

Continuum-Scale Battery Modeling for Space Applications

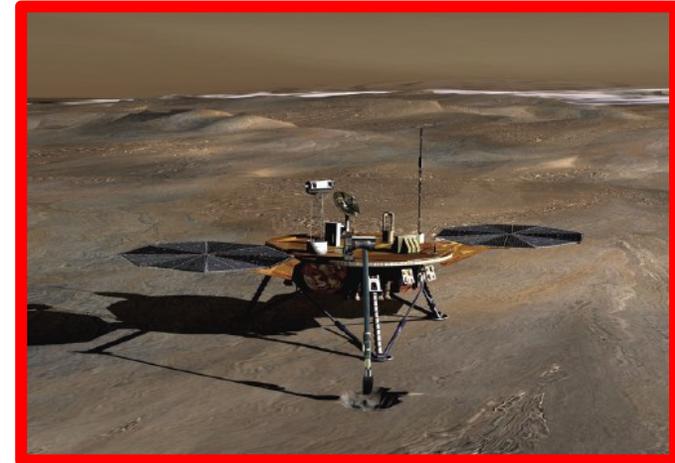
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1. Batteries for Aviation



Courtesy NASA

2. Batteries for Space



Courtesy NASA/JPL-Caltech

Funded By

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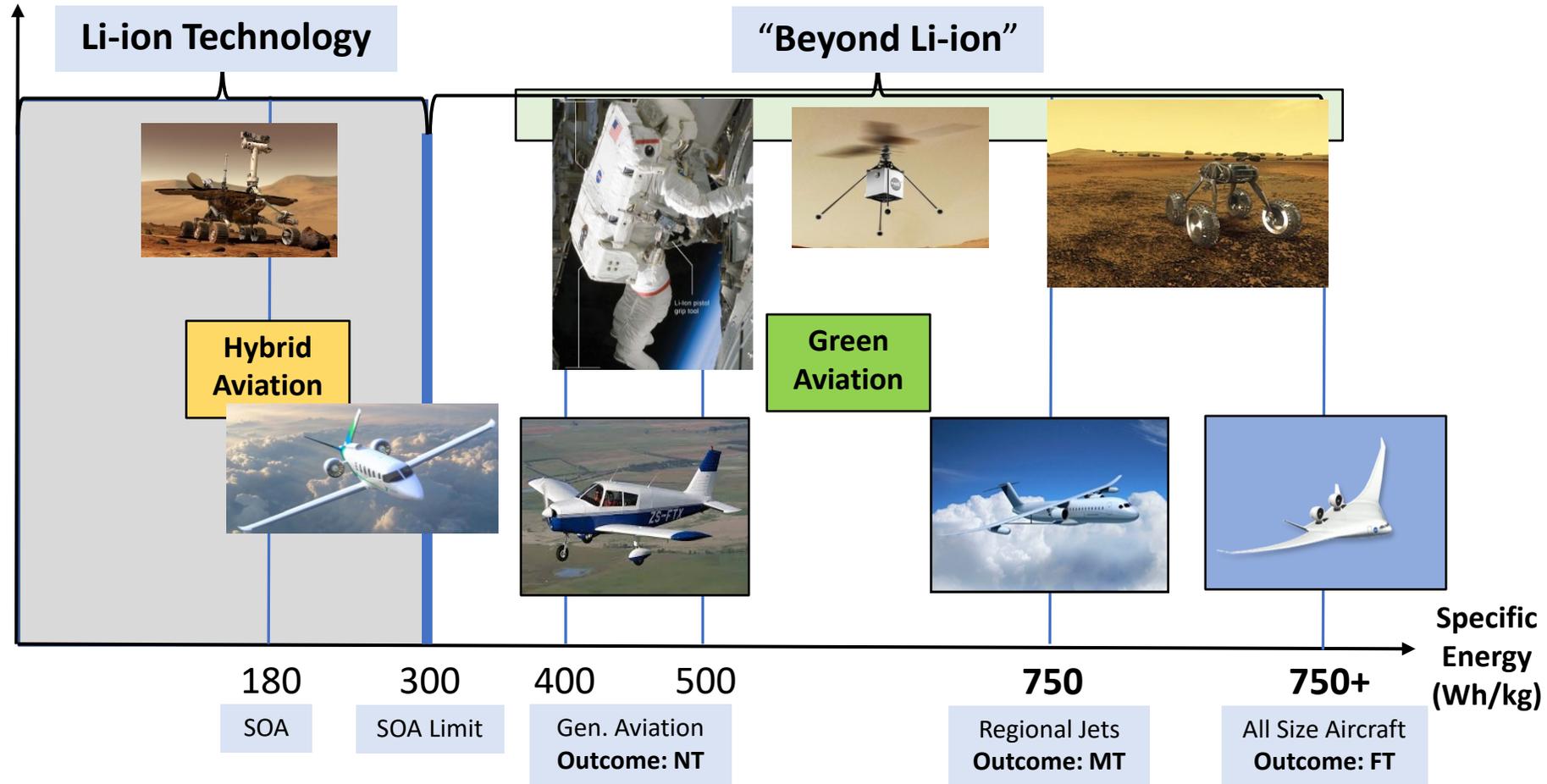


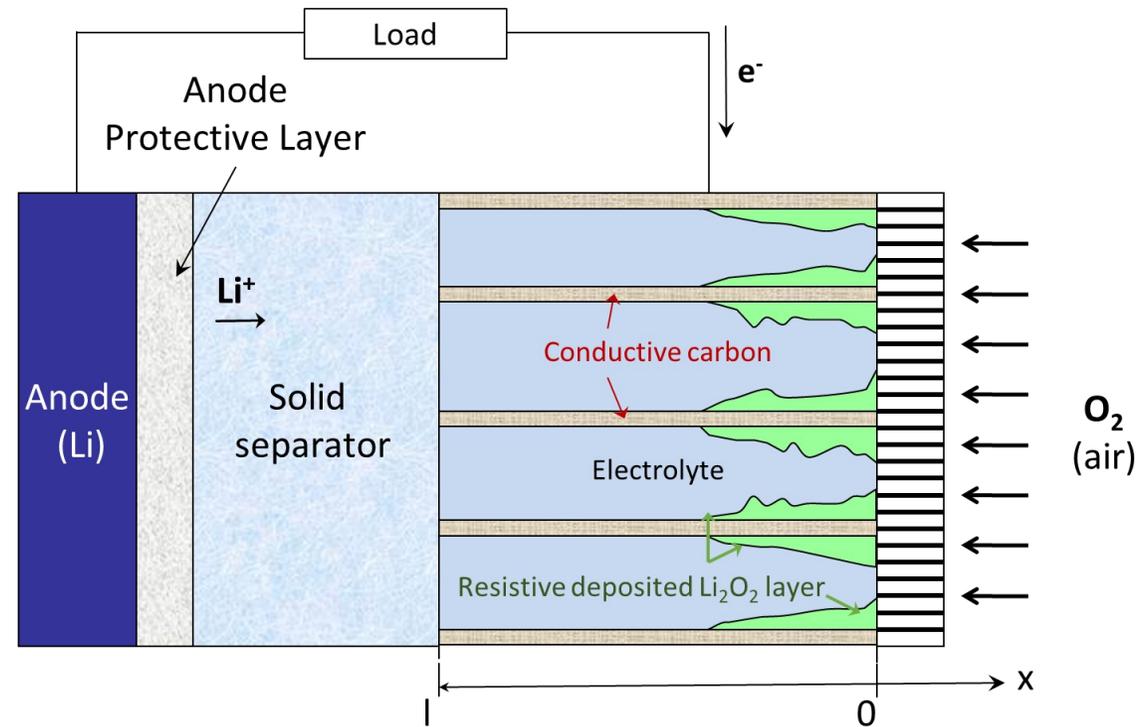
NASA Aeronautics Research Mission Directorate (ARMD)
Convergent Aeronautics Solutions (CAS) Project, LiON
(**L**ithium-**O**xygen batteries for **N**ASA) sub-project.

Why Li-O₂?

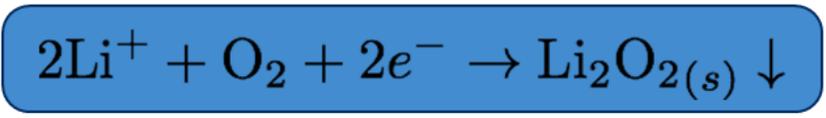
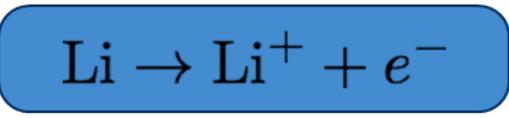
Major requirement is: High Energy Density

Other requirements are **rechargeable**, **safety**, power, recharge time, cost, etc.

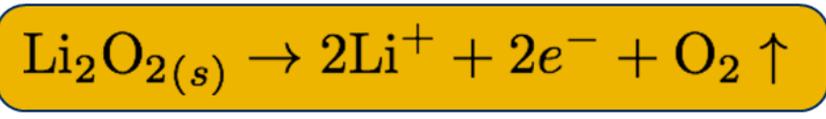
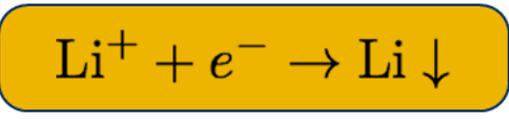




Discharge:



Charge:



Over-voltage thermodynamic

$$\eta = \underbrace{\phi_{\text{Li}}}_{\text{electrolyte}} - \underbrace{\phi}_{\text{electrode}} - \underbrace{E^0}_{\text{Li}_2\text{O}_2} - \underbrace{V_{\text{discharge}}}_{\text{Li}_2\text{O}_2}$$

$-I$ (electron current)

$$\nabla \cdot (\underbrace{\sigma_{\text{eff}} \nabla \phi}_{-I}) + R_C = aC_d \frac{\partial(\phi - \phi_{\text{Li}})}{\partial t}$$

$-I_{\text{Li}}$ (electrolyte current)

$$\nabla \cdot (\underbrace{\kappa_{\text{eff}} \nabla \phi_{\text{Li}} + \kappa_{\text{D}} \nabla \ln c_{\text{Li}}}_{-I_{\text{Li}}}) - R_C = aC_d \frac{\partial(\phi - \phi_{\text{Li}})}{\partial t}$$

$$V_{\text{discharge}} = j_{\text{dis}} \delta_{\text{Li}_2\text{O}_2} \rho_{\text{Li}_2\text{O}_2} \exp\left(\alpha_{j_{\text{dis}}} \frac{-\delta_{\text{Li}_2\text{O}_2}}{10\text{nm}}\right)$$

Oxygen dissolution

$$c_{\text{O}_2}(L_c) = N_{\text{O}_2} = k_f [p_{\text{O}_2} - k_H c_{\text{O}_2}(0)]$$

$$\frac{\partial(\epsilon c_{\text{O}_2})}{\partial t} = \nabla \cdot (\underbrace{D_{\text{O}_2, \text{eff}} \nabla c_{\text{O}_2}}_{-I_{\text{O}_2} \text{ (O}_2 \text{ diffusion flux)}}) - \frac{R_C}{nF}$$

ϵ (porosity change -from Li_2O_2 deposition)

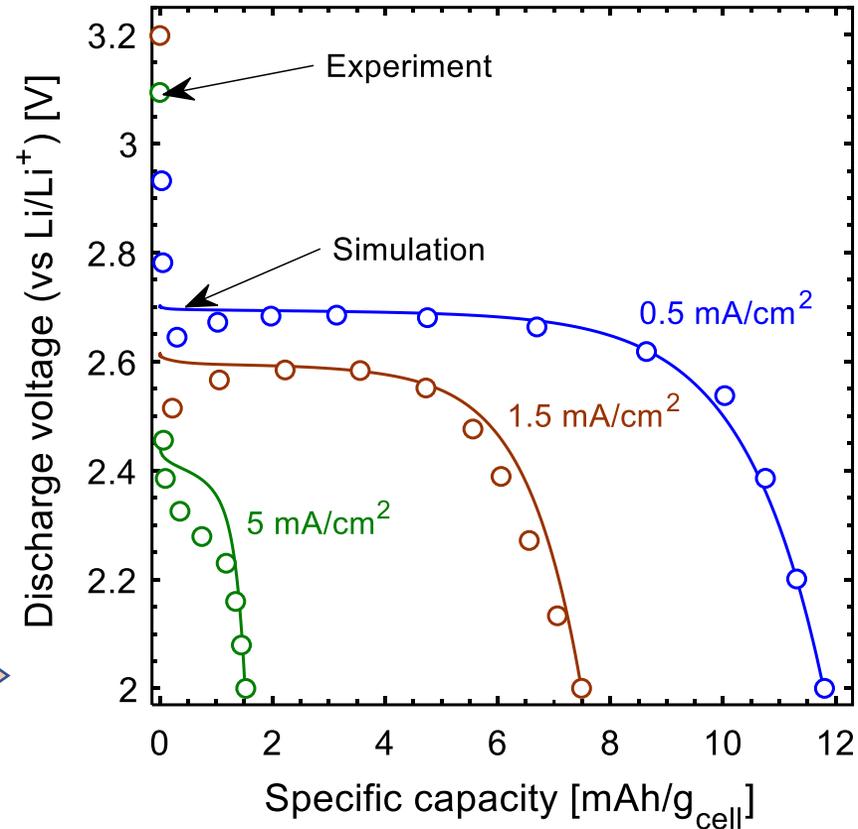
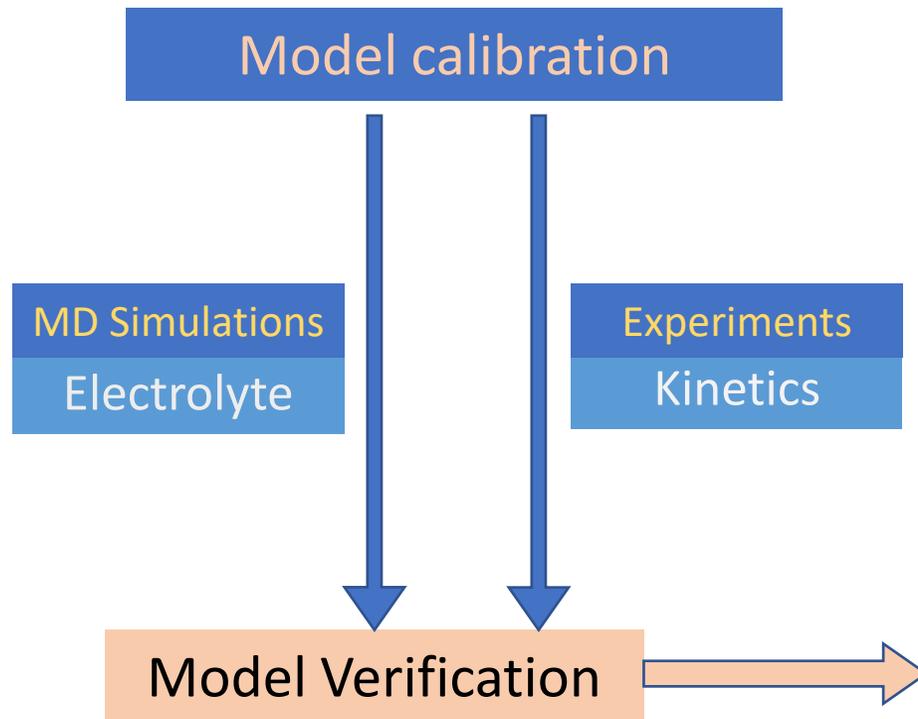
$$\frac{\partial \epsilon}{\partial t} = -R_C \frac{M_{\text{discharge}}}{nF \rho_{\text{m, discharge}}}$$

$-I_{\text{Li}}$ (electrolyte diffusion flux)

$$\frac{\partial(\epsilon c_{\text{Li}})}{\partial t} = \nabla \cdot (\underbrace{D_{\text{Li, eff}} \nabla c_{\text{Li}}}_{-I_{\text{Li}} \text{ (electrolyte diffusion flux)}}) - \frac{1-t^+}{F} R_C - \frac{I_{\text{Li}} \cdot \nabla t^+}{F}$$

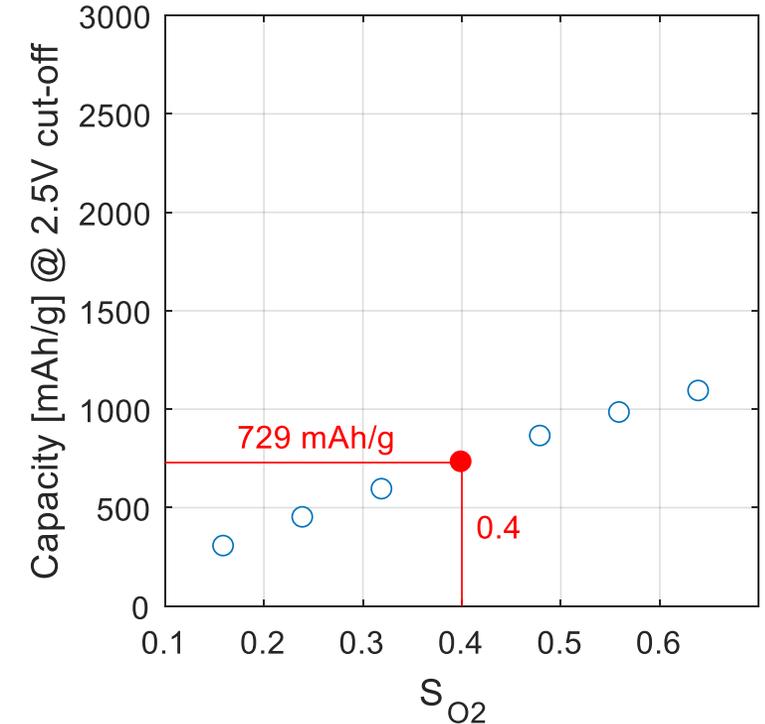
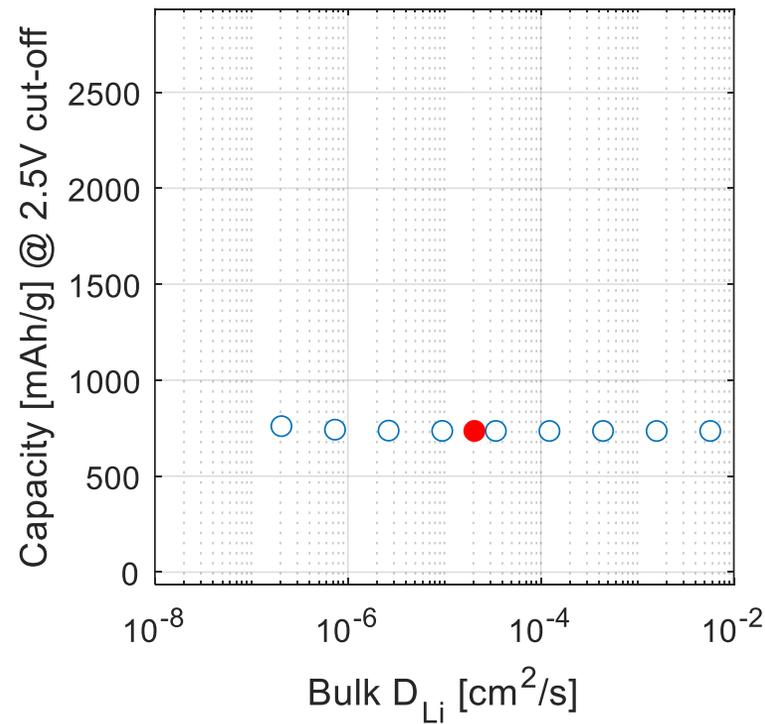
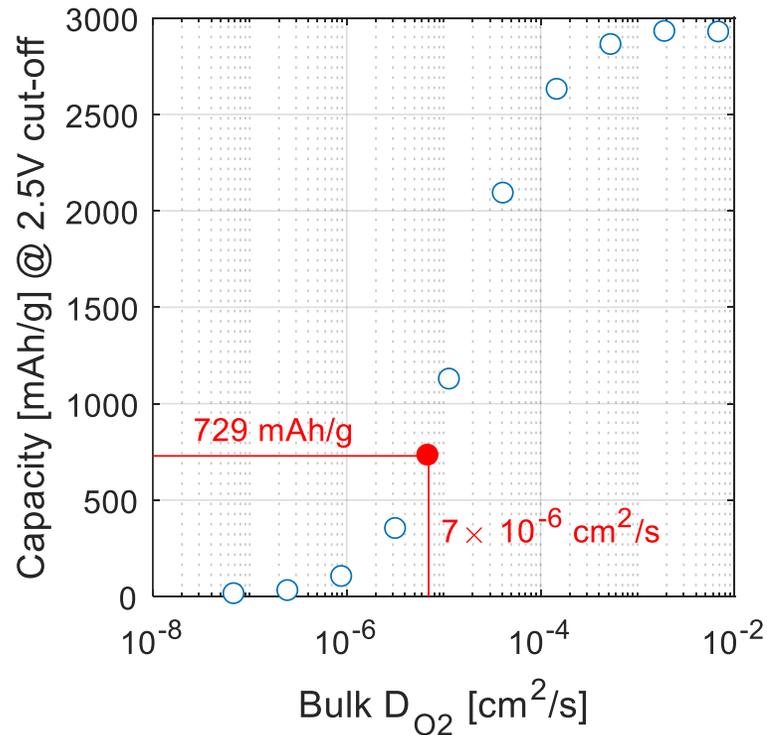
Reaction rate

$$R_C = nF c_{\text{O}_2} k_0 a \left(e^{\frac{(1-\beta)n}{V_T} \eta} - e^{\frac{-n\beta}{V_T} \eta} \right)$$

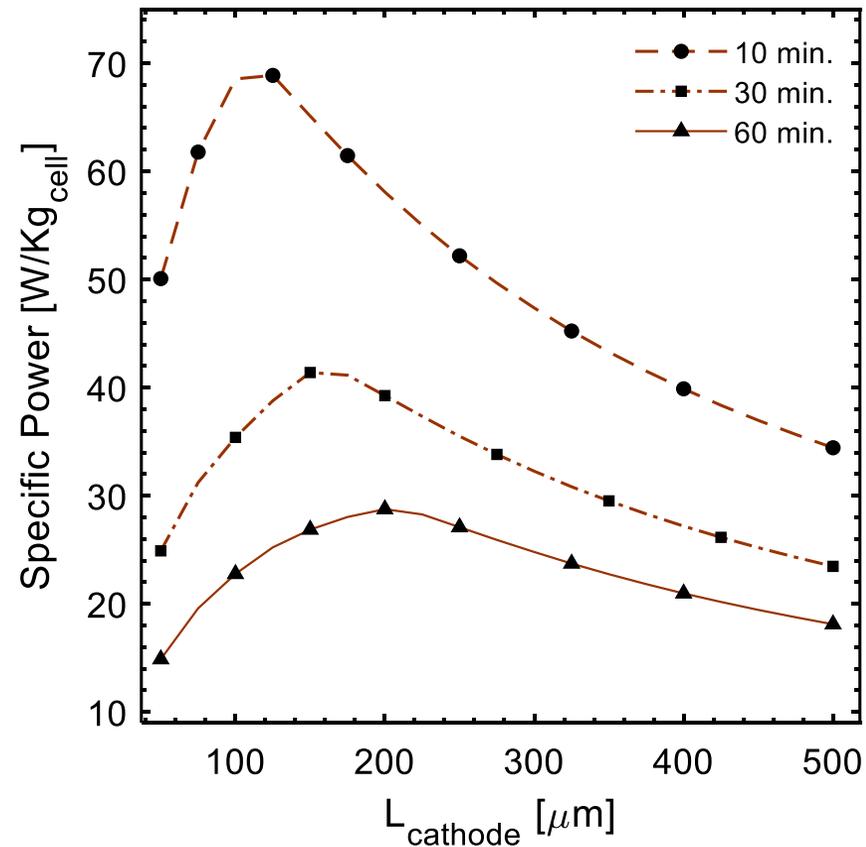


Simulating cells for high power cell needs accurate electrolyte properties and current dependent kinetics

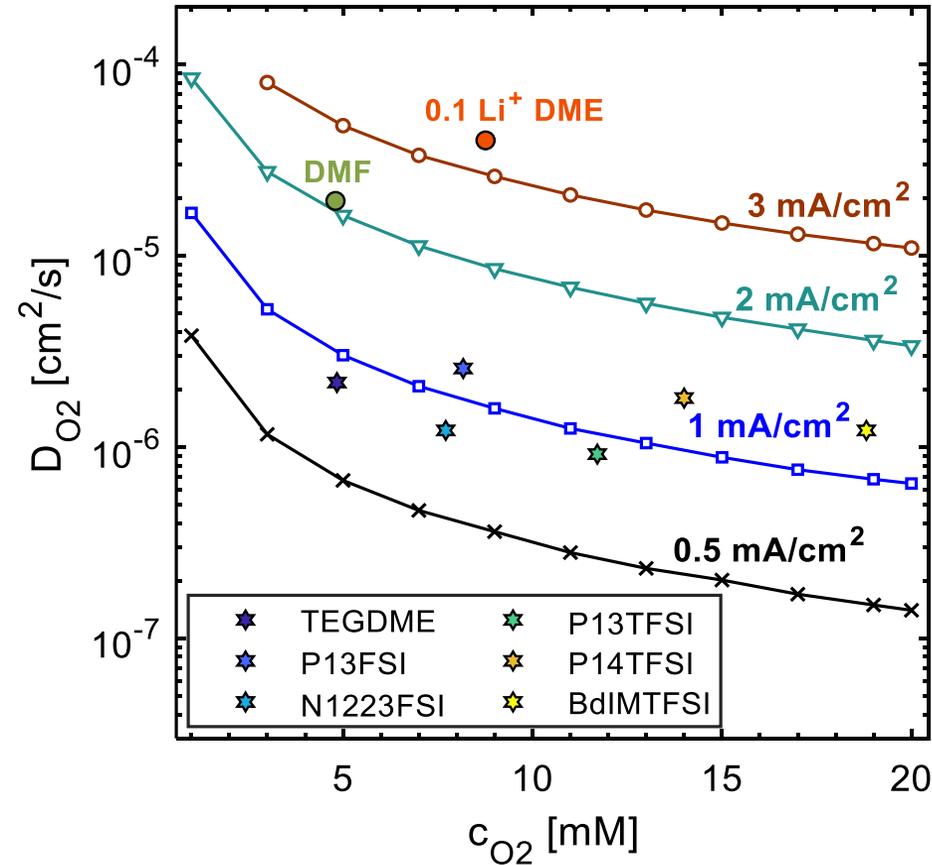
Identifying the salient electrolyte properties for high specific capacity



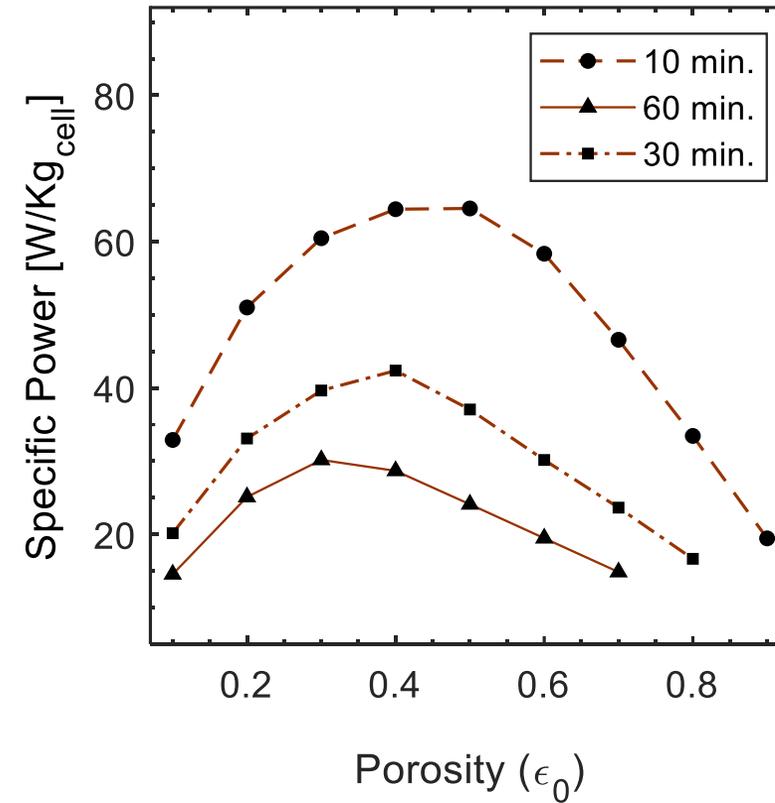
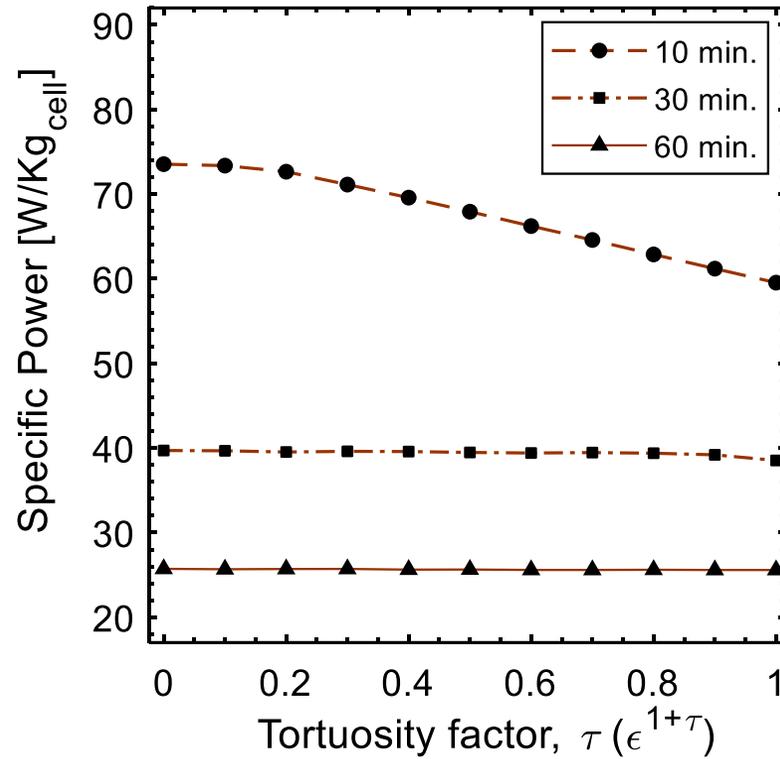
Mass transport of oxygen is the most influential parameter



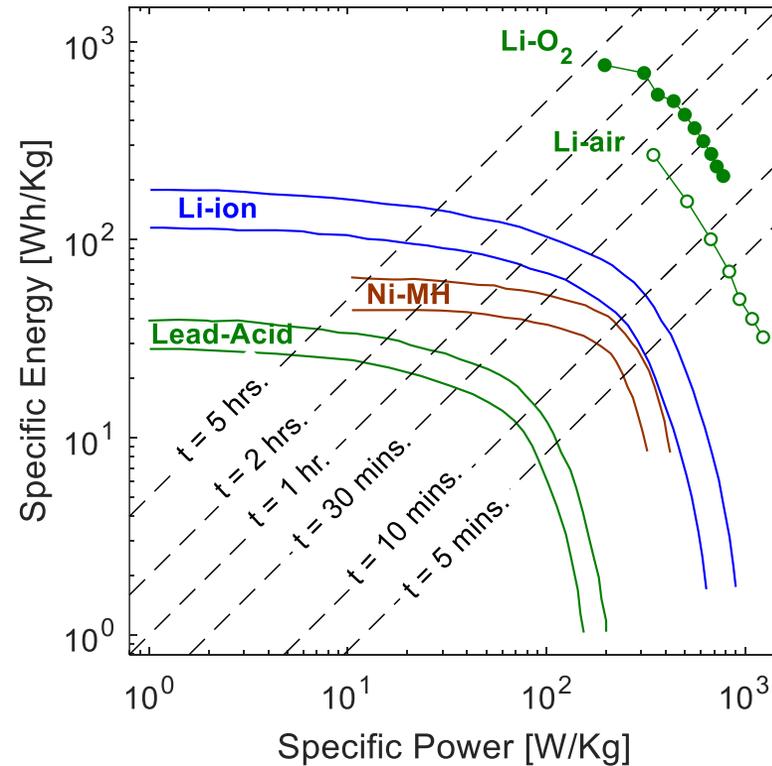
Oxygen diffusion length determines the optimal cathode thickness



Simulations can aid in selection of optimized electrolytes based on mission requirements

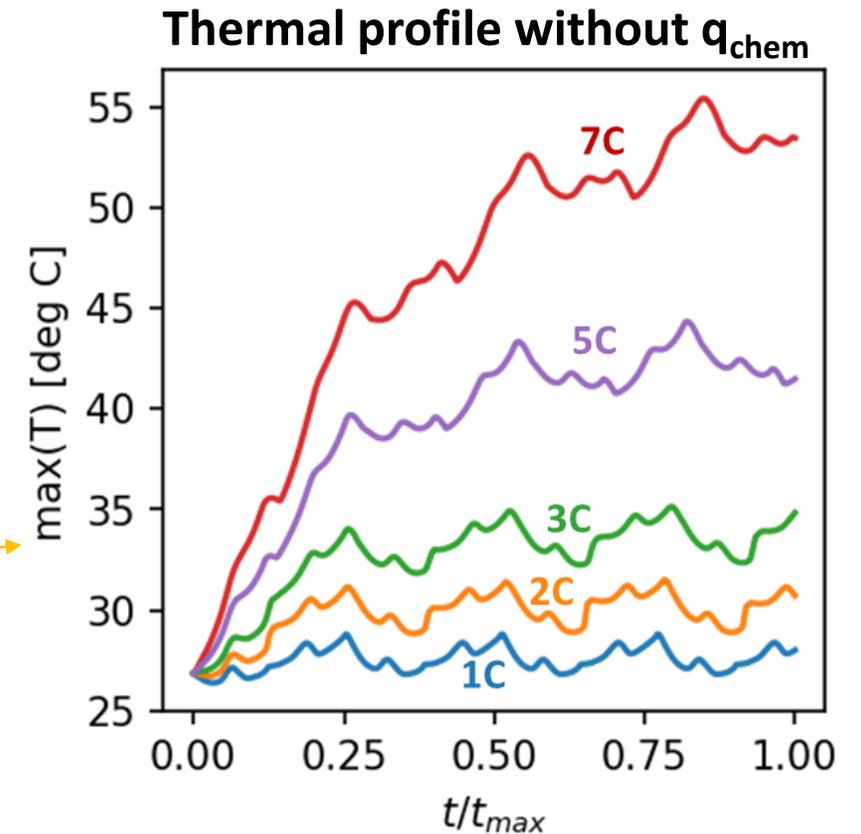
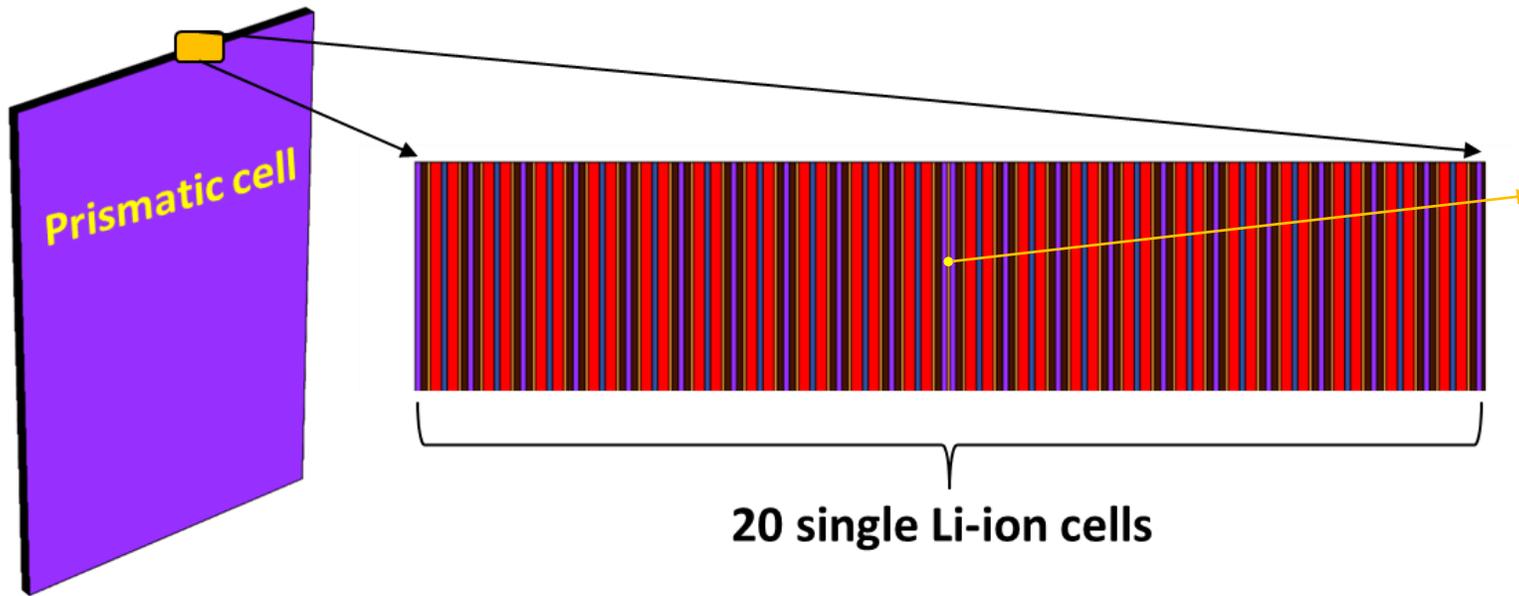


Microstructure can be tuned to improve mass transport or to increase cell impedance



Multivariable optimization can suggest path to improvement for a given chemistry

$$\rho C_p \frac{\partial T}{\partial t} = \lambda \nabla^2 T + \underbrace{q_{rev}}_{\text{Thermodynamic}} + \underbrace{q_{irr}}_{\text{Electrochemical}} + \underbrace{q_{ohm}}_{\text{Ohmic and short-circuit}} + \underbrace{q_{chem}}_{\text{Chemical decomposition}}$$



Optimal microstructural designs can improve thermal performance

Total cell voltage:

$$V_{\text{cell}}(t) = E_{eq} - \eta_a - \eta_c(t) - \eta_{\text{Li}_2\text{O}_2}(t) - \eta_{\text{other}} = 0$$

Anodic overpotential:

$$\eta_a = 2V_T \sinh^{-1} \left(\frac{j_{dis}}{2j_{a0}} \right)$$

Cathodic overpotential:

$$\eta_c(t) = 2V_T \sinh^{-1} \left(\frac{\epsilon(t)}{a(t)} \frac{D_{O_2}}{2\lambda(t)^2 k_c} \right) \quad \Bigg\| \quad \tanh \left(\frac{L_c}{\lambda} \right) = \frac{\lambda j_{dis}}{nF c_{O_2} \epsilon(t) D_{O_2}}$$

Potential drop across Li_2O_2 :

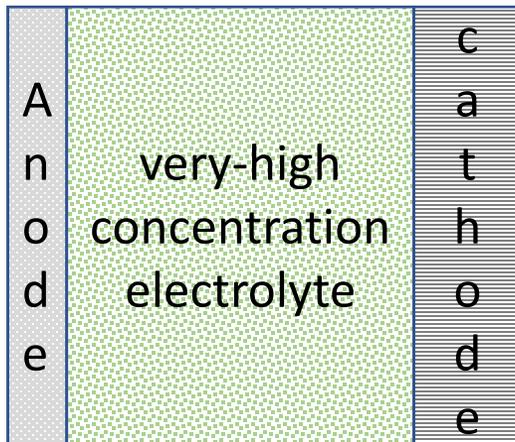
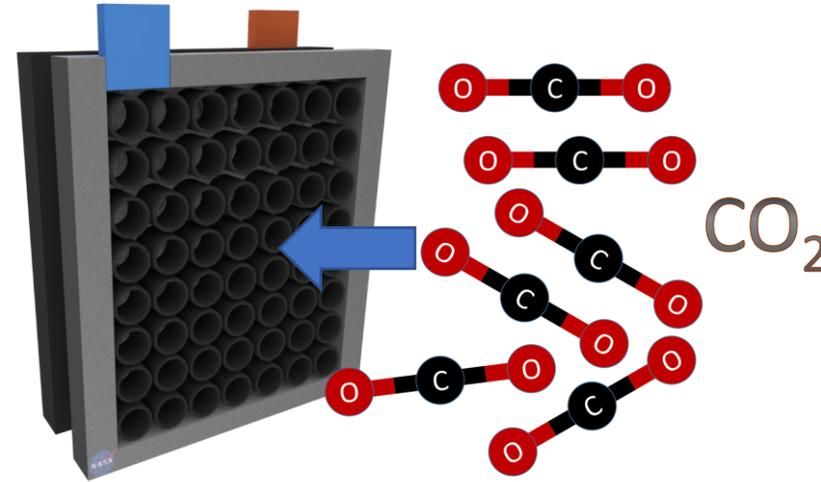
$$\eta_{\text{Li}_2\text{O}_2}(t) = \underline{R_{\text{Li}_2\text{O}_2}(t)} j_{dis} \epsilon_{\text{Li}_2\text{O}_2}(t)$$

$$R_{\text{Li}_2\text{O}_2}(t) = \rho_{\text{Li}_2\text{O}_2} r_{p,0} \left[\left(\frac{\epsilon_{\text{Li}_2\text{O}_2}(\tau) + 1}{1 - \frac{2}{3} \epsilon_{\text{Li}_2\text{O}_2}(\tau)} \right)^{\frac{1}{3}} - 1 \right]$$

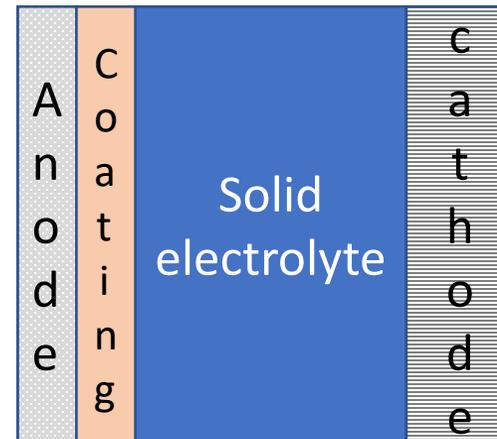


Developing Batteries for Space

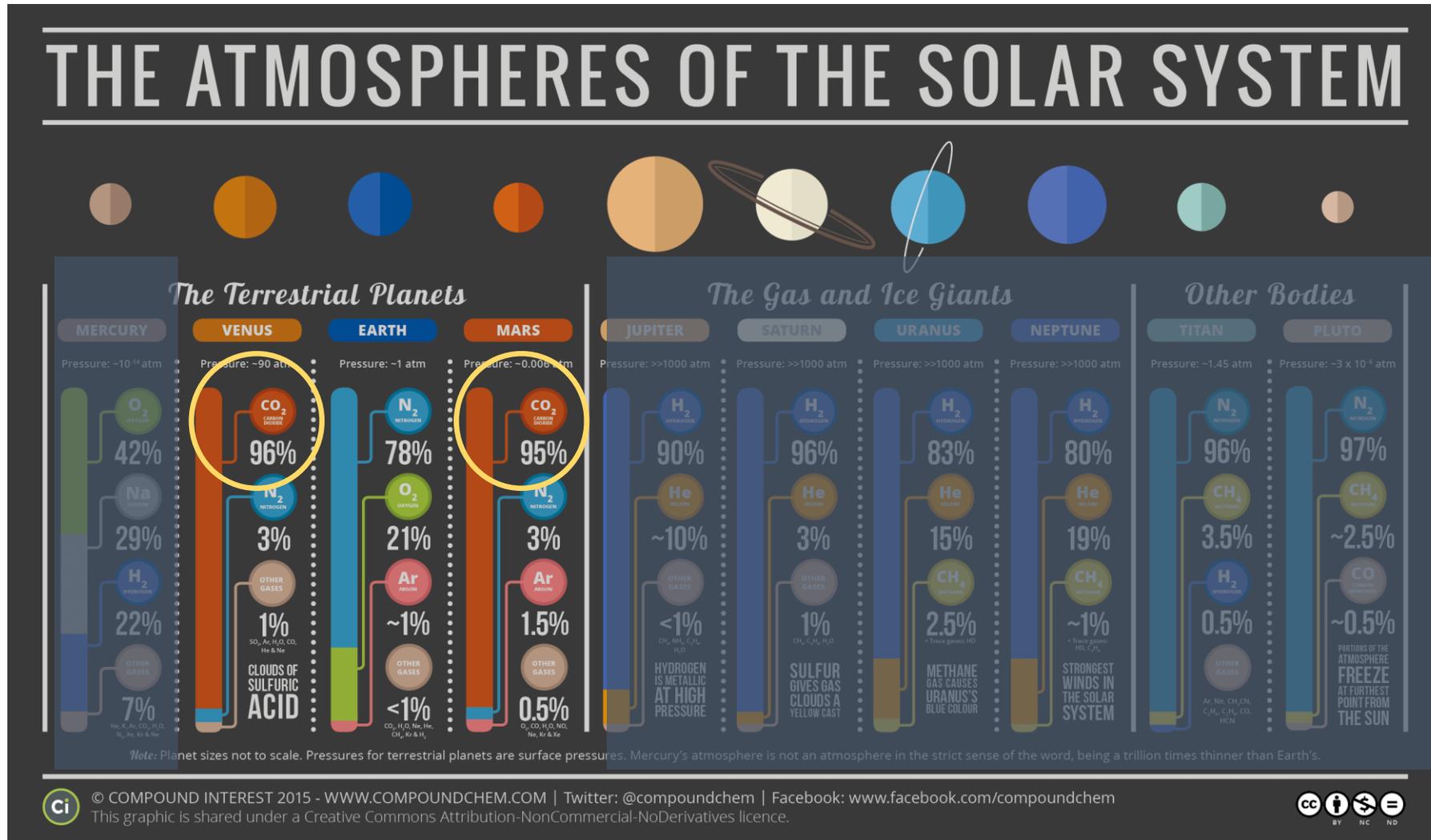
Li-CO₂ Battery:



Solvent-in-Salt Battery

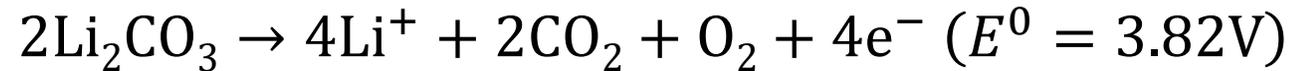


Solid-State Battery:

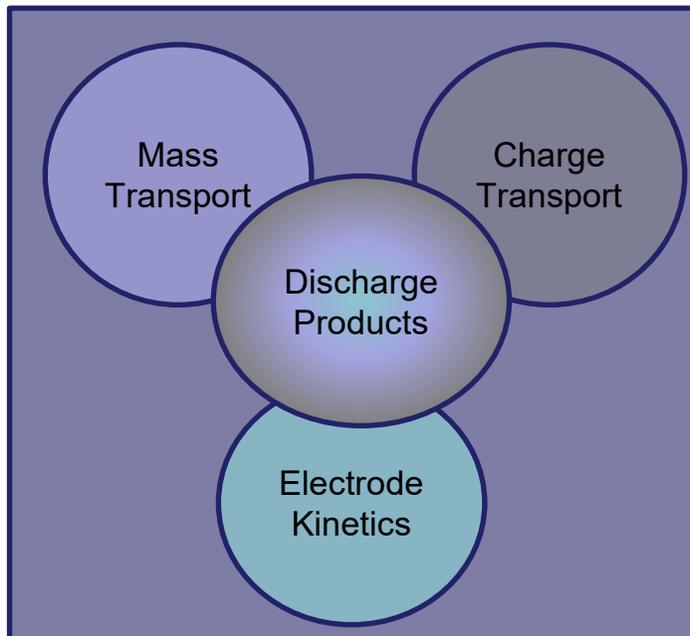


Utilizing Venus and Mars atmosphere

Li-CO₂ Battery:



Modeling Framework identical to Li-O₂



- OCV similar to Li-O₂ chemistry
- The reaction pathway changes below 1.89V
- Lithium carbonate is more insulating than Li₂O₂
- The kinetics are facile than Li-O₂

1. Batteries for Aviation

- Physics-based models can guide cell and pack designs for aviation batteries
- Optimal cell design changes based on discharge time, discharge current density, and operating conditions
- UQ provides insights into the evolution in probability distributions (Bayesian framework)

2. Batteries for Space

- Physics-based models for emerging chemistries need to be developed
- Models on Li-O₂ can be ported to simulate Li-CO₂ batteries for Mars and Venus
- Highly resistive microstructure or molten salt batteries can improve performance at low temperatures