PROPAGATION AND NUCLEOSYNTHESIS OF ULTRAHEAVY COSMIC RAYS

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The observed fluxes of c.r. uitraheavy 1. Introduction. elements depend on their charge / and mass/ spectrum at the sources and on the propagation effects, namely on the distribution of path lengths traversed by the particles on their way from the sources to the observation point. We shall analyse the effect of different path length distributions /p.l.d./ on the infered source abundances. It seems that it is rather difficult to fit a reasonable p.l.d. so that the obtained source spectrum coincides with the Solar System /SS/ abundances in more detail. It suggests that the nucleosynthesis conditions for c.r. nuclei may differ from that for 3S matter. So we shall calculate the nucleosynthesis of ultraheavy elements fitting its parameters to get the c.r. source abundances. We shall see that it is possible to get a very good agreement between the predicted and "observed" source abundances.

To analyse the effect of p.l.d. on the 2. Propagation. obtained source charge spectrum we have used two quite different path distributions - the leaky box one /exponential/ and the distribution obtained for the source located in the Galactic Centre /1/f(x)=Ax(x²+x²) 1/2. The parameters A and Xo have been adjusted so to fit the lower charge /2426/c.r. data, and for the leaky box X=5g/cm² of H was adopted. The weighted mean fluxes observed by the both ultraheavy experiments Ariel VI /2/ and HEAO 3 /3/ were propagated back to the sources using the Silberberg and Tsao fragmentation cross-sections. The resulting source abundances normalised to Fe are presented on fig. 1. The error bars contain the experimental errors, the assumed 50% and 3% uncertainties for the partial and total cross-sections respectively. As the fragmentation process has a stronger effect for Galactic Centre /G.C./ p.l.d. /more longer paths than shorter ones for $x \leq 3g/cm^2$ / than for the leaky box model, the G.C. abundances are a little less smoothly distributed. highest Z elements are also more abundant for G.C. model as they are depleted more effectively than iron by longer patts. However the differencies between the two histograms mostly within the error bars.

The two assumed p.l.d.'s can, in a sense, be considered as two limiting cases: one /l.b./ corresponding to the sources very close to us, the other - to the sources as far as the Galactic Centre. Comparing both histograms with the Solar System abundances /4/, drawn also on fig.1., it is seen that changing p.l.d. rather drastically does not lead to any better agreement with the SS curve, although the overall shapes are remarkably similar, as has been known

OG 7.1-5 for some time. Even taking into account the first ionisation potential /FIP/ does not help much /e.g./5// as it does for lower elements $/2 \lesssim 28/$, where the c.r. source abundances are rather well explained by SS+FIP /6/. As it is seen has been already known/ the c.r. source abundances differ from the SS ones in the following: bigger Pt/Pb ratio / although the experimental errors are large/, overabundance of rare earth elements /58 Z Z 2/, underabundance of Z > 84 /although very big errors/, overabundance of Kr /Z=36/ and the 50 \(Z \) \(54 \) elements. In the following we shall investigate whether these discrepancies could be explained by different nucleosynthesis conditions.

3. Nucleosynthesis and results. The shape of the Pt-Pb peak and the presence of $Z \gtrsim 90$ events suggest that the rapid neutron capture process may play an important role in the synthesis of the highest Z elements. The neutron densities in the r-process nucleosynthesis region are usualy assumed so high that the A distribution for an element of a given Z, N(A,Z), reaches very quickly an equilibrium state. This is described by the formula /7/

 $\frac{N(A+1,Z)}{N(A,Z)} = \frac{\omega(A+1,Z)}{\omega(A,Z)} \left(\frac{A+1}{A}\right)^{3/2} n_{m} 2\left(\frac{2\pi t}{M kT}\right)^{-3/2} \exp\left[\frac{Q(A+1,Z) - Q(A,Z)}{kT}\right] / i /$

All isotopes slowly leak out from the given Z value because of the β -decay, so we have

 $\frac{dN(z)}{dt} = \langle \lambda_{\beta} \rangle_{z-1} N(z-1) - \langle \lambda_{\beta} \rangle_{z} N(z) + \text{spontaneus fission and other decays}$ where $\langle \lambda_{\beta} \rangle_{z} = \sum_{i=1}^{n} \lambda_{\beta} (A_i z) \cdot p(A_i z)$; $p(A_i z) - \text{determined from /i/.}$ Assuming the initial conditions /only Fe at t=0/ we can solve /ii/ for N(z,t). Having these we can find $N(A_i t)$

 $N(A,t)=\sum_{z}N(A,z,t)$, where $N(A,z,t)=N(z,t)\cdot p(A,z)$ /iii/ If the synthesis stops at the time t, nuclei come to the stability valley mainly by β -decay, not changing their A, contributing to the lowest Z(A) stable isotope. To get the position of the maxima in the abundance curve coincide with the "experimental" data /particulary the Pt peak/ the temperature $T=2.75\cdot 10^9$ kand neutron density $n_m=10^{30}$ cm have been fitted. Any other /T, n_m / set giving the same N(A+1,Z)/N(A,Z) gives the same results, e.g. $n_m=10^{29}$ cm and $T=2.32\cdot 10^9$. Switching the r-process off after any single time will not reproduce the data. So we have assumed a simple form of a continuous time distribution $f(t) \sim e^{-t/t}$ for $t > t_4$ and f(t) = 0 for $t < t_4$ with $t_0 = 6s$ and $t_4 = 3s$. The truncation of short times was necessary to keep down the peak at Z = 52 and the width to assures the right abundances of Pb and U. culate $S_{n} = Q(A+1,Z)-Q(A,Z)$ we have used the Myers-Swiatecki mass law and \$\lambda_6\$ were calculated according to \$\lambda 9 \rangle\$. The obtained A distribution together with the GC source abundances presented on fig. 2. Total amount of Fe nuclei processed the r-process equals to the 4.3.10.5 fraction of Fe in c.r. sources. We can see that all the abundances for Z > 60 be described by the r-process nucleosynthesis within error-bar limits.

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For lower Z the slow neutron capture process must dominate.

This is described by the equation

(N(A) = 1144 N = 1144 N

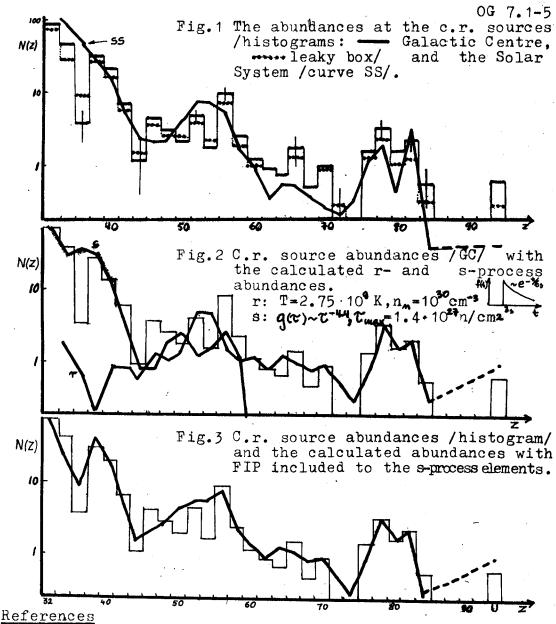
 $\frac{dN(A)}{dT} = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A-A) - \int_{A} N(A) + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A) - A + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A-A} N(A) - A + \alpha \cdot decay \text{ term for } A > 209$ where $T = \int_{A} N(A) - A + \alpha \cdot decay \text{ term for } A > 209$ in the effective cross-sections for neutron capture at a given term for T = A and T = A and

N(A) = $\int_{N(A,T)} a(T) dT$ corresponding to a particular Z with the c.r. data. Allen et al. fitted a power law $a(T) \sim T^{-4.4}$ for the SS material, with a cut-off for $T_{max}=1.84\cdot 10^{24}$ n/cm². We have assumed the same functional form $T_{max}=1.84\cdot 10^{24}$ n/cm² we have assumed the same functional form $T_{max}=1.84\cdot 10^{24}$ n/cm² has to be adopted. The result is presented on fig. 2. There are $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented on fig. 2. There are $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented on fig. 2. There are $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented on fig. 2. There are $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented on fig. 2. There are $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented abundances the first ionization potential effect /FIP/. We have applied the form $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The first ionization potential effect /FIP/. We have applied the form $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented abundances the first ionization potential effect /FIP/. We have applied the form $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented abundances abundances abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented in the second abundances abundances abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The result is presented in the second abundances abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to be adopted. The second is abundances for $T_{max}=1.4\cdot 10^{24}$ n/cm² has to

4. Discussion. Bearing in mind that the experimental uncertainties are rather large, that the c.r. fluxes of volatile elements /including Xe/ may be suppressed and that the adopted GC path length distribution gives deeper minima and higher maxima in the abundance curve, we find that the agreement between the c.r. data and the predicted abundances is very good. With only a few parameters in our nucleosynthesis model it is quite interesting. Of course, the GC p.l.d. is not crucial here - one would get similar nucleosynthesis parameters adopting the leaky box model.

We have also calculated the superheavy /SH/elements formed in the r-process. The predicted flux ratio SH/U-group $\simeq 0.005$ may be compared with an experimental results 0.01 ± 0.005 /11/ However Schramm et al. /12/ gets SH/U=0.0014 using a slightly different mass law which shows that the calculations are very sensive to the way of extrapolating the mass formula to the expected stability island at $Z \sim 114$, and our agreement may be coincidental.

The role of the r-process in synthetizing cosmic rays is, according to our model, more important than for the SS material, giving all nuclei for Z>60. To determine whether it is true or not, we have probably to wait for precise measurement of even and odd Z fluxes and, what is more desirable but also much more difficult, for measurements of isotopic composition of ultraheavies.



1. Giler, M. and Wibig, T., 1983, 18th ICRC/Bangalore/ 9,301
2. Fowler, P.H. et al., 9th Eur. C.R. Symp. Kosice, 1984
3. Binns, W.R. et al., 1983, 18th ICRC /Bangalore/ 9, 106, Fixen, D.J. et al., ib., 119, Stone, E.C. et al., ib., 115
4. Cameron, A.G.W., in "Essays in Nuclear Astrophysics" ed. C.A. Barnes et al., 1982, Cambr. Univ. Press
5. Giler, M. and Wibig, T., 1984, Acta Univ. Lodz, Folia Physica 7
6. Casse, M. and Goret, P., 1978, Ap. J., 221, 703
7. Burbidge, E.M. et al., 1957, Rev. Mod. Phys., 29, 547
8. Myers, W.D. and Swiatecki, W.J., 1966, Nucl. Phys., 81, 1
9. Kodama, T. and Takahashi, K., 1975, Nucl. Phys., A239, 489
10. Allen, B.J. et al., 1971, Adv. Nucl. Phys., 4, 205
11. Yadov, J.S. et al., 1983, 18th ICRC /Bangalore/ 2, 38

12. Schramm, D.N. and Fowler, W.A., 1971, Nature, 231, 103