

GlennICE 2.1 Capabilities and Results



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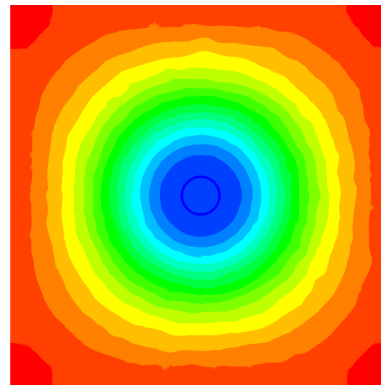


- GlennICE process
 - Flow solver inputs
 - Trajectory calculation and refinement
 - Heat transfer and augmentation
 - Surface water runback
- Results from 1st Ice Prediction Workshop
 - NACA 23012 (Case 252)
 - Swept NACA 0012 (Case 363)
- Conclusions

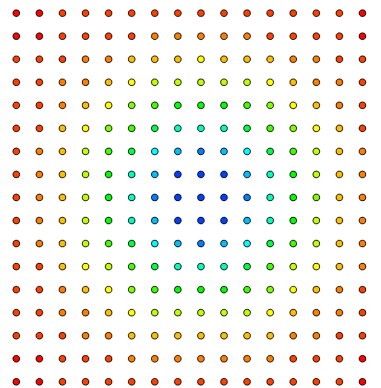
Adaptive Refinement Problem



- The minimum wall distance of each trajectory can be stored at the seed point that led to that trajectory.
- The seed points are co-planar, and therefore the computational problem being solved is now two-dimensional.
- The problem is a minimum search on a discretized two-dimensional data set.
- The sink behavior of the problem is leveraged in the minimum search.



The two-dimensional minimum wall distance solution.



Data available at a given iteration.

McClain Roughness



- $R_q = t_r 0.7(1 - C_p)\eta \left(0.34 + \Delta T_{oS}^{2/3} \exp \left[-\frac{\Delta T_{oS}}{2.25} \right] \right)$ (roughness)
- $t_r = \min \left[\frac{LWC * V_\infty * t * \beta}{\rho_{ice}}, t_{r,max} \right]$ ($t_{r,max}$ is user-defined)
- $htc_{augmented} = htc \left(1 + A \frac{R_q}{0.001} \right)$
- Since roughness is proportional to augmentation (A), A and $t_{r,max}$ are not independent parameters

Iteration for Roughness Augmentation



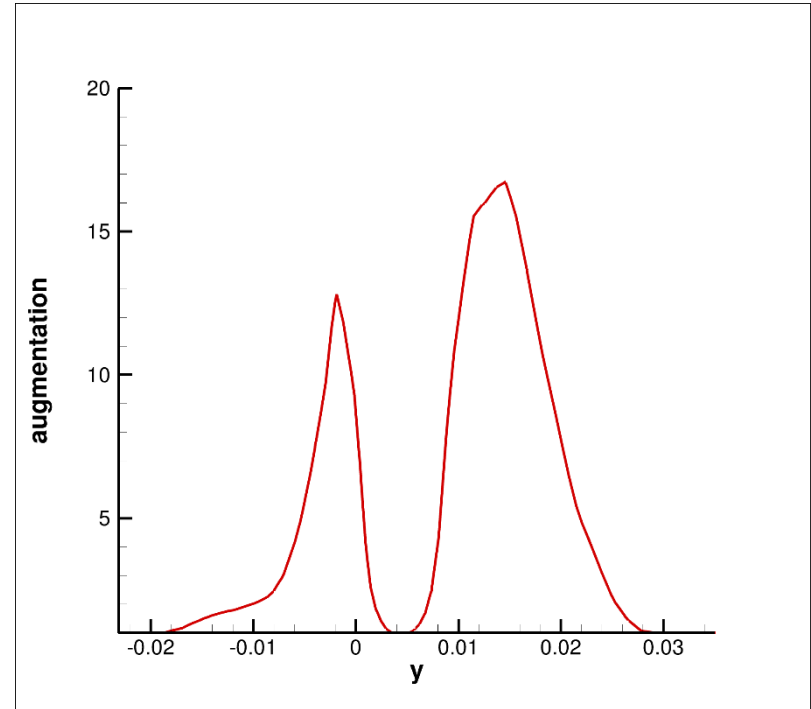
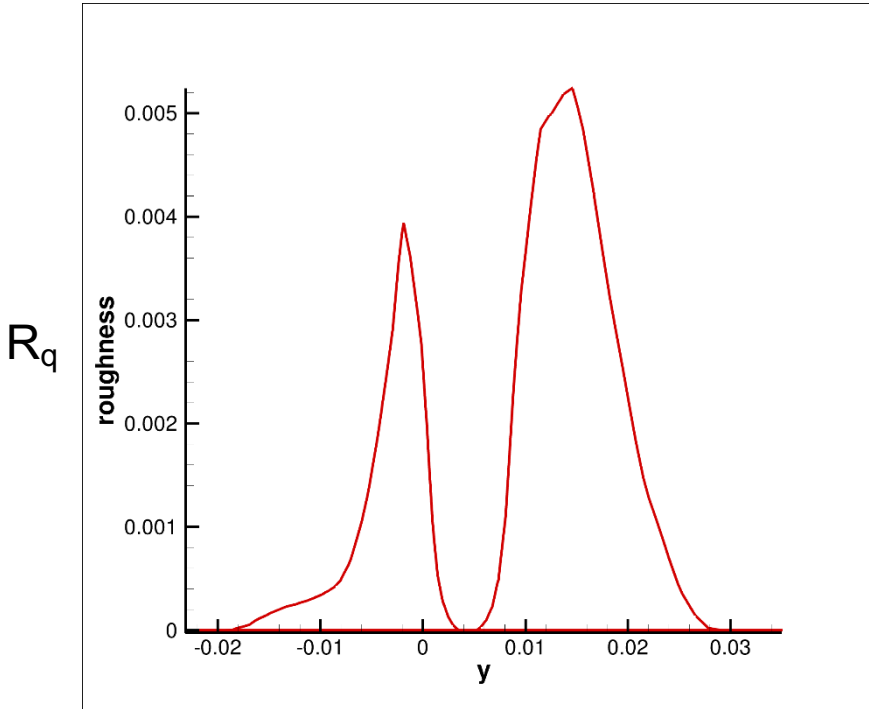
- Roughness depends on freezing fraction
- Freezing fraction depends on heat transfer coefficient
- Heat transfer coefficient depends on roughness

- Iteration is performed for convergence

Heat Transfer Augmentation



$$\text{Augmentation} = (1 + A \cdot R_q / 0.001)$$



Surface Water Runback

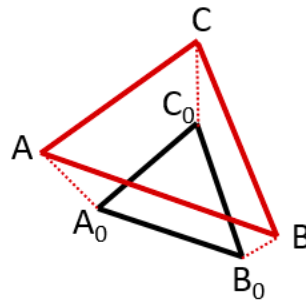
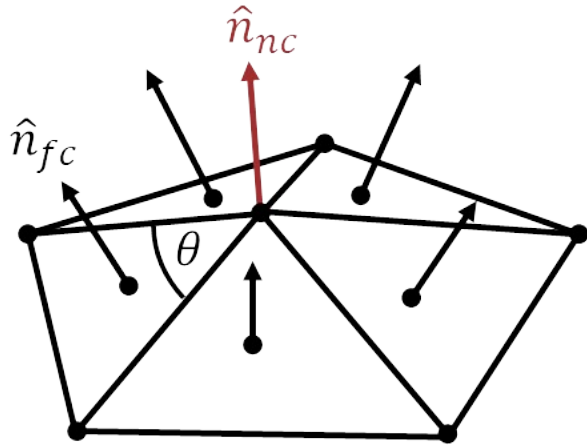


- Iteration 1 - energy balance performed on each face
 - Runback mass to next face computed
- Iteration 2 - water flows into face and freezes if there is enough left-over energy
- Iteration is continued until there is no more runback mass
- GlennICE iterates for roughness, then iterates for runback

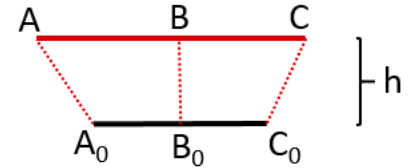
Ice Growth



- Surface is deflected normal to surface
- Cubic equation is solved at each face for ice height that conserves mass



Isometric View



Side View



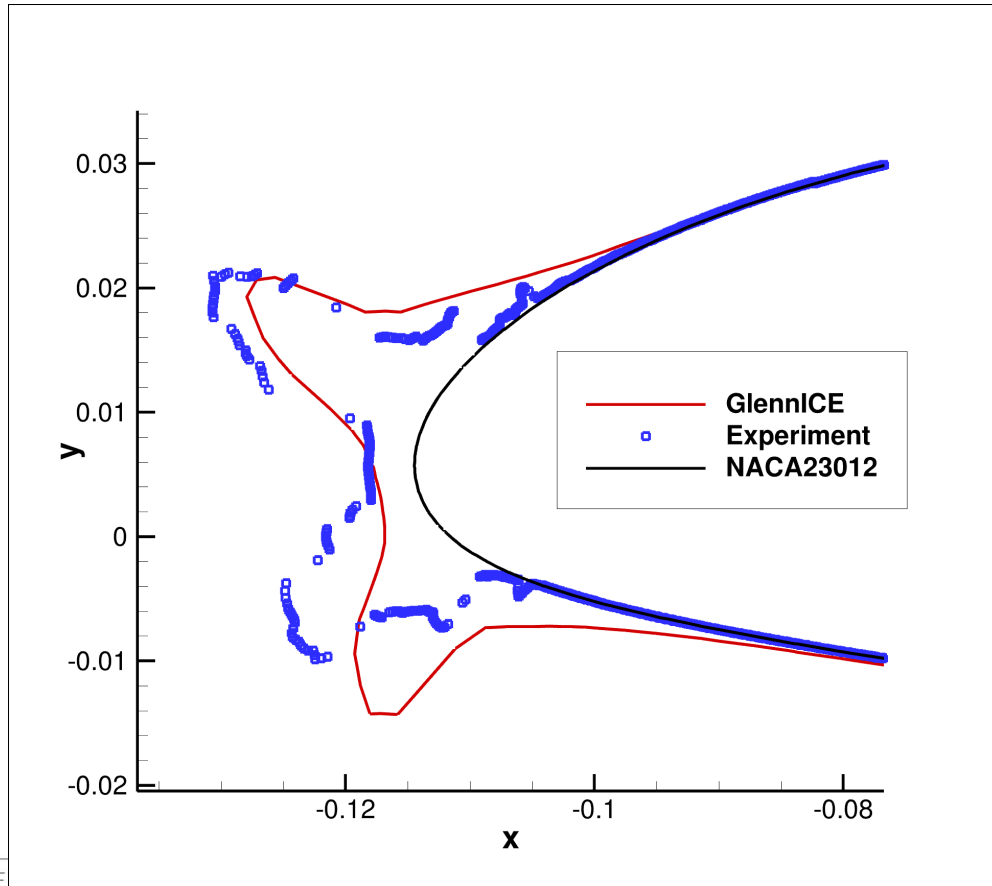
➤ Case 252

- NACA 23012 straight wing
- $V=103$ m/s, $AOA=2^\circ$, $T=260.7$ K, $LWC=1.63$ g/m³, $t=398$ s
- $MVD=21.5$ (bimodal distribution)

➤ Case 363

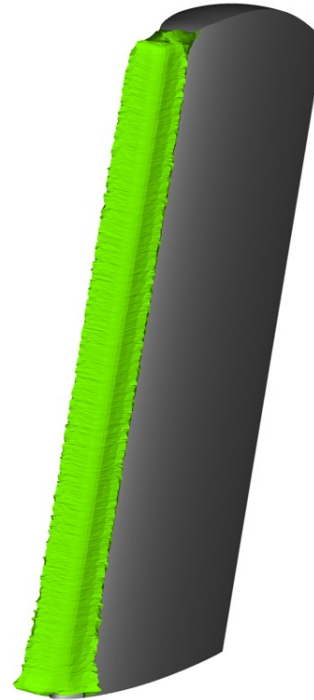
- NACA0012 wing 30° sweep
- $V=115$ m/s, $AOA=0^\circ$, $T=263$ K, $LWC=0.5$ g/m³, $t=1062$ s
- $MVD=20.5$ (7 bin distribution)
- Ice Density = 200 and 300 kg/m³
 - Experiment result is MCCS – Ice densities chosen to match

Case 252 (NACA23012)



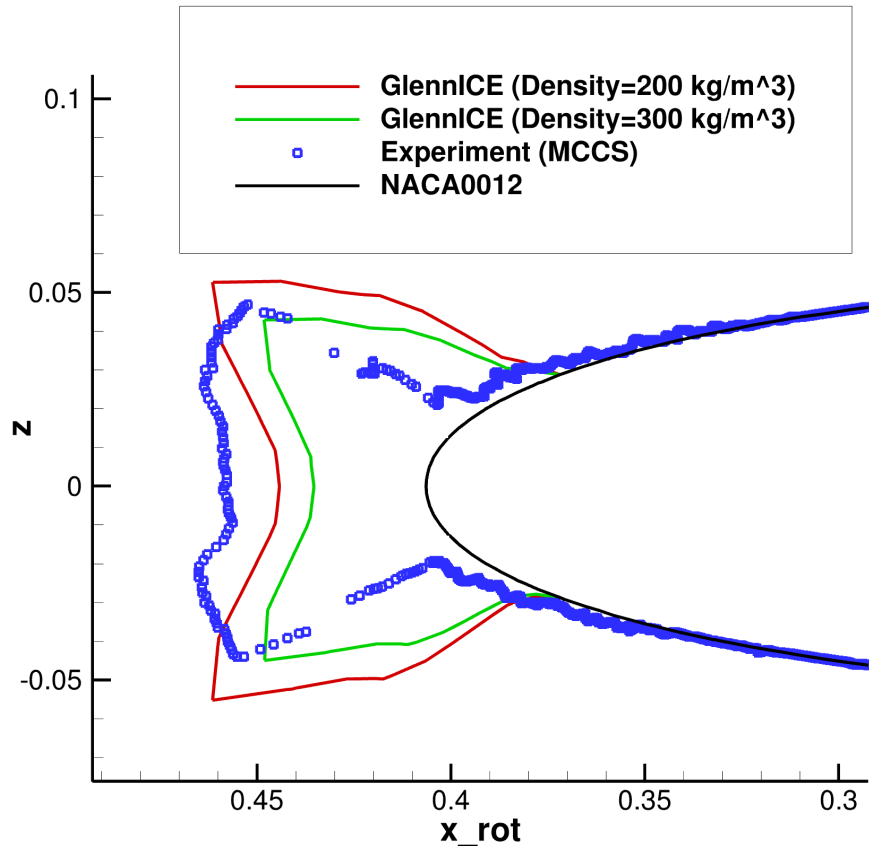
Case 363 Full Span View

Experiment



GlennICE
Ice Density =
 300 kg/m^3

Case 363 MCCA (Swept NACA0012)



Conclusions



- GlennICE produces full 3D iced geometries that could be remeshed
 - Robust method for finding particles that hit a surface
 - Heat transfer based on roughness
 - Water runback based on Shear Stress
- Results show good comparison to experiment
 - Improved void density model needed for scalloped ice shapes

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