Comparison of Space Radiation Calculations from Deterministic and Monte Carlo Transport Codes

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## Motivation

There are many transport codes for space radiation calculations of heavy ion transport:

Deterministic transport (1-dimensional): HZETRN (from NASA Langley Research Center) UPROP (from Naval Research Lab)

Fast

Monte Carlo transport (3-dimensional): HETC, HETC-HEDS (from LANL/NASA/ORNL/UTK) FLUKA (from high energy physics) GEANT4 (from high energy physics) MCNP and MCNPX (from LANL) PHITS (from Japan/Sweden)

slower, but better treats 3-d particle transport

 $\rightarrow$  Are these models very different in typical space radiation calculations?

How different are 1-d deterministic results from 3-d Monte Carlo (MC) results?

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# Main physics in radiation transport codes

Let us look at a radiation transport equation in 1-dimension:

$$\frac{\partial J_{k}(E,x)}{\partial x} = -\frac{J_{k}(E,x)}{\Lambda_{k}(E)} + \sum_{j} \frac{J_{j}(E,x)}{\Lambda_{kj}(E)} + \frac{\partial [W_{k}(E)J_{k}(E,x)]}{\partial E}$$

Flux of particle type k

Loss of k due to its fragmentation:  $\Lambda_k(E)=1/(n^*\sigma_k(E))$ total inelastic cross section of nuclear fragmentation of k Gain of k because a heavier particle j can produce k:  $\Lambda_{kj}(E) = 1/(n^*\sigma_{kj}(E))$ Partial fragmentation cross section (j $\rightarrow$ k)

### Fragmentation cross sections & energy loss are the key physics in radiation transport codes

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Ionization energy loss

 $w_{k}(E) = -dE/dx(E)$ 

### Radiation transport codes being considered



To compare the key physics in radiation transport codes, we consider the same radiation environment input, geometry & material, then compare dose-depth curves & particle spectra.

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### Space radiation cases being considered

### 3 external environments:

- Oct. 1989 Solar Particle Event (SPE),
- Jan. 2005 SPE,
- 1977 solar minimum Galactic Cosmic Rays (GCR)

| <b>2 materials:</b> Aluminum or CH <sub>2</sub>  |                        |
|--|------------------------|
| 2 geometries:<br>1) Slab geometry:<br>a slab material<br>under uni-directional irradiation         |                        |
| 2) Spherical geometry:<br>a spherical shell under isotropic<br>shell thickness 10g/cm <sup>2</sup> | irradiation, $r=150cm$ |

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### Results for SPE: new(2005) & old(1995) versions of HZETRN



HZETRN 2005 reference: Heinbockel et al., NASA-TP-2009-215560

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# Results for slab geometry: GCR

1977 GCR on Aluminum Slab



Geant4 & HZETRN are consistent in dose; UPROP dose is lower behind shielding

> HZETRN & Monte Carlo show rough agreement in proton spectra, difference in neutrons, especially at low energies; UPROP proton spectrum is much lower

1977 GCR after 10g/cm<sup>2</sup> Aluminum



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### Results for slab geometry: GCR



HZETRN, UPROP & Geant4

show reasonable agreements in Oxygen & Iron spectra, → fragmentation cross sections are similar in these models (for O & Fe at least)

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### **Results for spherical geometry**



#### Good agreement for the SPE environment

Agrees with earlier findings based 1-dimensional transport:

Lin, Baalla & Townsend, Radiation Measurements 44 (2009)

"Variation of space radiation exposure inside spherical and hemispherical geometries"

- lowest radiation exposure is at the inside wall,
- highest exposure is at the center of the spherical shell;
- exposure decreases by a large factor in SPE environments

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## Summary

We have compared typical space radiation calculations from two 1-dimensional deterministic codes (**HZETRN, UROP**) & two 3-dimensional Monte Carlo codes (**FLUKA, Geant4**)

Monte Carlo codes (FLUKA and Geant4) results are mostly consistent, HZETRN results are close to Monte Carlo results, except for neutrons

UPROP results are often quite different from the other 3 codes, suggesting the need of improvements (e.g. by treating neutrons)

Radiation exposure at different locations inside a spherical shell: 4 models give consistent results, earlier result of Lin, Baalla & Townsend is confirmed

To identify the exact physics causing the differences in the model results is very useful but will require more efforts

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