

Lonsdale and kittgord (1978), but fin fact part of the Nazca plate. Although, RN2 predicts a slightly iower NAZC-CARB rate than RM1, the
 azimuths of relative motion are nearly tdentical (Tabie 5) and are consistent with the hypothesis that the motion is accomodated by a leftIateral transform fault along the southem continental margin of Panama (Jordan, 1975).

Subduction Sn Southern Chine. Seismic activty along the Chile trench decreases sharpiy south of the NAZC-ANTA-SOAM triple junction (Tarr, 1974). Few earthquake (only one with $\eta_{0} \geq 6$ ) have been reported in this region between 1963 and 1975. The predicted convergence rate between ANTA and SOAM is only $2.1 \pm 0.2 \mathrm{~cm} / \mathrm{yr}$. (Table 5), $6.7 \mathrm{~cm} / \mathrm{yr}$ less than the subduction velocity north of the triple junction and $30 \%$ lower than the RM1 prediction: Yet other convergence zones with comparable rates such as the West Indies Arc or the South Sandwich Trench are significantly more seismically active. If our monel is correct, then subduction in Southern Chile takes place largely aseismically, or this boundary constitutes an extensive seismic gap.

The Owen Fracture Zone. The Owen Fracture Zone represents the-INDIARAB boundary (e.g., Mckenzie and Sclater, 1971) and exhibits only weak seismicity. As shown in Table 5, RM2 does predict a low rate of relative motion between these two plates, but the predicted azimuths do not agree well with the observations. At $14^{\circ} \mathrm{N}$, Laughton's (1970) bathymetric map Indicates an azimuth of $N 30^{\circ} \mathrm{E}$ for the Owen fracture zone, compared with the model value of $N 55^{\circ} \mathrm{E} \pm 14^{\circ}$, and at $22^{\circ} \mathrm{N}$, a fault plane solution by Sykes (1967) has a slip vector orientation of $N 50^{\circ} \mathrm{E}$, versus a model value

Value of $N 83^{\circ} \mathrm{E} \pm 2^{\circ}$, Taken at face value, triese data suggest that the INOI-ALAB pole should be transiated to the northeast. Interestingly, the inversion with INDI separated finto WIND and AUST, described above, yields an WIND-ARAB pole positioned $3^{\circ}$ north of the RMI pole. The - $==$ azimuth calculated at $14^{\circ} \mathrm{N}, 59^{\circ} \mathrm{E}$ is $\mathrm{N} 44^{\circ} \mathrm{N}$, in better agreenent with the observations, although the azimuth calculated at $22^{\circ} \mathrm{N}, 62^{\circ} \mathrm{E}$ is nearly fdentical to that for RM2.

The RM2 geohedron (Table 2, Figure 2) completely describes the zelative motion model. To specify an 'absolute' reference frame, we need only to choose an origin in angular veiocity space. A particular frame of interest in discussions of plate dymamics is one fixed with respect to the average position of the deep mantle, assumed to be rigid or at least to have typical internal motions much slower than the motions of the plates; we refer to this frame as the mean mesospheric frame.

In Paper I we constructed an absolute motion model (AMI) based on the Wilson-Morgan fixed hotspot hypothesis and concluded that this hypothesis was consistent with the available instantaneous motion data. However, we noted the difficulties in estimating rates and directions of hotspot migration that are compatible with the short time iñtervals appropriate to the relative motion model, especially for hotspot traces on the slower plates: Because of these difficulties, we are intrinsically limited in our ability to construct more refined tests of the WilsonMorgan hypothesis and to discriminate among various instantaneous absolute motion models using hotspot data.

To investigate this limitation, we have derived an absolute motion model by again inverting hotspot data, but restricting the data set to include only those constraints on hotspot migration pertinent to the last 10 My . This time span is really the minimum interval for which good hotspot data can be obtained, although it exceeds by over a factor of three the mean averaging interval for the relative motion data. The azimuths of nine hotspot traces and the rates for five were chosen on the basis of this
criterion (Table 6). The data set is dominated by the information from Pacffic island chains; no Atlantic or Indian Ocean hotspots were employed. The rate at Hawaif represents our interpretation of the $K-A r$ ages between Hawaii and French Frigate Shoals sumárized by Dalrymple et al. (1974). For four other Pacific archipelagos the K-Ar ages of Duncan et al. (1974) and Duncan and McDougall (1974, 1976) have been used. Azimuth estimates for the traces were obtained fron bathymetric charts, and the rate estimates were projected along these directions. The mean rate estimates for individual island chains have formal standard errors of about $\pm 1 \mathrm{~cm} / \mathrm{yr}$, (Duncan and McDougall, 1976), but these have been increased to allow for possible errors due to biased sampling. (We note that, since vulcanism may persist at a given site for millions of years, a systematic failure to sample the oldest rocks generally results in rates biased to high values.) The other data in Table 6, hotspot azimuths from the COCO, NAZC and NOAM plates, have been taken from Paper I.

The dataset in Table 6 was inverted to obtain an absolute motion model designated AM1-2 (Table 7, Figure 2). In the inversion the relative plate velocity vectors were fixed at their RM2 values, but the uncertainties in the RM2 model, represented by its variance matrix, were incorporated Into the calculation of the variance matrix for AM1-2. The model is a very good fit to the selected data set: only one datum has a residual exceeding its assigned error (the azimuth of the Marquesas), and the rate data are all fitted to within $1 \mathrm{~cm} / \mathrm{yr}$. Thus, the results of this experiment give us no cause to challenge the Wilson-Morgan hypothesis.

But, even supposing the Wilson-Morgan hypothesis is valid, which we have not proved, with what precision can the motions. of the plates in the mean mesospheric frame be predicted by the hotspot data? The answer to
this question is indicated by the standard errors of estimation listed in Table 7. Although the absolute velocities of the fast-moving oceanic plates (e.g. PGFC) have relative errors which are small, the relative errors for the slowly-moving continental plates (e.g. EURA) are quite large and in some cases exceed $100 \%$. Hence, the absolute motion firections of several plates, particularly ANTA and EURA, are not usefully constrained by the hotspot data used in this experiment. For example, at the position of . Iceland the motion of EURA with respect to the mean mesospheric frame is predicted by $A M 1-2$ to be $N 83^{\circ} \mathrm{W}$ at $0.4 \mathrm{~cm} / \mathrm{yr}$, nearly diametrically opposed to the direction of the Wyville-Thompson Ridge, the presumed hotspot trace. Sut no significance should be assigned to this discrepancy, since the formal prediction errors ( 10 ) are $\pm 162^{\circ}$ and $\pm 0.8 \mathrm{~cm} / \mathrm{yr}$, respectively, and since the actual azimuth of the Iceland hotspot trace over the last 10 My is not really ḳnown (Paper I, P.566).

With these large uncertainties in mind, it is interesting to compare the hotspot model with absolute motion models based on other criteria. Three such alternate models are listed in Table 8 (see also Figure 2). AMO-2 is the unique absolute motion model constructed by requiring that the lithosphere as a whole possess no net rotation, a criterion discussed and applied in Paper I and by Lliboutry (1974) and Solomon and Sleep (1974). AM2-2 corresponds to Burke and Wilson's (1972) hypothesis that the African plate is stationary with respect to the mantle, a criterion endorsed by Duncan and McDougal1 (1976) on the basis of Pacific hotspot data. AM3-2 . conforms to Jordan's (1975) suggestion that the Caribbean plate Is fixed in the mean mesospheric frame, pinned in position by its two bounding
subduction zones.
The predictions of these absolute motion models are compared with the selected hotspot data in Table 7. The Pacific poles for all of the absolute motion models are similar (Table 8), and the azimuths of the Pacific island chains are essentially equally well fitted by each. However, the Pacific rate data and the azimuth data from the other plates do provide some discriminants. AMO-2 appears to be inconsistent with the rate data; its values are significantly less than those observed. AM2-2 is a good fit to the Pacific data, but it is a poor fit to the azimuth data for the other three plates. AM2-3 provides a good fit to the azimuth data, but its Pacific rate is slightly low.

The alternative absolute motion models can be compared directly with AM1-2 in model space using the computed estimation errors. Let m be the model vector representing AMI-2 and let $\underline{\underline{D}}^{2}$ be any altenative absolute motion model. .Define the quadratic form

$$
F=\left(\underline{m}-\underline{m}^{\prime}\right)^{]^{\prime}} \cdot v^{-1} \cdot\left(\underline{m}-\underline{m}^{\prime}\right)
$$

where $V$ is the complete varlance matrix for $\underline{m}$. Then, if $F>(1.96)^{2}$,鱼' lies outside the AMI-2 $95 \%$ confidence hyperellipsoid, and one can accept the conclusion that the expected value of 뜨 (of which Iㅡ is only an estimate) is different from $\underline{m}^{\prime}$ at the $5 \%$ risk level. ( $O$ f course, this statement assumes that normal statistics and our linear approximations are applicable and that $V$ is known exactly, which is not strictly true; it nevertheless provides a workable basis for making statistical decisions.) For models AMO-2 and AM2-2, F equals 12.4 and 10.9 , respectively; we conclude that these frames are significantly different from the hotspot frame. For AM3-2, F equals only 3.1, so
the hypothesis that the Caribbean plate is fixed in the hotspot frame cannot be rejected. We note that the frames corresponding to ANTA fixed $(F=0.5)$ and EURA fixed $(F=0.8)$ are indistinguishable from the hotspot frame as well.

It is also interesting to compare AM1, the absolute motion model derived in Paper 1 , with AMI-2. Both madels were obtained by the inversion of hotspot data, but, in the case of AM1, no rate data were used and a much larger, more globally distributed set of hotspot azfmuths were fitted. As a consequence, the averaging intervals for the AM1 data are generally greater than 10 My and more variable. Although the AMI and AM1-2 Pacific poles are similer, the AMI rotation rate ( $0.83^{\circ} / \mathrm{My}$ ) is less than that of Alyl-2 ( $0.97^{\circ} / \mathrm{My}$ ) . For AMI, $\mathrm{F}=339$. This very large value is indicative DE the fact that RMI and RM2 are significantly different relative motion models, in that RM1 lies well outside RM2's $95 \%$ confidence hyperellipsoid. A model derived by adding to RM2 the AMI PCFC absolute rotation vector yields $\mathrm{F}^{*}=10.0$ and is inconsistent with the data set in Table 6.

The resolution of absolute motions by the hotspot data is obviously degraded if the possibility of a non-rigid hotspot geonetry is allowed. Several authors have concluded that, averaged over geologically long periods of time (> 40 Ny ), hotspots have relative velocities with magnitudes on the order of $1 \mathrm{~cm} / \mathrm{yr}$ (Morgan, 1972; Burke et al., 1973; Noinar and Atwater, 1973; Molnar and Francheteau, 1975). In some sense, our conservative assigr-ent of large errors to the hotspot data in Table 6 may account for the uncertainties generated by small random motions among the.hotspots, but appropriate caution in interpreting any hotspot model miust be exercised until better data and more rigorous tests are available.

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Nevertheless, several previously published conclusions regarding
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``` present-day absolute motions appear to be warranted; these are common to all of the models in Table 8:
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(1) Plate speeds correlate negatively with total continental area (Paper I).
(2) Plate speeds correlate positively with the fraction of plate boundary being subducted (Jordan and Minster, 1974; Forsyth and Uyeda, 1975).
(3) Plate speeds correlate positively with geographic co-iatitude (Solomon et al., 1975).

Simple mechanical models have been formulated to explain the first two of these correlations (Forsyth and Uyeda, 1975; Solomon et a1., 1975; Kaula, 1975), but their true dynamical significance is still quite speculative. For example, Solomon et al. (1977) have suggested that these aspects may have very little to do with dynamics; they argue that the absolute plate motions characteristic of Tertiary time exhibit none of the correlations stated above. Although we eye their reconstructions and modelling assumptions with some skepticism (cf. Jurdy, 1977), we agree that more refined tests of the mechanical models must be formulated,

## OF POOR QUALITY

## Perspective

RM2 is a significantly better representation of present-day plate motions than RM1. In a recent parallel study, Chase (1978) has presented a global plate motion model generally quite similar to RM2. Some significant differences between these two models do extst--most ascribable to differences in data selection and interpietation--but the overall agreement is encouraging. These studies should be viewed as ever more rigorous tests of the plate tectonic hypothesis. We continue to be impressed by how well the large data sets ( 330 members in Table 1) are described by simple models with very few parameters ( 30 for RM 2 ).

We have noted, however, several problem areas where the plate model does not adequately fit the observations. These discrepancies deserve special scrutiny: they may be the manifestations of tectonic processes or other physical. phenomena not now understood. For example, if our hypothesis that the Indian plate is not behaving rigidly is confirmed by better data in the Indian Ocean, then several questions must be addressed. How is the defornation distributed within the plate? What is the nature of the forces driving the deformation? Consider the hypothesis that the deformation is localized in the vicinity of the Ninetyeast Ridge: then a situation exists where, on two opposing plates at approximately equal distances from their common boundary (a spreading center), there are two NS-trending zones of deformation, one extensional (the African Rift) and one compressional (the Ninetyeast Ridge). This unusual configuration should provide a strong discriminant for force-balance models of the sort proposed by Forsyth and Uyeda (1975), Solomon et al. (1975) and Richardson et al. (1976). Of course, more data are required before this
hypothetical situation can be accepted as reality.
Throughout the bulk of this paper the problems of continental. tectonics have been carefully ayoidf.d. It is clear that, in most regions of intracontinental deformation, the plate model has only limited utilfty. However, global plate motions do provide the displacement boundary conditions required to understand the kinematics and dynamics of tectonics In complex regions (e.g. Nolnar and Taponier, 1975). These complex regions include not only the continental interiors, but also zones of deformation along the continental margins (e.g. Jordan, 1975) and even boundaries between the oceanic plates themselves. It is possibly complexities of this latter type which are responsible for the difficulties we experienced in obtaining closure about the Azores triple junction.

Unlike the relative motions, the absolute motions of plates in the mean mesosphetic frame camot be precisely constrained. Absolute motion models have been derived from a number of kinematical hypotheses, and, although they are grossly similar, significant differences among them do exist: In our opinion, model AM1-2, with its attendant uncertainties (Table 7), represents the most satisfactory description available from the present observations, Based on these absolute motions, a number of empirical correlations appear to be warranted, but how these correlations relate to the fundamental forces driving the plates is only speculative.

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## REFERENCES

Abe, K., Mechanisms and tectonic implications of the 1966 and 1970

- Peru earthquakes, Phys. Earth Planet. Inter., 5, 367-379, 1972. Allan, T. D., and C. Norelli, The Red Sea, in The Sea, edited by A. E. MaxweIl, Wiley-Interscience, Vol. IV, part 2, Pp. 493-542, New York, 1970.

Anderson, R. N., D. W. Forsyth, P. Molnar, and J. Mammerickx, Faultplane solutirns of earthquakes on the Nasca plate boundaries and the Easter plate, Earth Planet. Scl. Lert., 24, 188-202, 1974.

Andrieux, J., J. M. Fontbote, and M. Mattauer, Sur un modele explicatif de 1'arc de Gilbraltar, Earth PLanet. Sci. Lett., 12, 191-198, 1971.

ARCYANA, Transform fault and rift valley geology by bathyscaph and diving saucer, Science, 190, 108-116, 1975.

Atwater; T., and K, C. Macdonald, Are spreading centers perpendicular to their transform faults?, Nature, submitted, 1977.

Avery, O. E., Burton, G. D., and J. R. Heirtzler, An aeromagnetic survey of the Norwegian Sea, J. Geophys. Res., 73, 4583-4600, 1968.

Banghar, A. R., and L. R. Sykes, Focal mechanisms in the Indian Ocean and adjacent regions, J. Geophys. Res. , 74, 632-649, 1969. Bergh, H. W., and I. O. Norton, Prince Edward fracture zone and the evolution of the Mozambique basin, J. Geophys. Res., 81, 52215239, 1976.

Blrd, P., and J. D. Phillips, Oblique spreading near. the Oceanographer fracture zone, J. Geophys. Res., 80, 4021-4027, 1.975.

Burke, K., and J. T. Wilson, Is the Nfrican plate stationary?, Nature, 239, 387-390, 1972.

Burke, K., W. S. F. Kidd, and J. T. Wilson, Relative and latitudinal motion of Atlantic hotspots, Nature, 245, 133-137, 1973.

Chapman, M. E., and S. C. Solomon, North American-Eurasian plate boundary in northeast Asia, I. Geophys. Res., 81, 921-930, 1976.

Chase, C. G., Plate kinematics: The Americas, East Africa, and the rest of the world, Earth Planet. Sci. Lett.; in press, 1978.

Choukroune, P., J. Francheteau, and X. Le Pichon, Structural observation in an oceanic transform fault from manned submersibles: Transform fault " A " in the FAMOUS area, Geol. Soc. Amer. Bull., submitted, 1977.

Clark, M. M., and K. R. Lajoie, Holocene behavior of the Garlock fault (abstract), Geol. Soc. Aner. 70th Annual Meeting, Cordilleran section, E, 156, 1974.

Conant, D. A., Six new focal mechanism solutions for the Arctic and center of rotation for plate movements, M. A. thesis, Columbia University, N. Y., 1972.

Cormier, V. F., Tectonics near the junction of the Aleutian and KurilKamchatka arcs and a mechanism for middle Tertiary magmatism
.- In the Kamchatka basin, Geol. Soc. Amer: Bul1. ; 86, 443-453, 1975.

Dalrymple, G. B., M. A. Lanphere, and E. D. Jackson, Contributions to the petrography and geochronology of volcanic rocks from the Leeward Hawalian Islands, Geol. Soc. Amer. BuI1., 85, 727-738, 1974.

Davis, G. A., and B. C. BurchEiel, Garlock fault: An intracontinental transforn structure, Southern Callfornia, Geol. Soc. Amer. Bull., 84, 1407-1422, 1973.

Detrick, R., J. D. Mudie, B. P. Luyendy, and K. C. Macdonald, Nearbottom observations of an active transform faul.t, Nature, 246, 59-61, 1973.
Dickson, G. O., W. C. Pitman, and J. R. Heirtzler, Magnetic anomalies in the South Atlantic ocean and ocean floor spreading, j. Geophys. Res., 73, 2087-2100, 1968:

Duncan, R. A., İ. McDougall; R. M. Carter, and D. S. Coombs, Pitcairn Island - another Pacific hotspot?; Nature, 251, 679-682, 1974. Duncan, R. A., and I. McDougall, Migration of volcanism with time in the Maxquesas Islands, French Polynesia, Earth Planet. Sci. Lett., 21, $414-420,1974$.

Duncan, R. A., and I. McDougall, Linear volcanism in French Polynesia, J. Volcan. Geotherm. Res. 1, 197-227, 1976.

Eittreim, S. L., and J. Ewing, Mid-plate tectonics in the Indian Ocean, J. Geophys. Res.; 77, 6413-6421, 1972.

Eittreim, S. L., and J. Ewing, Vema fracture zone transform fault, Geoiogy, 3, 555-558, 1975.

Engdahl, E. R., N. H. Sleep, and Ming-Te Lin, Plate effects in NorthPacific subduction zones, Tectonophysics, 95-116, 1977.

Engel, C. G., and R. L. Fisher, Granitic to ultramafic rock complexes of the Indian Ocean ridge system, western Indian Ocean, Geol. Soc. Amer. Bull., 86, 1553-1578, 1975.

Falconer, R. H. K., The Indian-Antarctic-l'acific triple junction, Earth Planet. Sci. Lett., 17, 151-158, 1972.

Falconer, R. K. H., Indian-Pacific rotation pole determined from earthquake epicenters, Nature Plys, Sci., 243, 97-95, 1973.

Fisher, R. L., J. G. Sclater, and D. P. McKenzie, The evolution of the Central Indian Ridge, western Indian Ocean, Geol. Soc. Amer. BuIl., 82, 553-562, 1971.

Forsyth, D. W., Mechanisms of earthquakes and plate motions in the East Pacific, Earth Planet. Sei. Lett., 17, 189-193, 1972:

Forsyth, D. W., Fault plane solutions and tectonics of the South Aclantic and Scotia Sea, J. Geophys. Res., 80, 1429-1443, 1975.

Forsyth, D. W., and S. Uyeda, on the relative importance of driving forces of plate motion, Geophys. J. R. Astr. Soc., 43 163-200, 1975.

Fox, P. S., W. C. Pitman, and F. Shephard, Crustal plates in the central Atlantic: Evidence for at least two poles of rotation, Science, 165, 487-489, 1969.

Fox, P. J., F. W. Schroeder, R. M. Moody, W. C. Pitman, and P. J. Hoose, The bathymetry of the Oceanographer fracture zone and the Mid-Atlantic Ridge at $35^{\circ} \mathrm{N}$ with implications for central north Atlantic plate motion, Deep Sea Res., submitted, 1977.

Fukao, Y., Thrust faulting at a lithospheric plate boundary-the Portugal earthquake of 1969, Earth Planet. Sci. Lett., 18, 205-216, 1973.

Hadley, D., and H. Kanamori, Seismotectonics of the eastern Azores-Gibraltar ridge (abstract), Eos, Trans, Amer. Geophys. Union, 56, 1028, 1975.

Hall, N. T., and K. E. Sieh, Late Holocene rate of slip on the San Andreas fault in the northern Carrizo Plain, San Luis Obispo County, California (abstract), Geol. Soc. Amer. 73rd Annual Meeting, Cordilleran section, 2, 428, 1977.

Hayes, D. E., and J. R. Connolly, Morphology of the Southeast Indian Ocean, Antarctic Oceanology II: The Australian-New Zealand Sector, edited by D. E. Hayes, Amer. Geophys. Union, Washington, D. C., pp. 125-146, 1972 .

Heezen, B. C., and M. Thaxp, Tectonic fabric of the Atlantic and Indian Oceans and continental drift, Phil. Trans. R. Soc. Lond. Ser, A., 258, 90-106; 1965.
Heirizler, J. R., G. O. Dickson, E. M. Herron, W. C. Pitman, and X. Le Pichon, Marine magnetic anomalies, geomagnetic field reversals and motions of the sea floor and continents, J. Geophys. Res., 73, 2119-2136, 1968.

Herron, E.M., Sea-floor spreading and the Cenozoic history of the east-central Pacific, Geo1. Soc. Amer. Bull., 83, 1671-1672, 1972. Herron, E. M., and D. E. Hayes, $A$ geophysical study of the Chile ridge, Earth P1anet. Sci. Lett., 6, 77-83, 1969.

Hey, R. N., Tectonic evolution of the Cocos-Nazca Rise, Ph.D. thesis, Princeton Univ., Princeton, N. J., 1974.

Hodgson, J. H., and W. G. Milne, Direction of faulting in certain earthquakes of the North Pacific, Bull. Seismol. Soc. Amer., 4I, 221-242, 1951.

Holcombe, T. L., P. R. Vogt, J. E. Matthews, and R. R. Murchison, Evidence for sea-floor spreading in the Cayman Trough, Earth Planet. Sci. Lett., 20, 357-371, 1973.

Isacks, B., L. R. Sykes, and J. Oliver, Focal mechanisms of deep and shallow earthquakes in the Tonga-Kermadec region and the tectonics of island arcs, Geo1. Soc. Amer. Bul1., 80, 1143-1470, 1969.

Johnson, G. J., J. R. Southall, P. W. Young, and P. R. Vogt, Origin and structure of the Iceland plateau and Kolbeinsey ridge, J. Geophys. Res., 77, 5688-5696, 1972.

Johnson, T., and P. Molnar, Focal mechanisms and plase tectontcs of the Southwest Pacific, J. Geophys. Res., 77, 5000-5032, 1972.

Jordan, 1'. II., The present-day motions of the Caribbean plate, J. Geophys. Res., 80, 4433-4439, 1975.

Jordan, T. H., and J. B. Minster, Plate motions with respect to the mantle (abstract), Eos, Trans, Amer. Geophys. Union, 55, 557, 1974. Jordan, T. H., J. B. Minster, and P. Molnar, Present-day plate motions (abstract), Eos, Trans. Amer. Gcophys: Union, 57, 329, 1976.

Jurdy, D. M., An alternate model for absolute plate motions in the early Tertiary (abstract), Eos, Trans. Amer. Geophys. Union, 58, 503, 1977.

Kanamori, H., and G. S. Stewart, Seismological aspects of the Guatemala earthquake of February 4, 1976, preprint.

Kaula, W. N., Absolute plate motions by boundary velocity minimizations, J. Geophys. Res., 80, 244-248, 1975.

Klitgord, K. D., and J. D. Mudie, The Galapagos Spreading Centre: A near-bottom geophysical survey, Geophys. J. R. Astr. Soc. 38, 563-586, 1974.

Klitgord, K. D., J. D. Mudie, J. Grow, and P. A. Larson, Fast sea-floor spreading on the Chile ridge, Earth Planet. Sci. Lett. 20, 93-99, 1973.

Krause, C. C., and N. D. Watkins, North-Atlantic crustal genesis in the vicinity of the Azores, Geophys. J. R. Astr. Soc., 19, 261-284, 1970.

Ladd, J. W., Relative motion of South Anerica with respect to North America and Caribbean tectonics, Geol. Soc. Amer. Bull., 87, 969-976, 1976.

Larson, R. L., and C. G. Chase, Relative velocities of the Pacific, North American and Cocos plates in the Middle America region, Earth Planet. Sci. Lett., 7, 425-428, 1970.

Laughton, A. S., A new bathymetric chart of the Red Sea, Phil. Trans. R. Soc. Lond. Ser. A., 267, 21-22, 1970.

Laughton, A. S., R. B. Whitmarsh, J. S. M. Rusby, M. L. Somers, J. Revie, B. S. McCartney, and J. E. Nafe, $\Lambda$ continuous eastwest fault of the Azores-Gilbraltar Ridge, Nature, 327, 217-220, 1972.

Laughton, A. S., D. G. Roberts, and R. Graves, Bathymetry of the northeast Atlantic: Mid-AtIantic Ridge to southwest Europe, Deep Sea Res., 22, 791-810, 1975.

Laughton, A. S., R. B. Whitmarsh, and M. T. Jones, The evolution of the Gulf of Aden, Phil. Trans. R. Soc. Lond. Ser. A., 267, - 227-266, 1970.

Lavrer, L. A., J. W. Hawkins, and J. G. Sclater, Nagnetic anomalies and crustal dilation in the Lau Basin, Earth Planet. S'ci. Lett., 33, 27-35, 1976.

Le Pichon, X., J. Francheteau, and J. Bomin, Plate Tectonics, 300 pp., Elsevier, New York, 1973.

Lliboutry, L., Plate movement relative to rigid lower mantle, Nature, 250, 298-300, 1974.

Lonsdale, P., Regional shape and tectonics of the equatorial East Pacific Rise, Mar. Geophys. Res., in press, 1977. Lonsdale, P., Near-bottom reconnaissance of a fast-silipping transform fault at the Pacific-Nazca plate boundary, J. Geol., in press, 1978.

Lonsdale, P., and K. D. Kiftgord, Structure and tectonic history of the eastern Panama basin, Geol. Soc. Amer. Bull., in press, 1978.' Naasha, N., and P. Nolnar, Earthquake fault paraneters and tectonics In Africa, I. Geophys. Res., 77, 5731-5743, 1972.

Macdonald, K. C., Nearbottonn magnetic anomalies, asymmetric spreading,
$\because-\cdots \quad$ : $-\cdots$ :oblique spreading, and tectonics of the Mid-Atlantic Ridge near lat. $37^{\circ} \mathrm{N}$, Geol. Soc. Amer. Bull., 88, 541-555, 1977.

Macdonald, K. C., and T. L. Holcombe, Inversion of magnetic anomalies and sea-floor spreading in the Cayman Trough, Tectonophystes, submitted, 1978.

Macdonald, K., and B. P. Luyendyk, Deep-tow studies of the structure of the Mid-Atlantic Ridge crest near $37^{\circ} \mathrm{N}$ (FAMOUS), Geol. Soc. Amer. Bul1., 88, 621-636, 1977.

Mamerickx, J., R. N. Anderson, H. W. Menard, and S. M. Smith, Morphology and tectonic evolution of the East-Central Pacific, Geol. Soc. Amer. Buil., 86, 111-118, 1975.

MeGregor, B. A., C. G. A. Harrison, J. W. Lavelle, and P. A. Rona, Magnetic anomaly patterns on Mid-Atlantic Ridge Crest at $26^{\circ} \mathrm{N}$, J. Geophys. Res., 82, 231-238, 1977.

McKenzie, D., Active tectunics of the Mediterranean'region, Geophys.
J. R. Astr. Soc., 30, 109-185, 1972.

Mckenzie, D. P., D. Davies, and P. Kiolnar, Plate tectonics of the Red Sea and East Africa, Nature, 226, 1-6, 1970.

McKenzie, D. P., and R. L. Parker, Plate tectonics in w space,
. Earth Planet. Sci. Lett, 22, 285-293, 1974.
Nckenzie, D. P., and J. G. Sclater, The evolution of the Indian Ocean since the late Cretaceous, Geophys. J. R. Astr. Soc., 25, 437-528, 1971.

Menard, H. W., and T. Atwater, Origin of fracture-zone topography, Nature, 22, 1037-1040, 1.969.

Ninster, J. B., and T. H. Jordan, Modelling present-day motions (abstract), Eos, Trans. Aner. Geophys. Union, 58, 367, 1977.

Minster, J. B., T. H. Jordan, P. Molnar, and E. Ilaines, Numerical
 modelling of instantaneous plate tectonics, Geophys. J. R. Astr. Soc. , 36, $54 \overline{1-576,1974 .}$
Minster, J. F., J. B. Minster, M. Treuil, and C. J. AIlegre, Systematic use of trace elements in igneous processes, part II. Inverse problem of the fractional crystallization process, Contrib. Hineral. Petro1., 61, 49-77, 1977.

Molnar, P., Fault plane solutions of earthquakes and direction of motion in the Gulf of California and on the Rivera fracture zone, Geol. Soc. Amer. Bu11. 84, 1651-1658, 1973.

Molnar, P., and T. Atwater, Relative motion of hot spots in the mantle, Nature, 246, 541-576, 1974.

Molnar, P., T. Atwater, J. Mamericks, and S. M. Smith, Magnetic anomalies, bathymetry, and the tectonic evolution of the South Pacific since the late Cretaceous, Geophys. J. R. Astr. Soc., 40, 383-420, 1975.

MoInar, P.; and ${ }^{-}$. Francheteau, The relative motion of "hot spots" in the Atlantic and Indian oceans during the Cenozoic, Geophys. J. R. Astr. Soc., 43, 763-774, 1975.

Molnar, P., and L. R. Sykes, Tectonics of the Caribbean and Middle America regions from focal mechanisms and seismicity, Geol. Soc. Amer. Bull., 80, 1639-1684, 1969.

Molnar, P., and P. Tapponnier, Cenozoic tectonics of Asia: Effects of a continental collision, Science, 189, 419-426, 1975.

Morgan, W. J., Plate motions and deep mantle convection, Geol. Soc. Amer.
Memoix 132, 7-22, 1972.

Morgan, W. J., P. R. Vogt, and D. E. Falls, Magnetic anomalies and

sea-floor spreading on the Chile Rise, Nature, 222, 137-142, 1968.二- -
Norton, I. 0. , The present relative motion between Africa and Antarctica, Earth Planet. SCl. Lett., 33, 219-230, 1976.

Olivet, J. L., X. Le Pichon, S. Monti, and B. Sichler, Charlie-Gibbs fracture zone, J, Geophys. Res., 79, 2059-2972, 1974.

Phillips, J. D., Magnetic anomalies over the Mid-Atlantic Ridge near $27^{\circ} \mathrm{N}$, Science, 157, 920-923, 1967.

Pitman, W. C., E. M. Herron, and J. R. Heirtzler, Magnetic anomalies in the Pacific and sea-floor spreading, J. Geophys. Res., 73, 2069-2085, 1968.

Pitman, W. C., and M. Talwani, Sea-floor spreading In the North Atlantic Geol. Soc. Amar. Bull., 83, 619-646, 1972.

Rea, D. L., Changes in the axial configuration of the East Pacific Rise near $6^{\circ} \mathrm{S}$ during the last 2 M. y., J. Geophys. Res., 81 1495-1504, 1976a.

Rea, D. K., Analysis of a fast-sfreading rise crest: The East Pacific
Rise, $9^{\circ}$ to $12^{\circ}$ South, Mar. Geophys. Res., 2, 291-313, 1976 b.
Rea, D. K., and R. J. Blakely, Short wavelength magnetic anomalies in a region of rapid sea-floor spreading, Nature, 255, 126-128, 1975.

Rial, J. A., The Caracas, Venezuela, earthquake of July 1967: a multiple source event, J. Geophys. Res., in press, 1978 .

Richardson, R. M., S. C. Solomon, and N. H. Sleep, Intraplate stresses as an Indicator of plate tectonic driving forces, I. Geophys. Res., 81, 1847-1856, 1976.

Rosendah1: B. Re, Preliminary site survey report: IPOD Survey Area PT-4, Scripps Institution of Oceanography, La Jolla, Califomia, 1976.

Rusnack, G. A., R. L. Fisher, and F. P. Shephard, Bathymetry and faults of Gulf of California, Marine Geology of California, Memoix 3, edited by Tj. H. Van Andel, and G. G. Shor, Jr., Amer. Assoc. Petrol. Geol., Tulsa, Oklahoma, pp. 59-75, 1964.

Schlich, R., Structure et age de 1'océan indien occidental, Mémoire hors sêrie $\mathrm{N}^{\circ} 6,102 \mathrm{pp}$. , Société Géologique de France, 1975.

Schlich, R., and P. Patriat, Mise en évidence $\mathrm{d}^{7}$ anomalies magnétiques axiales sur la branche ouest de la dorsale médio-indienne, C. R. Acad. Sci., Paris, 272, 700-703, 1971.

Sclater, J. G., R. N. Anderson, M. L. Bell, Elevation of ridges and evolution of the Central East Pacific, J. Geophys. Res., 76, 7888-7915, 1971.

Sclater, J. G., C. Bowin, R. Hey, H. Hoskins, J. Peirce, J. Phillips, and C. Tapscott, The Bouvet triple junction, J. Geophys. Res, , 81, 1857-1869, 1976.

Sclater, J. G., B. P. Luyendyk, and L. Meinke, Magnetic lineations in the southern part of the Central Indian Basin, GeoI. Soc. Amer. Bull., 87, 371-378, 1976.

Solomon, S. C., Shear-wave attenuation and melting beneath the Mid-Atlantic Ridge, J. Geophys. Res., 78, 6044-6059, 1973.

Solomon, S. C., and N. H. Sleep, Some simple physical models for absolute plate motions, J. Geophys. Res, , 79, 2557-2567, 1974.

Solomon, s C., N. H. Sleep, and D. M. Jurdy, Mechanical models for absolute plate motions in the early Tertiary, J. Geophys. Res., 82, 203-212, 1977.

Solomon, S. C., N. H. Sleep, and R. M. Richardson, On the forces driving plate tectonics: inferences from absolute plate velocities and intraplate stress, Geophys. J. R. Astr. Soc., 42, 769m02, 1975. Stauder, W., The Alaska earthquake of July 20, 1958: Selsmic studies, Bu11. Seismol. Soc. Amer., 50, 293-322, 1960.

Stauder, W., Mechanism of the Rat Island earthquake sèquence of February 4, 1965, with relation to island arcs and sea-floor spreading, J. Geophys. Res., 73, 3847-3858, 1968a.

Stauđer, W., Tensional character of earthquake foci beneath the Aleutians, J. Geophys. Res., 73, 7693-7701, 1968b.

Stauder, W., Mechanism and spatial distribution of Chilean earthquakes with relation to subduction of the oceanic plate, J. Geophys. Res., 78, 5033-5061, 1973.
Stauder, W., Subduction of the Nazca plate under Peru as evidenced by focal mechanisms and by seismicity, J. Geophys. Res., 80, 1053-1064, 1975.

Stauder, W., and G. A. Bollinger, The focal mechanism of the Alaska earthquake and its aftershocks, J. Geophys. Res., 7I, 5283-5296, 1966.

Stauder, W., and L. Mualchin, Fault motion in the larger earthquakes of the Kuril-Kamchatka arc and of the Kurii-Hokkaido corner, J. Geophys. Res., 81, 297-308, 1976.

Stein, S., H. J. Melosh, and J. B. Minster, Ridge migration and asymmetric sea-floor spreading, Earth Planet. Sci. Lett., 36, 51-62, 1977.

Stein, S., and E. A. Okal, Selsmicity and tectondcs of the Ninetyeast Ridge area: Evidence for Internal deformation of the Indian plate, J. Geophys. Res., subnitted, 1977.

Sykes, L. R., Mechanism of earthquakes and nature of faulting on the mid-ocean ridges, J. Geophys. Res., 72, 2131-2153, 1967. Sykes, L. R., Focal mechanisu solutions for earthquakes along the world rift system, Bull. Seismol. Soc. Amer. 60, 1749-1752, 1970a. Sykes, L. R., Seismicity of the Indian Ocean and a possible nascent island arc between Ceylon and Australia, J. Geophys. Res., 75, 504I-5055, 1970b.

Talwani, M., C. C. Windisch, P. L. Stoffa, P. Buh1, and R. E. Houtz, Multi-channel seismic study in the Venezuelan basin and the Curacao Ridge (abstract), Eos, Jrans. Amer. Geophys. Union, 57, 266, 1976.

Talwani, M., C. C. Windisch, and M. G. Langseth, Reykjanes ridge crest: a detailed geophysical study, J. Geophys. Res., 76, 473-517, 1971.

Tarr, A. C., World seismicity map, U. S. Geological Survey, 1974. Thatcher, W., Secular deformation, episodic movements, and relative plate motions in Southern California (abstract), Eos, Trans. Amer. Geopivs. Union, 58, 496, 1977.

Thompson, G. A.; and D. B. Burke, Rate and direction of spreading in Dixie Valley, Basin and Range Province, Nevada, Geol. Soc. Amer. Bull. : 84, 627-632, 1973.

Tobin, D. G., and L. R. Sykes, Seismicity and tectonics of the northeast Pacific Ocean, J. Geophys. Res., 73, 3821-3845, 1968. Uchupi, E., Eastern Yucatan continental margin and western Caribbean tectonics, Amer. Assuc. Petre ${ }^{1}$. Geol. Bull., 57, 1075-1085, 1973. Vdías, A., A. López Arroyo, and J. Mezcua, Seismotectonic of the AzoresAlboran region, Tectonophysics, 31, 259-289, 1976.

Van Ande1, Tj. H., D. K. Rea, R. P. Von Herzen, and H. Hoskins, Ascension fracture zone, Ascension island, and the Mid-Atiantic Ridge, =---.... -. . .... . -
Geo1. Soc. Amer. Bul1., 84, 1527-1546, 1973.
Vogt, P. R., N. A. Ostenso, and G. L. Johnson, Magnetic and bathymetric data bearlng on sea-floor spreading north of Iceland, J. Geophys. Res.: 75, 903-920, 1970.
Weber, G. E., and K. R. Lajoie, Late Pleistocene and Holocene tectonics of the San Gregorio fault zone between Moss Beach and Point Ano Nutvo, San Mateo County, California (abstract), Geol. Soc. Amer. 737:d Annual Meeting, Cordilleran section, 9, 524, 1977.

Weissel, J. K., and D. E. Hayes, Magnetic anomalies in the south-east Indian Ocean, Antarctic Oceanology II: The Australian-New Zealand Sector, edited by D. E. Hayes, Amer. Geophys. Union, Washington, D.C., pp. 165-196, 1972.

Weissel, J. K., and D. E. Hayes, The Australian-Antarctic discordance: new results and implications, J. Geophys. Res., 79, 2579-2587, 1974.

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$$

-In the interpretation of earthquake mechanisms along subduction boundaries, most authors assume that the direction of reiative plate motion is givin by the horizontai projection of the slip vector-(e.g. Paper I). If the convergence is oblique to the trench axis, this procedure yields a biased estimate of the direction of relative motion. Instead, the slip vector should be rotated into the horizontal plane, which requires correcting the slip vector azimuth by an amount $\alpha-g i v e n$ by

$$
\alpha=\operatorname{arccot}\left(\frac{\cot \left(T_{A}-T_{F}\right)}{\sin P_{F}}\right)+T_{F}-T_{A}
$$

where $T_{F}, P_{F}$, and $T_{A}, P_{A}$ are the azimuth and plunge of the poles of the fault plane and auxiifary plane, respectively.

This correction was applied to the data from the Aleutian-Kuril, South American and Tonga-Kermadec Trenches. The statistical information is summarized below:

|  | $\|\bar{\alpha}\|$ | $\bar{\alpha}$ | $\|\alpha \max \|$ |
| :--- | :---: | :---: | :---: |
| NOAR-YCFC - | $0.6^{\circ}$ | $0.3^{\circ}$ | $2^{\circ}$ |
| NAZC-SOAM | $0.9^{\circ}$ | $0^{\circ}$ | $2^{\circ}$ |
| PCFC-INDI | $1.1^{\circ}$ | $-0.9^{\circ}$ | $4^{\circ}$. |

This correction is clearly minor. Thus, as pointed out by chase (1978), omitting this correction does not give rise to a significant systematic bias in the data.

Table 1. The RM2 data set.*
 -क्ष

1\%.30 $=10 \% .40$


| 6.90 | 0.40 |
| :---: | :---: |
| 5.25 | 0.40 |
| 4.4 .3 | 0.40 |
| 10.10 | 0.40 |
| 10.40 | 0.40 |
| 10.80 | 4.40 |
| 11.00 | 0.40 |
| 14.50 | 0.40 |
| MEOE | 10.0 |
| HE4E | 3.0 |
| MTEE | 15.0 |

-0e* Coco masm east

| N+At | 15.0 | H3 TE | -7.3 | 0.032 |
| :---: | :---: | :---: | :---: | :---: |
| H30 | 10.0 | +435 | -1.4 | 0.051 |
| k49E | 10.0 | H37E | -3.1 | 0.054 |
| H3TE | 15.0 | 4.35 | $-3.5$ | C. 023 |


8

- 10.00 +17.00
4.40 $=53.00$
$17.50-8.200$
$\begin{array}{ll}14.20 & -70.00 \\ 18.70 & -71.00\end{array}$
14
$\begin{array}{ll}85.27 & -49.24 \\ 18.40 & -85.40 \\ 20.40 & -81.20 \\ 14.10 & -84.70 \\ 17.70 & -81.40\end{array}$
$4 \quad 2.30=90.30$

| 2.30 | - 94.80 |
| :---: | :---: |
| 2.40 | -4t.70 |
| 2.30 | - 4.00 |
| 2.40 | -44.00 |
| 2.40 | -43.00 |
| 9. 70 | -87.00 |
| 0.40 | - 14.10 |
| 9.10 | $-16+09$ |
| 0.10 | - $\$ 1.00$ |
| 3.30 | - ${ }^{-1.20}$ |
| 1-40 | -44.30 |
| 2480 | -14.40 |
| 7.00 | - 90.30 |

5.00 0.40 5.5s 0.07 t.405



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| :---: |


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ニ̈：－Tabié 1 （continued）．




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|  | －$-12400=110.30$ |
|  | －14．0d＝til． 30 |
|  | －20．00 $=111.00$ |
|  | －緟。00－112．00 |
| 7 | －1．70－1c2．40 |
|  | －4．90－503．30 |
|  | －4．00＝107．09 |
|  | －\＄3．54－112．00 |
| 54 | －4．40－145．90 |
|  | －4，50－100，50 |
|  | －4．40－105．10 |
|  | －13．30－111．30 |
|  | －29．00－144．10 |
|  | －24．90＋113．40 |
|  | －2mi90－112．70 |

－野 MAC SOM atte


| M739 | 15.0 | H292 |
| :---: | :---: | :---: |
| Mats | 10.0 | WHIE |
| 4 4．95 | 15.0 | mide |
| MBtE | 10.0 | M715 |
| H74E | 10.0 | Mrse |
| WatE | 15.0 | 4．EE |
| We9E | 15．0 | M TRE |
| M7］ | 40.0 | Mrats |
| $500 \%$ | 20.0 | M（tict |
| M475 | 20.0 | WTRE |
| M79E | 70．0 | 4780 |
| H7］ | 15.0 | mrat |
| H035 | 15.0 | N7ter |
| his ${ }^{\text {c }}$ | 20.0 | －496 |
| \＄1946 | 20.0 | H795 |
| H61 | 15.0 | H74E |
| \＄ 7 ¢ | 20.0 | H79E |
| Mate | 10.0 | H79E |
| Mat | 15.0 | H74E |
| H70E | 20.0 | H）${ }^{\text {a }}$ |
| h67E | 20.0 | M 74 |

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$T$
$-40.50-92.00$

| 7.60 | 0.80 | 4.40 |
| :---: | :---: | :---: |
| Hetige | 40．0 | ，Mast |
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| M 7 ¢ | 20.0 |  |
| Ma 9 E | 13.0 | StaE |
| Sate | 10.0 | 180 |
| W86E | 10．0 | ns ${ }^{\text {de }}$ |


$\begin{array}{r}-30.20-106.70 \\ -36.30 \\ -30.40 \\ -97.29 \\ -30.30 \\ -41.70 \\ -8.30 \\ \hline\end{array}$

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| :---: | :---: |
| － 24.40 | －174．20 |
| － 29.70 | －1Jt． 10 |
| － 30.10 | －111． 20 |
| －10．20 | －17．40 |
| －30．30 | －174．10 |
| －10．76 | －114． 10 |
| －10．70 | －1 14． 10 |
| － 30.70 | －173．60 |
| －17．20 | －1 14， 10 |
| －31．30 | －174．03 |
| －47．00 | 143．7n |
| －ttot | 133．20 |



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Table 1 (continued).



Table 2. Na Geohedron

| Plete Palr | Relativa Rotat ${ }^{\text {an }}$ Veeras* |  |  |  |  |  |  |  |  | Importance Dineribution |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0 |  |  |  |  |  |  |  | ${ }_{\square 10}$ |  |  |  |  |
|  | $\left({ }^{\circ} \mathrm{H}\right)$ | (dag) | ( $\left.{ }^{\circ} \mathrm{C}\right)$ | (deg) | (\%)Ry) | (\%/Hy) | (deg) | (deg) | (deg) | MA | T | 8 y | Tocal |
| NOAM-PCFC | 48.77 | 1.10 | -73.91 | 1.94 | 0.852 | 0.025 | 5712 | 1.30 | 2.08 | 0.405 | 0.398 | 0.694 | 1.497 |
| COCO-PCFC | 38.72 | 0.89 | -107.39 | 1.01 | 2.208 | 0.070 | s37E | 1.00 | 0.63 | 0.977 | 0.272 | 0.009 | 1.258 |
| ER2C-PCFC | 56.64 | 1.89 | -87.88 | 1.81 | 2.539 | 0.029 | H09E | 1.91 | 0.96 | 0.869 | 0.341 | 0.038 | 1.228 |
| EURR-PCFC | 60.64 | 1.04 | -78.92 | 3.04 | 0.977 | 0.027 | 5798 | 1.51 | 1.02 | 0 | 0 | 0 | 0 |
| mad-pCFC | 60.71 | 0.77 | -5.79 | 1.83 | 2.246 | 0.023 | S82S | 0.90 | 0.76 | 0 | 0 | 0.246 | 0.246 |
| AREA-PCFC | 64.67 | 0.90 | - 80.23 | 2.32 | 0.964 | 0.014 | NS22 | 1.11 | 0.75 | 1.200 | 0.811 | 0.039 | 2.050 |
| COCO- HONH | 29.80 | 1.06 | -121.28 | 2,07 | 1.489 | 0.070 | s752 | 7.84 | 0.93 | 0 | 0 | 0.165 | 0.165 |
| AFEC-MOAS | 80.43 | 1.57 | 56.36 | 35.29 | 0.258 | 0.019 | \$865 | 5.88 | 1.51 | 0.851 | 0.246 | 0.091 | 1.188 |
| EJPA-HOA4 | 65.85 | 6.17 | 132.44 | 5.06 | 0.231 | 0.015 | S14E | 6.36 | 1.39 | 2.055 | 0.626 | 0.366 | 2.047 |
| Hoxifcara | -33.83 | 9.19 | -70.48 | 2.76 | 0.219 | 0.052 | S138 | 9.42 | 0.97 | 0.952 | 1.741 | 0.253 | 2.946 |
| coco-cars | 23.60 | 2.48 | -115.55 | 2.26 | 1.543 | 0.084 | 5638 | 2.24 | 1.21 | 0 | 0 | 0.111 | 0.111 |
| 202C-CASB | 47.30 | 5.37 | -97.57 | -4.57 | 0.711 | 0.056 | S19E | 5.59 | 2.67 | 0 | 0 | 0 | 0 |
| coso-sazc | 5.63 | 1.40 | -224.40 | 2.61 | 0.972 | 0.065 | H89E | 2.60 | 1.40 | 1.829 | 0.732 | 0.076 | 2.637 |
| 8014-50A4 | 25. 57 | 7,12 | -53.82 | 6.22 | 0.167 | 0.029 | S14E | 7.22 | 5.49 | 0 | 0 | 0 | 0 |
| CARE-SOAM | 73.51 | 11.75 | 60.84 | 48.86 | 0.202 | 0.038 | S52E | 16.84 | 6.84 | 0 | 0 | 0 | 0 |
| HAZC-SONM | 59.08 | 3.76 | -94.75 | 3.73 | 0.835 | 0.034 | S05E | 3.77 | 1.90 | 0 | 0 | 0.464 | 0.464 |
| AFRC-S0AL | 66.56 | 2.83 | -37.29 | 2.65 | 0.356 | 0.010 | S08E | 2.85 | 0.99 | 2.201 | 2.100 | 0.072 | 2.381 |
| AㄴTA-SOAM | 87.69 | 1.30 | 75.20 | 79.29 | 0.302 | 0.018 | H84E | 3.22 | 1.26 | 0.167 | 0.608 | 0.283 | 1.058 |
| ItDI-AFRC | 11.27 | 0.97 | 46.02 | L. 06 | 0.644 | 0.014 | 547E | 1.24 | 0.66 | 0.843 | 1.098 | 0 | 1.941 |
| Arab-afzc | 30. 82 | 3.44 | 6.43 | 11.48 | 0.260 | 0.047 | s79E | 10.02 | 2.93 | 1.989 | 0.934 | 0.077 | 3.000 |
| AFRC-ELRA | 25. 23 | 4.25 | -21.19 | 0.98 | 0.104 | 0.036 | 501E | 4.25 | 0.89 | 0 | 0.783 | 1.167 | 1.950 |
| EtUI-Etika | 19.71 | 1.40 | 38.46 | 2.66 | 0.698 | 0.024 | 565E | 2.72 | 0.94 | 0 | 0 | 0 | 0 |
| Arda-EURA | 29.82 | 2.33 | -1.64 | 9.57 | 0.357 | 0.054 | S85E | 8.33 | 2.45 | 0 | 0 | 0 | 0 |
| Indi-arab | 7.08 | 2.15 | 63.86 | 2.30 | 0.469 | 0.066 | SSIE | 2.51 | 1.89 | 0 | 0 | 0 | 0 |
| Mazc-atita | 43.21 | 4.50 | -95.02 | 3.28 | 0.605 | 0.039 | Sole | 4.50 | 2.39 | 0.246 | 0.058 | 0.222 | 0.526 |
| AFRC-AATA | 9.46 | 3.77 | -41.70 | 3.55 | 0.149 | 0.009 | Scize | 4.93 | 1.45 | 0.697 | 1. 243 | 0.195 | 2.135 |
| Itint-ANTA | 18.67 | 1.16 | 32.74 | 1.41 | 0.673 | 0.011 | S62E | 1.39 | 1.10 | 2.012 | 0.135 | 0.025 | 1.172 |
|  |  | - |  |  |  |  |  |  | Totals | 14.273 | 11.134 | 4.593 | 30.000 |


*Wine signa error ellipaes are specified by the azimuth of the major axio max lengeha of che exes are geocentric angles.

Table 3. Bent-fitelng angulat volocity vectora for individunl plate boundarieg,"


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Table 6. A compariaon betwoen hotapot data and obsoluta motion adala.



Teble 7. Model AHI-2

| Plact | Abooluta Rotation Fector |  |  |  |  |  | Exror Eilippe |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | ${ }^{0}{ }^{0}$ | $\begin{gathered} \sigma_{0} \\ \left(d_{g}\right) \end{gathered}$ |  |  | $\left.i^{0} / \mathrm{Hy}\right)$ | $0^{0}{ }^{\sigma_{H y}}$ | $\begin{gathered} \operatorname{ctax} \\ (\mathrm{deg}) \end{gathered}$ | $\begin{gathered} \sigma_{\tan } \\ (\operatorname{deg}) \end{gathered}$ | $\begin{aligned} & \sigma_{\tan } \\ & (\mathrm{deg}) \end{aligned}$ |
| AFAC | 18. 76 | 33.93 | -21.76 | 42.20 | 0.139 | 0.055 | S73E | 40.65 | 33.24 |
| AIIA | 21.85 | 91.81 | 75.55 | 63. 20 | 0.054 | 0.091 | H17E | 93.01 | 56.12 |
| 人LAB | 27.29 | 12.40 | -3.94 | 18.22 | 0.388 | 0.067 | S76E | 16.38 | 12.11 |
| Chres | -42,80 | 19.20 | 66.75 | 40.98 | 0.129 | 0.104 | N30E | 43.21 | 23.90 |
| coco | 21.89 | 3.08 | -115.71 | 2.81 | 1.422 | 0.119 | 532E | 3.35 | 2.25 |
| EURA | 0.70 | 124.35 | -23.19 | 146.67 | 0.038 | 0.057 | 567 E | 251.10 | 118.90 |
| INDI | 19.23 | 6.96 | 35,64 | 6.57 | 0.716 | 0.076 | 525E | 7.16 | 5.97 |
| HA2C | 47.99 | 9.36 | -93.81 | 9.14 | 0.585 | 0.097 | S0.E | 9.37 | 5.43 |
| HOAH | -58.31 | 16.21 | -40.67 | 39.62 | 0.247 | 0.080 | S57E | 23.12 | 12.14 |
| PCFC | -61.66 | 5.11 | 97. 19 | 7.71 | 0.967 | 0.085 | S16E | 5.23 | 3.50 |
| SOAH | . -82.28 | 19.27 | 75.67 | 85.88 | D. 285 | 0.084 | H03E | 19.28 | 11.38 |

Table 8. Absoluce motion models.

| Kodel | Kinewneical Condition | Pacific <br> 눙․ <br> (N) | HoEntion Lgng(E) | $\begin{gathered} \text { Vector } \\ \text { Rate } \\ \left({ }^{\circ} / \mathrm{Hy}\right) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: |
| AY0-2 | Ho qet rotationt | -62.93 | 111.50 | 0.736 |
| Ar2-2 | Dege fic to hotapot dstm | -61. 67 | 97. 19 | 0.967 |
| 14표-2 | African plate fixed | -59.15 | 109.60 | 1.043 |
| A43-2 | Curibbent plate fixed | -63.52 | 104.45 | 0.853 |

## Figure Captions

Figure 1. Plate geometry and geographical distribution of the data used in producing model RM2, Circles indicate seafloorspreading rates, squares represent transform faults, and triangles slip vectors. Seven EURA-NOAM data at high latitudes are not shown on the figure.

Figure 2. RM2 geohedron (stereo pair). The geohedron depicts relative motions in angular velocity space (McKenzie and Parker, 1974). Individual plates correspond to vertices. The $z$ axis coincides with the rotation axis of the earth, the x axis is along the Greenwich meridian. Vectors representing the three reference axes have a magnitude of $0.3^{\circ} / \mathrm{My}$. Open circle is coordinate origin for AMO-2. Closed circle is coordinate origin for AM1-2.

Figure 3. Histograns of normalized residuals for each data type, with sample size, sample mean and sample variance. The theoretically ideal Gaussian distributions with zero mean and unit variance are shown for comparison. Shaded area in lower histograms represents residuals for Aleutian and Kuril slip vectors, which show negative bias.

Figure 4. Poles for model RM, with their 95 pucent (20) conidence ellipses. RMI poles and best fisting poles where available (BFP, Table 3) are also shown.

Figure 5. See Figure 4.
Figure 6. See Figure 5

Figure 7. In Figures 7 - 20, data and models are shown as residuals with respect to the predicted values calculated from the best fitting angular velocity vectors. Azimuths are measured in degrees in a counterclockwise direction, rates are in centimeters per year. Data symbols are the same as in Figure 1. Error bars are the subjective error bars listed in Table 1. The solid lines represent model RM2 (this stuay) and the dashed lines represent model RAll (Paper I). Here the dashed-dotted line corresponds to the Bering-Pacific pole determined in Paper I.

Figure 8. See Figure 7.
Figure 9. See Figure 7.
Figure 10. See Figure 7.
Figure 11. See Figure 7.
Figure 12. See Figure 7.

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Figure 13. See Figure 7.
Figure 14. See Figure 7.
Figure 15. See Figure 7.
Fipu:e 16. See Figure 7.




Figure 19. See Figure 18.
Figure 20. See Figure 18.




Transform Faults
$n=78$


Figure 3.


Figure 4.

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Figure 5.


Figure 6.


Figure 7.


Figure 8.


Figure 9.


Longitudo, deg E .
Figure 10.


EURA-NOLM


Figure 13.


Figure 14.






Figure 20.


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