

# Flow Boiling and Condensation Experiment (FBCE) for the International Space Station

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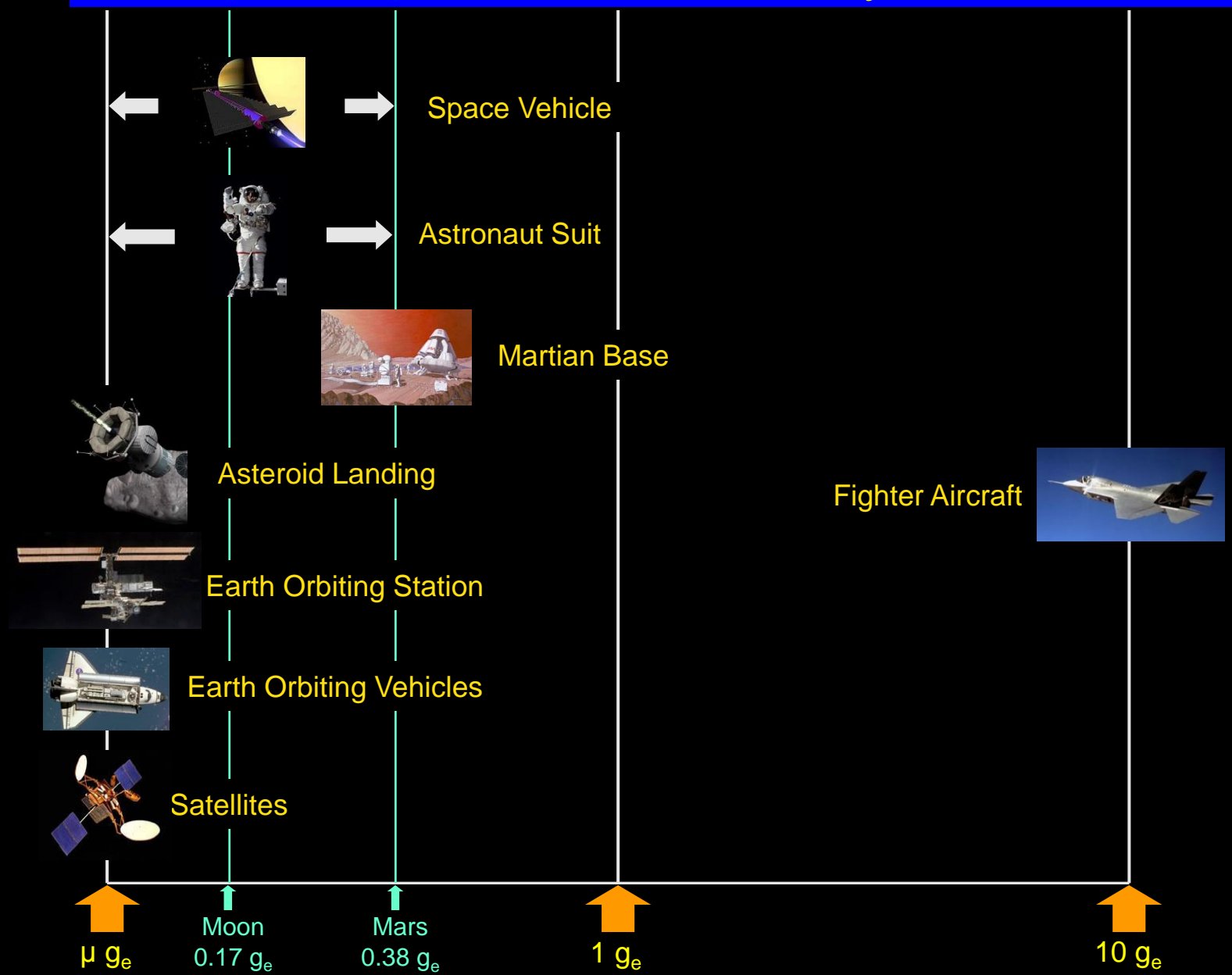
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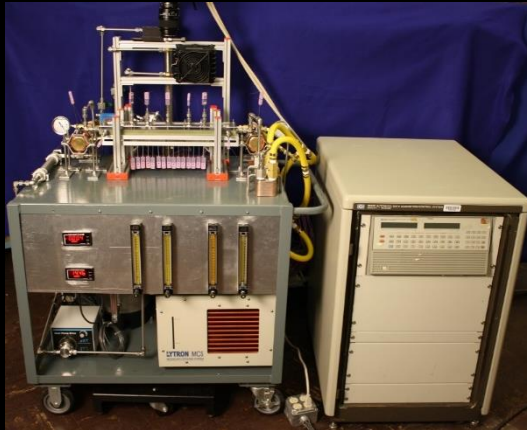
**High-Capacity  
Condensation Facility**



**One-g Flow  
Boiling Facility**



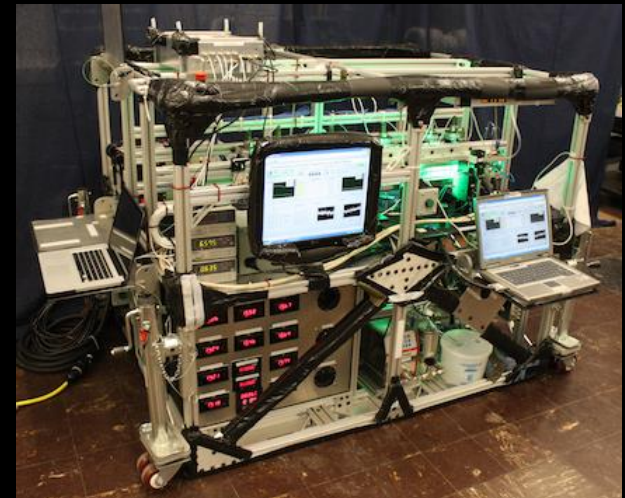
**Parabolic Flight Flow  
Boiling Facility**



**Mini/micro-channel  
Condensation Facility**



**Falling-Film  
Heating/Evaporation Facility**

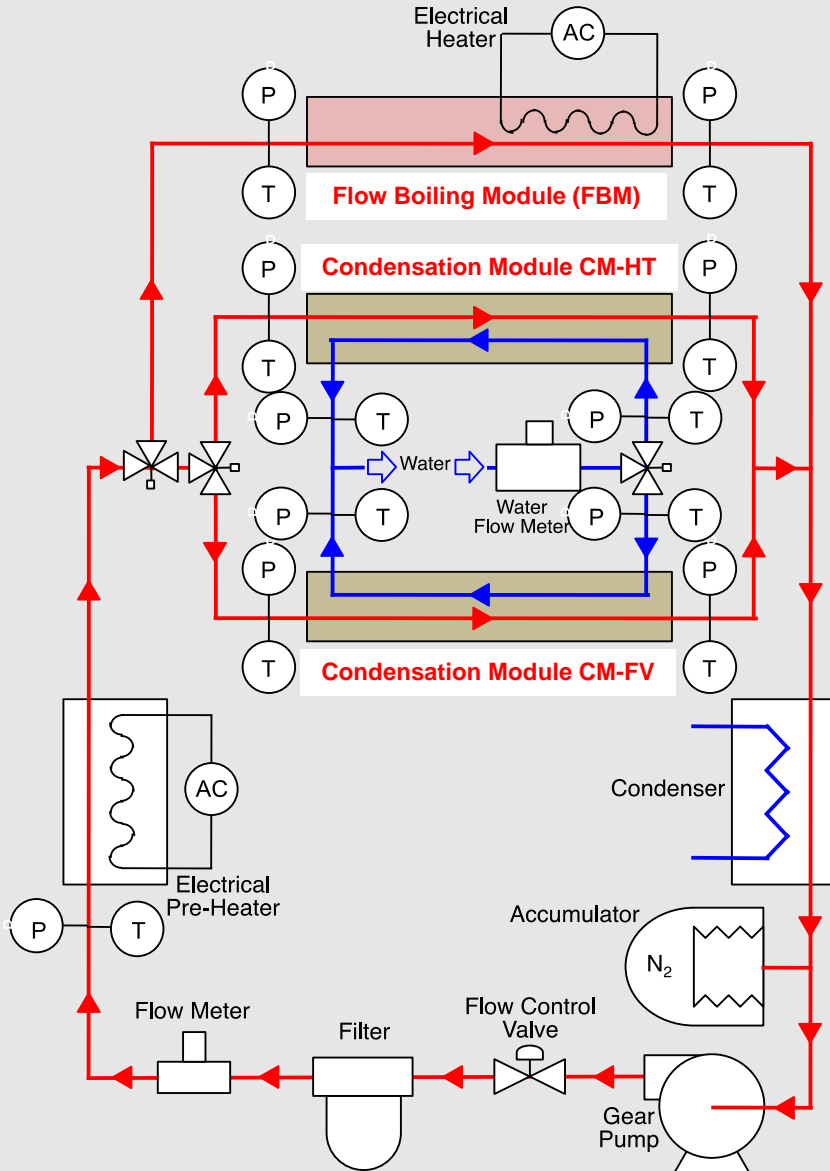


**Parabolic Flight  
Condensation Facility**

The proposed research aims to develop an integrated two-phase flow boiling/condensation facility for the International Space Station (ISS) to serve as primary platform for obtaining two-phase flow and heat transfer data in microgravity.

**Overriding objectives are to:**

1. Obtain flow boiling database in long-duration microgravity environment
2. Obtain flow condensation database in long-duration microgravity environment
3. Develop experimentally validated, mechanistic model for microgravity flow boiling critical heat flux (CHF) and dimensionless criteria to predict minimum flow velocity required to ensure gravity-independent CHF
4. Develop experimentally validated, mechanistic model for microgravity annular condensation and dimensionless criteria to predict minimum flow velocity required to ensure gravity-independent annular condensation; also develop correlations for other condensation regimes in microgravity



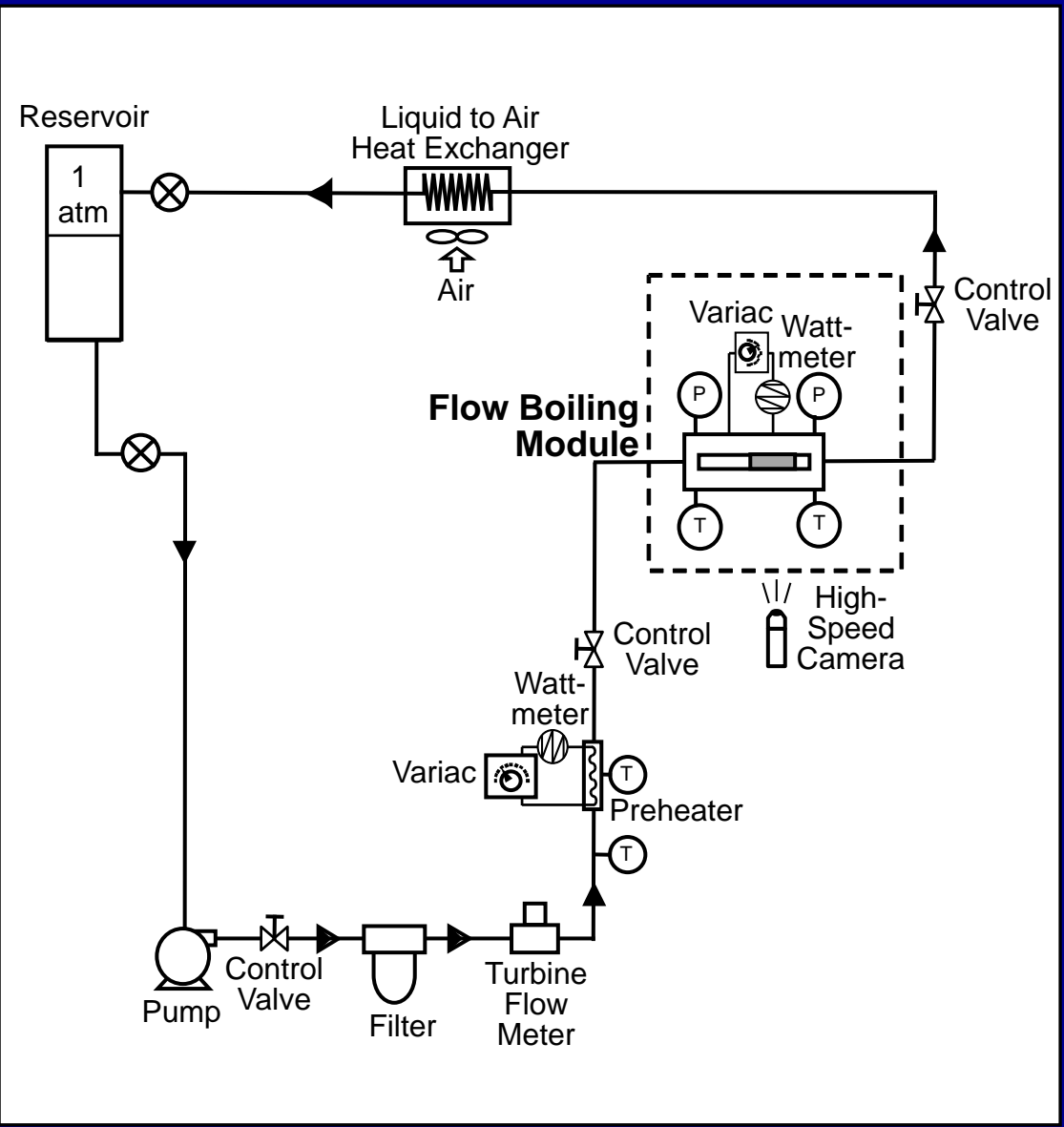
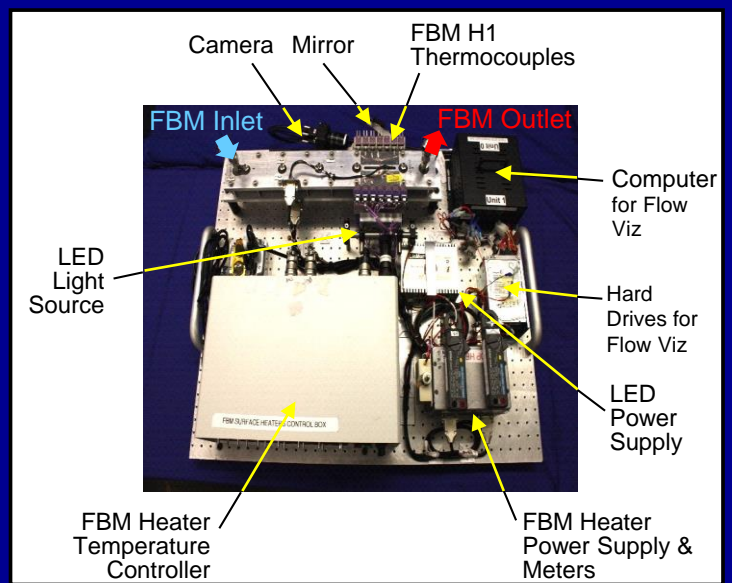
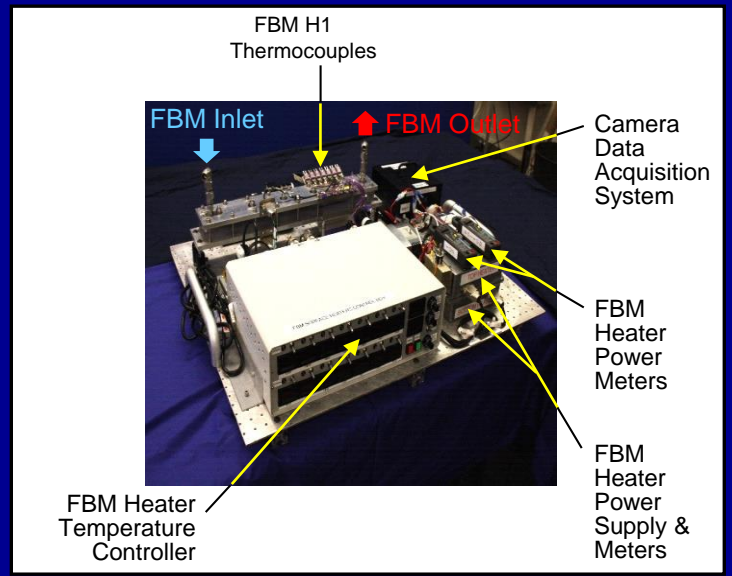
**Consists of:**

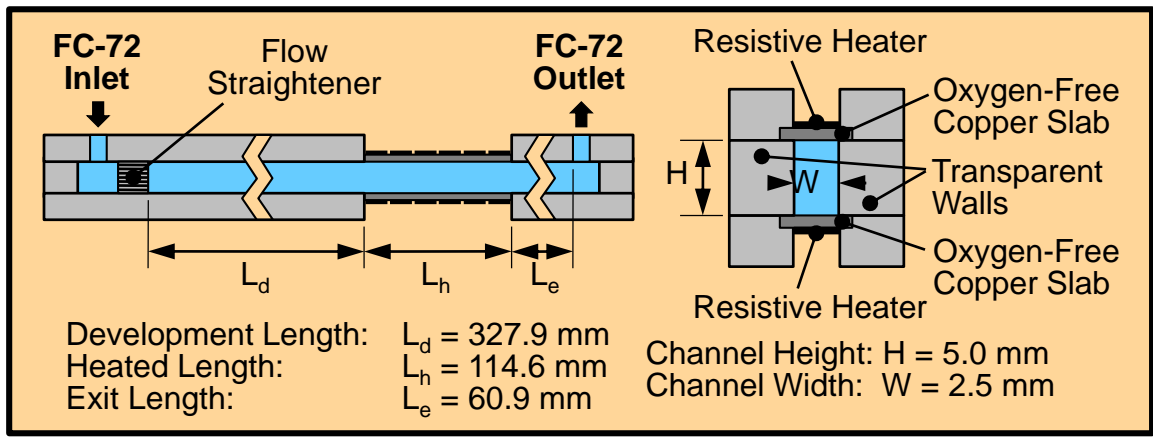
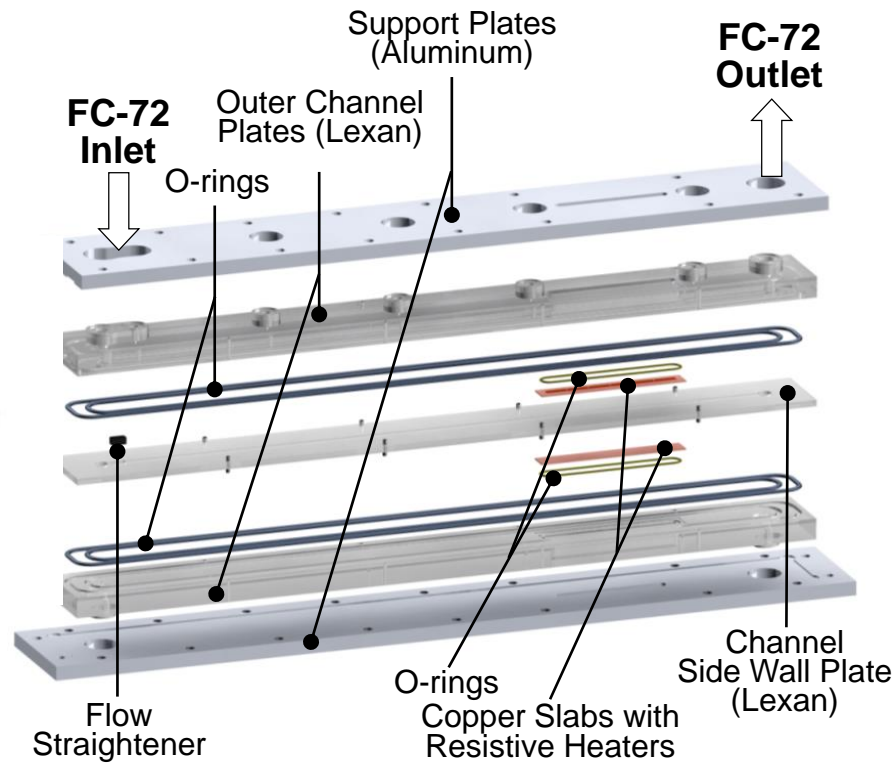
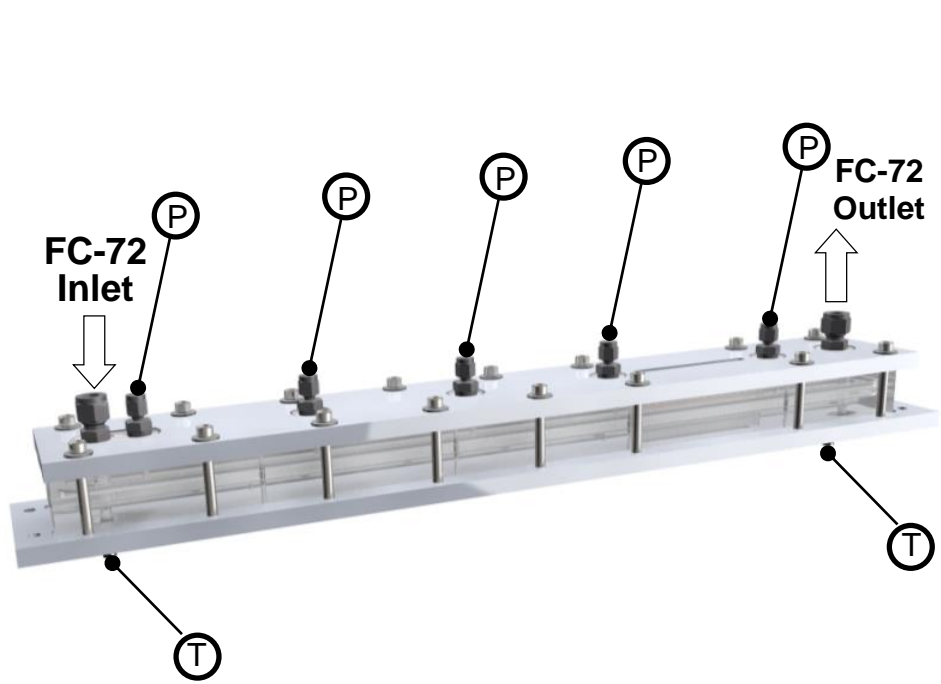
- nPFH sub-loop
- Water sub-loop

**Contains three test modules:**

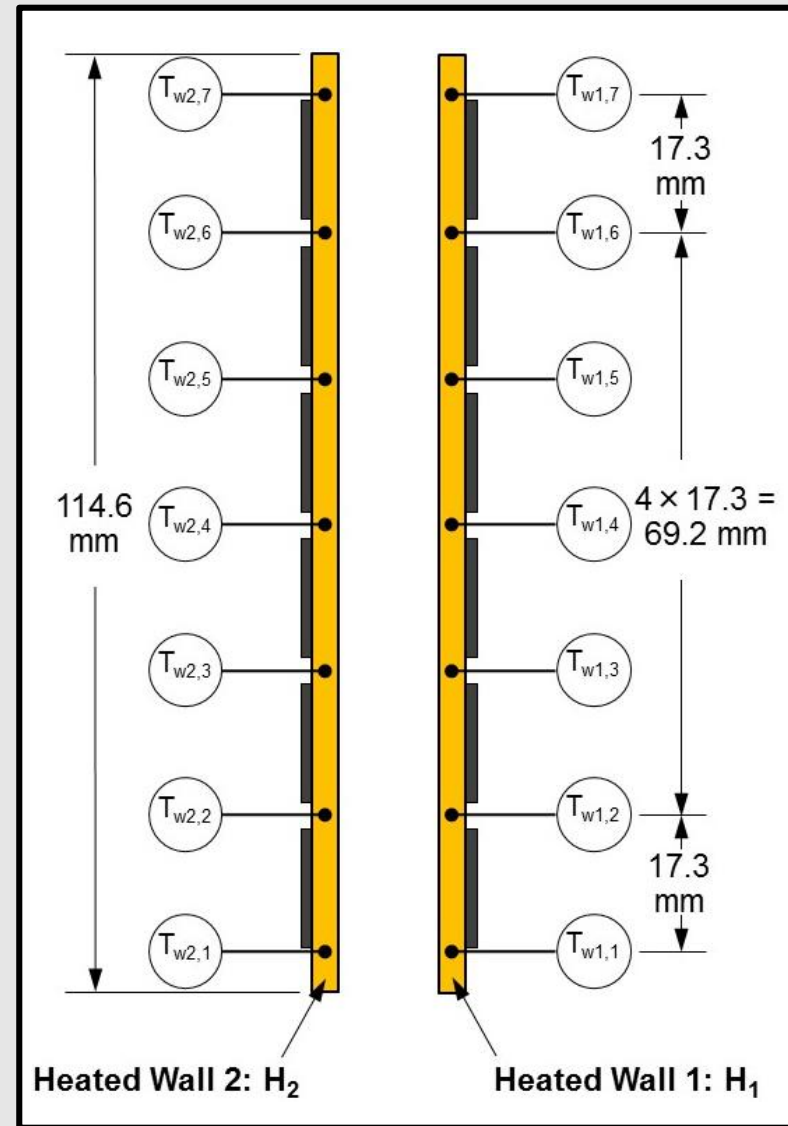
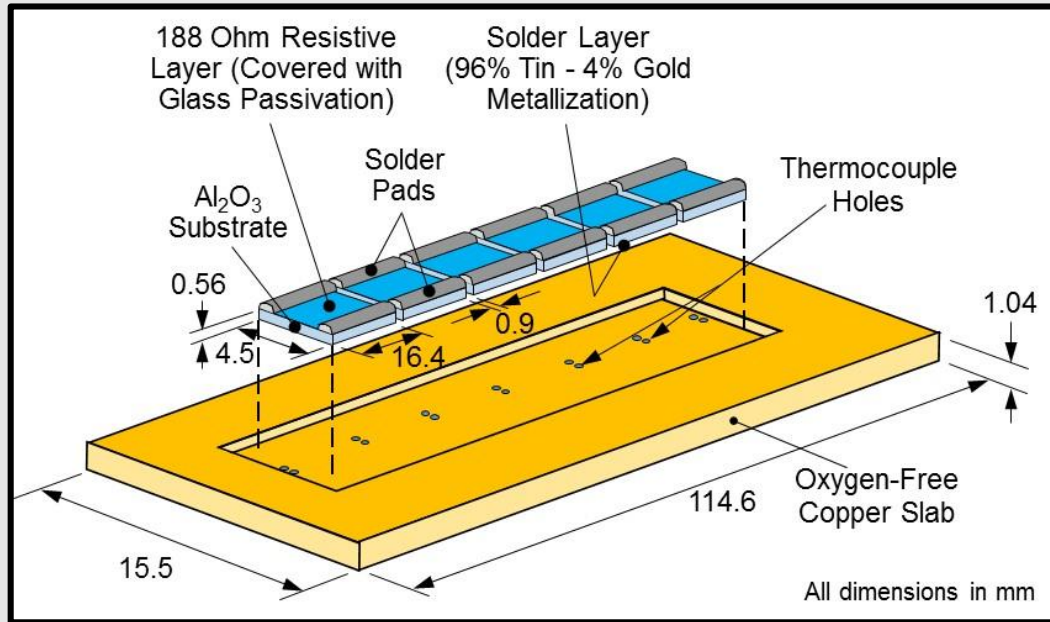
- Flow Boiling Module (FBM)
- Condensation Module CM-HT for heat transfer measurements
- Condensation Module CM-FV for flow visualization

- 1. Both One  $g_e$  and Parabolic flight flow boiling experiments using single-sided and double-sided heat walls**
- 2. Modeling of CHF for single-sided and double-sided heated walls at different orientations in Earth gravity and in microgravity**
- 3. Computational modeling of condensing film**

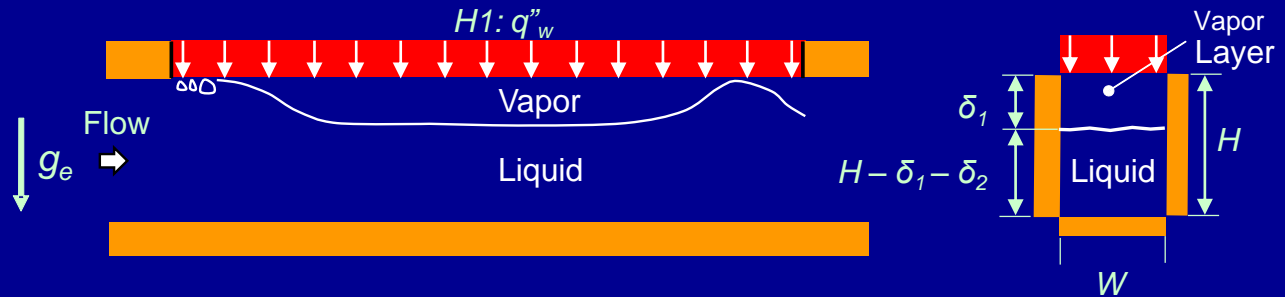




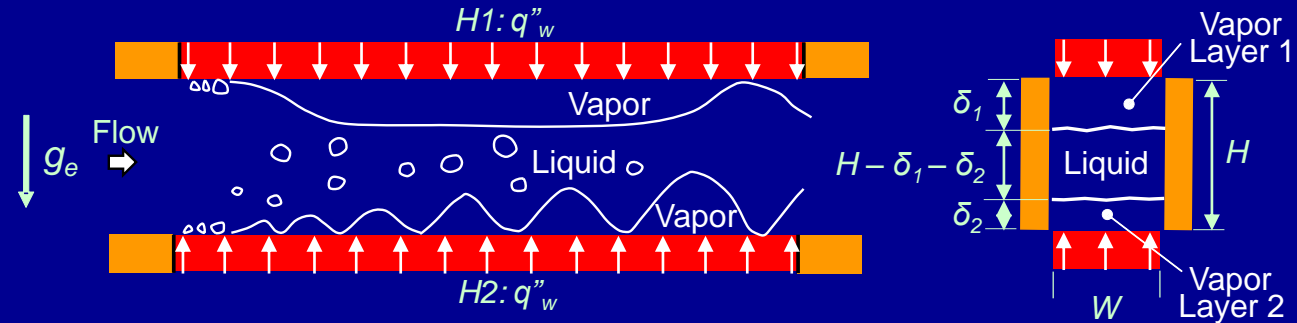




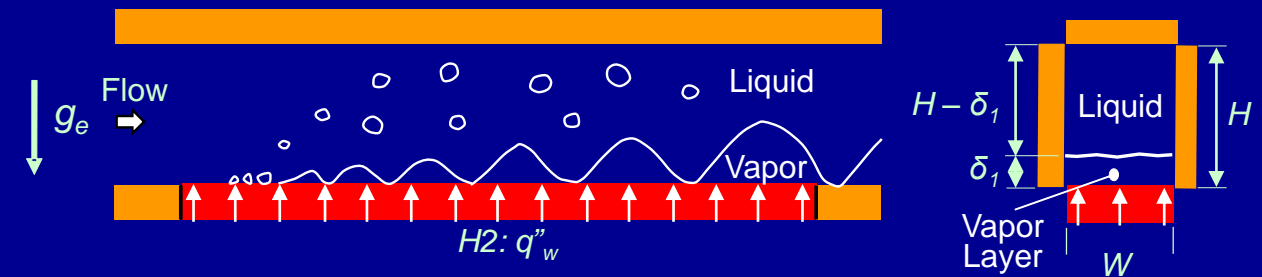
## Top wall heating



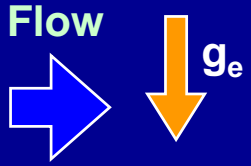
## Double-sided heating



## Bottom wall heating

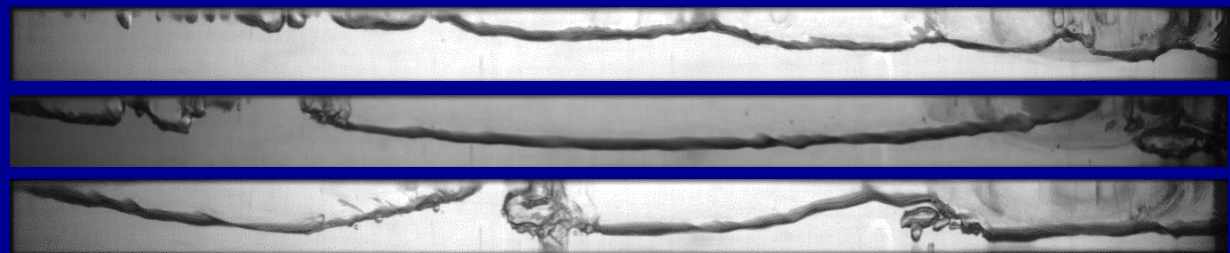


*Slightly subcooled flow at low velocity*



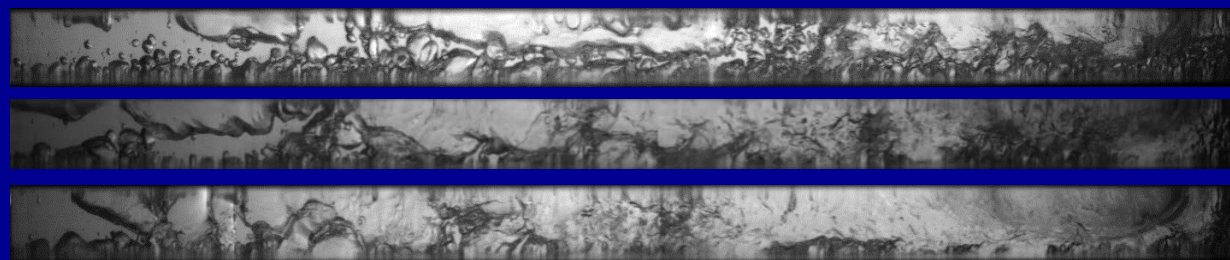
**G = 394.8 – 403.4 kg/m<sup>2</sup>s (U = 0.25 m/s)**  
 **$\Delta T_{sub,in} = 3.6 - 5.1^{\circ}C$**

**Top Wall Heated**



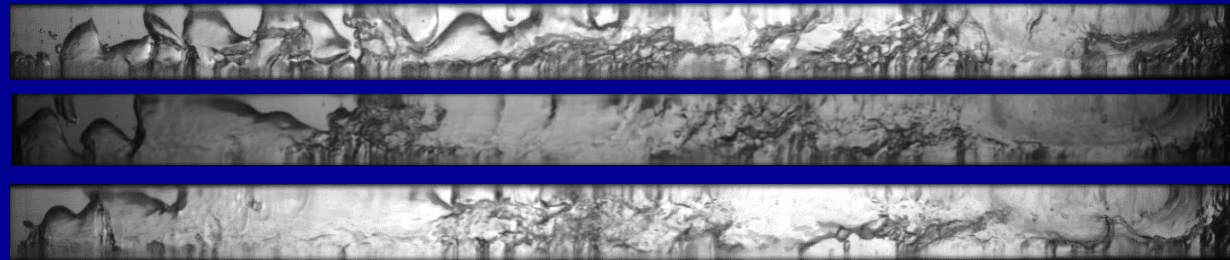
51%  
87%  
CHF (9.3 W/cm<sup>2</sup>)

**Top & Bottom Walls Heated**

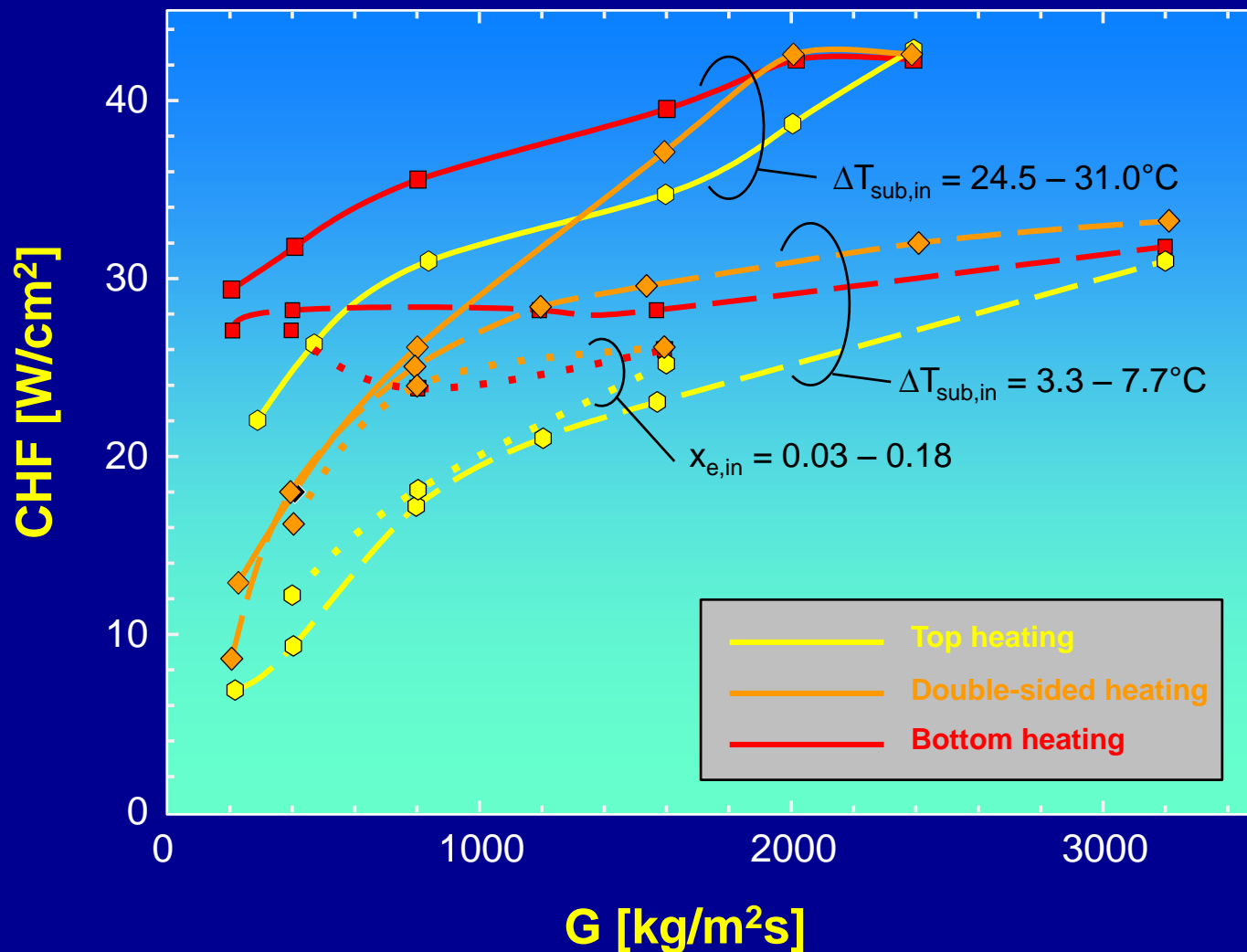


59%  
86%  
CHF (18 W/cm<sup>2</sup>)

**Bottom Wall Heated**



51%  
85%  
CHF (28.2 W/cm<sup>2</sup>)



## Mass Balance:

Vapor layer 1: 
$$U_{g1} = \frac{q_w'' z}{\rho_g \delta_1 (c_{p,f} \Delta T_{sub,in} + h_{fg})}$$

Vapor layer 2: 
$$U_{g2} = \frac{q_w'' z}{\rho_g \delta_2 (c_{p,f} \Delta T_{sub,in} + h_{fg})}$$

Liquid layer: 
$$U_f = \frac{UH}{H - \delta_1 - \delta_2} - \frac{2q_w'' z}{\rho_f (H - \delta_1 - \delta_2) (c_{p,f} \Delta T_{sub,in} + h_{fg})}$$

## Momentum Balance:

Heated wall vapor layer 1: 
$$G^2 \frac{d}{dz} \left[ \frac{x_1^2}{\rho_g \alpha_1} \right] = -\alpha_1 \frac{dp}{dz} - \frac{\tau_{w,g1} P_{w,g1}}{A} \pm \frac{\tau_{i1} P_{i1}}{A} - \rho_g \alpha_1 g \sin \theta$$

Central Liquid layer: 
$$G^2 \frac{d}{dz} \left[ \frac{(1 - x_1 - x_2)^2}{\rho_f (1 - \alpha_1 - \alpha_2)} \right] = -(1 - \alpha_1 - \alpha_2) \frac{dp}{dz} - \frac{\tau_{w,f} P_{w,f}}{A} \pm \frac{\tau_{i1} P_{i1}}{A} \pm \frac{\tau_{i2} P_{i2}}{A} - \rho_f (1 - \alpha_1 - \alpha_2) g \sin \theta$$

Heated wall vapor layer 2: 
$$G^2 \frac{d}{dz} \left[ \frac{x_2^2}{\rho_g \alpha_2} \right] = -\alpha_2 \frac{dp}{dz} - \frac{\tau_{w,g2} P_{w,g2}}{A} \pm \frac{\tau_{i2} P_{i2}}{A} - \rho_g \alpha_2 g \sin \theta$$

## Energy Balance:

$$\frac{dx_1}{dz} = \frac{dx_2}{dz} = \frac{q_w'' W}{\dot{m} (c_{p,f} \Delta T_{sub,in} + h_{fg})}$$

Use separated flow model to determine axial variations of:

- $U_{g1}, U_{g2}$  Near-wall vapor layer velocities
- $U_f$  Liquid layer velocity
- $\delta_1, \delta_2$  Near-wall vapor layer thicknesses

Critical interfacial wavelength

$$k_c = \frac{2\pi}{\lambda_c} = \frac{\rho_f'' \rho_g'' (U_g - U_f)^2}{2\sigma(\rho_f'' + \rho_g'')} + \sqrt{\left[ \frac{\rho_f'' \rho_g'' (U_g - U_f)^2}{2\sigma(\rho_f'' + \rho_g'')} \right]^2 + \frac{(\rho_f - \rho_g) g_n}{\sigma}}$$

where  $\rho_f'' = \rho_f \coth(2\pi H_f / \lambda_c)$  and  $\rho_g'' = \rho_g \coth(2\pi H_g / \lambda_c)$

Earth Gravity:  $g_{n,1} = g_e \cos\theta$  and  $g_{n,2} = g_e \cos(\theta + \pi) = -g_e \cos\theta$

Microgravity:  $g_{n,1} = g_{n,2} = \mu g_e \cong 0 \rightarrow \lambda_c = \frac{2\pi\sigma(\rho_f'' + \rho_g'')}{\rho_f'' \rho_g'' (U_g - U_f)^2}$

Mean pressure difference across wetting front

$$\overline{p_f - p_g} = \frac{4\pi\sigma\delta}{b\lambda_c^2} \sin(b\pi)$$

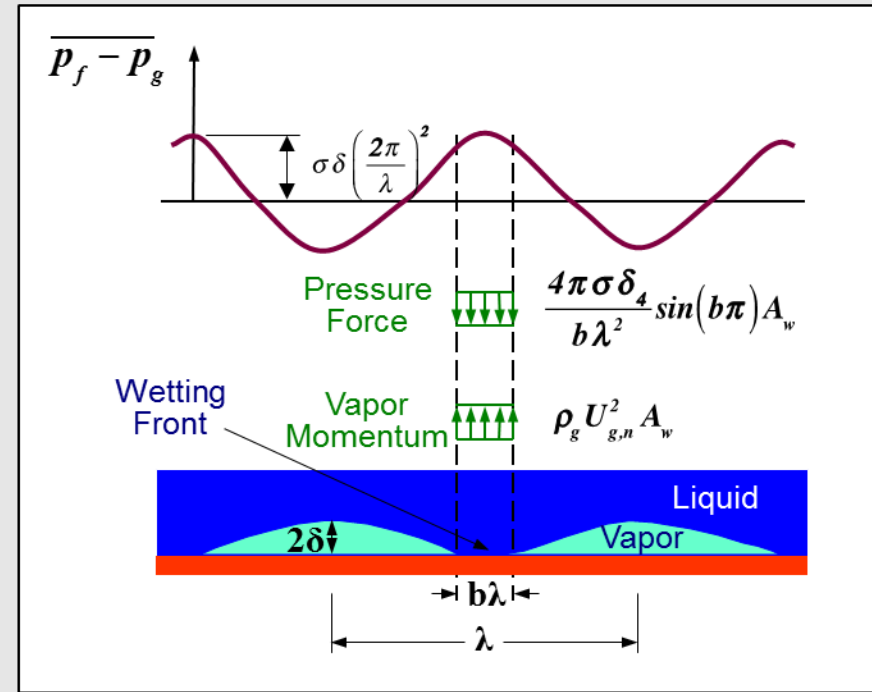
where  $b = 0.20$  is ratio of wetting front length to wavelength

Interfacial lift-off criterion

$$\overline{p_f - p_g} = \rho_g \left[ \frac{q_w''}{\rho_g h_{fg}} \right]^2$$

Surface energy balance

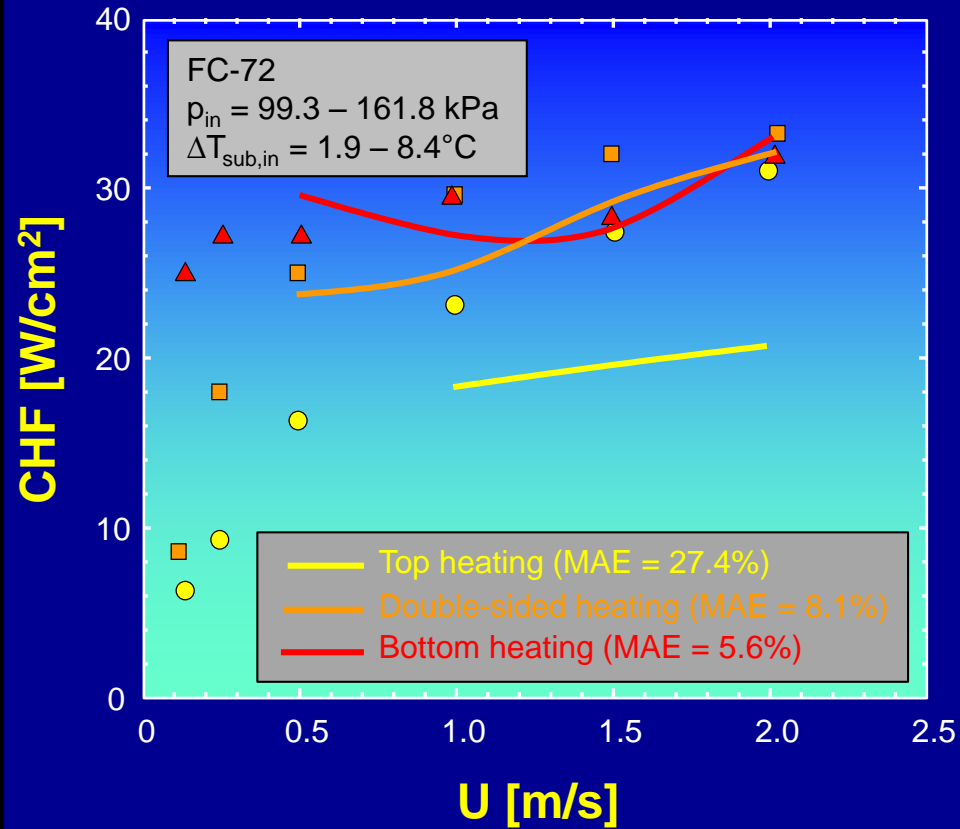
$$q_m'' = bq_w''$$



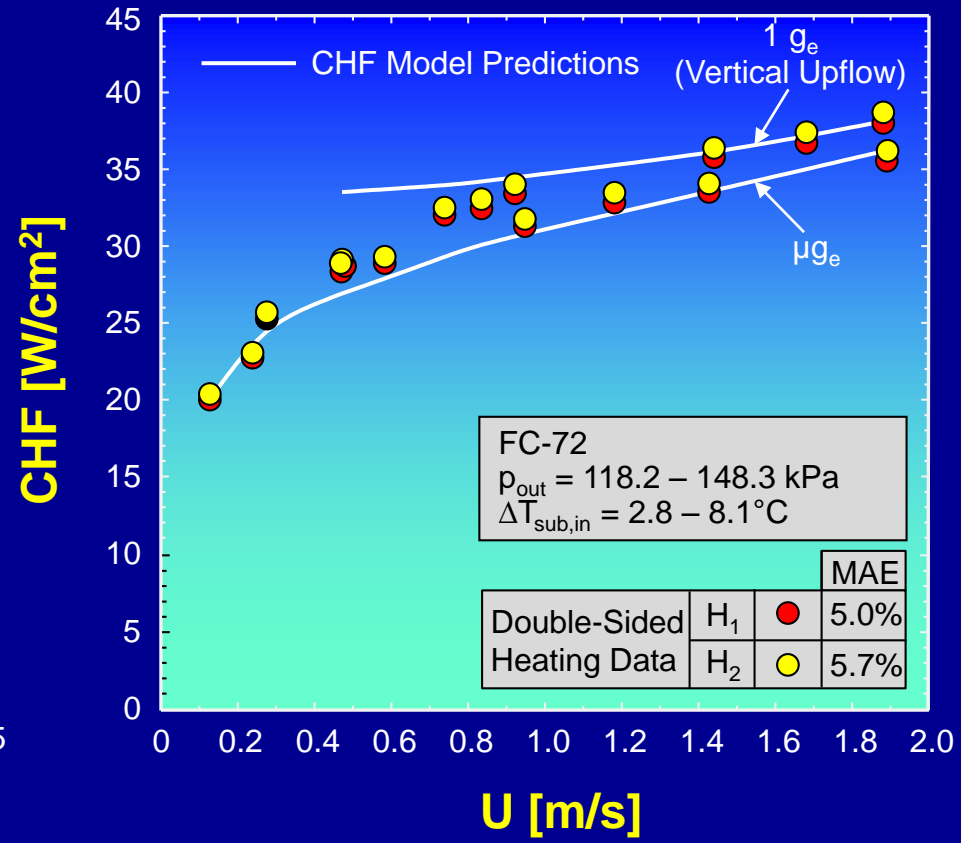
Critical heat flux

$$q_m'' = \rho_g \left( c_{p,f} \Delta T_{sub,in} + h_{fg} \right) \left[ \frac{4\pi\sigma b \sin(b\pi)}{\rho_g} \right]^{1/2} \frac{\delta^{1/2}}{\lambda_c} \Big|_{z^*}$$

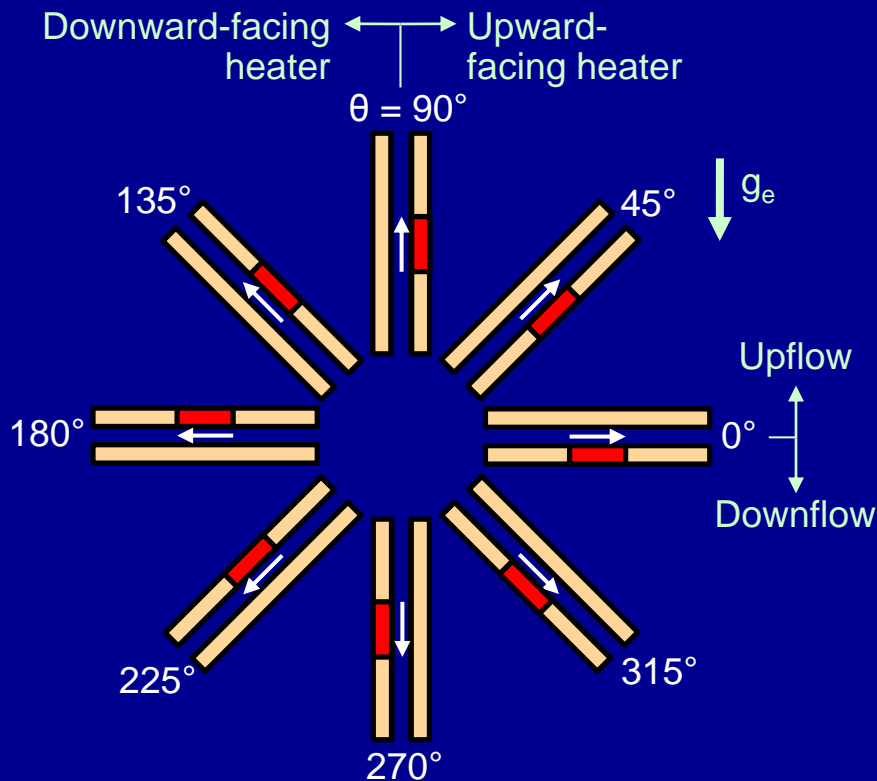
**One  $g_e$  Horizontal Flow**



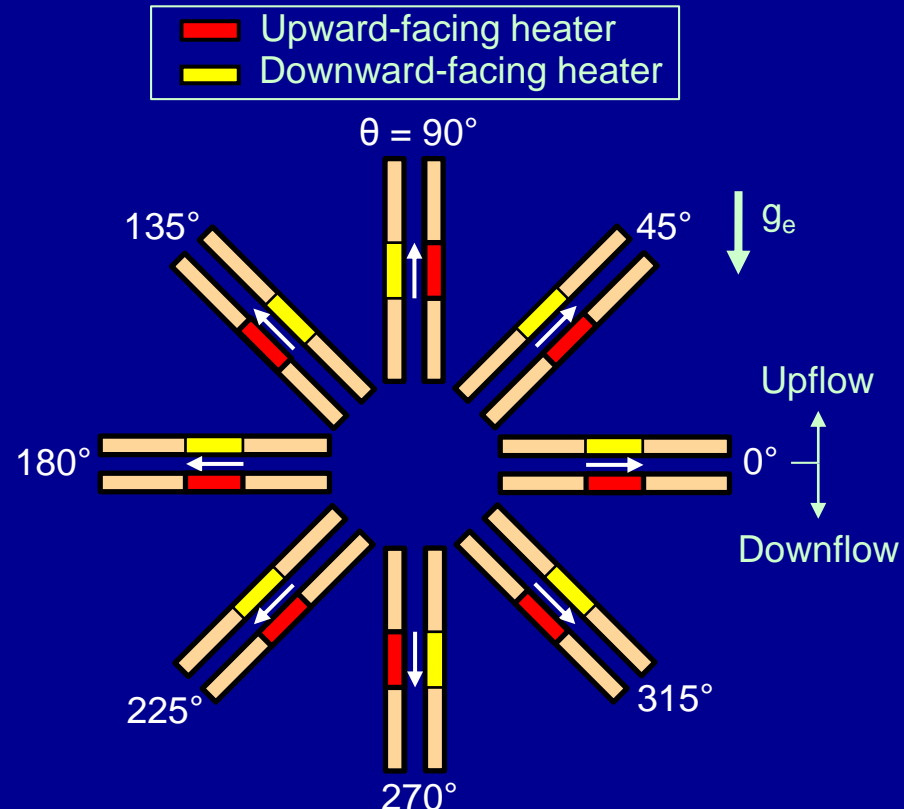
**Microgravity & One  $g_e$  Vertical Upflow**



Single-sided Heating



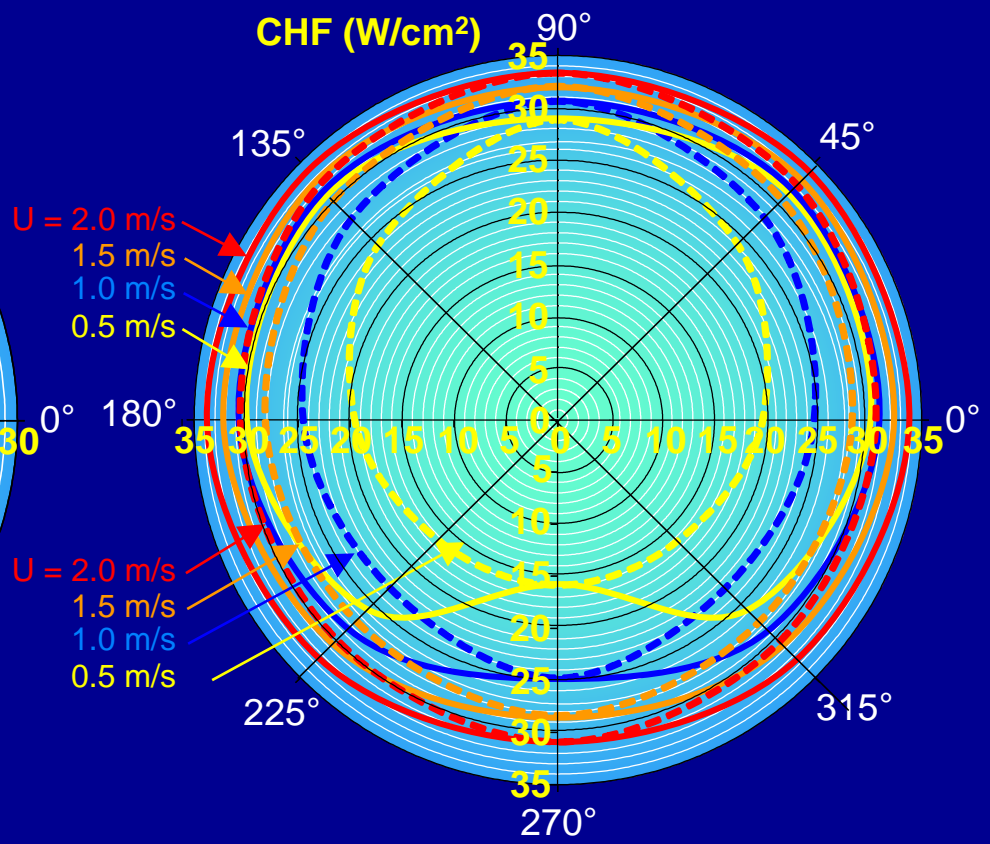
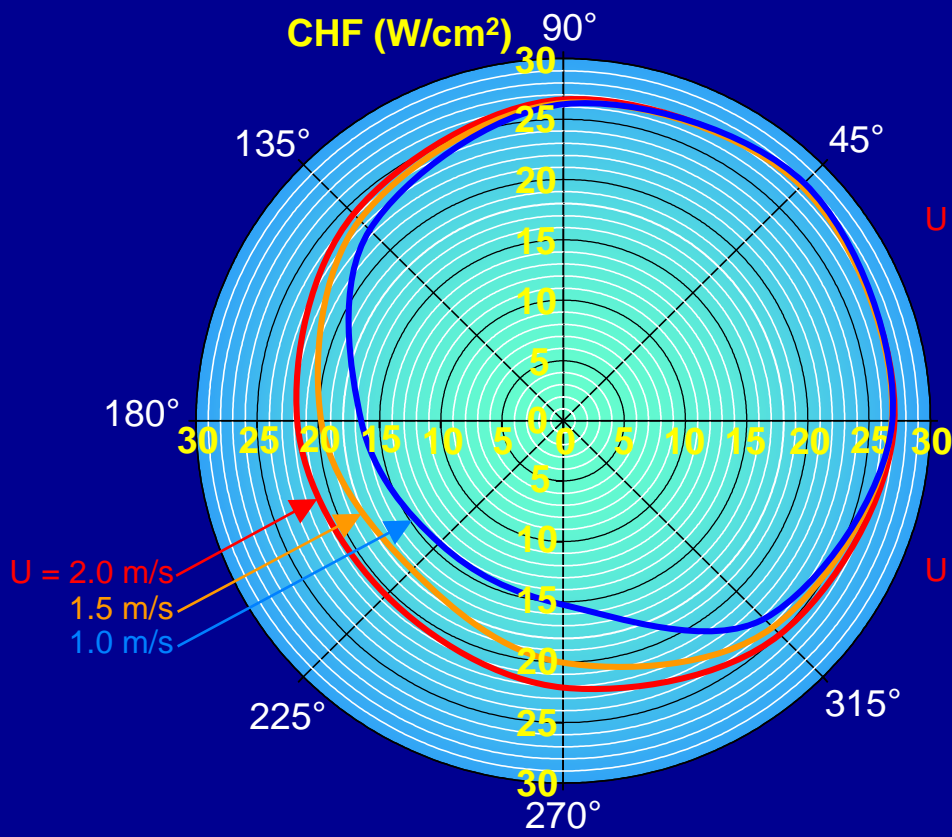
Double-sided Heating





**Single-sided Heating**

**Double-sided Heating**



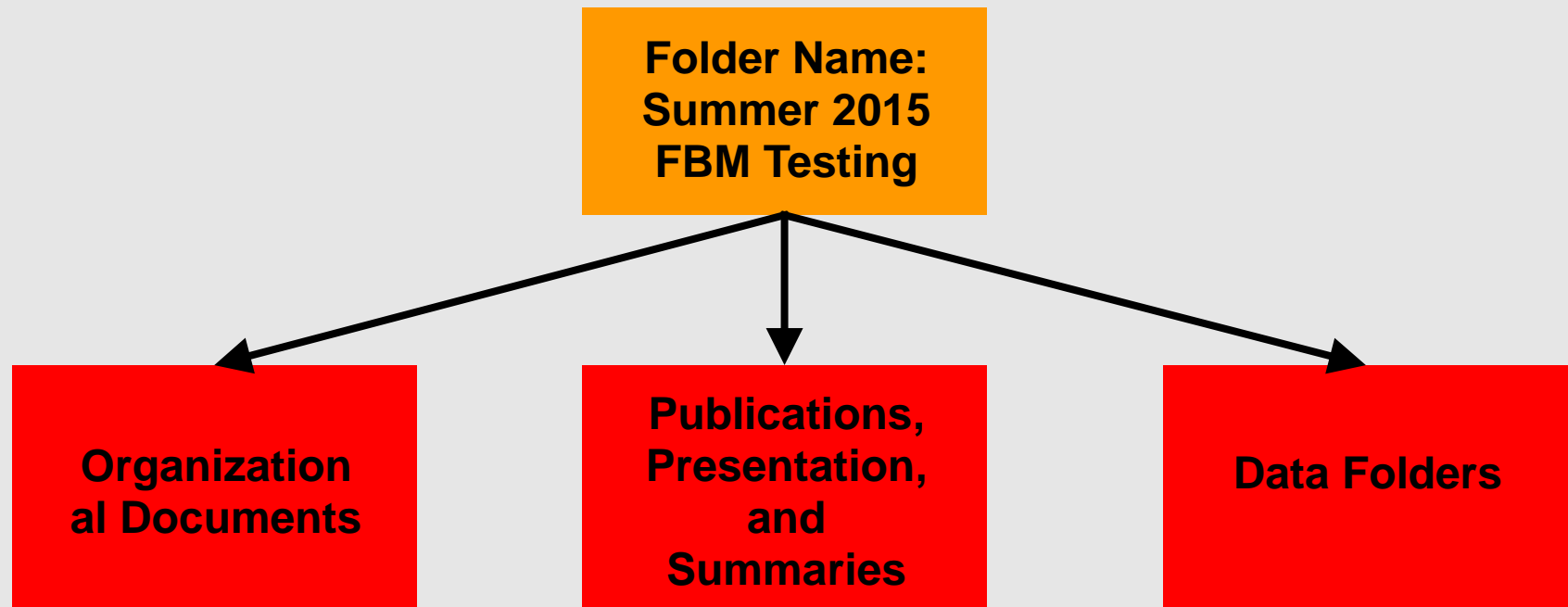
— Heater  $H_a$ 
**FC-72**
— Upward-facing Heater

- - Downward-facing Heater

$p_{in} = 100 \text{ kPa}$   
 $\Delta T_{sub,in} = 3^\circ\text{C}$

# *Data Sharing Plans*

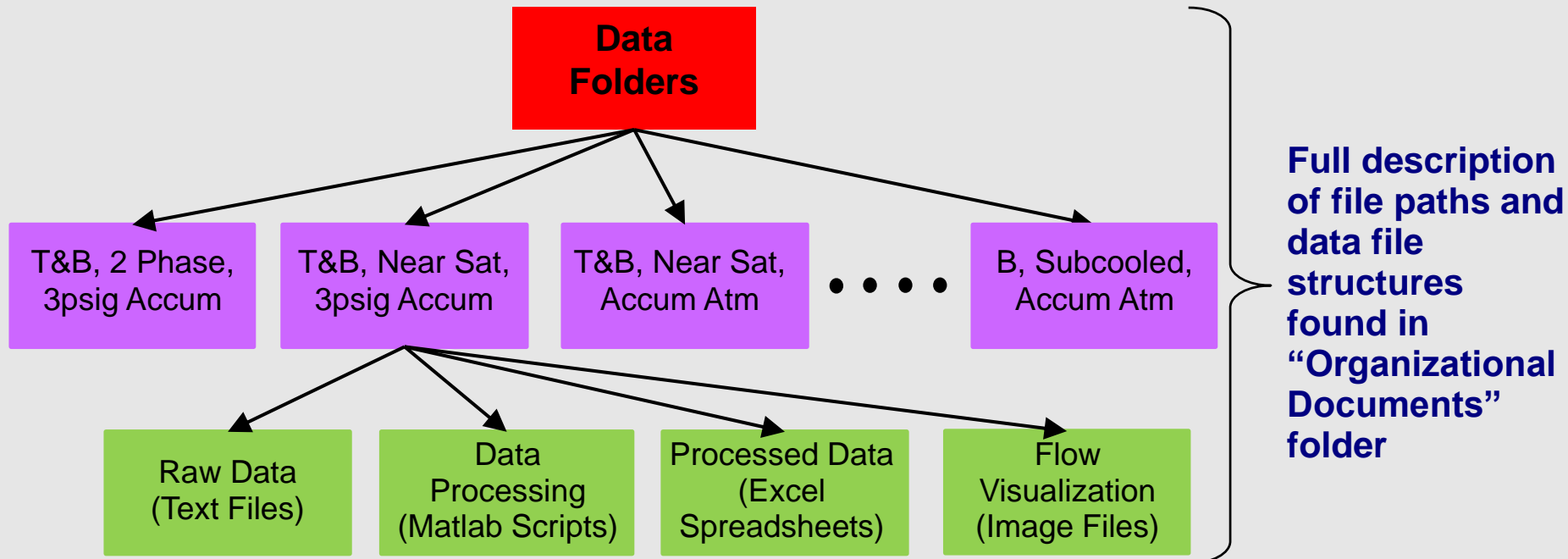
- NASA Office of **Physical Science Informatics (PSI)** tasked with organizing and distributing databases to researchers in the field
- Large databases (terabytes of data) will be generated from FBCE ISS experiment
- Purdue-Glenn team will create organization structure for FBCE databases to be provided to (PSI)
- Purdue is presently exploring most effective means for packaging data for ease of use by other researchers using recent FBM Earth's gravity data as example



Contain four filetypes:

- **Text Files** containing raw sensor data output by data acquisition system
- **Matlab Scripts** for processing raw data
- **Excel Spreadsheets** containing all relevant parameters (e.g., pressure drop, heat transfer coefficient, CHF) output by processing script
- **Image Files** for flow visualization

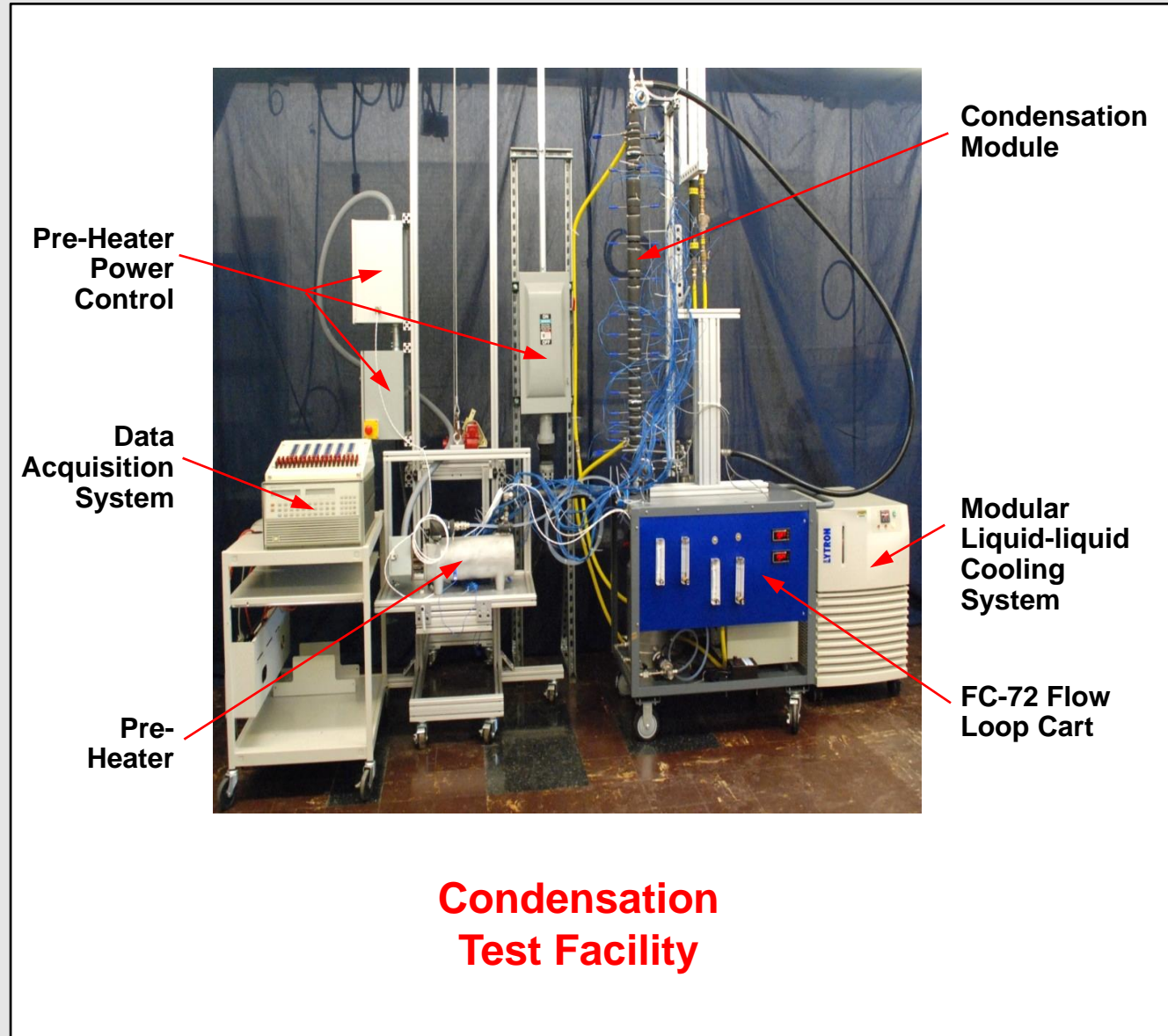
With subfolders used to group data by operating conditions



# *Computational Modeling*

## Objectives

- Study flow condensation using CFD solver Fluent
- Select an appropriate phase change model
- Study heat transfer and fluid flow characteristics over a broad range of Reynolds numbers
- Lay foundation for future computational modeling of complicated flow boiling processes



- **Lagrangian**

- Smoothed-Particle Hydrodynamics (SPH) Method: Gingold & Monaghan (1977), Lucy (1977)
- Multiphase Particle-in-Cell (MP-PIC) Method: Harlow (1955)

- **Eulerian**

- Level-Set Method (LSM): Osher & Sethian (1955)
- Volume-Of-Fluid (VOF) Method: Hirt & Nichols (1981)
- Coupled Level-Set/Volume-Of-Fluid (CLSVOF) Method: Sussman & Puckett (2000), Enright *et al.* (2002), Tomar *et al.* (2005)

- **Eulerian-Lagrangian**

- Front Tracking Method: Unverdi & Tryggvason(1992), Tryggvason *et al.* (2001)



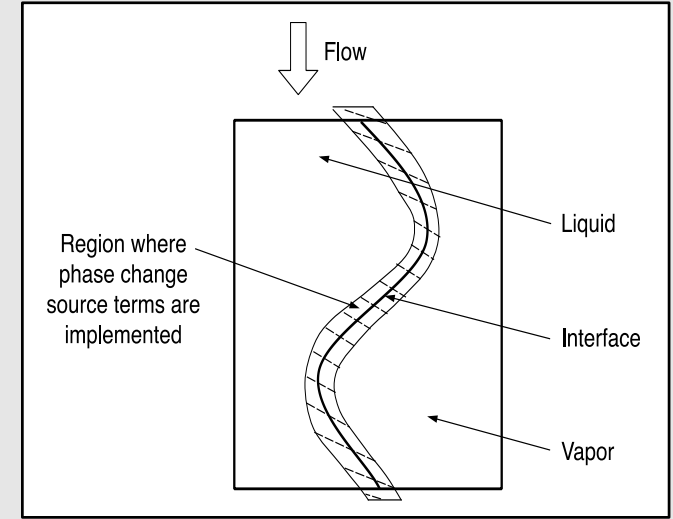
## Rankine-Hugoniot jump condition

Mao (2009). Michita & Thome( 2010), Sun *et al.* (2012)

$$q_i'' = -k_{eff} \nabla T_i \times \vec{n} = \dot{m}'' h_{fg}$$

$$S_g = -S_f = \dot{m}'' \left| \nabla \alpha_g \right| = \frac{k_{eff} (\nabla \alpha \times \nabla T)}{h_{fg}}$$

where  $k_{eff} = a_g k_g + a_f k_f$

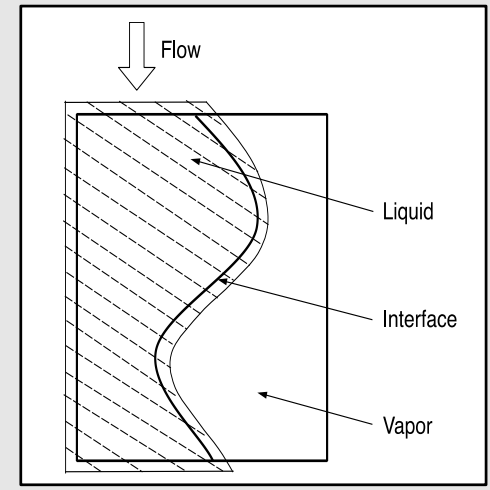


## Schrage Model (1953)

Kartuzova & Kassemi (2011), Magnini *et al.* (2013) ...

$$S_g = -S_f = \dot{m}'' \left| \nabla \alpha_g \right|$$

where  $\dot{m}'' = \frac{2}{2 - \gamma_c} \sqrt{\frac{M}{2\pi R}} \left[ \gamma_c \frac{P_g}{\sqrt{T_g}} - \gamma_e \frac{P_f}{\sqrt{T_f}} \right]$



## Lee Model (1980)

Wu *et al.*(2007). Yang *et al.*(2008), Fang *et al.*(2010) ...

$$S_g = -S_f = r_i a_g r_g \frac{(T - T_{sat})}{T_{sat}} \quad \text{for condensation } (T < T_{sat})$$

$$S_g = -S_f = r_i a_f r_f \frac{(T - T_{sat})}{T_{sat}} \quad \text{for evaporation } (T > T_{sat})$$

## Rankine-Hugoniot jump condition

Mao (2009). Michita & Thome (2010), Sun *et al.* (2012) ...

### Pros:

1. Ease of implementation

### Cons:

1. Allows for phase change only along interface
2. Cannot maintain saturation temperature

## Schrage Model (1953)

Kartuzova & Kassemi (2011), Magnini *et al.* (2013)...

### Pros:

1. Successfully used for evaporating & condensing films

### Cons:

1. Requires use of empirical coefficient  $\gamma$
2. Allows for phase change only along interface

## Lee Model (1980)

Wu *et al.* (2007). Yang *et al.* (2008), Fang *et al.* (2010) ...

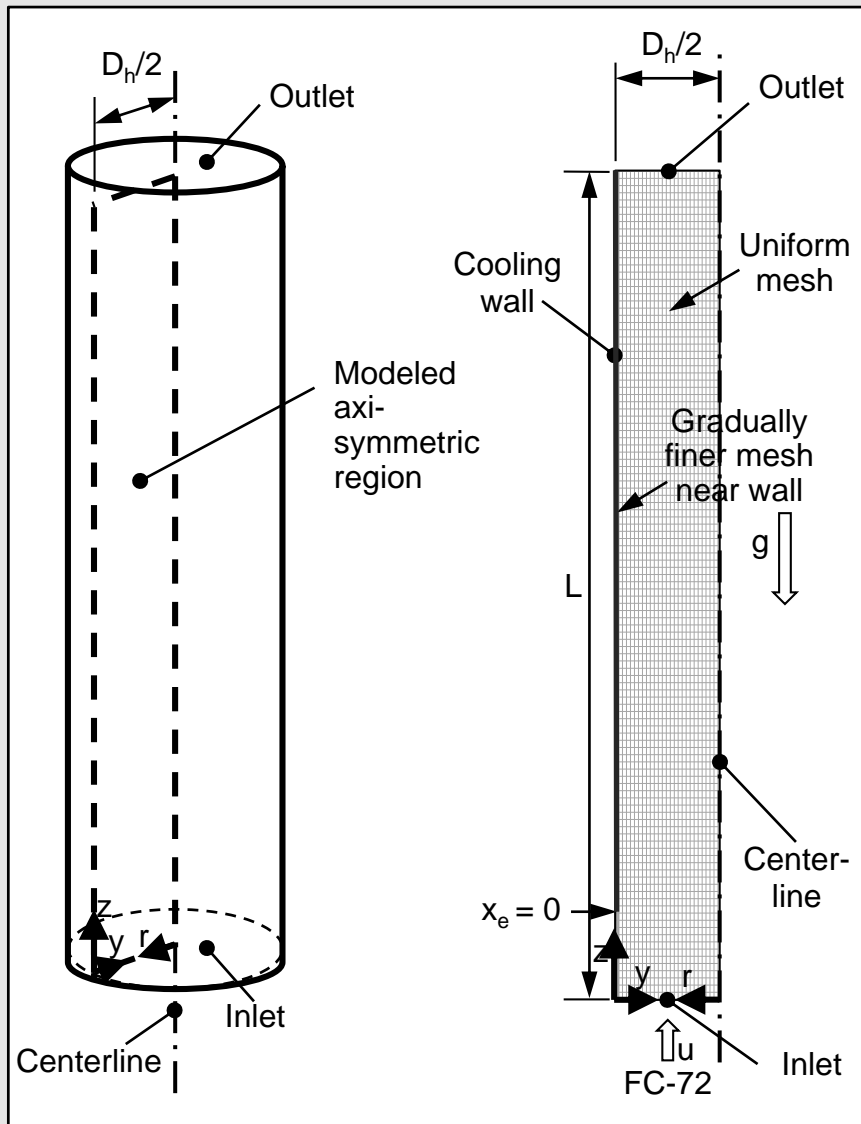
### Pros:

1. Ease of implementation
2. Successfully used for condensation processes

### Cons:

1. Not applicable for subcooled boiling
2. Requires use of empirical coefficient  $r_i$

### Computational Domain



### Governing Equations

- Continuity Equations

- Liquid Phase:

$$\frac{\partial}{\partial t}(\alpha_f \rho_f) + \nabla \times (\alpha_f \rho_f \vec{u}_f) = S_f$$

- Vapor Phase:

$$\frac{\partial}{\partial t}(\alpha_g \rho_g) + \nabla \times (\alpha_g \rho_g \vec{u}_g) = S_g$$

Lee model (2008)

$$S_g = -S_f = r_i a_g r_g \frac{(T - T_{sat})}{T_{sat}}$$

- Momentum Equation

$$\frac{\partial}{\partial t}(\rho \vec{u}) + \nabla \times (\rho \vec{u} \vec{u}) = -\nabla P + \nabla \times [\mu(\nabla \vec{u} + \nabla \vec{u}^T)] + \rho \vec{g} + \vec{F}$$

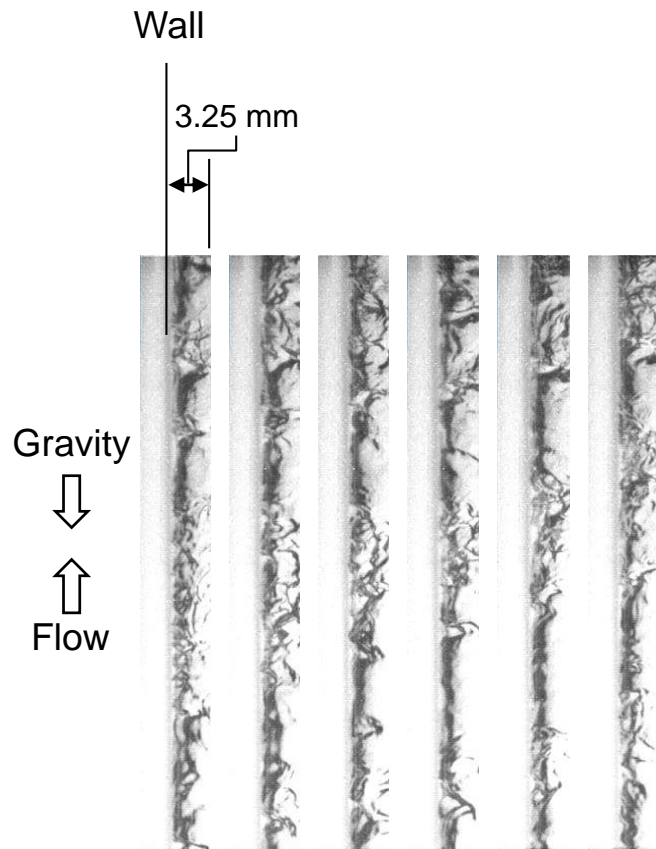
- Energy Equation

$$\frac{\partial}{\partial t}(\rho E) + \nabla \times (\vec{u}(\rho E + P)) = \nabla \times (k_{eff} \nabla T) + Q$$

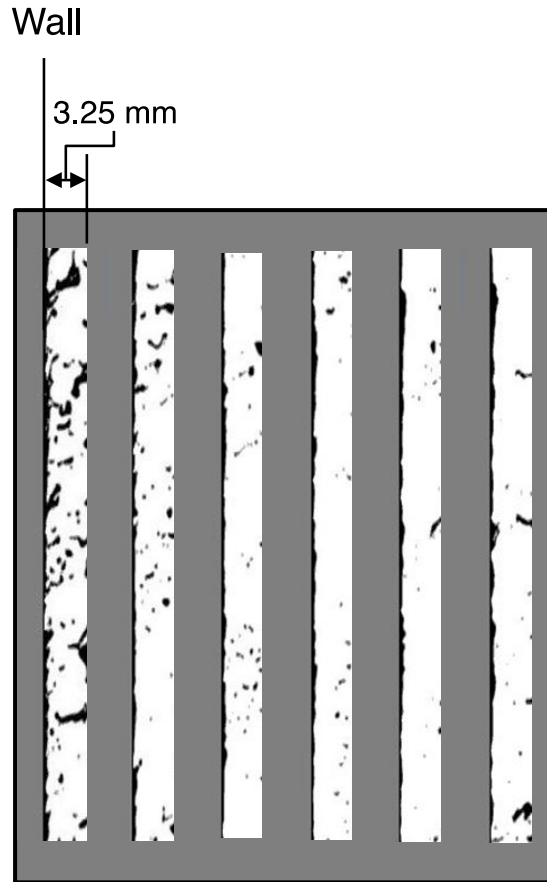
Q = h<sub>fg</sub> S<sub>f</sub>

### Boundary Condition

- Axisymmetric centerline
- k-ω SST turbulence model
- Inlet uniform velocity from experimental data
- Wall heat flux from experimental data

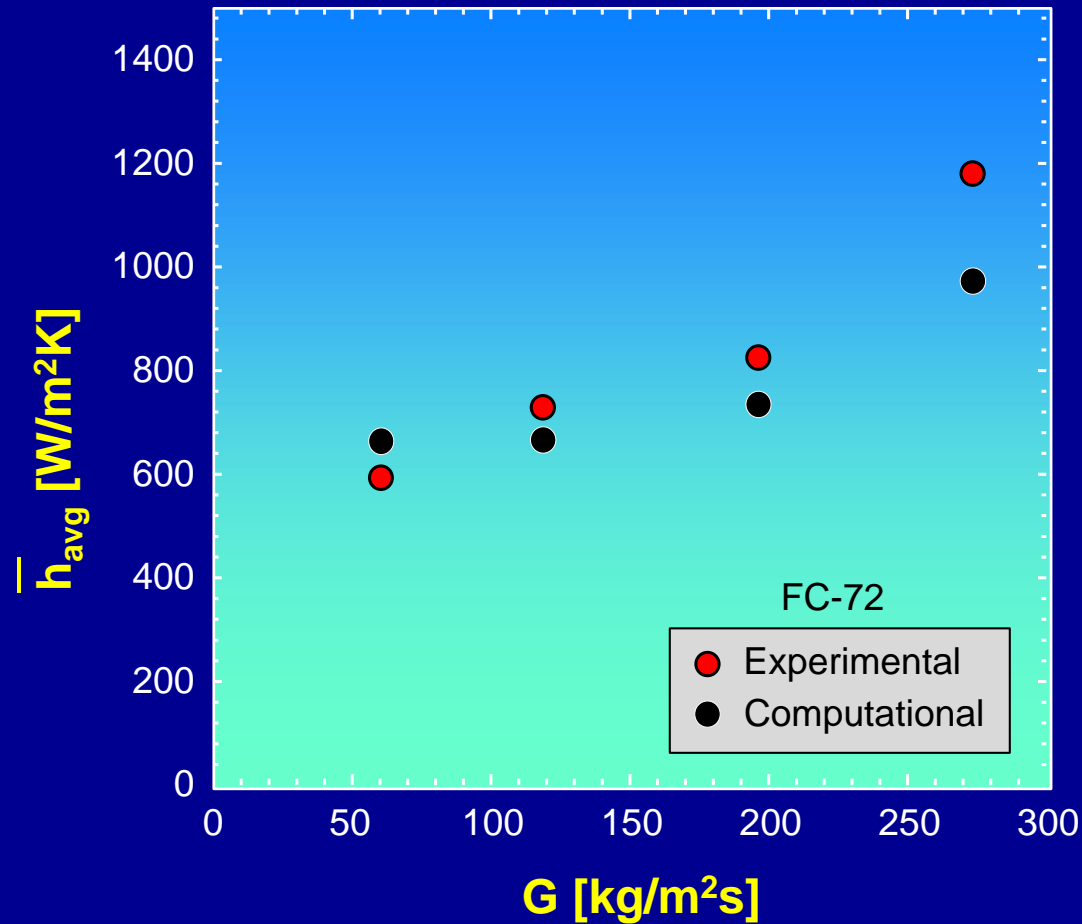


$G = 106.5 \text{ kg/m}^2\text{s}$   
 $x_{e,in} = 1.16$



$G = 116.7 \text{ kg/m}^2\text{s}$   
 $q''_{\text{wall,avg}} = -3.10 \text{ W/cm}^2$   
 $x_{e,in} = 1.16$

**Climbing film**

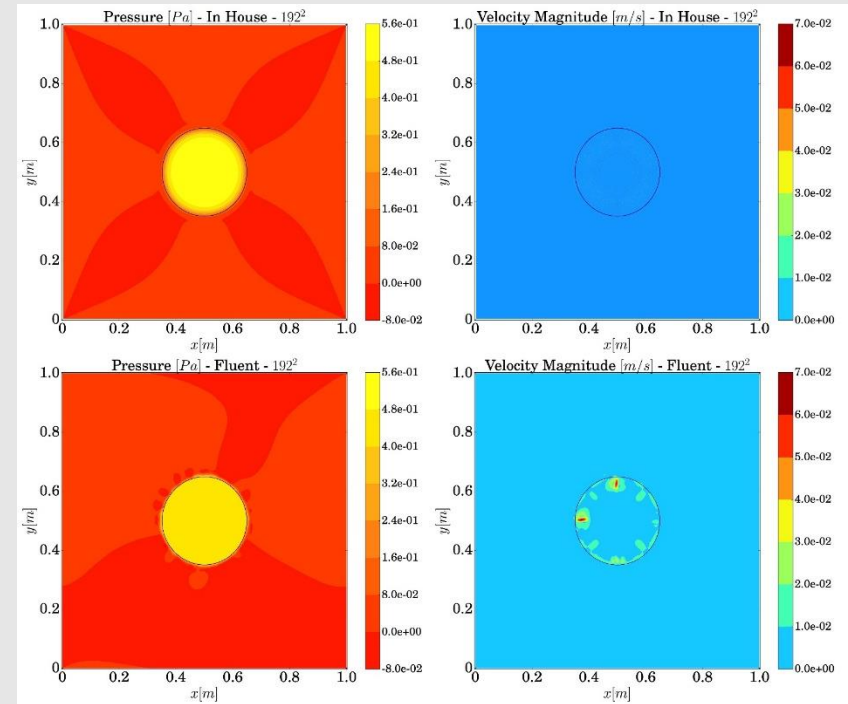


# ***Future Computational Modeling***

- **Fluent is able to accurately replicate experimental results, but “tuning” necessary for phase change model means it is not a reliable predictive tool**
- **Difficult to work with Fluent because solver code is proprietary**
- **Fluent very robust and can tackle wide range of problems, making it slower than a dedicated research code**
- **Fluent does not utilize cutting edge multi-phase computational techniques**

## Current Work

- Working with Prof. Carlo Scalo's group at Purdue University to develop a 2-D code using best available computational techniques
- Performing comparisons with Fluent to quantify in-house solver performance



## Future Work

- Use proposed 2-D code to run select cases which can be represented reasonably well by 2-D domains (e.g., axi-symmetric flow condensation, slug flow)
- Scale 2-D code up to 3-D, highly parallelized solver, which will include turbulence effects, to be run on Purdue supercomputing cluster
- Begin comparing data for transient cases with 3-D geometry to prior experimental studies



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**Thanks to Professor Scalo and Victor Sousa for creating the Fluent-comparison figures.**