

# Meteor shower forecasting for spacecraft operations

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# Overview

## Forecast outputs

- Shower flux

- Baseline flux

- Enhancement factors

## Shower activity profiles

- Background

- Data

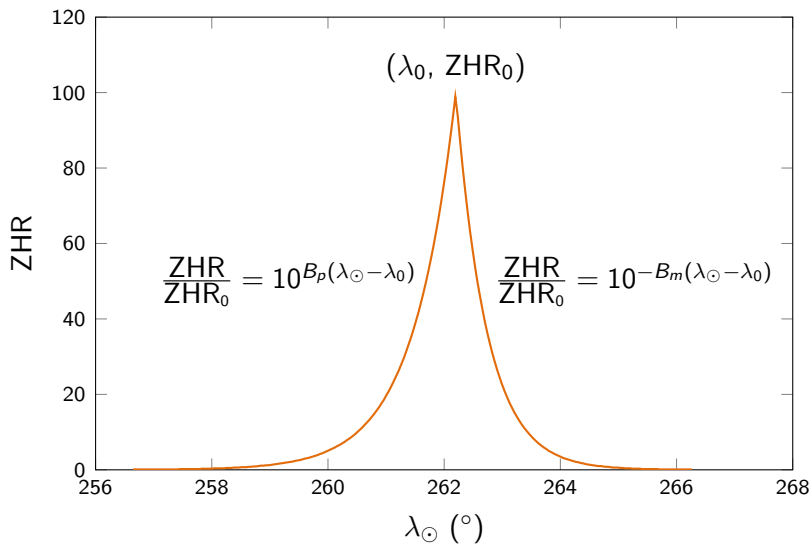
- Fitting algorithm

- Improved profiles

## Summary

# Shower fluxes are computed from ZHR

Shower activity profile



# Shower fluxes are computed from ZHR

Koschack & Rendtel (1990; KR90)

1. Calculate magnitude-limited flux from ZHR:

$$f_{6.5} = \frac{\text{ZHR}_0 \cdot (13.1r - 16.5)(r - 1.3)^{0.748}}{37200 \text{ km}^2}$$

2. Convert to milligram-or-larger flux (faster = brighter):

$$f_{\text{mg}} = f_{6.5} \cdot r^{9.775 \log_{10} \left( \frac{29 \text{ km/s}}{\sqrt{100 \text{ km}}} \right)}$$

3. Scale to desired mass:

$$\frac{f_m}{f_{\text{mg}}} = \left( \frac{m}{1 \text{ mg}} \right)^{1-s}$$

where  $s = 1 + 2.3 \log_{10} r$  is the mass index.

## Shower flux

- ▶ We report fluxes to 4 limiting particle kinetic energies.

$KE_{\text{ref}}$ (J)	$m_{\text{ref}}$ (g)	$d_{\text{ref}}$ (cm)
6.7	$3.35 \times 10^{-5}$	0.04
104.7	$5.24 \times 10^{-4}$	0.1
2827.	$1.41 \times 10^{-2}$	0.3
104720.	$5.24 \times 10^{-1}$	1.0

- ▶ For each shower, we calculate the appropriate limiting mass:

$$m_{\text{lim}} = m_{\text{ref}} \times \left( \frac{20 \text{ km/s}}{V_{400 \text{ km}}} \right)^2$$

# Shower flux

## Gravitational focusing and shielding

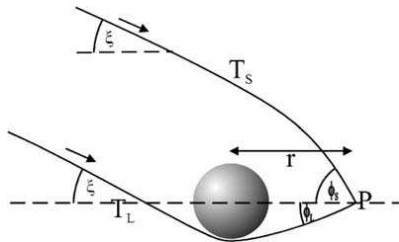


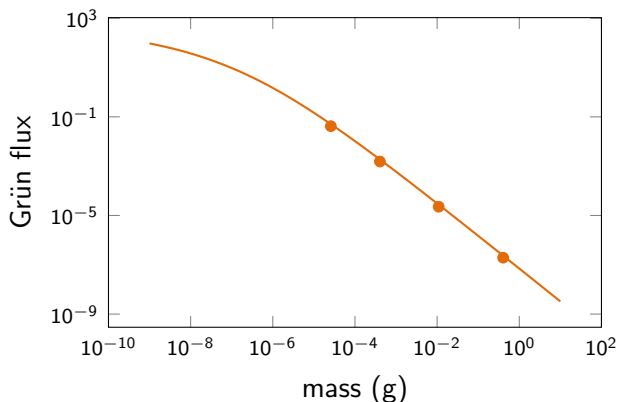
Diagram from Jones & Poole, 2007

- ▶ Earth's gravity enhances the meteoroid flux near Earth
- ▶ The Earth also physically blocks some meteoroids

- ▶ Shower fluxes include gravitational focusing but *not* shielding.
- ▶ Reflects a “worst-case” scenario in which a spacecraft element is fully exposed to the shower.

## Baseline flux

- ▶ We use the Grün meteoroid flux as a point of comparison.
- ▶ Reference speed is  $22.75 \text{ km s}^{-1}$  at 400 km altitude (due to grav focusing).



# Baseline flux

## Gravitational focusing and shielding

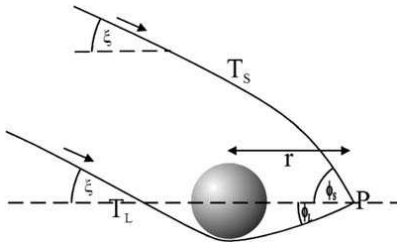


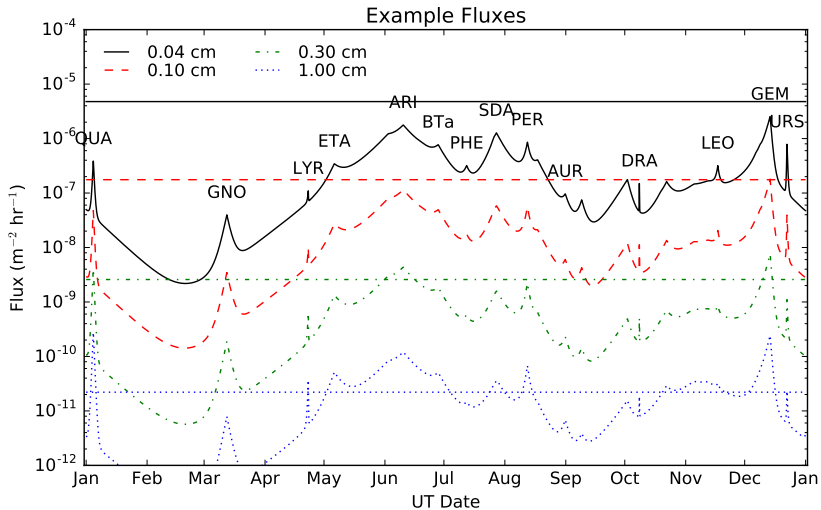
Diagram from Jones & Poole, 2007

- ▶ Earth's gravity enhances the meteoroid flux near Earth
- ▶ The Earth also physically blocks some meteoroids

- ▶ Baseline flux includes gravitational focusing *and* shielding.
- ▶ A portion of the sporadic flux will be blocked by the Earth.

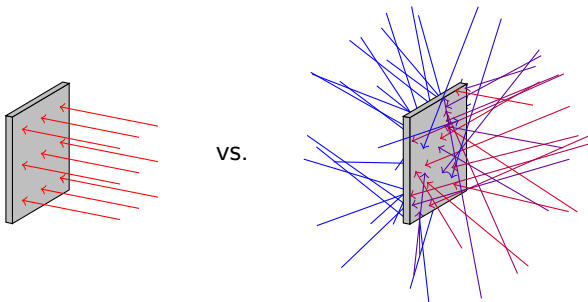


# Flux comparison



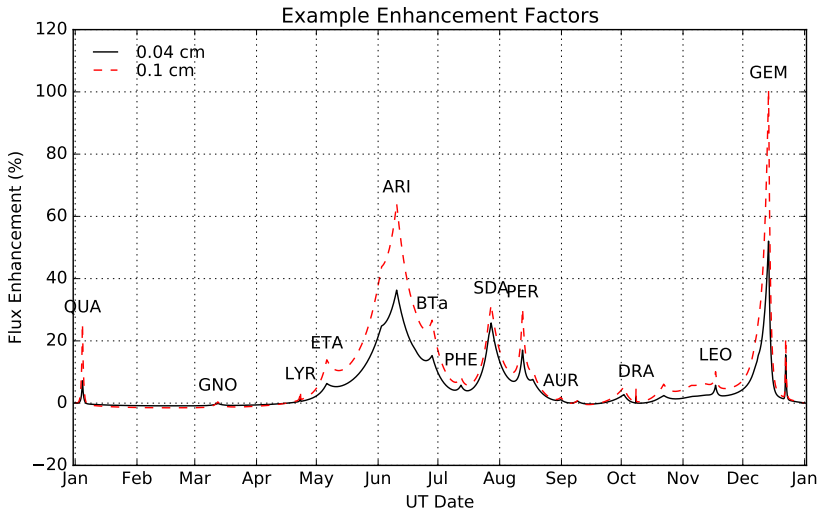
# Enhancement factors

The forecast reports fluxes on a flat plate facing the shower radiant



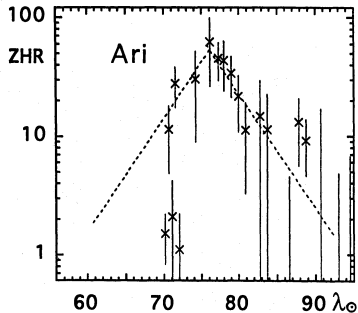
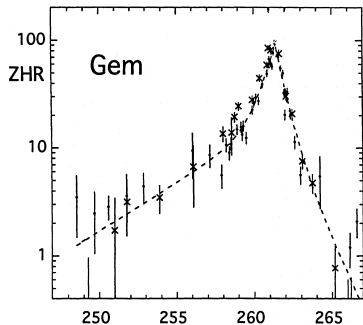
This is a “worst-case scenario” for shower exposure. Although typically showers are a small fraction (0.9% - 15%) of the baseline flux, the risk enhancement can be significant for a fully exposed element.

# Enhancement factors



# Activity profiles in the annual forecast

Original forecast parameters from Jenniskens (1994)

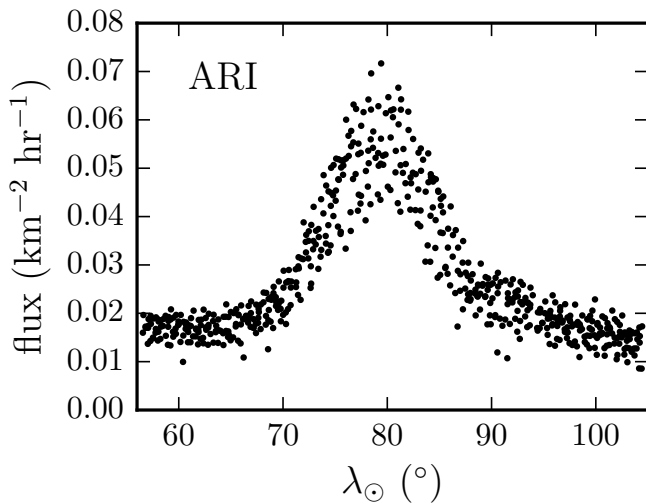


Plots from Jenniskens (1994)

Visual observations in both the northern and southern hemispheres.

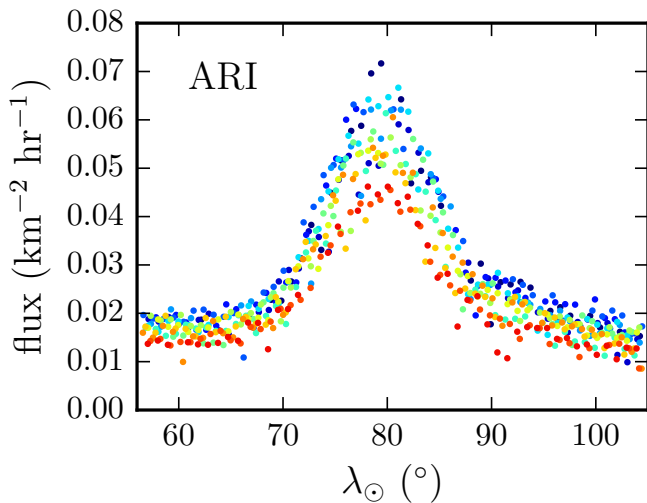
# 14 years of CMOR data

Arietids



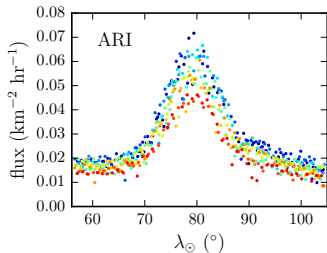
# 14 years of CMOR data

Arietids: color-coded by year

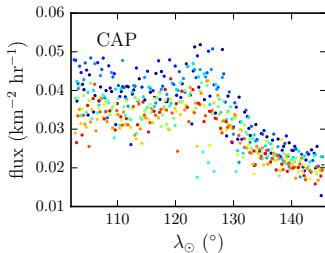


# Challenges

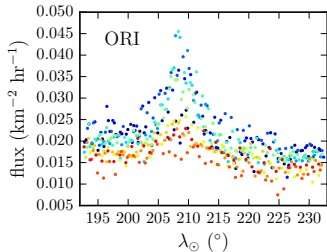
background varies by year:



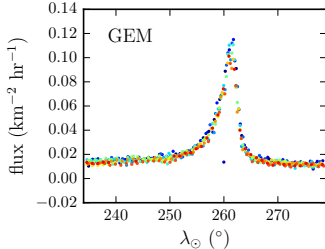
trends in background:



sensitivity varies by year:



outliers:



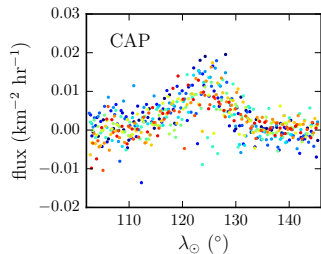
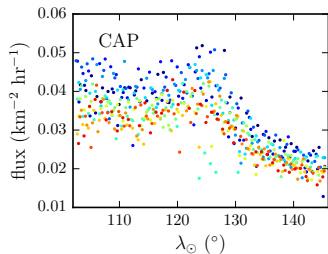
## Step 1: Fit trend to background

I weight the data away from the peak more:

$$w_i = (\lambda_{\odot,i} - \lambda_0)^2 \quad (1)$$

And fit a linear trend:

$$f_{bg} = a\lambda_{\odot} + b_{yr} \quad (2)$$



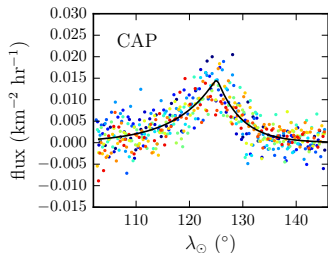
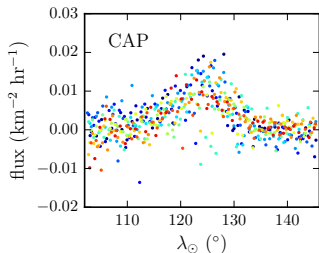


## Step 2: Initial fit to data

Next, I fit for  $f_0$ ,  $B_p$ ,  $B_m$ , and  $\lambda_0$

$$f = f_0 \cdot \begin{cases} 10^{+B_p(\lambda_\odot - \lambda_0)} & \lambda_\odot < \lambda_0 \\ 10^{-B_m(\lambda_\odot - \lambda_0)} & \lambda_\odot > \lambda_0 \end{cases}$$

I clip 5- $\sigma$  outliers and iterate until there are none.

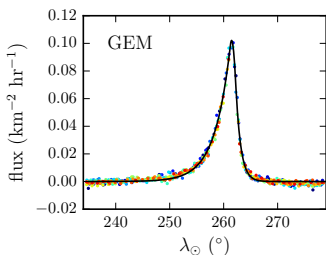
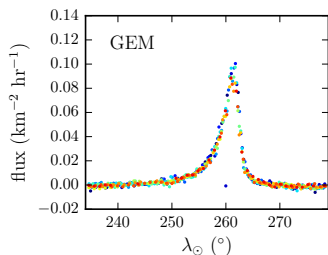


## Step 2: Initial fit to data

Next, I fit for  $f_0$ ,  $B_p$ ,  $B_m$ , and  $\lambda_0$

$$f_1 = f_0 \cdot \begin{cases} 10^{+B_p(\lambda_\odot - \lambda_0)} & \lambda_\odot < \lambda_0 \\ 10^{-B_m(\lambda_\odot - \lambda_0)} & \lambda_\odot > \lambda_0 \end{cases}$$

I clip 5- $\sigma$  outliers and iterate until there are none.

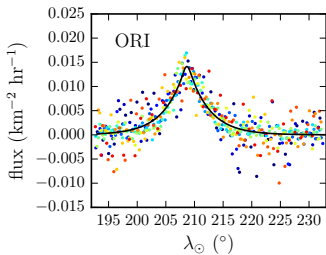
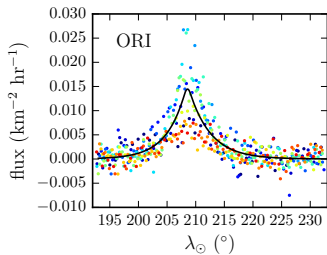


## Step 3: Fit amplitudes

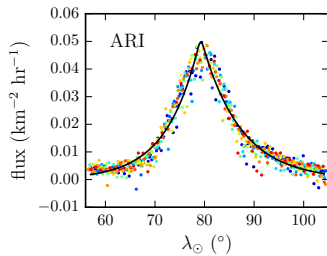
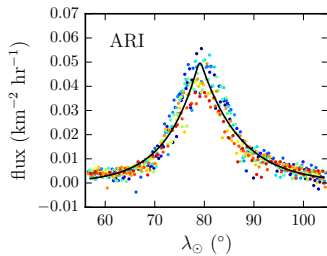
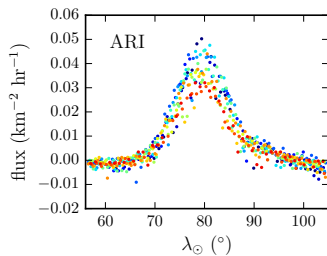
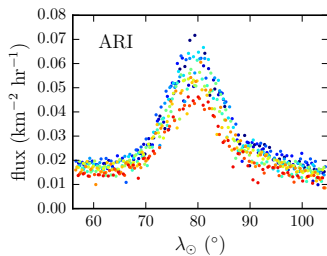
Using  $f_1(\lambda_{\odot})$  from Step 2, I allow the amplitude to vary by year:

$$f_i = \sum_{yr} f_1(\lambda_i) * a_{yr} + b_{yr}$$

I use these  $a$  and  $b$  values to normalize the data, and then again fit for the shape parameters.

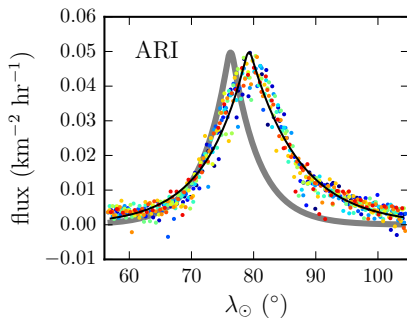
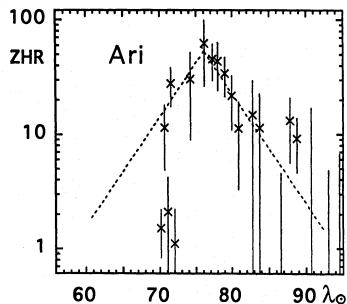


# Arietids



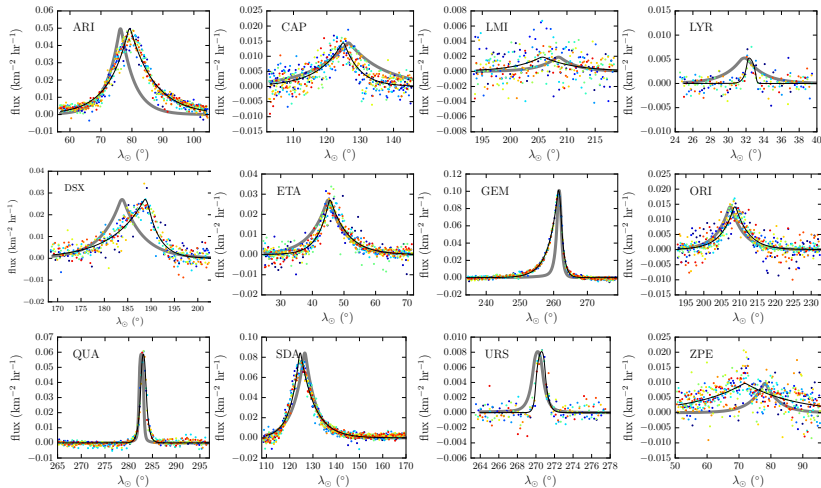
# Arietids

- ▶ Comparing Jenniskens (1994) with this work (right).
- ▶ Previous forecast profile appears in gray (peak amplitude matched)



# Improved showers

In the end, we were able to improve the activity profiles for 12 showers:



# Summary

- ▶ The MEO generates annual meteor shower forecasts that report:
  - ▶ Shower fluxes (based on ZHR and other shower parameters)
  - ▶ Baseline fluxes
  - ▶ Enhancement factors (to support risk assessments)
- ▶ More recent, we revised many shower activity profiles.
  - ▶ We used 14 years of fluxes from CMOR (advantageous for daytime showers in particular)
  - ▶ We were able to improve the profiles of 12 major meteor showers.
- ▶ We plan to expand this in the future to include additional data and constrain mass indices.