

The Atacama Cosmology Telescope: A Measurement of the Thermal Sunyaev-Zel'dovich Effect Using the Skewness of the CMB Temperature Distribution

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We present a detection of the unnormalized skewness $\langle \tilde{T}^3(\hat{n}) \rangle$ induced by the thermal Sunyaev-Zel'dovich (tSZ) effect in filtered Atacama Cosmology Telescope (ACT) 148 GHz cosmic microwave background temperature maps. Contamination due to infrared and radio sources is minimized by template subtraction of resolved sources and by constructing a mask using outlying values in the 218 GHz (tSZ-null) ACT maps. We measure $\langle \tilde{T}^3(\hat{n}) \rangle = -31 \pm 6 \mu\text{K}^3$ (measurement error only) or $\pm 14 \mu\text{K}^3$ (including cosmic variance error) in the filtered ACT data, a 5σ detection. We show that the skewness is a sensitive probe of σ_8 , and use analytic calculations and tSZ simulations to obtain cosmological constraints from this measurement. From this signal alone we infer a value of $\sigma_8 = 0.78^{+0.03}_{-0.04}$ (68% C.L.) $^{+0.05}_{-0.16}$ (95% C.L.). Our results demonstrate that measurements of non-Gaussianity can be a useful method for characterizing the tSZ effect and extracting the underlying cosmological information.

I. INTRODUCTION

Current observations of the cosmic microwave background (CMB) anisotropies on arcminute scales using experiments such as the Atacama Cosmology Telescope [ACT; 1–3] and the South Pole Telescope [SPT; 4, 5] probe not only the primordial microwave background fluctuations sourced 13.7 billion years ago, but also measure secondary anisotropies caused by more recent and less distant physical processes. Such secondary anisotropies are induced by infrared (IR) dusty galaxies and radio sources, gravitational lensing, and the Sunyaev-Zel'dovich (SZ) effect. The SZ effect [6, 7] arises due to the inverse Compton scattering of CMB photons

off high energy electrons located predominantly in hot gas in galaxy clusters (the intra-cluster medium, or ICM). This scattering modifies the spectrum of CMB photons in the direction of a cluster in a way that depends on both the thermal energy contained in the ICM (the thermal SZ effect) as well as the peculiar velocity of the cluster with respect to the CMB rest frame (the kinetic SZ effect). The kinetic SZ effect simply increases or decreases the amplitude of the CMB spectrum in the direction of a cluster, but the thermal SZ (tSZ) effect modifies the CMB spectrum in a frequency-dependent manner. The tSZ effect is characterized by a decrease (increase) in the observed CMB temperature at frequencies below (above) 218 GHz in the direction of a galaxy cluster due to inverse Compton scattering. The thermal effect is generally at least an order of magnitude larger than the kinetic effect for a typical massive cluster at 148 GHz. Mea-

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measurements of the tSZ signal, which is proportional to the integrated ICM pressure along the line of sight, can be used to observe the high redshift universe, constrain cosmological parameters – in particular σ_8 , the variance of matter fluctuations on scales of 8 Mpc/ h – and probe baryonic physics in the ICM.

The tSZ signal has so far primarily been studied either by directly resolving individual clusters in arcminute-scale CMB maps [8–12] or by measuring it statistically through its presence in the small-scale CMB power spectrum [13, 14]. However, it is by no means obvious that the power spectrum is the best way to characterize the statistical properties of the tSZ field. Indeed, measuring the tSZ signal in the power spectrum is challenging because there are many other sources of CMB power on arcminute scales: primordial CMB fluctuations, CMB lensing, instrumental noise, dusty star-forming IR galaxies, and radio sources. In order to disentangle these contributions to the power spectrum and isolate the amplitude of the tSZ signal, a sophisticated multifrequency analysis is required, which involves modeling the power spectrum contribution of each of these components in at least two frequency bands.

In this paper we instead measure the tSZ signal using the unnormalized skewness of the filtered temperature fluctuation $\langle \tilde{T}^3(\hat{n}) \rangle$. This quantity has the significant advantage that, unlike measurements of the tSZ effect through the power spectrum, its measurement does not require the subtraction of Gaussian contributions, because it is only sensitive to non-Gaussian signals with non-zero skewness. The primordial CMB (which is assumed to be Gaussian on these scales) and instrumental noise (which is Gaussian) hence do not contribute to it. In addition, CMB lensing and the kinetic SZ effect do not induce skewness (as they are equally likely to produce positive and negative fluctuations), and so do not contribute either. The primary contributions to this quantity are thus only the tSZ effect and point sources. These signals have a different frequency dependence. Furthermore, the tSZ signal contributes negative skewness, whereas radio and IR point sources contribute positive skewness. These characteristics allow the tSZ signal to be effectively isolated and studied, as first pointed out in [15].

Measurements of the skewness also possess significant advantages from an astrophysical perspective. A consistent problem plaguing studies of the tSZ power spectrum has been theoretical uncertainty in the ICM electron pressure profile [16–18], especially in the low-mass, high-redshift groups and clusters that contribute much of the signal. As discussed in the following section in detail, the tSZ skewness signal is dominated by characteristically higher-mass, lower-redshift clusters than those that source the power spectrum signal. The ICM astrophysics for these objects is better constrained by X-ray observations and they are less sensitive to energy input from non-gravitational sources [18, 19]. Thus, the theoretical systematic uncertainty in modeling the tSZ skew-

ness is correspondingly lower as well. In addition, at 148 GHz, dusty star-forming galaxies are less prevalent in massive, low-redshift clusters (which contribute more to the skewness) than in high-redshift groups and clusters (which contribute more to the tSZ power spectrum) [20]. Thus, we expect the correlation between tSZ signal and dusty galaxy emission, which can complicate analyses of the tSZ effect, to be smaller for a measurement of the skewness.

Moreover, the tSZ skewness scales with a higher power of σ_8 than the tSZ power spectrum amplitude. This result is precisely what one would expect if the signal were dominated by higher-mass, rarer objects, as the high-mass tail of the mass function is particularly sensitive to a change in σ_8 . This provides the prospect of tight constraints on cosmological parameters from the skewness that are competitive with constraints from the power spectrum.

In this paper, we first explain the usefulness of the skewness as a cosmological probe by theoretically deriving its scaling with σ_8 as well as the characteristic masses of the objects sourcing the signal. Subsequent sections of the paper describe how we measured this skewness in the ACT data. We describe how the ACT temperature maps are processed in order to make a reliable measurement of the unnormalized skewness due to the tSZ effect, and discuss how contamination from IR dusty galaxies and radio point sources is minimized. We report the measurement results and discuss how the errors are calculated. Finally, we discuss the cosmological constraints and associated uncertainties derived from this measurement.

We assume a flat Λ CDM cosmology throughout, with parameters set to their WMAP5 values [21] unless otherwise specified. All masses are quoted in units of M_\odot/h , where $h \equiv H_0/(100 \text{ km s}^{-1} \text{ Mpc}^{-1})$ and H_0 is the Hubble parameter today.

II. SKEWNESS OF THE TSZ EFFECT

In this section, we investigate the N^{th} moments of the pixel probability density function, $\langle T^N \rangle \equiv \langle T(\hat{n})^N \rangle$, focusing on the specific case of the unnormalized skewness $\langle T^3 \rangle$. We show that the unnormalized skewness $\langle T^3 \rangle$ has a steeper scaling with σ_8 than the power spectrum amplitude and is dominated by characteristically higher-mass, lower-redshift clusters, for which the ICM astrophysics is better constrained and modeled. As explained earlier, these characteristics make tSZ skewness measurements a useful cosmological probe.

In order to calculate the N^{th} moment of the tSZ field, we assume the distribution of clusters on the sky can be adequately described by a Poisson distribution (and that contributions due to clustering and overlapping sources are negligible [22]). The N^{th} moment is then given by

$$\langle T^N \rangle = \int \frac{dV}{dz} dz \int \frac{dn(M, z)}{dM} dM \int d^2\theta T(\theta; M, z)^N, \quad (1)$$

where $T(\theta; M, z)$ is the tSZ temperature decrement at position θ on the sky with respect to the center of a cluster of mass M at redshift z :

$$T(\theta; M, z) = g(\nu) T_{\text{CMB}} \frac{\sigma_T}{m_e c^2} \times \int P_e \left(\sqrt{l^2 + d_A^2(z) |\theta|^2}; M, z \right) dl, \quad (2)$$

where $g(\nu)$ is the spectral function of the tSZ effect, $d_A(z)$ is the angular diameter distance to redshift z , and the integral is taken over the electron pressure profile $P_e(r; M, z)$ along the line of sight.

For a given cosmology, Eqs. (1) and (2) show that there are two ingredients needed to calculate the N^{th} tSZ moment (in addition to the comoving volume per steradian dV/dz , which can be calculated easily): (1) the halo mass function $dn(M, z)/dM$ and (2) the electron pressure profile $P_e(r; M, z)$ for halos of mass M at redshift z . We use the halo mass function of [23] with the redshift-dependent parameters given in their Eqs. (5)–(8). While uncertainties in tSZ calculations due to the mass function are often neglected, they may be more important for the skewness than the power spectrum, as the skewness is more sensitive to the high-mass exponential tail of the mass function. We estimate the uncertainty arising from the mass function by performing alternate calculations with the mass function of [24], which predicts more massive clusters at low redshift than [23] for the same cosmology. As an example, the predicted skewness calculated using the pressure profile of [16] with the mass function of [23] is $\approx 35\%$ lower than the equivalent result using the mass function of [24]. However, the derived scalings of the variance and skewness with σ_8 computed using [24] are identical to those found below using [23]. Thus, the scalings calculated below are robust to uncertainties in the mass function, and we use them later to interpret our skewness measurement. However, we rely on cosmological simulations to obtain predicted values of the tSZ skewness. We do not consider alternate mass functions any further in our analytic calculations.

We consider three different pressure profiles from [16, 17, 25] in order to evaluate the theoretical uncertainty in the scaling of the tSZ skewness with σ_8 . These profiles differ in how they are derived and in the ICM physics they assume. They thus provide a measure of the scatter in the scalings of the variance and skewness with σ_8 due to uncertainties in the gas physics.

Finally, in order to make a faithful comparison between the theory and data, we convolve Eq. (2) with the Fourier-space filter described in the subsequent data analysis sections of this paper. In addition, we implement a high-mass cutoff in Eq. (1) that roughly corresponds to the pixel fluctuation cutoff used in the data analysis. These steps cannot be neglected, as the filter and cutoff reduce the predicted tSZ skewness amplitude by up to 95% compared to the pure theoretical value [26]. Most of this reduction is due to the filter, which modestly suppresses the temperature decrement profile of a typi-

cal cluster; this suppression strongly affects the skewness because it is a cubic statistic.

The analytic theory described above determines the scaling of the N^{th} tSZ moment with σ_8 . In particular, we compute Eq. (1) with $N = 2$ and $N = 3$ for each of the chosen pressure profiles while varying σ_8 . The scalings of both the variance ($N = 2$) and the skewness ($N = 3$) with σ_8 are well-described by power laws for each of these profiles, $\langle \tilde{T}^{2,3} \rangle \propto \sigma_8^{\alpha_{2,3}}$. For the profile of [16], we find $\alpha_2 = 7.7$ and $\alpha_3 = 10.8$; for the profile of [17], we find $\alpha_2 = 7.9$ and $\alpha_3 = 11.0$; and for the profile of [25], we find $\alpha_2 = 7.5$ and $\alpha_3 = 10.5$. Note that the scaling of the variance matches the scaling of the tSZ power spectrum amplitude that has been found by a number of other studies, as expected (e.g., [25, 27]). The scaling of the unnormalized skewness is similar to that found by [28], who obtained $\alpha_3 = 10.25$. Also, note that the skewness scaling is modified slightly from its pure theoretical value [26] due to the Fourier-space filter and high-mass cutoff mentioned above. The overall conclusion is that the skewness scales with a higher power of σ_8 than the variance (or power spectrum). We use this scaling to derive a constraint on σ_8 from our measurement of the skewness below.

In addition, we compare the characteristic mass scale responsible for the tSZ skewness and tSZ variance (or power spectrum) signals. Analytic calculations show that the tSZ power spectrum amplitude typically receives $\approx 50\%$ of its value from halos with $M < 2\text{--}3 \times 10^{14} M_\odot/h$, while the tSZ skewness receives only $\approx 20\%$ of its amplitude from these less massive objects. This indicates that the clusters responsible for the tSZ skewness signal are better theoretically modeled than those responsible for much of the tSZ power spectrum, both because massive clusters have been observed more thoroughly, and because more massive clusters are dominated by gravitational heating and are less sensitive to non-linear energy input from active galactic nuclei, turbulence, and other mechanisms [18, 19]. We verify this claim when interpreting the skewness measurement below, finding that the systematic theoretical uncertainty (as derived from simulations) is slightly smaller than the statistical error from the measurement, though still non-negligible.

III. MAP PROCESSING

A. Filtering the Maps

The Atacama Cosmology Telescope [1–3] is a 6m telescope in the Atacama Desert of Chile, which operated at 148, 218, and 277 GHz using three 1024-element arrays of superconducting bolometers. The maps used in this analysis were made over three years of observation in the equatorial region during 2008–2010 at 148 GHz, and consist of six $3^\circ \times 18^\circ$ patches of sky at a noise level of $\approx 21 \mu\text{K arcmin}$. In our source mask construction we also use maps of the same area made in 2008 at a fre-

quency of 218 GHz. The maps were calibrated as in [29]. We apodize the maps by multiplying them with a mask that smoothly increases from zero to unity over 0.1° from the edge of the maps.

Although atmospheric noise is removed in the map-making process, we implement an additional filter in Fourier space to remove signal at multipoles below $\ell = 500$ (ℓ is the magnitude of the Fourier variable conjugate to sky angle). In addition, we remove a stripe for which $-100 < \ell_{\text{dec}} < 100$ along the Fourier axis corresponding to declination to avoid contamination by scan noise. Furthermore, to increase the tSZ signal-to-noise, we apply a Wiener filter which downweights scales at which the tSZ signal is subdominant. This (non-optimal) filter is constructed by dividing the best-fit tSZ power spectrum from [13] by the total average power spectrum measured in the data maps, i.e. $C_\ell^{\text{tSZ}}/C_\ell^{\text{tot}}$. For multipoles above $\ell = 6 \times 10^3$, the tSZ signal is completely dominated by detector noise and point sources, and hence we remove all power above this multipole in the temperature maps. The final Fourier-space filter, shown in Fig. 1, is normalized such that its maximum value is unity. As it is constructed using the binned power spectrum of the data, it is not perfectly smooth; however, we apply the same filter consistently to data, simulations, and analytic theory, and thus any details of the filter do not bias the interpretation of our result. After filtering, the edges of the maps are cut off to reduce any edge effects that might occur upon Fourier transforming despite apodization. Simulations verify that no additional skewness is introduced by edge effects into a trimmed map.

B. Removing Point Sources

In order to obtain a skewness signal due only to the tSZ effect, any contamination of the signal by point sources must be minimized. These objects consist of IR dusty galaxies and radio sources. We use two approaches to eliminate the point source contribution: template subtraction and masking using the 218 GHz channel.

In the template subtraction method [30], which we use to remove resolved point sources (mainly bright radio sources), sources with a signal-to-noise (S/N) greater than five are first identified in a match-filtered map. A template with the shape of the ACT beam is then scaled to the appropriate peak brightness of each source, and this profile is subtracted from the raw data. The process is iterated following the CLEAN algorithm [31] until no more sources can be identified. We verify that this procedure does not introduce skewness into the maps (e.g., through over-subtraction) by checking that similar results are obtained using a different procedure for reducing source contamination, in which we mask and in-paint pixels which contain bright sources with $S/N > 5$ [32].

We take a second step to suppress the lower-flux, unresolved point sources (mainly dusty galaxies) that remain undetected by the template subtraction algorithm. At

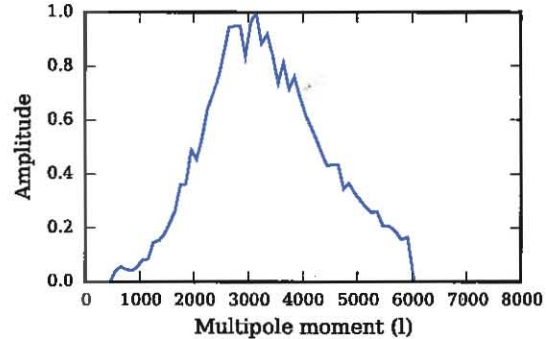


FIG. 1. The Wiener filter applied to the ACT temperature maps before calculating the unnormalized skewness. This filter upweights scales on which the tSZ signal is large compared to other sources of anisotropy.

218 GHz, dusty galaxies are significantly brighter than at 148 GHz and the tSZ effect is negligible. We construct a dusty galaxy mask by setting all pixels (which are approximately 0.25 arcmin^2) to zero that have a temperature in the 218 GHz maps larger than a specified cutoff value. This cutoff is chosen to be 3.2 times the standard deviation of the pixel values in the filtered 148 GHz map (3.2σ). This procedure ensures regions with high flux from dusty galaxies are masked. We also set to zero all pixels for which the temperature is lower than the negative of this cutoff, so that the masking procedure does not introduce spurious skewness into the lensed CMB distribution, which is assumed to have zero intrinsic skewness. The mask is then applied to the 148 GHz map to reduce the point source contribution. Simulations ([33] for IR sources) verify that the masking procedure does not introduce spurious skewness into the 148 GHz maps.

Finally, all pixels more than twelve standard deviations (12σ) from the mean are also removed from the 148 GHz maps. Due to the ringing around very positive or negative pixels caused by the Wiener filter, the surrounding eight arcminutes of these points are also masked. This additional step slightly increases the S/N of the skewness measurement by reducing the dependence on large outliers, enhances the information content of low moments by truncating the tail of the pixel probability density function, and ensures that any anomalous outlying points from possibly mis-subtracted bright radio sources do not contribute to the skewness signal. Overall, 14.5% of the 148 GHz map is removed by the masking procedure, though the removed points are random with respect to the tSZ field and should not change the signal.

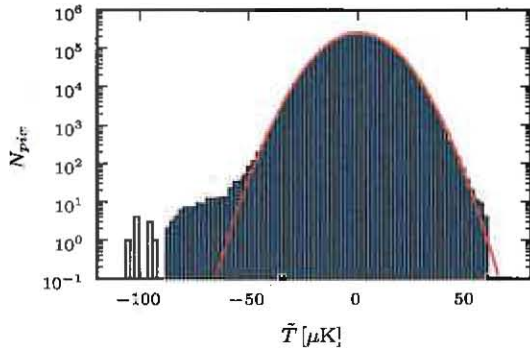


FIG. 2. Histogram of the pixel temperature values in the filtered, masked ACT CMB temperature maps. A Gaussian curve is overlaid in red.

IV. RESULTS

A. Evaluating the Skewness

We compute the unnormalized skewness of the filtered and processed 148 GHz maps by simply cubing and averaging the pixel values in real space. The result is $\langle \tilde{T}^3 \rangle = -31 \pm 6 \mu\text{K}^3$, a 5σ deviation from the null result expected for a signal without any non-Gaussian components. The skewness of the CMB temperature distribution in our filtered, processed maps is visible in the pixel value histogram shown in Fig. 2 (along with a Gaussian curve fit for comparison). The likelihood corresponding to our measurement of the skewness is shown in Fig. 3.

The measurement error on the skewness includes only Gaussian sources of noise. We calculate this error by using map simulations that consist of Gaussian random fields with the same power spectrum as that observed in the data, including noise and beam effects. This estimate thus does not include the error resulting from cosmic variance (i.e. sample variance) of the non-Gaussian tSZ signal.

We calculate errors that include cosmic variance by constructing more realistic simulations. To construct such simulations, we add maps with simulated tSZ signal from [34], which assume $\sigma_8 = 0.8$, to realizations of a Gaussian random field which has a spectrum such that the power spectrum of the combined map matches that observed in the ACT temperature data. Given the simulated sky area, we obtain 39 simulated maps, each of size 148 deg^2 . By measuring the scatter amongst these patches and appropriately scaling the error to match the 237 deg^2 of unmasked sky in the processed map, we obtain a full error (including cosmic variance) on the unnormalized skewness of $14 \mu\text{K}^3$. The scatter of skewness values measured from each of the simulated maps is consistent with a Gaussian distribution. The estimate for the full error is coincidentally the same as the stan-

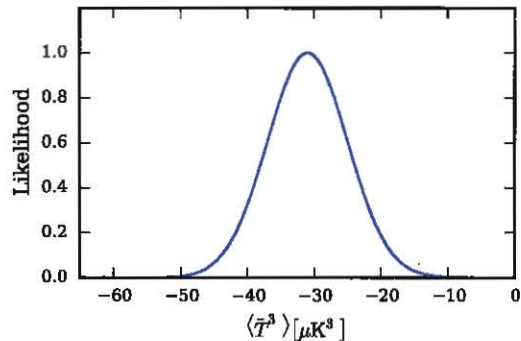


FIG. 3. Likelihood of the skewness measurement described in the text (with measurement errors).

dard error, $14 \mu\text{K}^3$, estimated from the six patches into which the data are divided. The full error is used below in deriving cosmological constraints from the skewness measurement.

B. The Origin of the Signal

Is the skewness dominated by massive clusters with large tSZ decrements – as suggested by theoretical considerations described earlier – or by more numerous, less massive clusters? To investigate this question, we mask clusters in our data which were found in the 148 GHz maps using a matched filter as in [35]. All clusters detected above a threshold significance value are masked; we vary this threshold and measure the remaining skewness in order to determine the origin of the signal.

Fig. 4 shows a plot of the signal against the cluster detection significance cutoff. We include calculations using both the full cluster candidate catalog obtained via matched filtering as well a catalog containing only clusters confirmed optically using the methodology of [36] on the SDSS Stripe 82 [37]. The SDSS Stripe 82 imaging data cover $\approx 80\%$ of the total map area, and thus some skewness signal will necessarily arise from objects not accounted for in this catalog. The results for these two catalogs agree when masking clusters with $S/N \geq 7$, but differ slightly when masking lower S/N clusters. This effect is likely due to the small shortfall in optical follow-up area as well as a small number of false detections (i.e., impurity) in the candidate clusters that have not yet been optically followed up.

Using either catalog, Fig. 4 implies that just under half of the tSZ skewness is obtained from clusters that lie below a 5σ cluster detection significance, while the remainder comes from the brightest and most massive clusters. The results of [35] suggest that clusters detected at 5σ significance are roughly characterized by a mass $M_{500} = 5 \times 10^{14} M_\odot/h$, where M_{500} is the mass

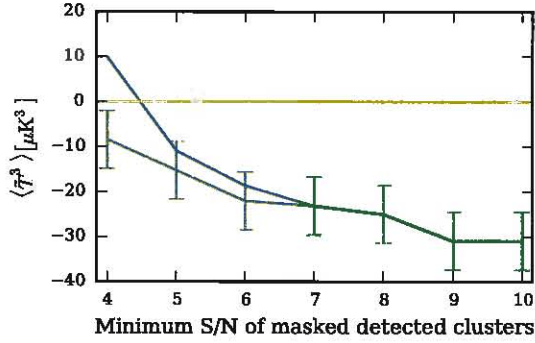


FIG. 4. Plot of the skewness signal as a function of the minimum S/N of the clusters that are masked (this indicates how many known clusters are left in the data, unmasked). The blue line is calculated using the full cluster candidate catalog obtained via matched filtering, while the green line uses a catalog containing only optically-confirmed clusters [37]. Both lines have identical errors, but we only plot them for the green line for clarity. Confirmed clusters source approximately two-thirds of the signal, which provides strong evidence that it is due to the tSZ effect. Note that one expects a positive bias of $\approx 4 \mu\text{K}$ for the S/N = 4 point of the blue line due to impurities in the full candidate catalog masking the tail of the Gaussian distribution.

enclosed within a radius such that the mean enclosed density is 500 times the critical density at the cluster redshift. This value corresponds to a virial mass of roughly $M = 9 \times 10^{14} M_{\odot}/h$, which was also found to be the mass detection threshold for high-significance ACT clusters in [36]. Fig. 4 thus demonstrates that roughly half of the tSZ skewness signal is due to massive clusters with $M \gtrsim 10^{15} M_{\odot}/h$. The theoretical calculations described earlier give similar results for the fraction of the signal coming from clusters above and below this mass scale, which is significantly higher than the characteristic mass scale responsible for the tSZ power spectrum signal.

Finally, the positive value in the full candidate catalog line shown in Fig. 4 when masking clusters above S/N = 4 is consistent with zero. When masking at this level (with the candidate catalog which contains some impurities), we slightly cut into the negative pixel values in the Gaussian component of Fig. 2, leading to a small spurious positive skewness. For the points we plot, we calculate that this bias is only non-negligible for the S/N = 4 cut, where it is $\approx 4 \mu\text{K}$. This bias effectively explains the small positive offset seen in Fig. 4. However, we discuss positive skewness due to any possible residual point source contamination below. Overall, the dependence of the measured skewness on cluster masking shown in Fig. 4 provides strong evidence that it is caused by the tSZ effect.

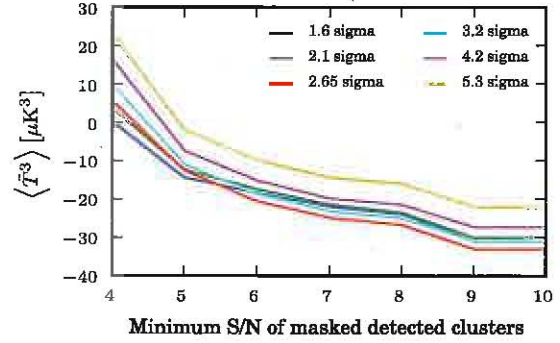


FIG. 5. A test for IR source contamination: similar to the blue line in Fig. 4, but with a range of values of the cutoff used to construct an IR source mask in the 218 GHz band. Any cutoff below $\approx 3.2\sigma$ gives similarly negative results and thus appears sufficient for point source removal, where $\sigma = 10.3 \mu\text{K}$ is the standard deviation of the 148 GHz maps. For comparison, the standard deviation of the 218 GHz maps is ≈ 2.2 times larger. The percentages of the map which are removed for the masking levels shown, from the least to the most strict cut, are 0.7, 2.5, 8.4, 14.5, 23.7 and 36.6%.

C. Testing for Systematic Infrared Source Contamination

Despite our efforts to remove point sources, a small residual point source contamination of the signal could remain, leading to an underestimate of the amplitude of the tSZ skewness. To investigate this systematic error source, we vary the level at which point sources are masked in the 218 GHz maps (the original level is 3.2σ times the standard deviation of the pixel values in the filtered 148 GHz map (3.2σ), as described above). The results of this test are shown in Fig. 5, which uses the full catalog of cluster candidates as described in Fig. 4, since the optical catalog does not yet cover the entire ACT map. Note that at $\approx 3.2\sigma$ the signal asymptotes to the skewness value quoted earlier and no longer becomes more negative with stricter masking levels. This result suggests that masking at the 3.2σ level sufficiently removes any contamination by IR sources, and stricter cuts will just reduce map area unnecessarily.

To further estimate the residual point source contamination in the 148 GHz maps, we process simulations of IR sources from [33] (with source amplitudes scaled down by 1.7 to match recent observations) with the same masking procedure as that applied to the data, creating a mask in a simulated 218 GHz map, and applying it to a simulated IR source signal at 148 GHz. We find a residual signal of $\langle \bar{T}^3 \rangle = 4.7 \mu\text{K}^3$. However, this is an upper bound on the contamination, as the template subtraction procedure should substantially reduce the spurious skewness due to IR sources.

We also investigate a linear combination of the 148 and

218 GHz maps that should have minimal IR source levels, namely, an appropriately scaled 218 GHz map subtracted from a 148 GHz map. Assuming that the spatial distribution of the point sources is not affected by the difference in observation frequency between 148 and 218 GHz and a single spectral index can be applied to all sources, a simple factor of ≈ 3.2 [13] relates a point source's signal in the two different frequency bands. We find that the appropriate linear combination (subtracting 1/3.2 times the 220 GHz map from the 148 map) produces a signal in agreement with that resulting from the previously described masking procedure, although the additional noise present in the 218 GHz maps slightly reduces the significance of the detection.

V. COSMOLOGICAL INTERPRETATION

To obtain cosmological information from the measured amplitude of the unnormalized skewness, we compare our results with two different sets of tSZ simulations [33, 34]. Both sets of simulations are run with $\sigma_8 = 0.8$, but differ in their treatment of the ICM. The simulation of [34] is a fully hydrodynamic cosmological simulation that includes sub-grid prescriptions for feedback from active galactic nuclei, star formation, and radiative cooling. The simulation also captures non-thermal pressure support due to turbulence and other effects, which significantly alters the ICM pressure profile. The simulation of [33] is a large dark matter-only N -body simulation that is post-processed to include gas according to a polytropic prescription. This simulation also accounts for non-thermal pressure support (though with a smaller amount than [34]), and matches the low-redshift X-ray data presented in [17].

We perform the same filtering and masking as that applied to the data in order to analyze the simulation maps. For both simulations, the filtering reduces the signal by $\approx 95\%$ compared to the unfiltered value. For the simulations of [34], we measure $\langle \tilde{T}^3 \rangle = -37 \mu\text{K}^3$, with negligible errors. However, this value is complicated by the fact that these simulations only include halos below $z = 1$. An analytic estimate for the skewness contribution due to halos with $z > 1$ from Eq. (1) gives a 6% correction, which yields $\langle \tilde{T}^3 \rangle = -39 \mu\text{K}^3$. For the simulations of [33], we measure $\langle \tilde{T}^3 \rangle = -50 \mu\text{K}^3$, with errors also negligible for the purposes of cosmological constraints.

In order to compare our tSZ skewness measurement with these simulation results, we use the scaling of the skewness with σ_8 calculated analytically above, denoted by α_3 . The analytic calculations give $\alpha_3 = 10.8, 11.0$, and 10.5 for the pressure profiles of [16], [17], and [25], respectively, while [28] found $\alpha_3 = 10.25$. For simplicity, we assume a scaling of $\alpha_3 = 10.5$. The resulting constraint on σ_8 is fairly insensitive to the exact value of this scaling for $10 \lesssim \alpha_3 \lesssim 12$.

We estimate the value of σ_8 from our skewness mea-

surement as simply

$$\sigma_8^D = \sigma_8^S \left[\frac{\langle \tilde{T}^3 \rangle^D}{\langle \tilde{T}^3 \rangle^S} \right]^{1/\alpha_3} \quad (3)$$

where quantities with the superscript S and D correspond to simulation and data, respectively. Using the simulation values in combination with the skewness measurement and full error (including cosmic variance) described earlier, we compute Eq. (3) and obtain $\sigma_8 = 0.78^{+0.03}_{-0.04}$ (68% C.L.) $^{+0.05}_{-0.16}$ (95% C.L.) for [34] and $\sigma_8 = 0.76^{+0.03}_{-0.04}$ (68% C.L.) $^{+0.05}_{-0.16}$ (95% C.L.) for [33]. For comparison, the final release from the *Chandra* Cluster Cosmology Project found $\sigma_8 = 0.803 \pm 0.0105$, assuming $\Omega_m = 0.25$ (there is a strong degeneracy between σ_8 and Ω_m for X-ray cluster measurements that probe the mass function) [38]. Perhaps more directly comparable, recent studies of the tSZ power spectrum have found $\sigma_8 = 0.77 \pm 0.04$ (statistical error only) [13] and $\sigma_8 = 0.807 \pm 0.016$ (statistical error and approximately estimated systematic error due to theoretical uncertainty) [39].

To evaluate the theoretical systematic uncertainty in the amplitude of the filtered skewness due to unknown ICM astrophysics, we test the effect of different gas prescriptions by analyzing simulations from [34] with all forms of feedback, radiative cooling and star formation switched off, leading to an adiabatic ICM gas model. For these adiabatic simulations we find $\langle \tilde{T}^3 \rangle = -56 \mu\text{K}^3$ (after applying the 6% correction mentioned earlier), which for the skewness we measure in our data would imply $\sigma_8 = 0.76^{+0.03}_{-0.04}$ (68% CL) $^{+0.05}_{-0.16}$ (95% CL). Turning off feedback and all sub-grid physics is a rather extreme case, so the systematic theoretical uncertainty for a typical simulation with some form of feedback should be slightly smaller than the statistical error from the measurement, though still non-negligible. This contrasts with measurements of σ_8 via the tSZ power spectrum, for which the theoretical systematic uncertainty is comparable to or greater than the statistical uncertainty [13, 39]. As highlighted earlier, this difference can be traced to the dependence of the power spectrum amplitude on the ICM astrophysics within low-mass, high-redshift clusters. The skewness, on the other hand, is dominated by more massive, lower-redshift clusters that are less affected by uncertain non-gravitational feedback mechanisms and are more constrained by observations. Nonetheless, as the statistical uncertainty decreases on future measurements of the tSZ skewness, the theoretical systematic error will quickly become comparable, and thus additional study of the ICM electron pressure profile will be very useful.

VI. CONCLUSIONS

As the thermal Sunyaev-Zel'dovich field is highly non-Gaussian, measurements of non-Gaussian signatures such as the skewness can provide cosmological constraints that are competitive with power spectrum measurements. We have presented a first measurement of the unnormalized skewness $\langle \tilde{T}^3(\hat{n}) \rangle$ in ACT CMB maps filtered for high signal to noise. As this is a purely non-Gaussian signature, primordial CMB and instrumental noise cannot be confused with or bias the signal, unlike measurements of the tSZ power spectrum. We measure the skewness at 5σ significance: $\langle \tilde{T}^3(\hat{n}) \rangle = -31 \pm 6 \mu\text{K}^3$ (measurement error). Including cosmic variance increases the error to $\pm 14 \mu\text{K}^3$. Using analytic calculations and simulations to translate this measurement into constraints on cosmological parameters, we find $\sigma_8 = 0.78^{+0.03}_{-0.04}$ (68% C.L.) $^{+0.05}_{-0.16}$ (95% C.L.), with a slightly smaller but non-negligible systematic error due to theoretical uncertainty in the ICM astrophysics. This detection represents the first realization of a new, independent method to measure σ_8 based on the tSZ skewness, which has different systematic errors than several other common methods. With larger maps and lower noise, tSZ skewness measurements promise significantly tighter cosmological con-

straints in the near future.

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