



# Simulation of VSPT Experimental Cascade under High and Low Free-Stream Turbulence Conditions

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# Motivation

- A key goal of NASA's **Rotary Wing (RW)** project is to **enhance use of civil rotorcraft to relieve airport congestion and increase capacity.**
- A concept advocated is use of **tilt rotor aircraft** for vertical takeoff and landing.
- For fuel efficiency, the main-rotor speed needs to vary from 100% at takeoff to 55% at cruise.
- To avoid the added weight and complexity of transmission a **variable speed power turbine (VSPT)** can be used with a fixed gear ratio transmission.
- Such variations in the shaft speed of the VSPT lead to a wide range of incidence.



# Conditions of VSPT

- Flow in the power turbine is characterized by:
  - Low Reynolds number  $< 100,000$  ( $Re_{Cx2}$ )
  - High turbulence intensity  $> (6\%)$
  - Unsteadiness- Multi-Stage
  - Large excursions from optimal incidence  $> 60$  degrees
- Analysis tools are needed to handle physics of the VSPT.
- *A need for models capable of predicting transition and responding to separation has been identified.*

# Our Earlier Work

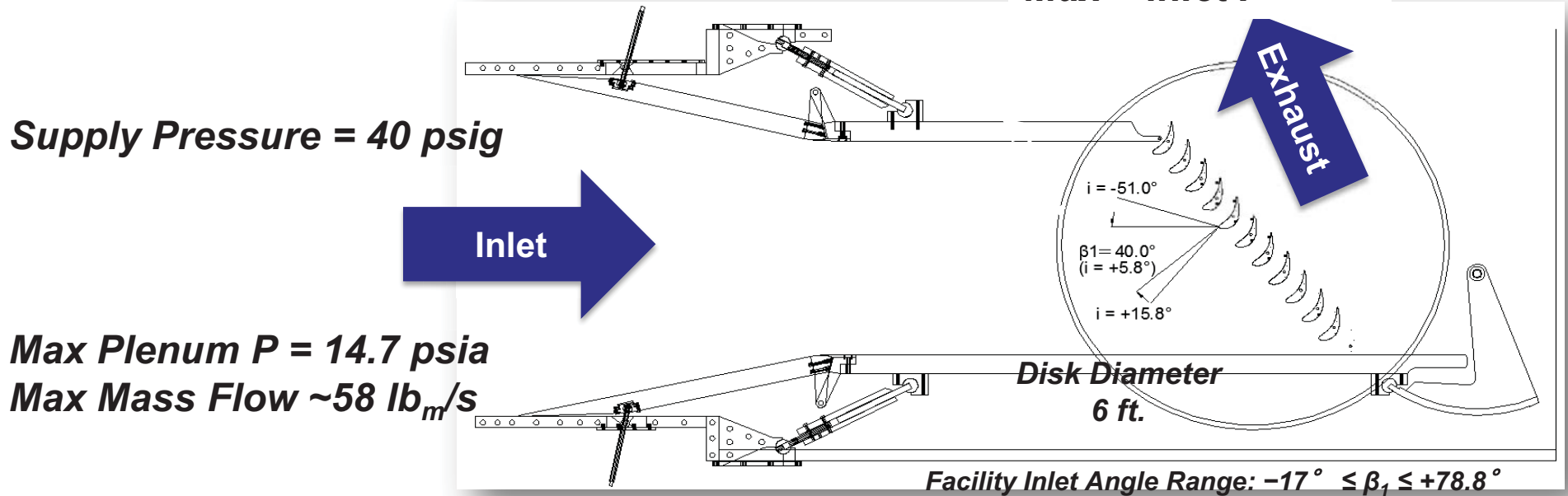
- **Selected and implemented** transition/ turbulence model in our codes.
- **Validated** using *available three-dimensional blade heat transfer data at high turbulence levels, indicating transition.*
- Specifically, “GE2” blade data from earlier work of Giel et al. (GT2003-38839)

# Present Work

- NASA has developed notional VSPT blade-set through previous study contract with Rolls-Royce.
- NASA has documented blade performance over **wide incidence angle range** at mission-relevant Reynolds numbers and Mach numbers.
- We need **To Validate** CFD tools for effect of incidence using NASA data from the notional blade.

# Transonic Cascade (CW-22)

**Exhaust Pressure:**  
*Min  $P \approx 2$  psia*  
*Max = inlet  $P$*

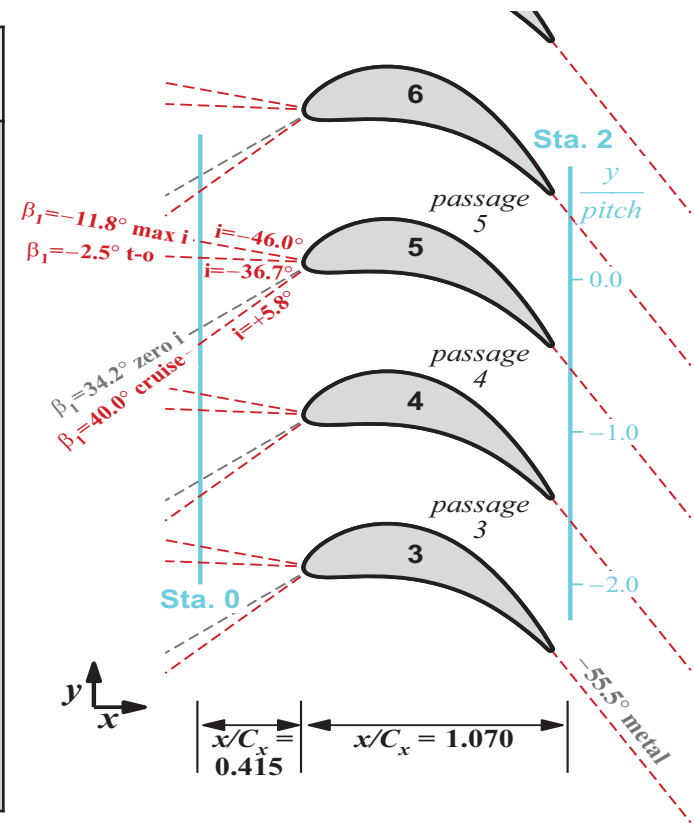


- Data were obtained in NASA-GRC's Transonic Turbine Blade Cascade CW-22
- Large-scale, continuous running facility capable of wide range: Re, M, Tu with adjustable inlet angle.
- Blade/Tip/Endwall aero and heat transfer measurements.

# Test Blade

Midspan section of VSPT second stage rotor:  
Dimensions and measurement stations.

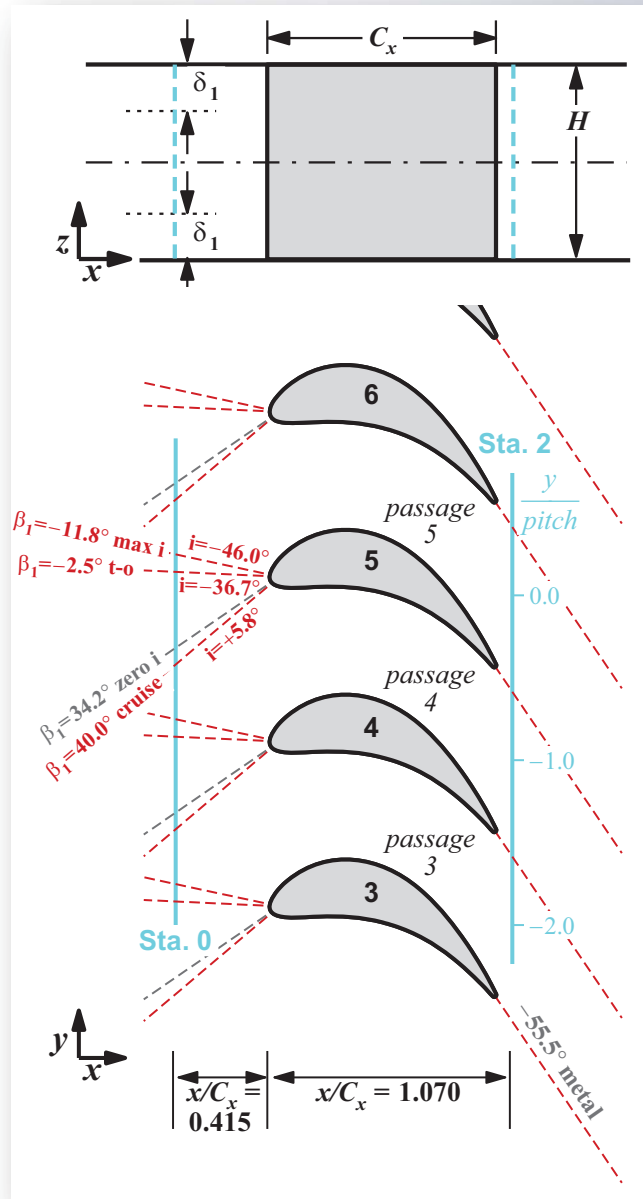
Geometry	Value, mm (in)
Axial Chord, $C_x$	180.57 mm (7.109")
True Chord	194.44 mm (7.655")
Pitch, S	130.00 mm (5.119")
Span, H	152.40 mm (6.000")
Throat Diameter	72.85 mm (2.868")
Leading Edge Dia.	15.16 mm (0.597")
Trailing Edge Dia.	3.30 mm (0.130")
Stagger Angle	20.35°
Inlet Metal Angle	34.2°
Uncovered Turning	19.47°
Exit Metal Angle	-55.54°



# Experimental Cases for Num. Validation

- A wide Range of variables at various *Reynolds numbers*, *Mach numbers* and *incidence angles* and two *turbulence levels* were measured. (Full data was presented **earlier in this session**)
- Two cases representing **cruise** and **take off** were documented in detail and are used for this exercise.
- **3d** Blade surface pressure, wake total pressure and blade exit angle distributions were measured.

# Test Configuration



- VSPT midspan section blade,  $\beta_{1,des} = 34.2^\circ$
- Ten incidence angles:  $+15.8^\circ$  to  $-51.0^\circ$
- 5 flow conditions each
- Inlet  $\delta$  range: 1.16 – 1.69 inches for Low Tu
- Inlet  $\delta$  range: 0.58 – 0.86 inches for High Tu
- Free-Stream Turbulence, Two conditions:
  - **One with no turbulence grid installed**
  - **One with “blown grid” upstream ( $Tu = 0.24\% - 12.0\%$ )**

## Inlet Flow Angles

Inlet Angle, $\beta_1$	Incidence Angle, $i$	$Z_w$
$50.0^\circ$	$15.8^\circ$	1.22
$45.0^\circ$	$10.8^\circ$	1.13
<b><math>40.0^\circ</math> (Cruise)</b>	<b><math>5.8^\circ</math></b>	<b>1.06</b>
$34.2^\circ$	$0.0^\circ$	0.99
$28.0^\circ$	$-6.2^\circ$	0.92
$18.1^\circ$	$-16.1^\circ$	0.82
$8.2^\circ$	$-26.0^\circ$	0.74
<b><math>-2.5^\circ</math> (Takeoff)</b>	<b><math>-36.7^\circ</math></b>	<b>0.65</b>
$-11.8^\circ$ (Mission Max- $i$ )	$-46.0^\circ$	0.58
$-16.8^\circ$	$-51.0^\circ$	0.53

# Choice of Transition Model (Our Earlier Work)

- Surveyed the literature for suitable models.
- Eliminated models which use integral parameters (non-local) such as  $\delta$ ,  $\Theta$  or any parameter that requires surveying the boundary layer profiles which would limit applicability to 3d flows.
- Identified  $k_L$ - $k$ - $\omega$  models of Walters and Leylek as candidates (3 equation model.)
- Chose this model based on:
  - Ease and generality of use
  - Recommendations in the literature
  - Tests with transitional heat transfer blade surface data

# Application to VSPT

- At low turbulence, WL model results were surprising! Did not agree with data.
- Identified improved  $k_L$ - $k$ - $\omega$  model of Walters and Cokljat (3 equation model.)
- Results to compare with WL model at high and low turbulence models.

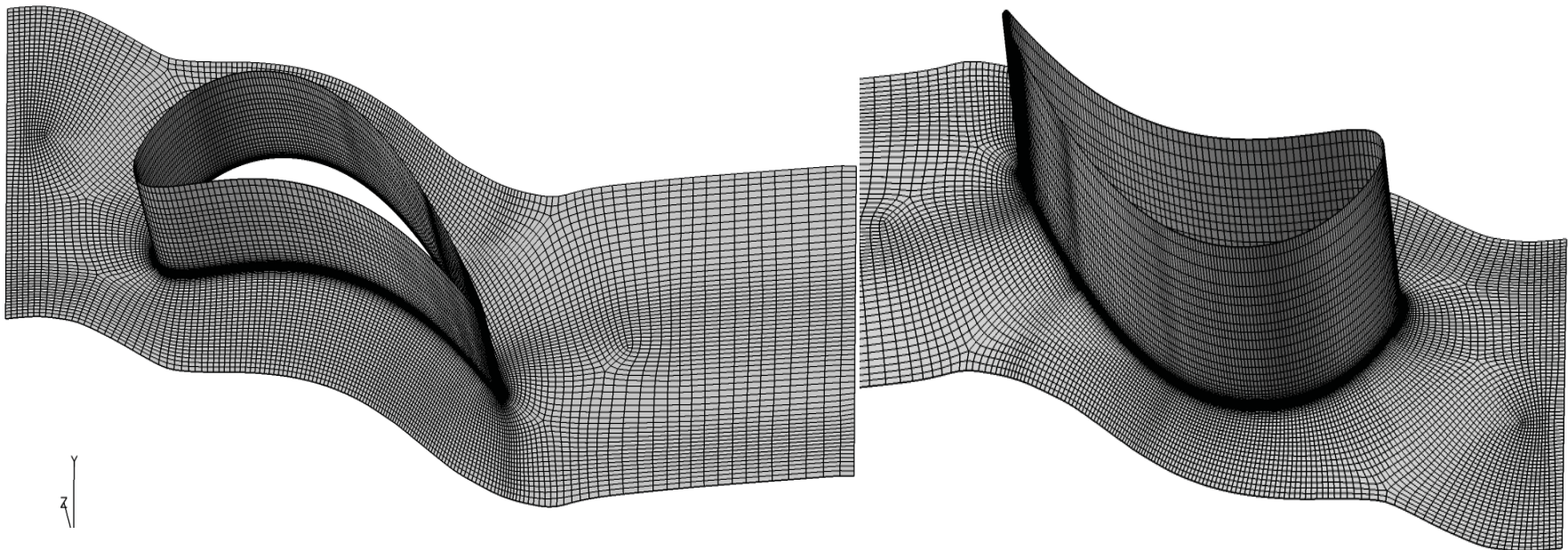
# CFD Tool, Glenn-HT

- Full compressible Reynolds-Averaged Navier-Stokes Formulation and Conjugate Heat Transfer
- Multi-block structured grids
- Finite Volume formulation
- Second order central differencing, 4<sup>th</sup> order artificial dissipation with eigenvalue scaling or,
- Second order upwind schemes, Hunyh, AUSM
- Multi-stage explicit Runge-Kutta time integration with local time stepping
- Multi-grid convergence acceleration
- Dual-Time-Stepping for unsteady simulations
- Parallel processing via MPI

# 3-D Grids

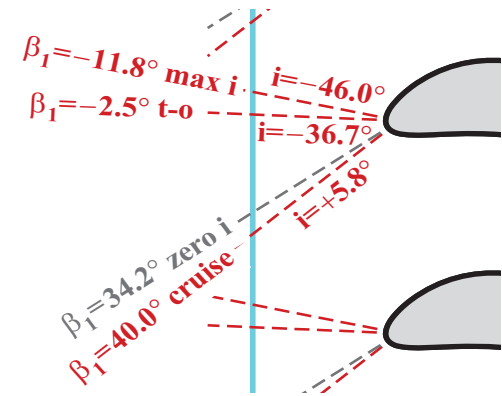
For this work a fine grid was generated (half-span):

- Grid  $\sim 7 \times 10^6$  nodes and a stretching ratio of 1.1 away from the walls with  $y^+ < 1$
- A coarse grid was also used for startup and for ensuring grid convergence by coarsening Grid by a factor of 2 in each index direction.



# Cruise Condition

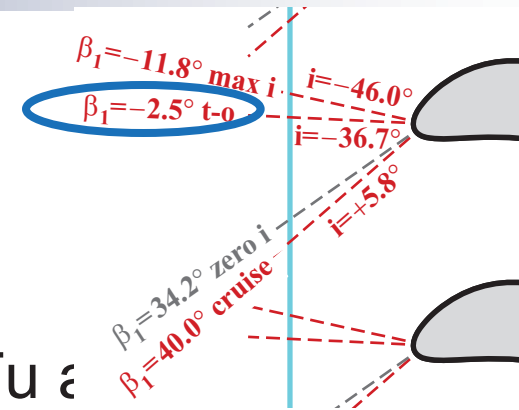
- Blade is operated at  $i = +5.8^\circ$  as would occur due to slowing down of rotation
- Reynolds number =  $5.4e5$
- $Tu_{in} = 0.3\%, 12.0\%$
- Turbulence length scale
  - computed from matching  $Tu$  at the two stations.
- $\delta_{in}$  at the end walls = 25% Span at Low  $Tu$ , leads to highly 3d flow. At high  $Tu$  12.0% Span



Inlet Angle $\beta_1$	Exit $Re_{Cx}$	Press. Ratio	Exit $M_{Is}$	$\delta_{inlet}$ [inch]	$Tu_{in}\%$ at $-1.5 C_x$	$Tu_{in}\%$ at $-0.5 C_x$
40.0°	536,000	1.412	0.72	1.44	0.4	0.3
40.0°	536,000	1.412	0.72	0.7	19	12

# Takeoff Conditions

- Blade incidence is  $i = -36.7^\circ$
- Nominal Reynolds number =  $5.3 \times 10^5$ .
- $Tu = 0.3\%$ , **8.5%**
- $\delta_{in}$  at the endwalls = 25% span at Low  $Tu$  & 12% span at high  $Tu$ .
- Turbulence length computed from matching  $Tu$  at the two stations.



Inlet Angle $\beta_1$	Nominal Exit $Re_{cx}$	Press. Ratio	Exit $M_{Is}$	$\delta_{inlet}$ [inch]	$Tu_{in} \%$ at $-1.5 C_x$	$Tu_{in} \%$ at $-0.5 C_x$
<b>-2.5°</b>	532,000	1.348	0.67	1.50	0.4*	0.3*
<b>-2.5°</b>	532,000	1.348	0.67	0.75	15.0	8.5

# Turbulence Length Scale

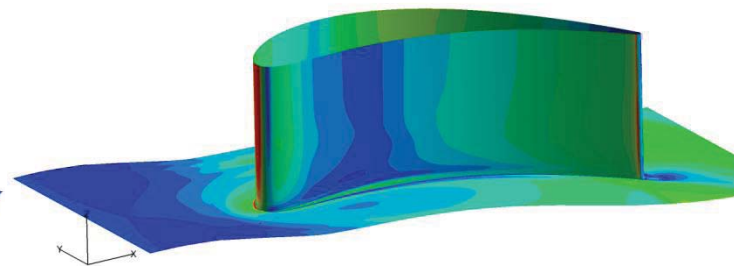
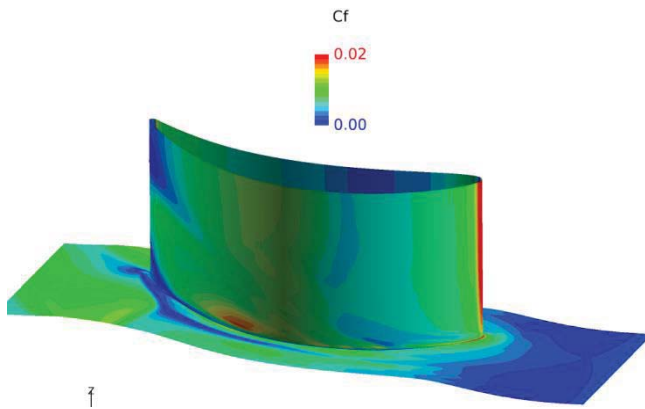
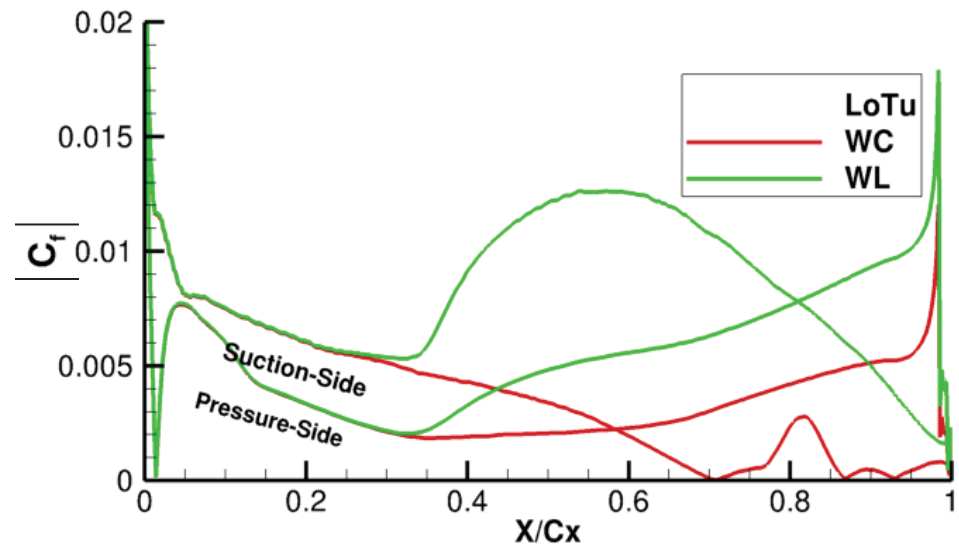
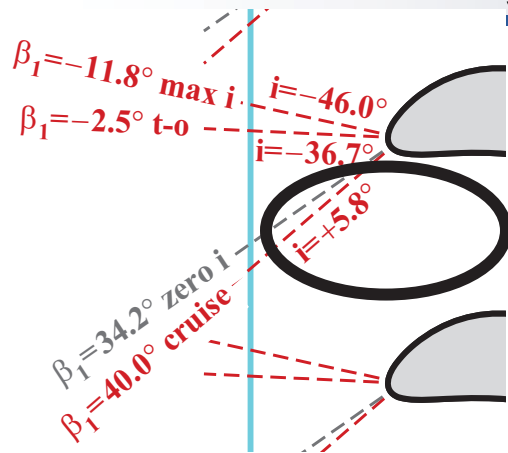
## In general:

- Turbulence length scale is input at the inflow boundary.
- Value is usually guessed based on heuristic arguments,  
-- examples include, size of turbulence generator bar, span of the passage or the hydraulic diameter of the passage, ...
- In this case  $Tu$  was measured at  $X = -1.50 \cdot Cx$  and at  $-0.5 \cdot Cx$ .
- By matching the decay of turbulence, length scale was computed at the inlet to the computational domain at  $-0.5 \cdot Cx$ .

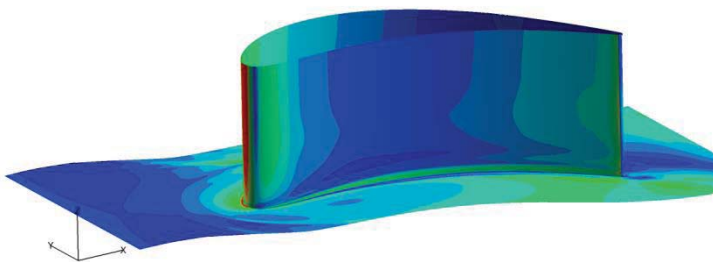
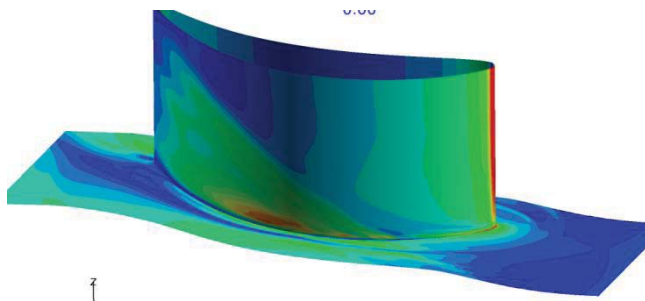
# Turbulence Length Scale- Issues

- Issues arise when FST (12%) is present and the decay is to be matched using large values of length scale.
- The problem arises due to excessive entropy generation in the flow at high turbulence intensities.
- For one of the conditions, length scale was dialled down to avoid this excessive loss while the transition location held steady.
- Experiments (Mahallati et al.) suggest that at higher FST the effect of length scale is negligible on transition.
- However, this is still an open issue and needs to be resolved but can be handled.

# Transition, Cruise, Low Tu

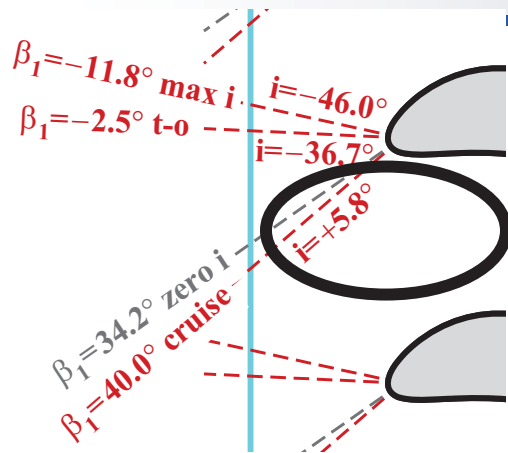


WL



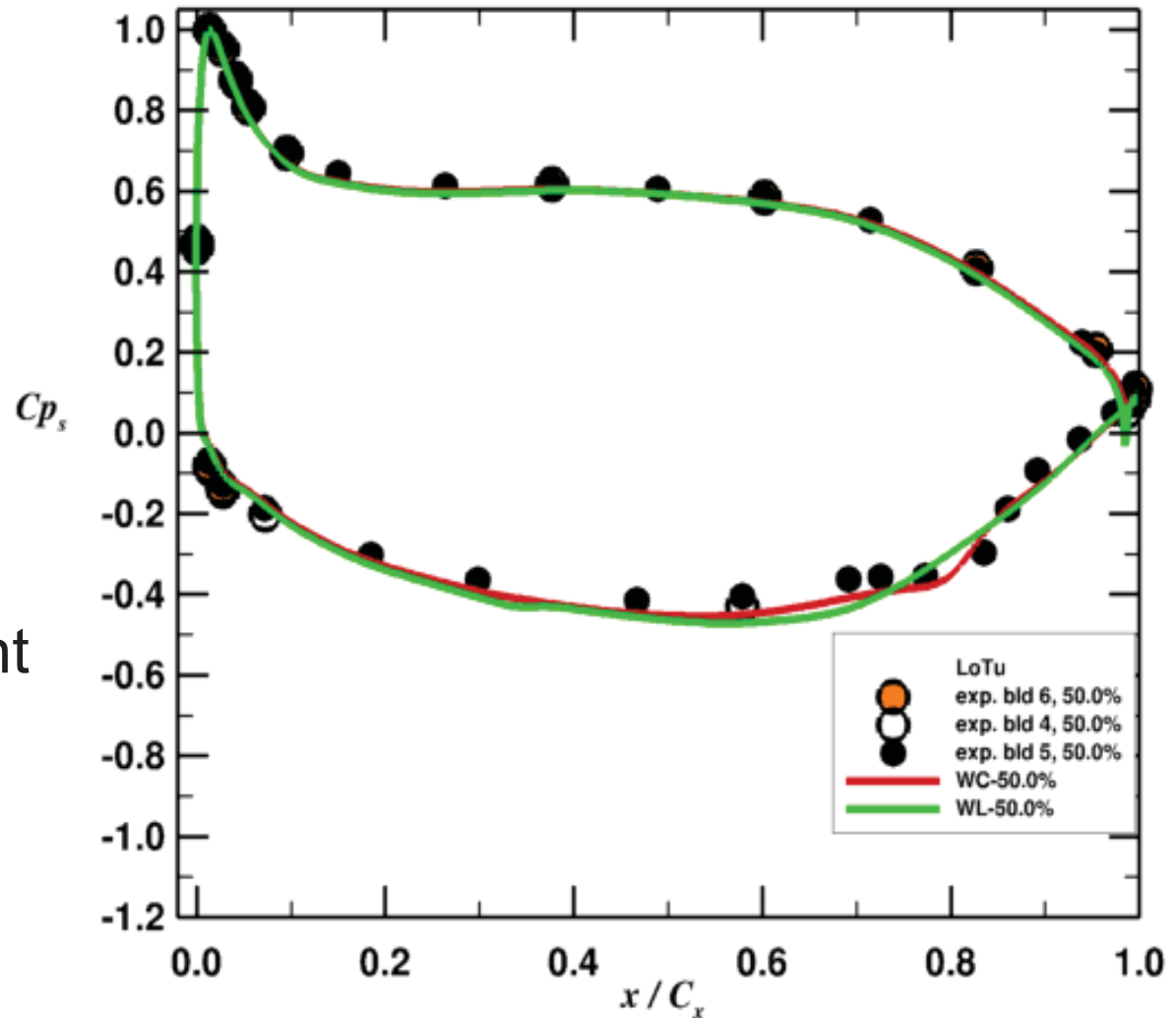
WC

# Pressure Distribution- Cruise, Low Tu

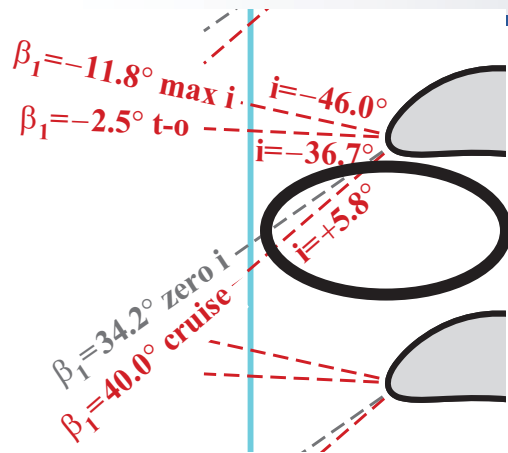


Mid-Span Static  
Pressure Coefficient

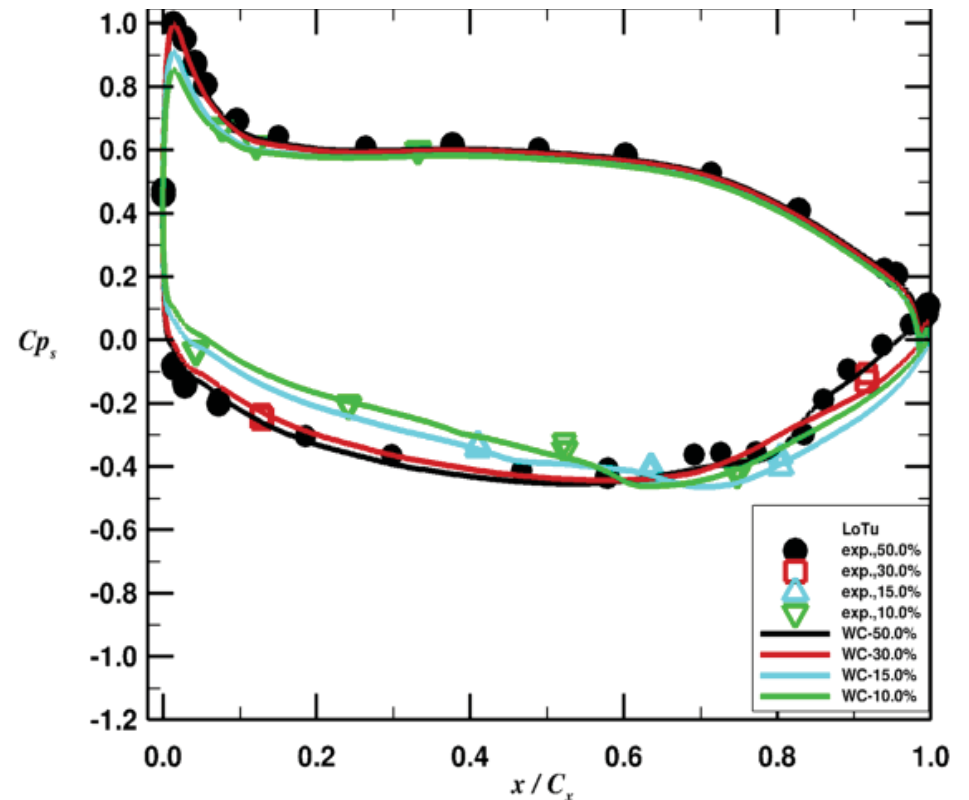
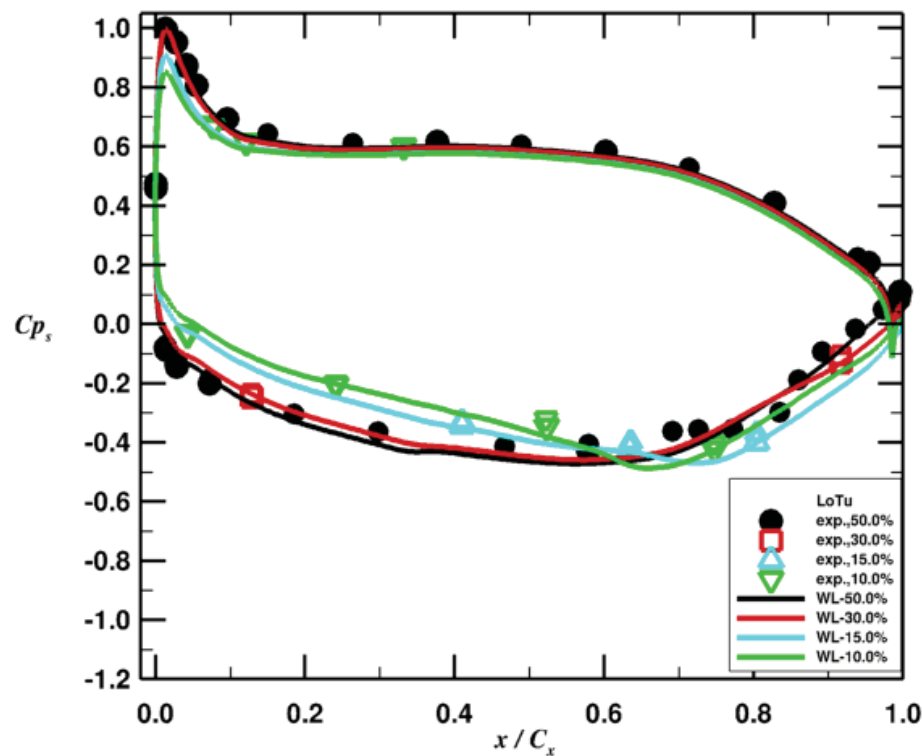
$$C_{ps} = (P - P_{s2}) / (P_{t1} - P_{s2})$$



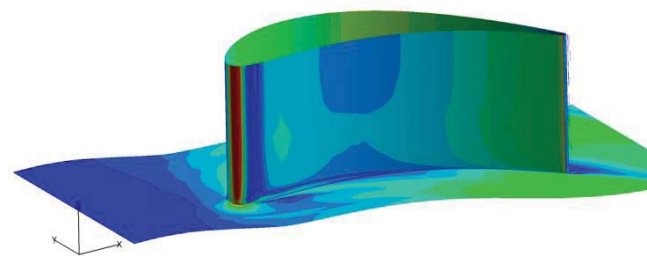
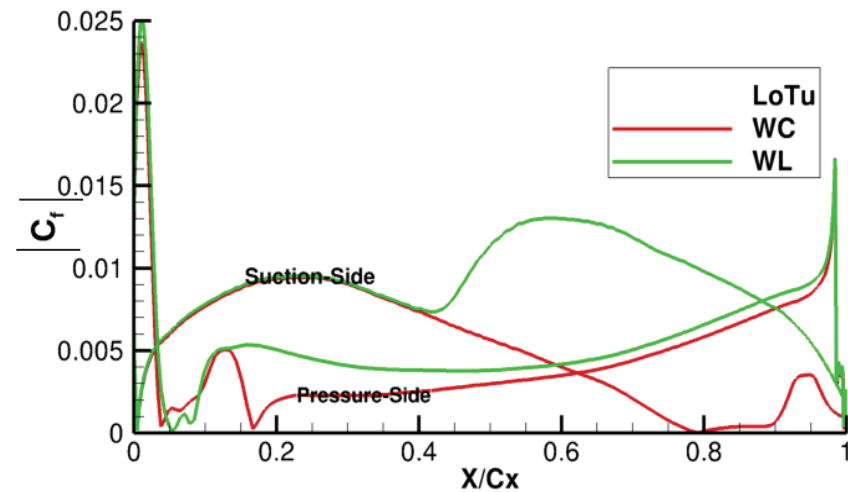
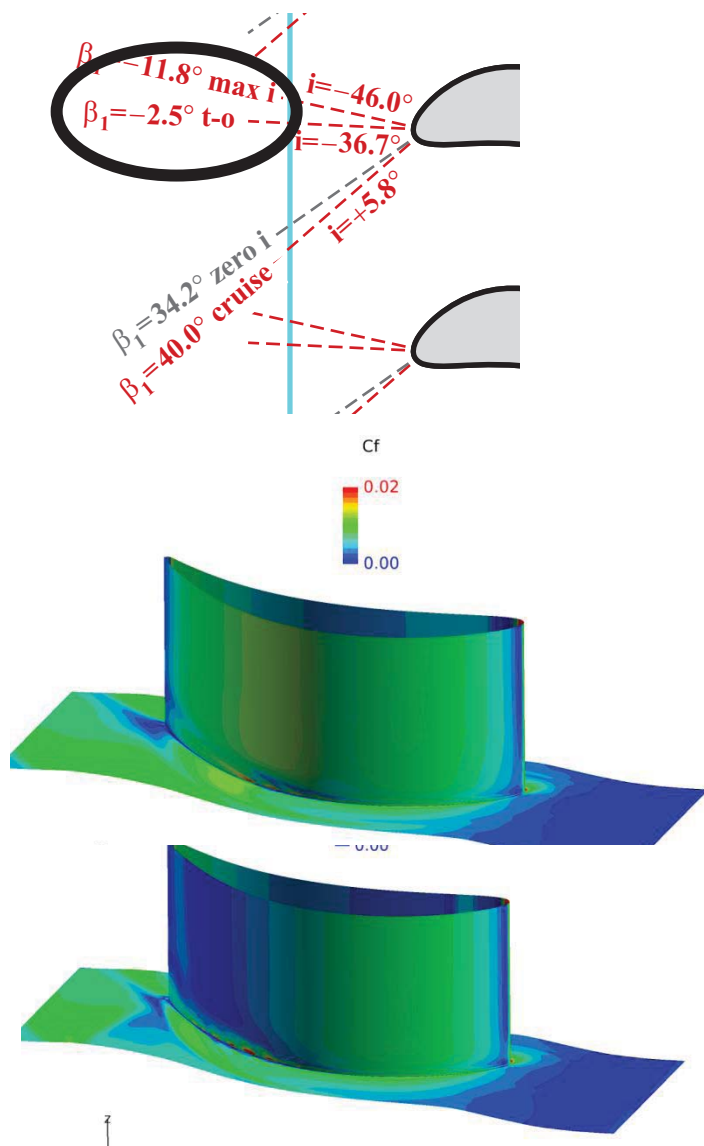
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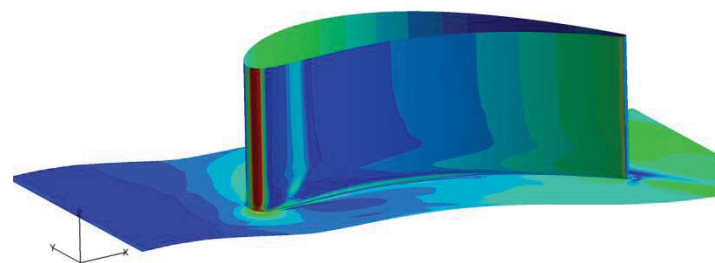
$$C_{ps} = (P - P_{s2}) / (P_{t1} - P_{s2})$$



# Transition Takeoff, Low Tu

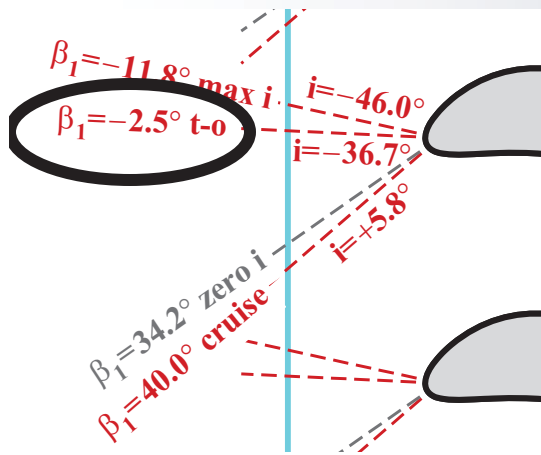


WL

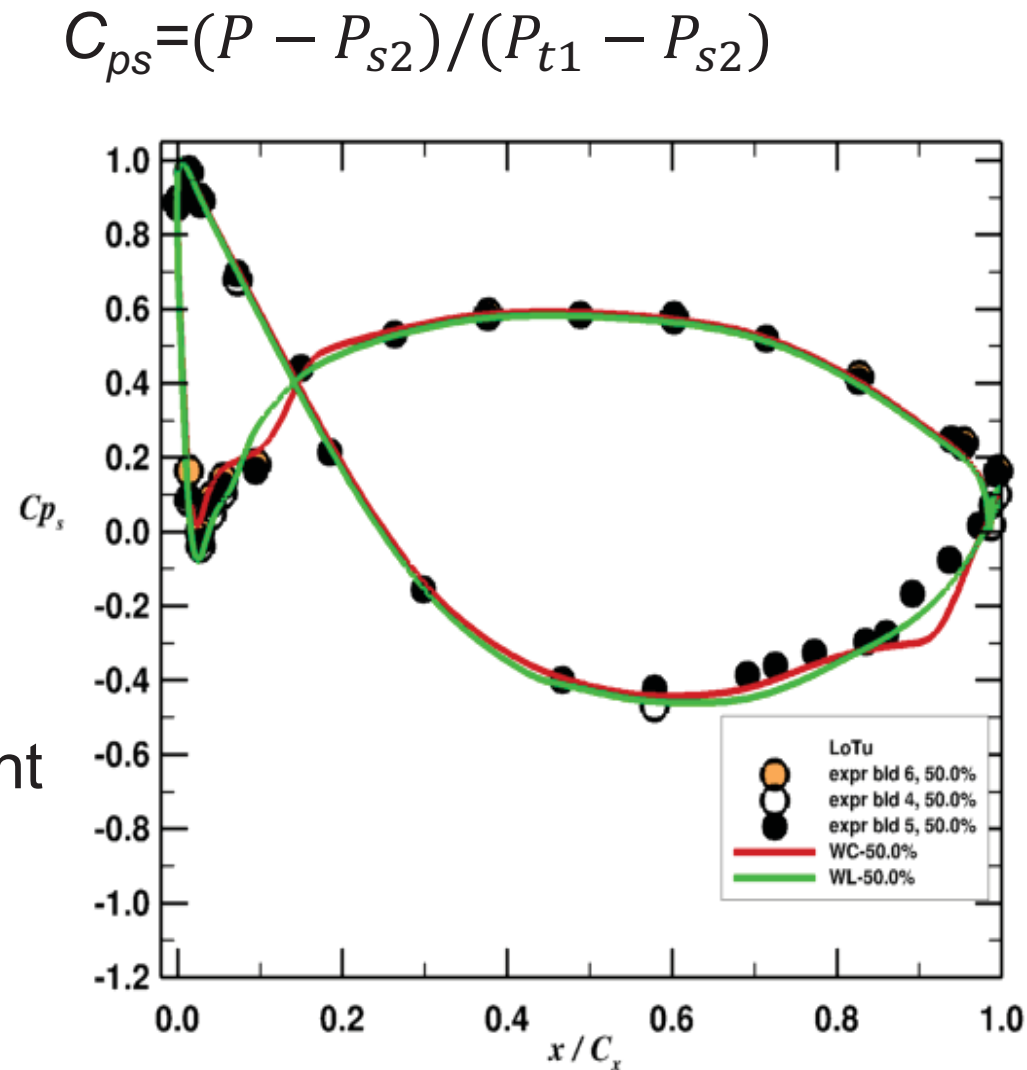


WC

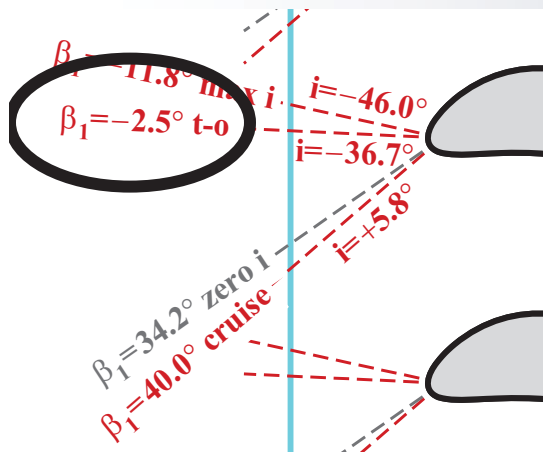
# Pressure Distribution- Takeoff , Low Tu



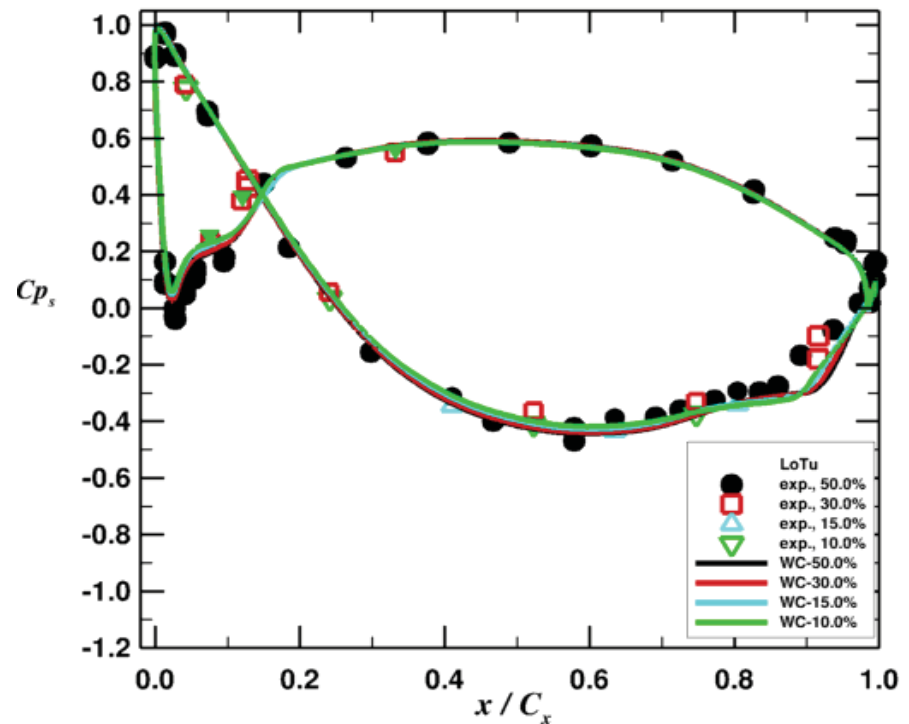
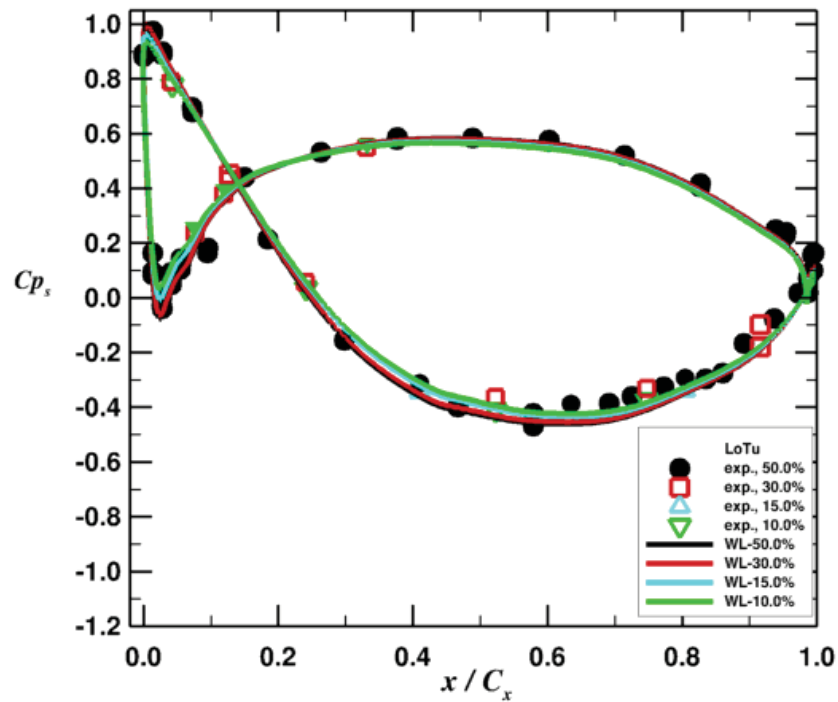
Mid-Span Static  
Pressure Coefficient



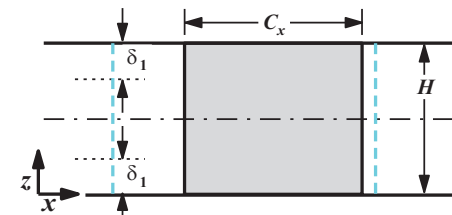
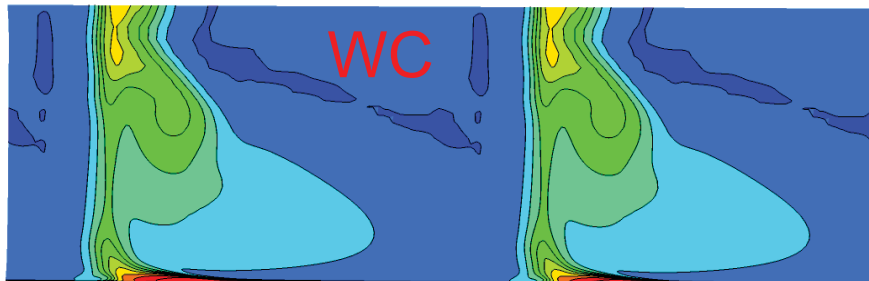
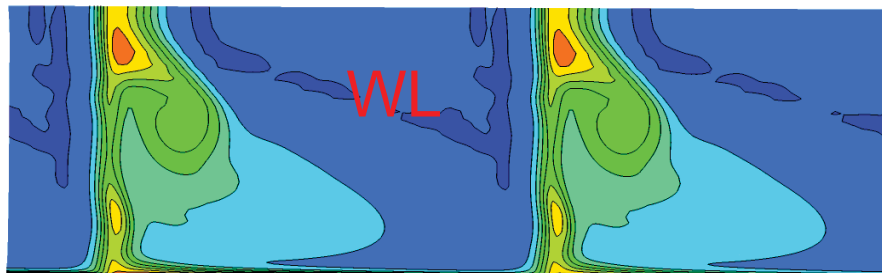
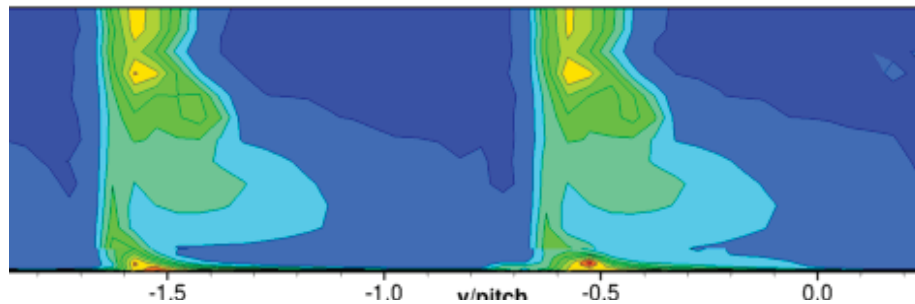
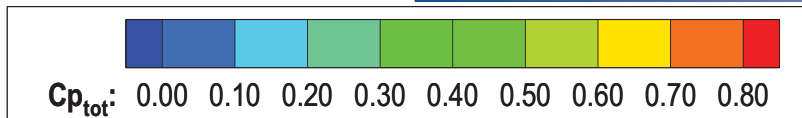
# Pressure Distribution- Cruise, Low Tu



$$C_{ps} = (P - P_{s2}) / (P_{t1} - P_{s2})$$



# $C_{pt}$ for the Cruise incidence, Low Tu



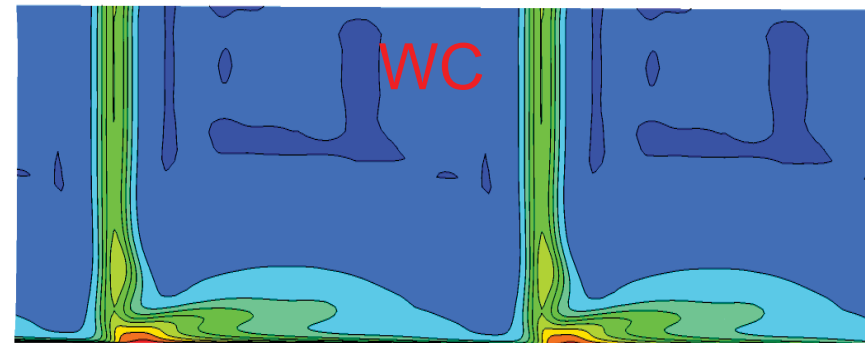
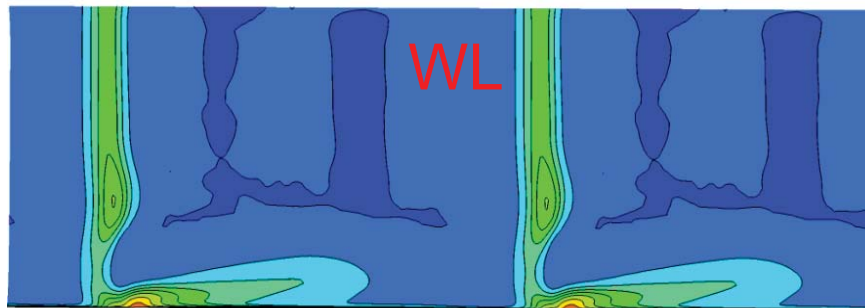
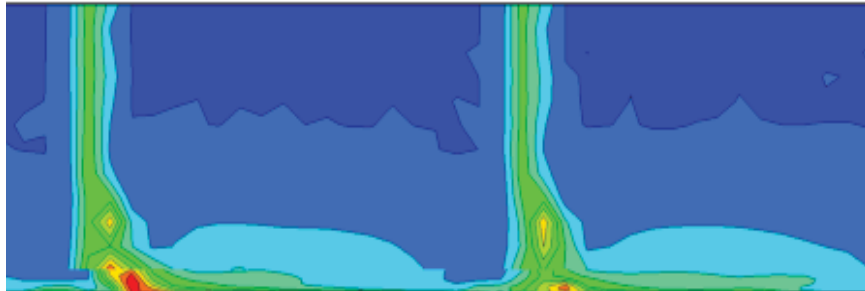
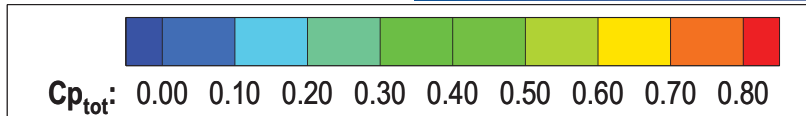
Probe Data 7%  $x=1.07C_x$

CFD

$$C_{pt} = \frac{P_{t1} - P_{t-x}}{P_{t1} - P_{s2}}$$

- The wake total pressure loss coeff. measure  $C_{pt}$  over the half-span is well predicted.

# $C_{pt}$ for the Takeoff incidence, Low Tu



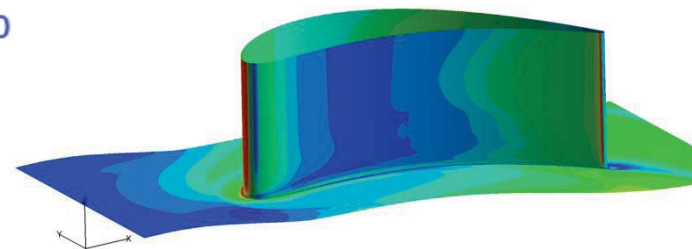
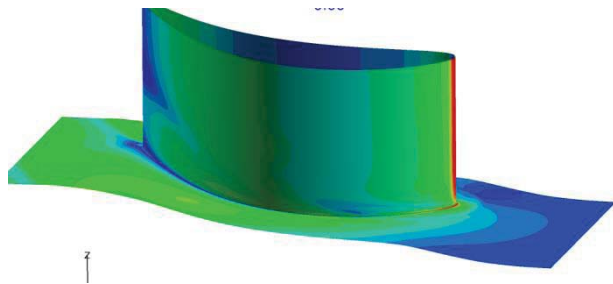
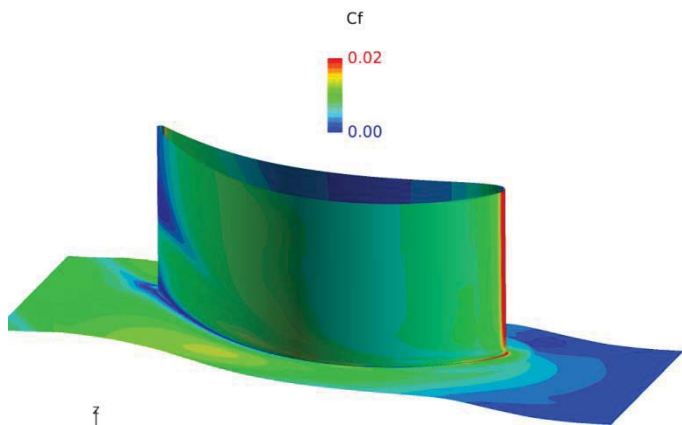
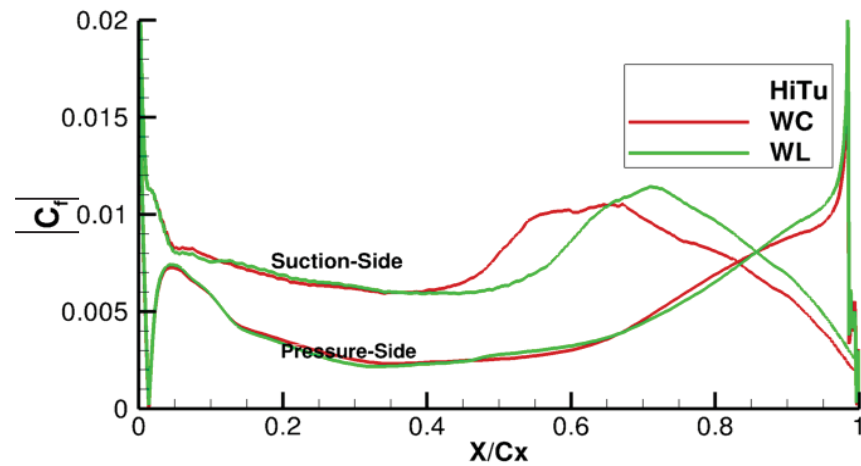
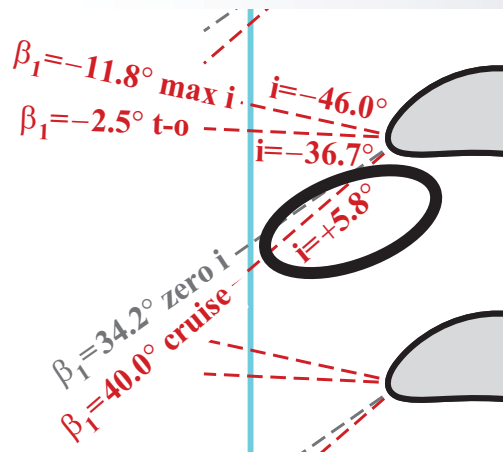
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Probe Data 7%  $x=1.07CX$

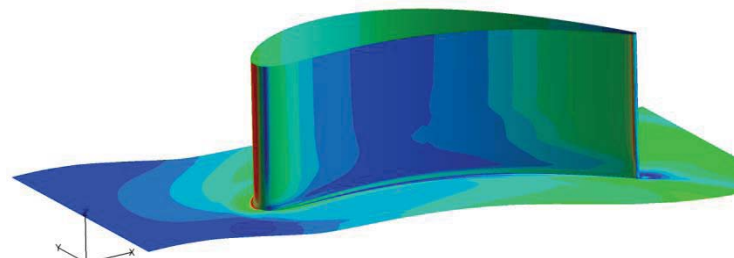
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# Transition, Cruise, High Tu

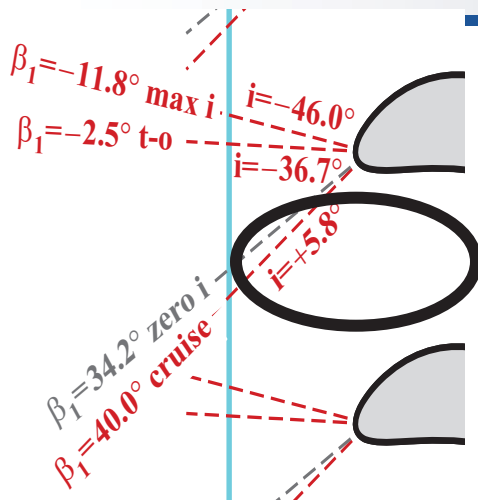


WL

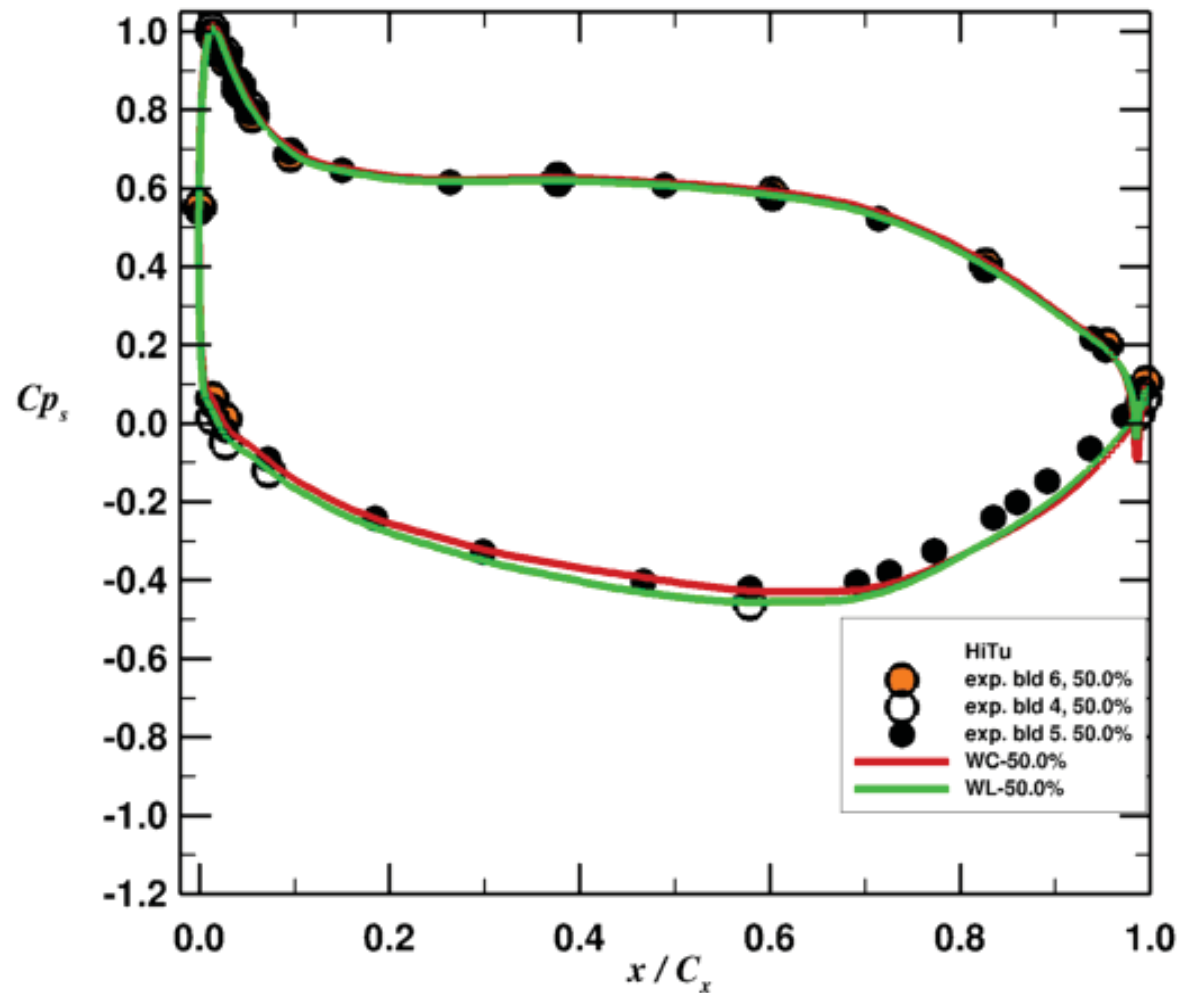


WC

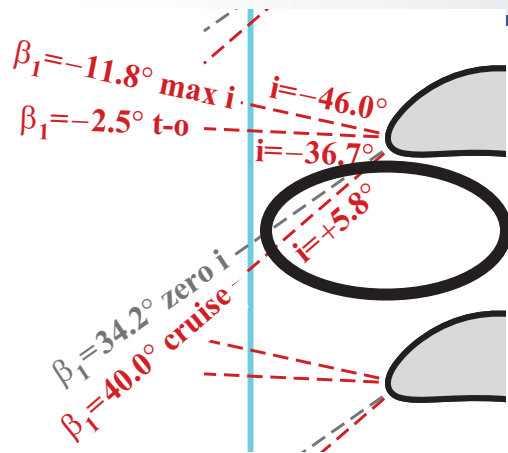
# Pressure Distribution, Cruise, Hi Tu



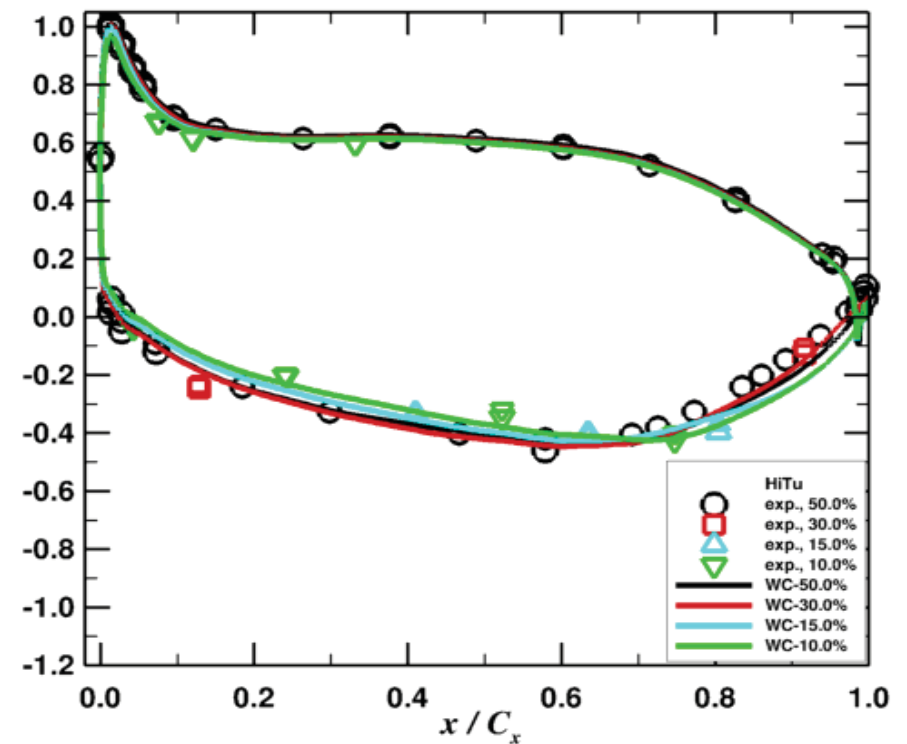
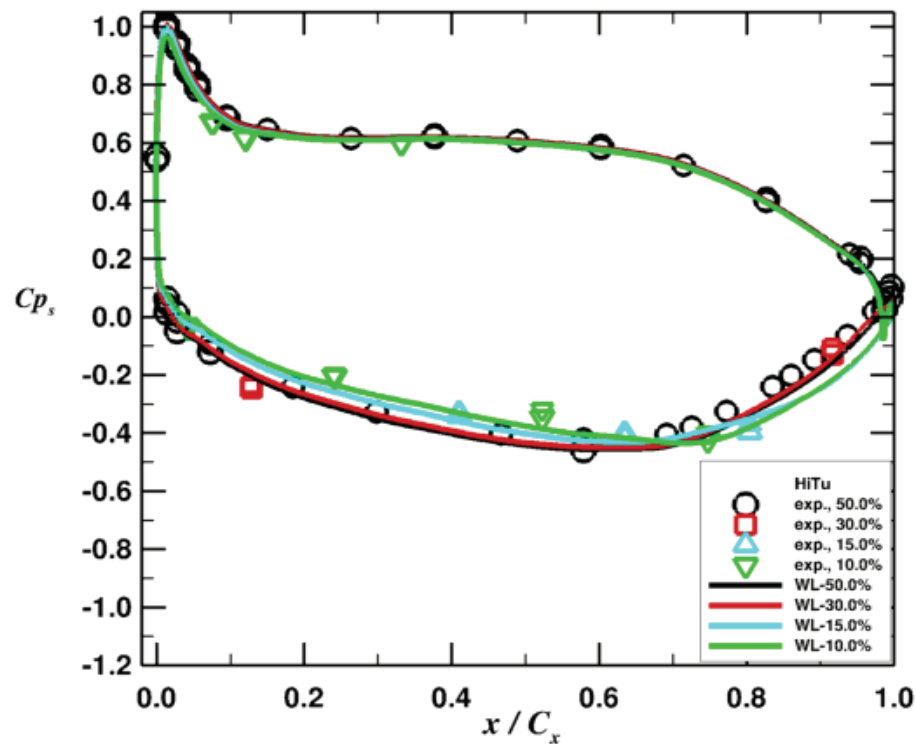
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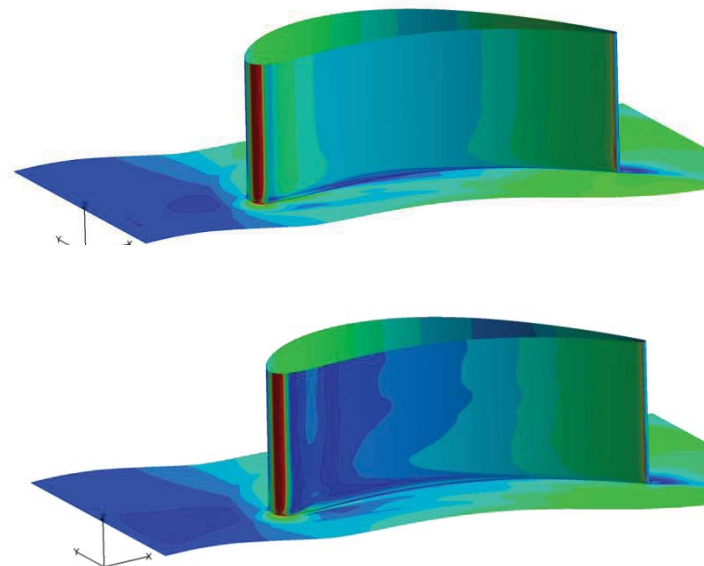
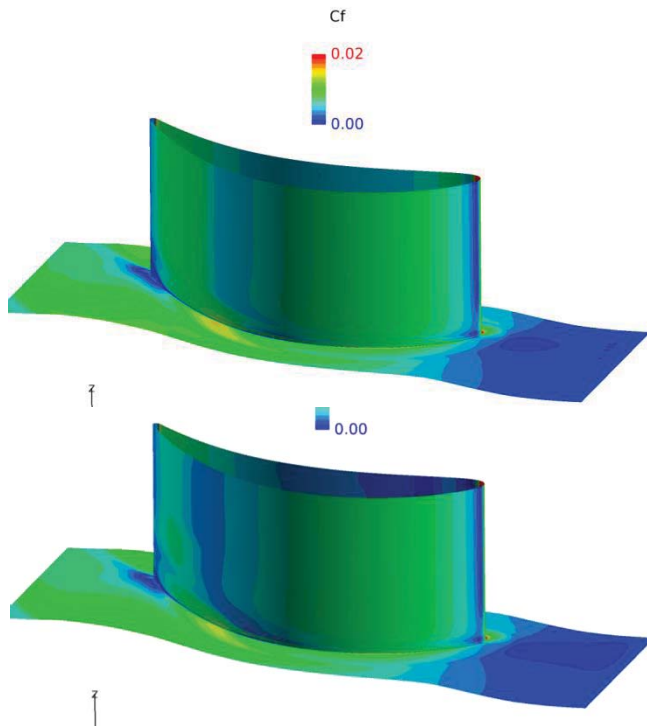
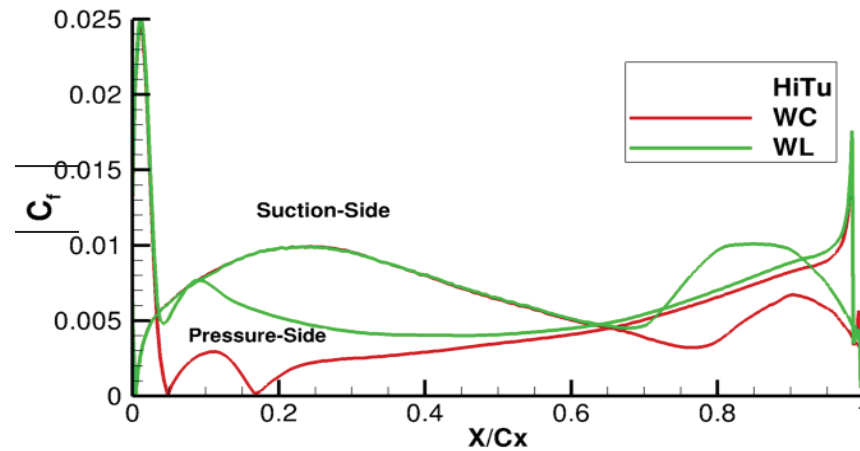
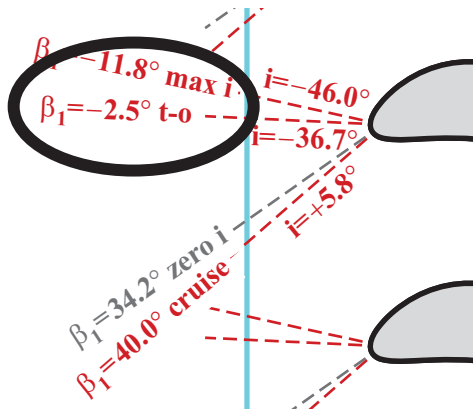
# Pressure Distribution, Cruise, Hi-Tu



$$C_{ps} = (P - P_{s2}) / (P_{t1} - P_{s2})$$



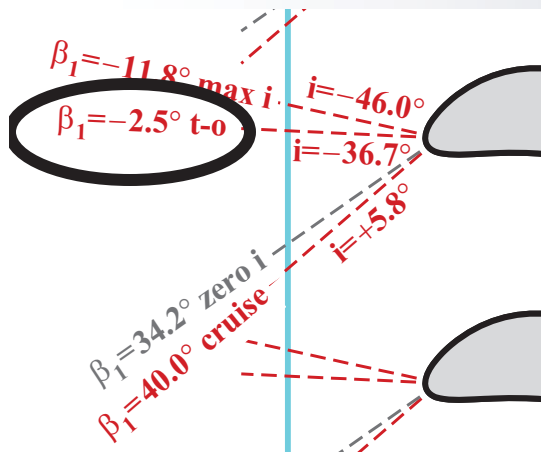
# Transition, Takeoff, Hi Tu



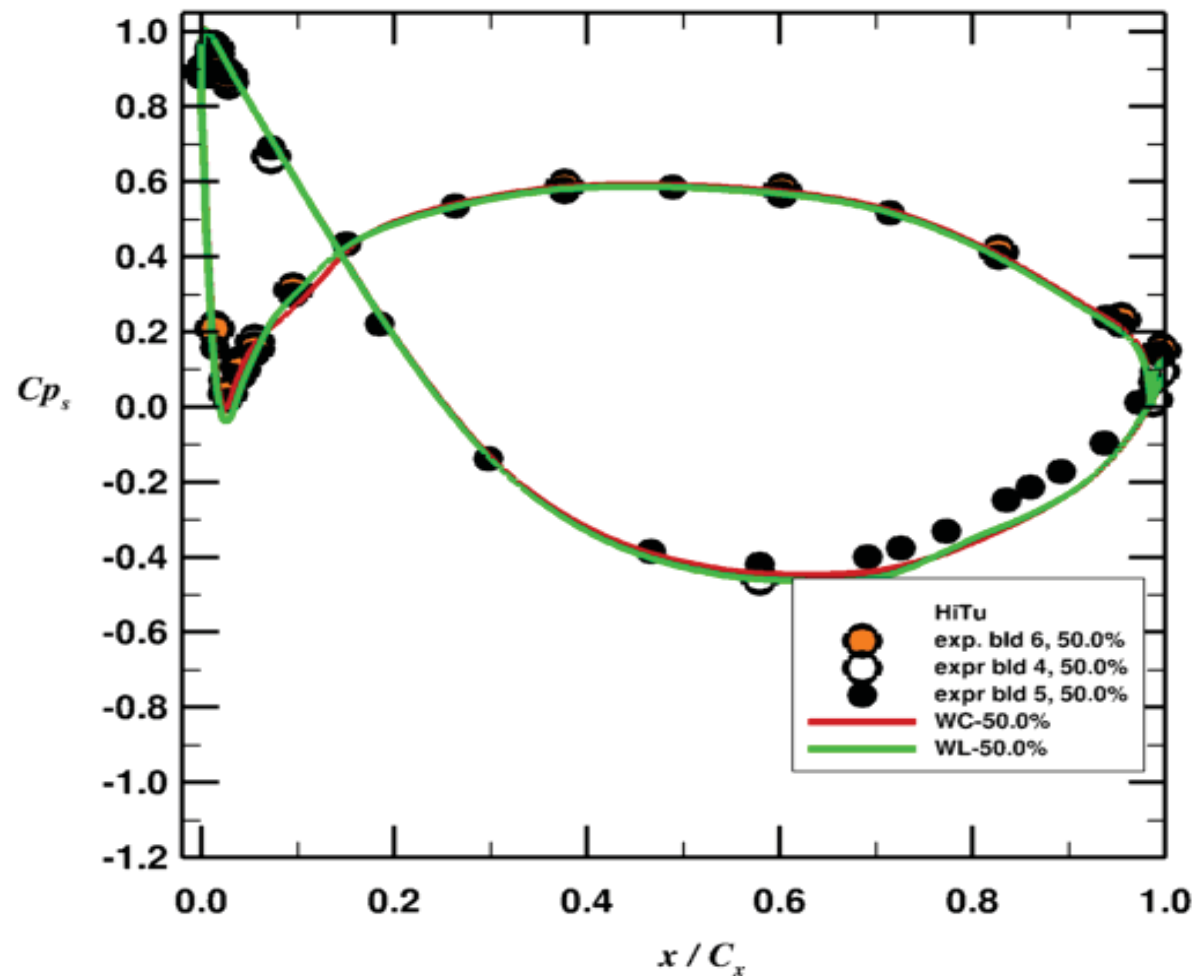
WL

WC

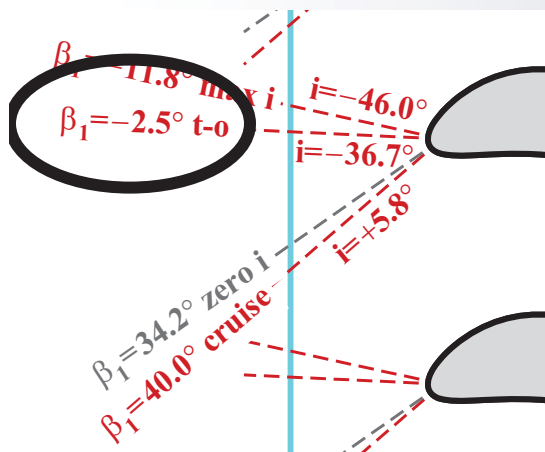
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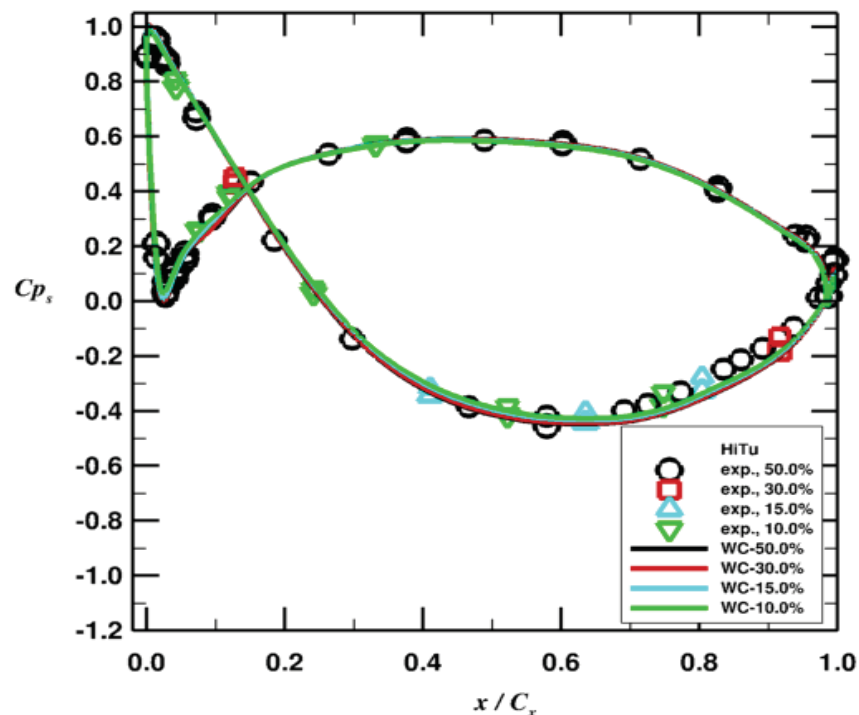
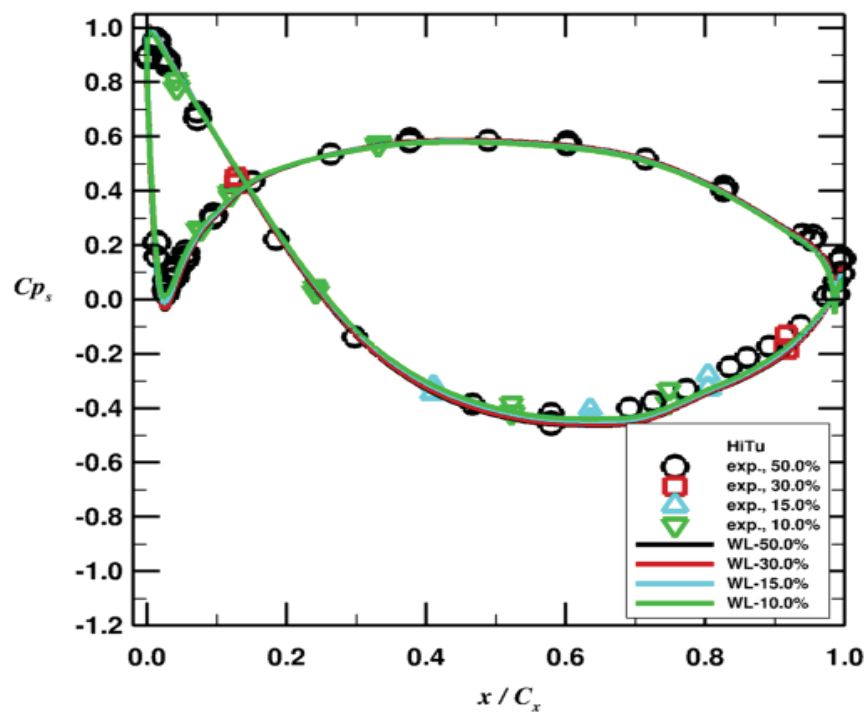
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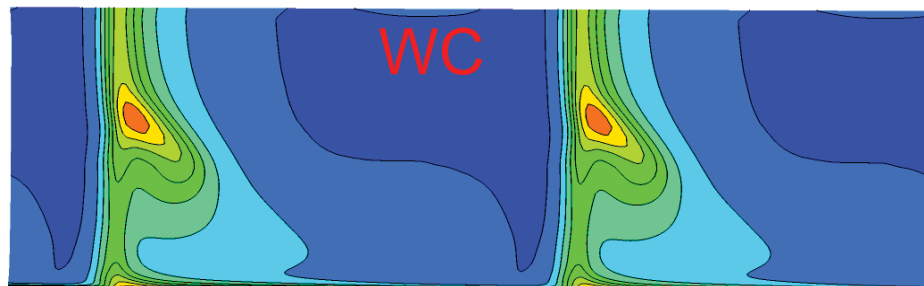
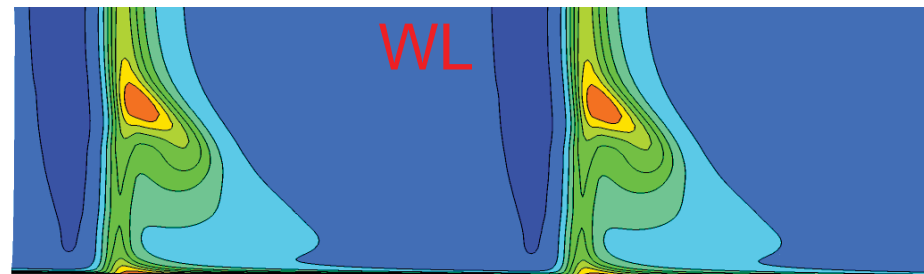
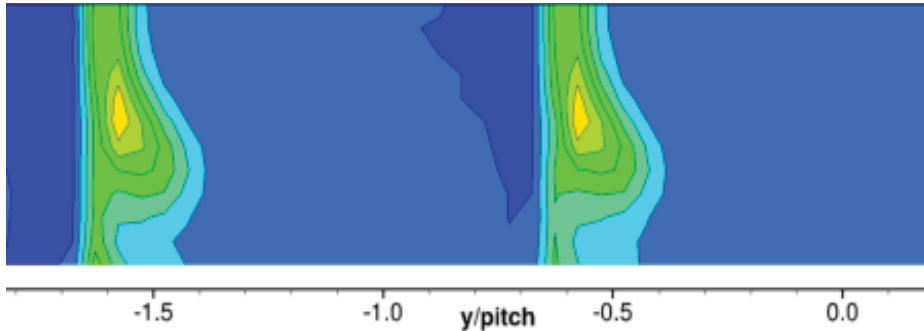
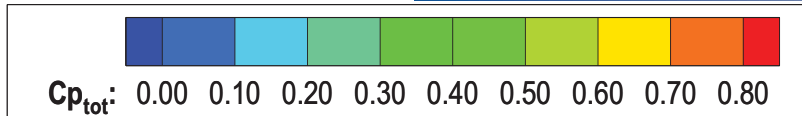
# Pressure Distribution, Takeoff, High Tu



$$C_{ps} = (P - P_{s2}) / (P_{t1} - P_{s2})$$



# $C_{pt}$ for the Cruise incidence, High Tu



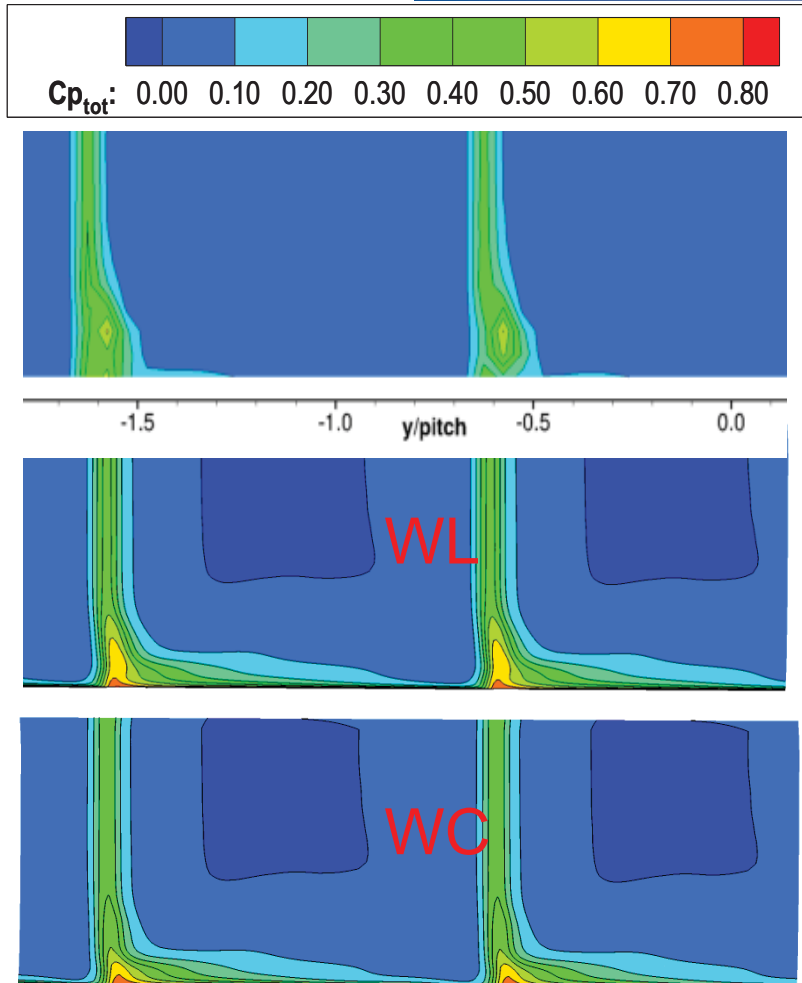
$$C_{pt} = \frac{P_{t1} - P_{t-x}}{P_{t1} - P_{s2}}$$

Probe Data 7%  $x=1.07CX$

CFD

- The wake total pressure loss coeff. measure  $C_{pt}$  over the half-span is conservative.

# $C_{pt}$ for the Takeoff incidence, High Tu



$$C_{pt} = \frac{P_{t1} - P_{t-x}}{P_{t1} - P_{s2}}$$

Probe Data 7%  $x=1.07CX$

CFD

- The wake total pressure loss coeff. measure  $C_{pt}$  over the half-span is well predicted.

# Summary and Conclusions

- For the VSPT, flow transition/separation has been identified as an important process.
- Large variations in incidence angles require models that can reasonably compute these flows.
- Numerical modeling and validation with companion experimental data of the 3-D flow in a 2-D transonic linear cascade at the two incidence angle conditions corresponding to **Takeoff** and **Cruise** were made.

# Summary and Conclusions

- The inlet turbulent length scale, which determines the decay rate of turbulence, was determined from the data.
- At low  $Tu$ , WL model missed separation entirely due to early transition while WC model predicted a laminar boundary layer and the subsequent separation as described by the data.
- At higher  $Tu$  the two models performed similarly and results were quite satisfactory. At the takeoff condition WC model shows separation on the pressure side while WL model does not.
- Losses are generally better predicted with the WC model.