

Full-scale Mars Science Laboratory Tiled Heatshield Material Response

Jeremie B. E. Meurisse¹

Jean Lachaud²

Chun Y. Tang³

Nagi N. Mansour³

¹ Science & Technology Corporation at NASA Ames Research Center, Moffett Field, CA 94035, USA

² C la Vie, Nouméa, 98000, New Caledonia.

³ NASA Ames Research Center, Moffett Field, CA 94035, USA

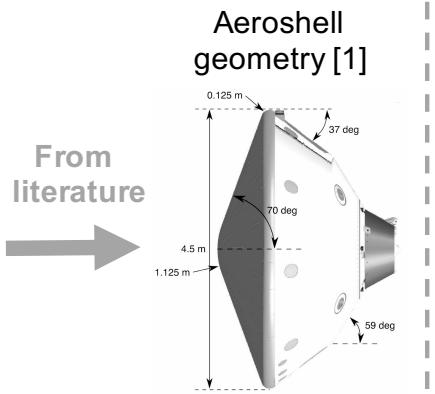
9th Ablation Workshop
Montana State University, August 30th - 31st, 2017



Copyright 1997 by Galen J. Hamilton

Overview – Geometry from literature

MSL PICA
heatshield



LEGEND
Literature

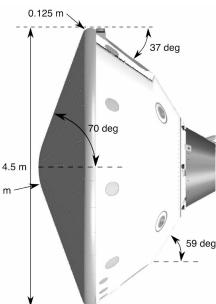
Overview – Aerothermal environment

MSL PICA
heatshield

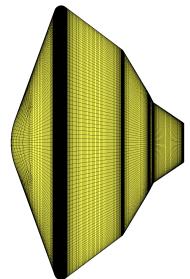


From
literature

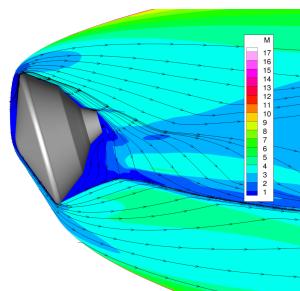
Aeroshell
geometry [1]



Environment
meshing
POINTWISE

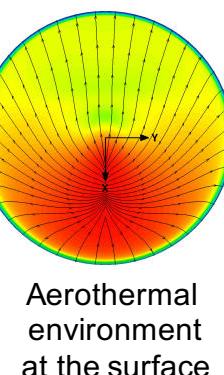


Hypersonic CFD
DPLR [6]



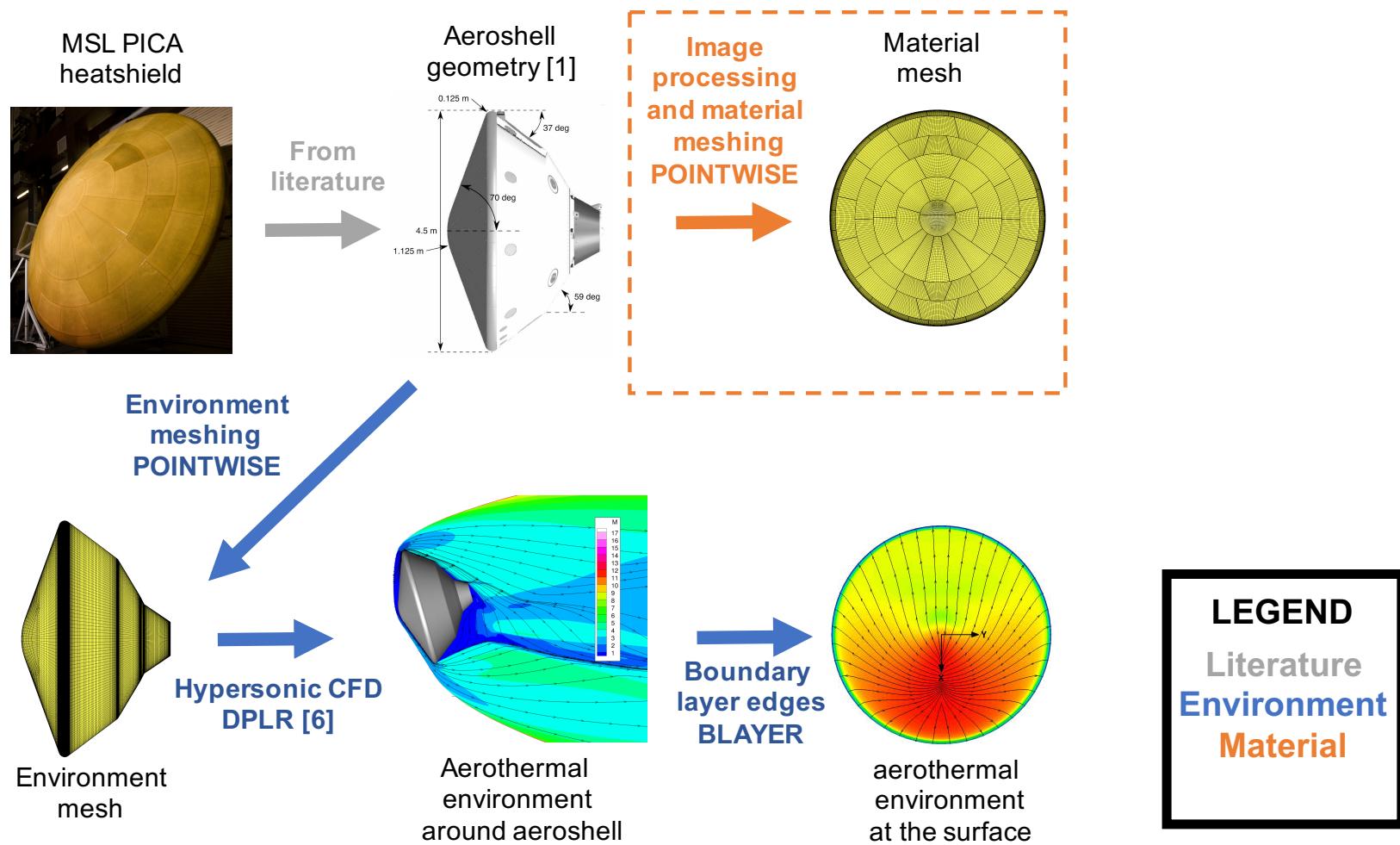
Aero thermal
environment
around aeroshell

LEGEND
Literature
Environment

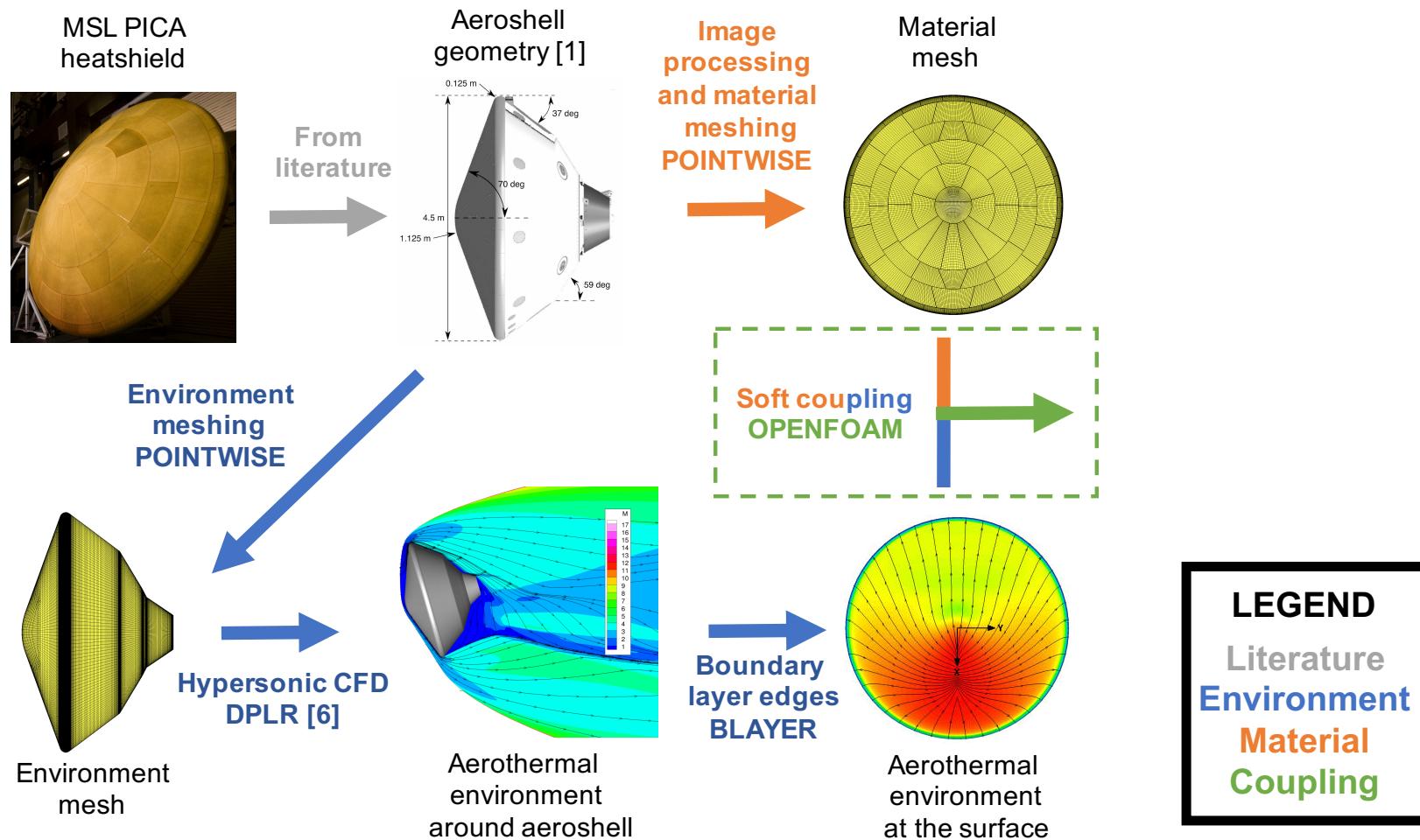


Aero thermal
environment
at the surface

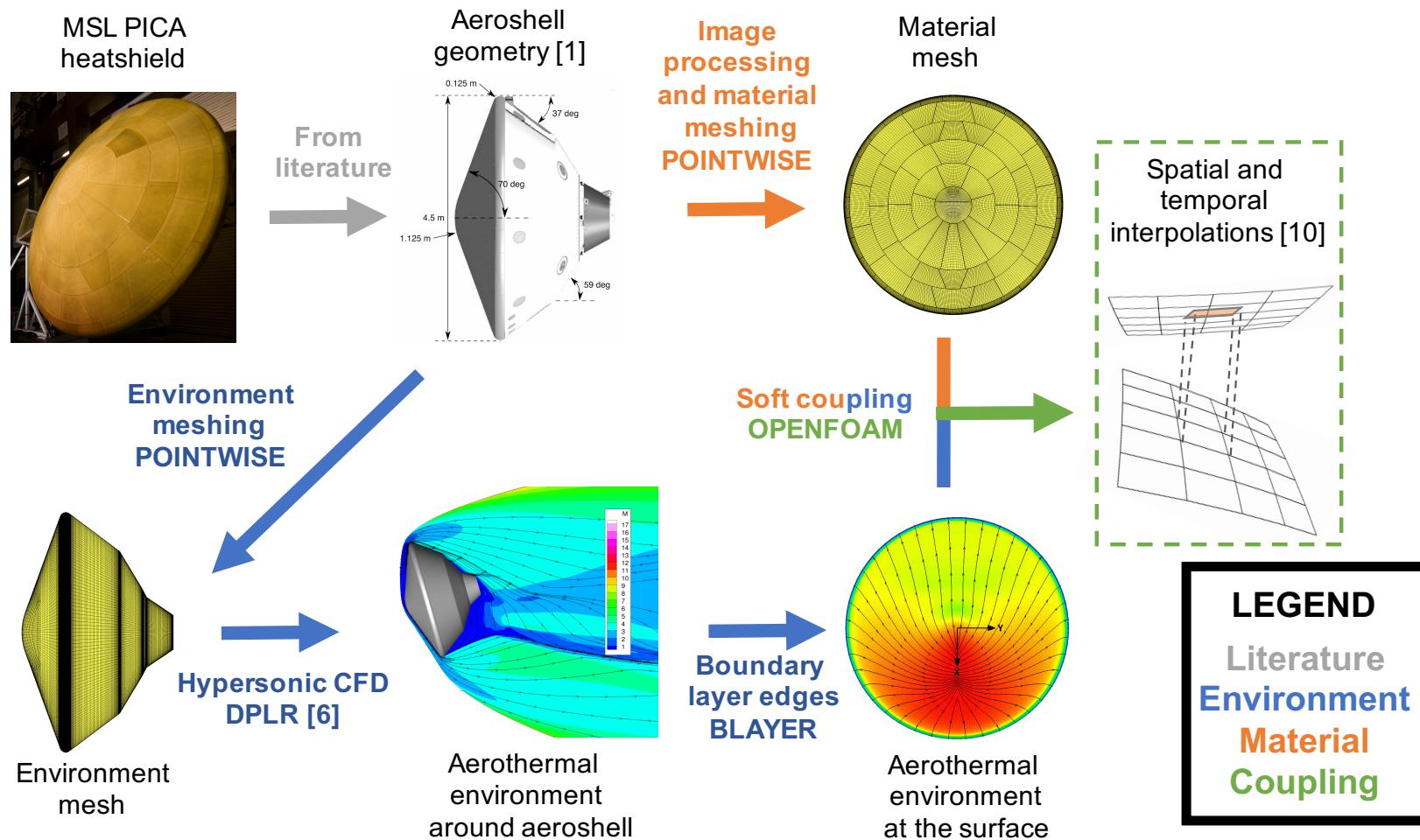
Overview – Material response



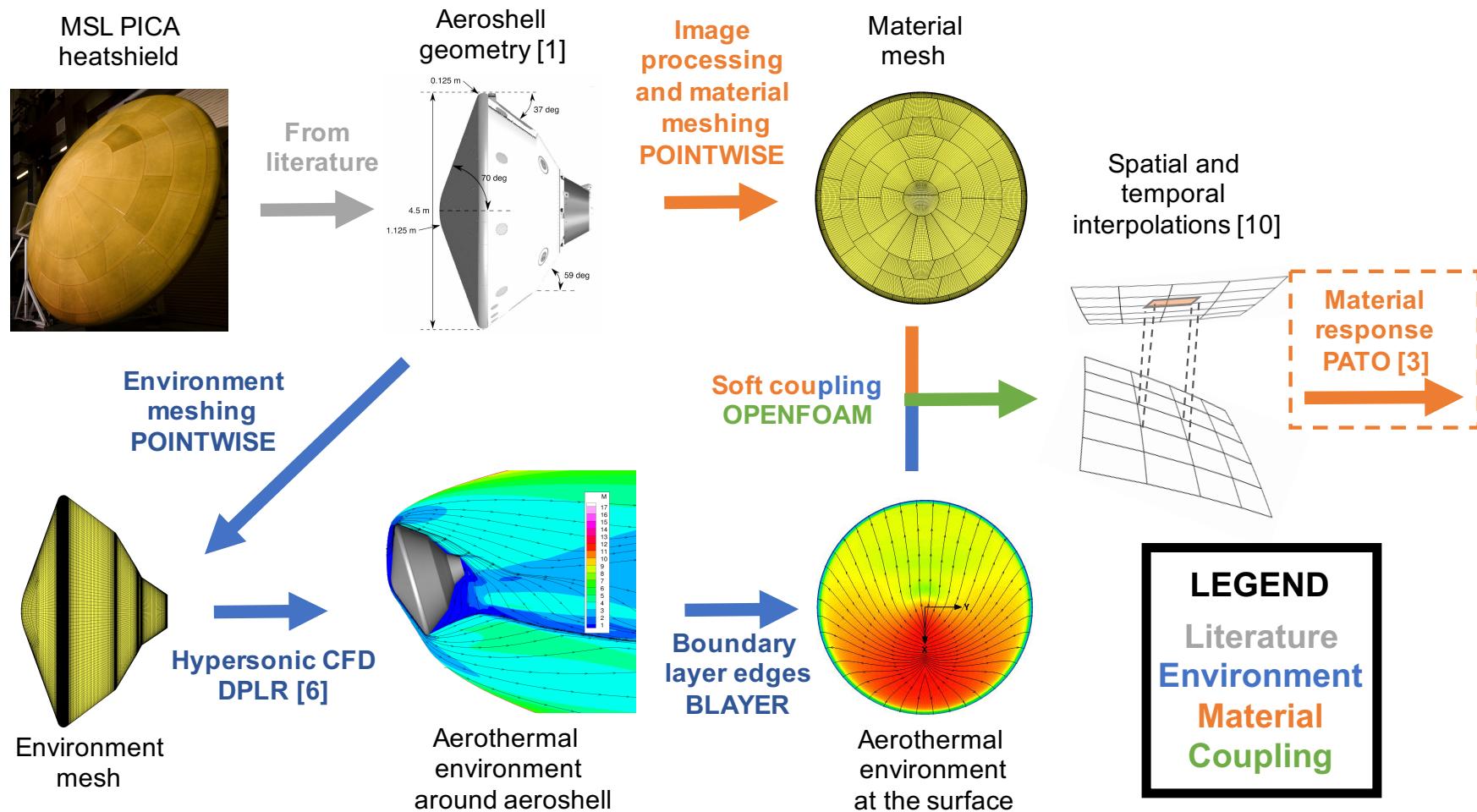
Overview – Coupling aero thermal environment and material response



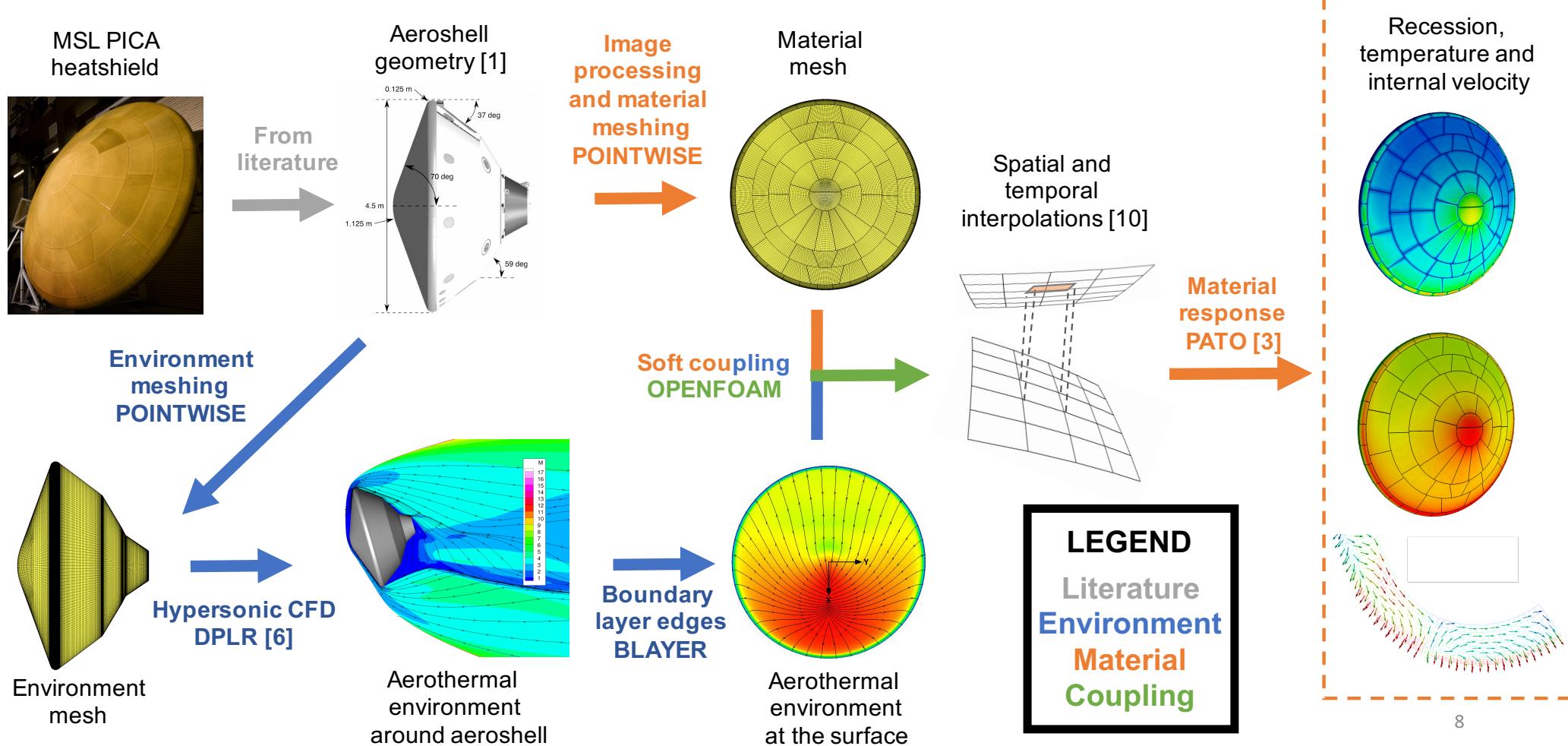
Overview – Coupling aero thermal environment and material response



Overview – Coupling aero thermal environment and material response



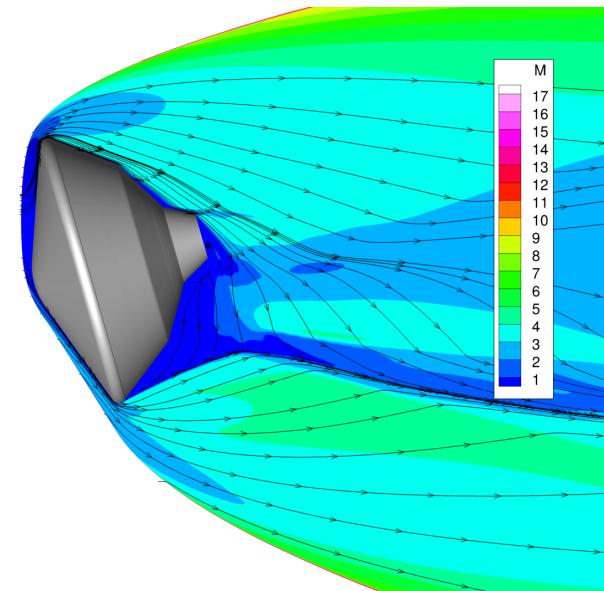
Overview – Coupling aero thermal environment and material response



Aero thermal environment computed from DPLR*

DPLR assumptions

- Laminar boundary layer
- Non-blowing & smooth wall
- Chemical and thermal non-equilibrium
- Radiative equilibrium
- Super-catalytic wall
- Mars atmosphere: $y_{CO_2} = 0.97$, $y_{N_2} = 0.03$
- 12 reactions & 8 species [12]

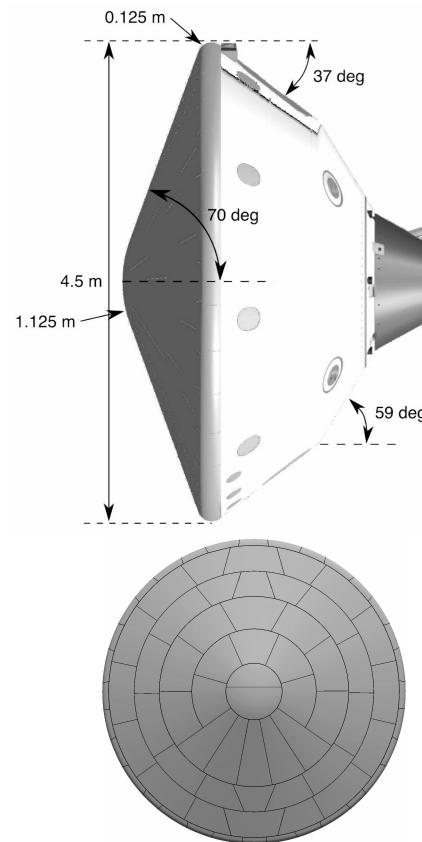


BLAYER calculates the **boundary layer edges** using a curvature-based method

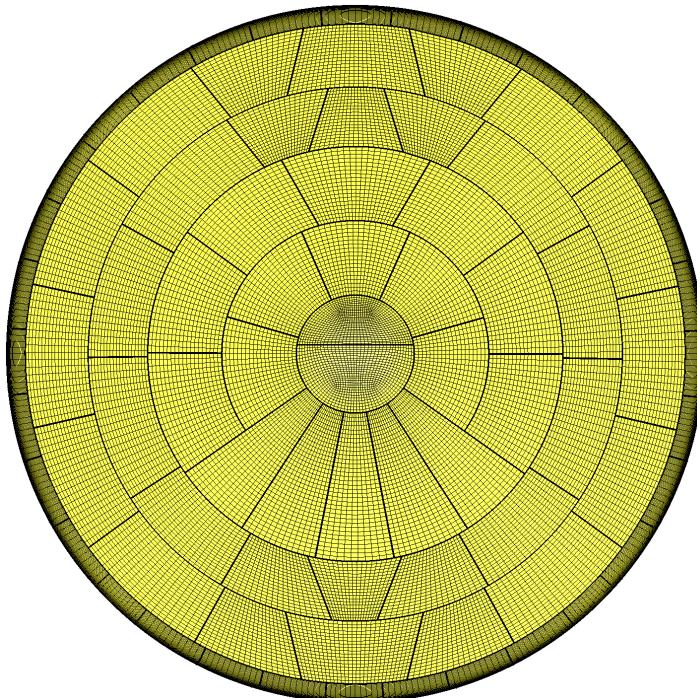
Surface pressure p_w , heat transfer coefficient C_H and enthalpy h_e at the **boundary layer edges** are used as inputs in the **material response** code: **PATO**

* DPLR = Data Parallel Line Relaxation [6]

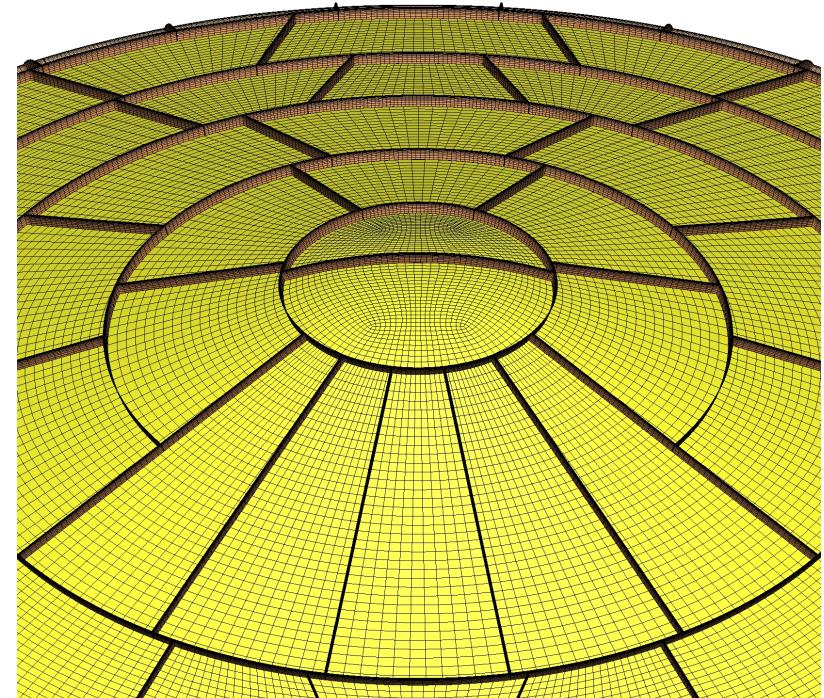
Computational domain of the material response



**Aeroshell geometry
with 113 PICA tiles [1]**



**2 million cells mesh
of the tiled heatshield**



**Heatshield material in 2 regions
gap filler + porous tiles**

PATO* is used for the material response model

Mass and momentum conservation

$$\boldsymbol{v}_g = -\frac{1}{\epsilon_g} \left(\frac{1}{\mu} \bar{\boldsymbol{K}} + \frac{1}{p} \bar{\boldsymbol{\beta}} \right) \cdot \partial_x p_g \quad \partial_t \epsilon_g \rho_g - \partial_x \cdot (\epsilon_g \rho_g \boldsymbol{v}_g) = \Pi$$

* PATO = Porous material Analysis Toolbox based on OpenFOAM [3]

Open Source Release: <http://pato.ac>

PATO* is used for the material response model

Mass and momentum conservation

$$\boldsymbol{v}_g = -\frac{1}{\epsilon_g} \left(\frac{1}{\mu} \hat{\bar{K}} \boldsymbol{r} + \frac{1}{p} \bar{\beta} \right) \cdot \partial_x p_g$$

|
|
Permeability [2,11]

$$\partial_t \epsilon_g \rho_g - \partial_x \cdot (\epsilon_g \rho_g \boldsymbol{v}_g) = \Pi$$

* PATO = Porous material Analysis Toolbox based on OpenFOAM [3]

Open Source Release: <http://pato.ac>

PATO* is used for the material response model

Mass and momentum conservation

$$\boldsymbol{v}_g = -\frac{1}{\epsilon_g} \left(\frac{1}{\mu} \bar{\boldsymbol{K}} + \frac{1}{p} \hat{\boldsymbol{\beta}} \right) \cdot \partial_x p_g$$
$$\partial_t \epsilon_g \rho_g - \partial_x \cdot (\epsilon_g \rho_g \boldsymbol{v}_g) = \Pi$$

|
|
Klinkenberg correction [2,11]

* PATO = Porous material Analysis Toolbox based on OpenFOAM [3]

Open Source Release: <http://pato.ac>

PATO* is used for the material response model

Mass and momentum conservation

$$\boldsymbol{v}_g = -\frac{1}{\epsilon_g} \left(\frac{1}{\mu} \bar{\boldsymbol{K}} + \frac{1}{p} \bar{\boldsymbol{\beta}} \right) \cdot \partial_x p_g$$

$$\partial_t \epsilon_g \rho_g - \partial_x \cdot (\epsilon_g \rho_g \boldsymbol{v}_g) = \underbrace{\left(\Pi \right)}_{|} \quad |$$

Total pyrolysis-gas production rate [3]

* PATO = Porous material Analysis Toolbox based on OpenFOAM [3]

Open Source Release: <http://pato.ac>

PATO is used for the material response model

Mass and momentum conservation

$$\boldsymbol{v}_g = -\frac{1}{\epsilon_g} \left(\frac{1}{\mu} \bar{\boldsymbol{K}} + \frac{1}{p} \bar{\boldsymbol{\beta}} \right) \cdot \partial_x p_g$$

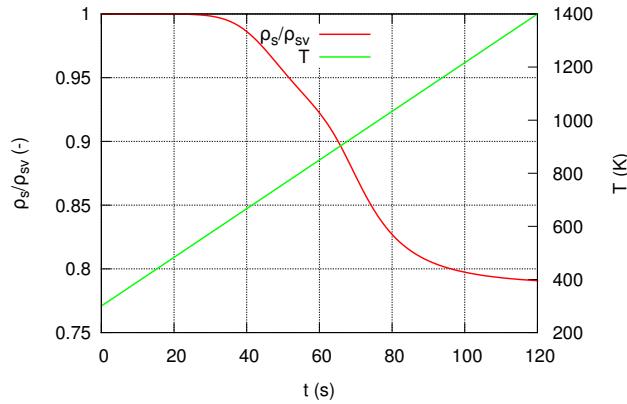
$$\partial_t \epsilon_g \rho_g - \partial_x \cdot (\epsilon_g \rho_g \boldsymbol{v}_g) = \Pi$$

Pyrolysis

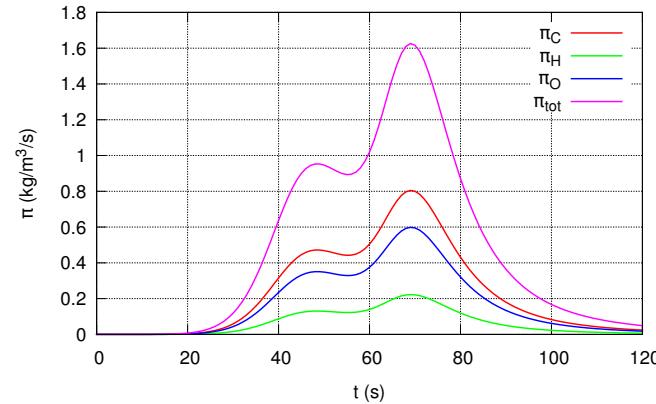
$$\partial_t \chi_{i,j} = (1 - \chi_{i,j})^{m_{i,j}} T^{n_{i,j}} A_{i,j} \exp\left(\frac{-E_{i,j}}{RT}\right)$$

$$\Pi = \sum_{i=1}^{N_p} \sum_{j=1}^{P_i} \sum_{k=1}^{N_g} \zeta_{i,j,k} \epsilon_{i,0} \rho_{i,0} F_{i,j} \partial_t \chi_{i,j}$$

Mass loss and temperature



Pyrolysis production rates



PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Solid phases storage – implicit in T

PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \partial_x \cdot (\bar{k} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \partial_x \cdot (\epsilon_g \rho_g h_g \mathbf{v}_g)$$

Conduction – implicit in T

PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Solid mass loss by pyrolysis and heterogeneous reactions – explicit

PATO is used for the material response model

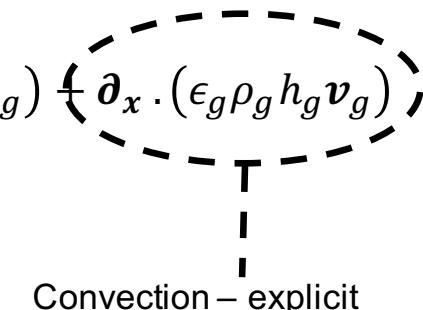
Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - (\partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g)) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Gas storage – explicit

PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$


Convection – explicit

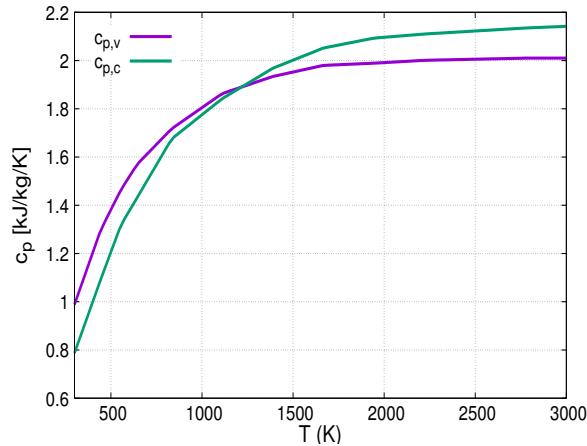
PATO is used for the material response model

Energy conservation

$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i c_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\boldsymbol{k}} \cdot \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Isotropic TACOT properties

Virgin and char specific heat



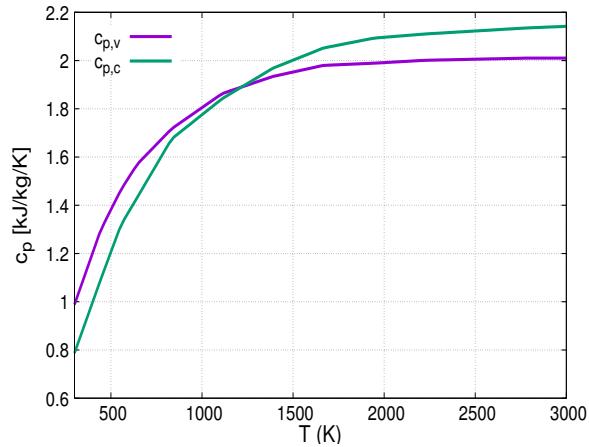
PATO is used for the material response model

Energy conservation

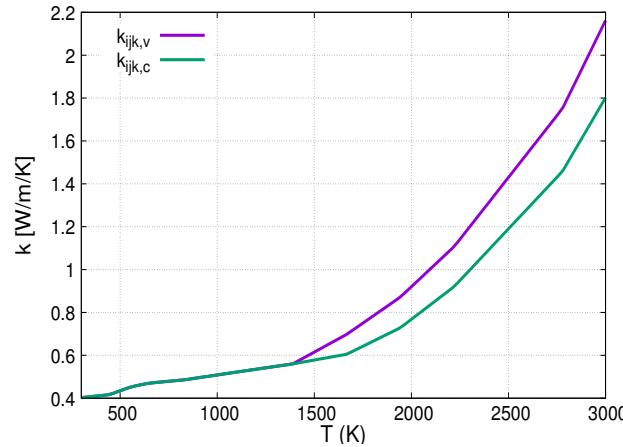
$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i \underline{c}_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\underline{k}} \partial_x T) = \sum_{i=1}^{N_p} [h_i \partial_t (\epsilon_i \rho_i)] - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Isotropic TACOT properties

Virgin and char specific heat



Virgin and char thermal conductivity [13]



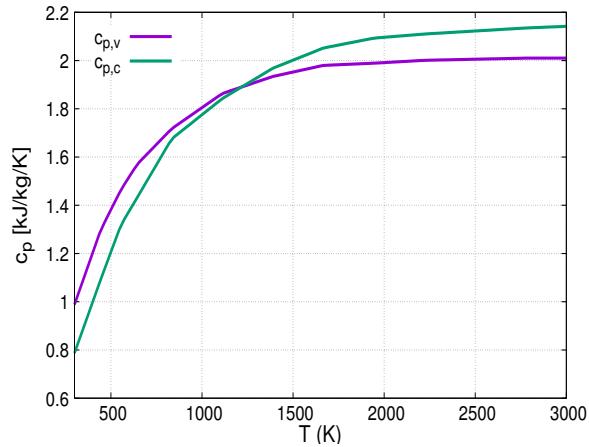
PATO is used for the material response model

Energy conservation

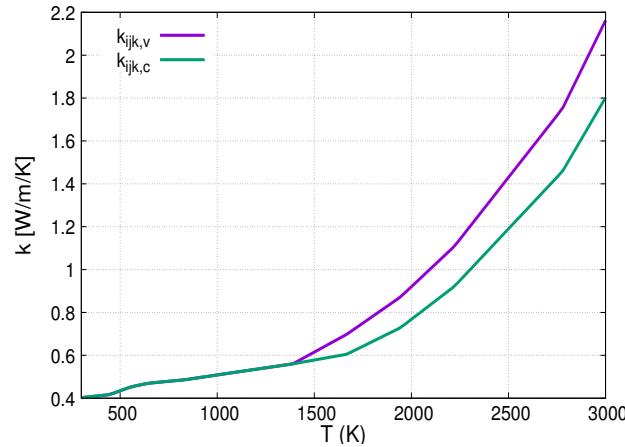
$$\sum_{i=1}^{N_p} [(\epsilon_i \rho_i \bar{c}_{p,i}) \partial_t T] - \boldsymbol{\partial}_x \cdot (\bar{\bar{k}} \partial_x T) = \sum_{i=1}^{N_p} (\bar{h}_i) \partial_t (\epsilon_i \rho_i) - \partial_t (\epsilon_g \rho_g h_g - \epsilon_g p_g) + \boldsymbol{\partial}_x \cdot (\epsilon_g \rho_g h_g \boldsymbol{v}_g)$$

Isotropic TACOT properties

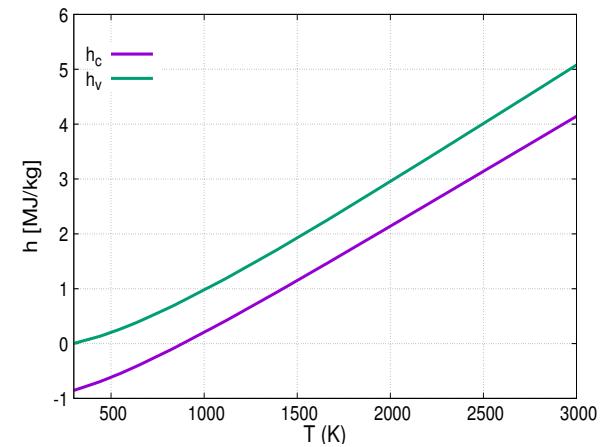
Virgin and char specific heat



Virgin and char thermal conductivity [13]



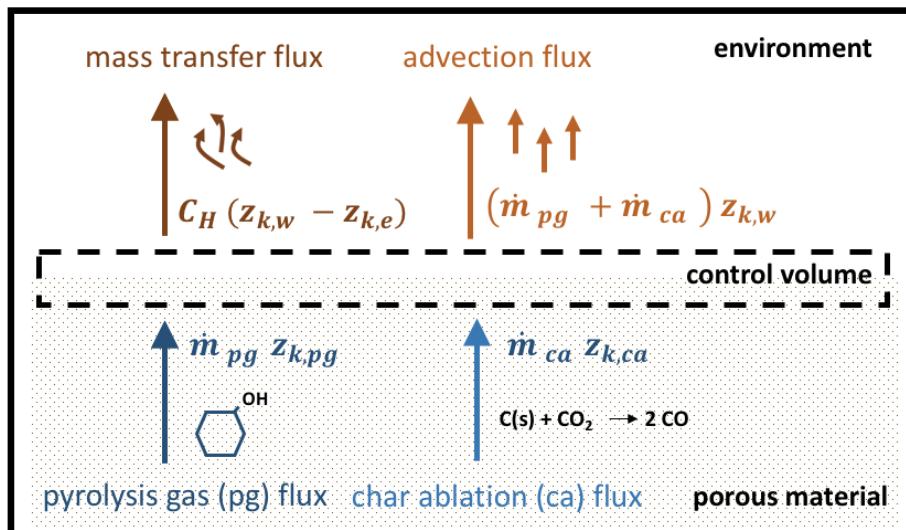
Virgin and char enthalpy



PATO is used for the material response model

Boundary Conditions

Surface mass balance [7]



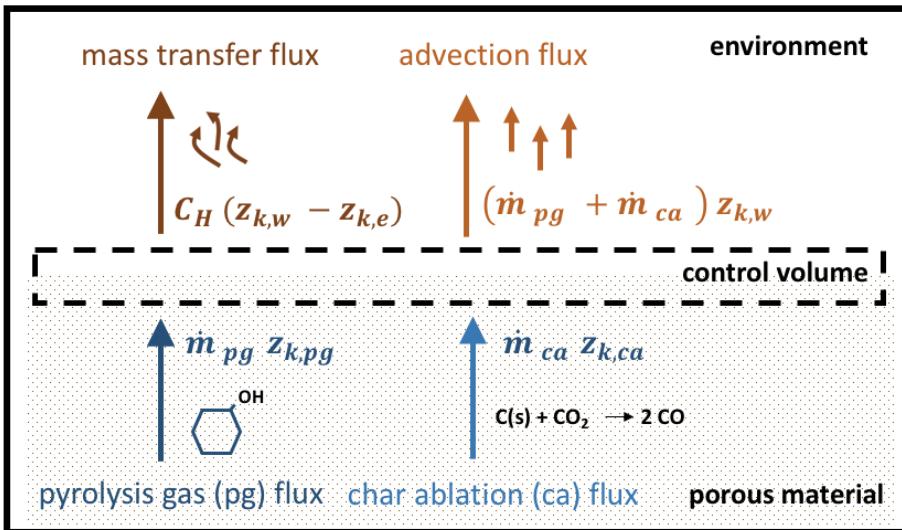
Enthalpy at the wall h_w

Char ablation rate \dot{m}_{ca}

PATO is used for the material response model

Boundary Conditions

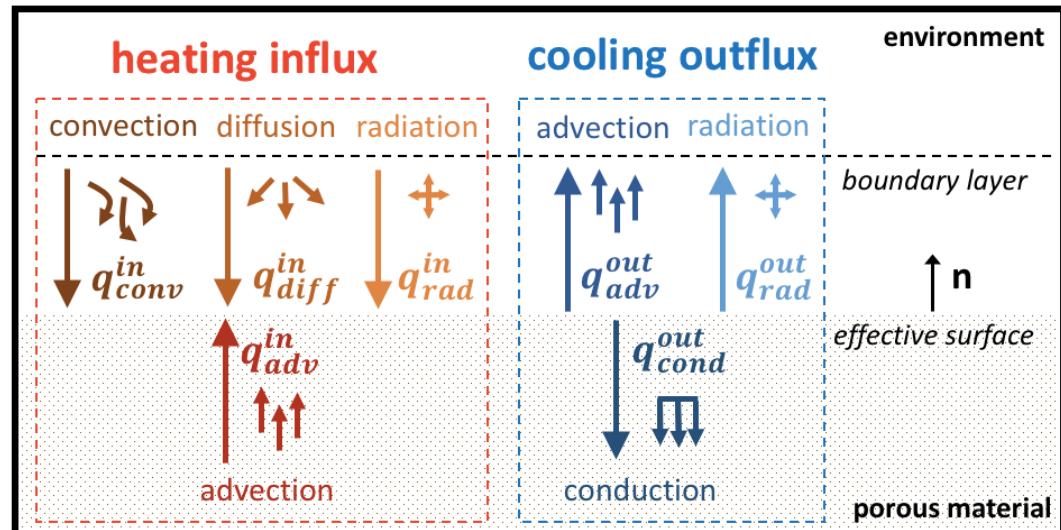
Surface mass balance [7]



Enthalpy at the wall h_w

Char ablation rate \dot{m}_{ca}

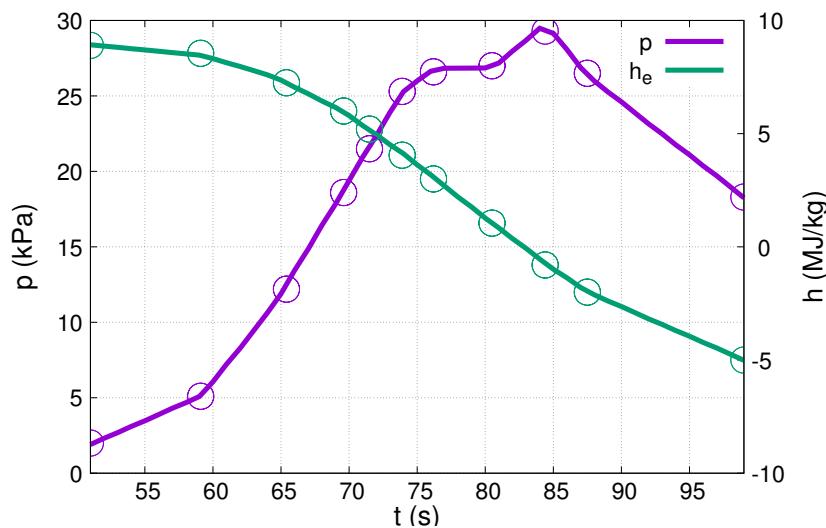
Surface energy balance [8,9]



Temperature at the wall T_w

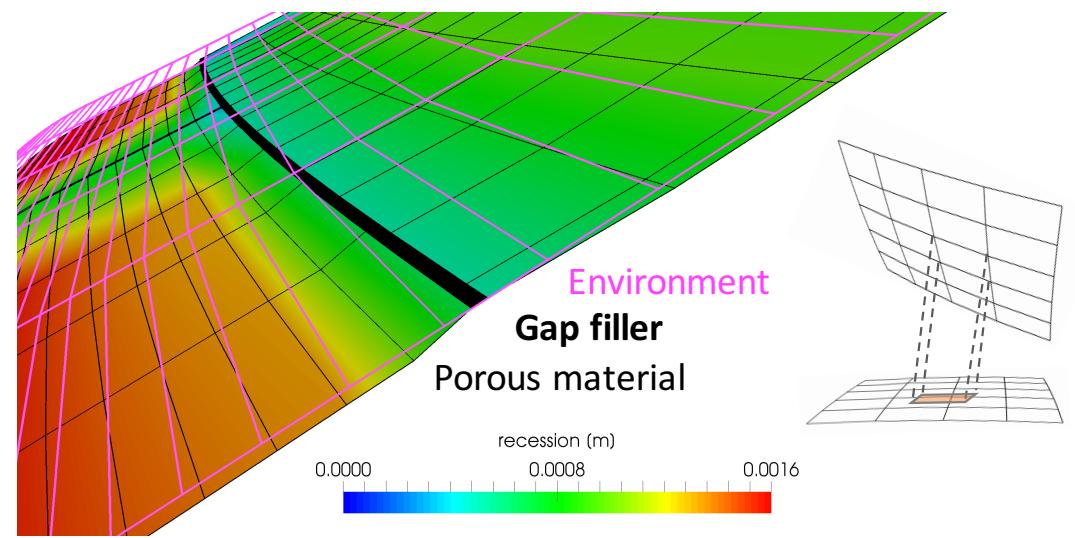
Temporal and spatial interpolations

Temporal interpolation



11 discrete times
(50s to 100s of MSL entry)
linear interpolation

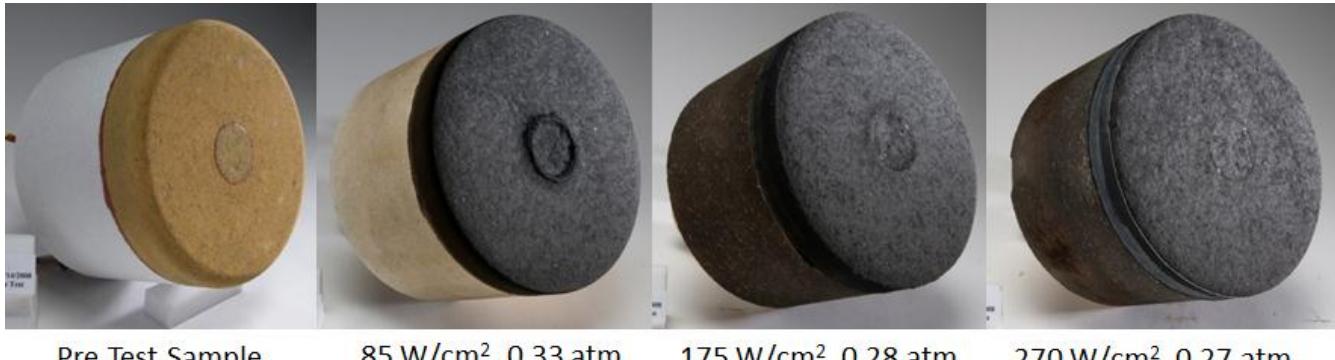
Spatial interpolation



Separate mesh regions are numerically **connected** by the **Arbitrary Mesh Interface (AMI)** utility using local **Galerkin projection** [10] implemented in **OpenFOAM**

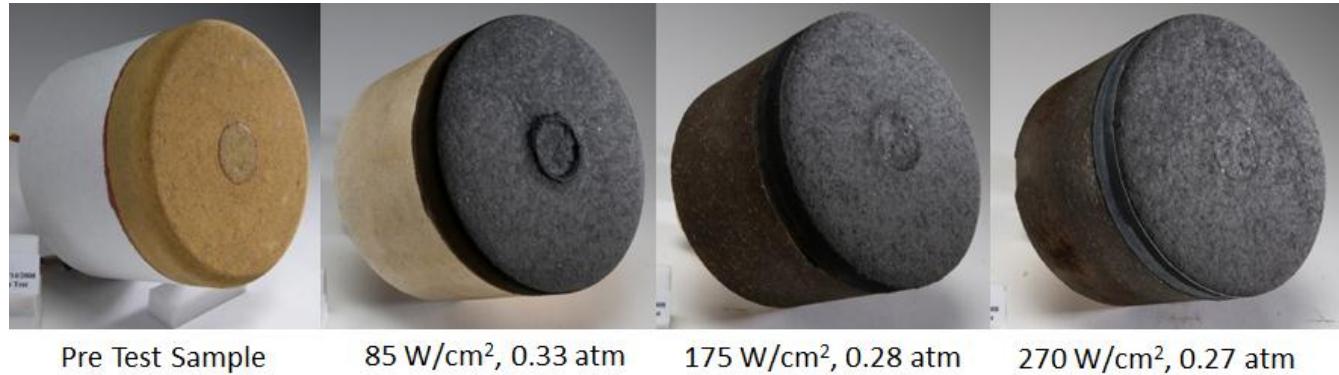
“Fencing” effect at tile interfaces

**Post-test
arcjet coupons [5]**

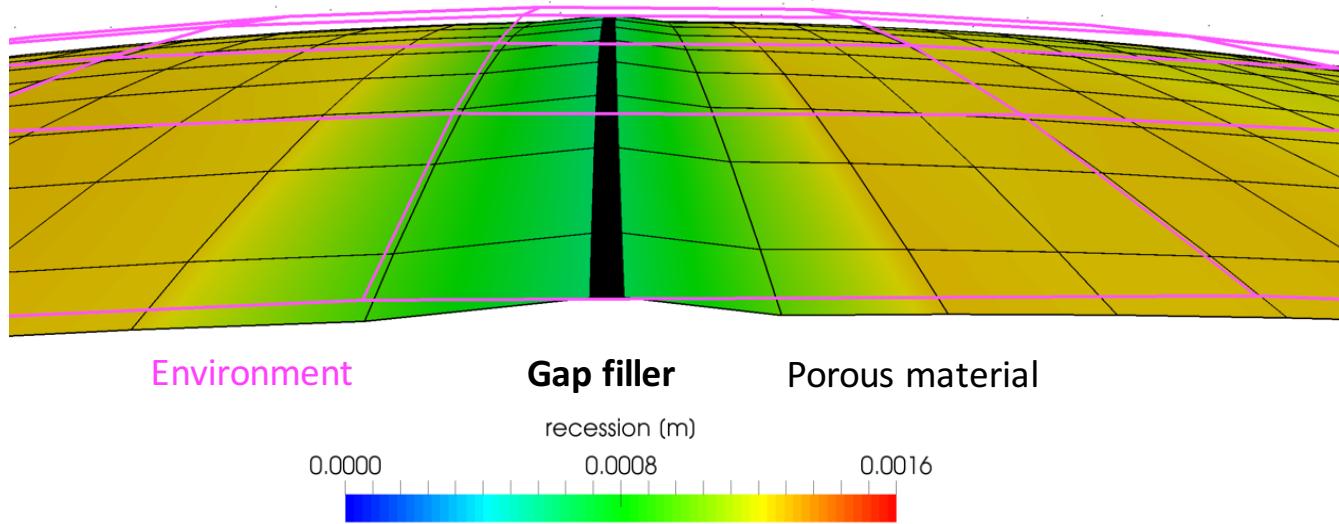


“Fencing” effect at tile interfaces

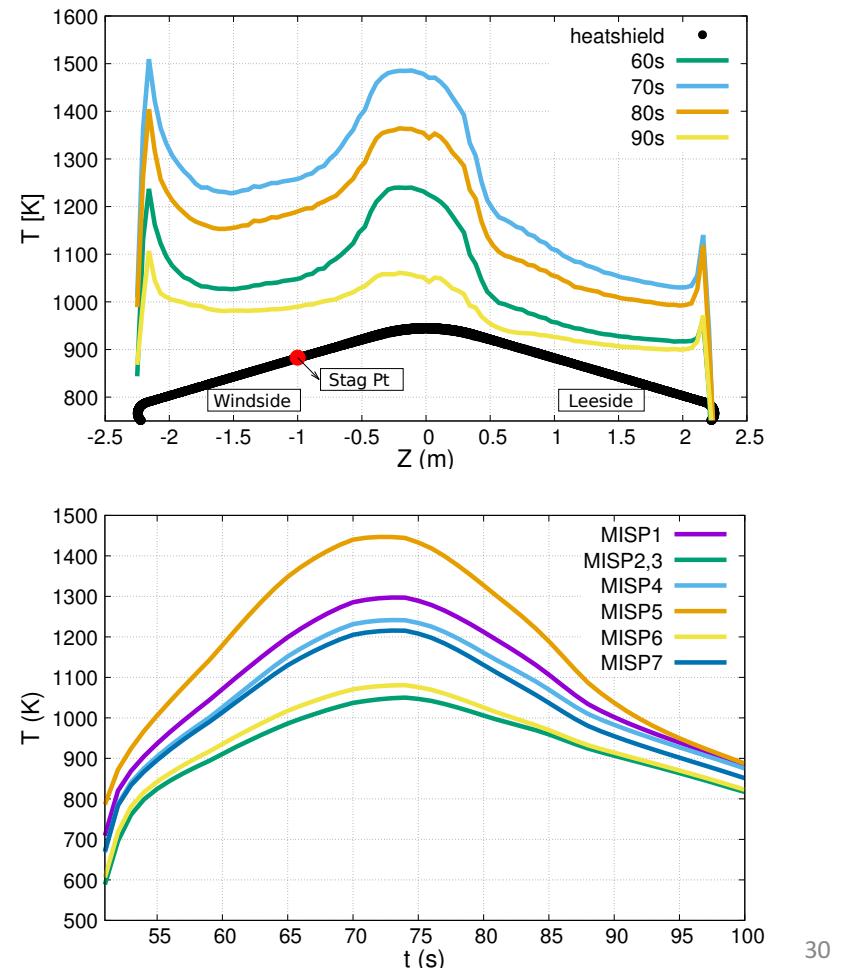
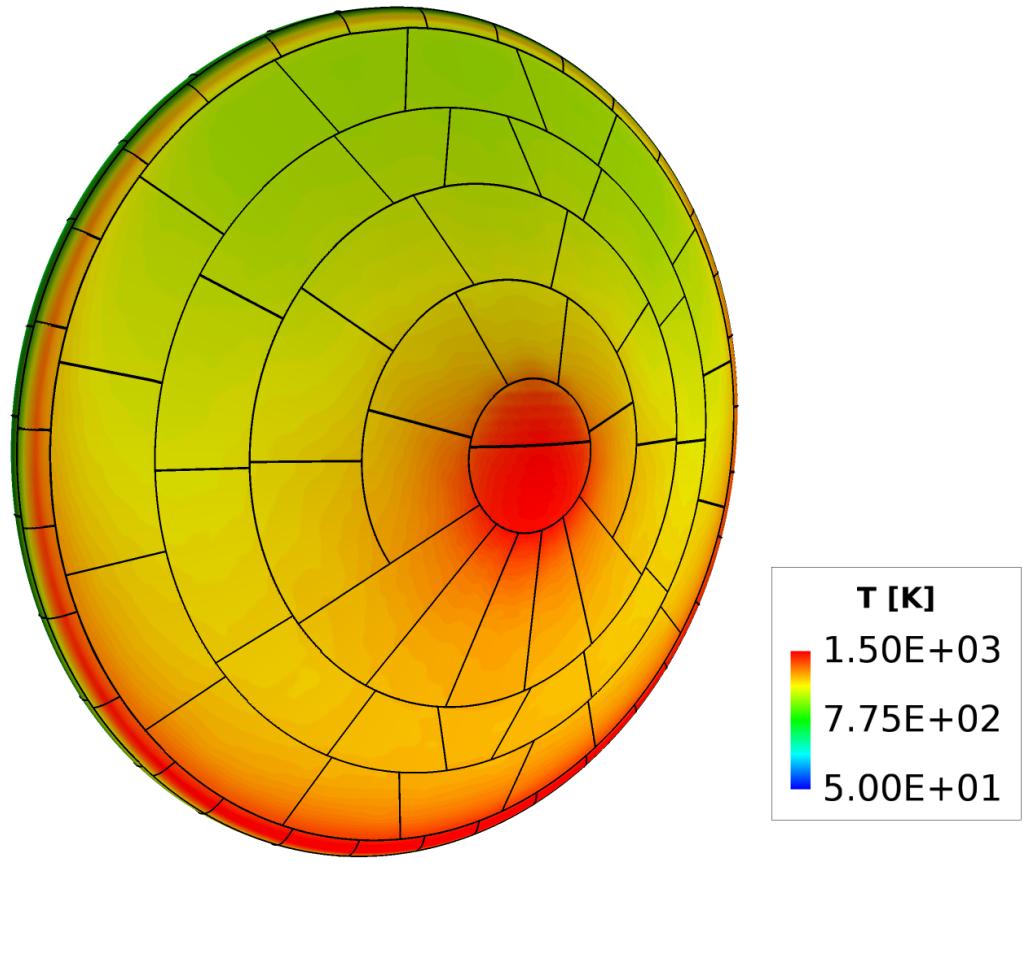
**Post-test
arcjet coupons [5]**



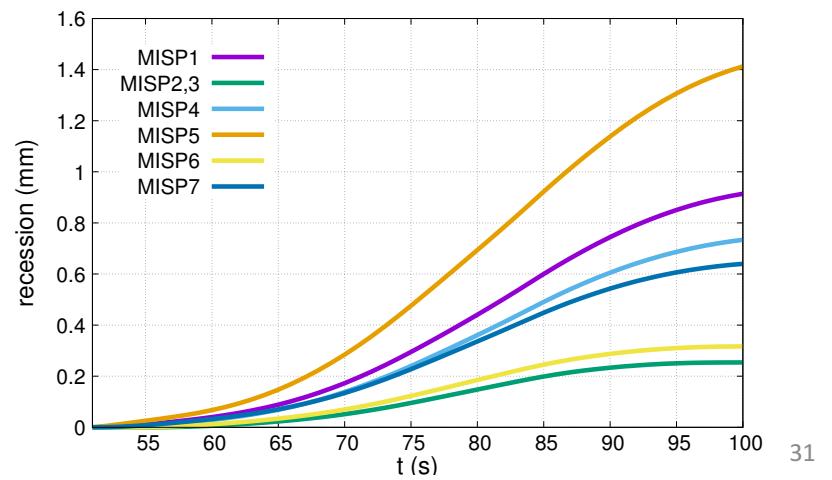
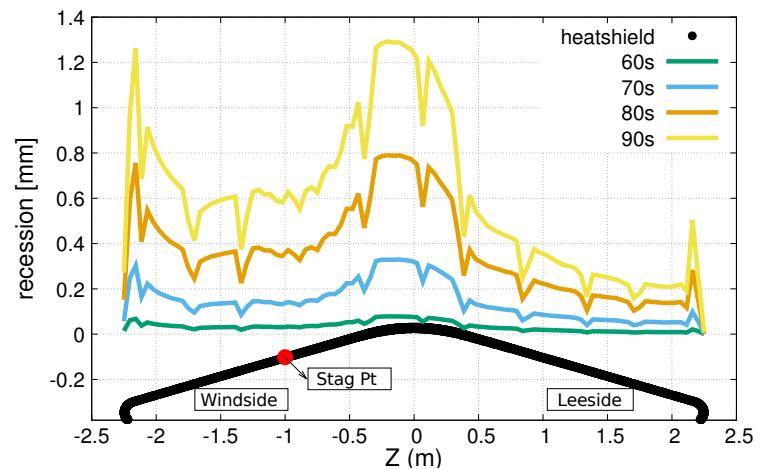
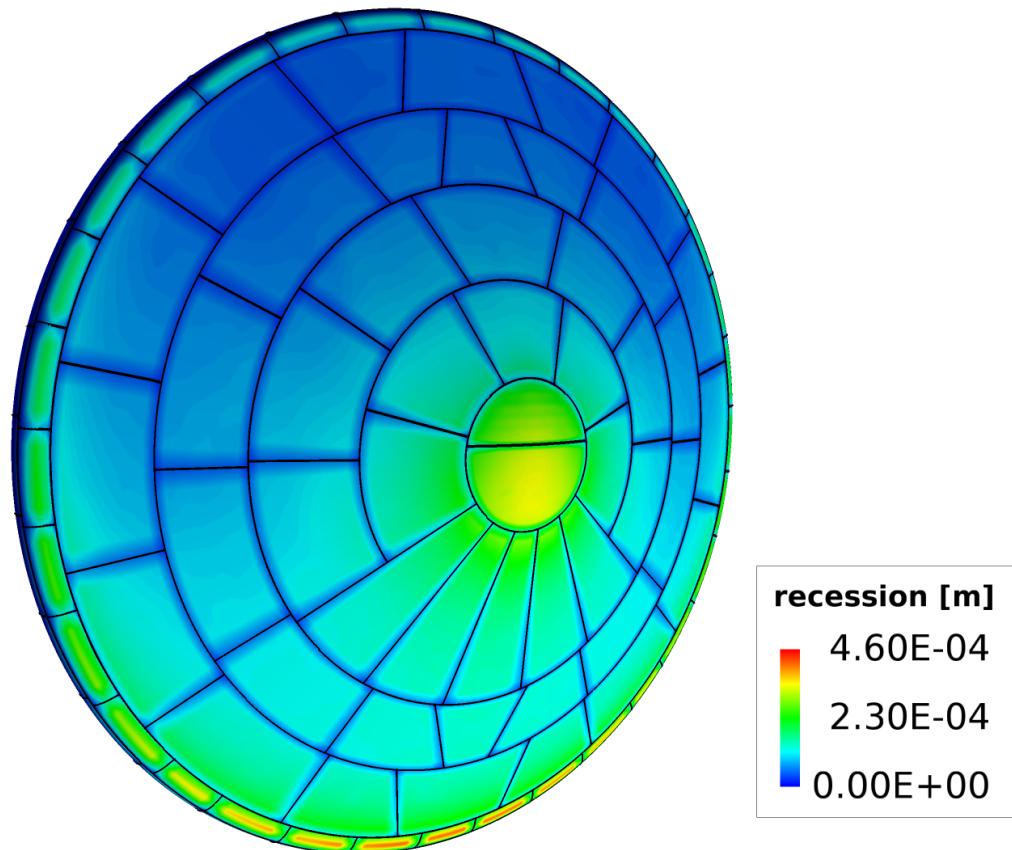
**MSL heatshield
front surface
at the nose**



Temperature from PATO

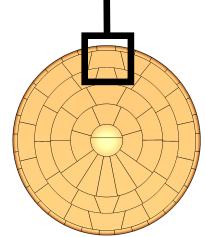


Recession from PATO



Velocity inside the porous material

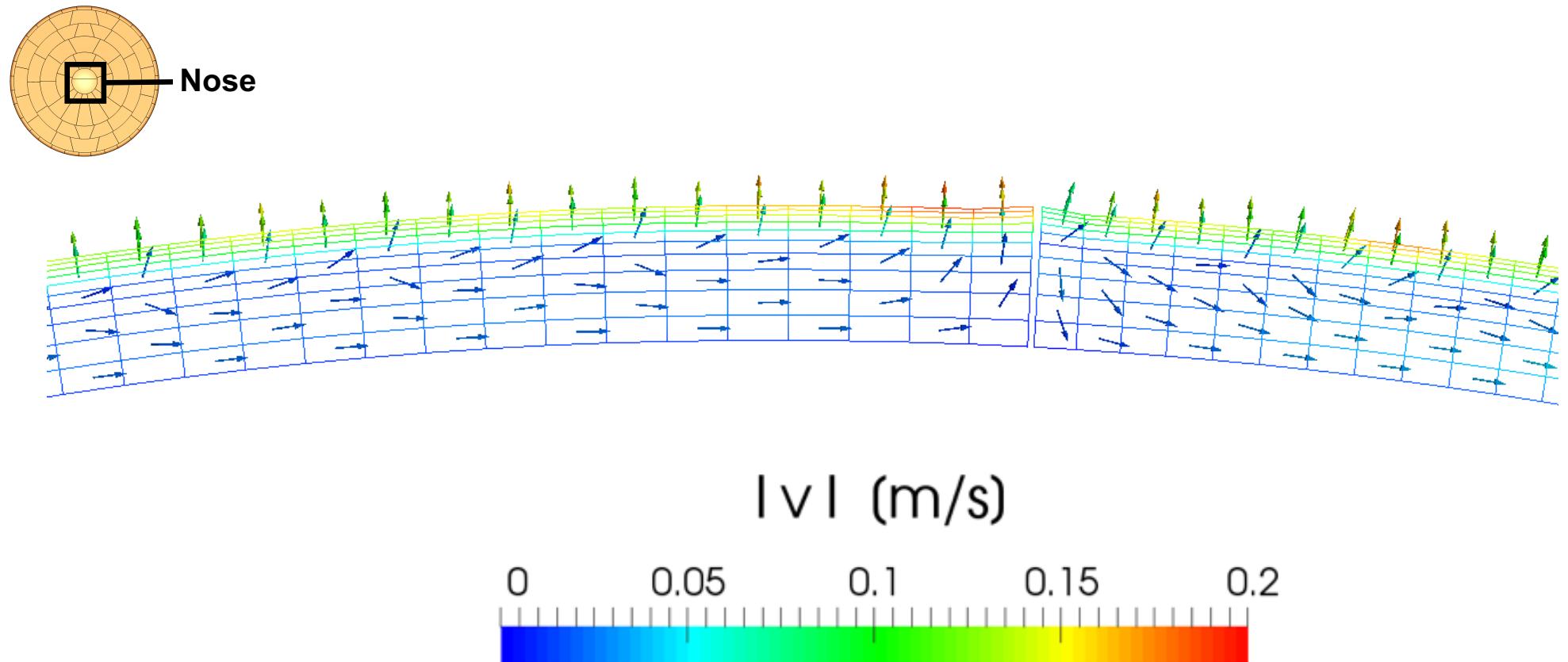
Leeside



$|v|$ (m/s)

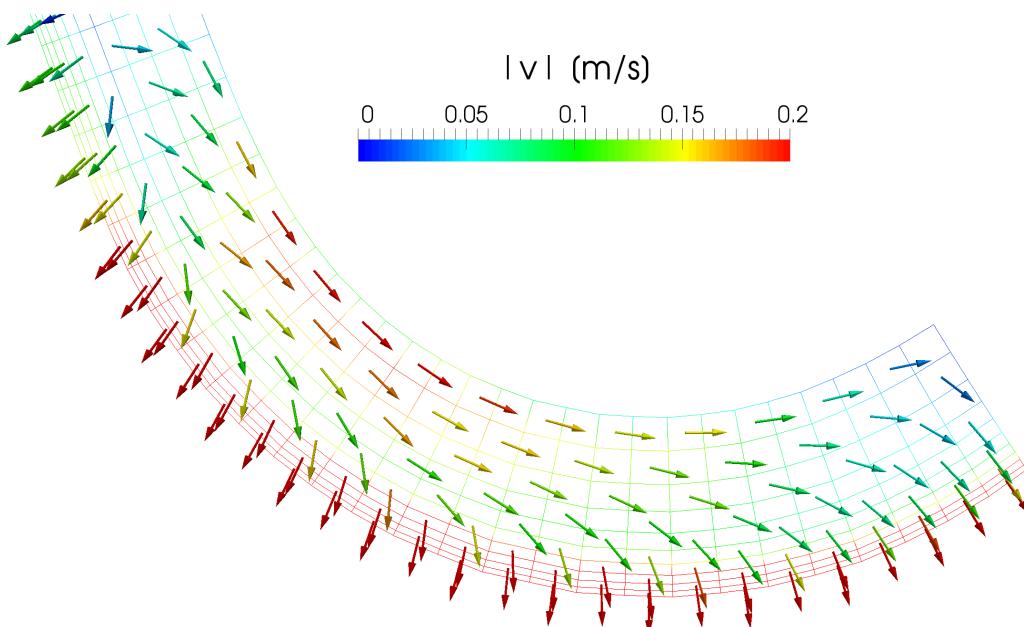


Velocity inside the porous material

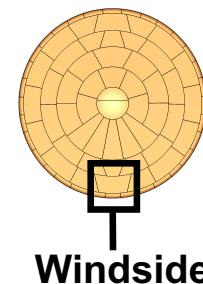
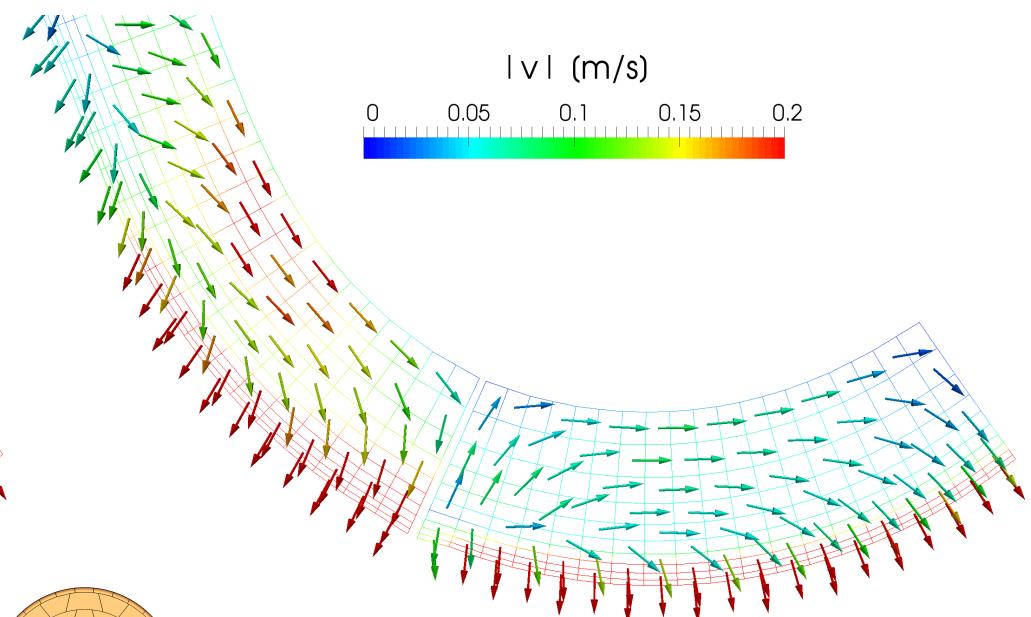


Tiled configuration changes the flow inside the material

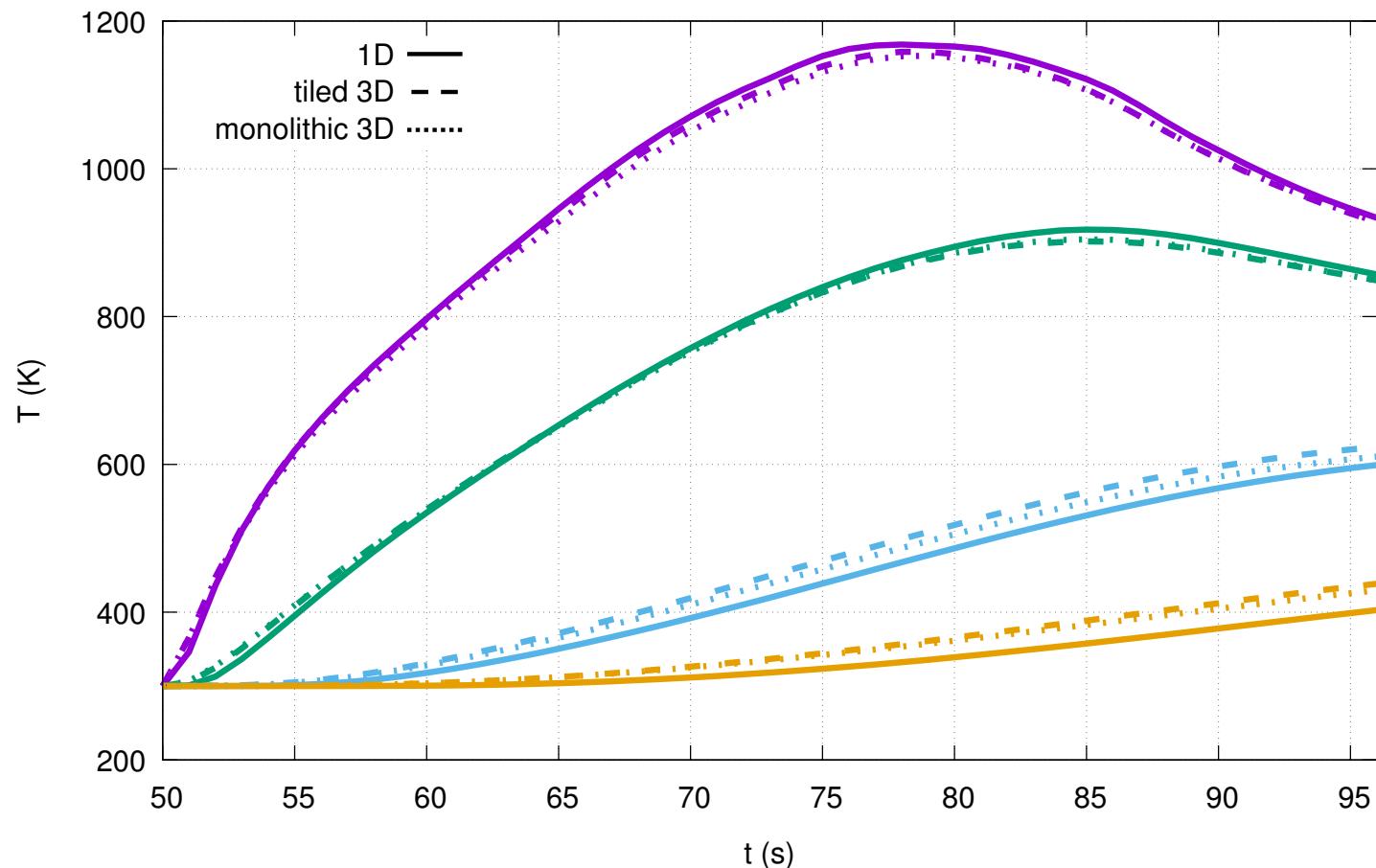
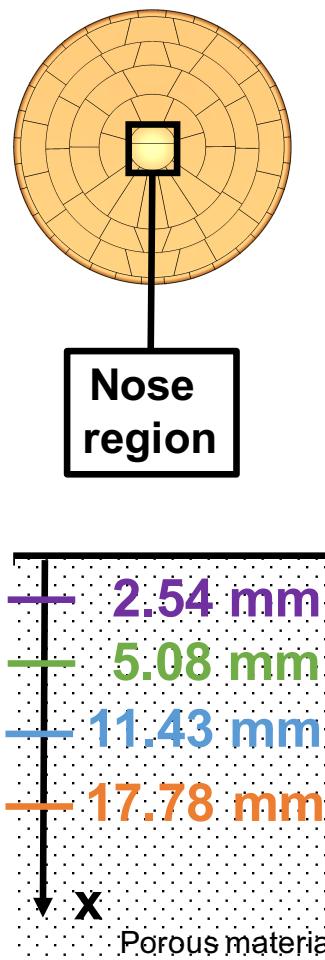
Monolithic configuration



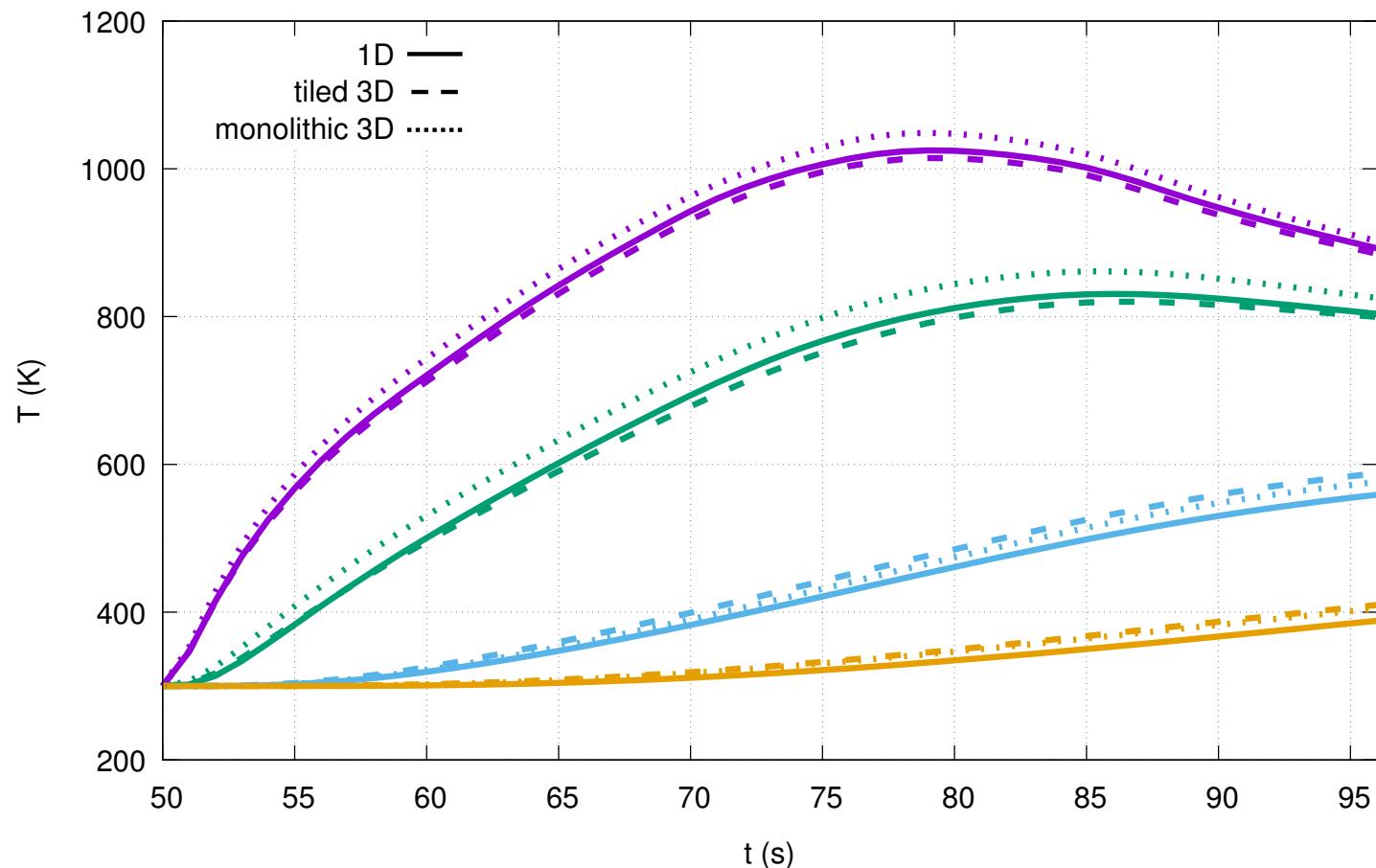
Tiled configuration



1D and 3D material response comparison – nose



1D and 3D material response comparison – shoulder



Conclusion

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions

Conclusion

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions

Porous material response (PATO)

- Pyrolysis
- CMA-type BL approx.
- No finite-rate
- Equilibrium

Conclusion

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions



Porous material response (PATO)

- Pyrolysis
- CMA-type BL approx.
- No finite-rate
- Equilibrium

Conclusion

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions

Soft coupling

Linear in time

Conservative in space by
local Galerkin projection

Porous material response (PATO)

- Pyrolysis
- CMA-type BL approx.
- No finite-rate
- Equilibrium

Outputs

- Monolithic & tiled
- Temperature 1D & 3D
- Recession 1D & 3D
- Internal velocity

Future work

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions

Strong coupling

Linear in time
Conservative in space by local Galerkin projection

Future work includes blowing from pyrolysis & moving mesh from recession

Porous material response (PATO)

- Pyrolysis
- CMA-type BL approx.
- No finite-rate
- Equilibrium

Outputs

- Monolithic & tiled
- Temperature 1D & 3D
- Recession 1D & 3D
- Internal velocity

Future work

Hypersonic environment (DPLR)

- Laminar
- Super-catalytic wall
- Non-blowing
- 8 species & 12 reactions

↓ New technology

- 2020 mission
- Non-uniform thickness
- Transient turbulent
- MMOD & micro-scale

Strong coupling

Linear in time

Conservative in space by
local Galerkin projection

Future work includes
blowing from pyrolysis &
moving mesh from recession

Porous material response (PATO)

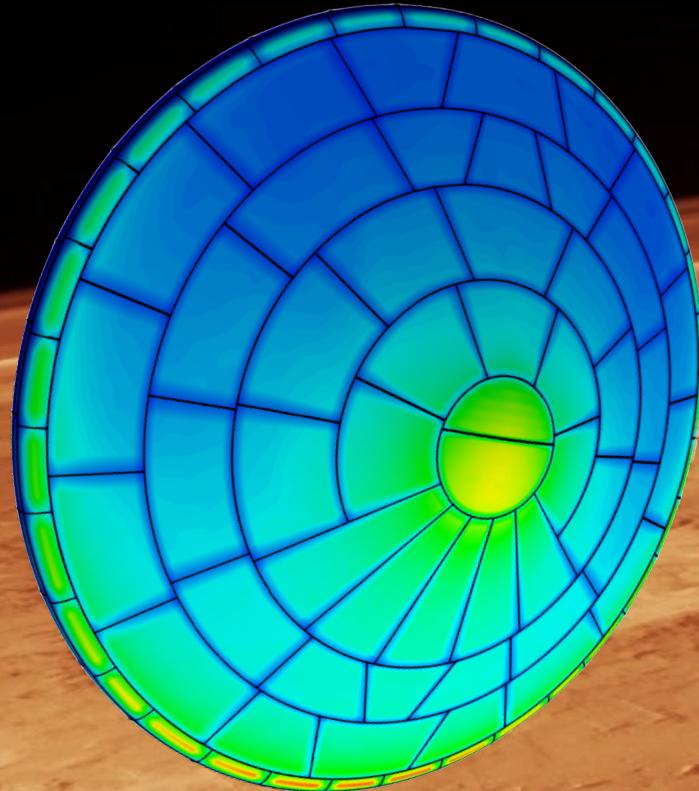
- Pyrolysis
- CMA-type BL approx.
- No finite-rate
- Equilibrium

↓ Outputs

- Monolithic & tiled
- Temperature 1D & 3D
- Recession 1D & 3D
- Internal velocity

References

- [1] K. T. Edquist, A. A. Dyakonov, M. J. Wright, C. Y. Tang, Aerothermodynamic Design of the Mars Science Laboratory Heatshield, in: 41st AIAA Thermo-physics Conference, AIAA Paper 2009-4075, San Antonio, Texas, 2009. doi:10.2514/6.2009-4075.
- [2] F. Panerai, J. D. White, T. J. Cochell, O. M. Schroeder, N. N. Mansour, M. J. Wright, A. Martin, Experimental measurements of the permeability of fibrous carbon at high-temperature, International Journal of Heat and Mass Transfer 101 (2016) 267 – 273.
- [3] J. Lachaud, J. B. Scoggins, T. E. Magin, M. G. Meyer, N. N. Mansour., A generic local thermal equilibrium model for porous reactive materials submitted to high temperatures, International Journal of Heat and Mass Transfer 108 (2017) 1406–1417.
- [4] J. B. Scoggins, T. E. Magin, Development of Mutation++: Multicomponent Thermodynamic and Transport Properties for Ionized Plasmas written in C++, in: 11th AIAA/ASME Joint Thermophysics and Heat Transfer Conference, AIAA Paper 2014-2966, Atlanta, GA, 2014.
- [5] T. R. White, M. Mahzari, D. Bose, J. A. Santos, Post-flight Analysis of the Mars Science Laboratory Entry Aerothermal Environment and Thermal Protection System Response, in: 44th AIAA Thermophysics Conference, AIAA Paper 2013-2779, San Diego, CA, 2013.
- [6] M. J. Wright, T. White, N. Mangini, Data Parallel Line Relaxation (DPLR) Code User Manual: Acadia-Version 4.01.
- [7] M. R. Wool, Aerotherm equilibrium surface thermochemistry computer program, version 3. volume 1. program description and sample problems, Tech. rep., AEROTHERM CORP MOUNTAIN VIEW CA (1970).
- [8] C. B. Moyer, M. R. Wool, Aerotherm charring material thermal response and ablation program, version 3. volume 1. program description and sample problems, Tech. rep., AEROTHERM CORP MOUNTAIN VIEW CA (1970).
- [9] Y. Chen, R. Milos, Ablation and thermal response program for spacecraft heatshield analysis, Journal of Spacecraft and Rockets 36 (1999).
- [10] P. Farrell, J. Maddison, Conservative interpolation between volume meshes by local galerkin projection, Computer Methods in Applied Mechanics and Engineering 200 (1) (2011) 89–100.
- [11] A. Borner, F. Panerai, N. N. Mansour, High temperature permeability of fibrous materials using direct simulation monte carlo, International Journal of Heat and Mass Transfer 106 (2017) 1318 – 1326.
- [12] R. A. Mitcheltree, P. A. Gnoffo, Wake flow about a MESUR mars entry vehicle, AIAA paper 1958 (1994) 1994.
- [13] J.C. Ferguson, F. Panerai, J. Lachaud, A. Martin, S.C. Bailey, N.N. Mansour, Modeling the oxidation of low-density carbon fiber material based on microtomography, Carbon 96 (2016) 57–65.



Questions ?

9th Ablation Workshop

Montana State University, August 30th - 31st, 2017

Contact

Jeremie B. E. Meurisse
(650) 604 1658
jeremie.b.meurisse@nasa.gov



Copyright 1997 by Galen J. Hamilton