



Thermal Environment Modeling Practices for the Descent Trajectory of Lunar Landers



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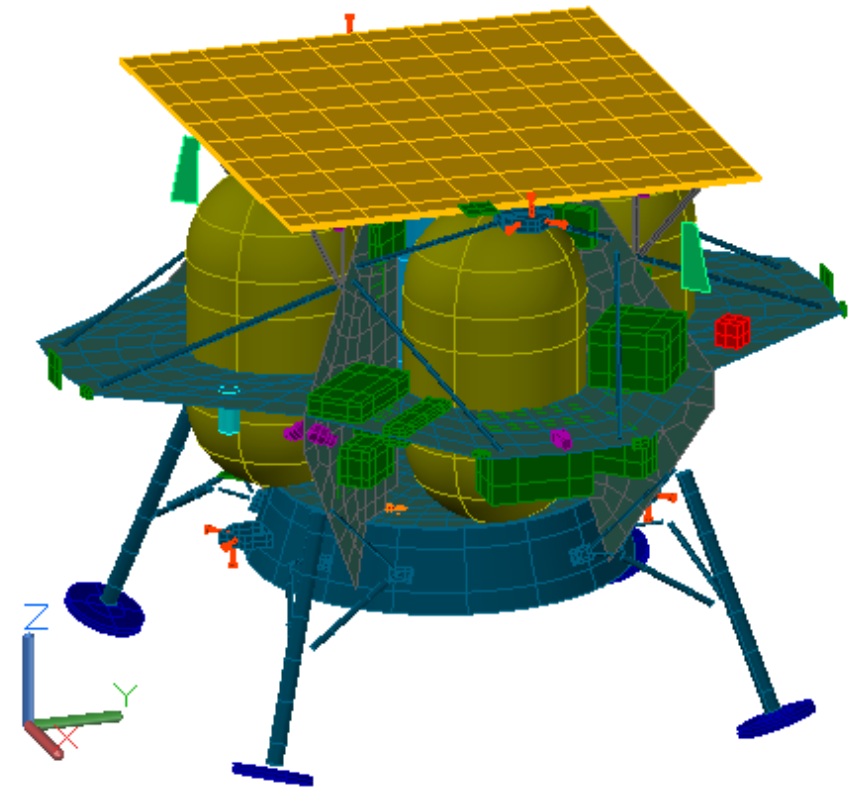
08-26-2019



Introduction



- This presentation will discuss only one method of modeling the thermal environment for descent trajectories in Thermal Desktop.
- The descent is arguably the most critical point in any lander mission
- The descent phase presents a unique thermal environment compared to the rest of the mission (launch, earth orbit, transit, moon orbit, descent, surface operation)
 - View factor to space decreases
 - Main thruster firing and plume add additional heat
 - All electrical components operating at max power level.
- Heat loads must be modeled properly to ensure that the lander doesn't fail catastrophically

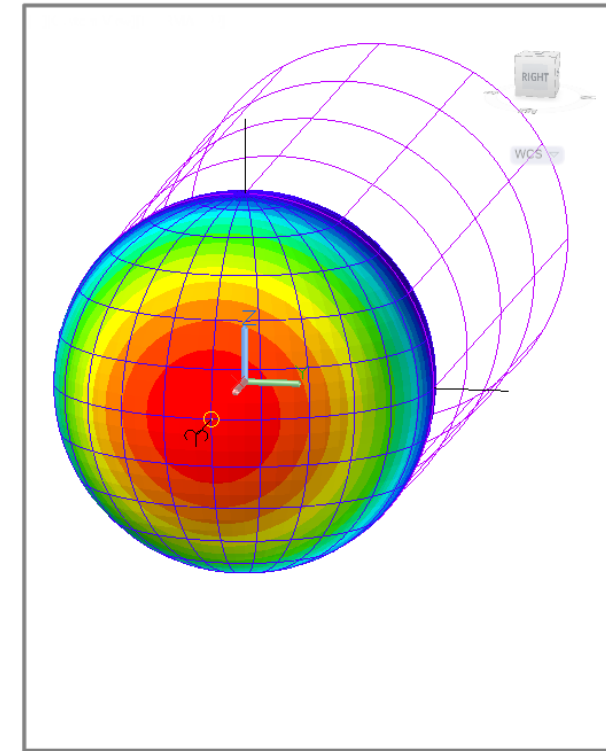
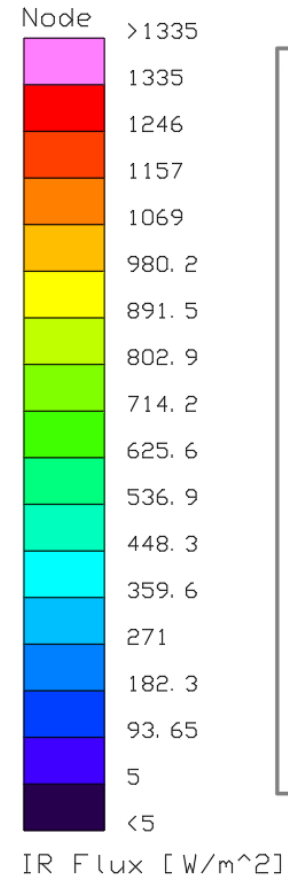




Defining Thermal Environment



- There are several parameters that control and set the spatial time and location of the moon.
 - Right Ascension of the Sun
 - Right Ascension of the Prime Meridian
 - Earth's Moon's planetary data
 - Radius, gravitational mass, inclination, sidereal period, and mean solar day
 - Ground IR (seen to right)
- Moon-centered J2000 reference frame

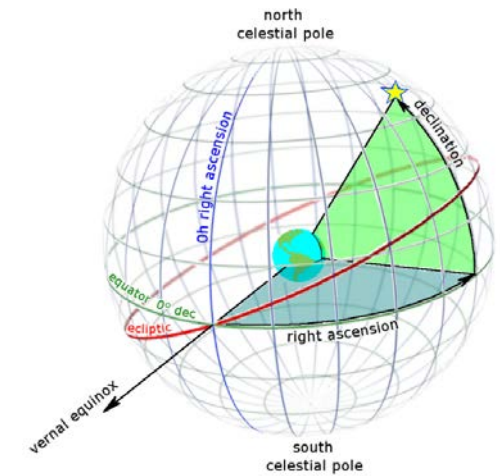




Building Thermal Desktop Model



- Terrestrial heating rate case used
- Right Ascension of sun and right ascension of prime meridian are the first inputs needed
 - Determined using moon-centered coordinates of sun in Cartesian
- Latitude, longitude and altitude versus time control the location of the lander for each time step



Orbit: test

Lat/Long Input Orientation Planetary Data Solar Diffuse Sky Solar Albedo Diffuse Sky IR Ground IR ASHRAE Fast Spin Comment

Right Ascension Definitions

User Specified

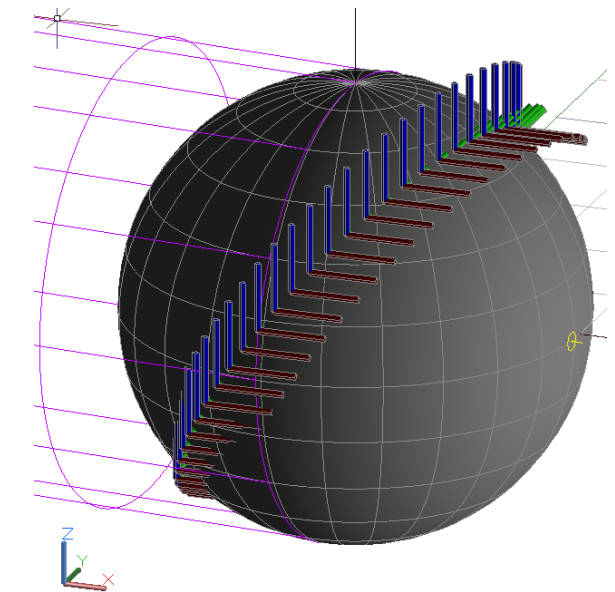
R.A. of Sun:

R.A. of Prime Meridian:

Use Date/Time

time [sec]	latitude [deg]	longitude [deg]	altitude [km]	z-rotation [deg]
0.1	-14.116433	75.499934	102.16025	0
116.5	-18.953012	79.061249	102.13733	0
232.9	-23.716957	82.835058	102.1171	0
349.3	-28.381661	86.893775	102.0997	0
465.7	-32.914116	91.322607	102.08526	0
582.1	-37.272477	96.222186	102.07394	0
698.5	-41.402994	101.70968	102.06587	0
814.9	-45.236457	107.91587	102.06111	0
931.3	-48.684779	114.97344	102.05972	0
1047.7	-51.639438	122.98973	102.06175	0
1164.1	-53.975105	131.99816	102.0672	0
1280.5	-55.562874	141.89458	102.07606	0
1396.9	-56.295141	152.39098	102.0883	0
1513.3	-56.115733	163.0393	102.10469	0
1629.7	-55.03895	173.34648	102.1239	0
1746.1	-53.144428	177.08163	102.14507	0
1862.5	-50.555423	168.46939	102.16254	0
1978.9	-47.434398	160.92168	101.88549	0
2095.3	-43.871666	154.27259	101.14808	0
2211.7	-39.96213	148.40341	99.95799	0

OK Cancel Help

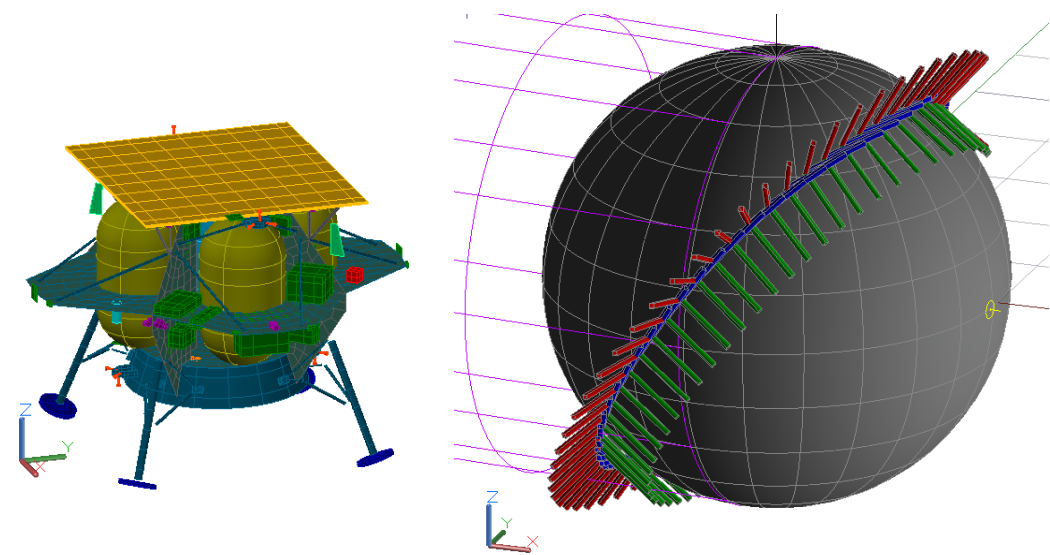
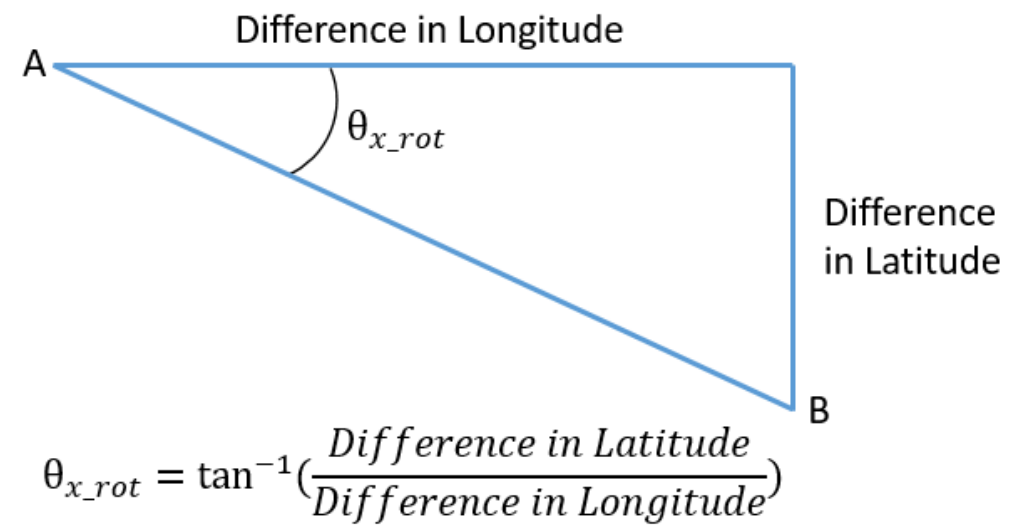




Building Thermal Desktop Model



- Rotate along Z-axis by longitude plus value of R.A. of the prime meridian
 - Result: X-axis of lander points through Z-axis of moon
- Rotate along Y-axis by value of latitude
 - Result: X-axis of lander points through center of moon
- Rotate along X-axis by the inverse tangent of change in latitude over change in longitude.
 - Result: Z-axis of lander points along velocity vector





Additional Rotations Required



- If more than 3 rotations are desired, then the use of rotation matrices is required.
- Rotation matrices allow the conversion of any number of rotations down to 3 base rotations.
- To do this you:
 - Rotate lander by any number of rotations at each time step
 - Obtain a 3X3 matrix for each time step
 - Equate the 3X3 matrix at each time step to the base rotation matrix seen below

$$R(i) = I_3 * R_z(\text{Longitude}(i)) * R_y(\text{Latitude}(i)) * R_x(\theta_{x_{rot}}(i)) * R_y(135^\circ)$$

$$R = R_z(\phi) * R_y(\theta) * R_x(\psi)$$

$$= \begin{bmatrix} \cos\theta \cos\phi & \sin\psi \sin\theta \cos\phi - \cos\psi \sin\phi & \cos\psi \sin\theta \cos\phi + \sin\psi \sin\phi \\ \cos\theta \sin\phi & \sin\psi \sin\theta \sin\phi + \cos\psi \cos\phi & \cos\psi \sin\theta \sin\phi - \sin\psi \cos\phi \\ -\sin\theta & \sin\psi \cos\theta & \cos\psi \cos\theta \end{bmatrix}$$

$$R_x(\theta) = \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos\theta & -\sin\theta \\ 0 & \sin\theta & \cos\theta \end{bmatrix}$$

$$R_y(\theta) = \begin{bmatrix} \cos\theta & 0 & -\sin\theta \\ 0 & 1 & 0 \\ \sin\theta & 0 & \cos\theta \end{bmatrix}$$

$$R_z(\theta) = \begin{bmatrix} \cos\theta & -\sin\theta & 0 \\ \sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$



2-Argument Arctangent



- Equate the final matrix at each time step to the base rotation matrix below and solve for theta (θ), phi (ϕ), and psi (ψ)
- 2 solutions for both phi and psi
 - Must use 2-argument arctangent

$$\theta = \text{asin}(-r_{31})$$

$$\phi = \text{atan2}(r_{21}, r_{11})$$

$$\psi = \text{atan2}(r_{32}, r_{33})$$

$$\text{atan2}(y, x) = \begin{cases} \arctan\left(\frac{y}{x}\right) & \text{if } x > 0, \\ \arctan\left(\frac{y}{x}\right) + \pi & \text{if } x < 0 \text{ and } y \geq 0, \\ \arctan\left(\frac{y}{x}\right) - \pi & \text{if } x < 0 \text{ and } y < 0, \\ +\frac{\pi}{2} & \text{if } x = 0 \text{ and } y > 0, \\ -\frac{\pi}{2} & \text{if } x = 0 \text{ and } y < 0, \\ \text{undefined} & \text{if } x = 0 \text{ and } y = 0. \end{cases}$$

$$R = R_z(\phi) * R_y(\theta) * R_x(\psi)$$

$$= \begin{bmatrix} \cos\theta \cos\phi & \sin\psi \sin\theta \cos\phi - \cos\psi \sin\phi & \cos\psi \sin\theta \cos\phi + \sin\psi \sin\phi \\ \cos\theta \sin\phi & \sin\psi \sin\theta \sin\phi + \cos\psi \cos\phi & \cos\psi \sin\theta \sin\phi - \sin\psi \cos\phi \\ -\sin\theta & \sin\psi \cos\theta & \cos\psi \cos\theta \end{bmatrix}$$



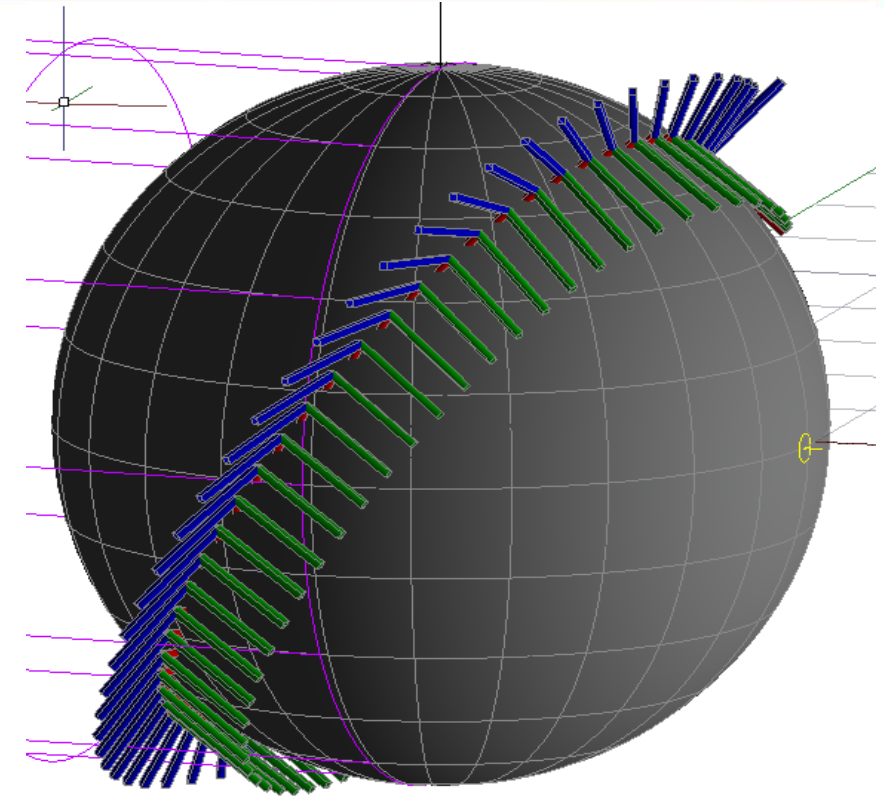
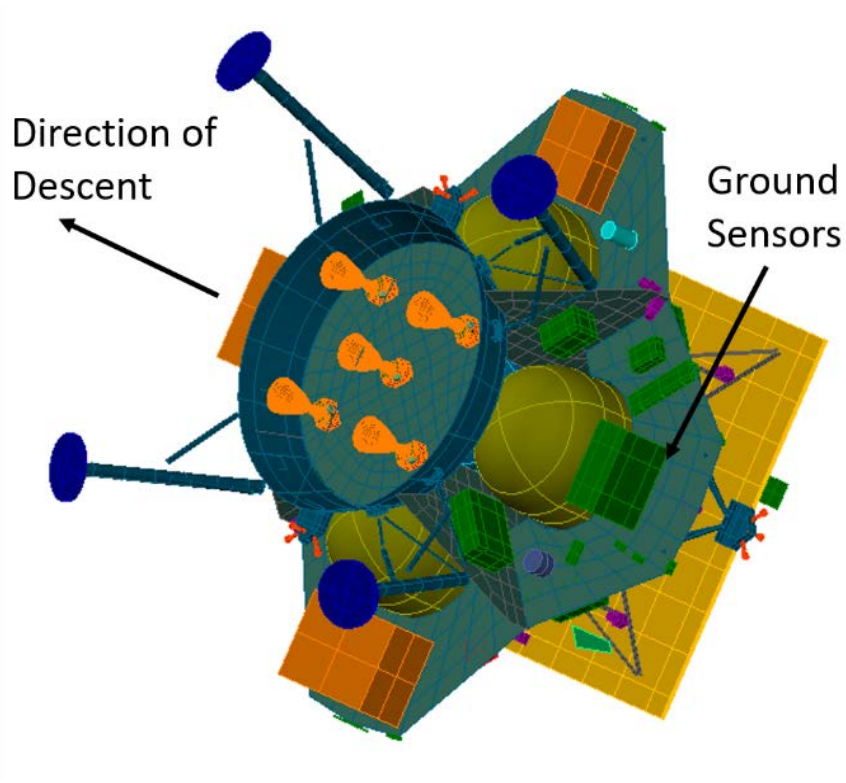
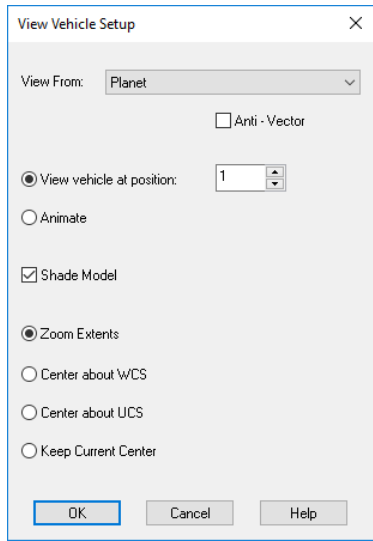
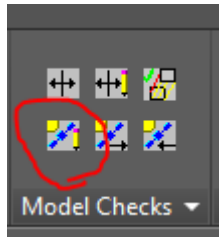
Building Thermal Desktop Model



- Add in the additional rotations on the orientation tab for terrestrial heating rate cases
- Select “align to celestial coordinate system”
- Create array symbols for theta, phi, and psi in the symbol manager
- Interpolate between time steps of heating rate case

The screenshot displays two windows from the 'Orbit: test' software. The top window is the 'Orientation' tab, which is divided into several sections: 'Pointing', 'Additional Constraint', 'Orientation Override', and 'Additional Rotations'. In the 'Pointing' section, the 'Axis' is set to '+Z', and the 'Velocity vector' option is selected. The 'Additional Constraint' section also has 'Velocity vector' selected. In the 'Orientation Override' section, the checkbox 'Align to Celestial Coordinate System' is checked. The 'Additional Rotations' section shows three rotation values: Z is -55.6285 Degrees, Y is -46.4409 Degrees, and X is -56.5593 Degrees. The bottom window is the 'Expression Editor', which shows the expression 'interp(TIME_PHI_LLA,hrTimeSec)' and a comment: 'Z-axis rotation for lander determined using built-in interpolation function at each position in seconds {hrTimeSec}'. There are also checkboxes for 'Output Above Expression To SINDA', 'Expression is in SINDA Units', and 'Disable Warnings for this Expression'.

- Two methods to check that the lander is properly oriented at each time step
 - Display the orbit in the heating rate case manager
 - View the lander from the planet



- Modeling the thermal environment for a lander descent correctly is essential for a successful mission. This can be difficult due to the transient nature of a descent and the addition of new thermal conditions such as component heat loads, changing view factors/radiative sink temperatures, and thruster/plume heat loads.
- The method shown above is one way to obtain the desired results but is very versatile and easy to use if more detailed rotations are required.

- Questions?
- Comments?
- Other ways of achieving desired effects?