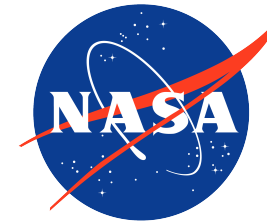


# Fully-Coupled Fluid-Structure Interaction Simulations of a Supersonic Parachute

**Jonathan Boustani<sup>\*,+</sup>**, Michael F. Barad<sup>+</sup>, Cetin C. Kiris<sup>+</sup>, Christoph Brehm<sup>\*</sup>

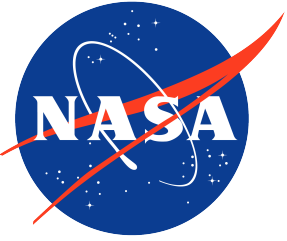
*Program Director, Dr. Suzanne Smith  
Grant Number, RIDG-17-005*

*HPC Resources Provided by*



<sup>\*</sup>*Department of Mechanical Engineering, University of Kentucky, Lexington, KY, 40506, USA*

<sup>+</sup>*Computational Aerosciences Branch, NASA Ames, Moffet Field, CA, 94035, USA*



# Outline



## ☐ **Motivation/Introduction**

- Mars, EDL system qualification, Simulation Capabilities

## ☐ **FSI Method**

- Governing equations
- Immersed Boundary Method for the Compressible Navier-Stokes Equations (CFD)
- Geometrically Nonlinear Computational Structural Dynamics Solver (CSD)
- Coupling procedure

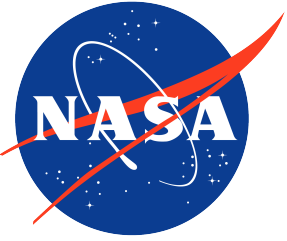
## ☐ **Extended Validation for Fluid-Structure Interaction Problems**

## ☐ **Methods for Large-scale, Parallel CFD-CSD Coupling**

- Disparate domain decomposition

## ☐ **Supersonic Parachute Inflation**

## ☐ **Summary and Outlook**



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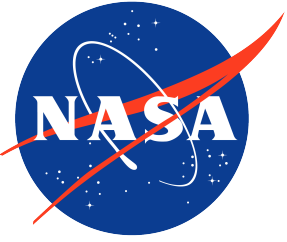
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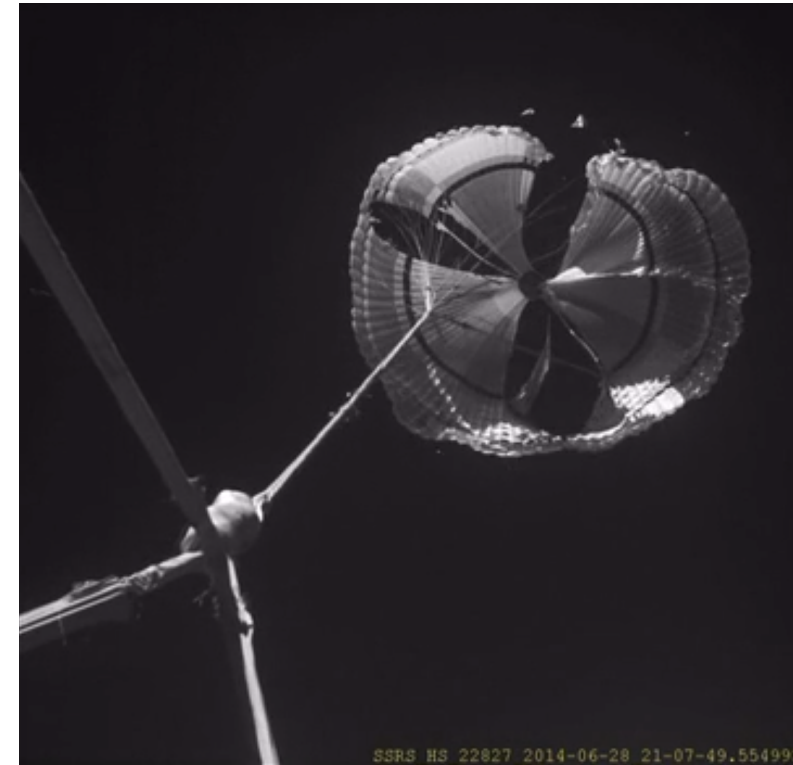
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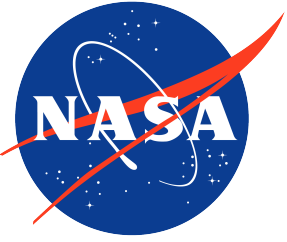
# Motivation



- ❑ MSL EDL system was requalified
  - Payload weight, canopy size, and landing altitude exceeded those established by heritage Viking mission  
(Sengupta *et al.* AIAA 2007,2009, Way *et al.* IEEE 2006)
- ❑ NASA's mission to Mars will eventually require EDL re-qualification
  - For hardware and humans required for sustained settlements, more demanding landing objectives
- ❑ LDSD project
  - Supersonic ringsail parachute
  - Low-Density Supersonic Decelerator



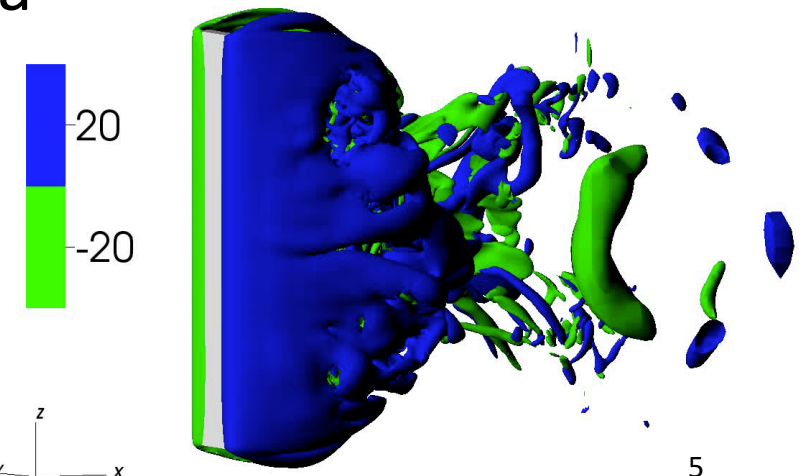
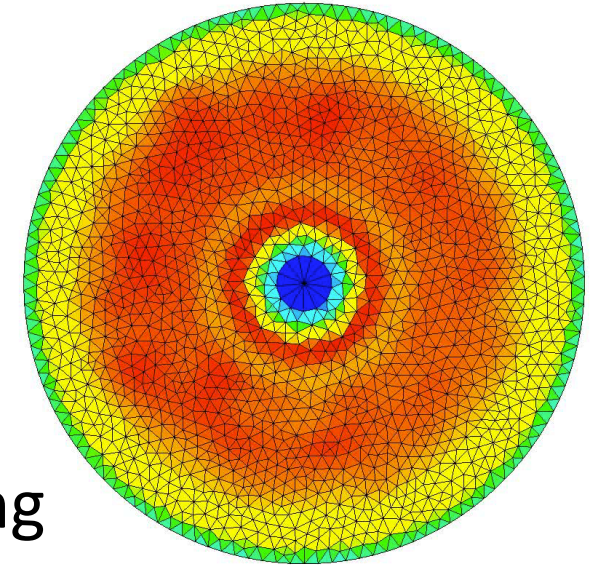
(NASA)

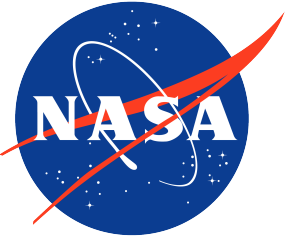


# Introduction



- ❑ Previously introduced and validated a method for simulating the large, geometrically nonlinear deformations of very thin shell structures ([Boustani et al. SciTech 2019](#))
- ❑ This work is an extension of these capabilities to solving large-scale FSI problems in high-speed flows within a parallel computing environment
- ❑ End goal is to simulate supersonic parachute deployment





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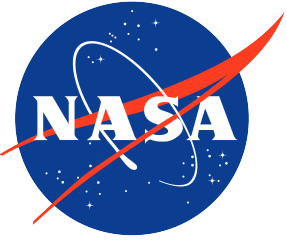
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# Governing Equations



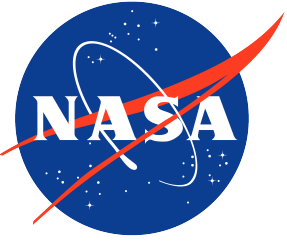
- ❑ The fluid regime considers the compressible Navier-Stokes equations, shown here in conservative form

$$\frac{\partial \mathbf{W}}{\partial t} + \frac{\partial \mathbf{E}}{\partial x} + \frac{\partial \mathbf{F}}{\partial y} + \frac{\partial \mathbf{G}}{\partial z} = 0$$
$$\mathbf{W} = \left[ \rho, \rho u, \rho v, \rho w, \rho e_t \right]^T$$

- ❑ The structural regime considers the Total Lagrangian equations of motion

$$\int_{_0V} {}_0\mathbf{S}_{ij} \delta_0 \boldsymbol{\epsilon}_{ij} d^0V + \int_{_0V} {}^t_0\mathbf{S}_{ij} \delta_0 \boldsymbol{\eta}_{ij} d^0V = {}^{t+\Delta t}\mathcal{R} - \int_{_0V} {}^t_0\mathbf{S}_{ij} \delta_0 \mathbf{e}_{ij} d^0V$$

- ❑ Partitioned solution involves solving strong and weak solutions together



# Coupling Conditions



- The coupling conditions between the two regimes enforce the continuity of loads across the shared boundary

$$\mathbf{t}_{structure}(\bar{\mathbf{x}}_b(t), t) = \mathbf{t}_{fluid}(\bar{\mathbf{x}}_b(t), t)$$

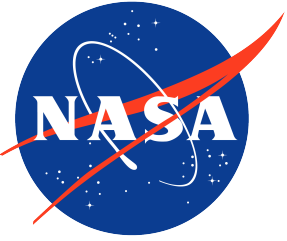
where the fluid traction vector considers pressure and viscous stresses

- The continuity of the position and velocity of the shared boundary itself is also enforced

$$\bar{\mathbf{x}}_b(t) = \mathbf{x}_{fluid}(t) = \mathbf{x}_{structure}(t), \text{ and}$$

$$\dot{\bar{\mathbf{x}}}_b(t) = \dot{\mathbf{x}}_{fluid}(t) = \dot{\mathbf{x}}_{structure}(t) \quad \forall t \geq 0$$





# FSI Method



❑ The method used in this work couples together

- I. A structured Cartesian, higher-order, sharp immersed boundary method for the compressible Navier-Stokes equations

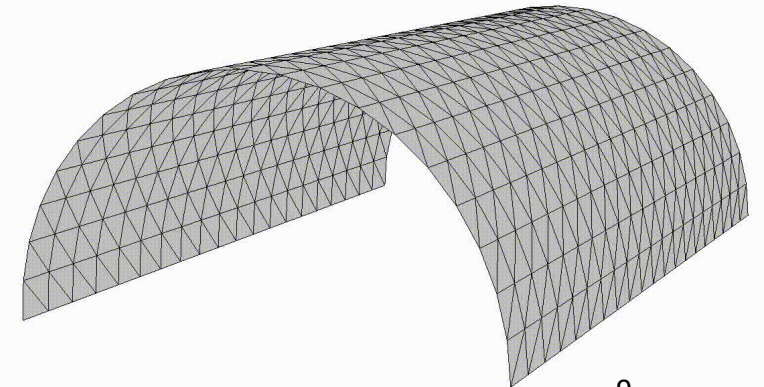
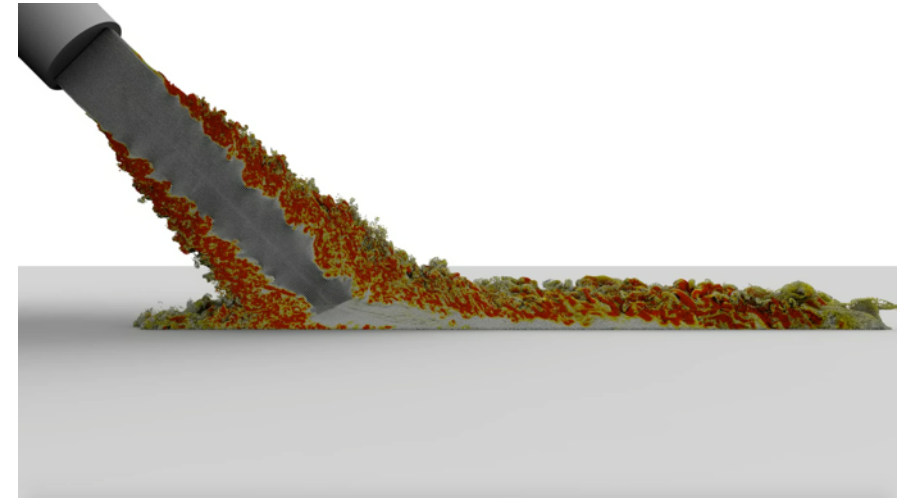
*Brehm, C., Fasel, H., JCP 2013*

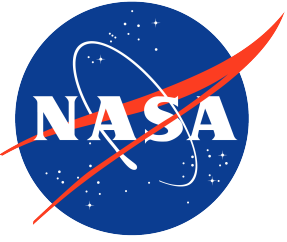
*Brehm, C., Hader, C., Fasel, H., JCP 2015*

*Brehm, C., Barad, M. F., Kiris, C. C., JCP 2018*

- II. A geometrically nonlinear structural finite element solver employing shell elements that utilize the Mixed Interpolation of Tensorial Components

*Boustani et al., AIAA SciTech 2019*

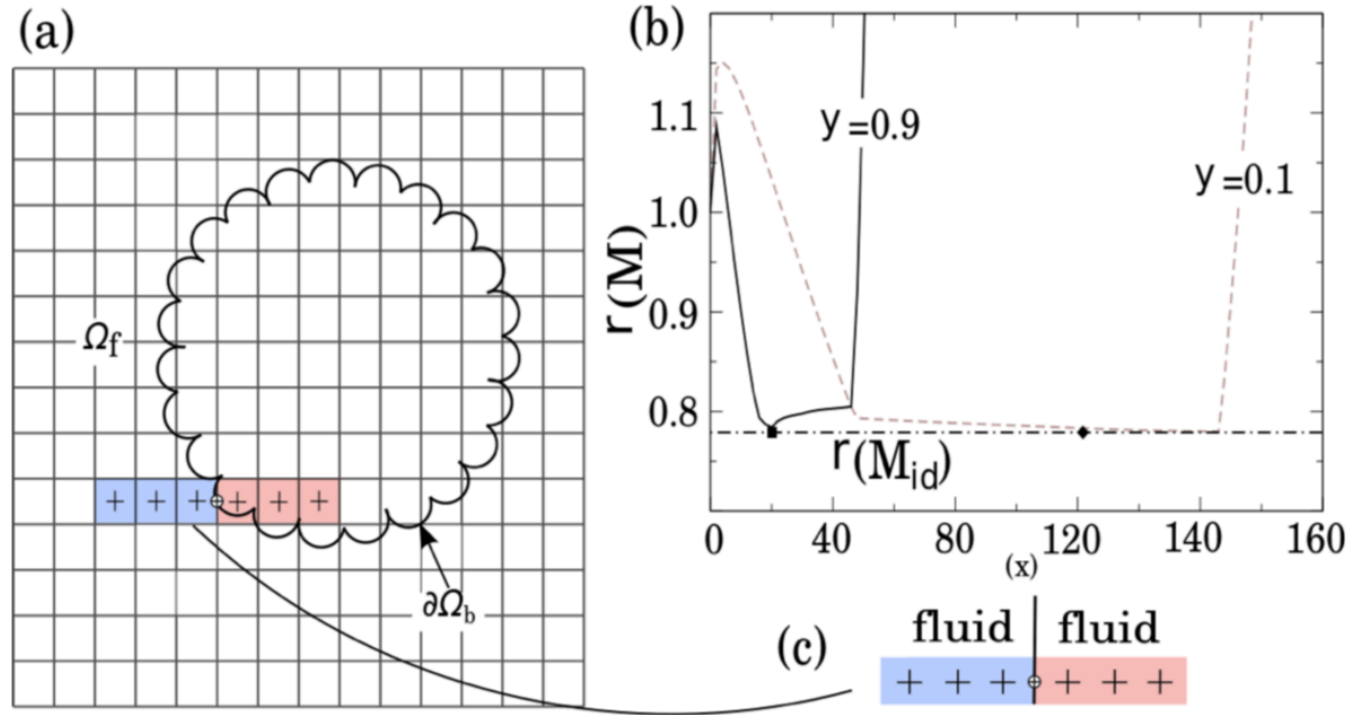


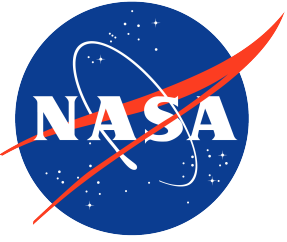


# Higher-Order IBM



- ❑ FD stencils are locally optimized considering the local flow conditions and boundary distance
  - Improved stability
- ❑ Compressible Navier-Stokes are solved with the 4<sup>th</sup>- order time explicit Runge-Kutta scheme
- ❑ WENO5 is used for the convective terms to deal with flow discontinuities

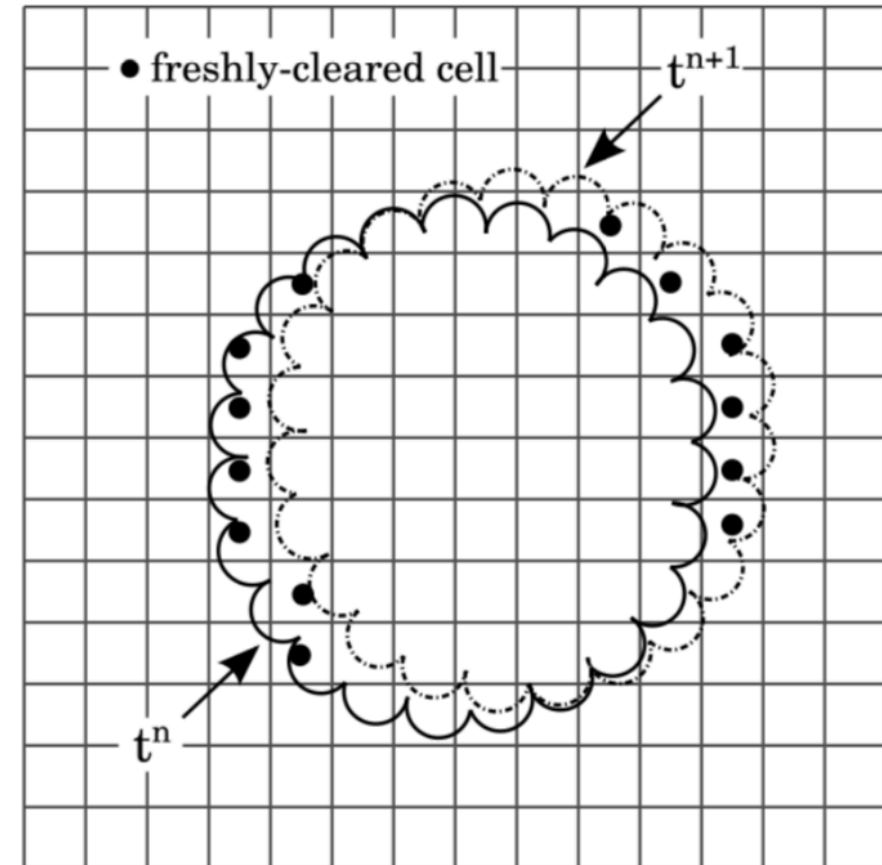


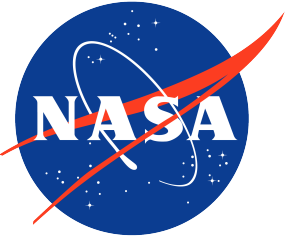


# Higher-Order IBM



- ❑ 'Sharp' classification comes from boundary conditions being enforced directly at grid-line intersection points
- ❑ Advantageous for thin geometries
  - No valid data is needed inside the geometry
  - Now need to deal with freshly-cleared cells (FCCs)
- ❑ FCCs have no valid-time history
  - Must interpolate from the surrounding flow
  - Use canonical ENO selection in high-speed flows





# Structural Solver



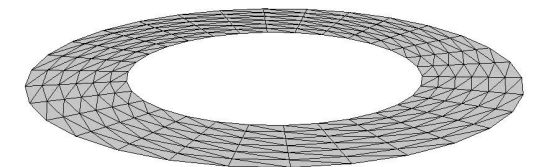
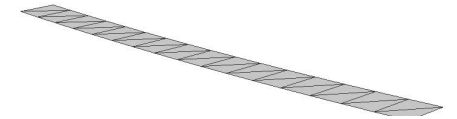
## ❑ Element formulations used:

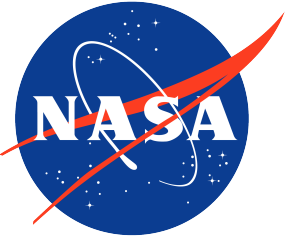
- Geometrically nonlinear MITC3 triangular shell element
- Geometrically nonlinear generic cable element

## ❑ In this work, the St. Venant-Kirchhoff hyperelastic strain-energy function is used

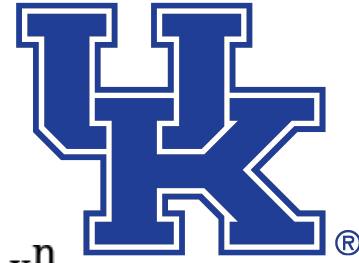
## ❑ Time integration is performed with the implicit Newmark- $\beta$ scheme

- Nonlinear solution is obtained via Newton-Raphson iteration

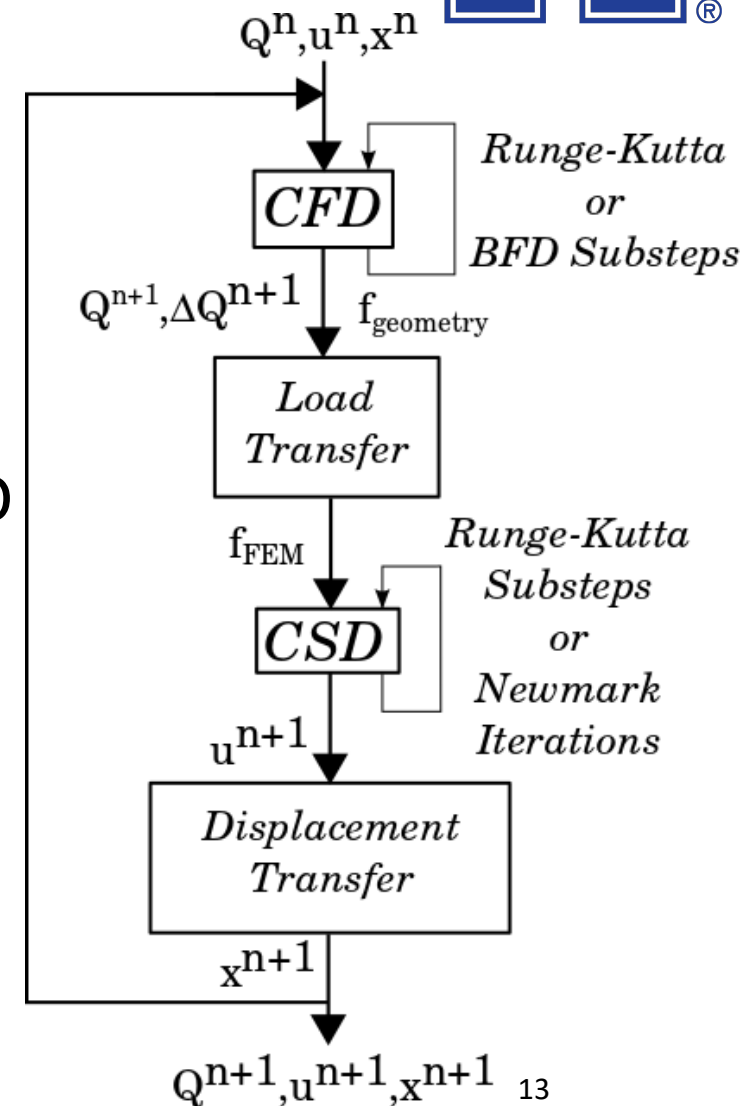


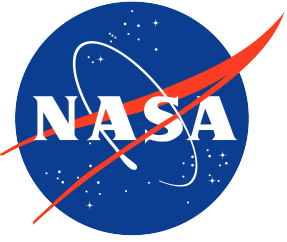


# CFD-CSD Coupling



- ❑ The CFD and CSD solvers are weakly coupled
  - The solution procedure is **partitioned**
- ❑ An auxiliary and mass-less, or phantom, representation of the geometry with a finite thickness is used in the CFD solver
- ❑ The coupling conditions are enforced at the artificial interface between the geometry representation and the infinitesimal thickness CSD mesh

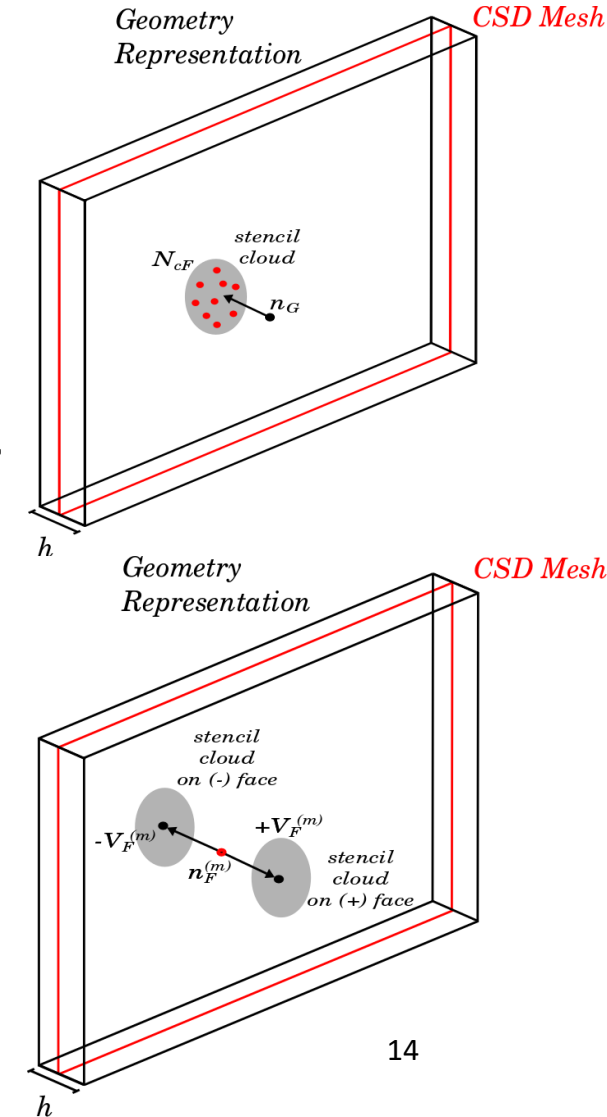


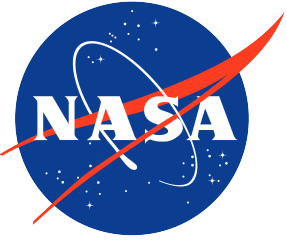


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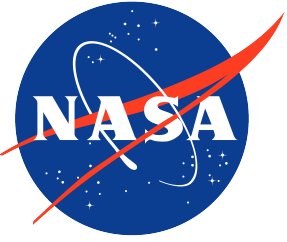
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## ☐ Summary and Outlook

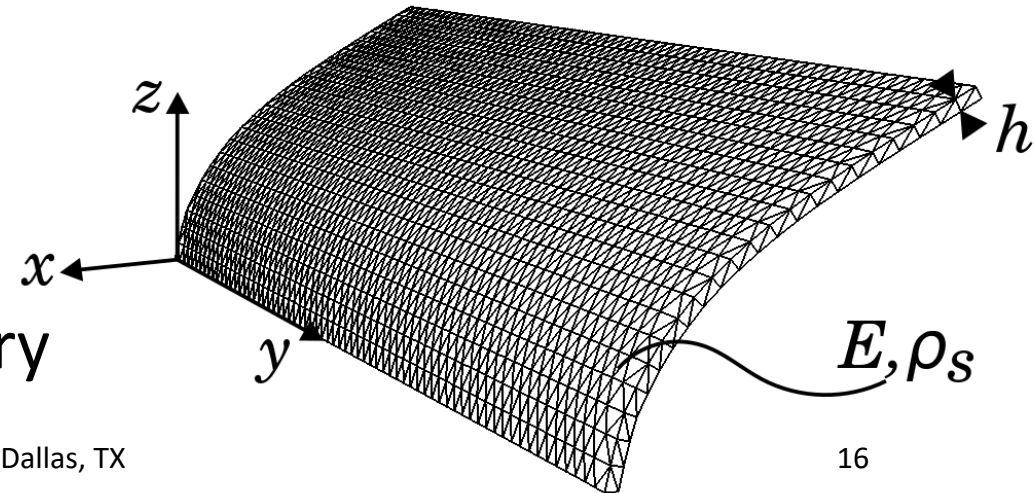




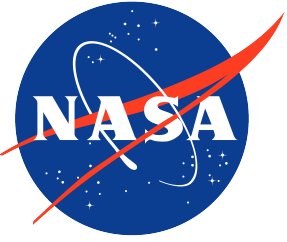
# Bending of a Vertical Plate in Crossflow



- ❑ Vertical plate of height  $H$  is *clamped* along bottom edge
- ❑ All parameters chosen in accordance with
  - **Simulations:** Hu and Wang ([JAFM 2016](#)), and Seidel *et al.* ([AIAA 2018](#))
  - **Experiments:** Womack and Seidel ([AIAA 2014](#)), and Siefers *et al.* ([AIAA 2018](#))
- ❑ Exposed to viscous crossflow  $\mathbf{U} = (U, 0, 0)^T$
- ❑ Domain:  $[-20H, 25H] \times [-9H, 9H] \times [0, 9H]$
- ❑  $\Delta x_{min} = \Delta y_{min} = H/25$
- ❑ No-slip wall on plate, slip wall on x-y boundary







# Bending of a Vertical Plate in Crossflow



□ For comparison with Hu and Wang ([JAFM 2016](#)) and Womack and Seidel ([AIAA 2014](#)), Siefers *et al.* ([AIAA 2018](#)) introduced the

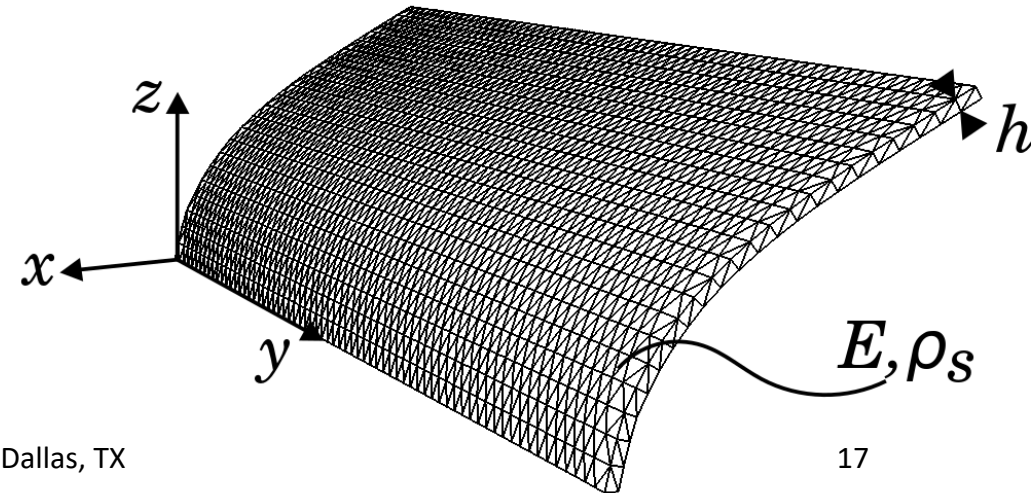
1. Mean chord angle

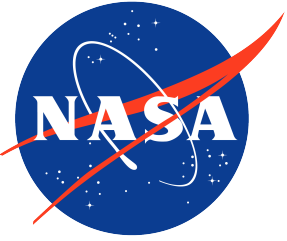
$$\phi = \tan^{-1} \left( \frac{\delta_x}{H - \delta_z} \right)$$

2. Normalized curvature

$$k = \frac{qH^3}{Eh^3}$$

□ These parameters reduce the solution to a single variable,  $\phi$





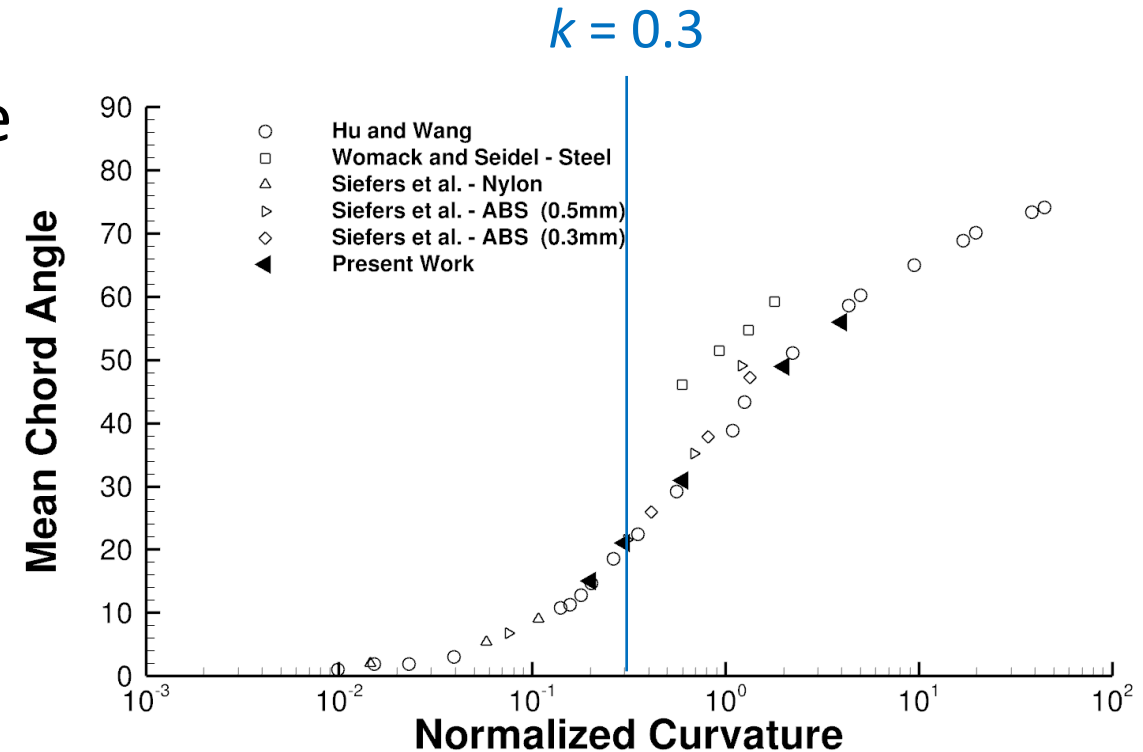
# Bending of a Vertical Plate in Crossflow

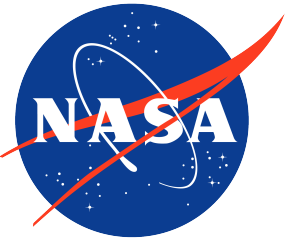


❑ Siefers *et al.* (AIAA 2018) notes that geometrically linear deformations become invalid after  $k = 0.3$

❑ As shown, the current method shows good agreement with established experiments and simulations

❑ Plate response becomes unsteady for larger values of  $k$



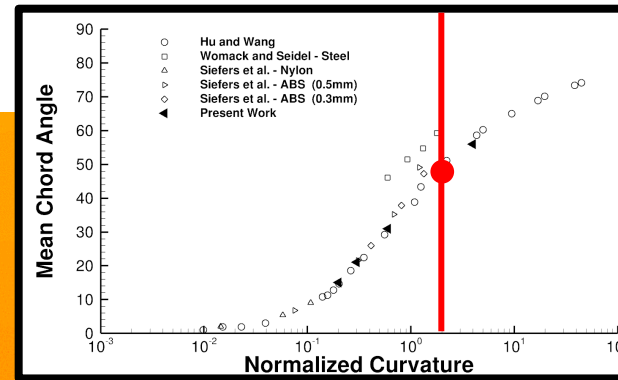
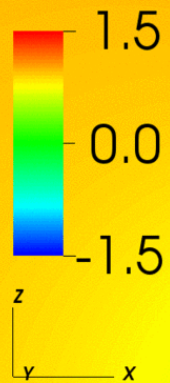


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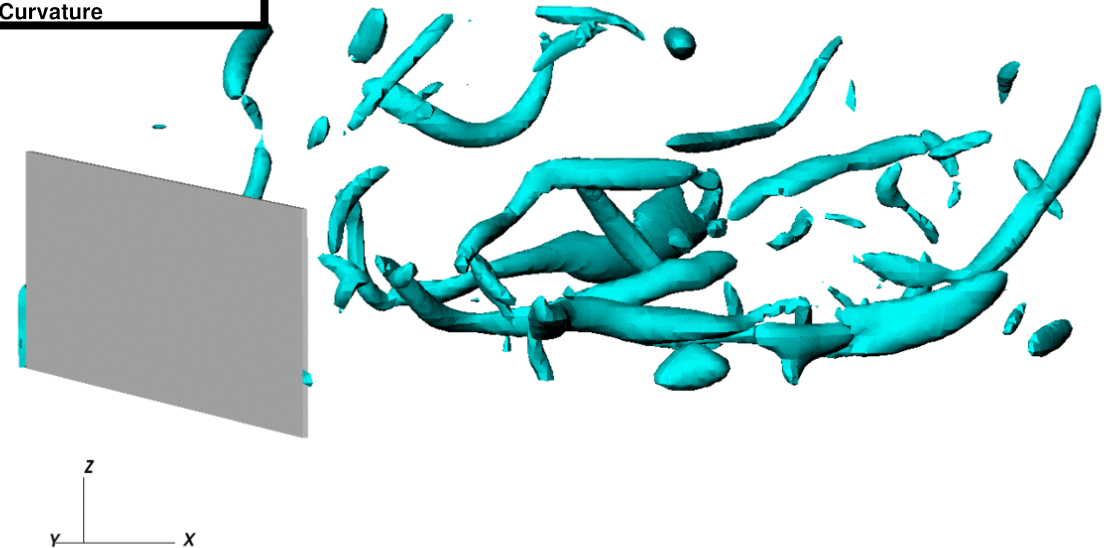
Streamwise Velocity

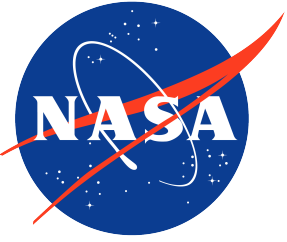
$k = 2.0$



Q-Criterion ( $Q = 2,500$ )

$k = 2.0$





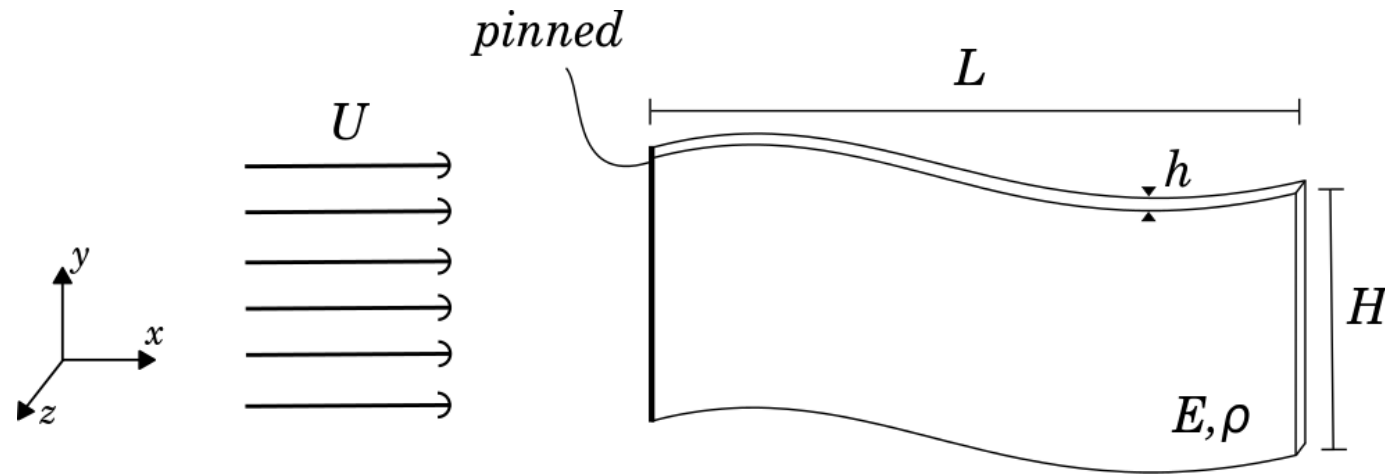
# Waving Flag

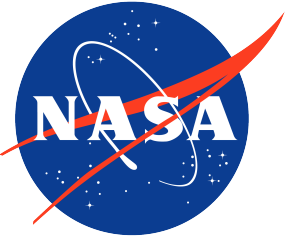


□ Consider the setup chosen by Huang *et al.* ([JFM 2010](#)) and Hua *et al.* ([JFM 2014](#))

- $Re = 100$
- $MR = \frac{\rho_s h}{\rho_f L} = 100$
- $\Delta x_{min} = \Delta y_{min} = 0.02L$
- Discretized with 3,200 finite elements
- FEM mesh is *pinned* at the leading edge
- $18^\circ$  crossflow to induced motion
- Thickness,  $h$ , is 0.01

- $S_s = \frac{EI_s}{\rho_f U^2 L^3} = 1 \times 10^3,$
- $S_b = \frac{Eh}{\rho_f U^2 L} = 1 \times 10^{-4}$



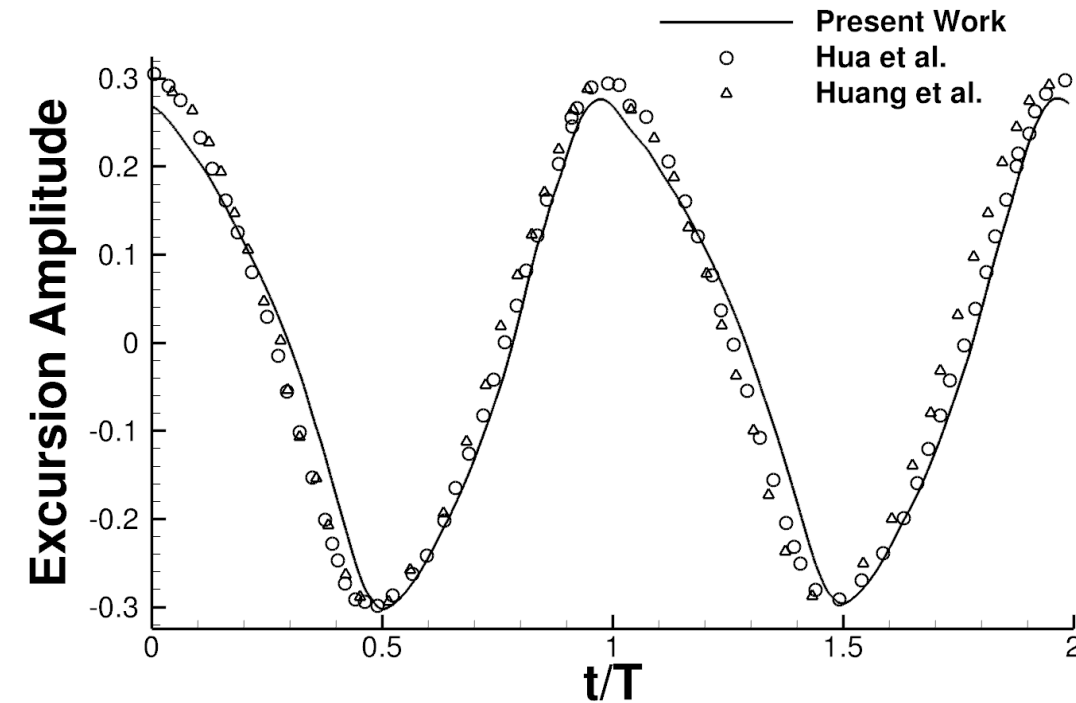


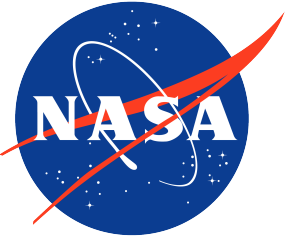
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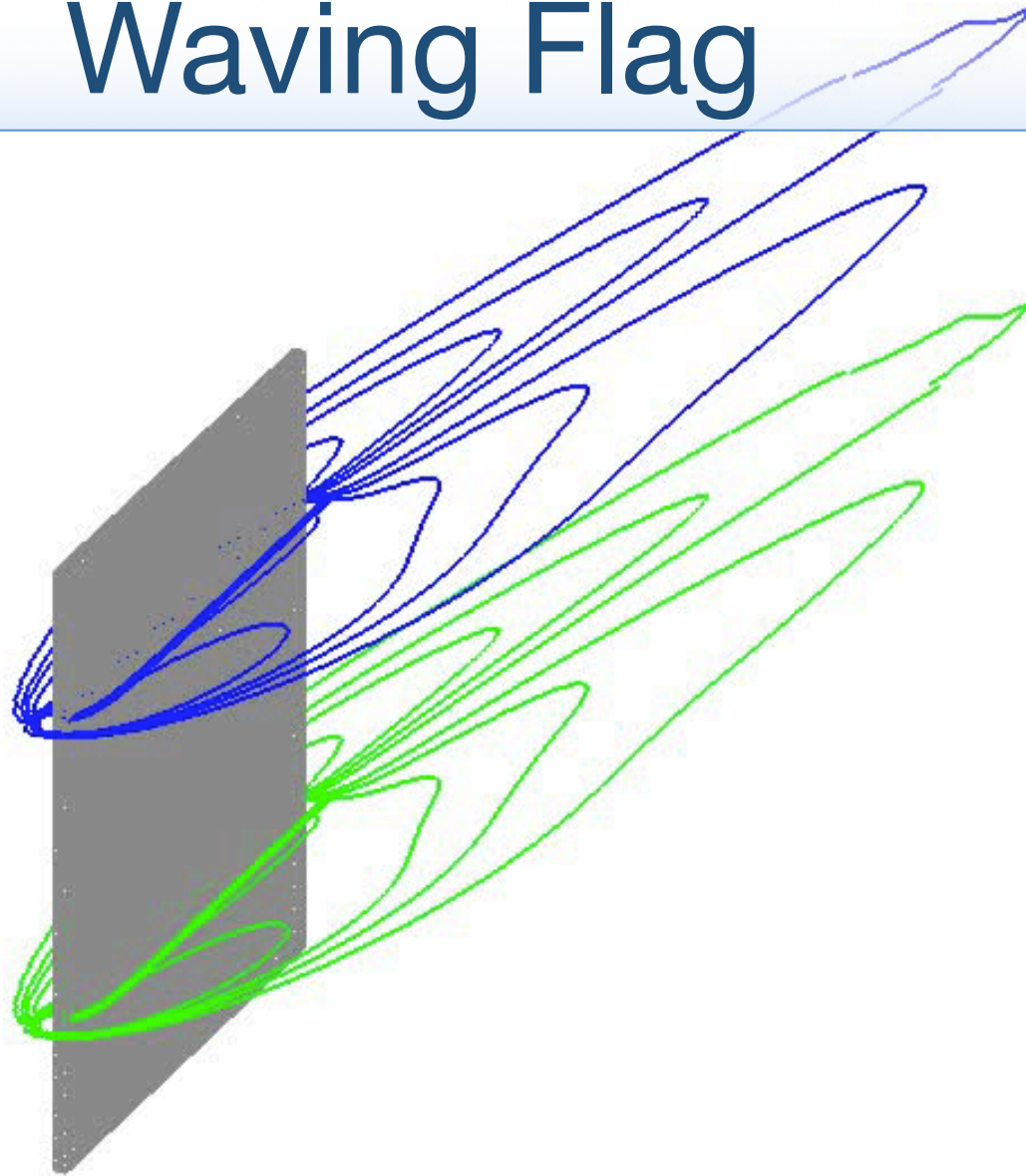
Reference	$\bar{A}$	St
Present Work	0.57	0.22
Huang <i>et al.</i> ( <i>JFM</i> 2010)	0.58	0.24
Hua <i>et al.</i> ( <i>JFM</i> 2014)	0.58	0.24

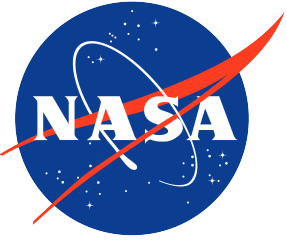
□ As shown, good agreement is obtained both in terms of the excursion amplitude  $\frac{(\delta_{z,max} - \delta_{z,min})}{L}$  and the Strouhal number  $f \frac{U}{L}$





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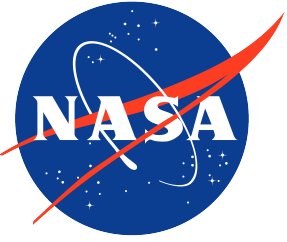
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## ☐ Summary and Outlook



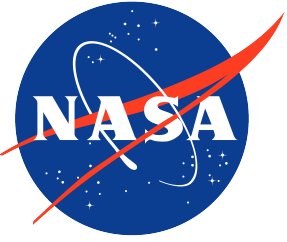


# Large FSI Problems



- ❑ In Boustani *et al.* SciTech 2019, the structures consisted of a few thousand shell elements
  - This allowed a *parallel CFD – serial CSD* coupling
  
- ❑ When considering a parachute geometry, the number of degrees of freedom requires parallel computing
  - The *parallel CFD – parallel CSD* coupling requires a complex communication pattern
  - When dealing with large-scale problems, minimize memory and overhead
  
- ❑ What happens when the CFD and CSD partitions are disparate?
  - Expected in weakly coupled FSI algorithms

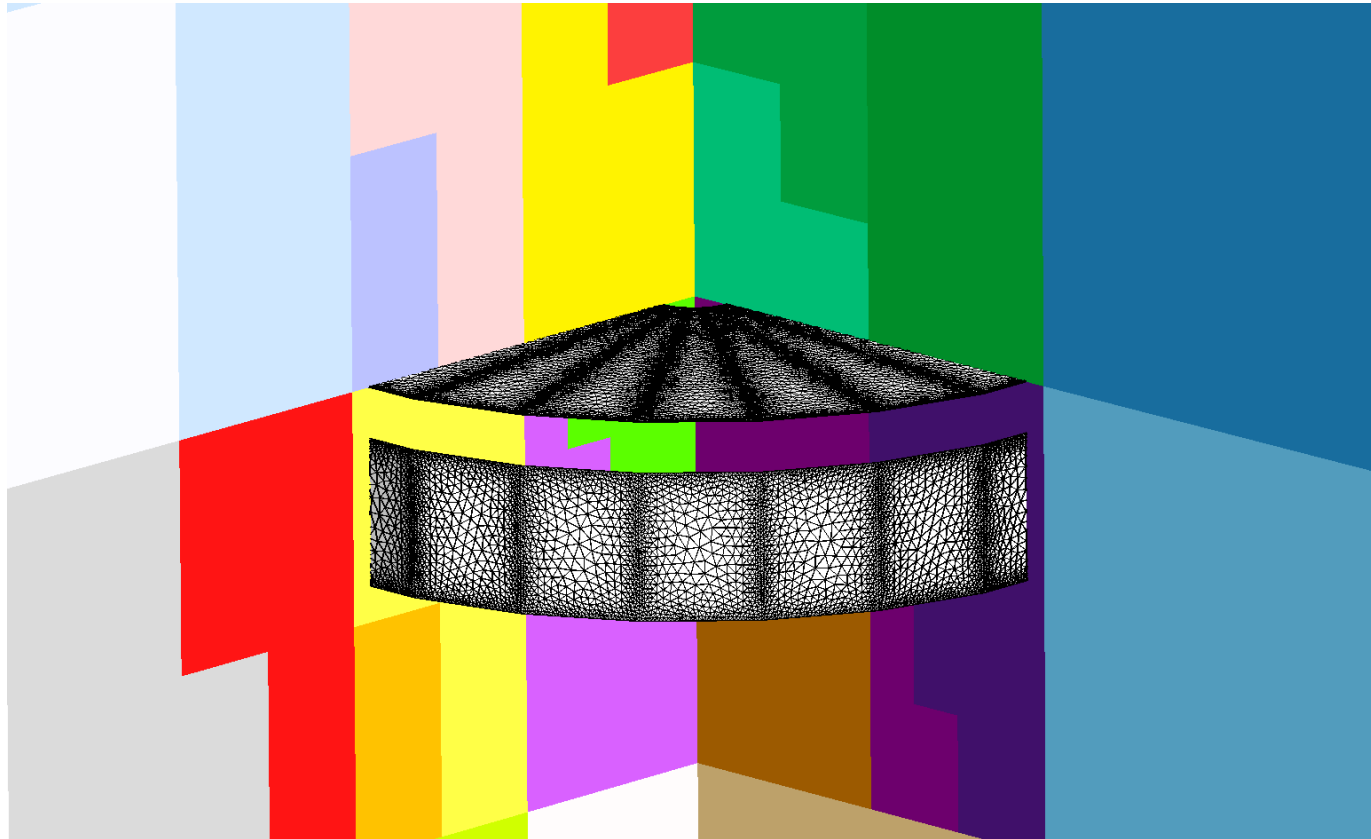


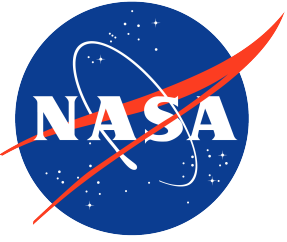


# Parallel FSI Algorithm



- I. The CFD solver uses an octree data structure to organize the volume data
- The geometry representation is partitioned accordingly

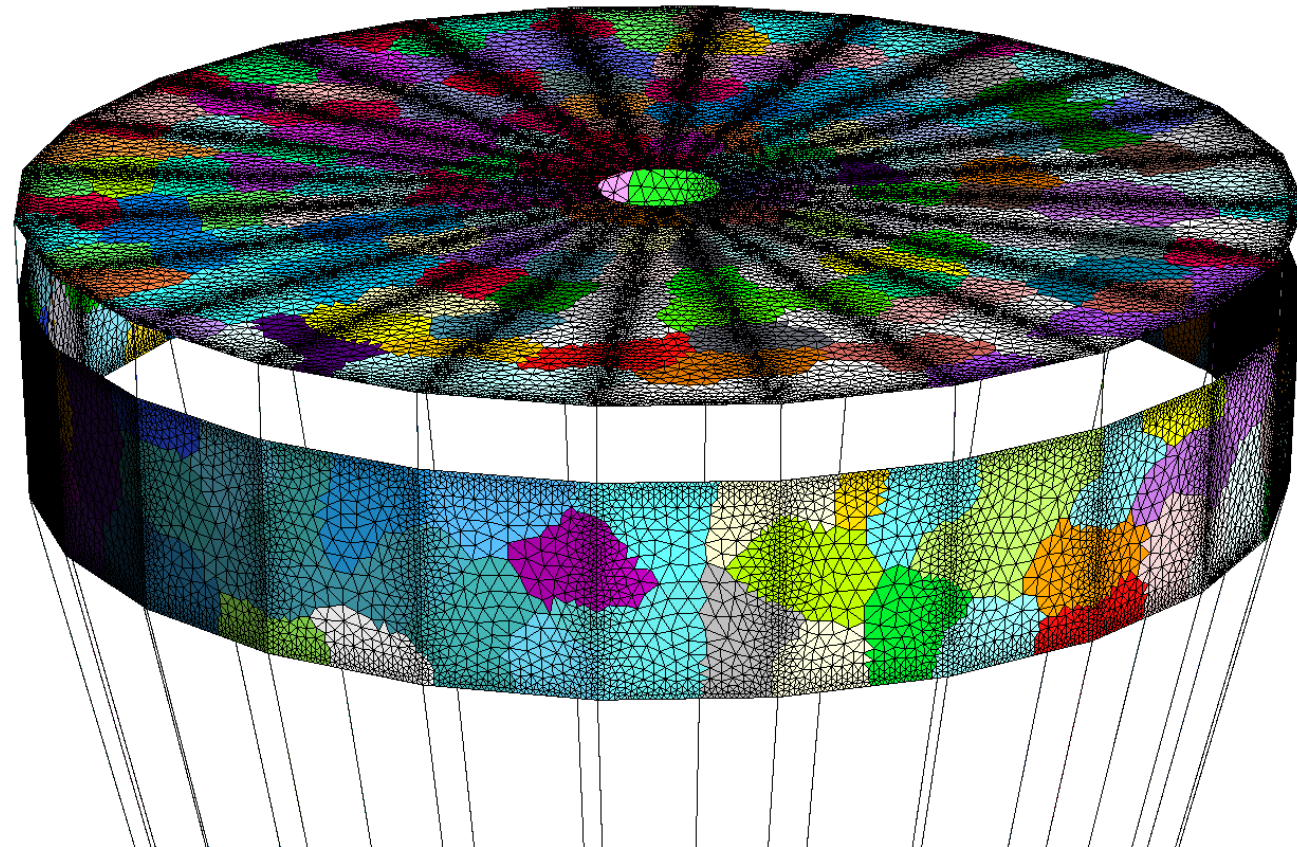


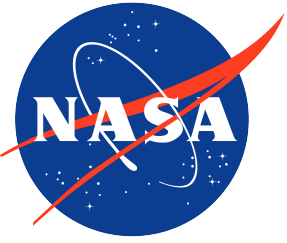


# Parallel FSI Algorithm



II. The CSD solver is partitioned on an unstructured mesh by ParMETIS



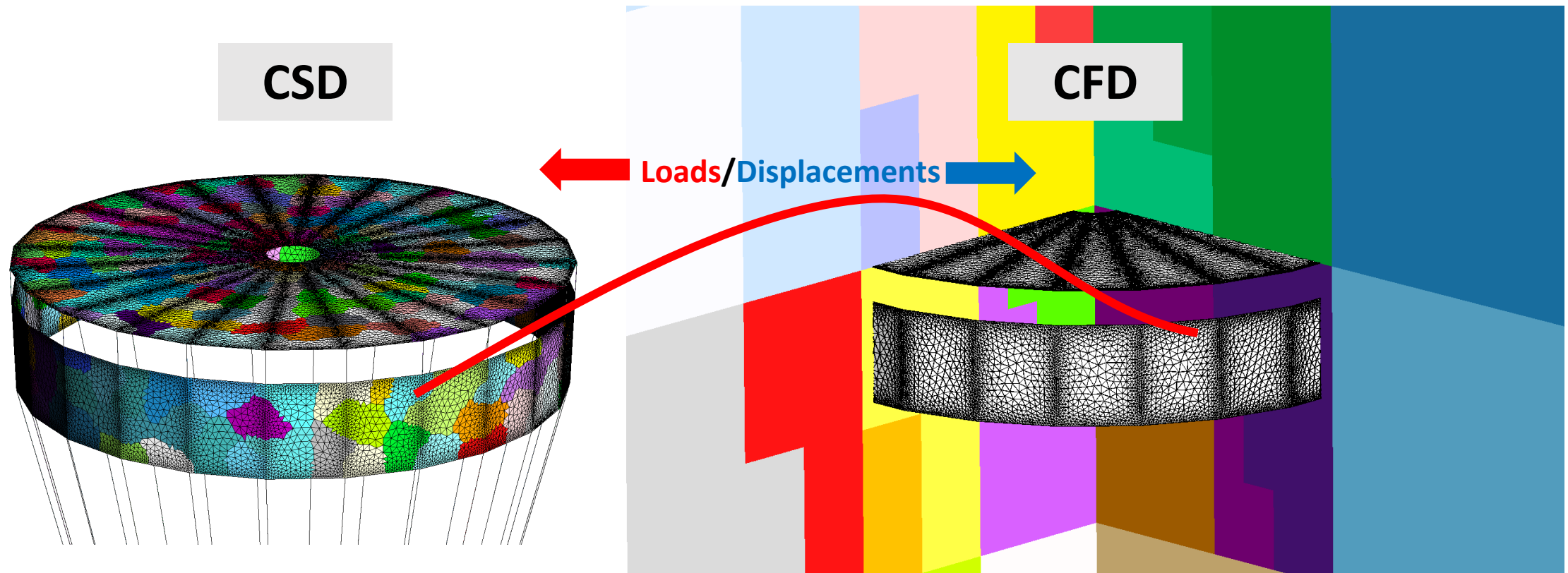


# Parallel FSI Algorithm

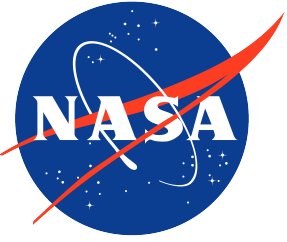


Aside:

❑ How does process ' $m$ ' get/transfer loads/displacements to/from process ' $n$ '?





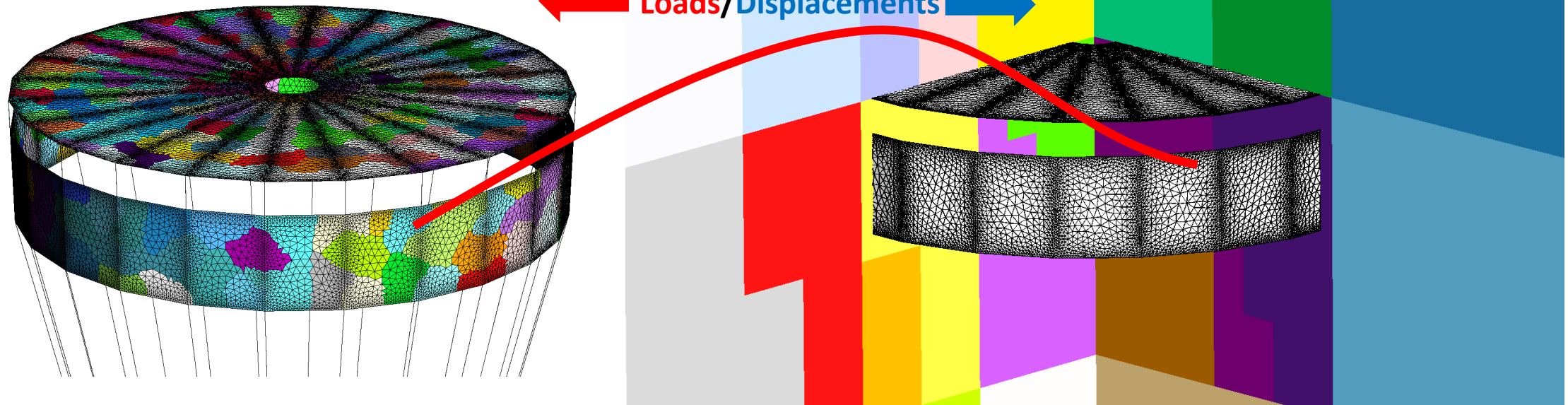


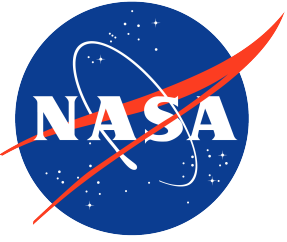
# Parallel FSI Algorithm



Aside:

- ❑ How does process ' $m$ ' get/transfer loads/displacements to/from process ' $n$ '?
- ❑ Decompose geometry representation from the CSD solver as well



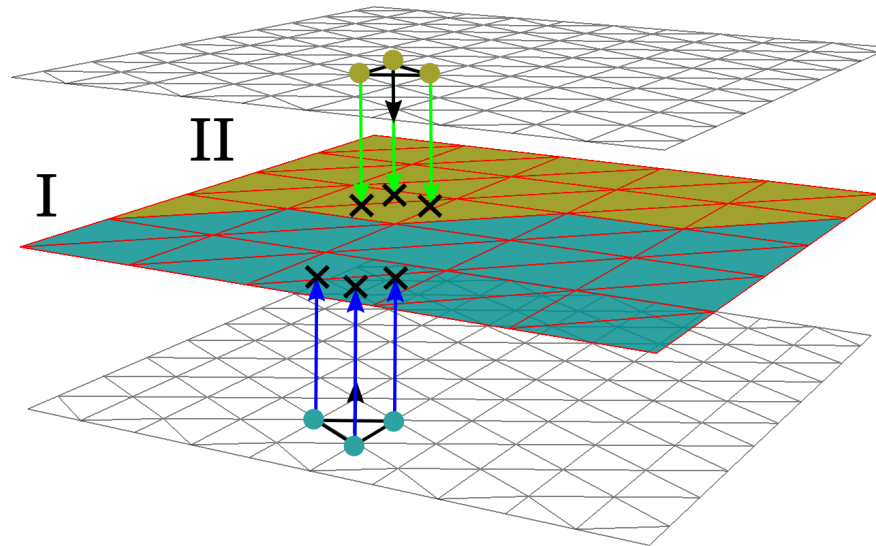


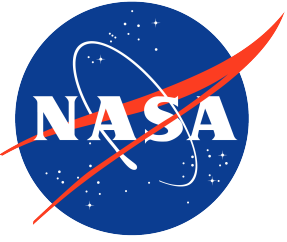
# Parallel FSI Algorithm



## Aside:

- ❑ Ray-triangle intersection is used to identify elements in the geometry representation laying directly 'above/below' a CSD partition
  - Ray intersect a CSD element belonging to a partition and are stored **uniquely** by that partition



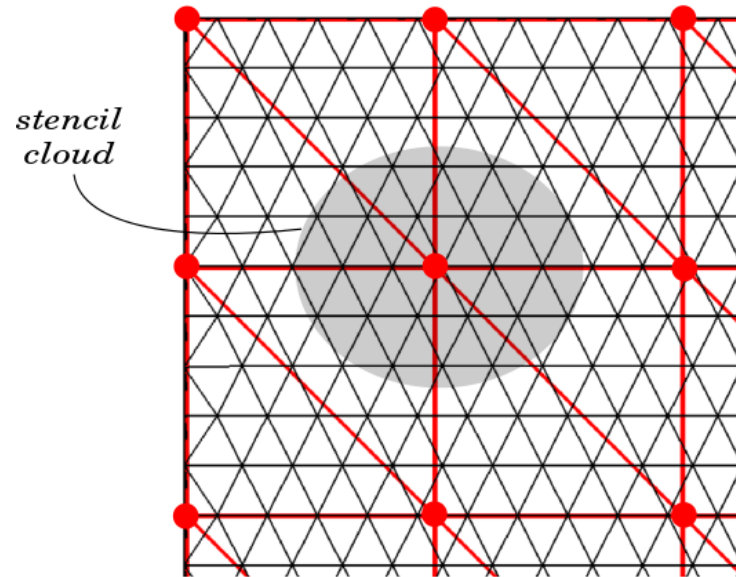


# Parallel FSI Algorithm

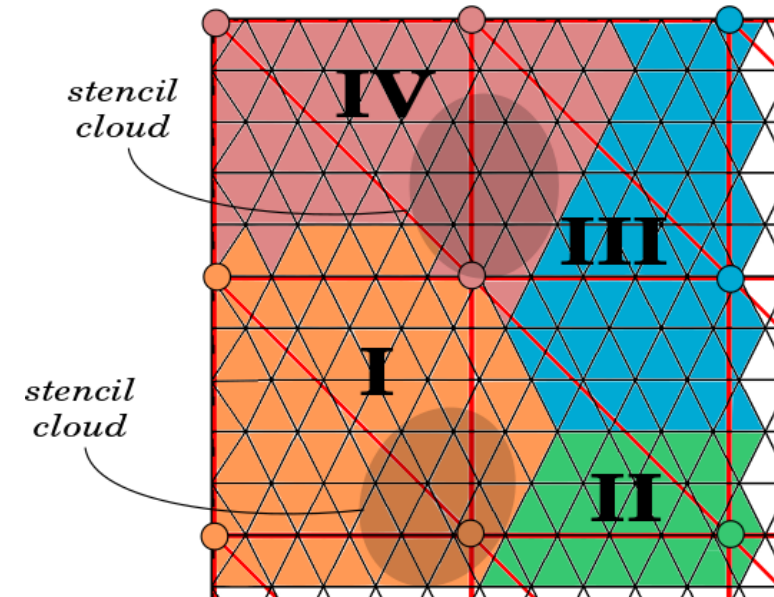


III. Load and displacement transfer stencils are computed between the geometry representation and CSD mesh within the defined partitions

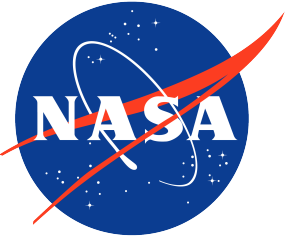
- Stencils are limited a single partition



**Serial CSD Displacement Stencil**



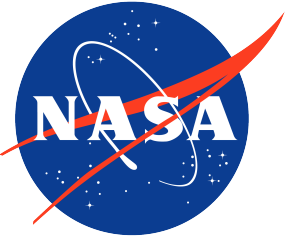
**Parallel CSD Displacement Stencil**



# Parallel FSI Algorithm



- ❑ Using this algorithm, each process only stores its portion(s) of the CFD volume mesh, geometry representation, and the CSD mesh
  - Need to communicate to other processors is reduced greatly
  - Memory requirements are less demanding
  
- ❑ It is clear that the geometry representation is stored twice
  - Once when partitioned by the CFD solver via volume decomposition
  - Once when partitioned by the CSD solver via ray-triangle intersection
  - No guarantee that these partitions are the same
  
- ❑ Best case scenario is a shared, infinitesimal thickness representation of the CSD mesh and geometry representation



# Outline



## ☐ Motivation/Introduction

- Mars, EDL system qualification, Simulation Capabilities

## ☐ FSI Method

- Governing equations
- Immersed Boundary Method for the Compressible Navier-Stokes Equations (CFD)
- Geometrically Nonlinear Computational Structural Dynamics Solver (CSD)
- Coupling procedure

## ☐ Extended Validation for Fluid-Structure Interaction Problems

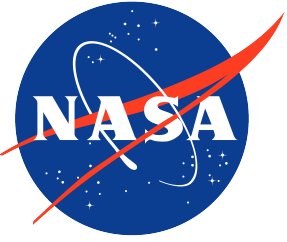
## ☐ Methods for Large-scale, Parallel CFD-CSD Coupling

- Disparate domain decomposition

## ☐ Supersonic Parachute Inflation

## ☐ Summary and Outlook

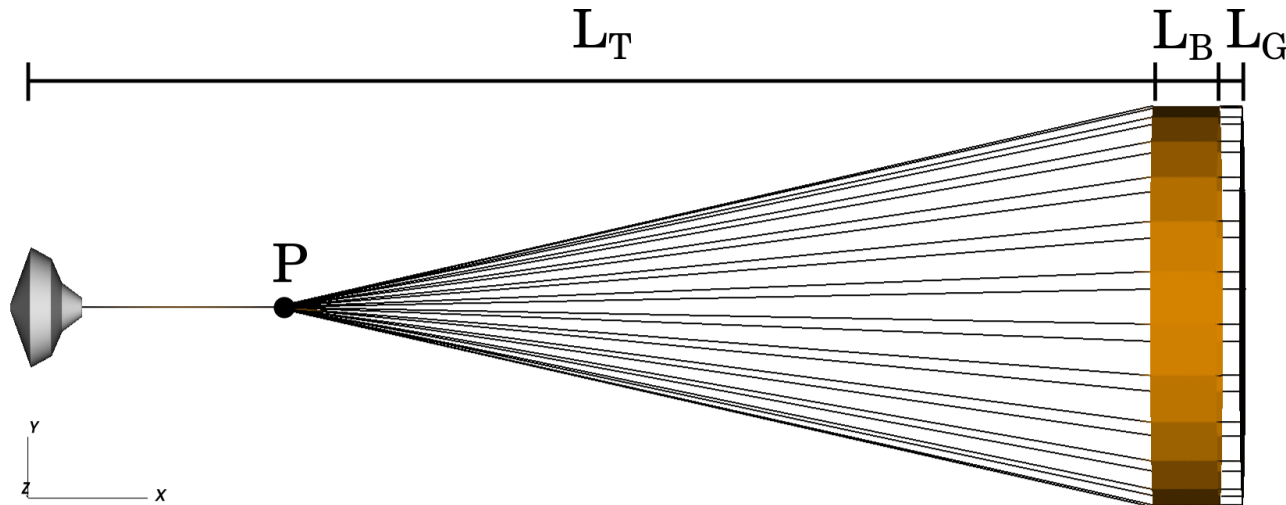




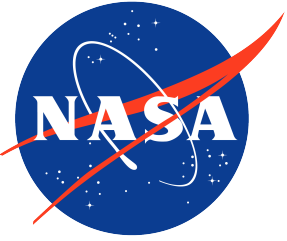
# Problem Setup



- Setup is chosen in accordance with
  - **Experiments:** Sengupta *et al.* ([AIAA 2009](#))
  - **Simulations:** Karagiozis *et al.* ([JFS 2011](#)) and Yu *et al.* ([AIAA 2019](#))
- 0.8m  $D_0$  DGB Parachute design is based off Reuter *et al.* ([AIAA 2009](#))
  - Sub-scale Viking parachute model **with and without** a sub-scale 70° Viking capsule



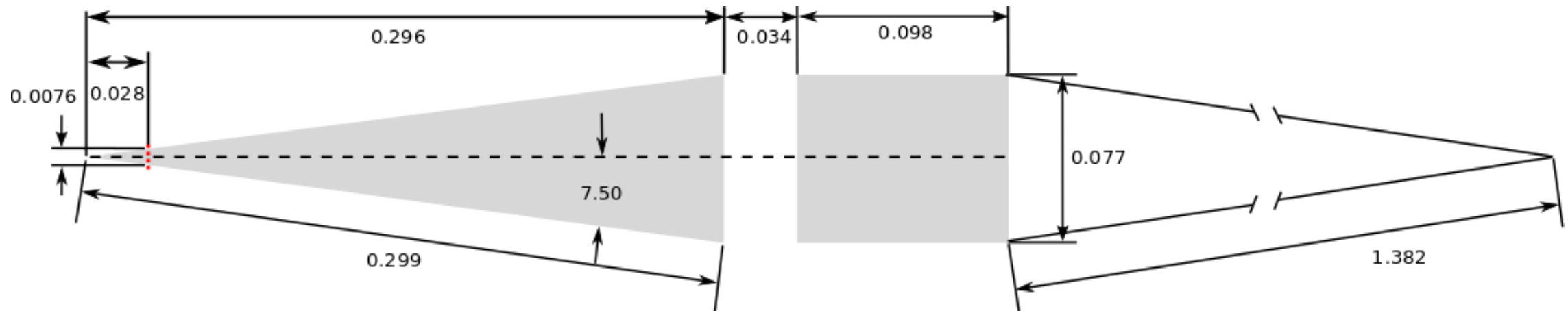
$L_T$	$L_B$	$L_G$
$\frac{x}{d} = 10.6$	$0.121D_0$	$0.042D_0$

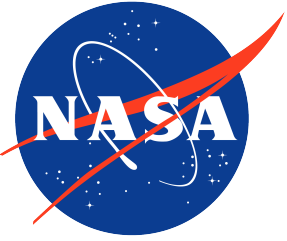


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# Problem Setup



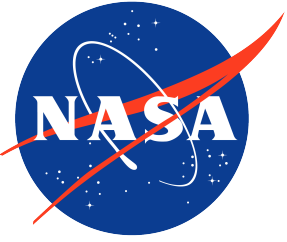
- Problem resembles spacecraft entry into the upper Martian atmosphere:

## Fluid Properties

- $Re = \frac{\rho_{\infty} u_{\infty} d}{\mu_{\infty}} = 10^5$
- $\mu_{\infty}$  via Sutherland's law at  $T_{\infty} = 294.93K$
- $\rho_{\infty} = 0.0184527 \frac{kg}{m^3}$
- $u_{\infty} = 688.89 \frac{m}{s}$
- $M = \frac{u_{\infty}}{a_{\infty}} = 2.0$

## Structural Properties

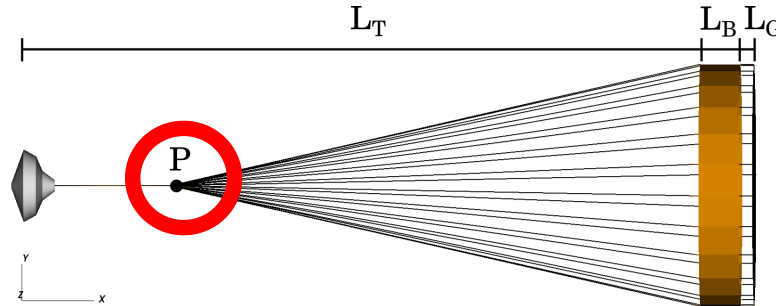
- $E_p = 878 MPa$
- $\nu = 0.33$
- $h = 6.35 \times 10^{-5} m$
- $\rho_p = 614 \frac{kg}{m^3}$
- $d_c = 0.99 \times 10^{-3} m$
- $E_c = 43 GPa$
- $\rho_c = 8.27 \times 10^{-4} \frac{kg}{m}$

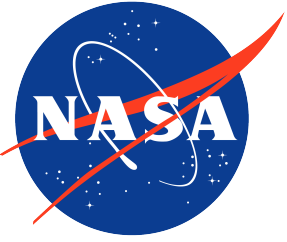


# Problem Setup



- ❑ Center of the vent hole is at  $(0,0,0)$
- ❑ Domain:  $[-6.25D_0, 6.25D_0] \times [-6.25D_0, 6.25D_0] \times [-6.25D_0, 6.25D_0]$
- ❑ Base case:  $\Delta x_{min} = \Delta y_{min} = D_0/164$
- ❑ 600 geometrically nonlinear cables elements are used for the suspension lines
  - Fixed at point P
- ❑ 108,000 geometrically nonlinear shell elements resolve the disk and canopy

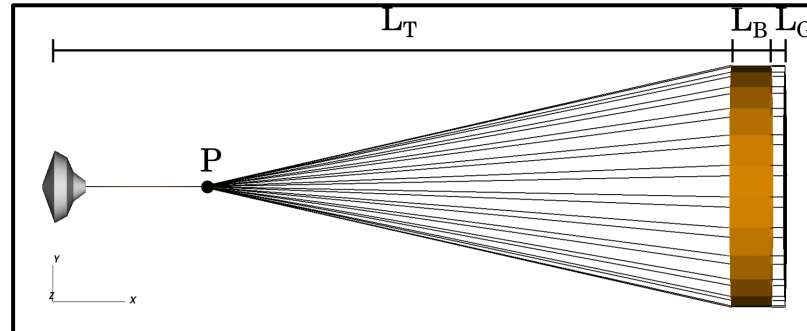




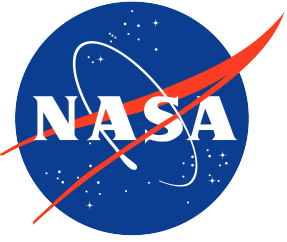
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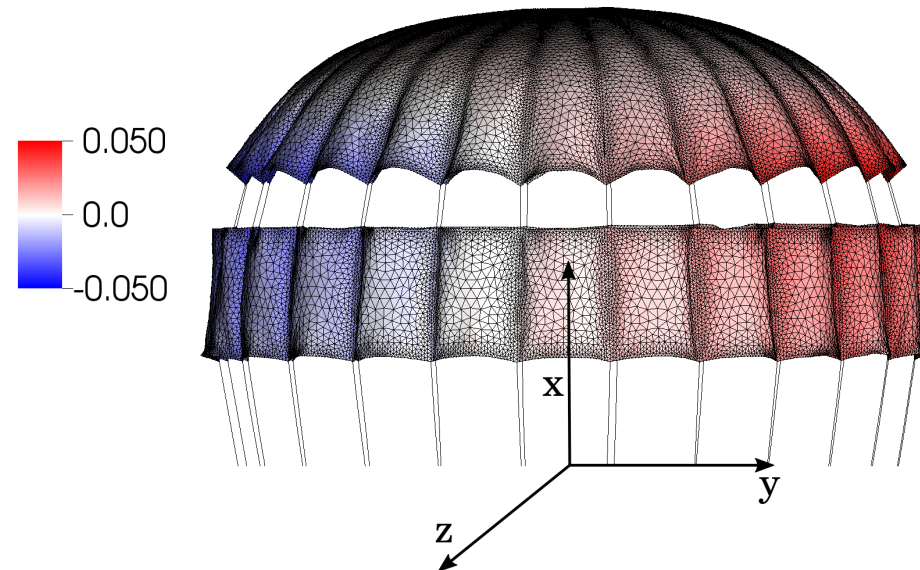
**Simulation initial condition**

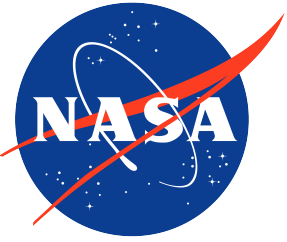


# Problem Setup

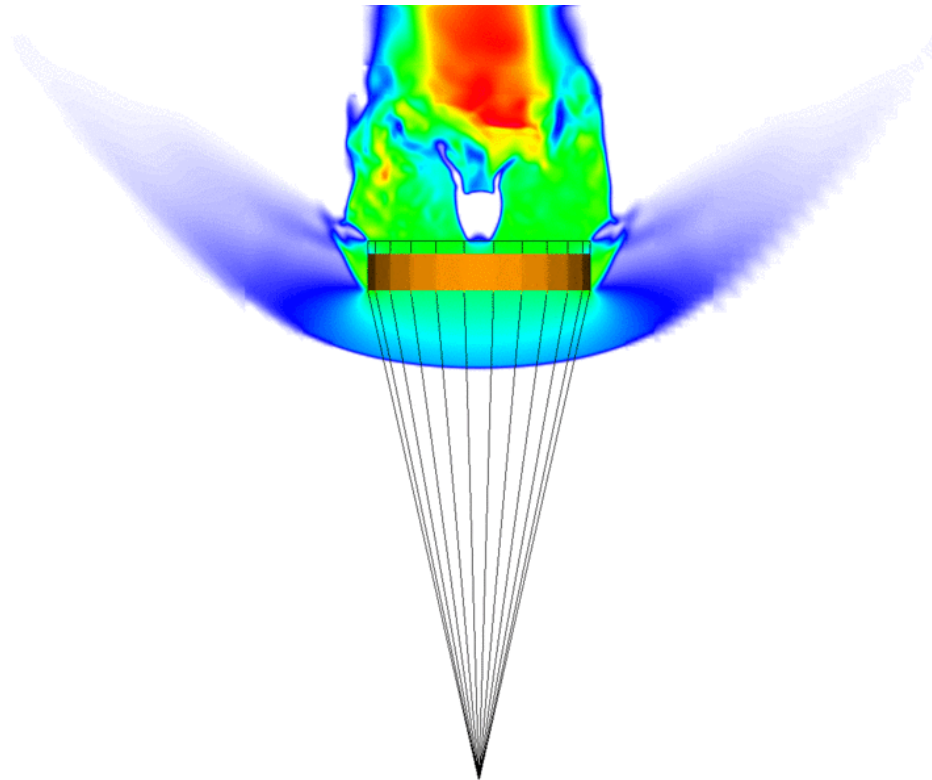


- Structural mesh based off simulations by Derkevorkian *et al.* ([AIAA 2019](#))
  - Elements along seams are thickened by a factor of 4 to represent the stitching pattern used in manufacturing of the canopy
  - Finely resolving these regions also helps capture the stress discontinuities across the seams

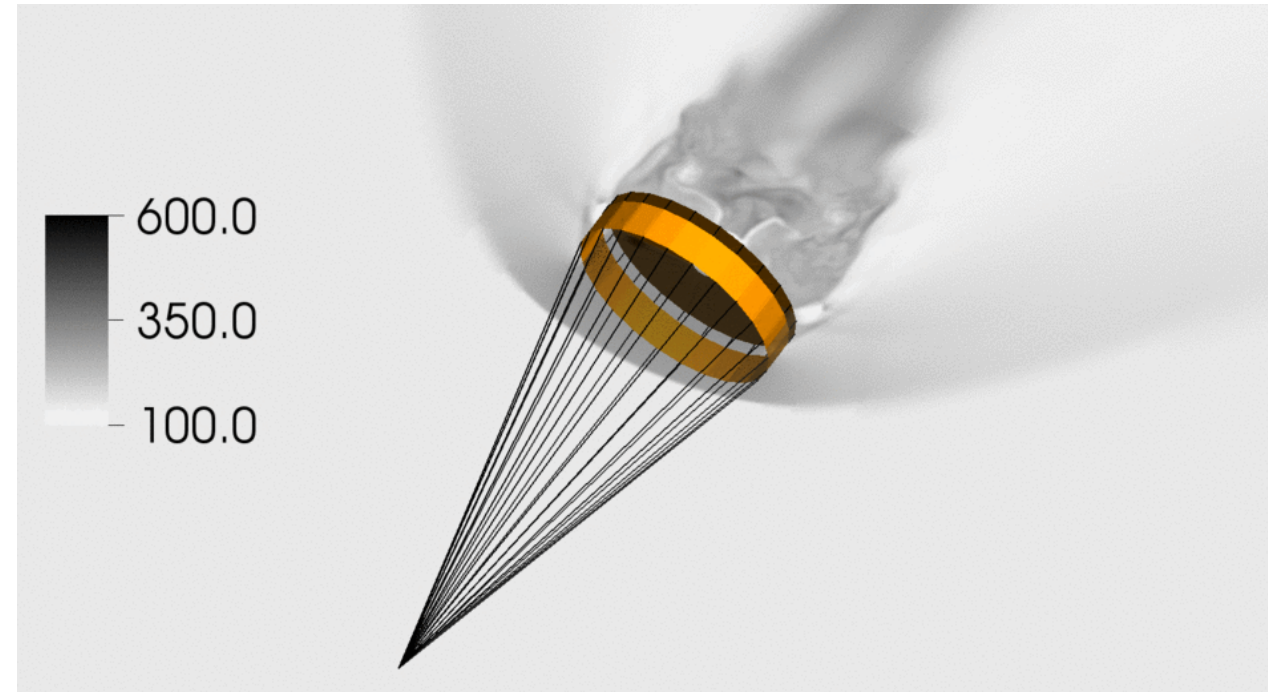




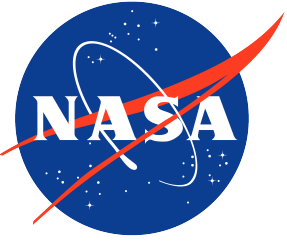
# Case 1: Uniform Flow (no capsule)



**Streamwise velocity**



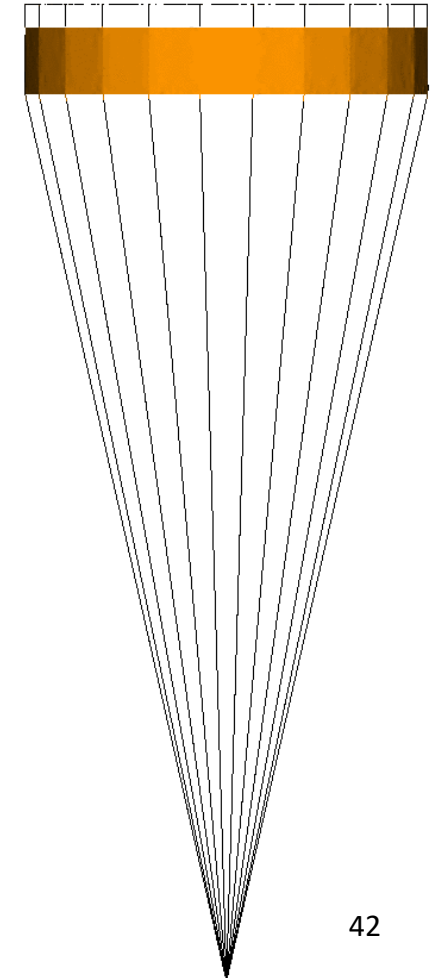
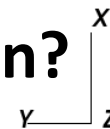
**Temperature field**



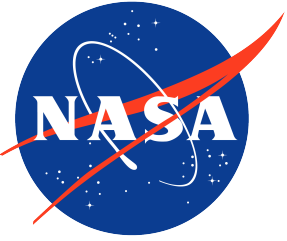
## Case 1: Uniform Flow (no capsule)



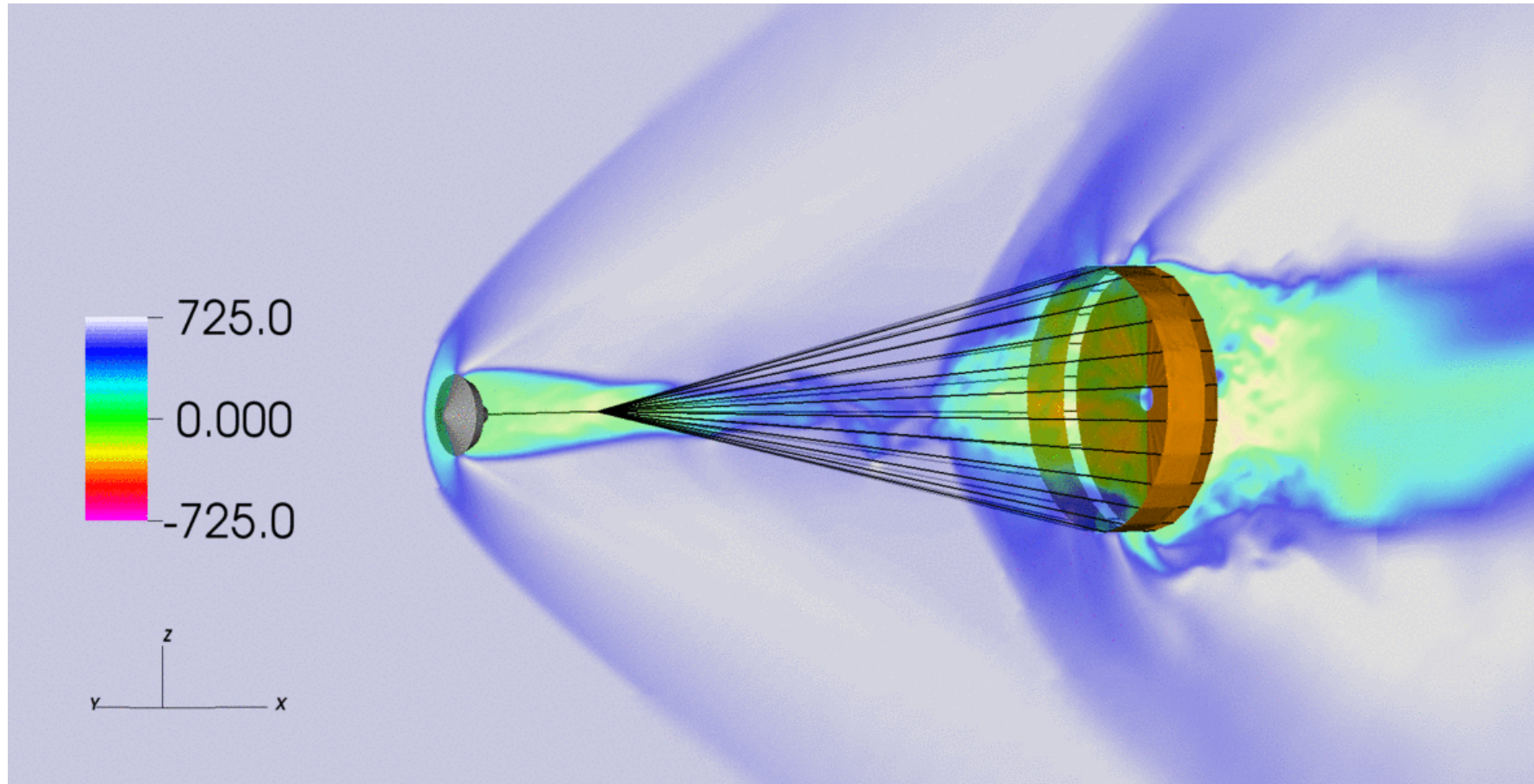
- ☐ The cables are not resolved in the CFD volume mesh
  - Nor do they experience any external loading → motion is virtually unopposed
  - This leads to large period, large amplitude swaying of the cables
- ☐ The cables, as well as the canopy, start the simulation in an unstressed state
  - There is no tension in the cables
- ☐ **Resolve with phantom geometry or approximate ling drag from damping matrix, reduced order model, *etc.*? Pre-tension?**



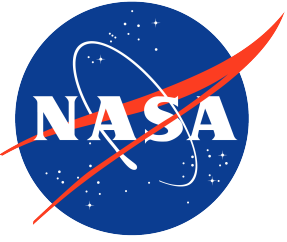




## Case 2: Leading Viking-type Capsule



**Streamwise velocity**



# Outline



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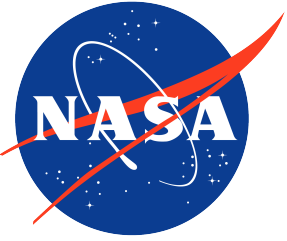
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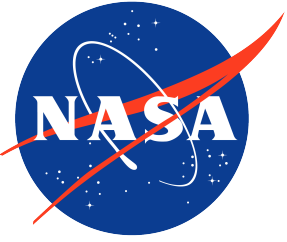


# Summary and Outlook



## □ Summary:

- A validated method for FSI problems involving the large deformations of thin structures was extended to large, parallel simulations in supersonic flows
- The details of the weak, parallel coupling algorithm and the treatment of dealing with the disparate partitions in the CFD and CSD solvers were discussed
- The FSI method was then applied to two more large deformation FSI validation test cases to add onto the validation cases presented at SciTech 2019
- The FSI method was finally applied to the simulation of parachute inflation in the upper Martian atmosphere

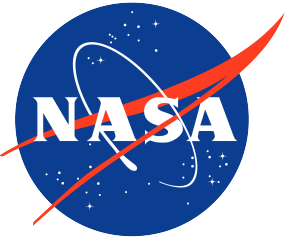


# Summary and Outlook



## □ Outlook:

- Treatment of the cable dynamics via damping, line drag
- Apply porous material boundary conditions on the canopy
- Implement more efficient contact algorithms for robustness
- Develop communication rings in the partitioned CFD-CSD solution procedure
- Reduce overhead and general optimization, load balancing



# Questions?

