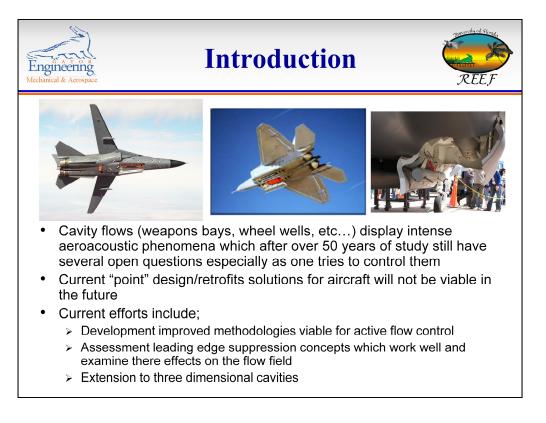
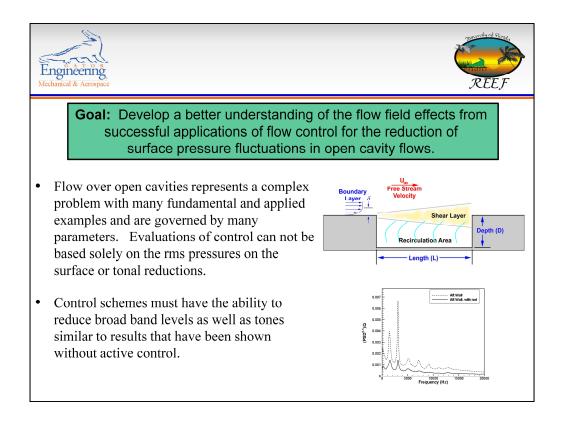
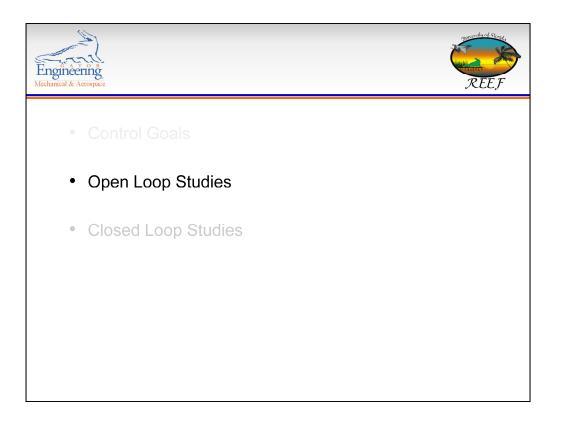
## **Active Control of Open Cavities**

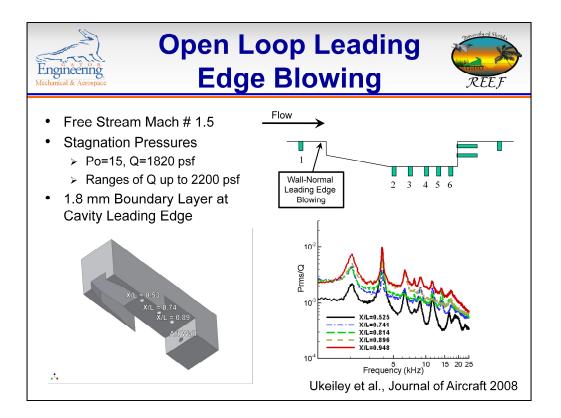
Lawrence Ukeiley



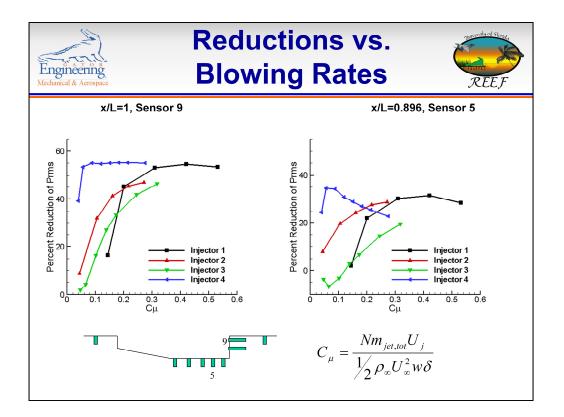


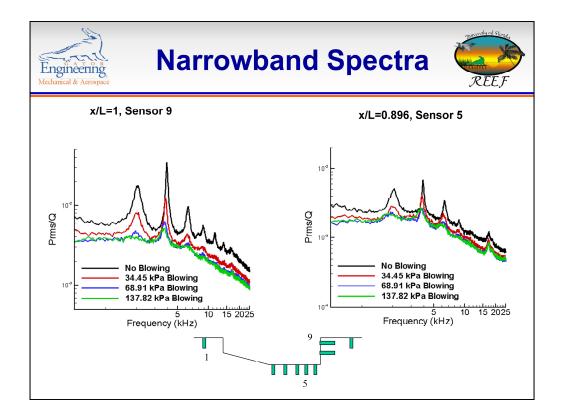
Need to work on wording of bullet items

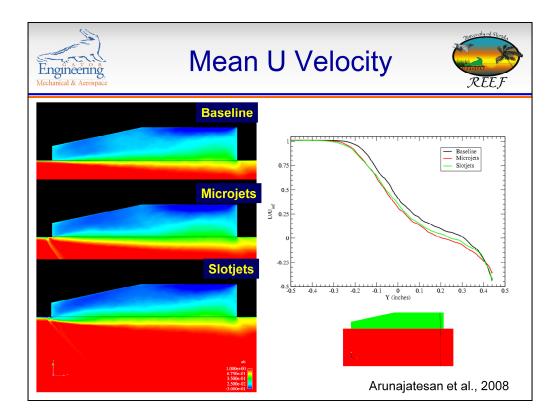


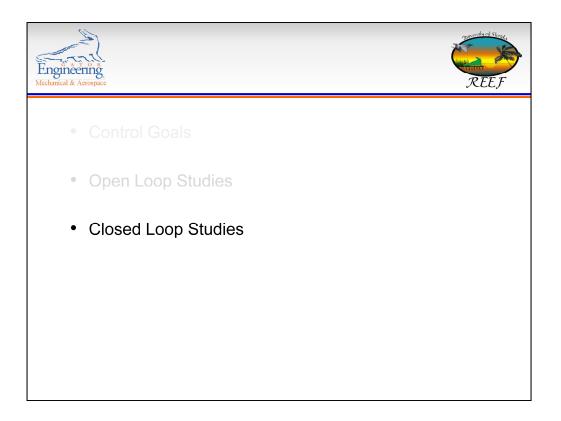


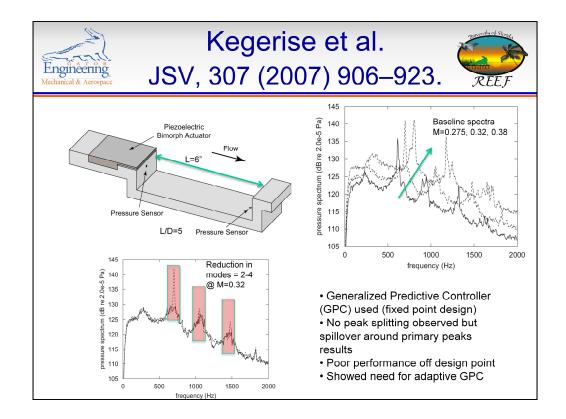
| Leading Edge Slot<br>Engineering<br>Mechanical & Aerospace |         |            |       |            |          |
|--|---------|------------|-------|------------|----------|
| Injector 3   |         | Injector 1 |       |            |          |
| Length Area  | Length  | Width      | Angle | # of slots | Injector |
| 0.402 0.00402  | 0.402   | 0.01"      | 90°   | 1          | 1        |
| 0.025 0.00100  | 0.025   | 0.01"      | 90°   | 4          | 2        |
| 0.025 0.00175  | 0.025   | 0.01"      | 90°   | 7          | 3        |
| 0.058 0.00174  | 0.058   | 0.01"      | 90°   | 3          | 4        |
| 0.058 0.00174  | 0.058   | 0.01"      | 0°    | 3          | 5        |
| 0.058 0.00174  | 0.058   | 0.01"      | 45°   | 3          | 6        |
| 0.008" 0.00161   | -0.008" | Radius -0  | 90°   | 8          | 7        |
|  |         |            |       |            |          |





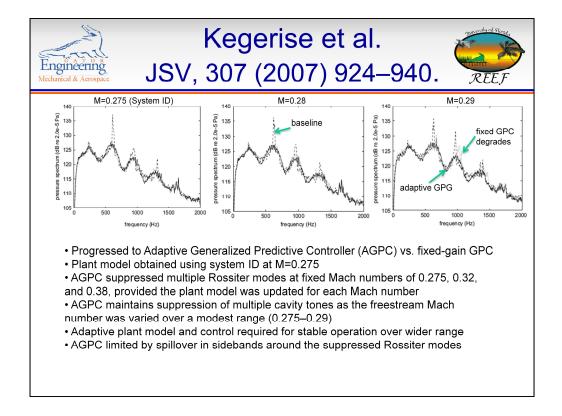






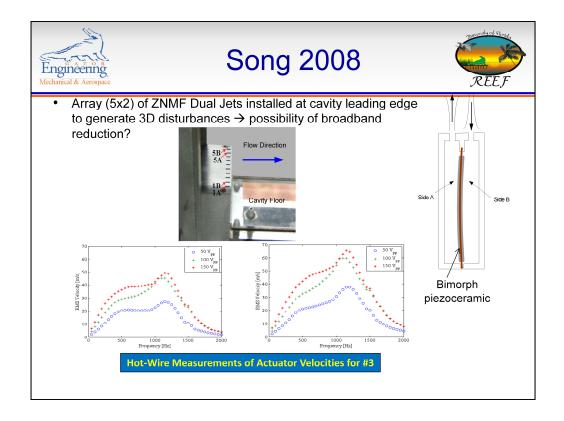
A generalized predictive control (GPC) algorithm was formulated and applied to the cavity flow-tone problem. The control algorithm demonstrated multiple Rossitermode suppression at fixed Mach numbers ranging from 0.275 to 0.38.

Controller performance was evaluated with a measure of output disturbance rejection and an input sensitivity transfer function. The results suggest that disturbances entering the cavity flow are collocated with the control input at the cavity leading edge. In that case, only tonal components of the cavity wall-pressure fluctuations can be suppressed and arbitrary broadband pressure reduction is not possible with the present sensor/actuator arrangement. In the control-algorithm development, the cavity dynamics were treated as linear and time invariant for a fixed Mach number. The experimental results lend support to that treatment.

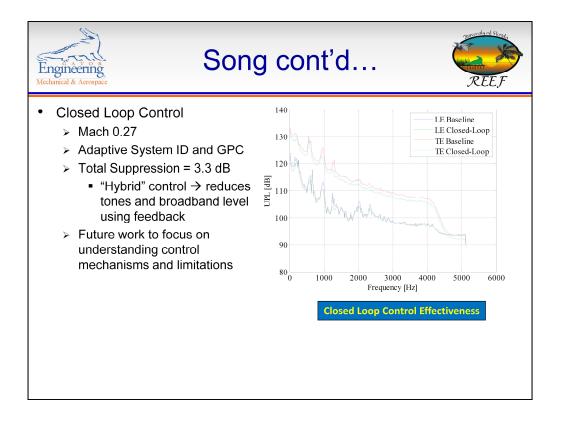


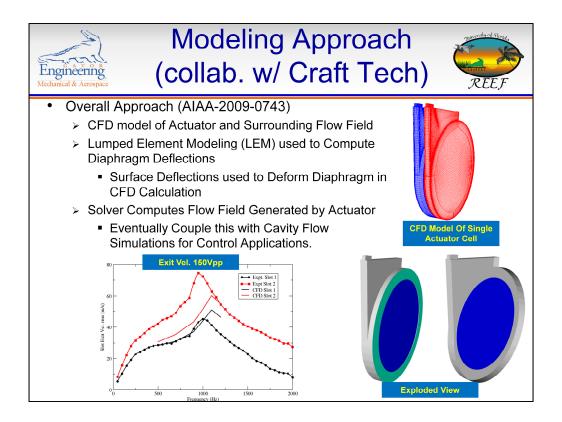
An <u>adaptive</u> generalized predictive control (GPC) algorithm was formulated and applied to the cavity flow-tone problem. The algorithm employs gradient descent to update the GPC coefficients at each time step. Past input–output data and an estimate of the open-loop pulse response sequence are all that is needed to implement the algorithm for application at fixed Mach numbers. Transient measurements made during controller adaptation at fixed Mach number revealed that the controller coefficients converged to a steady state in the mean, and this implies that adaptation can be turned off at some point with no degradation in control performance. The control algorithm demonstrated multiple Rossiter mode suppression at fixed Mach numbers of 0.275, 0.32, and 0.38, provided the plant model was updated for each Mach number.

However, as in the case of fixed-gain GPC, the adaptive GPC was limited by spillover in sidebands around the suppressed Rossiter modes. The algorithm was also able to maintain suppression of multiple cavity tones as the freestream Mach number was varied over a modest range (0.275–0.29). Beyond this range, stable operation of the control algorithm was not possible due to the fixed plant model in the algorithm.



An array of 5 ZNMF actuators was installed at the cavity leading edge (which spans 2 inches). Each cell has 2 cavities. When the diaphragm moves to one side, it expels fluid from one slot and ingests fluid through the opposite slot. The design is self-venting, so dc pressure is equalized across each diaphragm (which prevents static deformation of the diaphragm for varying tunnel static pressure). The actuator produces peak rms velocities > 70 m/s (see next slide) over a bandwidth sufficient for suppression of Rossiter modes less than about 2 kHz.





Multiphysics modeling of actuator to create a virtual test bed for control of cavity oscillations, in which the actuator is modeled in the Craft code w/ various closed-loop control algorithms. A key first step is to create a first-principles based code (described above) that accurately represents the ZNMF physics of the actuator. A few key points. First, in CL control, a sinusoid is not used so there is no simple way to impose ZNMF. Second, the model gives a reasonable representation of the benchtop measurements and enables us to determine what the CL control "needs" in terms of output from the actuator (since we are not limited by voltage in the simulations). Note the peak velocity > 70 m/s.

