

cSc

# Interaction Dynamics and Control for Orbital Assembly

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Very simplistic model. Good starting point. Should we gather along at 3rd annual review.

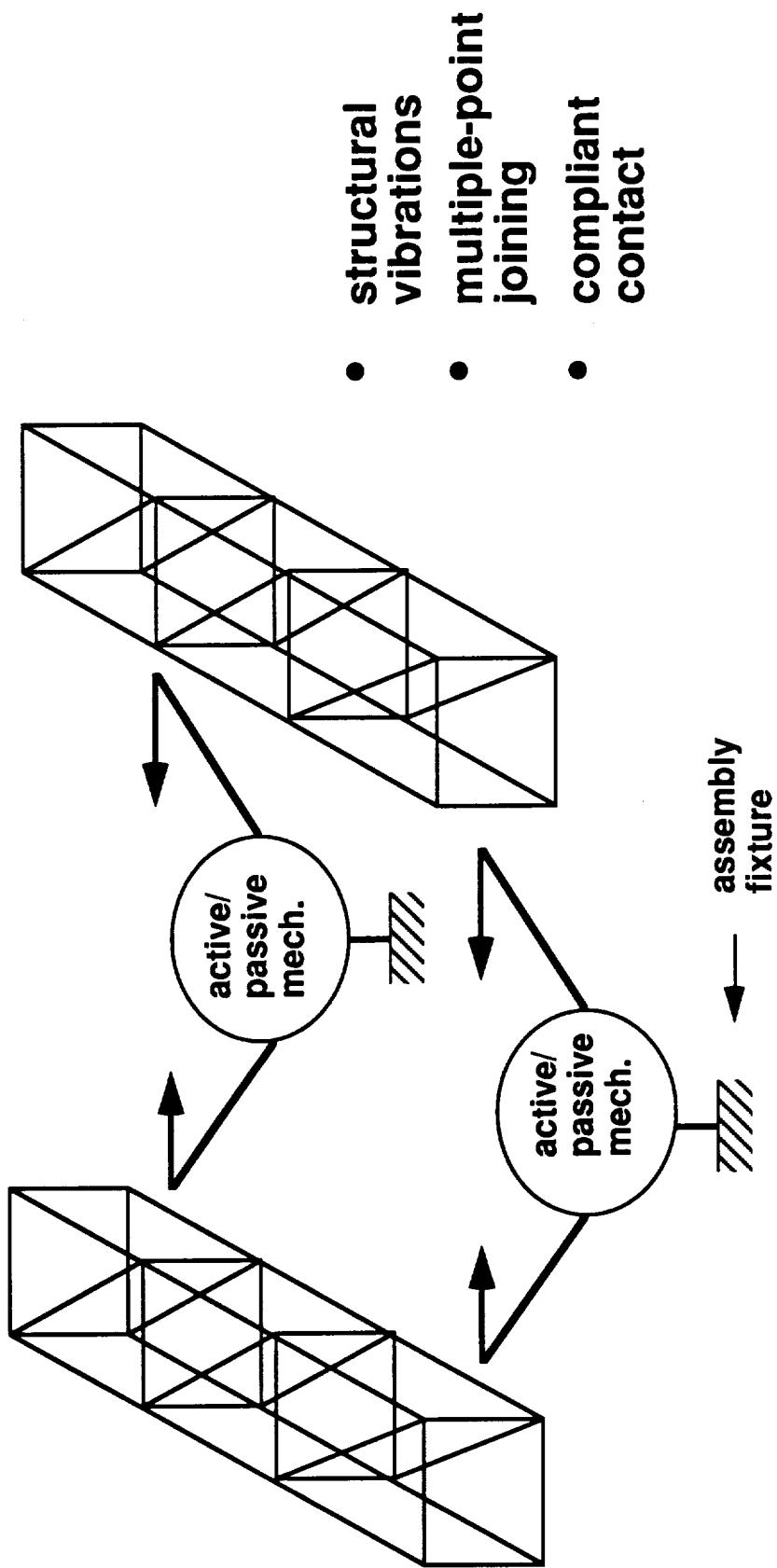
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159323

Third Annual Symposium  
November 21 & 22, 1991



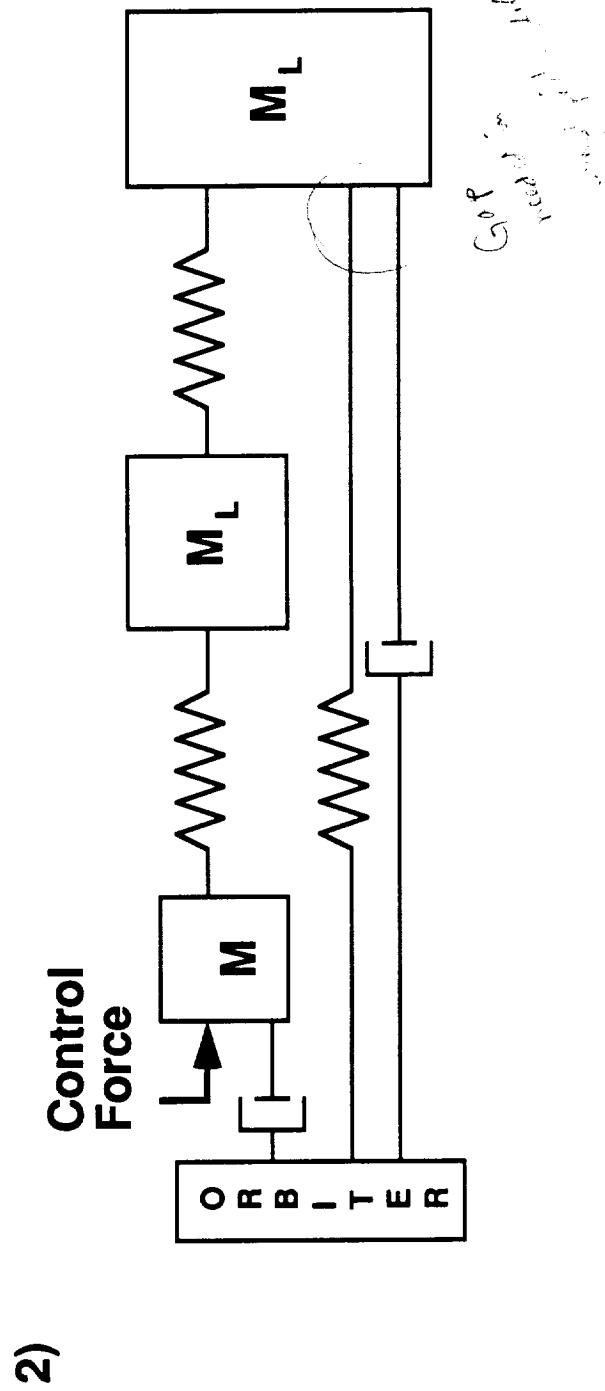
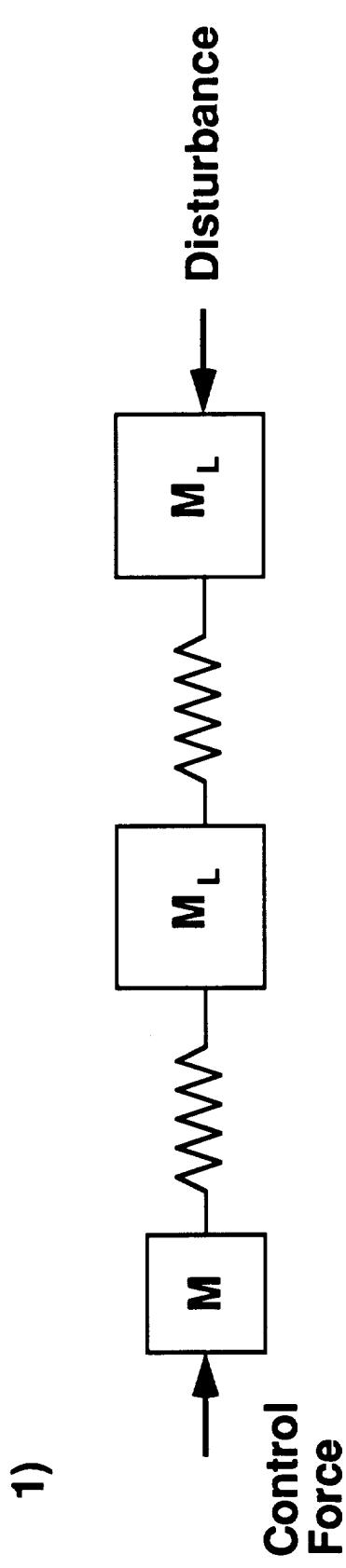
# Dynamics and Control Problems of Joining Structures in Orbit

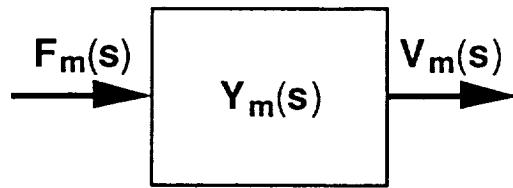


## **BASIC PROBLEMS**

- 1. How will a payload controlled by active positioning devices interact dynamically with its environment?**
- 2. How can closed-loop control be designed to achieve desired interactive dynamics?**

## Spring-and-Mass Models

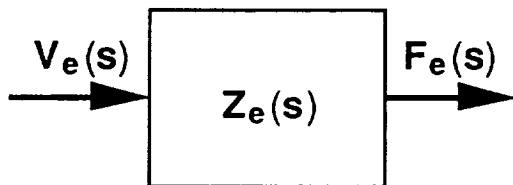




Admittance model of the manipulator.

$$\int_{t_0}^T F_m^T(t) V_m(t) dt \geq 0$$

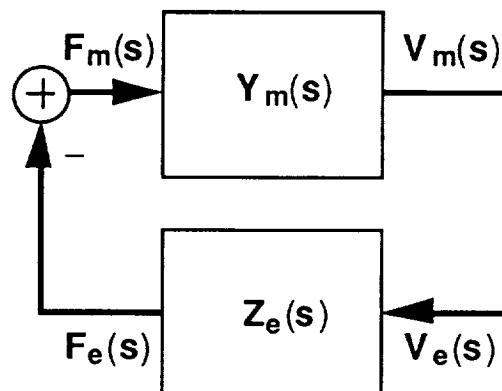
Condition for manipulator passivity



Impedance model of the environment.

$$\int_{t_0}^T F_e^T(t) V_e(t) dt \geq 0$$

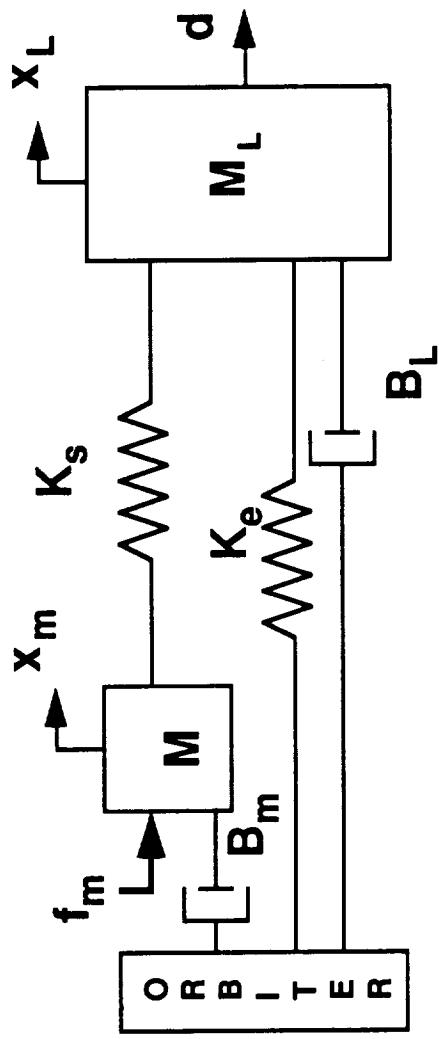
Condition for environmental passivity



Model of manipulator coupled to environment.

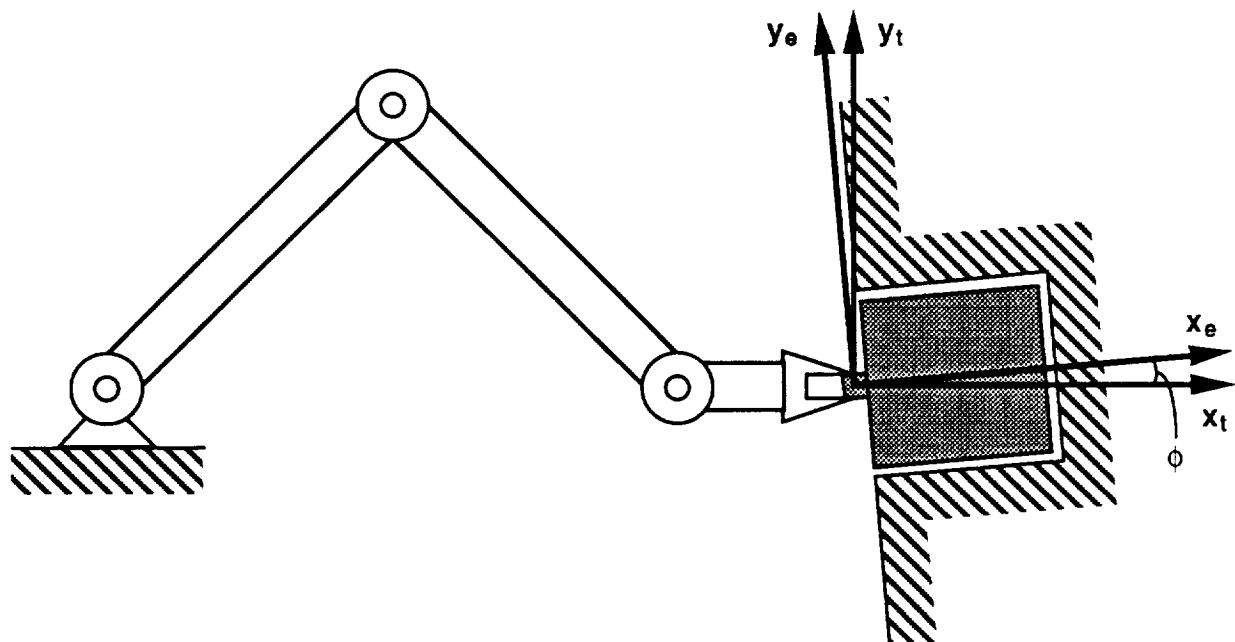
## A Simple Example

$$\begin{bmatrix} \mathbf{x}_m \\ \dot{\mathbf{x}}_m \\ \mathbf{x}_L \\ \dot{\mathbf{x}}_L \end{bmatrix} = \begin{bmatrix} 0 & 1 & 0 & 0 \\ -K_s/M & -B_m/M & K_s/M & 0 \\ 0 & 0 & 0 & 1 \\ -K_s/M_L & 0 & dK/M_L - B_L/M_L \end{bmatrix} \begin{bmatrix} \mathbf{x}_m \\ \dot{\mathbf{x}}_m \\ \mathbf{x}_L \\ \dot{\mathbf{x}}_L \end{bmatrix} + \begin{bmatrix} 0 & 0 \\ -1/M & 0 \\ 0 & 0 \\ 0 & -1/M \end{bmatrix} \begin{bmatrix} f_m \\ d \end{bmatrix}$$



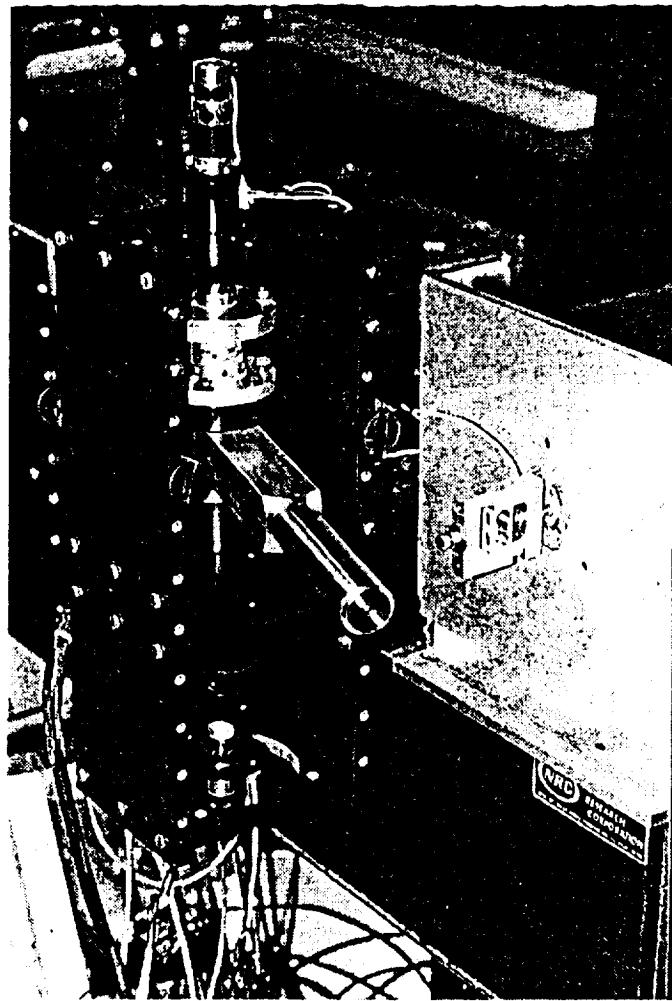
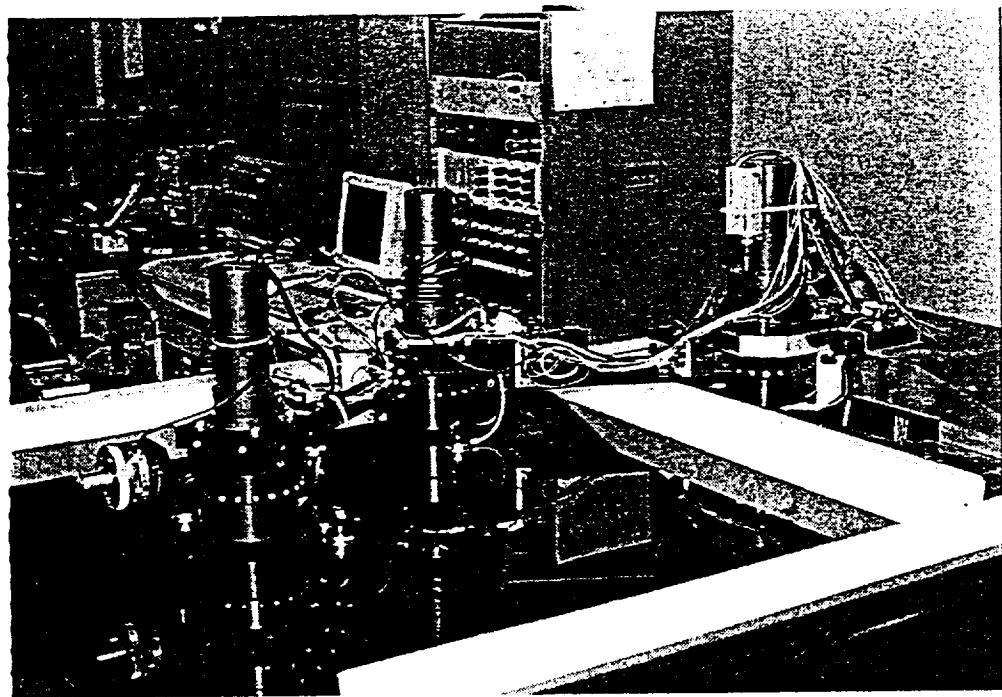
**Feedback controls:**

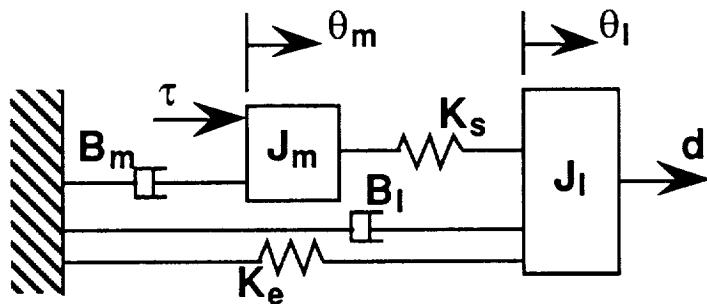
1. simple PD control
2. Torque loop
3. Impedance shaping



Removal/insertion of a misaligned module.

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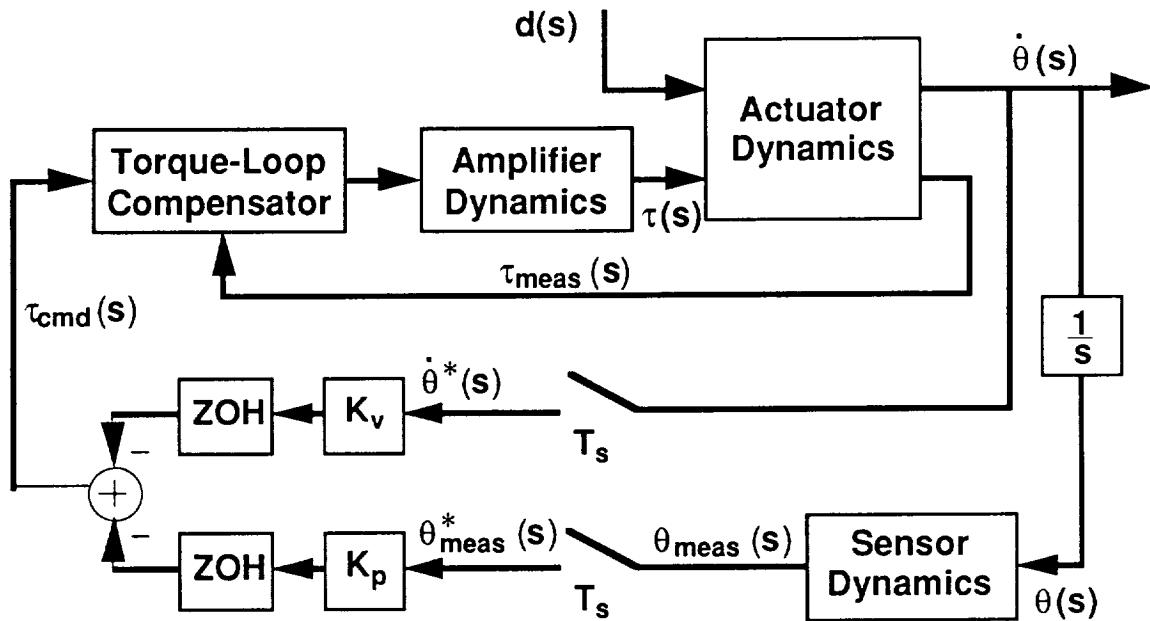




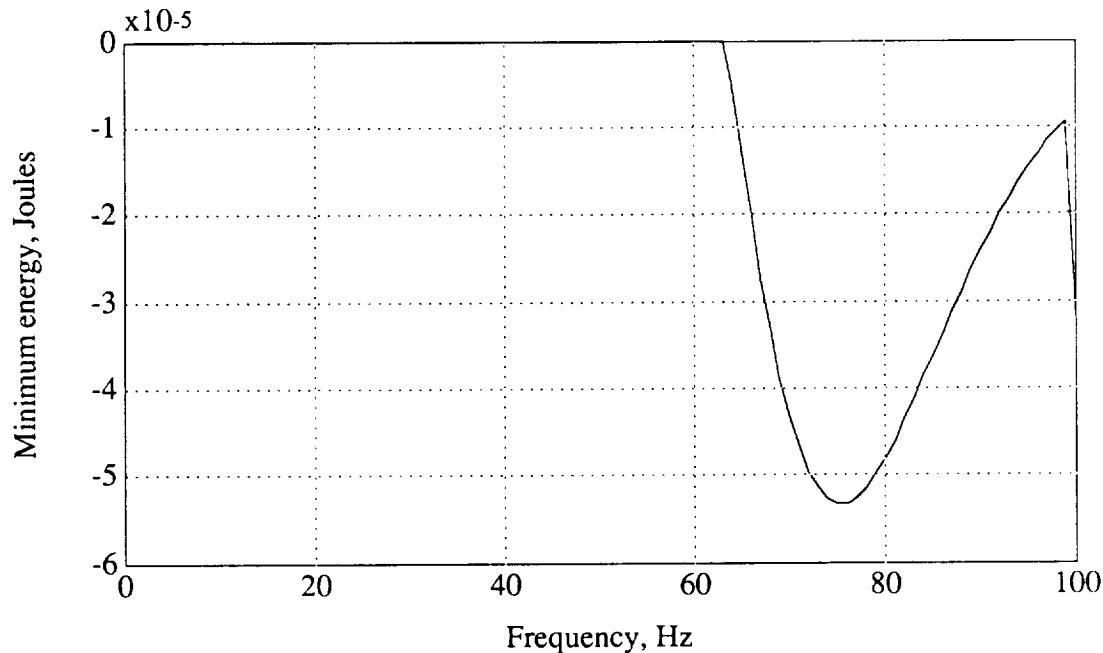
Model of a "typical" actuator.

Parameter	Value	Units
Motor Inertia, $J_m$ (reflected to output side)	0.0934	$\text{kg-m}^2$
Motor Viscous Damping, $B_m$ (reflected to output side)	3.4	$\text{N-m}/(\text{rad/s})$
Harmonic Drive Stiffness, $K_s$	1600	$\text{N-m/rad}$
Load Viscous Damping, $B_l$	0.7	$\text{N-m}/(\text{rad/s})$
Representative Load Inertia, $J_l$	0.64	$\text{kg-m}^2$
Gear Ratio	100:1	N/A

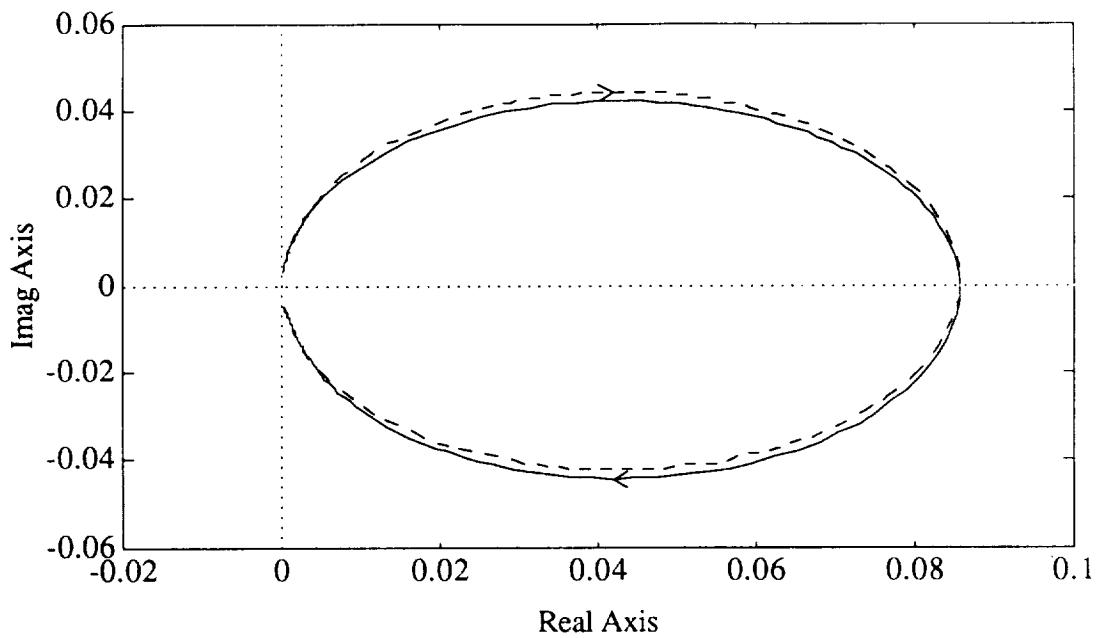
Representative Actuator Parameters



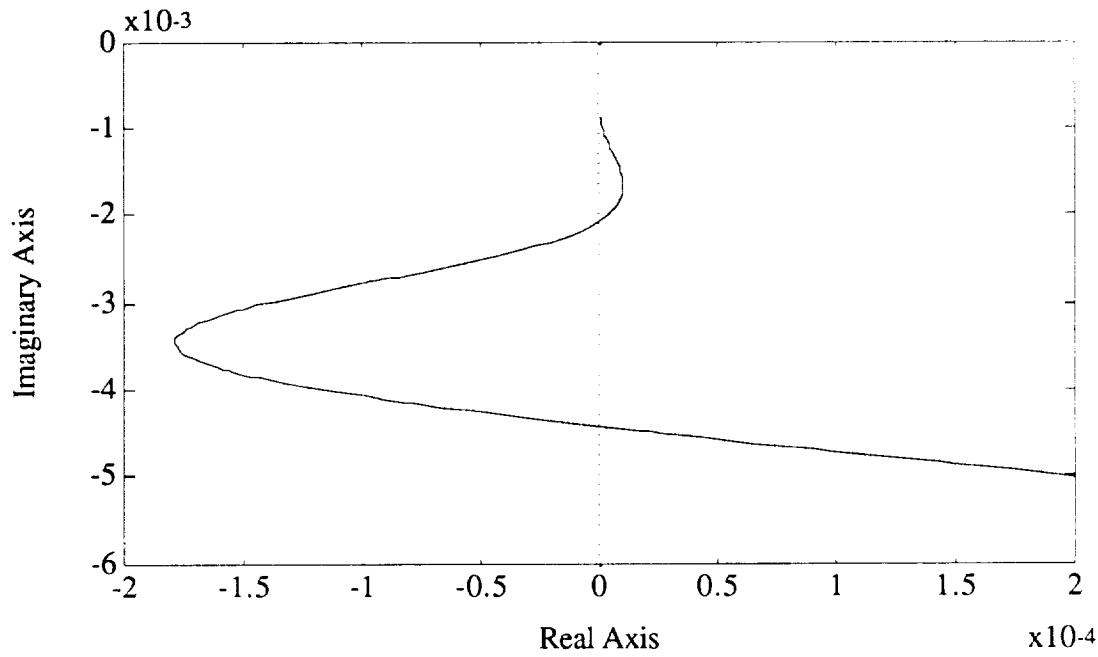
Moderate fidelity model of PD position-controlled actuator.



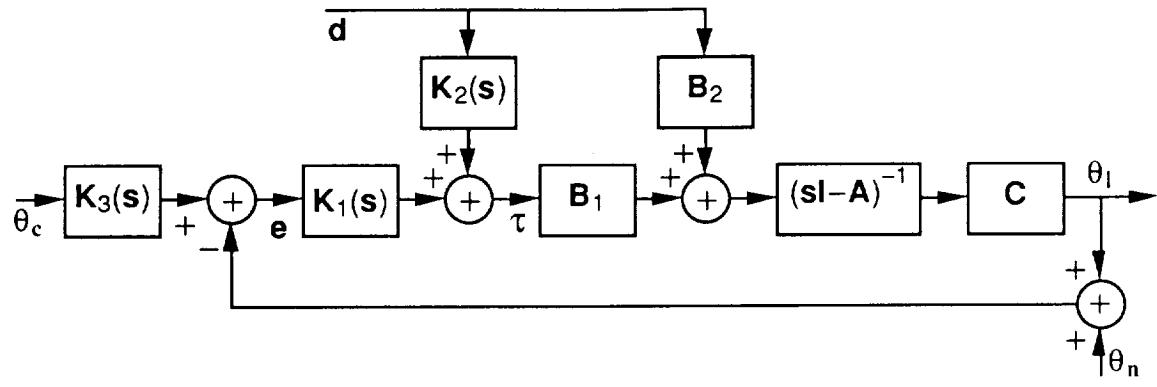
Minimum total energy delivered to the system over 1 second for a 1 N-m amplitude sinusoid disturbance torque (100 Hz bandwidth torque loop, 100 Hz bandwidth sensor dynamics, 1000 Hz bandwidth amplifier dynamics, 200 Hz sample rate,  $K_p=116$ ,  $K_v=12.5$ )



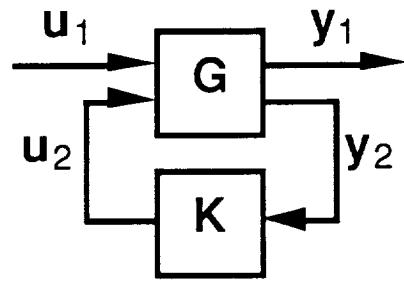
Nyquist diagram of the admittance response for the PD position-controlled actuator (sampling and ZOH modeled by time delay of half the sampling period).



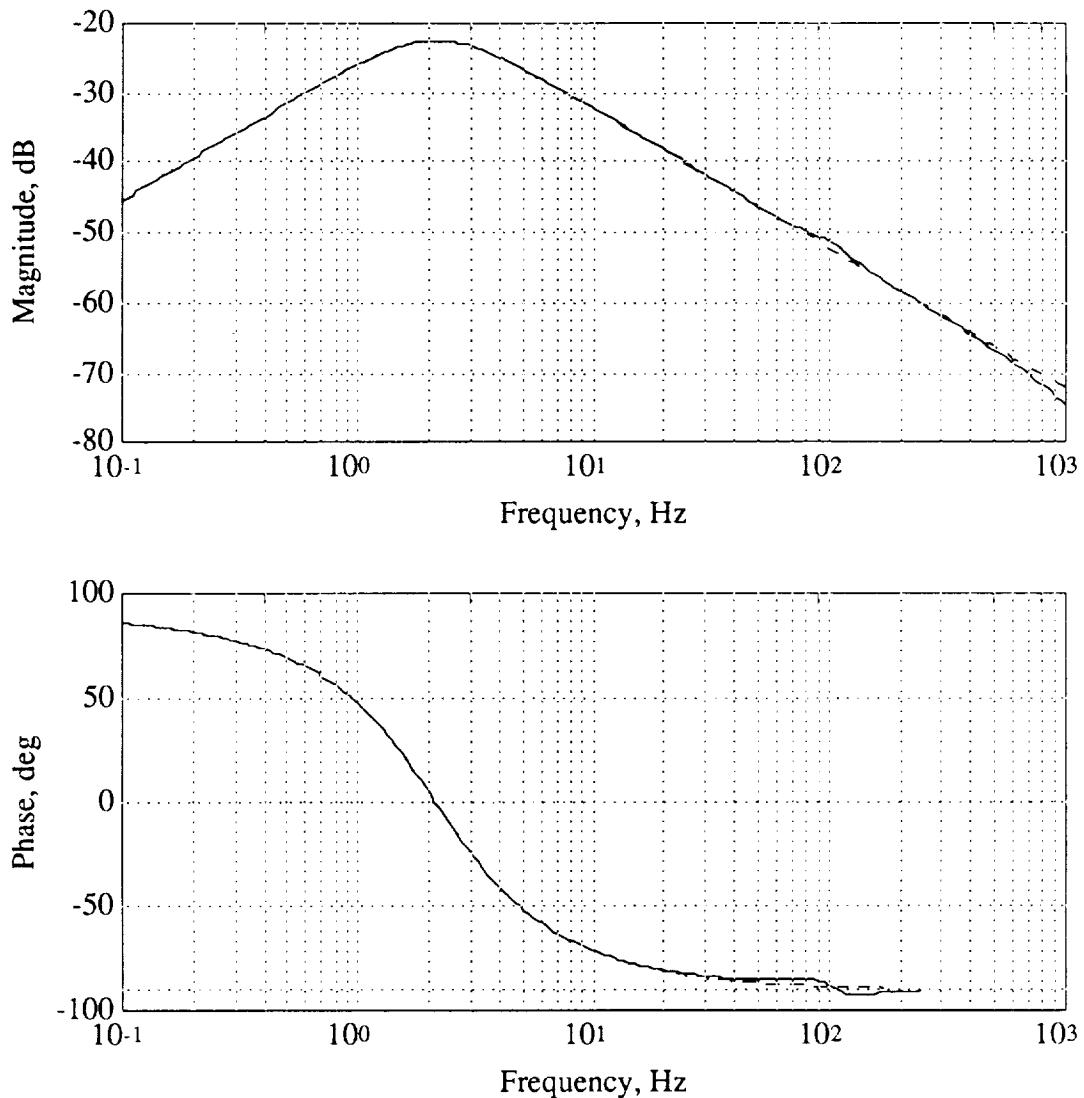
Nyquist diagram of the admittance response above 50 Hz for the PD position-controlled actuator (sampling and ZOH modeled by time delay of half the sampling period).



Generalized Actuator Control Block Diagram.



Standard  $H_\infty$  minimization problem.



Achieved (solid line) and target (dashed line) admittance responses for example  $H_\infty$  design using  $K_1(s)$ .

## Conclusions

- 1. Absolute passivity is not practical as a design goal for the active devices which bring the structural payloads into contact.**
- 2. A method has been developed for estimating the environment stiffness above which the operation of attachment may become unstable.**
- 3. Preliminary results have been obtained in a procedure for feedback control design to achieve desired contact compliance.**

