

# Design of an Object-oriented Turbomachinery Analysis Code

*Object-oriented Turbomachinery Analysis Code*  
**OTAC**

## Initial Results

Scott Jones, NASA Glenn Research Center

# Presentation Outline

- justification - why write yet another turbomachinery code?
- approach - what does an object-oriented turbomachinery code look like?
- results - how do I know the code works?

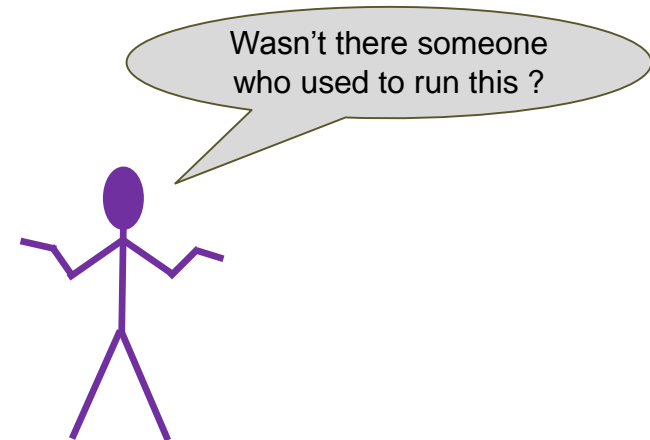
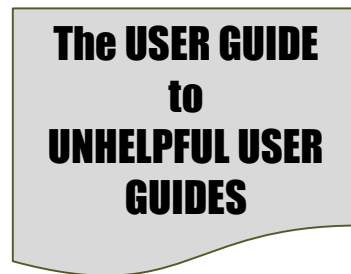
# Justification

- there is still a need for 2-D design/analysis
- codes tend to be focused on one aspect



- specific, individual codes may have undesirable features

ERROR: SOURCE CODE NOT FOUND



# Problem Description and Assumptions

## **CODE REQUIREMENTS:**

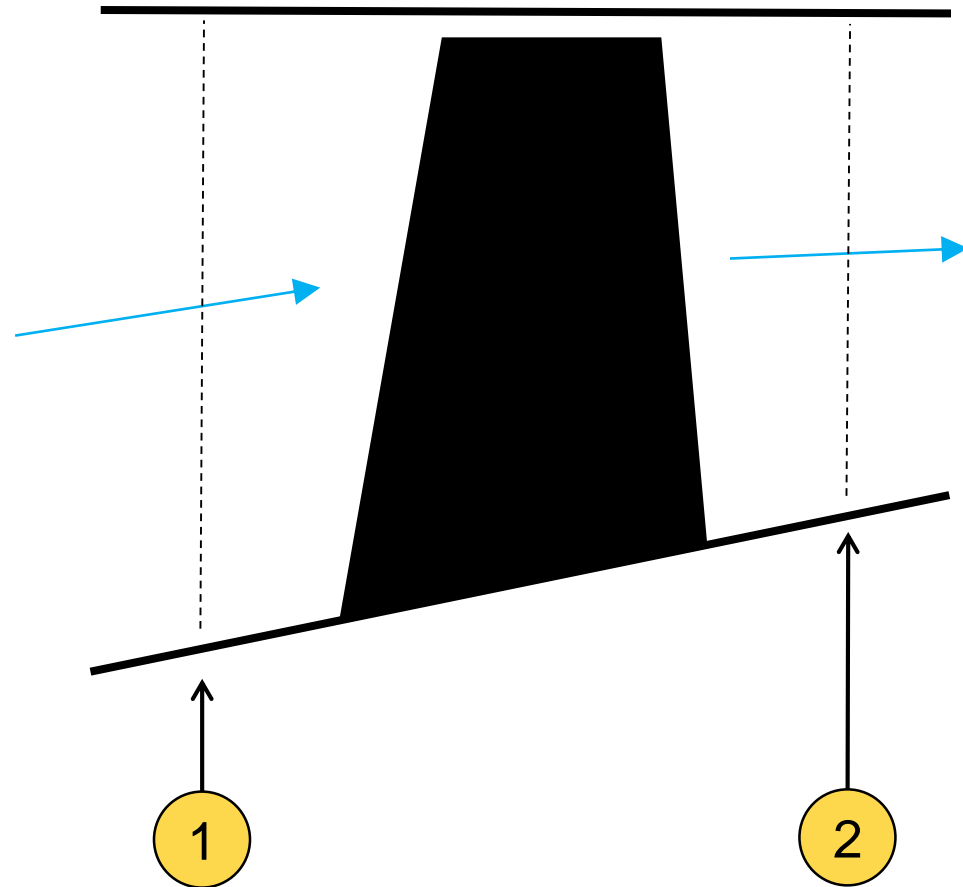
OTAC is applicable for

- compressors and turbines
- design and analysis
- meanline and streamline
- axial, centrifugal/radial, and mixed

## **CODE ASSUMPTIONS:**

flow going through a blade row in an annulus from station ① to station ② :

- steady-state, throughflow
- circumferentially uniform
- adiabatic, simple radial equilibrium
- no change in mass flow rate
- no streamline curvature

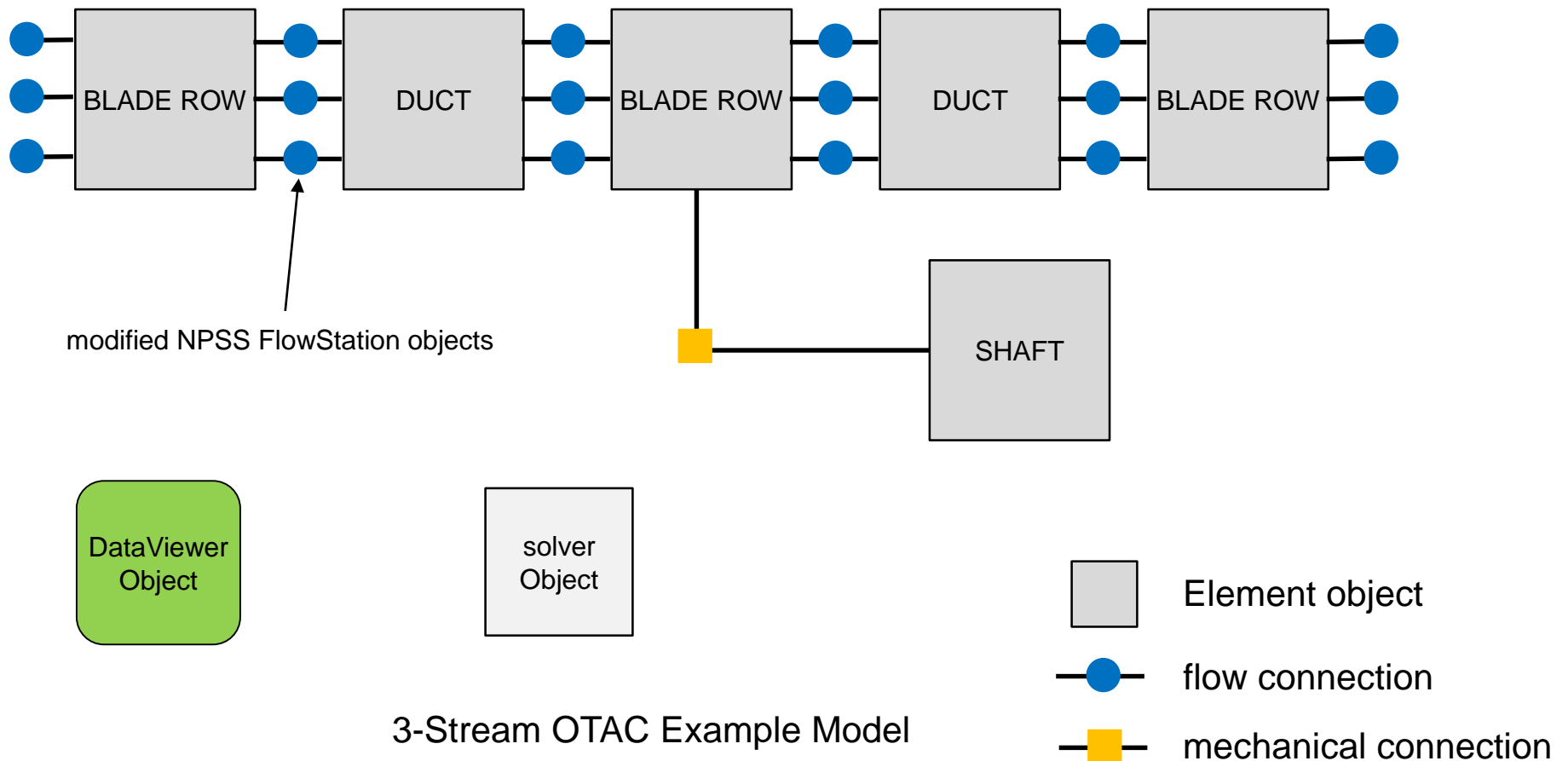


## **ADDITIONAL GOALS:**

modular (loss models), good thermo, simulate unconventional architectures

# OTAC Written in NPSS Environment

- allows re-use of Numerical Propulsion System Simulation objects
- model structure similar to NPSS engine cycle model



# FlowStation Object Extended from NPSS

NPSS 1-D FlowStation (4 inputs):

$h_t, P_t$

MN

$\dot{m}$

OTAC FlowStation (7+1 inputs):

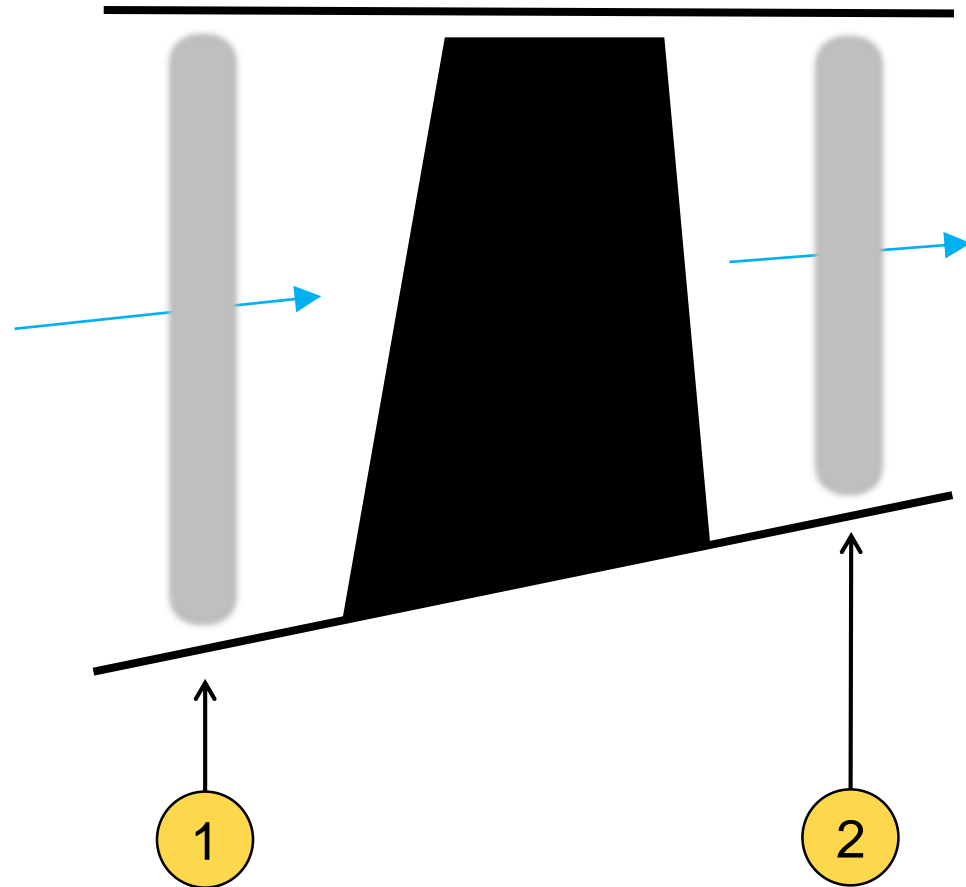
$h_t, P_t$

MN,  $\alpha, \phi$

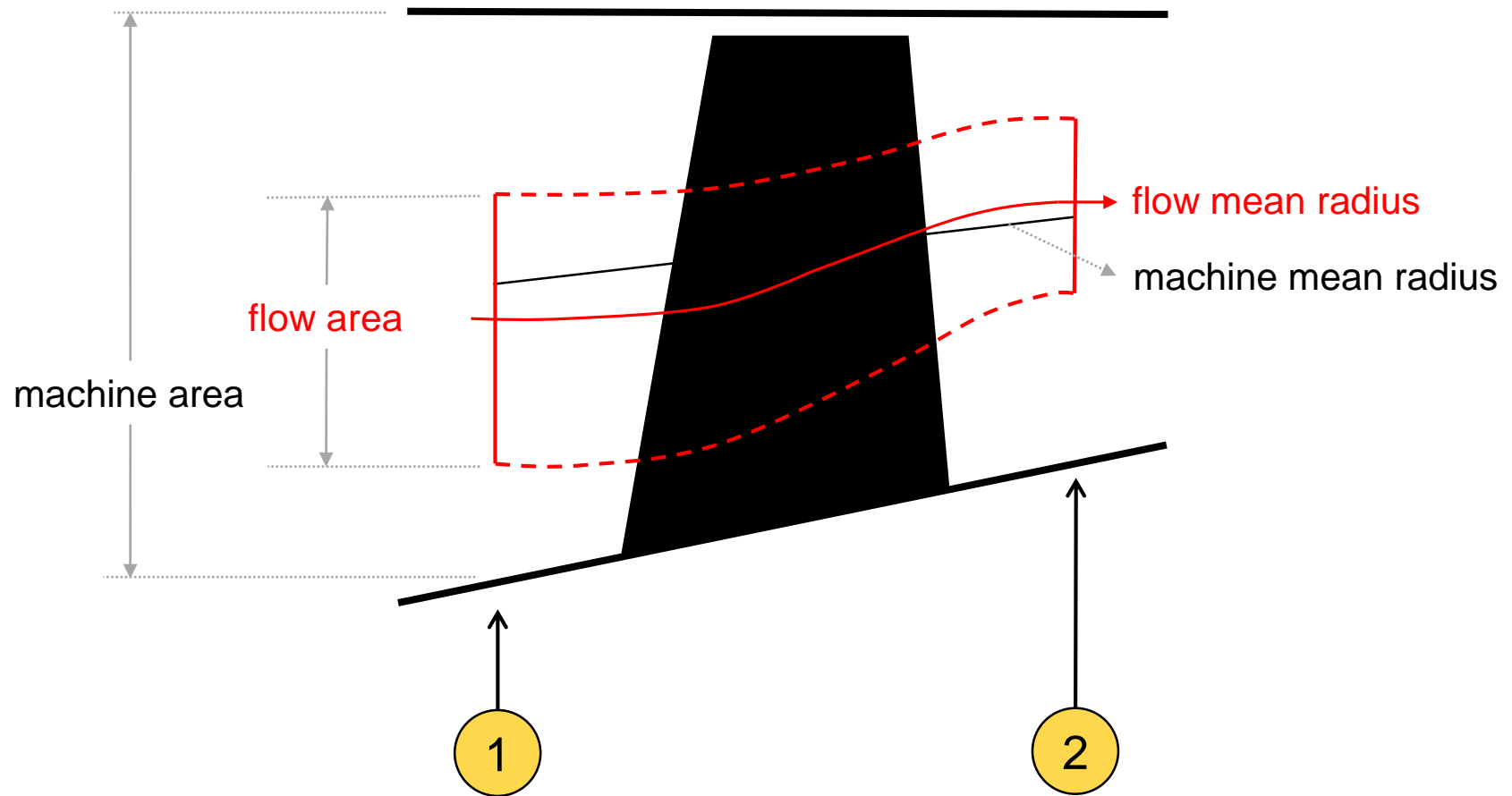
$\dot{m}$

radius

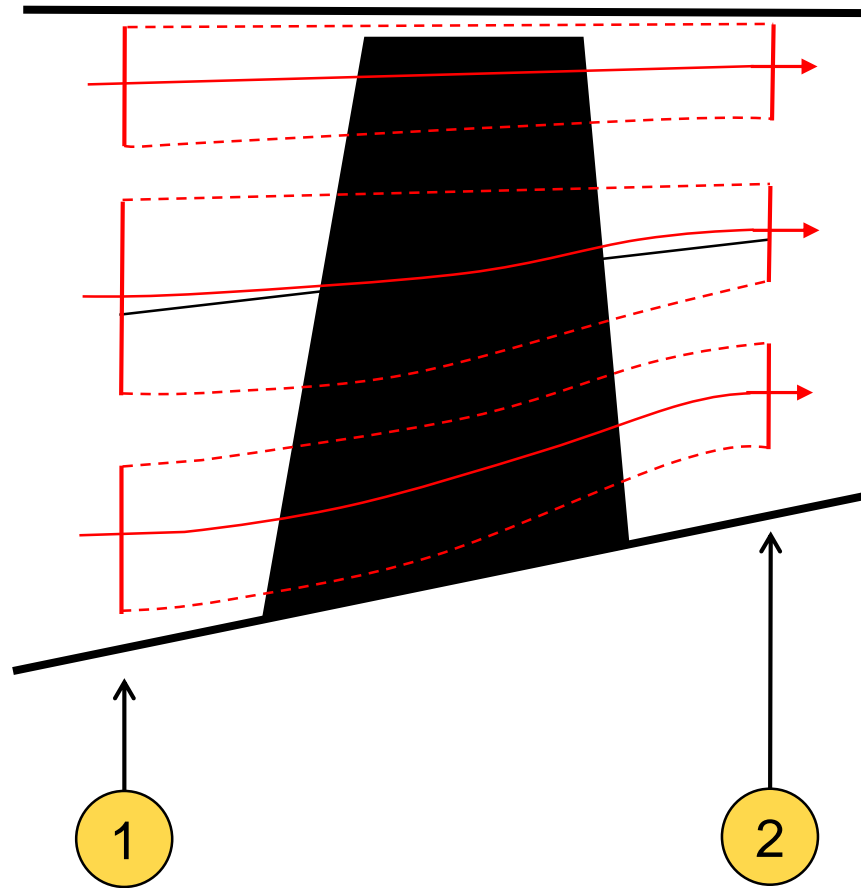
+ relative frame angular speed:  $\omega$



# Streamtube in an Annulus



# Multiple Streamtubes



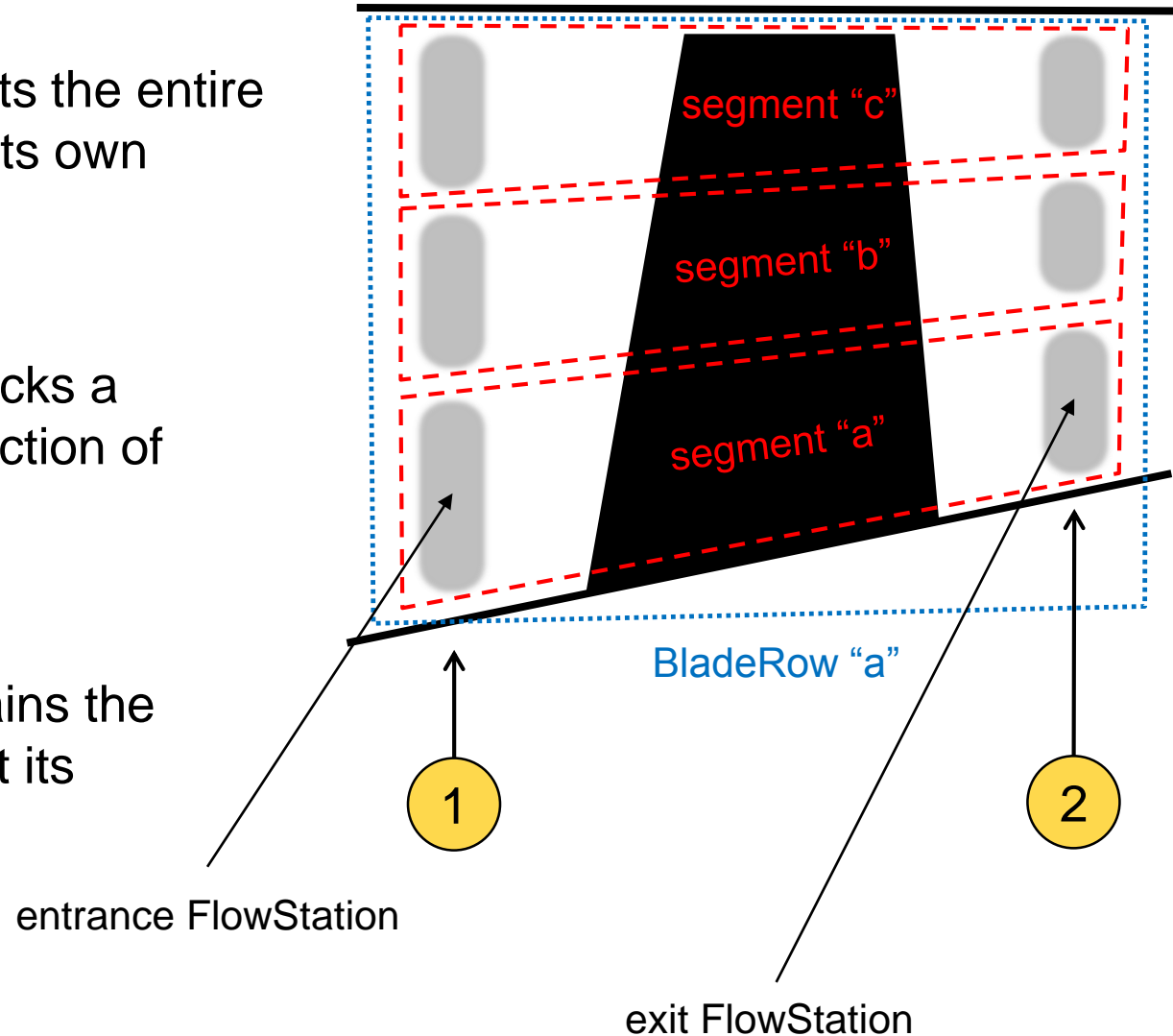


# NPSS BladeRow Objects

the **BladeRow** represents the entire blade row and contains its own “sub-objects”

each **BladeSegment** tracks a streamtube through a section of blade

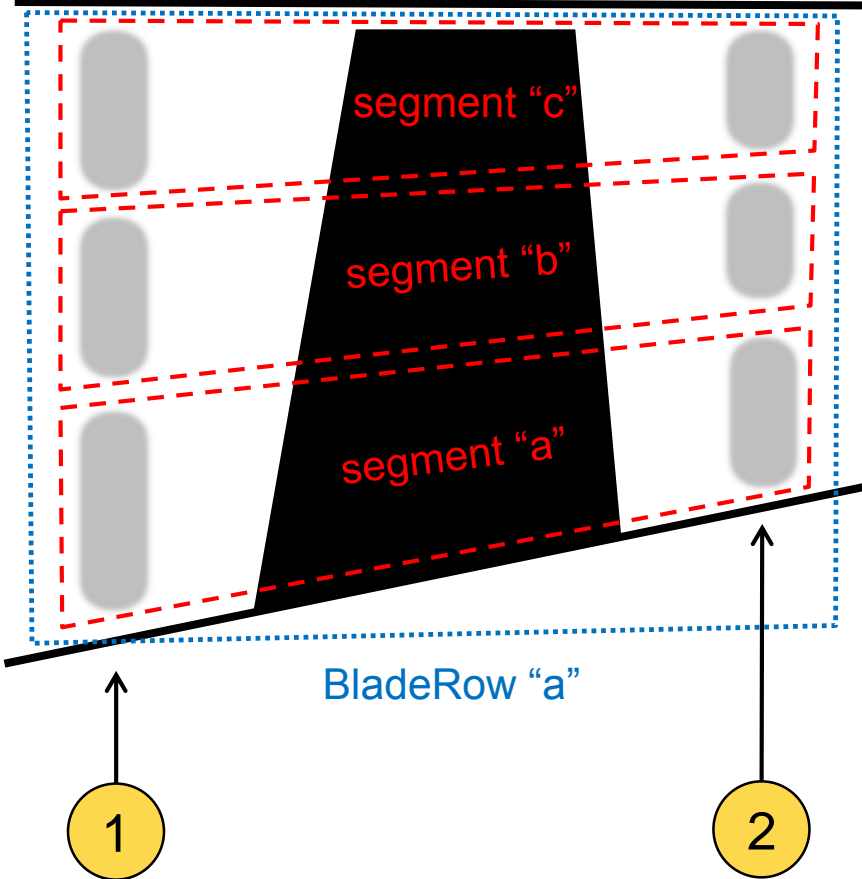
each **FlowStation** contains the entire state of the fluid at its particular location



# NPSS Solver

**Independents** represent variables the NPSS solver is allowed to vary

**Dependents** represent equations or conditions the NPSS solver must satisfy

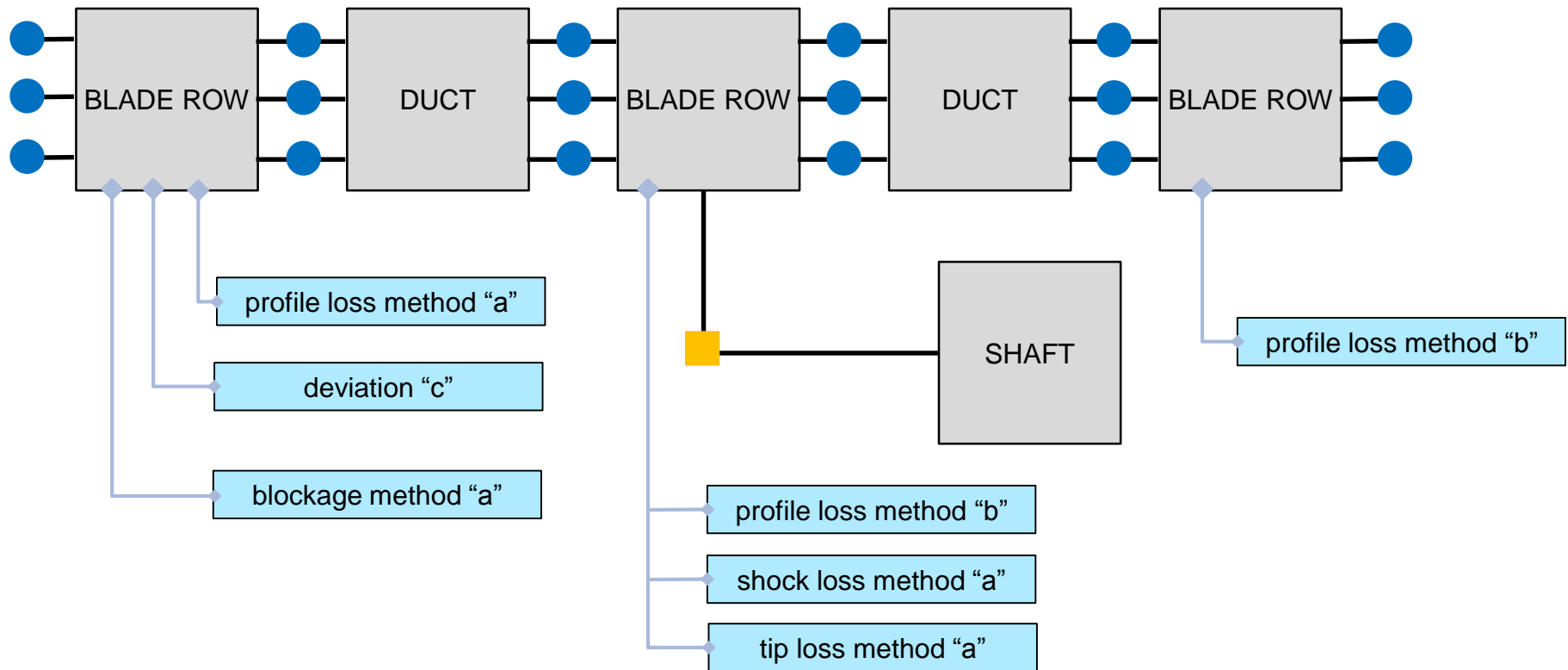


- FlowStation Independents
- $\dot{m}_2$
  - $h_{t2}$
  - $P_{t2}$
  - $\alpha_2$
  - $radius_2$
  - $MN_2$

- BladeRow Dependents
- continuity  $\dot{m}_{m2} = \dot{m}_{m1}$
  - conservation of energy/Euler  $h_{t2} - h_{t1} = \omega(r_2 V_{\theta 2} - r_1 V_{\theta 1})$
  - non-ideal process loss  $P_{t2} = P_{t2_{ideal}} - \Delta P_t$
  - non-ideal process turning  $\beta_2 = \beta_{blade} + \delta$
  - geometry constraint (radius)  $radius_2 = r_{machine}$
  - geometry constraint (area)  $A_{flow2} = A_{machine} - A_{blockages}$

# Empirical Effects

- **BladeRows** contain **Sockets**, placeholders to insert code that calculates a certain variable such as non-dimensional pressure loss



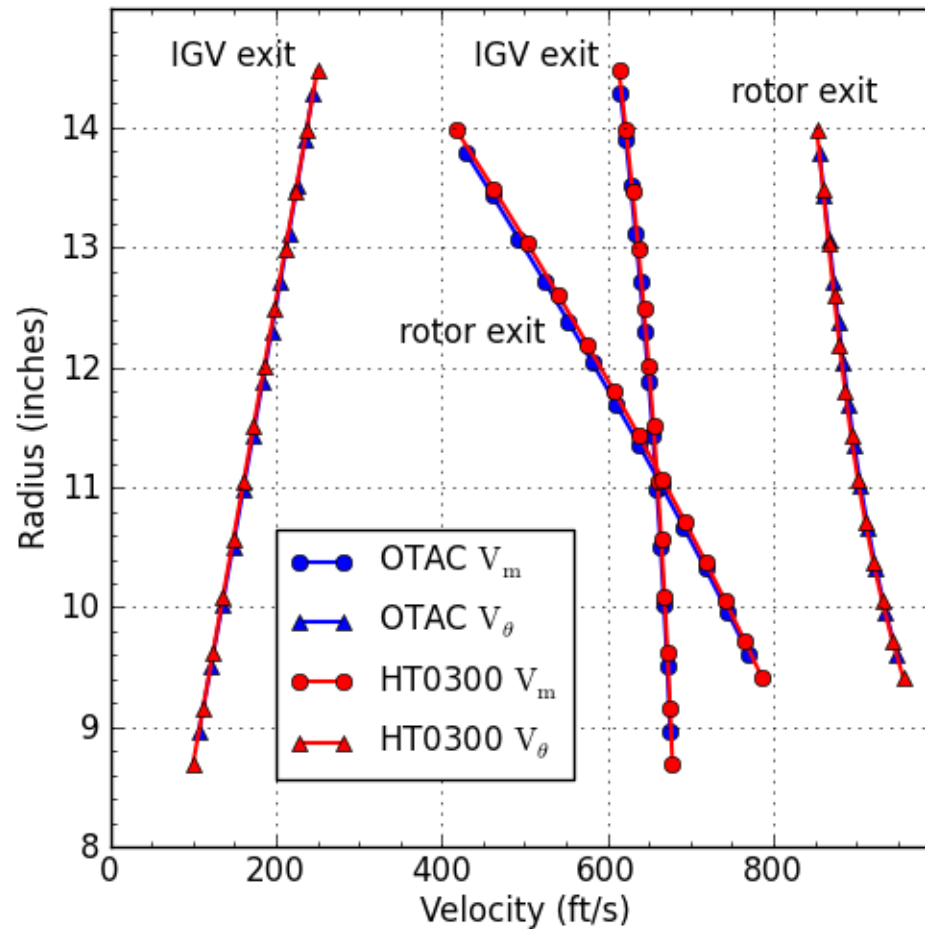
- this allows for considerable versatility in applying losses to the simulation; other benefits include testing and proprietary considerations

# Results

- comparison against other codes and calculations
- investigation to determine even if the NPSS solver could reliably converge with matrix sizes over 50x50
- more test cases have been run than shown here

# Test Cases and Results

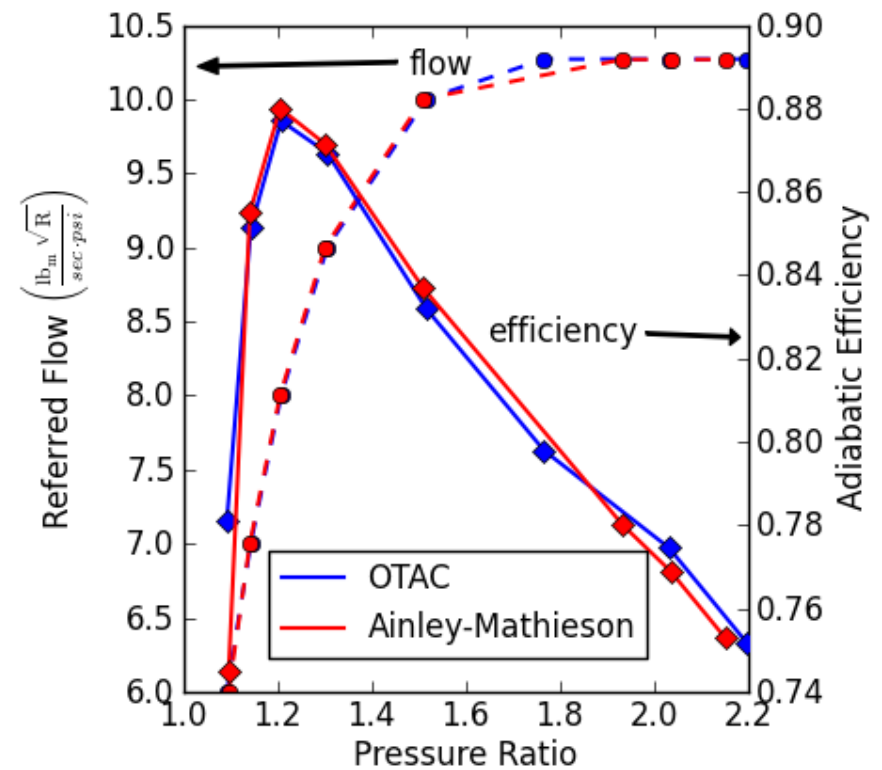
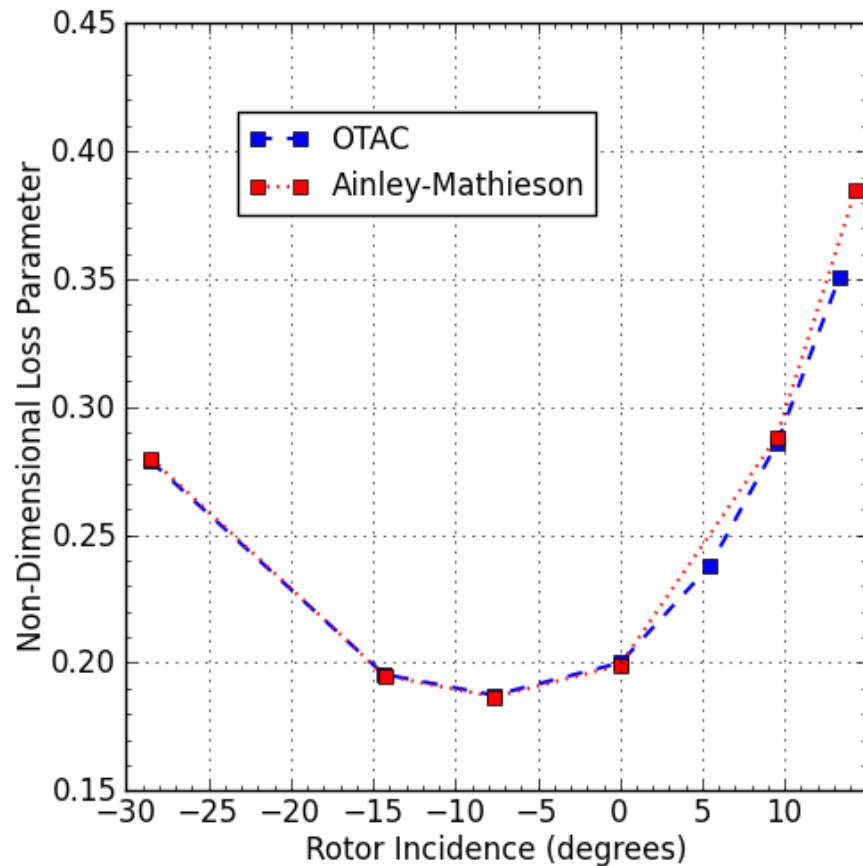
- comparison of OTAC and HT0300 for a compressor IGV plus rotor, streamline, losses input



Program HT0300, Richard M. Hearsey, 2011

# Test Cases and Results

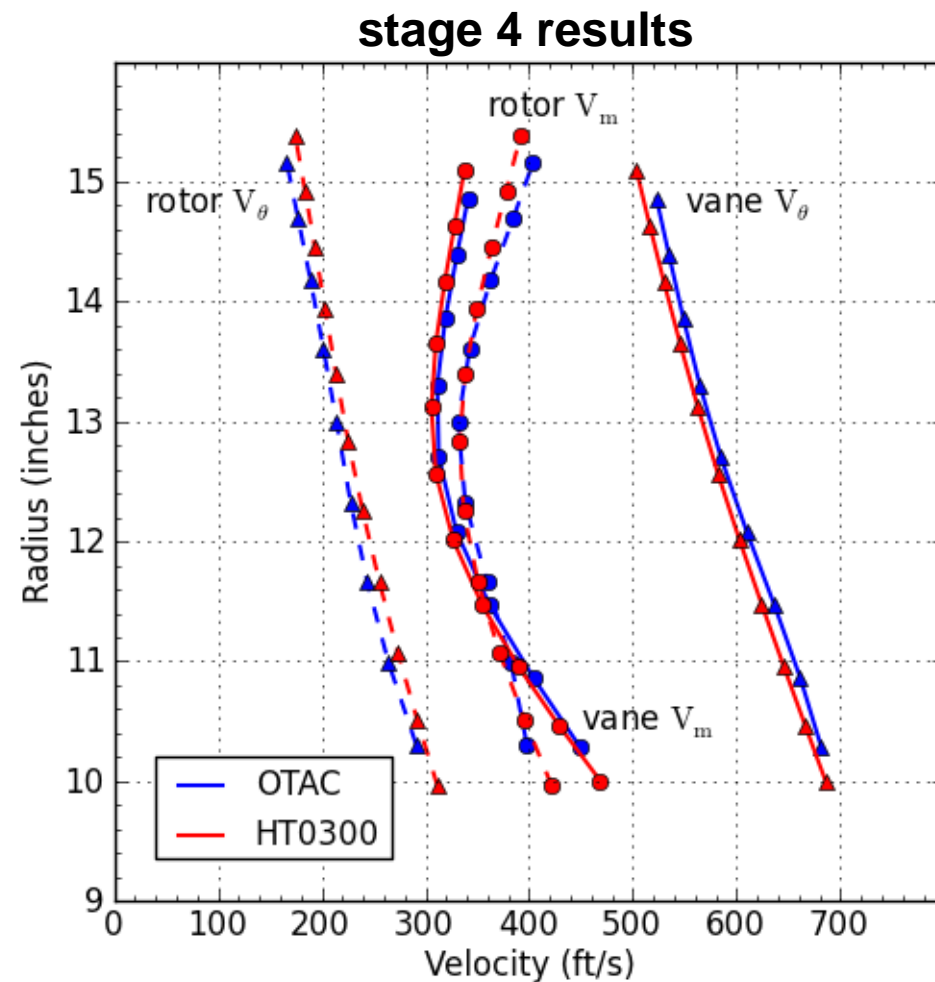
- comparison of OTAC and Ainley-Mathieson single stage turbine calculation, meanline, losses calculated



*A Method of Performance Estimation for Axial-Flow Turbines*, D.G. Ainley and G.C.R. Mathieson, 1957

# Test Cases and Results

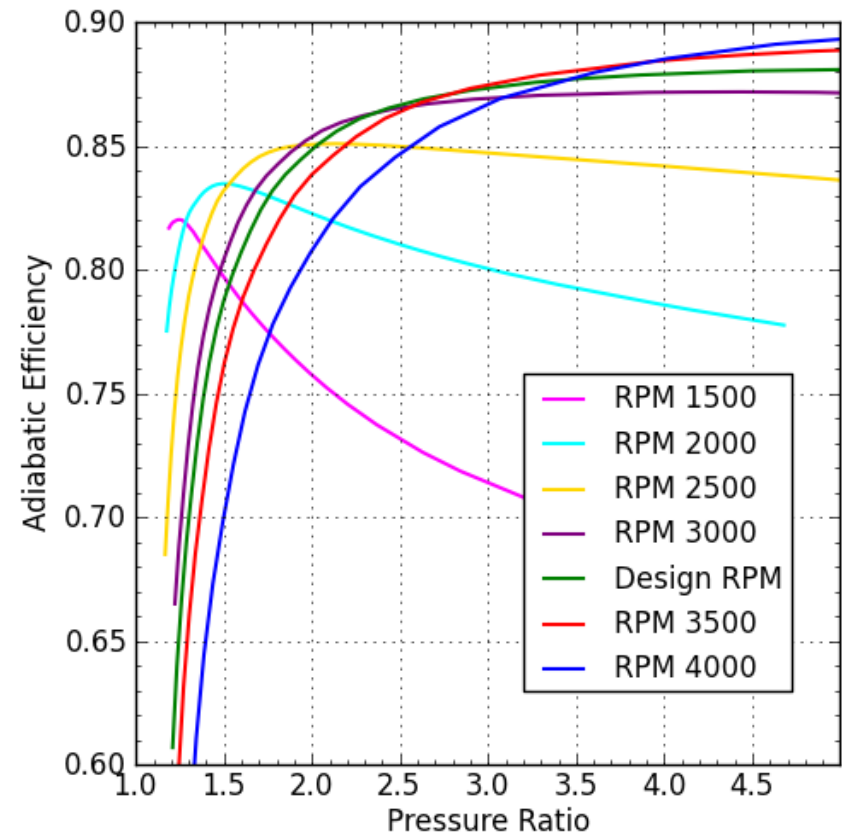
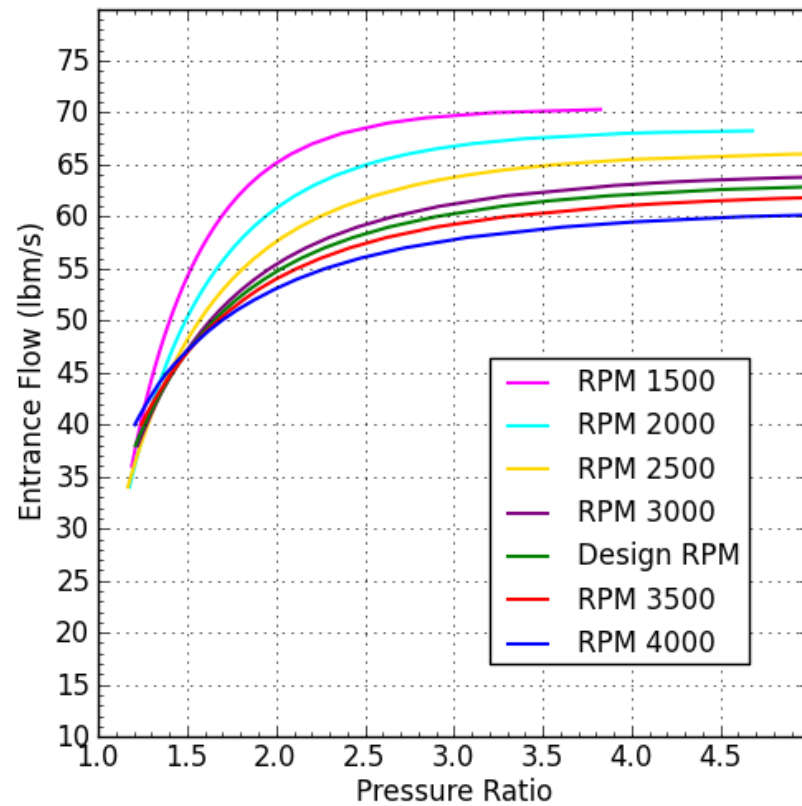
- comparison of OTAC and HT0300 5-stage turbine calculation, streamline, losses calculated using Ainley-Mathieson with Kacker/Okapuu modifications



Program HT0300,  
Richard M. Hearsey, 2011

# Test Cases and Results

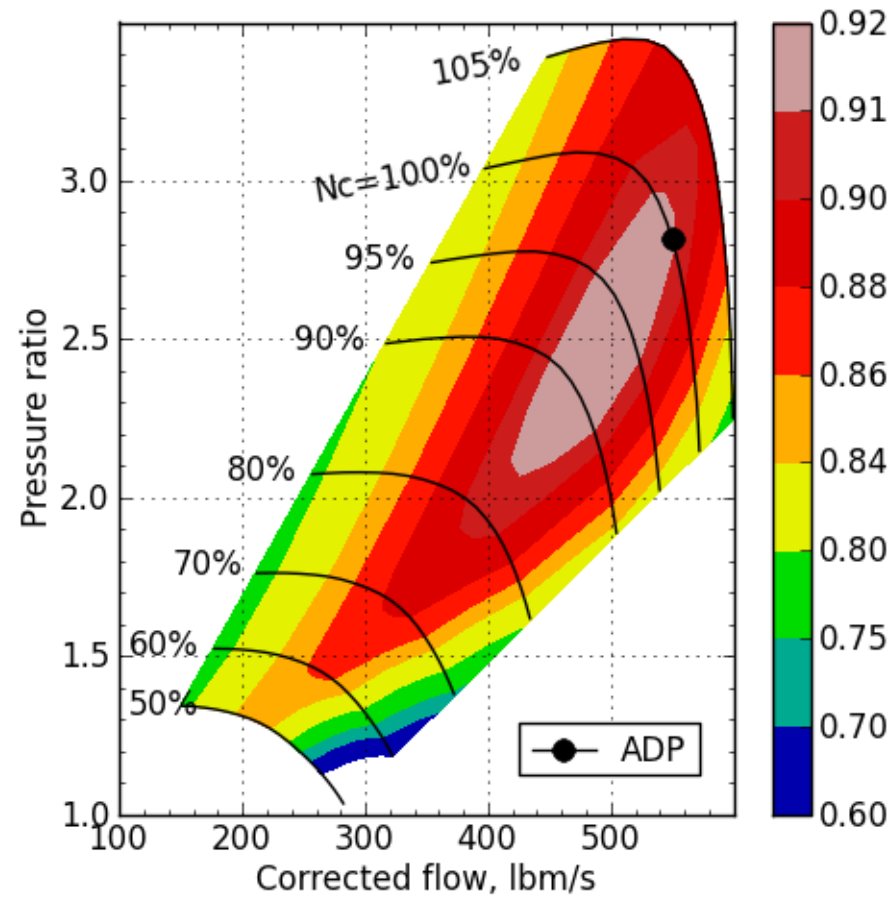
- OTAC analysis of 5-stage turbine (from previous slide), streamline





# Test Cases and Results

- OTAC analysis of 2-stage compressor, streamline, losses calculated using Aungier correlations



*Axial-Flow Compressors: A Strategy for Aerodynamic Design and Analysis*, Ronald H. Aungier, 2003

# Test Cases and Results

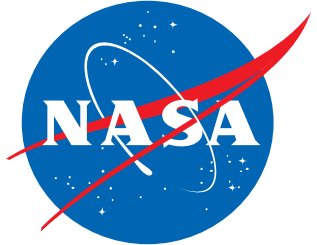
- comparison of OTAC and Japikse & Baines centrifugal compressor calculation, meanline, losses input

<b>impeller exit</b>	<b>OTAC</b>	<b>Japikse</b>
<b>Pt, psi</b>	31.17	31.17
<b>Tt, R</b>	653.5	653.7
<b>Vm, ft/s</b>	342.4	342.4
<b>V<math>\theta</math>, ft/s</b>	843.8	843.8
<b><math>\beta</math> flow, degrees</b>	19.04	-19.04
<b><math>\alpha</math> flow, degrees</b>	67.91	67.91
<b>slip factor</b>	0.8772	0.8772
<b>diffuser exit</b>		
<b>Pt, psi</b>	30.04	30.04
<b>Ps, psi</b>	26.71	26.64
<b><math>\alpha</math> flow, deg</b>	55.99	50.94

*Introduction to Turbomachinery*, David Japikse and Nicholas C. Baines, 1994

# Summary

- OTAC proof of concept verified – correct results for compressors, turbines, axial, centrifugal, meanline, streamline, design and analysis
- extensive work on turbine loss models: Ainley-Mathieson, Kacker-Okappu, Dunham-Came, Moustapha-Kacker-Tremblay
- compressor loss model based on Aungier's method implemented
- further work includes additional loss models, improved logic for choked flow operation



# Backup Slides

# Meanline BladeRow Equation Set

*continuity*

*conservation of energy/Euler*

*non-ideal process loss*

*non-ideal process turning*

*geometry constraint (radius)*

*geometry constraint (area)*

note: at design,  $\beta_{blade}$  and  $A_{machine}$  may be input (direct-design) or varied to produce specific performance (indirect-design)

$$\dot{m}_{m2} = \dot{m}_{m1}$$

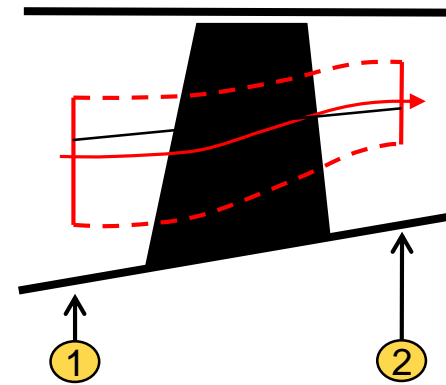
$$h_{t2} - h_{t1} = \omega(r_2 V_{\theta 2} - r_1 V_{\theta 1})$$

$$P_{t2} = P_{t2ideal} - \Delta P_t$$

$$\beta_2 = \beta_{blade} + \delta$$

$$r_2 = r_{machine}$$

$$A_{flow2} = A_{machine} - A_{blockages}$$



# Streamline BladeRow Equation Set

- $n$  continuity
- $n$  energy/Euler
- $n$  loss condition
- $n$  flow follows blade
- $n-1$  geometry constraint
- $1$  geometry constraint
- $n-1$  spanwise eq.  $\frac{1}{\rho} \frac{dp}{dr} = \frac{V_{\theta}^2}{r}$
- $1$  geometry constraint

$$\dot{m}_{m2_i} = \dot{m}_{m1_i}$$

$$h_{t2_i} - h_{t1_i} = \omega(r_{2_i}V_{\theta 2_i} - r_{1_i}V_{\theta 1_i})$$

$$P_{t2_i} = P_{t2_{ideal\ i}} - \Delta P_{t_i}$$

$$\beta_{2_i} = \beta_{blade_i} + \delta_i$$

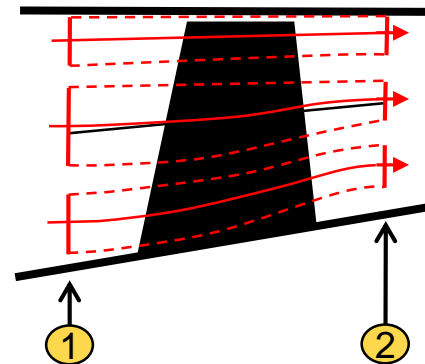
$$r_{2_{inner\ i+1}} = r_{2_{outer\ i}}$$

$$r_{2_{sum}} = r_{machine}$$

$$\frac{1}{\rho_i} \frac{\Delta p_i}{\Delta r_i} = \frac{V_{\theta_i}^2}{r_i}$$

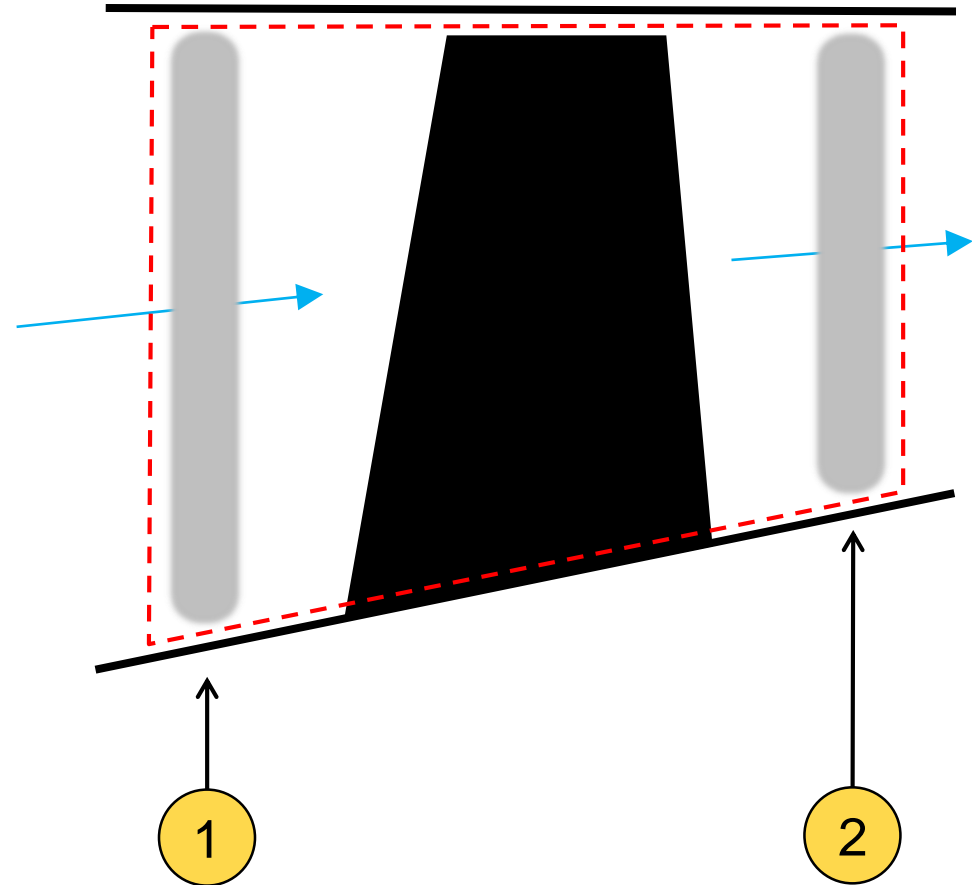
$$A_{flow2_{sum}} = A_{machine} - A_{blockages}$$

$n$  = number of streams  
 $i$  = stream number, 1 to  $n$   
 sum = aggregate value



# BladeSegment Object

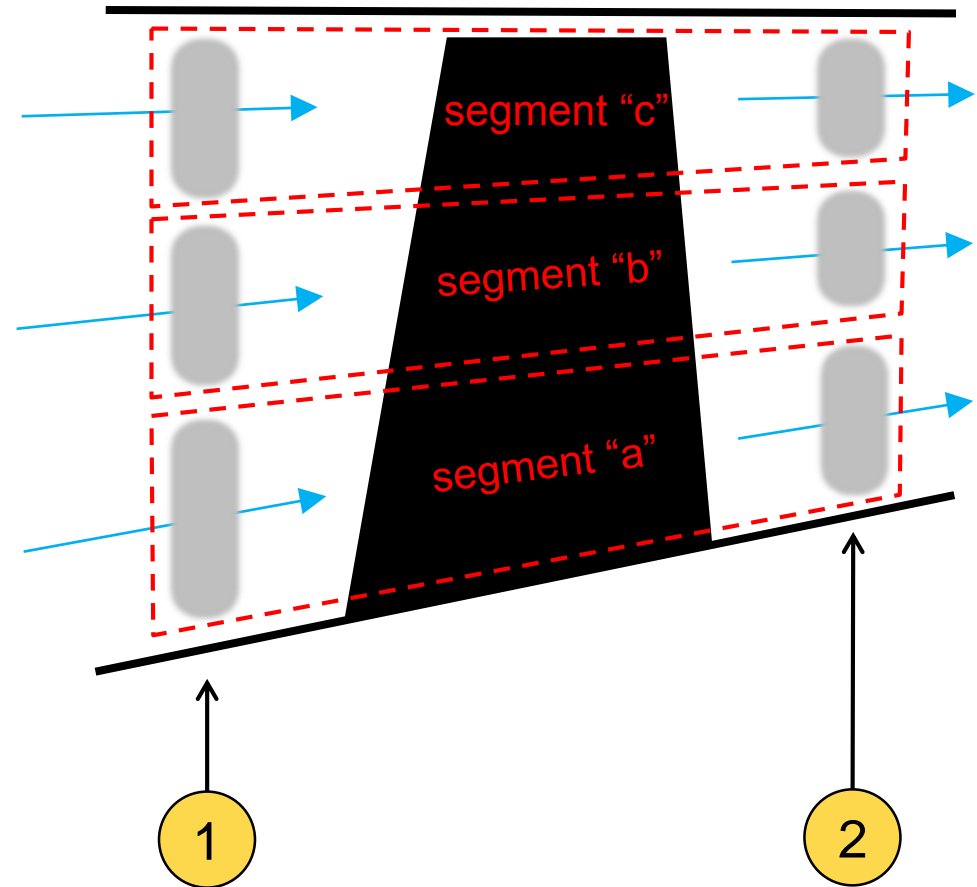
responsible for differences  
between certain flow states  
entrance  
exit - actual  
exit - ideal  $h_t$   
exit - ideal  $P_t$





# BladeSegment Object

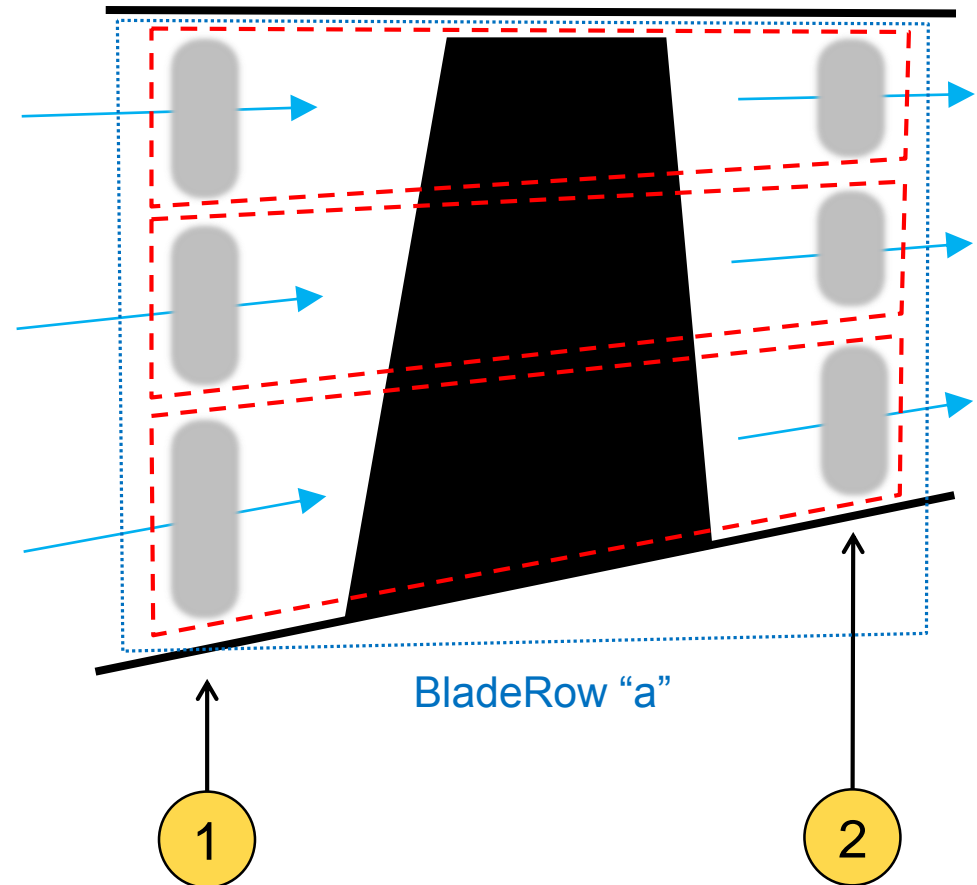
multiple BladeSegments allow  
for radial variation of flow  
properties



# BladeRow Object

responsible for differences between BladeSegments

holds blade row specific variables: annulus areas, number of blades, blade angles, power, etc.



# Slide Master