



Feasibility and Performance Analysis of Magnetohydrodynamic Control for Aerocapture at Neptune

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- **Background and Motivation**
- **Physical Design**
 - Electromagnetic Configuration
 - Feasibility
- **Simulating MHD-Controlled Aerocapture**
 - Electrical Conductivity Model
 - MHD Force Model
 - Ion Slip and its Implications
- **Results**
 - Nominal MHD Control Parameters
 - Heat Load Comparisons
- **Conclusions**



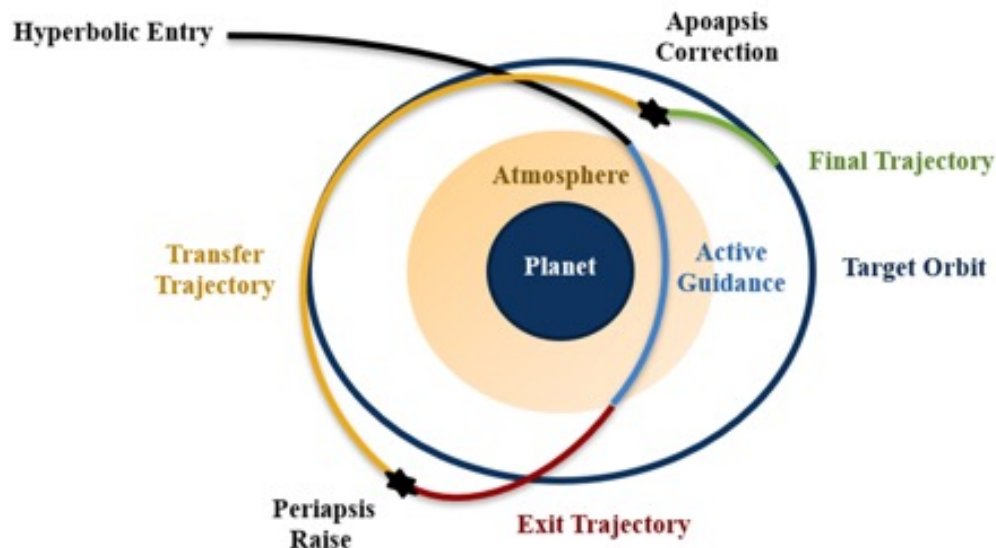
➤ What is **aerocapture**?

- Aerocapture is the use of a planet's atmosphere to slow down and transfer into an orbit around the planet

➤ Why use aerocapture?

- Aerocapture reduces the ΔV required to reach a target orbit, which allows for less propellant and thus less mass
 - This is ideal and enabling for more massive missions or missions to outer planets

➤ How is aerocapture applied?





➤ Atmospheric Aerocapture

- Forms of control: **Direct force control (DFC)**, **bank angle modulation (BAM)**, and drag control
 - DFC adjusts both the angle of attack and the side slip angle to optimize towards some desired target orbit
 - BAM controls the bank angle to optimize the trajectory
 - Control authority changed indirectly by rolling and changing the vertical lift vector

➤ Simulating Atmospheric Aerocapture

- Trajectories are simulated through the **Program to Optimize Simulated Trajectories II (POST2)** using the **Fully Numerical Predictor-corrector Aerocapture Guidance (FNPAG)** algorithm.
 - FNPAG is an advanced tool used to actively optimize aerocapture maneuvers

➤ Limitation

- Atmospheric control requires robust thermal protection systems which increases spacecraft mass



Problem Statement



- Magnetohydrodynamic (MHD) control is theorized to have a unique advantage over its atmospheric counterpart because it can be activated much higher in the atmosphere.
 - **Higher atmospheric activation → Less required TPS mass → Farther and more massive missions!**
- This project serves to improve and justify last fall's MHD controlled aerocapture simulation in preparation for a NASA Innovative Advanced Concepts (NIAC) Phase II proposal and publication.

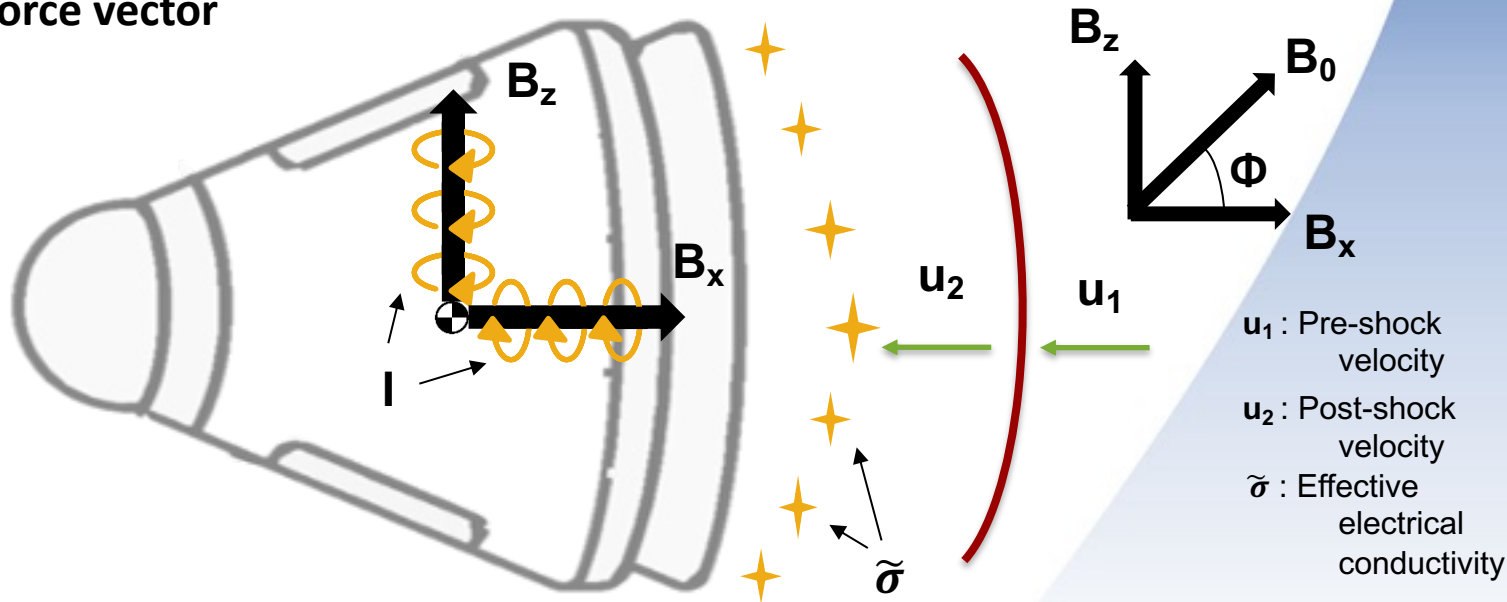


PHYSICAL DESIGN

- Hypersonic entry produces an ionized plasma surrounding the spacecraft
- The electromagnet configuration on the spacecraft interacts with the electrically conductive, σ , plasma to induce a Lorentz force (F_x, F_y, F_z)
 - The Lorentz force essentially acts as a lift and drag force on the spacecraft
 - For the purposes of this research, the electromagnets are configured at the center of gravity to ensure ballistic entry and capture with solely MHD control
- The current, I , can be increased or decreased to each electromagnet to change the magnetic field pitch angle (Φ), the corresponding magnetic field strength (B_x, B_y, B_z), and the resulting force vector

$$F_x \propto -\tilde{\sigma} u_2 B_z^2$$

$$F_z \propto \tilde{\sigma} u_2 B_z B_x$$





➤ Point design chosen for each electromagnet

- Wide range of designs are possible
- Aim to maximize magnetic field strength and electrical fusing time while minimizing mass and power
 - Electrical fusing time is the amount of time a wire can last before melting (under the assumption max current is running continuously)

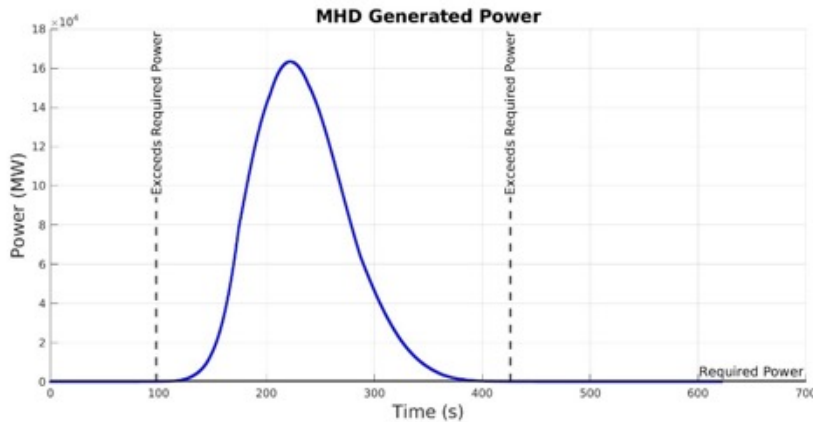
Design Parameter	Value
Coil Radius [m]	0.1
Material	Aluminum
Wire gauge [AWG]	6
Current [A]	130
Mass [kg]	36.23
Magnetic Field Strength [T]	1.508
Power Required [kW]	33.851
Fusing Time [s]	659.47

Is this feasible?

➤ MHD Power Generation

$$P_{MHD} = \frac{1}{4} * \tilde{\sigma} * u_2^2 * B_0^2$$

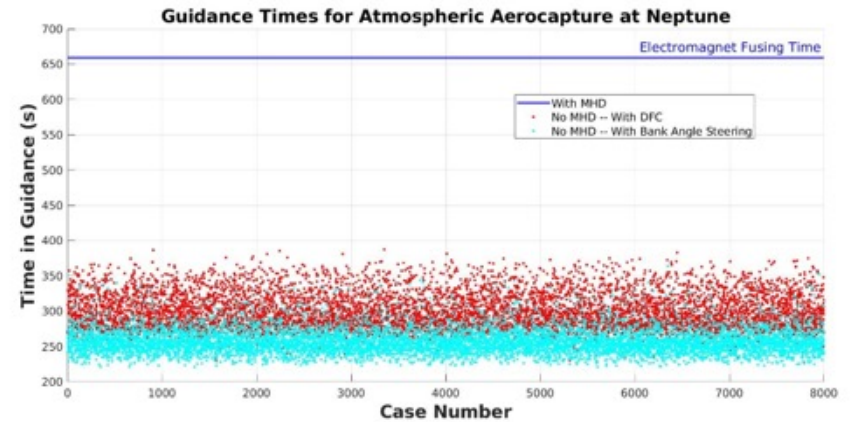
- $\tilde{\sigma}$ = Effective electrical conductivity
- u_2 = Post-shock local velocity
- B_0 = Magnetic field strength magnitude



➤ Electromagnet Fusing Time

$$t_{fuse} = 63005.83347 \left(\frac{A_w}{I} \right)^2$$

- Onderdonk's constant for Al = 63005.83347
- $A_w = 13.3 \text{ mm}^2$
- $I = 130 \text{ A}$



Proven feasibility with large margins



SIMULATING AEROCAPTURE



➤ Aerodynamic Aerocapture vs. MHD-Controlled Aerocapture

- Both use NASA Langley's POST2 in order to create high fidelity trajectory simulations to Neptune
 - Neptune was chosen due to its need for mission-enabling mass savings as well as its relatively dense atmosphere compared to other gas giants
- Same target orbit
- Same vehicle configuration, aerodynamic model, and aeroheating model
- Same planetary gravitational and atmospheric models
- Aerodynamic case makes use of vehicle aerodynamic angles, but the MHD case ensures ballistic entry to prove MHD capabilities alone

➤ Necessary requirements to get MHD-controlled aerocapture operational

- Electrical conductivity model
- MHD-induced Lorentz force model and integration



Electrical Conductivity Model



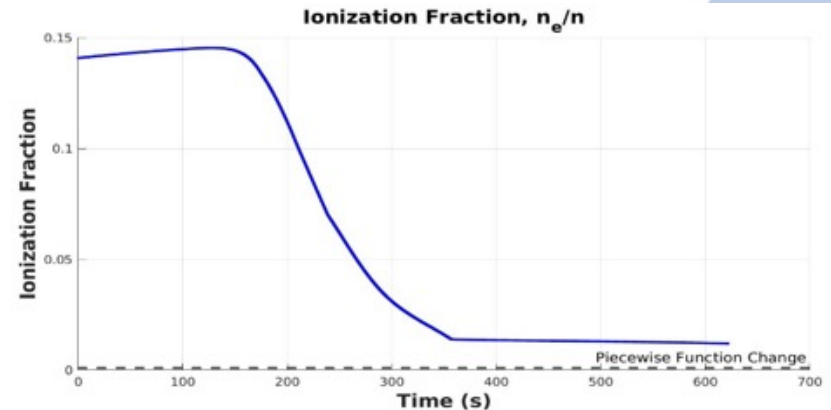
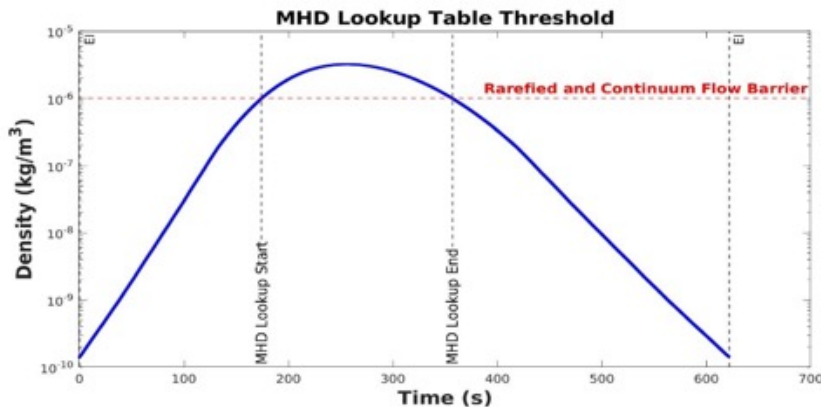
➤ Electrical Conductivity

$$\sigma = \begin{cases} 3 * 10^5 \left(\frac{n_e}{n}\right), & \frac{n_e}{n} \leq 10^{-3} \\ 2.147 * 10^{-3} (T_e)^{\frac{3}{2}}, & \frac{n_e}{n} > 10^{-3} \end{cases}$$

n : Gas number density
 n_e : Electron number density
 T_e : Electron temperature

➤ The electron number density, gas number density, and electron temperatures are defined in a multivariable lookup table within the following bounds:

- $10^{-6} \text{ kg/m}^3 < \text{Atmospheric density} < 10^{-3} \text{ kg/m}^3$
 - LAURA only provides values within the continuum flow regime
 - Values in the free-molecular or rarefied flow regime are logarithmically extrapolated
- $16 \text{ km/s} < \text{Atmospheric velocity} < 32 \text{ km/s}$





➤ Ion slip occurs when the ions and electrons begin to slow down against the bulk neutral gas

- This is a common occurrence at larger velocities and is important to consider during hypersonic entry
- Ion slip makes electron and ion behavior less uniform and reduces the performance of MHD control

$$\tilde{\sigma} = \frac{\sigma}{1 + \mu_i * \mu_e * |\vec{B}_0|^2}$$

$$\mu_i = \frac{1}{2} * \frac{2}{(N_n^{-1} * 2.2 * 10^{10} * (m_i * T)^{-0.5})^{-1} + (14.3 * m_i^{-0.5} * T^{1.5} * N_i^{-1})^{-1}}$$

$$\mu_e = \frac{1}{2} * \frac{2}{(N_n^{-1} * 3.74 * 10^{19} * e^{33.5 * (\ln(T_e))^{-0.5}})^{-1} + (N_i^{-1} * 9.5 * 10^{16} * T_e^{1.5} * (\ln(\Lambda))^{-1})^{-1}}$$

- | | | |
|---|--------------------------------|------------------------------|
| • $\tilde{\sigma}$: Effective conductivity with ion slip | μ_i : Ion mobility | μ_e : Electron mobility |
| • $\ln(\Lambda)$: Coulomb's logarithm | T_2 : Post-shock temperature | T_e : Electron temperature |
| • N_n : Neutral species number density | N_i : Ion number density | m_i : Ion mass |

➤ MHD-induced Lorentz Force Equations

$$F_x = -(1 - K)\sigma u_2 B_z^2 A_{patch}$$

$$F_z = (1 - K)\sigma u_2 B_z B_x A_{patch}$$

$$A_{patch} = \pi r_c^2$$

$$B_x = B_0 \cos(\phi)$$

$$B_z = B_0 \sin(\phi)$$

$$B_0 = \frac{NI\mu_0}{2r_c}$$

K : Load factor

A_{patch} : MHD patch area

r_c : Coil radius

B_x : Magnetic field x-component

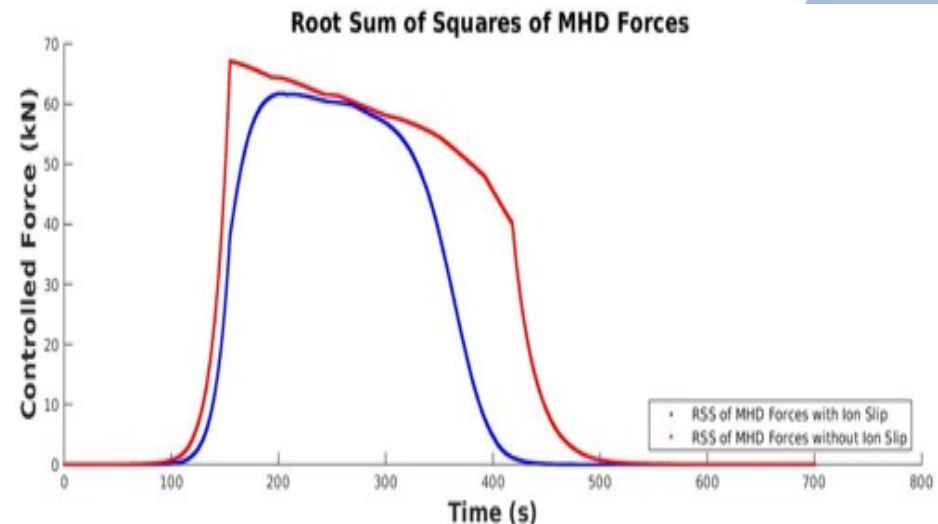
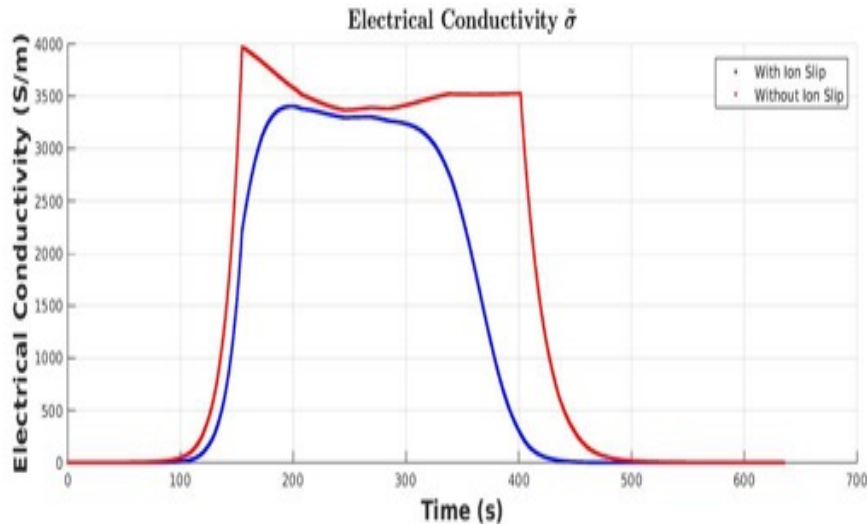
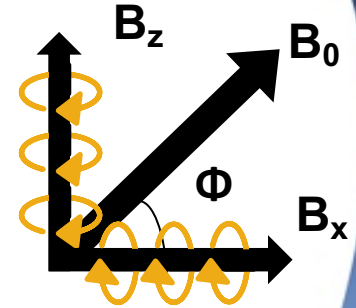
B_z : Magnetic field z-component

B₀ : Magnetic field magnitude

Φ : MHD pitch angle

N : Number of coils

μ₀ : Permeability of vacuum





RESULTS

➤ Set the MHD pitch angle to 90° maximize drag

- MHD Pitch Angle Φ : 90°
 - $I_z = 130$ A
 - $B_z = 1.306$ T

$$B_0 = B_z$$

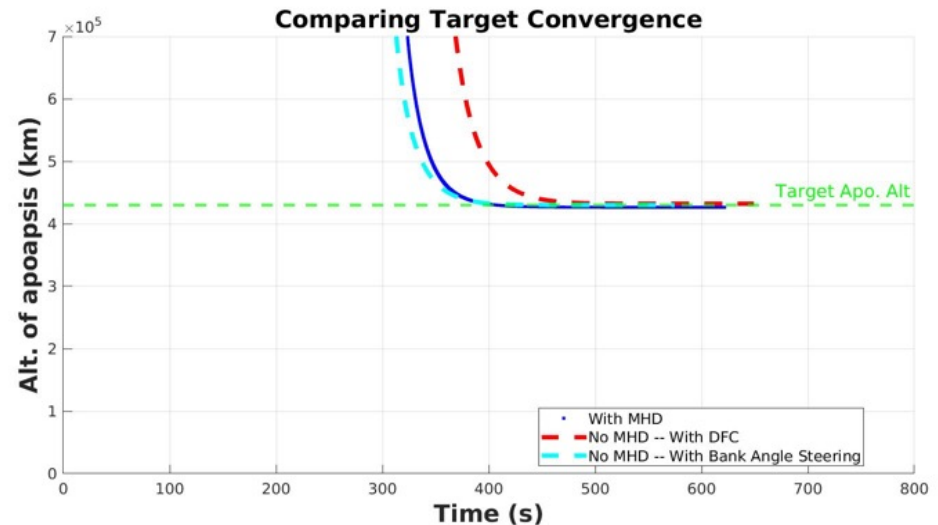
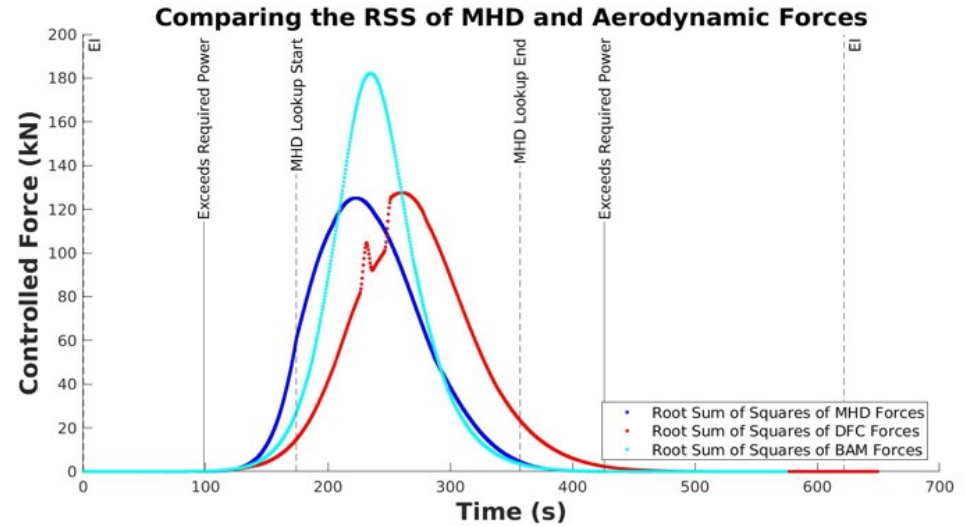


$$F_x \propto -\tilde{\sigma}u_2B_z^2$$

$$F_z \propto \tilde{\sigma}u_2B_zB_x$$

➤ Ensured ballistic entry vehicle to isolate the effect of MHD forces

- Angle of attack: 0°
- Side slip angle: 0°
- Bank angle: 0°
- C_L/C_D : 0





Comparing Heat Loads



Shallower entry flight path angle



Less deep atmospheric pass



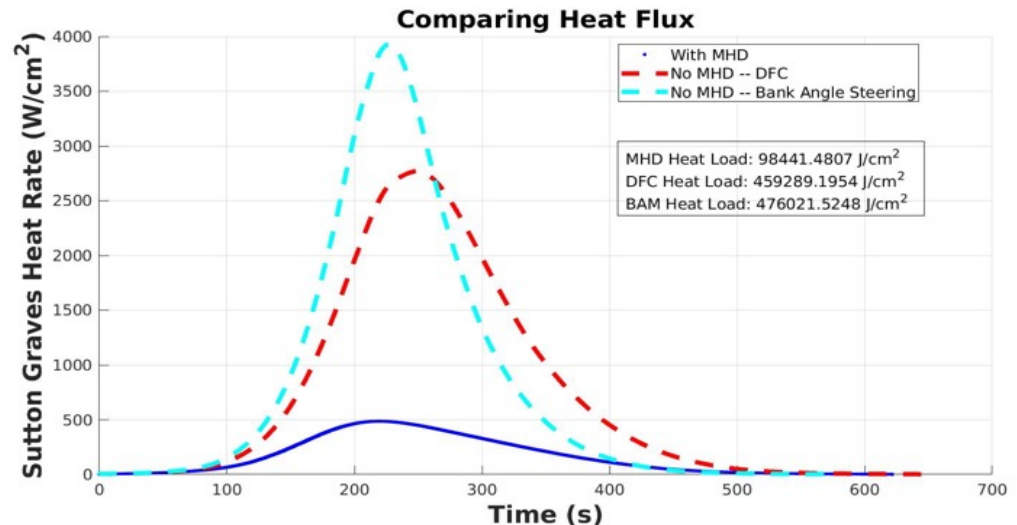
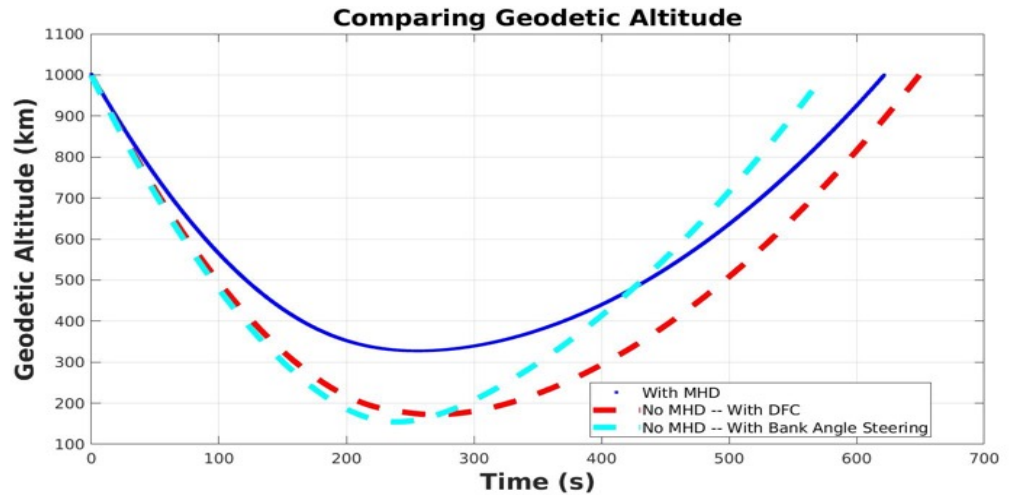
Significantly less heat load
(~80% reduction)



Reduced required TPS mass

Note: These mass savings are not indicative of the order of magnitude of every MHD controlled aerocapture case. This is a nominal case tuned to a specific electromagnet configuration – entry flight path angle found to be sensitive to each configuration. Future work will aim to test off-nominal cases to allow for a more robust comparison

	DFC	BAM	MHD
Entry Flight Path Angle (°)	-12.3550	-12.6870	-11.0427





Conclusions and Future Work



- **The current electromagnet configuration is feasible within a large margin for power and fusing time concerns**
- **Aerocapture with solely MHD control provides control authority on par with that of its atmospheric counterpart**
- **The nominal TPS mass savings when using MHD control show a potential for a unique advantage over atmospheric aerocapture**
 - These savings are extremely valuable for missions to outer planets and future manned flights
- **Ongoing effort to apply active closed-loop guidance throughout the spacecraft's flight and consider perturbations in off-nominal case studies.**
- **Future work can consider MHD control when the electromagnet configuration is not at the center of gravity and the magnetic field geometry is not uniform**



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- **Rohan Deshmukh for his help with implementing the guidance algorithms for each aerocapture simulation**
- **Sergey Macheret and Bernard Parent for their technical support with magnetohydrodynamics**

Thank you!



BACKUP SLIDES



➤ Neptune Target Orbit

- Chosen to allow for Titan flybys based on the 2004 Lockwood paper

Apoapsis Altitude [km]	Periapsis Altitude [km]	LAN (deg)	Inclination (deg)
430,000	3,986	330.829	153.547

➤ Vehicle and Planetary Parameters Simulated

Vehicle Mass [kg]	Vehicle Reference Area [m ²]	Aerodynamic Model	Sutton-Graves Aeroheating Constant	Atmospheric Model	Gravitational Model
2,200	1.749	MSL Aerodatabase	6.719e-5	Neptune GRAM 2004	Oblate J2