Experimental and Computational Investigations of Phase Change Thermal Energy Storage Canisters

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ABSTRACT

Two sets of experimental data were examined in this paper, ground and space experiments, for cylindrical canisters with thermal energy storage applications. A 2-D computational model was developed for unsteady heat transfer (conduction and radiation) with phase-change. The radiation heat transfer employed a finite volume method. The following was found in this study: 1) Ground Experiments, the convection heat transfer is equally important to that of the radiation heat transfer; Radiation heat transfer in the liquid is found to be more significant than that in the void; Including the radiation heat transfer in the liquid resulted in lower temperatures (about 15 K) and increased the melting time (about 10 min.); Generally, most of the heat flow takes place in the radial direction.

2) Space Experiments, Radiation heat transfer in the void is found to be more significant than that in the liquid (exactly the opposite to the Ground Experiments); Accordingly, the location and size of the void affects the performance considerably; Including the radiation heat transfer in the void resulted in lower temperatures (about 40 K).

1. Nomenclature

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
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<tbody>
<tr>
<td>A</td>
<td>surface area</td>
</tr>
<tr>
<td>c</td>
<td>material specific heat</td>
</tr>
<tr>
<td>D_c</td>
<td>directional cosine</td>
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<tr>
<td>e</td>
<td>enthalpy</td>
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<tr>
<td>g</td>
<td>gravitational acceleration</td>
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<tr>
<td>H_m</td>
<td>PCM heat of fusion</td>
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<tr>
<td>h</td>
<td>heat transfer coefficient</td>
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<tr>
<td>I</td>
<td>radiative intensity</td>
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<tr>
<td>I_b</td>
<td>blackbody intensity</td>
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<tr>
<td>k</td>
<td>thermal conductivity</td>
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<tr>
<td>N_u</td>
<td>Nusselt number</td>
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<tr>
<td>q</td>
<td>heat flux</td>
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<tr>
<td>r</td>
<td>radial coordinate</td>
</tr>
<tr>
<td>r</td>
<td>position vector</td>
</tr>
<tr>
<td>S</td>
<td>radiative source function</td>
</tr>
<tr>
<td>S_m</td>
<td>modified radiative source function</td>
</tr>
<tr>
<td>s</td>
<td>direction vector</td>
</tr>
<tr>
<td>T</td>
<td>temperature</td>
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<tr>
<td>T_o</td>
<td>cooling fluid inlet temperature</td>
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<tr>
<td>T_f</td>
<td>cooling fluid temperature</td>
</tr>
<tr>
<td>T_m</td>
<td>PCM melting point</td>
</tr>
<tr>
<td>t</td>
<td>time</td>
</tr>
<tr>
<td>u</td>
<td>overall heat transfer coefficient</td>
</tr>
<tr>
<td>V</td>
<td>volume</td>
</tr>
<tr>
<td>v</td>
<td>velocity of the liquid PCM</td>
</tr>
<tr>
<td>x_f</td>
<td>PCM quality = e / H_m</td>
</tr>
<tr>
<td>z</td>
<td>axial coordinate</td>
</tr>
<tr>
<td>z_rad</td>
<td>z-coordinate of the radiator emitting surface</td>
</tr>
<tr>
<td>α</td>
<td>absorption coefficient</td>
</tr>
<tr>
<td>β</td>
<td>extinction coefficient</td>
</tr>
<tr>
<td>β_m</td>
<td>modified extinction coefficient</td>
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<tr>
<td>ρ</td>
<td>density</td>
</tr>
<tr>
<td>ε</td>
<td>emissivity</td>
</tr>
<tr>
<td>Φ</td>
<td>scattering phase function</td>
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<tr>
<td>σ</td>
<td>scattering coefficient</td>
</tr>
<tr>
<td>Ω</td>
<td>solid angle</td>
</tr>
<tr>
<td>b</td>
<td>bottom</td>
</tr>
<tr>
<td>E</td>
<td>finite volume to the right of the control volume</td>
</tr>
<tr>
<td>eff</td>
<td>effective</td>
</tr>
<tr>
<td>L</td>
<td>liquid</td>
</tr>
<tr>
<td>m</td>
<td>metal</td>
</tr>
<tr>
<td>mz</td>
<td>mushy zone</td>
</tr>
<tr>
<td>o</td>
<td>outer</td>
</tr>
<tr>
<td>rad</td>
<td>radiative</td>
</tr>
<tr>
<td>s</td>
<td>solid</td>
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<td>t</td>
<td>top</td>
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2. Introduction

Freezing and melting due to heat transfer take place in different engineering applications. At present time, phase-change phenomena have become an indispensable part of many processes, for example, manufacturing of glass crystals, and metal alloys, casting processes, food preservation and cryopreservation of biological cells, just to name a few. A recent review of the freezing and melting process was provided by Yao and Prusa (1989). On the other hand there are several engineering applications which involve energy demand at a later period than its supply, which requires a thermal storage system. The choice of an appropriate storage system is most frequently between using a Sensible Heat Storage (SHS) material and Phase-Change Material (PCM). A review of the two systems has been provided by Beasley and Clark (1984). Investigations of PCM systems have been provided by Beasley et al (1989), Kerslake and Ibrahim (1993), & (1994) and Adebiyi (1991). Recently more experimental data have been obtained for ground PCM system, Kerslake (1991), as well as Thermal Energy Storage (TES) experiments conducted on the Shuttle Columbia. These efforts were part of the development of Solar Dynamic Systems in space and were provided for different canister design, material, dimensions and type of salt.

Several studies were conducted to utilize the available experimental data for both the ground testing and the space ones, in order to provide a better understanding for the phase-change process. Kerslake (1991) simulated the ground experiment while Namkoong et al (1995) simulated the TES-1 space experiment. The motivation of this study is to further enhance the computational capabilities and physical understanding of the phenomena by including a proper modeling of the void in the canister. Further more, the radiation heat transfer analyses, in both the void and the PCM liquid, were improved by using a finite volume method Chai et al (1994). In this paper, a systematic approach has been taken for the modeling process. The predictions of the temperature history will be obtained with no radiation, radiation in the void, radiation in the void and the liquid. The predictions will be evaluated against the experimental data. One of these data sets were conducted at NASA Lewis Research Center (Ground Experiments), the other was part of the OAST-2 Hitchhiker payload on the Columbia Shuttle STS-62 in early 1994 (Space Experiments). Detailed information about the Ground Experiments can be found in Kerslake (1991), while those for the Space Experiments can be found in Namkoong et al (1995). The physical characteristics of the canisters used in the two experiments are given in Table I.

3. Numerical Analysis

3.1 Geometry and Boundary Conditions

3.1.1 Ground Experiments

The temperature and density distributions in the system are assumed to be axisymmetric which reduces the problem to a 2-dimensional cylindrical geometry (r,z). The geometry of the problem is shown on Figure 1. The void is considered to be in the region adjacent to the top wall, consistent with the experimental observations when the canister was in the vertical position. The volume fraction of the void is 30% of the total canister volume. The void's volume and shape are assumed to be constant.

The top and the bottom walls of the canister are insulated. Heating is provided by a heater on the outside wall. The heat flux is uniform and periodic in time. The effective heating power which is the difference of the heater power and the power of the radiative heat loses between the canister and the test chamber was computed by Kerslake (1991) and shown in Figure 2.

Cooling of the canister is provided by cooling air, flowing in the inside tube. The air inlet temperature is also provided by Kerslake (1991).

3.1.2 Space Experiments (TES1)

The geometry of the TES1 experiment is illustrated on Figure 3. Since the TES1 experiment was performed in a microgravity environment, the location of the void is controlled by the surface tension rather than the gravity force. Because of the Marangoni effect, the void tends to be in the hottest region of the canister that is the outer lower corner in this problem (Namkoong et al. (1995)). The void's volume fraction is 15%.

Again the top and the bottom sides of the canister are insulated. Heating is provided by a heater on the outside wall of the canister. Similar to the ground experiment, the effective heating power can be estimated (Figure 4). Cooling is done by radiation from the surface of a circular disk (radiator) attached to the
canister via a conductor rod. The boundaries of the rod and the radiator are insulated except for the radiating surface of the radiator.

In both experiments, the objective is to determine the temperature distribution in the system. The following four cases are considered: (1) neither the void nor the liquid PCM are transparent to the thermal radiation; (2) the void is transparent but the liquid PCM is not; (3) both the void and the liquid PCM are transparent; (4) same as case (3) but the liquid PCM absorbs the thermal radiation with an absorption coefficient of 0.84 cm\(^{-1}\).

The similarities and differences of the temperature distributions in the four cases are of a particular interest along with evaluation of the computational results against the experimental data.

3.2 Governing equations

**PCM, walls, conduction rod and radiator**

The enthalpy formulation of the heat transfer equation is used. This approach has proved to be effective for problems with solid-liquid phase change (Kerslake and Ibrahim (1993), Wichner et. al. (1988), Solomon and Wilson (1986)). The conservation of energy equation in this approach becomes:

\[
\frac{\partial}{\partial t} \left( \rho_e \right) + \nabla \cdot \left( \rho_e \mathbf{v} \right) = \nabla \cdot \left( k \nabla T + \mathbf{q}_{\text{rad}} \right) \tag{1}
\]

This approach eliminates the need to introduce an infinitely large heat capacitance in the melting region to insure the isothermal melting. The enthalpy is connected to the temperature via the constitutive equations:

\[
\begin{align*}
T_m + \frac{e}{c_s} & : e < 0 \quad \text{(solid PCM)} \\
T & = T_m + \frac{e-H_m}{c_L} : H_m < e \quad \text{( mushy PCM)} \\
T_m + \frac{e}{c_m} & : 0 \leq e \leq H_m \quad \text{(liquid PCM)} \\
T & = T_m + \frac{e}{c_m} : -H_m < e \leq 0 \quad \text{(metal parts)}
\end{align*}
\]

Indeed, the temperature stays constant and equal to the melting temperature in the so-called mushy zone which can be viewed as a transition zone between the solid and the liquid phases. The second term of equation (1) is a transport term and it contains the velocity of the liquid phase. The velocity distribution in the liquid PCM is governed by the gravity and surface tension of the liquid-void interface. Determining this distribution is complicated and, most importantly, time consuming. Since we are interested mostly in the global heat transfer, the natural convection in the liquid PCM is modeled using the existing empirical correlations. The common approach is to estimate the enhancement of the value of the liquid PCM thermal conductivity such that:

\[
k_{L,\text{eff}} = Nu \ k_L \tag{3}
\]

The liquid PCM will be shown to be present in the problems considered in this study in the form of a vertical layer. Therefore, the correlation for a vertical layer with isothermal or isoflux boundary conditions by Ozisik (1985) is used.

The effective conductivities of the solid PCM and the metal parts are equal to their normal values, the liquid effective conductivity is computed using equation (3), and the effective conductivity of the mushy PCM is treated as a linear function of the PCM quality \(x_f\):

\[
k_{mz,\text{eff}} = (1 - x_f) k_s + x_f k_{L,\text{eff}} \tag{4}
\]

The liquid PCM (LiF) has been found (Wichner (1987)) to be transparent to the thermal radiation for wavelengths \(<5.5\ \mu m\) and semi-transparent for wavelengths \(>5.5\ \mu m\). The average Rosseland absorption coefficient is virtually constant in the temperature interval of interest (1000 K - 1200 K) and equal to 0.84 cm\(^{-1}\) (Wichner (1987)). It is of one's interest to examine both the transparent and the semi-transparent models of the liquid PCM. Note that in the former case the last term of equation (1) becomes zero, since it can be shown that the divergence of the radiative heat flux is proportional to the absorption coefficient for a uniform medium (see also equation (14) below). However, the radiative heat flux can be non-zero in the case of the transparent medium, although its divergence is zero. Therefore, this heat flux has been computed and used in the energy balance equations for the solid PCM and walls finite volumes adjacent to the liquid PCM layer.

**Void**

The void is assumed to be filled with the LiF-CaF\(_2\) vapor in the Ground Experiments and the LiF vapor in the Space Experiments with negligible thermal capacity and absorption coefficient. Hence, the heat transfer equation in the void is

\[
\nabla \cdot (k \nabla T) = 0 \tag{5}
\]

Similarly to the liquid PCM model, the radiative heat flux in the void can be non-zero, although its divergence is zero due to the negligible absorption coefficient. Therefore, this heat flux has been computed and used in the energy
balance equations of the PCM and walls finite volumes adjacent to the void.

**Boundary conditions**

The following three boundary conditions in the experiments have been applied:

(a) The "heating" boundary condition at the outside wall:

\[ r = r_o \quad : \quad -k_m \frac{\partial T}{\partial r} = q_{in} \]  \hspace{1cm} (6)

(b) The insulation boundary condition at the top and the bottom walls:

\[ z = z_t, z_b : -k_m \frac{\partial T}{\partial z} = 0 \]  \hspace{1cm} (7)

(c) The "cooling" boundary conditions are different in each experiment.

*(c1) Ground Experiments:*

\[ r = r_i : -k_m \frac{\partial T}{\partial r} = u(T - T_f(z)) \]  \hspace{1cm} (8)

The cooling air temperature is determined by utilizing the time-dependent inlet profile (Kerslake (1991)) and assuming a linear temperature distribution in the z-direction.

*(c2) Space Experiments:*

\[ r = 0 : \quad \frac{\partial T}{\partial r} = 0 \]  \hspace{1cm} (9)

\[ z = z_{rad} : -k_m \frac{\partial T}{\partial z} = \sigma \varepsilon_m (T^4 - T_{sink}^4) \]  \hspace{1cm} (10)

*Initial condition*

Initially, the system is assumed to be at a uniform temperature in both experiments. The initial temperature is 922 K in the Ground Experiments and 283 K in the Space Experiments.

**3.3 Numerical method**

The simple explicit method is used to solve equation (1). However, the heat transfer equation in the void (5) is elliptic in contrast with the PCM heat transfer equation, which is parabolic. Therefore, a simple explicit method cannot be used, and the successive over-relaxation (SOR) by lines procedure, for the Laplace equation (Anderson et. al. (1984)), has been utilized.

*The radiation model*

The Finite Volume Method (FVM) developed by Chai et al. (1994) has been used to compute the radiative heat flux. The equation of radiative heat transfer can be written in terms of the radiative intensity \( I(r,s) \) and the source function \( S(r,s) \) (Modest (1993)):

\[ \frac{dI(r,s)}{ds} = -\beta(r)I(r,s) + S(r,s) \]  \hspace{1cm} (11)

where \( \beta(r) = \alpha(r) + \sigma(r) \) is the extinction coefficient, \( \alpha(r) \) is the absorption coefficient, \( \sigma(r) \) is the scattering coefficient, and

\[ S(r,s) = \alpha(r)_I \beta(r) + \frac{\sigma(r)}{4\pi} \int I(r,s')\phi(s',s)d\Omega' \]  \hspace{1cm} (12)

In these equations, \( r \) is the position vector and \( s \) is the directional vector. If equation (11) together with emissive boundary conditions (see Modest (1993)) is solved then one can compute the radiative heat flux and its divergence via the following equations:

\[ q(r) = \int I(r,s) s d\Omega \]  \hspace{1cm} (13)

\[ \nabla \cdot q(r) = \alpha(4\pi I_b(r) - \int I(r,s)d\Omega) \]  \hspace{1cm} (14)

To solve equation (11) numerically, the coordinate space is discretized into finite volumes in the usual manner. Since the intensity \( I \) depends also on the angular direction, the angular space should be discretized as well. In the present method, the angular space is divided into solid angles.

Integrating equation (11) over a control finite volume \( \Delta V \) and a control solid angle \( \Delta \Omega \), and using the divergence theorem, we obtain

\[ \int \int \int \Delta V \Delta \Omega \Delta A \int I_l (s' \cdot n) d\Omega' = \int \int \int \Delta A \Delta V \Delta \Omega \]  \hspace{1cm} (15)

where \( \Delta \Omega \) is the surface bounding the control volume \( \Delta V \). Following the FVM, the intensity is assumed to be constant within the control volume and the control angle. Hence equation (15) becomes in a 2-D axisymmetric system:

\[ \sum_{i=1}^{4} \int \int \int \Delta V \Delta A \int (s' \cdot n_i) d\Omega' = (-\beta_m l' + S_m) \Delta V \Delta \Omega' \]  \hspace{1cm} (16)

where the summation is performed over the four faces of the control volume, and the modified extinction coefficient and the source function are:
\[ \beta_m = \beta - \frac{\sigma}{4\pi} \phi^l \Delta \Omega^l \]

\[ S^l_m = \alpha I_b + \frac{\sigma}{4\pi} \sum_{l'} \phi^{l'} \Delta \Omega^{l'} I^{l'} \]

One can solve equation (16) for the intensity in the center P of the control volume

\[ I_P = \frac{\left( 1 - \Delta r/2 rp \right) \Delta z D^l_{cr} \mid W + \Delta z D^l_{cr} \mid S + \Delta z \Delta \Omega^l \sqrt{\rho \Delta z} \Delta \Omega^l}{\left( 1 + \Delta r/2 rp \right) \Delta z D^l_{cr} + \Delta D^l_{cr} + \Delta z \Delta \Omega^l \sqrt{\rho \Delta z} \Delta \Omega^l} \]

(17)

where the subscripts “P,” “W,” and “S” denote the points \( \{i,j \} \), \( \{i-1,j \} \), and \( \{i-1,i-1 \} \) respectively, and

\[ D^l_{cl} = \int \left( s^l \cdot n_i \right) d \Omega^l \]

is either the r- or the z-directional cosine.

Chai et al. (1994) modified equation (17) by exponentially extrapolating the intensity at the neighboring nodes to the sides of the control surface \( \Delta A \). Their procedure increases the accuracy of the scheme and eliminates the possibility of a physically incorrect negative intensity. The resulting scheme (Chai et al. 1994) has been used to solve for the radiative intensity and the heat flux.

4. Results and Discussion.


4.1.1 Convergence test.

Figure 5 shows the comparison of the outside wall temperature predictions from the solutions using (10x10), (16x16), and (20x20) grids \( (r,z) \) in the interior canister region. Significant differences in the temperature distribution are noted between grid sizes (10x10) and (16x16) while little difference is found between grid sizes (16x16) and (20x20). Grid size (16x16) has been used in this study.

4.1.2 Comparison with experimental data.

Figure 6 shows the comparison of the outside wall temperature predicted by the numerical solution (four cases) with the experimental data. The numerical solutions capture very closely the important features of the temperature distribution, such as the slope during the one-phase solid heating (0-15 min), and cooling (65-91 min), point of the onset of melting (the distinct slope change at about 15 min), the temperature arrest during PCM melting (15-40 min) and freezing (55-65 min). A data feature not well predicted by the model is the temperature during one-phase liquid heating (40-55 min). This could be attributed to a number of reasons: the axisymmetric assumption might have led to underprediction of the time needed to fully melt the PCM, the cooling fluid film coefficient and the liquid PCM Nusselt number might have been underpredicted, the void's size and location were changing in the actual experiment while the numerical model assumed a static void.

4.1.3 Effect of natural convection in the liquid PCM

Convection usually lowers the thermal resistance of the fluid thus improving the heat transfer and lowering the temperature gradients. This can be seen from the comparison of the wall temperatures in two situations when the natural convection is assumed to be present or not present (Figure 7). The temperature in the absence of convection is considerably higher than the temperature when the natural convection is present, especially at the time interval when the liquid PCM is present (15-65 min). Therefore, the liquid Nusselt number is high during the melting stage but drops considerably in the freezing period. The negative heat fluxes at the inner and the outer walls during the freezing period of the cycle (Figure 2) cause layers of solid PCM to form in the regions adjacent to the inside and the outside walls. The liquid PCM is trapped between these two layers. The temperatures of these layers are close to the melting temperature and thus to each other, hence the Nusselt number is close to 1.

4.1.4 Effect of radiation through the void

Because of the location of the void, its presence and the processes inside it should not be a big factor in the overall heat transfer. This is obvious from the comparison of the temperature histories of the outside wall when the radiation through the void is present and not present (Figure 6, cases (1) and (2)). The radiative heat transfer does lower the temperature as one would expect (since the additional heat flux lowers the thermal resistance of the void), but this improvement is not significant (about 2-5 K) because of the location of the void in this situation. While the processes in the void do not affect the global heat transfer, the void's presence can cause
the formation of local non-uniformities of temperature ("hot spots"). As seen on Figure 8a, distinctive cold and hot spots are formed on the inside and the outside walls of the canister, respectively, at locations where the void is present.

4.1.5 Effect of radiation through the liquid PCM

Since the liquid PCM forms a vertical layer in the canister, the additional heat flux through this layer should improve the overall heat transfer in the system thus lowering the temperatures in the canister. Since the layer is vertical, as opposed to the horizontal configuration of the void, the effects of the radiation through the liquid PCM should be expected to be more significant than those of radiation in the void. It is obvious from Figure 5 that the maximum temperature of the outside wall is lower when the liquid PCM is transparent to the thermal radiation than when it is not by about 18 K. Compared to the 2-5 K improvement by the void radiative heat flux, this is a much more significant effect. An important effect of the radiation through the liquid PCM and the reason for a lower wall temperature is a longer time needed to melt all the PCM in the canister (see Figure 5). Since the canister thermal resistance becomes smaller due to the radiative heat flux, more energy is transferred from the heater to the cooling fluid through the canister. Hence, a smaller portion of the incoming energy is spent on heating and melting of the PCM, thus a longer time is needed to fully melt the PCM. This portion of energy spent to melt the solid PCM becomes even smaller when the forming liquid PCM absorbs the thermal radiation. This results in an even longer melting time and lower temperatures as seen on Figure 5. The energy absorbed and stored by the liquid PCM is then released during the freezing part of the cycle which results in a slightly longer freezing time and temperatures.

Overall, the main effect of the radiation through both the void and the liquid PCM is a higher heat flux through the canister and a more uniform temperature distribution in the canister. Comparison of temperature contours in the canister for case (1) (Figure 8a) and case (4) (Figure 8b) provides a good illustration of this effect. Not only the overall temperature in the canister is lower in case (4), but also the temperature gradients and the temperature of the hot spots.

4.2. Space Experiments.

4.2.1 Comparison with experimental data

The same 4 cases discussed above have been considered in the Space Experiments simulations. Figure 9 indicates that the temperature history has the same features as the one of the Ground Experiments. However, the thermal arrest in the Space Experiment is not as pronounced as in the ground experiment which can be seen from comparison of Figure 5 with Figure 9. This is a result of the difference between the two experiments in the boundary conditions in the heating period. While the power input and output were kept constant in the Ground Experiments (Figure 2), the power output in the space experiment is a decreasing function of time during this period. Hence the difference of the input power and the output power is a growing function of time for the Space Experiments. This results in a higher energy stored in the canister per unit time and therefore a steeper rise of the overall temperature of the canister.

An opposite effect is observed during the cooling period. The thermal arrest in the Space Experiments is more pronounced than that in the Ground Experiments. This is a result of the power input in the Ground Experiments being negative in the cooling period while it is always positive in the Space Experiments.

4.2.2 Effect of radiation through the void

The presence of radiation in the void has a more significant effect in the Space Experiments than in the ground one. The reason for that is a larger surface area of the void is exposed to the incoming heat flow. The effect of radiation in the void on the temperature distribution in the canister is seen on Figure 9. As expected, the outside wall temperature is significantly lower in the presence of thermal radiation in the void. This improvement is about 30-40 K compared to 2-5 K for the Ground Experiments.

The void is again the location of a hot spot in the canister. As seen on Figure 10a, there is only one hot spot (compared to the hot and cold spots in the Ground Experiments) adjacent to the canister outside wall.

4.2.3 Effect of radiation through the liquid PCM

During the heating part of the cycle, the PCM starts to melt first in the region close to the
canister bottom wall because of the significant 
z-component of the heat flux and the presence
of the void adjacent to the outside wall.
Therefore, the liquid PCM exists in the canister
in the form of a horizontal layer as can be
deduced by the isotherms in Figures 10a,b.
Computations showed that the radiation
through the liquid PCM, whether absorbing or
not, does not have an effect as important as
the radiation through the void. This is obvious
from the comparison of the temperature
histories for cases (3) and (4) with that in case
(2) on Figure 9. The reason for this phenom-
enon is the horizontal configuration of the liquid
PCM compared to the vertical one for the void.
This results in the heat mostly transferred
through the void rather than the liquid PCM.

5. SUMMARY AND CONCLUSIONS
Two sets of experimental data were examined
in this paper: Ground Experiments and Space
Experiments, for a cylindrical canister with
thermal energy storage applications. A 2-D
computational model was developed for
unsteady heat transfer with phase change. An
important feature of the model is using a Finite
Volume Method (FVM) for the radiation heat
transfer. Three different grid sizes, 10X10,
16X16 and 20X20 have been attempted. The
later two cases showed that the numerical
solution is grid independent. The predictions of
the temperature history were obtained
for four
different cases regarding the radiation heat
transfer: 1) no radiation in the void or the liquid
PCM, 2) radiation in the void only, 3) radiation
in the void and the liquid PCM simultaneously
and 4) same as case (3) except that the liquid
PCM has a thermal radiation absorption
coefficient of 0.84 cm⁻¹. The predictions were
evaluated against the experimental
data. The following is summary of finding in this study:

1. Ground Experiments:
1.a The convection heat transfer is equally
important to that of the radiation heat
transfer; 1.b Radiation heat transfer in the
liquid is found to be more significant than
that in the void; 1.c Including the
radiation heat transfer in the liquid resulted
in lower temperatures (about 15 K) and
increased the melting time (about 10 min.);
1.d Generally, most of the heat flow takes
place in the radial direction; 1.e The hot
spots were found (as expected) in the outer
region of the void.

2. Space Experiments:
2.a Radiation heat transfer in the void is
found to be more significant than that in
the liquid (exactly the opposite to the
ground experiments); 2.b Accordingly, the
location and size of the void affects the
performance considerably; 2.c Including the
radiation heat transfer in the void resulted
in lower temperatures (about 40 K); 2.d
The heat flow takes place in both the radial
and axial directions; 2.e The hot spots
were found (as expected) in the outer region
of the void.

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Table I. Test Canister Design Features, Ground Experiment and Space Experiment

<table>
<thead>
<tr>
<th>Feature</th>
<th>Ground Experiments</th>
<th>Space Experiments</th>
</tr>
</thead>
<tbody>
<tr>
<td>Material of Construction</td>
<td>Haynes Alloy 188</td>
<td>Haynes Alloy 188</td>
</tr>
<tr>
<td>Outer Diameter/Wall Thickness</td>
<td>4.98/0.129 (cm)</td>
<td>6.96/0.102 (cm)</td>
</tr>
<tr>
<td>Inner Diameter*/Wall Thickness**/Rod Diameter</td>
<td>2.07/0.261 (cm)/N/A</td>
<td>3.81/0.102/3.59 (cm)</td>
</tr>
<tr>
<td>Length / Side Wall Thickness</td>
<td>2.43/0.091 (cm)</td>
<td>6.94/0.102 (cm)</td>
</tr>
<tr>
<td>Phase Change Material (PCM)</td>
<td>LiF-20 %CaF$_2$</td>
<td>LiF</td>
</tr>
<tr>
<td>PCM Melting Point / Heat of Fusion</td>
<td>1042 K / 816 J/g</td>
<td>1121 K / 1037 J/g</td>
</tr>
<tr>
<td>PCM Mass / Total Canister Mass</td>
<td>53 / 137 (g)</td>
<td>265 / 543 (g)</td>
</tr>
<tr>
<td>Cycle Time (% time Heating)</td>
<td>91.1 min (60%)</td>
<td>131 min (58%)</td>
</tr>
</tbody>
</table>

* - Cooling air tube  ** - Thickness of canister inner wall plus cooling air tube wall
Figure 1. Geometry of the Ground Experiments with the Void Model.

Figure 2. Power Input and Output for the Ground Experiments.

Figure 3. Geometry of the Space Experiments with the Void Model.

Figure 4. Power Input and Output for the Space Experiments.

Figure 5. Computational Canister Temperature Data with Different Grids, Ground Experiments.

Figure 6. Experimental (symbols) and Computational Canister Temperature Data, Ground Experiments.
Figure 7. Effect of Natural Convection on Canister Temperature, Ground Experiments.

Figure 8a. Computational Canister Temperature Contours, Ground Experiments, time = 50 min, Case (1).

Figure 8b. Computational Canister Temperature Contours, Ground Experiments, time = 50 min, Case (4).

Figure 9. Experimental (Symbols) and Computational Canister Temperature Data, Space Experiments.

Figure 10a. Computational Canister Temperature Contours, Space Experiments, time = 76 min, Case (1).

Figure 10b. Computational Canister Temperature Contours, Space Experiments, time = 76 min, Case (4).
# Experimental and Computational Investigations of Phase Change Thermal Energy Storage Canisters

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**Abstract:**

Two sets of experimental data were examined in this paper, ground and space experiments, for cylindrical canisters with thermal energy storage applications. A 2-D computational model was developed for unsteady heat transfer (conduction and radiation) with phase-change. The radiation heat transfer employed a finite volume method. The following was found in this study:

1. **Ground Experiments**: The convection heat transfer is equally important to that of the radiation heat transfer; Radiation heat transfer in the liquid is found to be more significant than that in the void; Including the radiation heat transfer in the liquid resulted in lower temperatures (about 15 K) and increased the melting time (about 10 min.); Generally, most of the heat flow takes place in the radial direction.

2. **Space Experiments**: Radiation heat transfer in the void is found to be more significant than that in the liquid (exactly the opposite to the Ground Experiments); Accordingly, the location and size of the void affects the performance considerably; Including the radiation heat transfer in the void resulted in lower temperatures (about 40 K).

**Subject Terms:**

- Phase change materials
- Heat storage
- Computational fluid dynamics
- Radiation heat transfer
- Salts

**Distribution/Availability Statement:**

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