



Yield and Failure Behavior Investigated for Cross-Linked Phenolic Resins Using Molecular Dynamics

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AIChE 2016

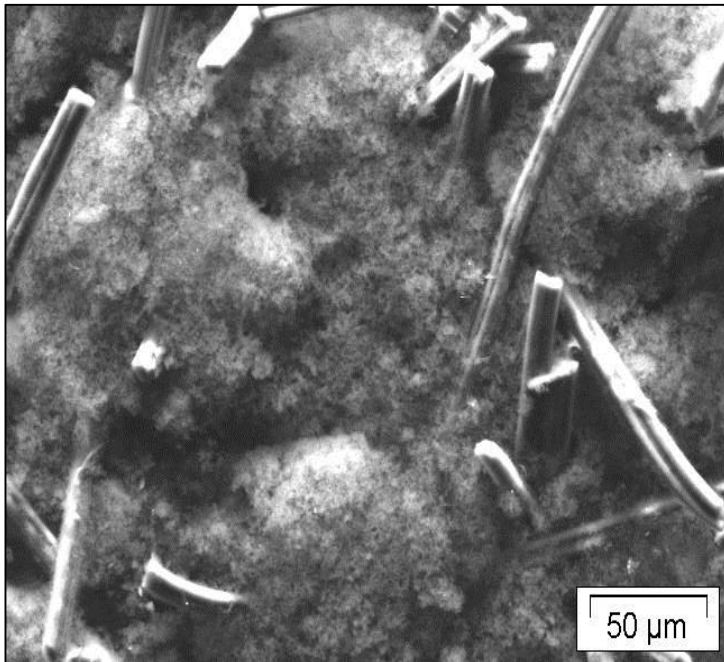
Session: **Atomistic and Molecular Modeling and
Simulation of Polymers**

Date: **Monday, November 14, 2016**

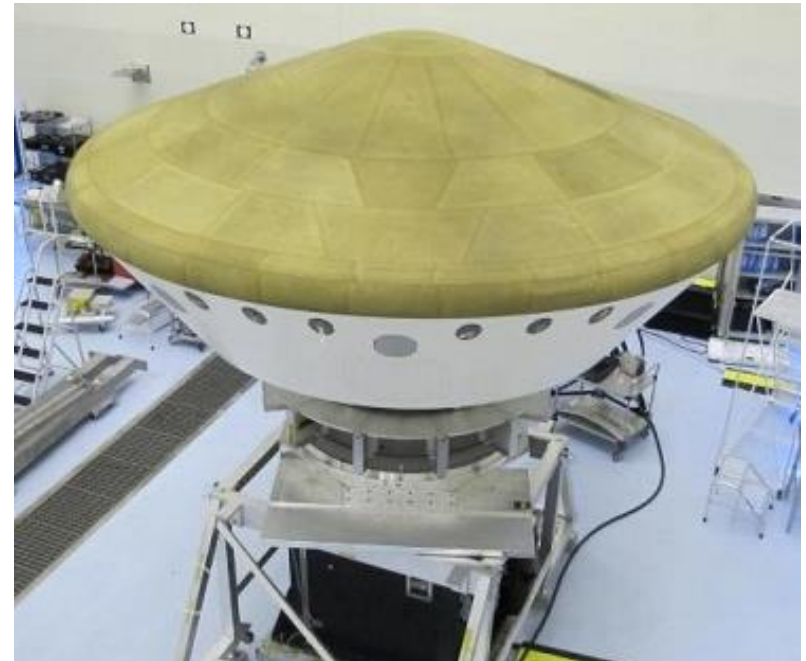
Session Time: 3:15 PM - 5:45 PM

Motivation

PICA: Carbon Fiber/Phenolic Matrix⁺



Design Variable: Polymer Resin



*MSL (Mars Science Laboratory)
Image credit NASA/JPL. CalTech*

⁺Stackpoole M. Sepka S., Cozmuta I. 46th AIAA Aerospace Sci. Meeting and exhibit. (Jan. 2008)



Molecular Dynamics Simulations

Single phenol ring: C_6H_6O

- Linker: Methylene

Chain Length: Linear 9-ring

Force Field:

- OPLS/AA & AMBER (Jorgensen, Cornell) *
- REAXFF (Chenoweth)⁺

Cross-linking algorithm

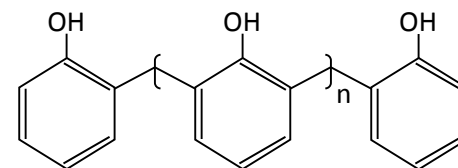
- Bridged individual chains to simulate curing

System:

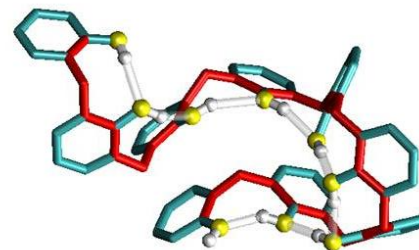
- 67 Å side length
- 216 phenolic chains
- Periodic boundary conditions

Software: LAMMPS

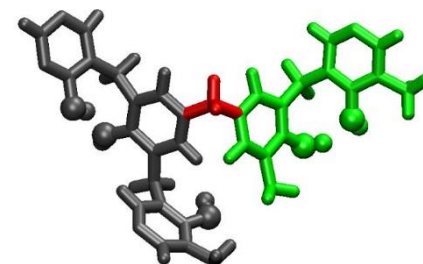
Super Computer: Pleiades at NASA Ames



Ortho-Ortho Phenolic Chain



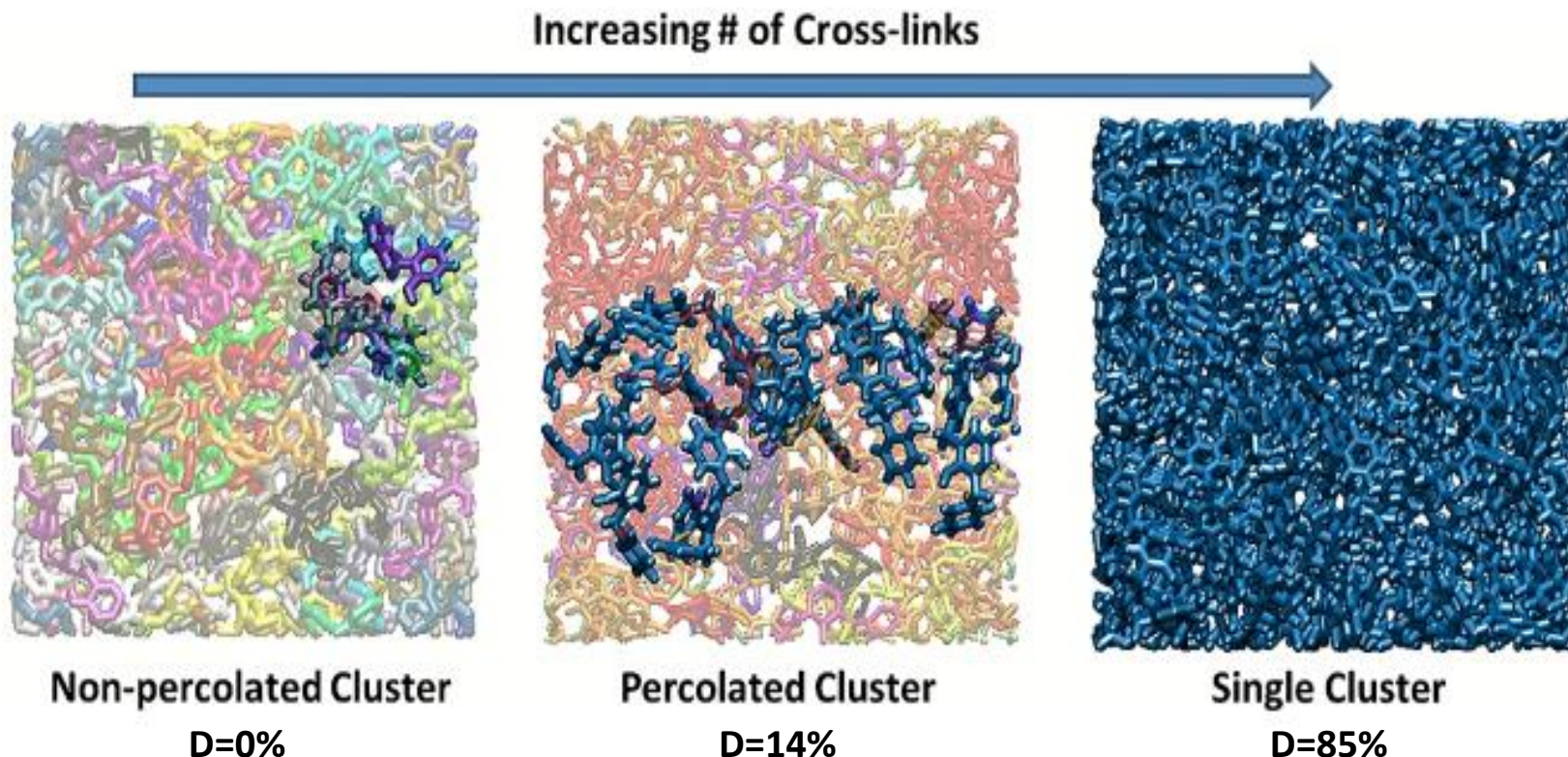
Cross-linked Chains



*Jorgensen, Maxwell, Tirado-Rives JACS (1996), Cornell, Wendy D., et al. *J of the Amer. Chem. Soc.* (1995),

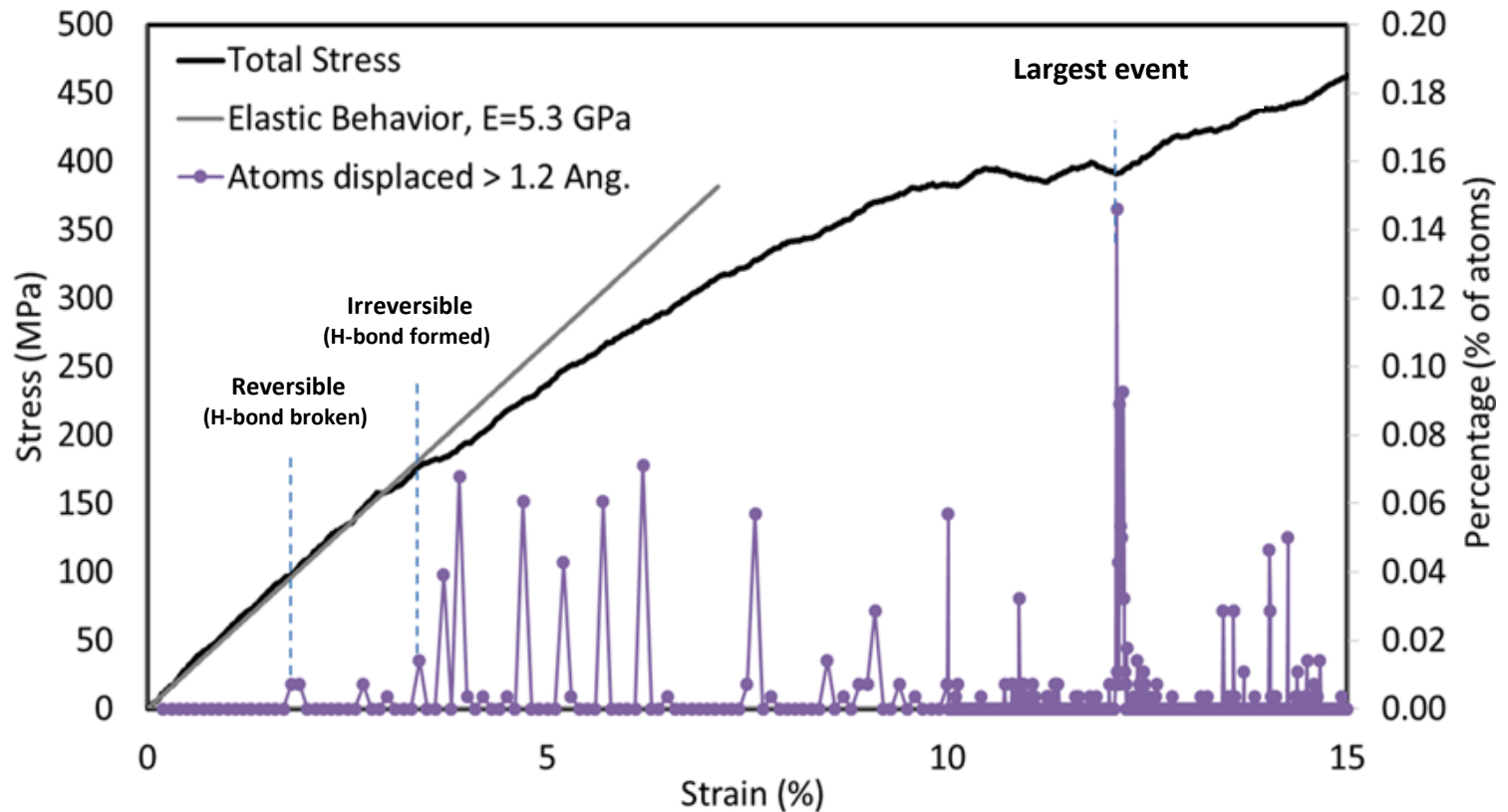
⁺Chenoweth, Kimberly, Adri CT Van Duin, and W.A. Goddard. *The Journal of Physical Chemistry A* 112.5 (2008).

Increasing Degree of Cross-linking



$$D(\%) = \frac{\text{\# of Bridged Aromatic Rings}}{\text{\# of Total Aromatic Rings}} * 100\%$$

Low Temperature Stress-Strain Profile

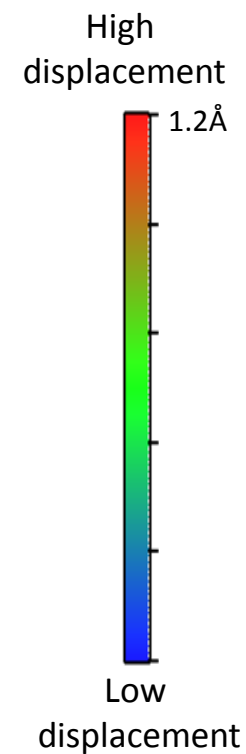
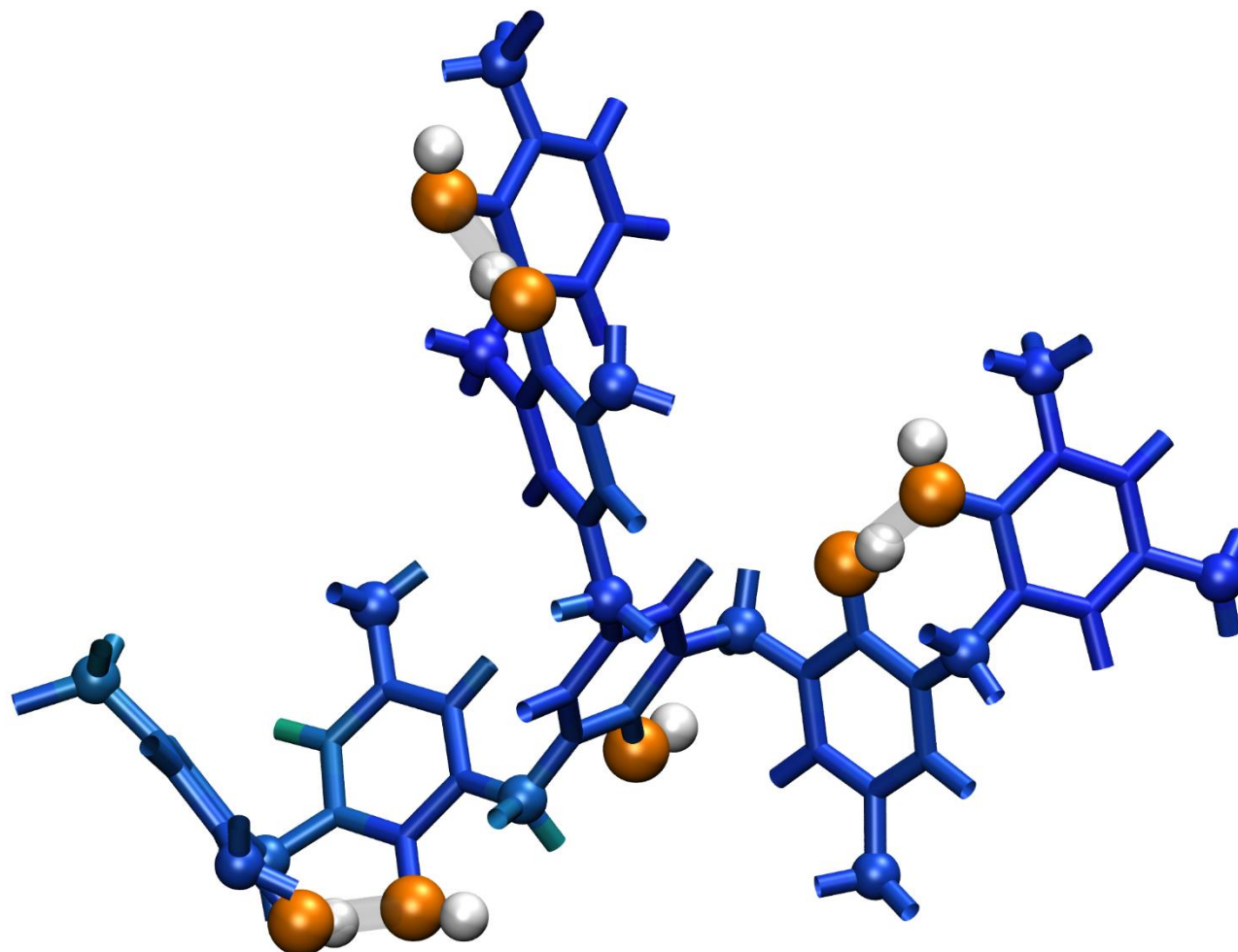


D=85%

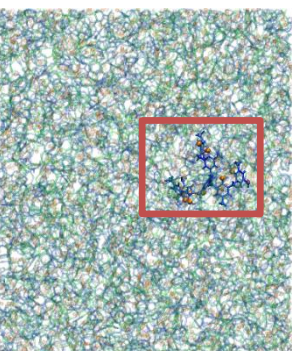
T=10K

$\dot{\epsilon} = 1 \times 10^8 \text{ s}^{-1}$

Direction of deformation

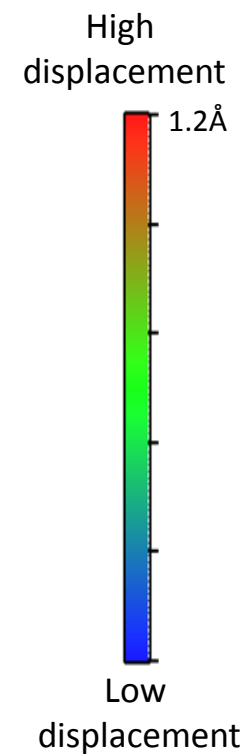
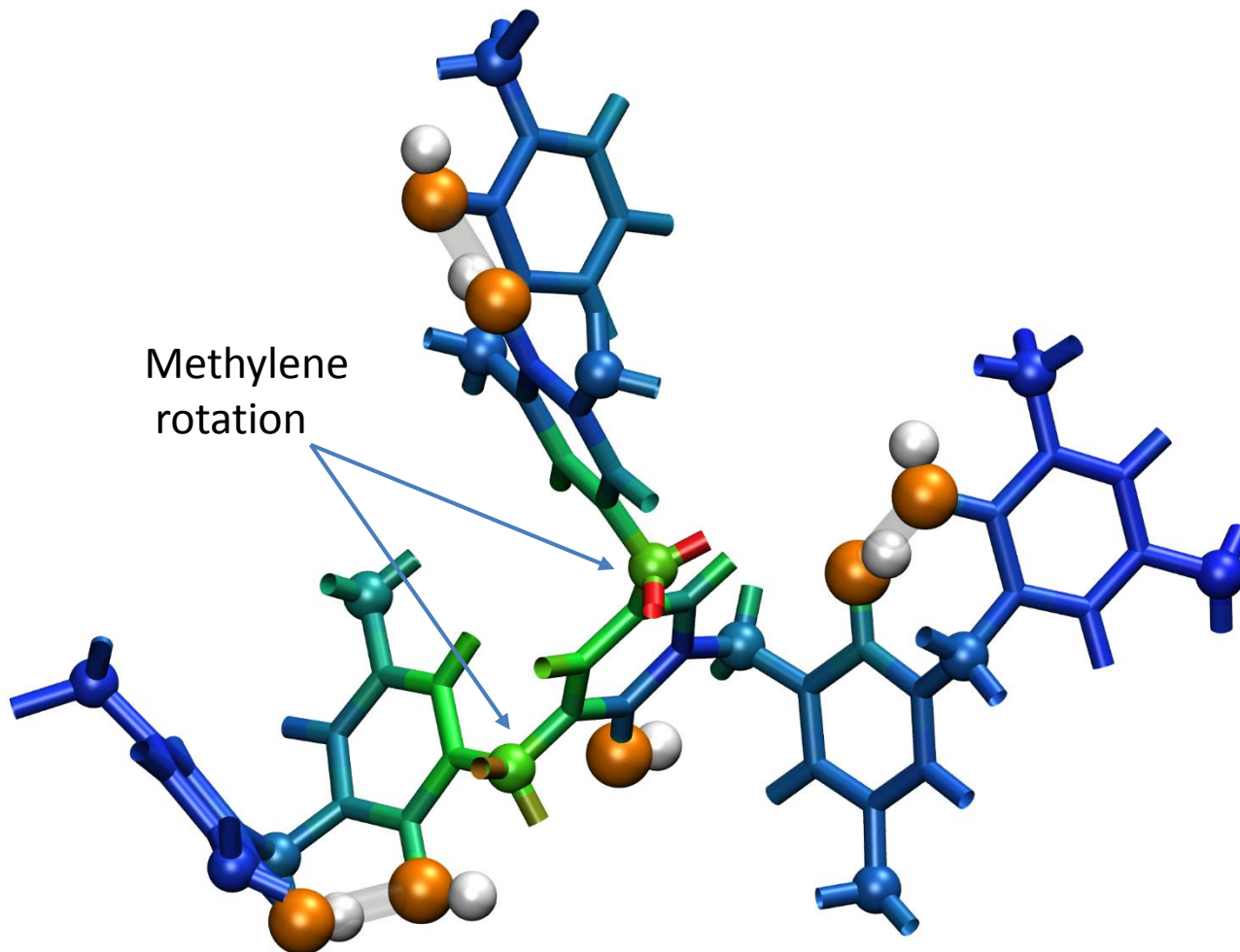


$\epsilon = 12.09\%$



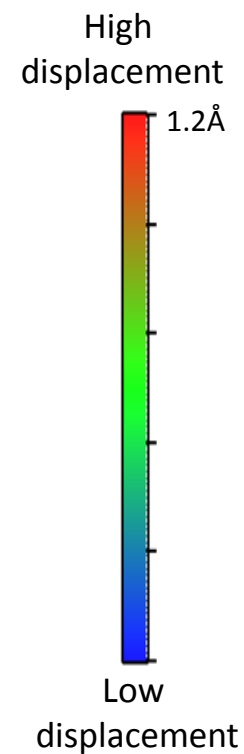
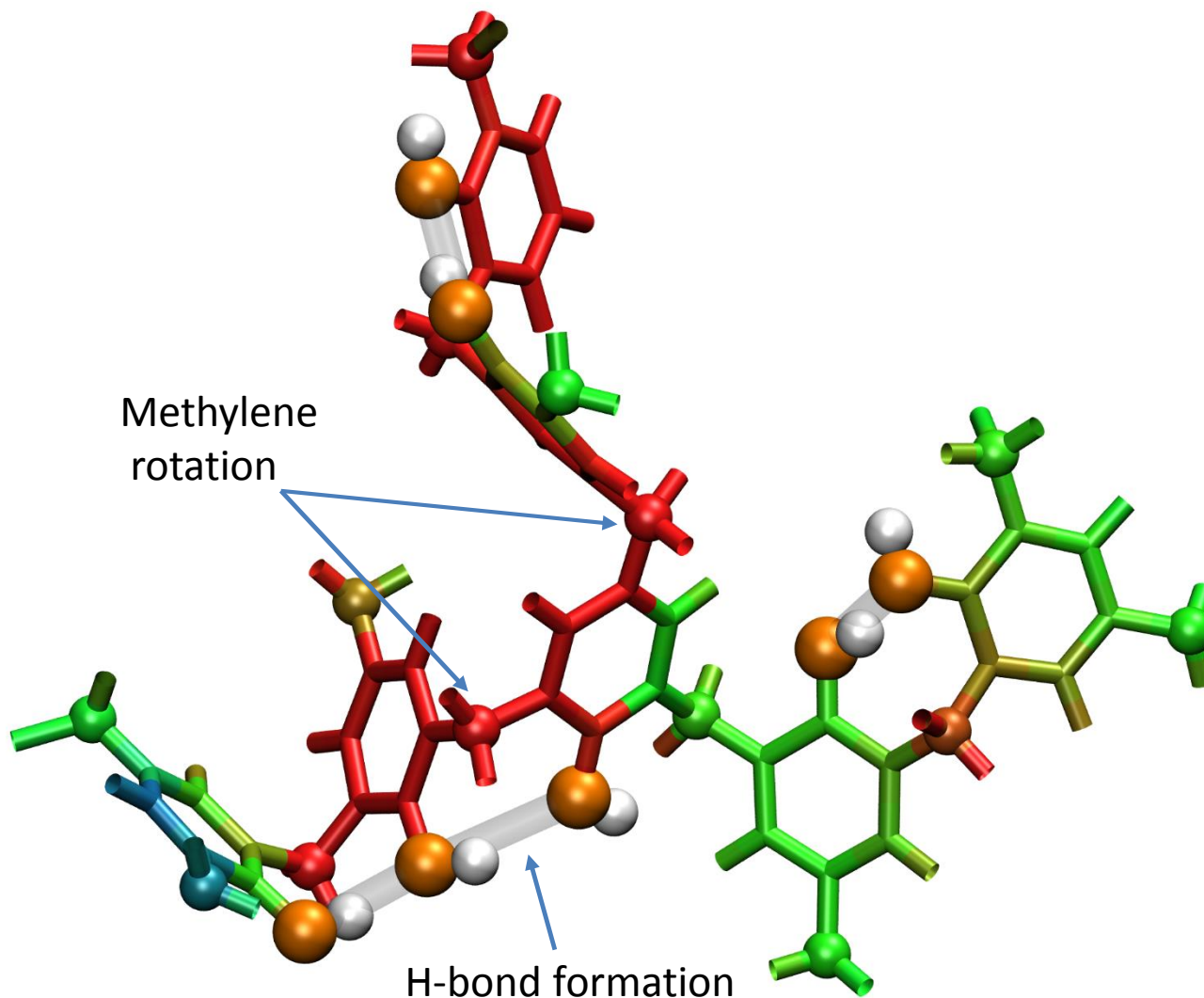
Colored by relative radial displacement

Direction of deformation



$\epsilon = 12.10\%$

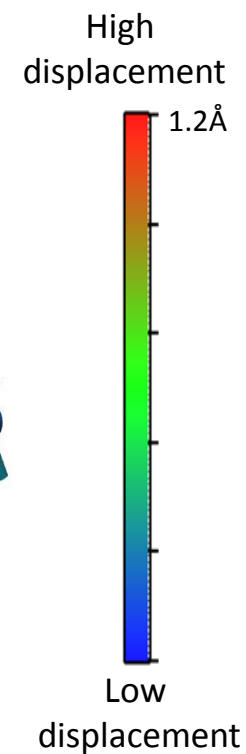
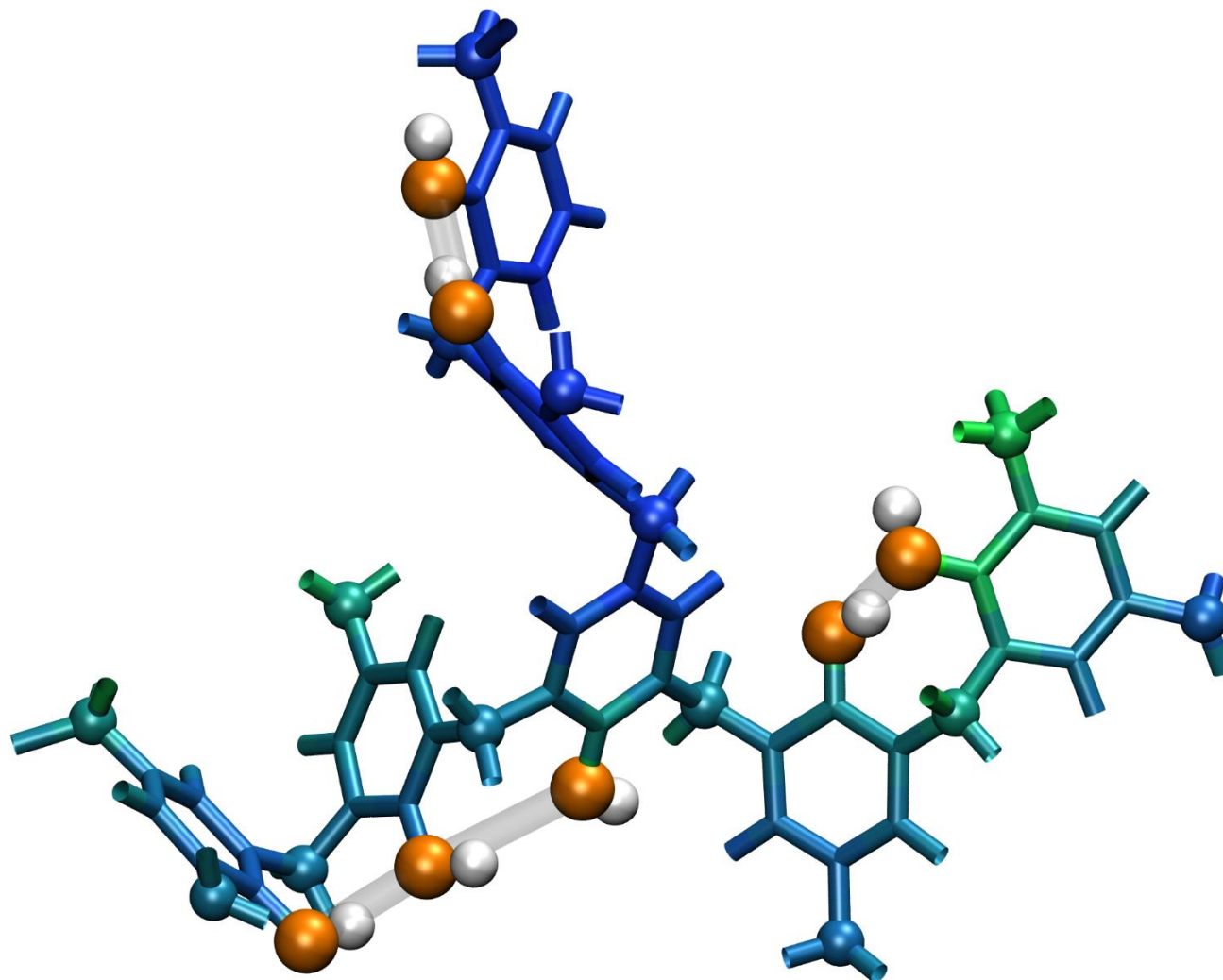
Colored by relative radial displacement



$\epsilon = 12.11\%$

Colored by relative radial displacement

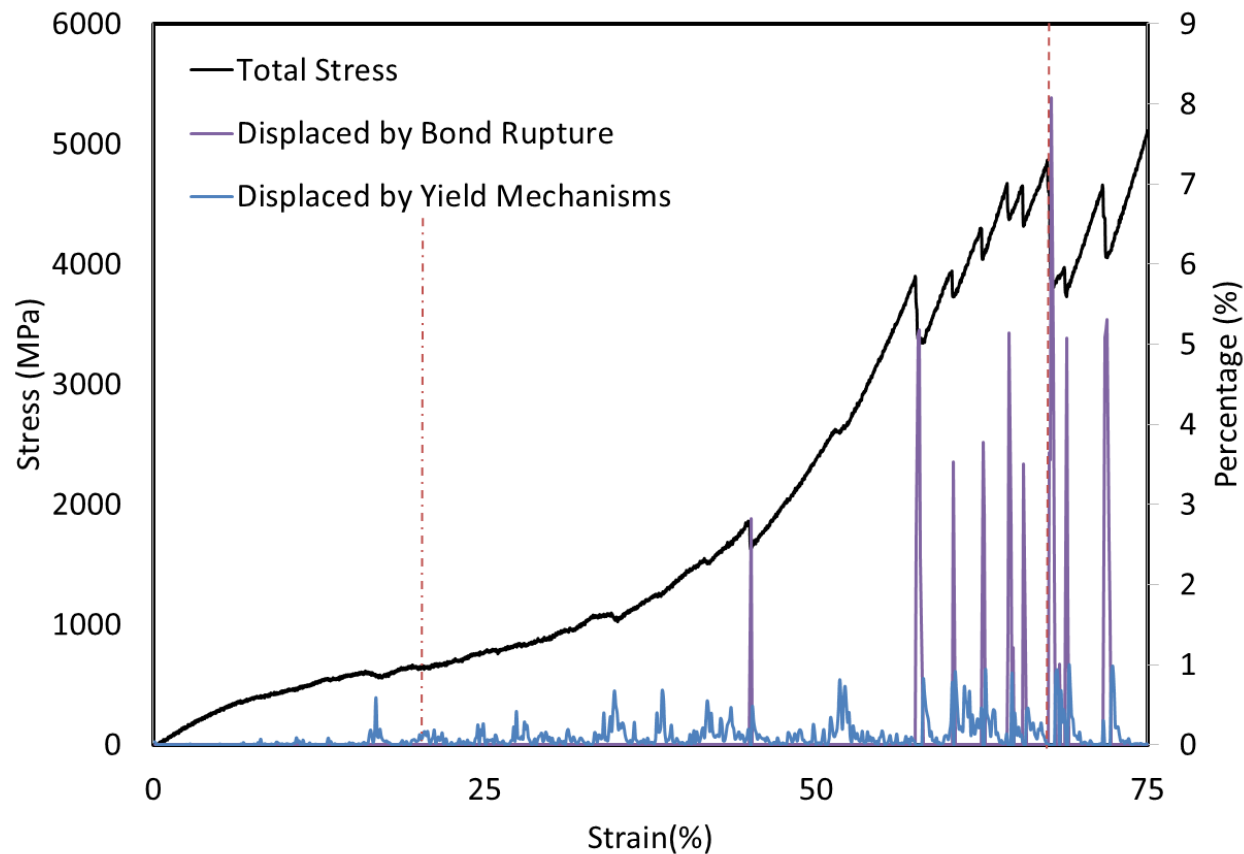
Direction of deformation

$$\epsilon = 12.12\%$$

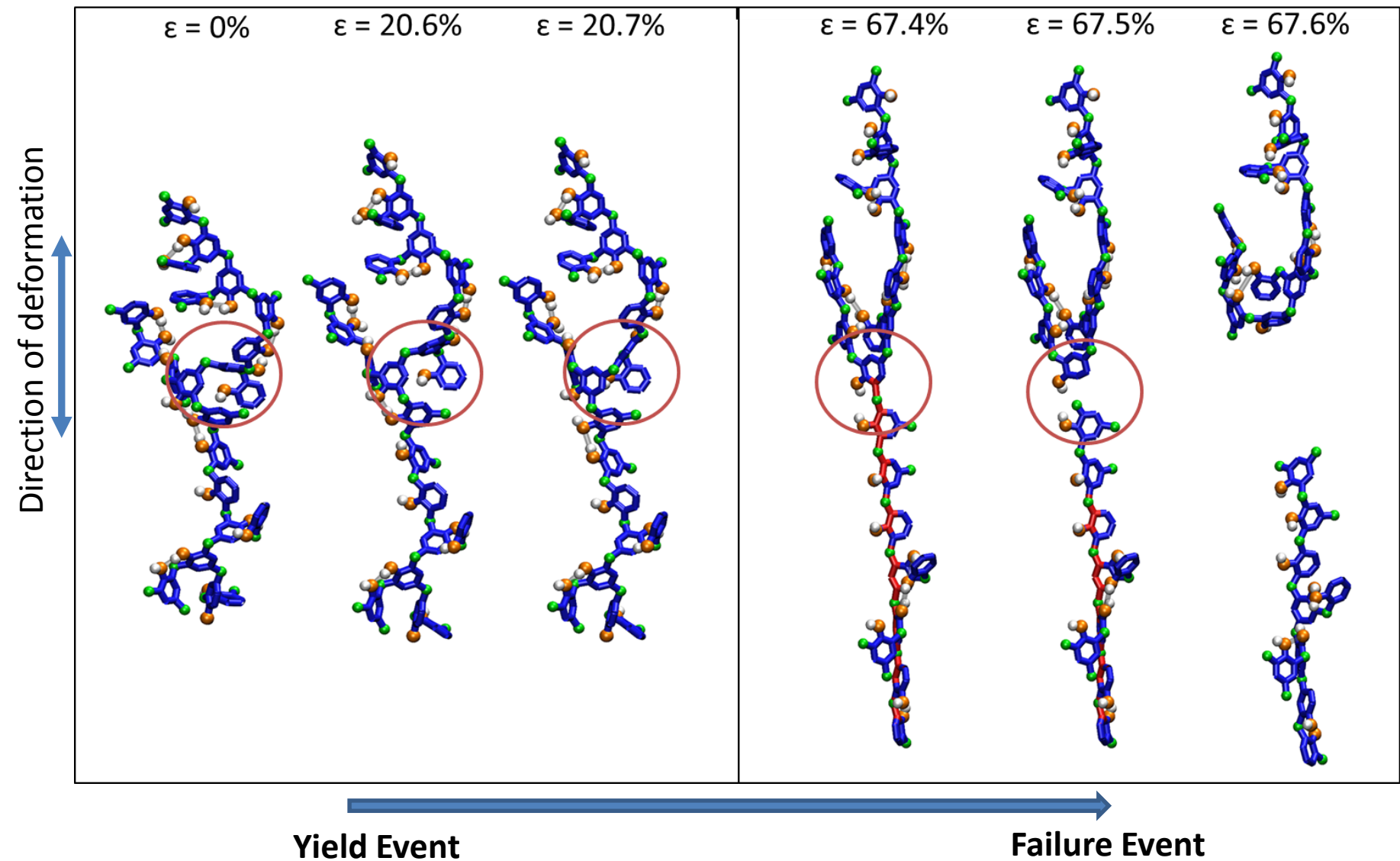
Colored by relative radial displacement

Reactive Tensile Simulation



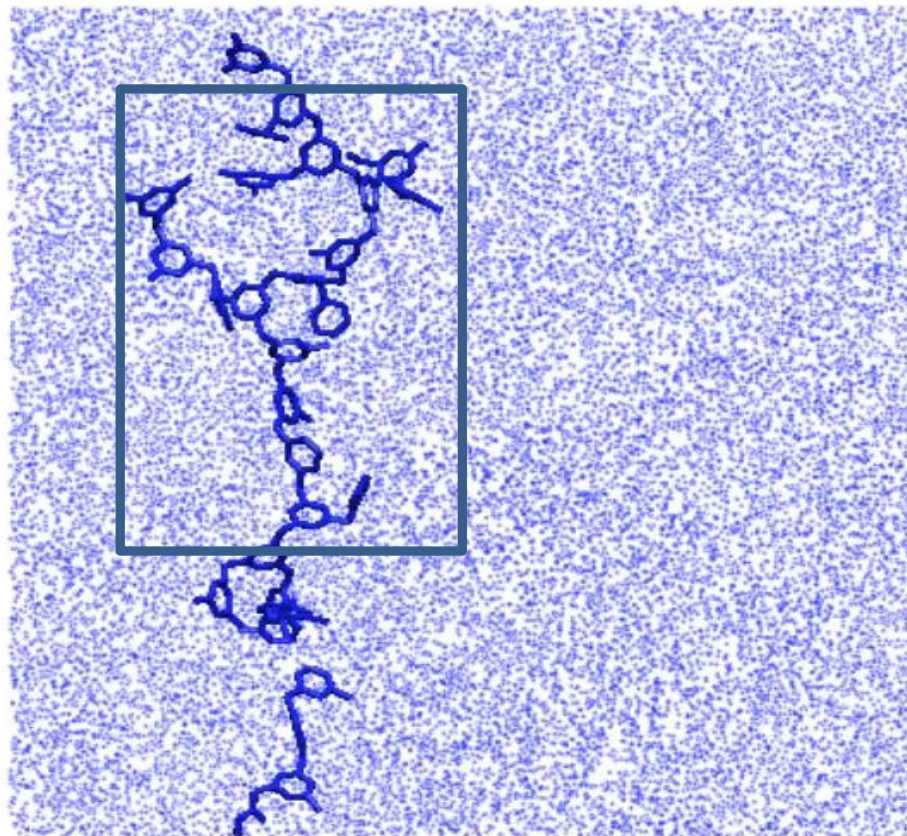
D=85%
T=10K
 $\dot{\epsilon} = 1 \times 10^9 \text{ s}^{-1}$

From Yield to Failure



Colored by total atomic stress

Direction of deformation
↑
↓



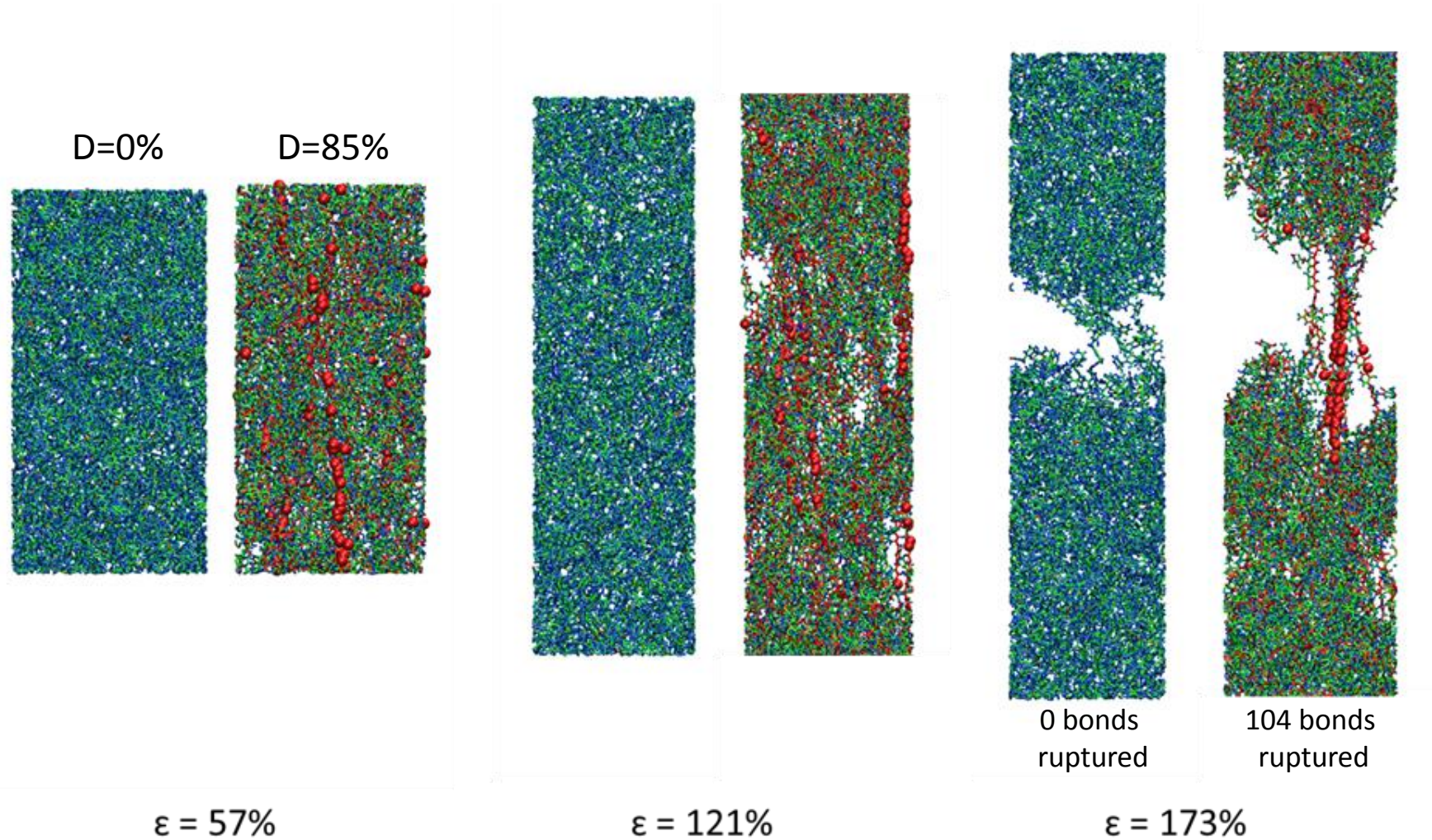
High Stress



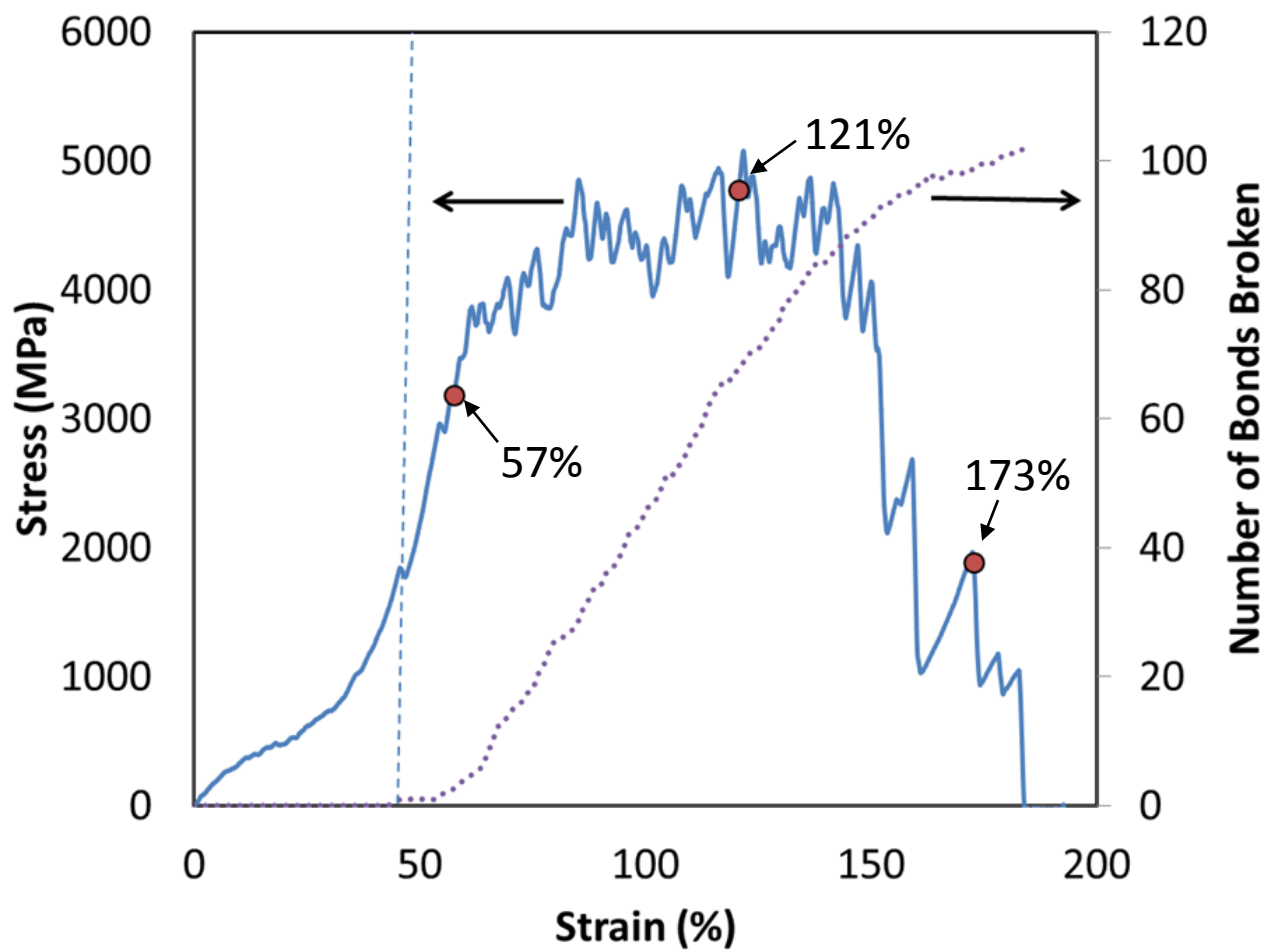
Low Stress



Reactive Tensile Simulation To Critical Failure



T=10K
 $\dot{\epsilon} = 1 \times 10^9 \text{ s}^{-1}$



D=85%

T=10K

$\dot{\epsilon} = 1 \times 10^9 \text{ s}^{-1}$



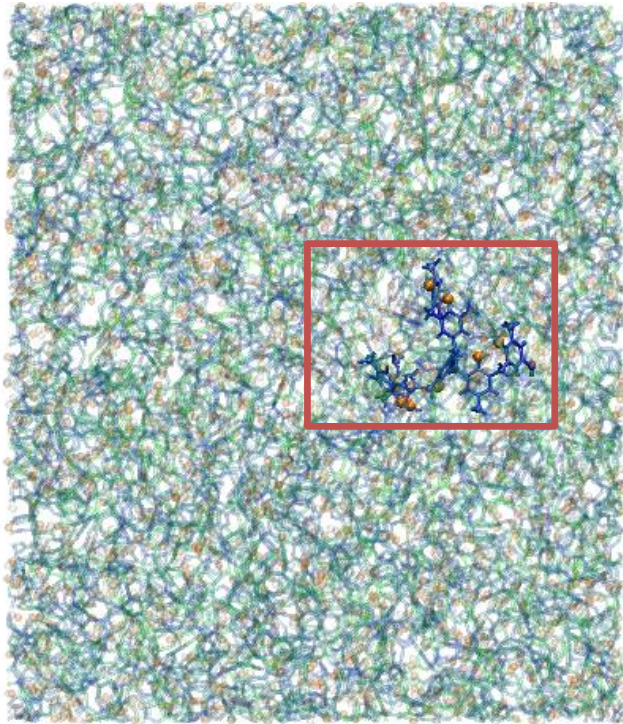
Conclusion

- Yield events identified as local molecular rearrangements including hydrogen bond formation drive inelastic behavior
- Yield mechanisms assist in stress relief through realignment of carbon backbones.
- Failure along carbon backbones occurs when further realignment is less energetically favorable than bond rupture
- Degree of cross-linking greatly influences the form of failure for glass-like phenolic



Backup Slides

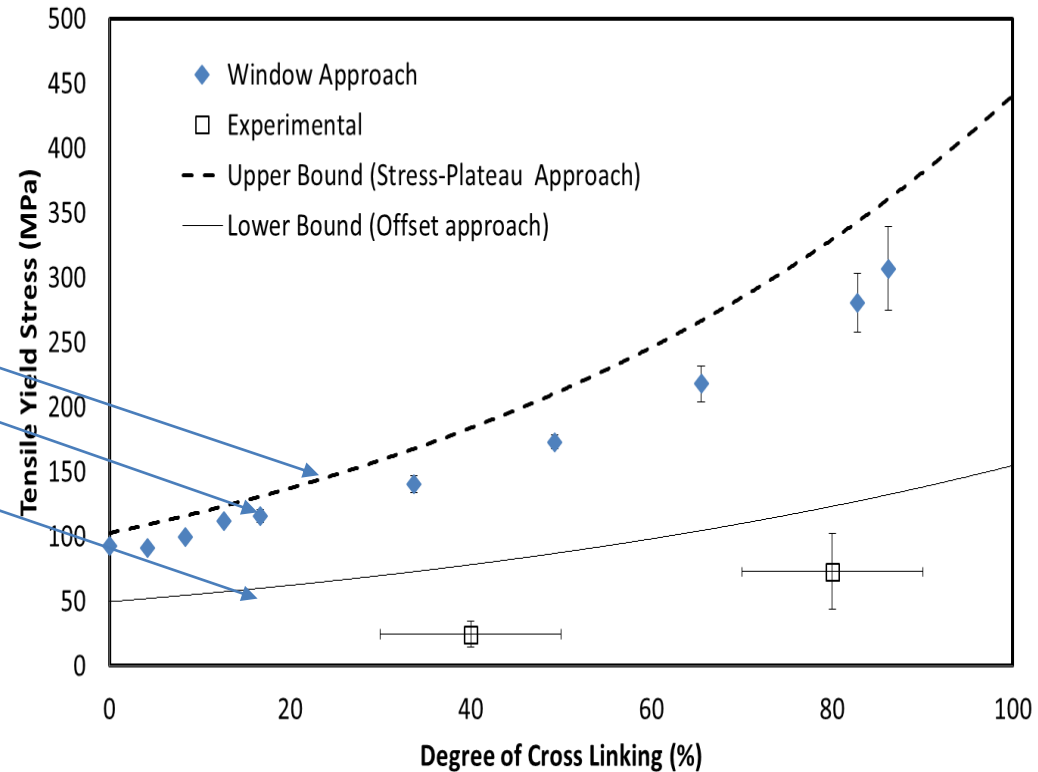
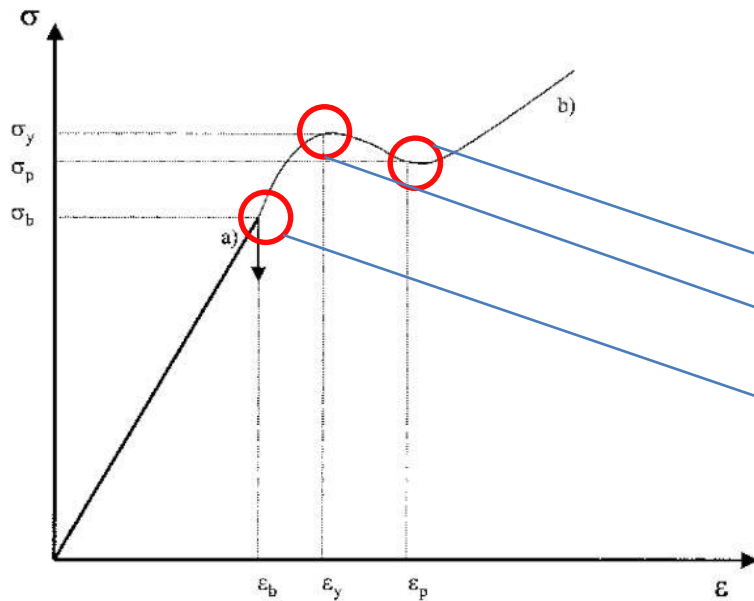
Study of Phenolic Yield Behavior



Full scope of study:

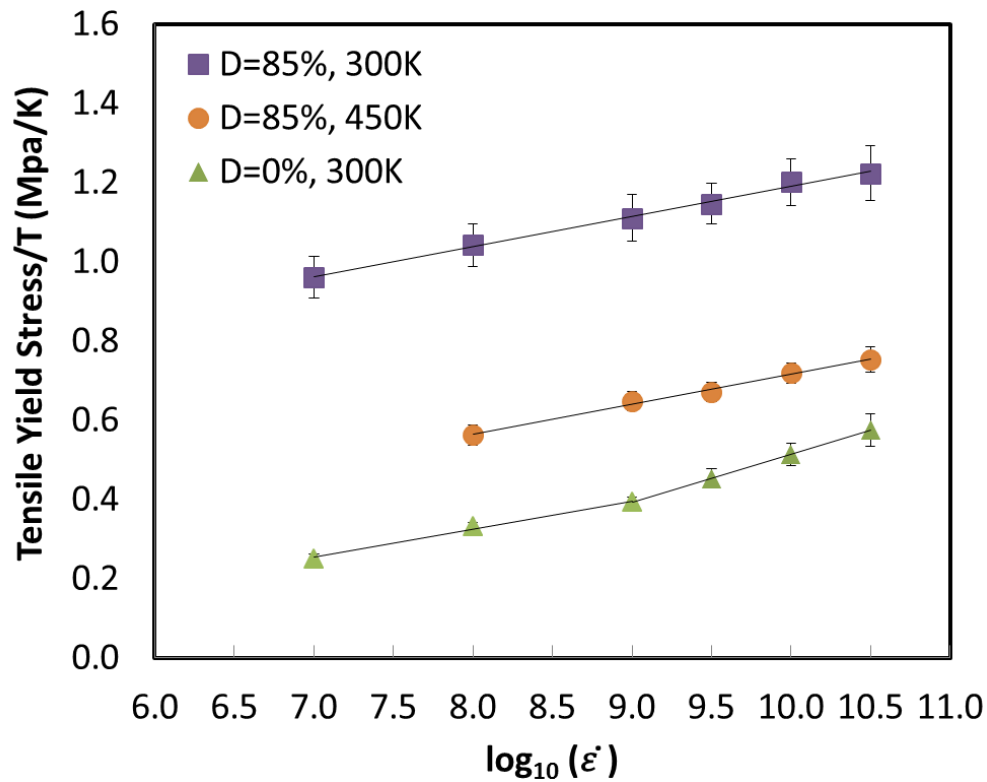
- Degree of cross-linking: 0% to 85%
- Strain rates range: 10^7 to $10^{10.5}$
- Temperature range: 10K to T_g -50K
- Strains: up to 180%
- Tension, compression, and shear deformation simulations

Yield Stress Dependence on Degree of Cross-linking



T=300K
 $\dot{\epsilon} = 1 \times 10^8 \text{ s}^{-1}$

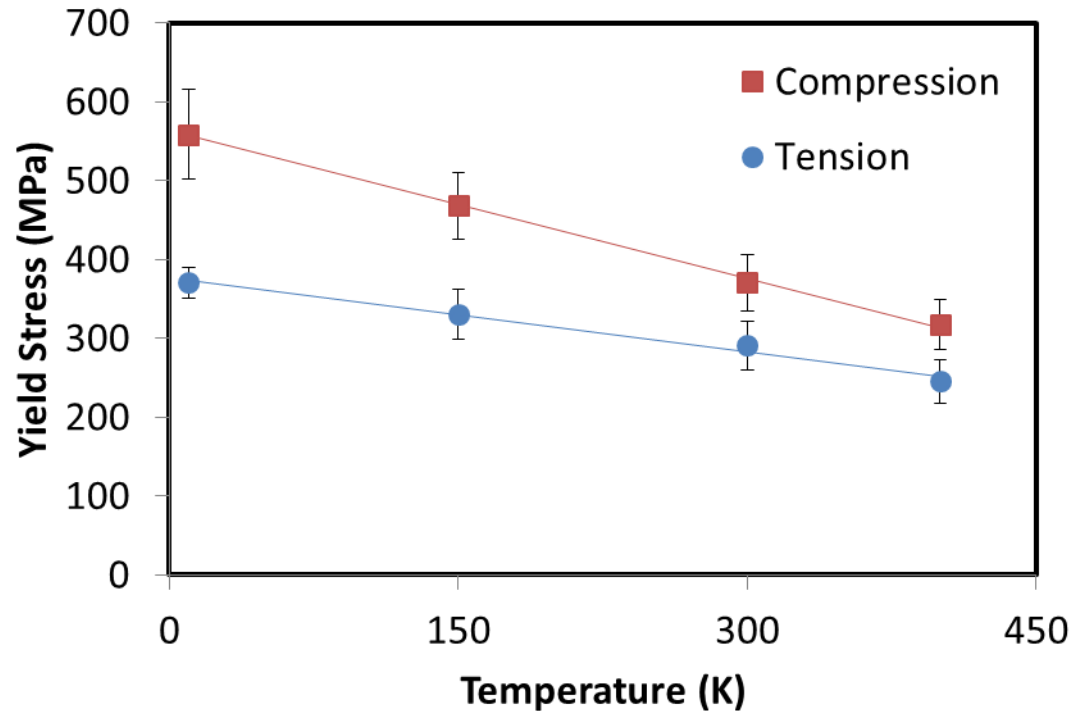
Dependence of Yield Stress on Strain Rate



Activation (v^*) and Transformation (Ω_c) Volumes:

$$v^* = k_b \frac{\ln \dot{\epsilon}}{\partial \left(\frac{\sigma}{T} \right)} = \Delta \epsilon^T \Omega_c$$

Dependence of Yield Stress on Temperature ($T < T_g$)



Kambour's relation: $\sigma_y = \sigma_y^* + \beta(T - T^*)$ for $T < T_g$

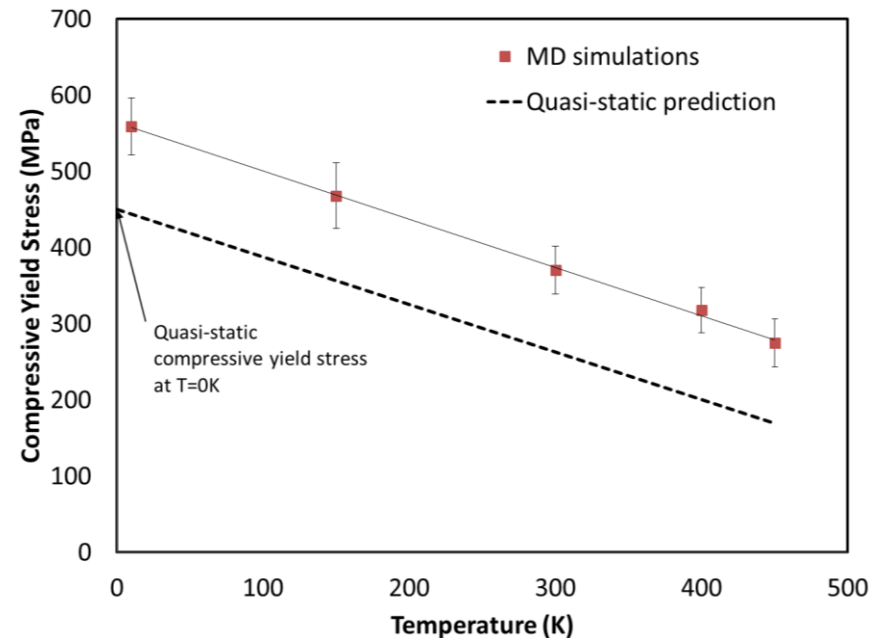


Source of Yield Stress Results	Tension (MPa)	Compression (MPa)	Temperature (K)
MD results, $\dot{\epsilon} = 1 \times 10^8 \text{ s}^{-1}$	290 ± 31	370 ± 35	300
Eq. 1, $T^* = 300\text{K}$	384	556	0
Eq. 2, predicted quasi-static	310	450	0
Eq. 3, predicted quasi-static	215	260	300
Experimental	100 ± 5	140 ± 5	300

$$\sigma_y = \sigma_y^* + \beta(T - T^*) \text{ for } T < T_g \quad (1)^*$$

$$(\sigma_{Yc})_{T=0} = \frac{\sqrt{3}}{2} \frac{0.077}{1-\nu^2} E_{T=0} \quad (2)^+$$

$$\sigma_y = \frac{\sqrt{3}}{2} \frac{0.077}{1-\nu^2} E_{T^*=0} + \beta T \quad (3)$$



*Kambour, R., Polymer communications, 1983. 24(10): p. 292-296.

+Sundararaghavan, V. and A. Kumar, International Journal of Plasticity, 2013. 47: p. 111-125.

