



The Coronal Veil

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Received 2021 June 22; revised 2021 November 15; accepted 2021 November 26; published 2022 March 2

Abstract

Coronal loops, seen in solar coronal images, are believed to represent emission from magnetic flux tubes with compact cross sections. We examine the 3D structure of plasma above an active region in a radiative magnetohydrodynamic simulation to locate volume counterparts for coronal loops. In many cases, a loop cannot be linked to an individual thin strand in the volume. While many thin loops are present in the synthetic images, the bright structures in the volume are fewer and of complex shape. We demonstrate that this complexity can form impressions of thin bright loops, even in the absence of thin bright plasma strands. We demonstrate the difficulty of discerning from observations whether a particular loop corresponds to a strand in the volume, or a projection artifact. We demonstrate how apparently isolated loops could deceive observers, even when observations from multiple viewing angles are available. While we base our analysis on a simulation, the main findings are independent from a particular simulation setup and illustrate the intrinsic complexity involved in interpreting observations resulting from line-of-sight integration in an optically thin plasma. We propose alternative interpretation for strands seen in Extreme Ultraviolet images of the corona. The “coronal veil” hypothesis is mathematically more generic, and naturally explains properties of loops that are difficult to address otherwise—such as their constant cross section and anomalously high density scale height. We challenge the paradigm of coronal loops as thin magnetic flux tubes, offering new understanding of solar corona, and by extension, of other magnetically confined bright hot plasmas.

Unified Astronomy Thesaurus concepts: [Magnetohydrodynamics \(1964\)](#); [Solar corona \(1483\)](#); [Solar coronal heating \(1989\)](#); [Solar coronal loops \(1485\)](#); [Radiative magnetohydrodynamics \(2009\)](#); [Solar active regions \(1974\)](#); [Solar atmosphere \(1477\)](#); [Solar magnetic fields \(1503\)](#); [Solar physics \(1476\)](#); [Solar ultraviolet emission \(1533\)](#); [Solar extreme ultraviolet emission \(1493\)](#); [Extreme ultraviolet astronomy \(2170\)](#)

Supporting material: animation

1. Introduction

Coronal loops are thin emitting strands seen in the solar atmosphere (called corona), which are most often observed in x-rays and in extreme ultraviolet (EUV), suggesting the plasma in them is heated to millions of degrees. They generally appear as curved strands, tens to hundreds of megameters (Mm) long, with major diameters hundreds to thousands of kilometers; bundles of loops are often seen connecting pairs of sunspots with opposite polarity of magnetic field at the solar surface (Reale 2010).

Loops are usually associated with thin magnetic flux tubes, as they seem to take shapes anticipated for magnetic field lines, both in the large-scale corona (Schrijver et al. 2010) and in cores of active regions (Wiegmann & Sakurai 2012). This resemblance in shape usually allows researchers to interpret coronal loops as plane-of-sky (POS) projections of thin magnetic flux tubes that are filled with plasma with different properties (e.g., hotter/cooler/denser) than plasma in the surrounding corona. The region between these thin flux tubes is also filled with magnetic field, but the plasma in it is fainter because it has a lower density and/or different temperature to which the observations are less sensitive. The physical

mechanisms that are responsible for heating and mass input into the corona is still a topic of active research (Klimchuk 2015). However, once heat is produced, it is conducted along the magnetic field much more efficiently than across it (Ireland et al. 1992), and once plasma is injected into the corona, it is normally bound to move along the magnetic field lines (so-called “frozen-in” condition, common in astrophysical plasmas, e.g., Priest & Forbes 2000; Longcope 2005).

While coronal loops themselves have been known since the 1960s, some of their observed properties remain challenging to explain. First, active region (AR) coronal loops exhibit scale heights much taller than expected from gravitational scale height calculations (e.g., Doyle et al. 1985; Aschwanden et al. 2000; Winebarger et al. 2003; Lopez Fuentes et al. 2006). Observed flows (e.g., Fredvik et al. 2002; Ugarte-Urra et al. 2009) are not sufficient to support the plasma at such heights via ballistic or siphon momentum transfer (DeForest 2007). Waves have been observed with many different instruments (e.g., Winebarger et al. 2003, and references therein), but they do not provide sufficient wave pressure to support the material. This leaves the question of why the observed scale height is so much higher than the inferred one.

Second, coronal loops appear to lack expected visual expansion with height, as the confining magnetic field weakens with altitude on average in the corona. This observation extends through every EUV imager to date, from Skylab’s SO82A “Overlappograph” (Tousey et al. 1977; Feldman 1987)



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to current instruments such as SDO/AIA (Lemen et al. 2012) and the Hi-C rocket (Kobayashi et al. 2014). The fixed minimum apparent width varies by instrument (DeForest 2007) but has been shown to be “real” in the sense it is present in the data (Lopez Fuentes et al. 2006; López Fuentes et al. 2008). The behavior appears consistent with unresolved isotropic or resolved anisotropic tapering in confined loop structures (DeForest 2007; Malanushenko & Schrijver 2013; Peter 2013; Chastain & Schmelz 2017) and has been used to explain loop scale heights (Martens 2010; Scott et al. 2012). However, a separate line of work (e.g., Brooks et al. 2012; Aschwanden et al. 2013; Dudík et al. 2014) has developed, under the hypothesis that the physical structures in the corona are resolved and therefore reflect the actual coronal geometry.

Malanushenko & Schrijver (2013) have pointed out that anisotropic expansion of magnetic flux tubes may lead to a selection bias: should loops be tapered structures, those that expand along the line of sight (and consequently appear brighter and thinner) would predominantly be selected for analysis. This work was followed by several studies aimed to confirm or reject this hypothesis observationally using various techniques to gather loops’ aspect ratios (Kucera et al. 2019; Klimchuk & DeForest 2020; McCarthy et al. 2021). All three works reported mixed results. Kucera et al. (2019) is the first of this kind and highlights the techniques and challenges of this analysis. They found that, for two loops, the hypothesis of anisotropic expansion could not be confirmed or ruled out; they concluded that the results were largely consistent with nonexpanding or weakly expanding loops. Further, Klimchuk & DeForest (2020) looked at loops observed in 193 Å by Hi-C and examined, along each loop, its peak intensity versus standard deviation width, after background subtraction. For a tapered structure of constant intensity that is twisting about its axis, there would be a negative correlation between these two quantities. Klimchuk & DeForest (2020) found that, out of 22 loops, four were consistent with a negative correlation, 11 loops were consistent with a positive correlation, and seven exhibited no significant correlation between width and intensity. McCarthy et al. (2021) looked at an AR system observed in 171 Å in quadrature by AIA and STEREO. They found that, for 151 loops observed by AIA that could be fit to magnetic field lines, about 70% had possible counterparts in STEREO observations. For each loop for which in-depth analysis was feasible, two correlations were studied: (a) between diameters as observed from two viewing angles, as well as (b) between diameter and intensity observed in the same viewing angle. They found that, out of 13 loops suitable for the analysis: four were consistent with elliptical cross sections in the sense that both (a) and (b) correlations were negative; four exhibited positive (a) and (b) correlations, which is consistent with a circular cross section more so than with an elliptical one; and five exhibited mixed behavior. It is worth noting that Klimchuk & DeForest (2020) were focused on starting segments or short loops in a large AR with complex structure, while McCarthy et al. (2021) studied near-full-arches in dipolar ARs, so the lengths of studied loops and the AR configuration were significantly different (McCarthy et al. 2021).

In the present work, we explore a hypothesis different from all of the above: that the individual structures are in fact *bundles* of coronal loops; they might be extended and complex structures, manifesting as diffuse emission with an overlay of apparently constant-width, large scale-height loops, and that

individual loops only appear to be compact monolithic structures but many are in fact projection artifacts. While it is not currently possible to sample the corona in 3D directly, ab initio numerical simulations have developed sufficiently to explore realistic coronal loop systems and determine whether this geometric hypothesis is plausible.

We note that the concept of thin veil-like sheets that are responsible for apparent strand-like compact features is not new, per se, in astrophysics. For example, Hester (1987) described filamentary remnants of a supernova such as the Cygnus Loop and IC 443, and argued that the observed structure is best explained as optical artifacts from a corrugated veil-like surface, as opposed to a set of rope-like or cloud-like structures. For another example, some solar polar plumes are consistent with projections of curtain-like structures (e.g., Wang & Sheeley 1995; Gabriel et al. 2003, 2009). Further, Koutchmy et al. (2001) studied a reconstruction of a global coronal field and concluded that the helmet structures observed in the global corona are consistent with folds in a surface of the reversal of radial field. In solar physics of smaller scales, Judge et al. (2011) proposed a sheet-like interpretation for solar spicules that can explain their apparent supersonic velocities. Finally, Howard et al. (2017) have argued that a three-part structure of CMEs can be explained as a optical artifact, produced by caustics at the edges of a thin hollow sheet around a kinking flux rope.

The further paper is organized as follows. In Section 2, we describe and present 3D simulations of AR loop system performed with a new version of the radiative magnetohydrodynamic simulator “MURaM,” which produces realistic magnetoconvection and has recently been extended to allow simulation of the corona (Rempel 2017). The simulations include full forward modeling of optically thin coronal EUV emission including detection by a simulated instrument; we qualitatively show that the simulations reproduce the generic behavior of active region loops on the Sun. This behavior includes the apparent tall scale height and apparent constant-width features, as well as other puzzling aspects, such as difficulty of end-to-end loop tracing, that have been hard to reproduce with models of loops as confined structures.

In Sections 3–6, we explore the simulation in more detail, including case studies of particular features as seen through the simulated instrument and in cross sections of the simulation data volume. We show (A) that although the simulated instrument observes fine-scale apparently confined structures in the image plane, there are often no corresponding fine-scale fully confined (compact) structures in the cross section; (B) that in the data cubes shown in the paper, there is often little correspondence between the brightest structures in the simulated corona and the bright fine structures in the simulated observation; (C) that the bright structures appear to be aligned along magnetic field lines; and (D) while quantitative statistics of loops’ volumetric counterparts is outside of scope of this study, we nonetheless demonstrate in the Appendix that many of the bright fine structures in the simulated observation correspond to areas of near tangency between the line of sight and extended veil-like manifolds. In Section 7, we discuss difficulties arising when trying to apply stereoscopic techniques to veil-like manifolds.

In Section 8, we summarize our findings, and in Section 9, we discuss their generality and their robustness in light of current understanding of active region loops. We suggest that

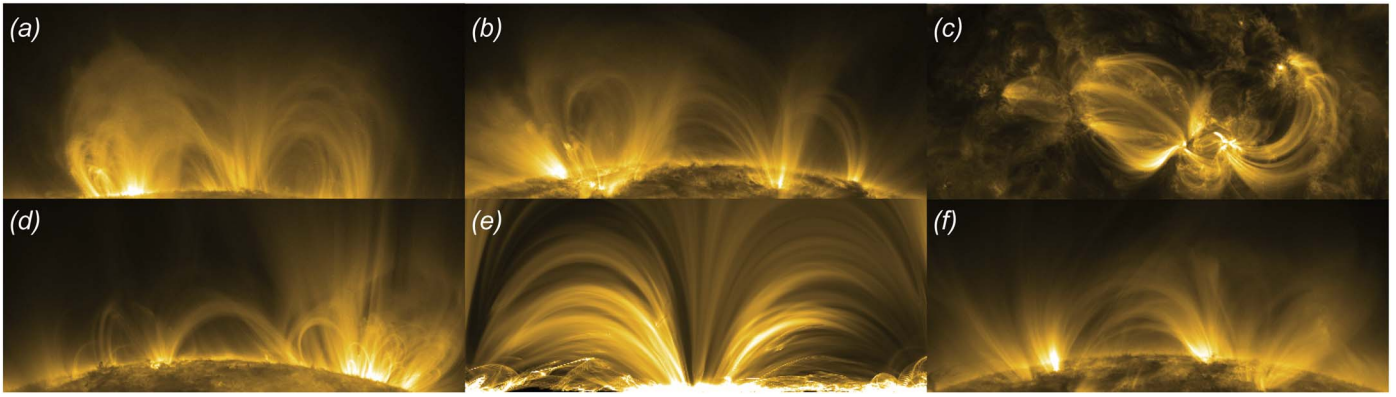


Figure 1. Extreme ultraviolet (EUV) images of five coronal active regions in 171 Å, as seen by AIA (panels (a)–(d) and (f)), are arrayed around the synthetic observation analyzed in this paper (panel (e)). The images are false-color and the color scale has increments proportional to the root of intensity. Each image is drawn in a different intensity range, chosen to highlight the relevant features in that image. The fields of view also vary, chosen for each image individually to present a particular relevant example structure. Note that we selected regions with loop bundles oriented in such a way that roughly matches the viewing angle of the simulation in panel (e).

the complex cross section described in Section 6 (the “veil”) is more mathematically general than that of thin monolithic loops considered in most work to date, and infer that it is therefore plausible as an explanation for the currently observed characteristics for coronal loops. We note that, since it may be difficult to tell observationally whether a particular observed structure is a veil or a bundle of strands, the former must be ruled out if measurements that assume the latter are to be made.

In Section 10, we summarize our conclusions and their importance for the current understanding of coronal loops, including geometric structure, plasma characteristics, and potential heating mechanisms.

2. Methodology

For this work, we used the MuRaM MHD simulation code (Section 2.1) with a forward emission and instrument model (Section 2.2) to compare the “ground truth” of a particular simulated solar corona to a simulated instrument output when that corona is observed remotely. The forward-modeled results permit plausibility checks by direct comparison to data from real solar instrumentation.

2.1. MHD Simulation

In this work, we use simulations of an active region created with the MURaM code. MURaM is a 3D radiative MHD code (Vögler et al. 2005) that has recently been extended into the corona by Rempel (2017). The code solves the single-fluid MHD equations in a domain ranging from the upper convection zone into the lower corona. The equation of state considers equilibrium ionization for a solar element mixture through a combination of OPAL (Rogers et al. 1996) in the convection zone and the Uppsala Opacity Package (Gustafsson et al. 1975) in the chromosphere and corona. The energy equation accounts for radiative heating and cooling, which are computed in the photosphere and chromosphere through a full 3D radiation treatment assuming local thermal equilibrium and in the corona through optically thin loss function based on CHIANTI (Landi et al. 2012). In the corona, the code additionally considers magnetic-field-aligned Spitzer heat conduction. The numerical treatment of the latter is based on the hyperbolic approach detailed in Rempel (2017) that prevents severe time-step constraints in a fully explicit treatment by filtering out

unphysical transport velocities in regions with high coronal temperatures. Furthermore, the Boris correction (Gombosi et al. 2002; Rempel 2017) is used to artificially limit Alfvén velocities and prevent severe time-step constraints. Within the context of these simulations the corona is self-maintained. Magneto-convection in the photosphere does lead to an upward-directed Poynting flux that maintains a corona at a temperature of 1–2 MK through a combination of numerical viscous and resistive heating. The side boundaries are periodic, and the top boundary is open to mass flow but is set to dampen the vertical flows and to have zero Poynting flux (for more details, see Rempel 2017).

In particular, we examine the simulation featured in Cheung et al. (2019) of a flux emergence near a pre-existing magnetic dipole. Cheung et al. (2019) reported a C-class flare associated with magnetic reconnection between the two dipoles, and demonstrated a wealth of phenomena commonly observed in flares.

In Figures 1 and 2, we compare synthesized observations from this simulation with real data (we explain how they were synthesized further in Section 2.2). As this is an ab initio simulation, there is no single active region to compare it to (although the general configuration of the dipoles has been inspired by an active region NOAA 12017, observed in 2014 March–April, only its general properties are used, such as presence of parasitic flux emergence near one of the existing polarities). We therefore choose to not compare the synthetic data to one observation, but rather show them in context of many active regions. Our aim is to give readers a feel of how EUV observations of active region coronae may appear, in a particular SDO/AIA wavelength channel.

We note that active regions are small compared to the Sun, and we adopt local Cartesian coordinates, with x and y being local horizontal directions (E/W and N/S, respectively) and z being vertical, as in Figure 3. The line-of-sight (LOS) direction is usually $\hat{y}$. This coordinate system is used throughout the following sections. We stress this definition now, as many of the further figures include complex 3D views, panels, slices, and LOS integrals, and the common coordinate system helps understand their spatial relationship.

The simulation domain spans $98.304 \times 49.152 \times 49.152$ Mm with a uniform grid spacing of $192 \times 192 \times 64$ km. In the vertical direction, the domain spans from about 7.5 Mm beneath the photosphere to 42 Mm into the corona. We focus here on a

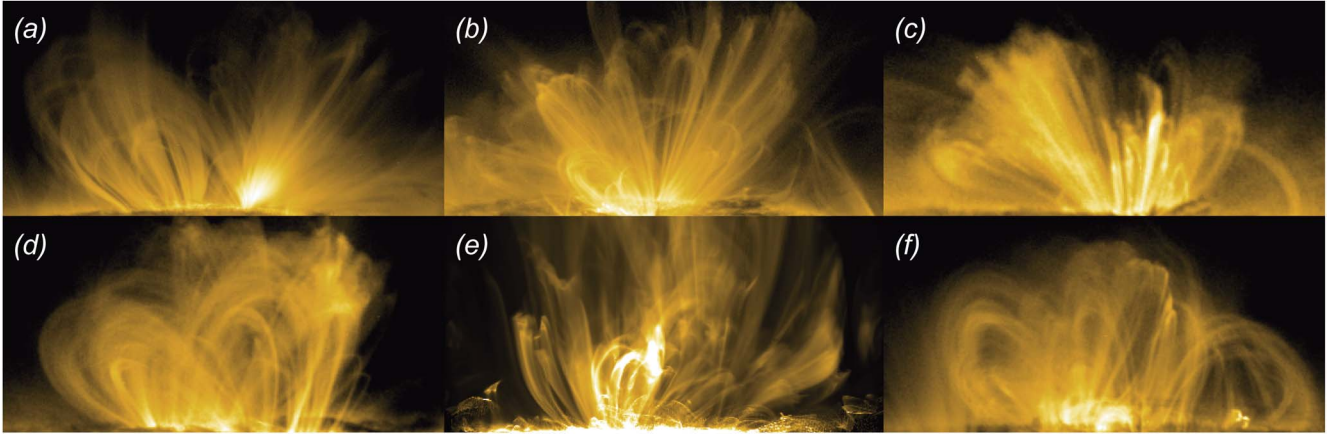


Figure 2. The same as Figure 1, but with a set of different ARs viewed from the limb (panels (a)–(d) and (f)) around the synthetic observation (panel (e)) rotated to roughly 70° with respect to the viewing angle in Figure 1.

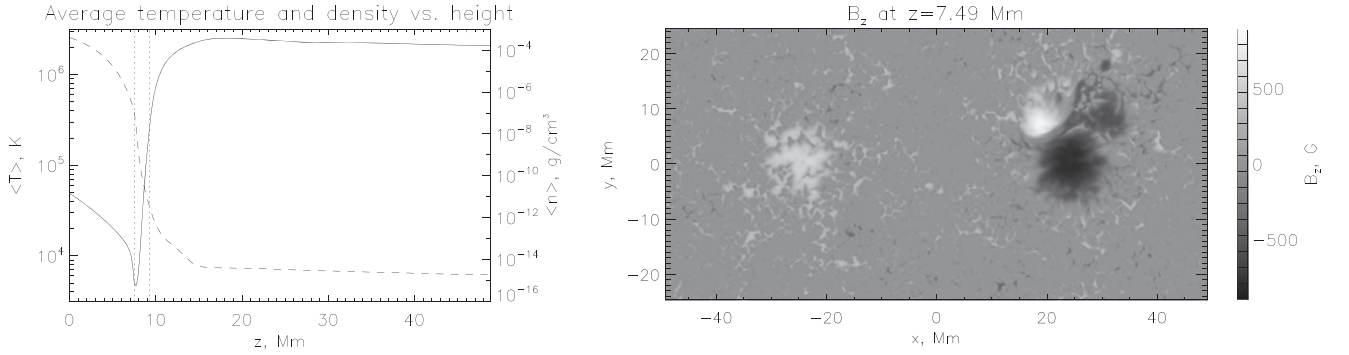


Figure 3. Left panel: temperature (solid line) and density (dashed line) averaged over horizontal slices; two vertical lines indicate approximate location of the photosphere and the location of the base of the subvolume that we further study. Right panel: B_z at a horizontal slice that approximately corresponds to photosphere.

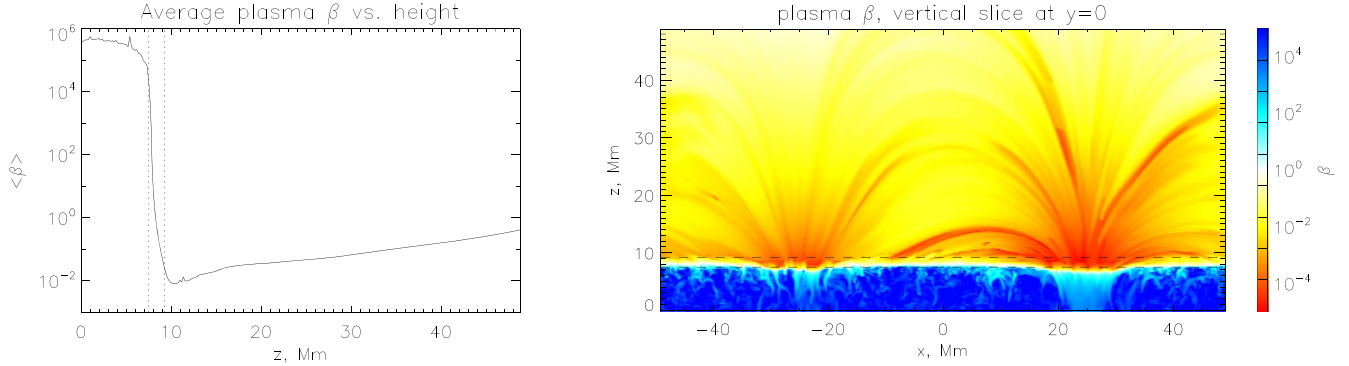


Figure 4. Left panel: plasma β averaged over horizontal slices; the vertical lines are as in Figure 3, left panel. Right panel: β at a vertical slice.

snapshot from this simulation prior to the occurrence of the C-flare. The coronal magnetic field is a combination of a mostly potential active region with a newly emerged strongly twisted dipole near one of the sunspots. Figures 3 and 4 give a brief introduction to the volume: horizontal averages of density, temperature and plasma β , a horizontal slice of B_z at an approximately photospheric location ($z \approx 7.49$ Mm), and also a vertical slice of plasma β at the middle ($y = 0$) of the domain. We further focus on the coronal portion of the volume, $z \geq 9.2$ Mm.

2.2. Synthesizing Emission

We synthesize the emission using the CHIANTI database of atomic parameters (Landi et al. 2012) and SDO/AIA

instrument response functions (Boerner et al. 2012). The intensity of the light, as registered by a particular instrument, emitted by locally isothermal plasma at a given location (we will further refer to it as *volumetric emissivity*) in a given wavelength λ is proportional to

$$\epsilon(\mathbf{r}, \lambda) = n^2(\mathbf{r})R(\lambda, T(\mathbf{r})), \quad (1)$$

where $n(\mathbf{r})$ is plasma density, $T(\mathbf{r})$ is its temperature, and $R(\lambda, T)$ is the temperature-response function, which includes both the atomic physics model and the response of a given instrument in a given wavelength. Further, in optically thin plasmas, $\epsilon(\mathbf{r})$ must be integrated along the LOS in order to obtain the observed intensity. Assuming $\hat{\mathbf{y}}$ to be a LOS

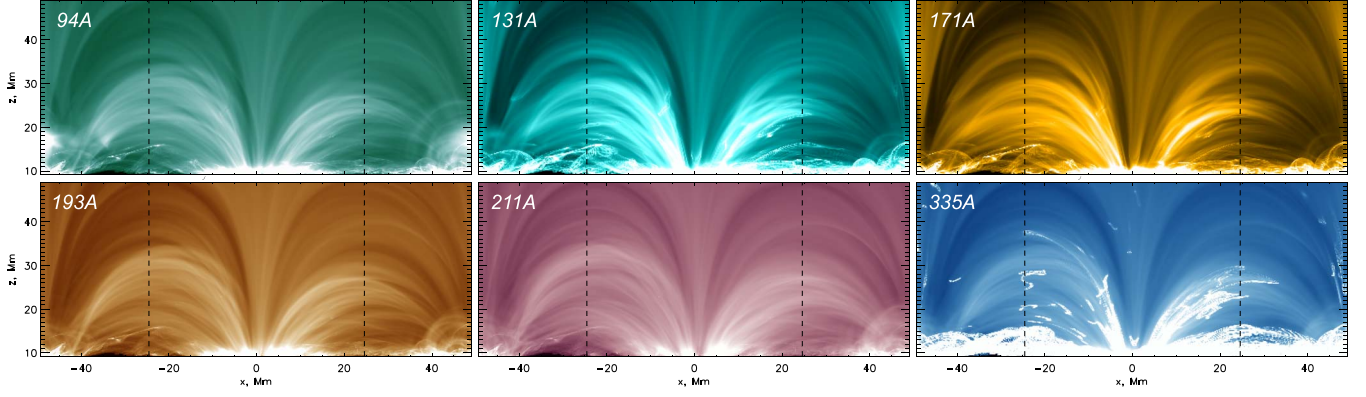


Figure 5. Synthetic emission as it would appear in six extreme ultraviolet (EUV) channels of SDO/AIA. Line of sight (LOS) is along the y direction. We use the fact that the domain is periodic in x and y and shift the images in x by ≈ 25 Mm (compared to Figures 3 and 4) to better display both loop bundles. Vertical lines indicate two (y, z) planes that we further examine in detail. All EUV images here and further are shown in a square-root intensity scale.

direction and (x, z) to be POS, we calculate intensity at a given POS location as

$$I(x, z) = \int_{y=0}^{\infty} \epsilon(\mathbf{r}) dy. \quad (2)$$

In the literature, the integral in Equation (2) over LOS is typically rewritten, in the manner of LeBesgue integration, into an integral over temperature rather than physical distance using a quantity called differential emission measure (DEM):

$$I(x, z) = \int_{T=0}^{\infty} \text{DEM}(T) R(\lambda, T) dT. \quad (3)$$

DEM reflects the emission of *all* plasma along the line of sight at a given temperature, and it is useful for analyzing the thermal composition of plasma (Aschwanden 2006).

In the present work, however, we are interested in emitting structures *in the volume*. We therefore calculate volumetric emissivity ϵ in the volume and use Equation (2) to synthesize the observables.

3. Emission—in the Plane of the Sky and in the Volume

Figure 5 shows synthetic emission in six AIA channels, assuming $\hat{\mathbf{y}}$ to be the LOS direction. The simulation is periodic in the horizontal directions, and a pair of the two major sunspots from Figure 3 produces two bundles of loops (we hereafter shift the domain in x by ≈ 25 Mm, to have uninterrupted display of both bundles).

We find that in all channels, there are two large bundles of loops connecting the two sunspots. Each of these bundles has at least a dozen coronal loops, out of which many do not notably expand with height upon visual examination, which is qualitatively consistent with observations (e.g., Reale 2010, and references therein). The thinnest loops go down to the image resolution, which is also consistent with observations (Cirtain et al. 2013). Additionally, there seem to be many loops visible at the apices of the bundles, which is not inconsistent with pressure scale height being larger than the height of the volume (≈ 50 Mm), which is also consistent with current models (Aschwanden 2006).

The standard interpretation of these observations is that, in the volume, there are two groups of thin (compared to their

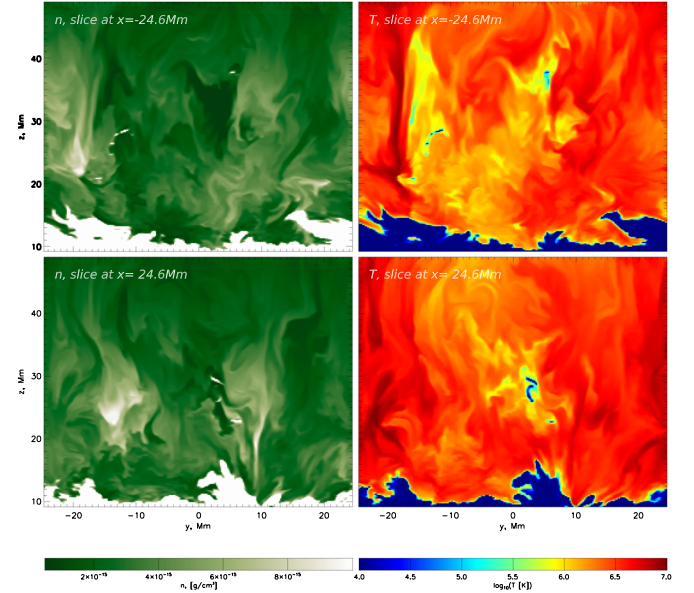


Figure 6. Density (left panels) and temperature (right panels) in a (y, z) plane for $x = \pm 26.4$ Mm (the slices indicated in Figure 5 by the vertical dashed lines).

length) magnetic flux tubes filled with plasma of such a temperature as to warrant emission in AIA channels. These individual flux tubes overlap along the LOS, giving an impression of loop bundles, yet the common expectation is that the individual tubes are spatially isolated from one another in the volume. Consequently, the presence of several dozens of observed loops in the synthesized image implies the existence of several dozens of distinct flux tubes in the volume, and the diameters of these tubes are comparable to the observed widths of the loops.

We examine next two vertical slices on the synthetic images in Figure 5, passing roughly through the apices of the two loop bundles. The image intensity on each slice is a result of an LOS integration of a plane in the volume: $I(x_0, z) = \sum \epsilon(x_0, y, z) \Delta y$. In line with the previous paragraphs, if a certain amount of thin strands are seen crossing this vertical line on the synthetic image, then the distribution of ϵ in the corresponding (y, z) plane in the volume must contain comparable amount of small bright blobs. These blobs would be spatially separated, which

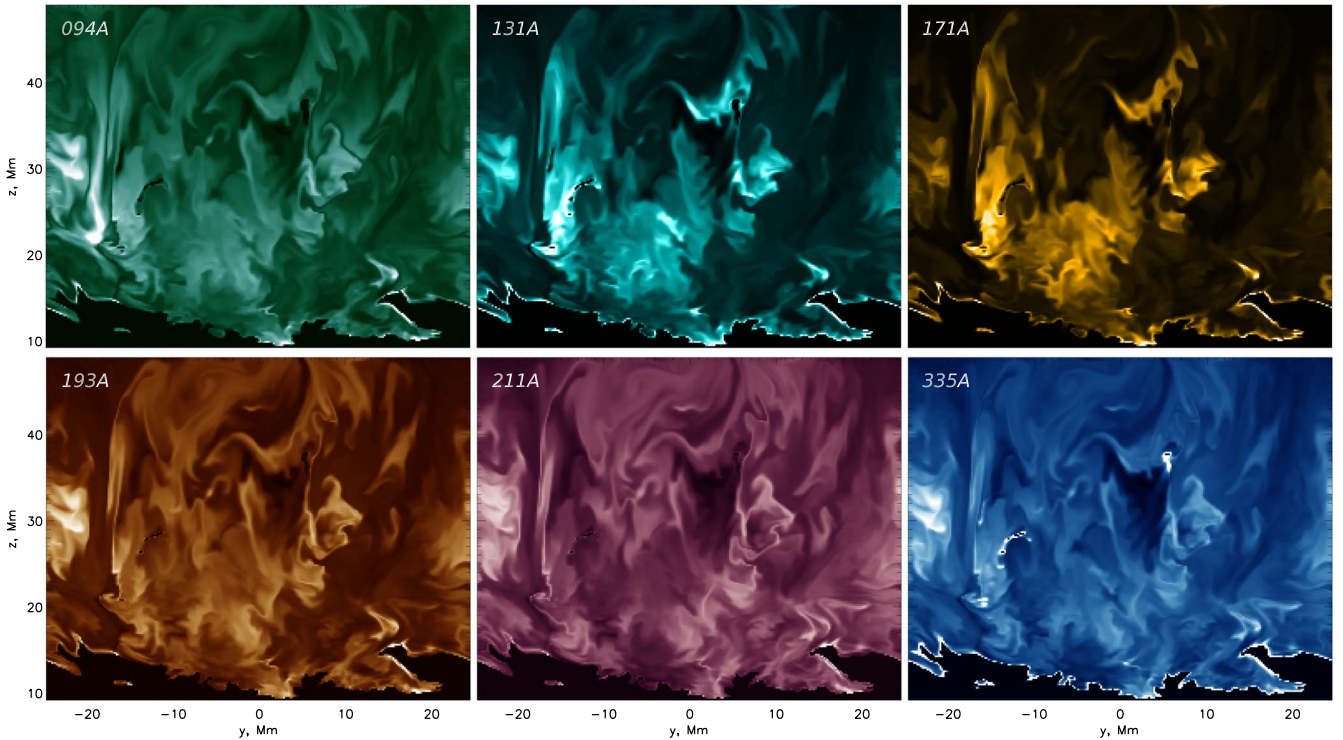


Figure 7. Volumetric emission in a (y, z) plane for $x = -24.6$ Mm in six AIA channels. The y -integral in this plane projects into a single column of synthetic AIA images in Figure 5, indicated in that figure by one of the vertical dashed lines. All volumetric emission here and further is shown in a square-root intensity scale.

is caused by spatially separated heating events (so the strands remain distinct); their diameters should be comparable to the thicknesses of the strands; and their number should be comparable to the number of strands observed on the synthetic image.

Figure 6 shows density and temperature and Figures 7 and 8 show volumetric emissivity in two vertical planes that project to the two dashed lines in Figure 5. It is evident that structures in these images cannot be easily described as a set of numerous, small, compact blobs that in turn correspond to individual coronal loops. Instead, most of these images contain large-scale structures of complex shape, with numerous ridges and wrinkles. These structures are not, with few exceptions, easy to separate from one another. While some loops could be mapped to distinct, bright blobs, many loops do not seem to have a clear correspondence with the isolated structures in the volume.

We further argue that the brightest blobs alone are not sufficient to explain the numerous coronal loops in this simulation. We also demonstrate how the wrinkles in the large-scale structures may cause *impressions* of loops. However, the immediate next step is to determine whether the structures seen in these two slices are extended in space, and whether they follow magnetic field lines.

4. Magnetic Connectivity

Much current work suggests or assumes that emitting plasma structures are confined within individual, compact magnetic flux tubes (e.g., Schmelz & Martens 2006; Aschwanden et al. 2013; Klimchuk 2015). This assumption plausibly follows from the frozen-in magnetic field configuration (e.g., Priest & Forbes 2000) in the local absence of topologic divides. This means that a localized density enhancement may propagate

along, but not across, the magnetic flux tube that embeds such enhancement; also, a localized temperature enhancement is well-conducted along the embedding magnetic flux tube, but not across it.

We note that there are theories suggesting that “loops,” in the sense of them being “*bright elongated structures in the plane of sky*,” may not identically correspond to specific magnetic flux tubes. The examples include Peter & Bingert (2012), who point out that temperature variation along an individual flux tube may be sufficient to place some regions of the flux tube outside of the thermal band that contributes most to a channel in which an observation is made. In this case, a combination of nearby flux tubes with slightly different temperatures/densities may cause an impression of a loop that in fact crosses several flux tubes. Chen (2015) examined time evolution of a magnetic flux tube filled with emitting plasma in a 3D MHD simulation of an AR. That work found that, even when there is a correspondence between a compact flux tube (embedding a compact emissivity structure) and the appearance of a loop at one point in time, the subsequent evolution breaks compact emissivity structure into fragments, significantly distorts the magnetic flux tube’s cross section, and reduces the association between the evolved flux tube and the evolved loop. Chen (2015) also confirmed the previous inference of Peter & Bingert (2012) that high density and temperature structures are not co-spatial, and different gradients of both within the magnetic flux tube they studied lead to nonuniform contribution to the appearance of a loop from different portions of the same flux tube at different times. Another example is DeForest (2007), who points out that individual emitting flux tubes could be much smaller than the resolution of an instrument, and they could spread apart with height as expected from magnetic field lines. In this case, the LOS integral of a bundle of such

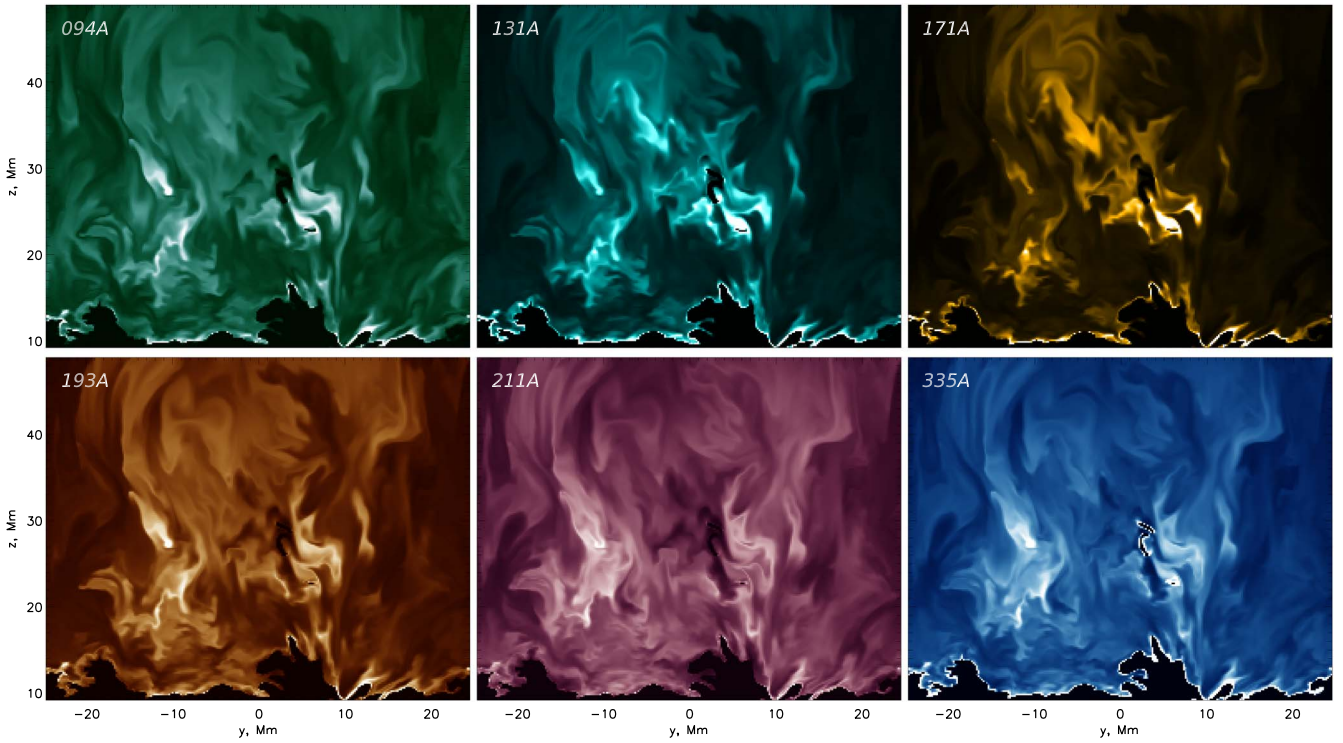


Figure 8. Volumetric emission in a (y, z) plane for $x = 26.4$ Mm in six AIA channels. The y -integral in this plane projects into a single column of synthetic AIA images in Figure 5, indicated in that figure by one of the vertical dashed lines.

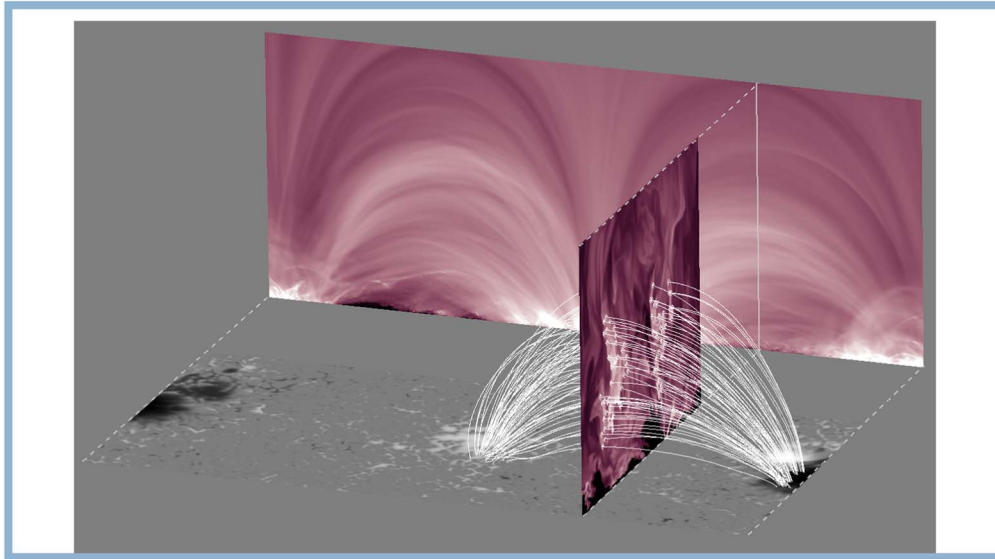


Figure 9. Magnetic field lines traced in the volume around several bright features in the slice from Figure 8, in the $211 \text{ \AA}$ channel. The starting points are shown in Figure 10, left panel. An animated version of this figure is available in online materials. The animation shows the slice at different positions in the volume (left panel in the animation) as well as (right panel in the animation) the emissivity in the corresponding slice like in Figure 10.

(An animation of this figure is available.)

unresolved features may cause an impression of a loop along the middle of such a bundle, where most features overlap.

As we showed in the previous section, the brightness enhancements in the volume of our simulation are not in general compact. But are these shapes confined to magnetic flux tubes, albeit of complicated cross section?

To address this question, we trace magnetic field lines around several bright features shown in Figure 8, in the $211 \text{ \AA}$ channel. These field lines are shown in Figure 9. We then

follow these field lines and examine the volumetric emissivity in their vicinity. The experiment is set up as follows. First, we select a (y, z) vertical slice of ϵ , chosen at the apices of a loop bundle, i.e., $x_0 = 24.6$ Mm, as in Figure 8. In this plane, we draw contours of $\epsilon(x_0, y, z)$ around the major bright features. These contours are, consequently, a set of points with coordinates (x_0, y_i, z_i) . From these points *in the volume*, we initiate magnetic field line integration, forward and backward along the field. (For context, in many studies, magnetic field

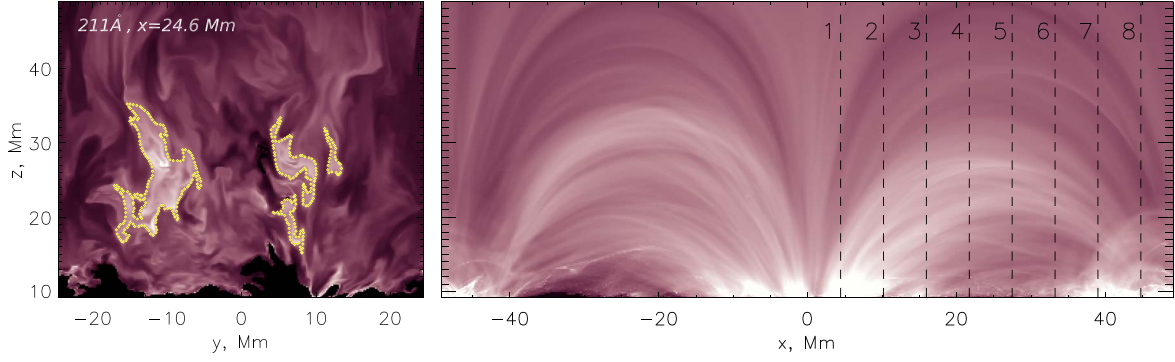


Figure 10. Left panel: volumetric emission at $\epsilon(y, z)$ at $x = 24.6$ Mm, like in Figure 8. Dots mark the *starting points* of magnetic field lines that are shown in Figure 9. Right panel: slices in the volume the field lines are then traced to.

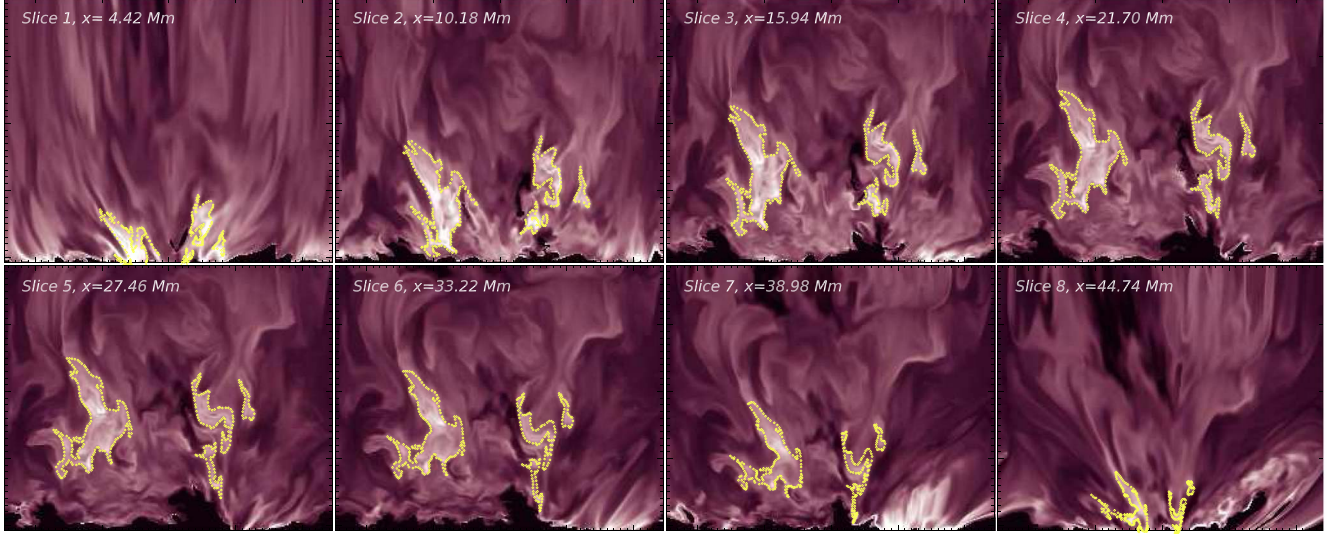


Figure 11. Volumetric emissivity in vertical slices shown in the right panel of Figure 10. The bright features remain coherent through the length of the bundle. The dots indicate where selected field lines cross a particular slice. The starting points of these field lines are shown in the left panel of Figure 10. It appears that bright features enveloped by the field lines at one location remain within the same field lines elsewhere in the volume. This means that the bright emitting features are indeed embedded in the flux tubes we construct; however, the cross sections of these flux tubes are large (compared to thickness of strands seen in the synthetic LOS-integrated images) and are of complex shape with wrinkled boundary.

lines are initiated from the photospheric boundary, e.g., from a set of points $(x_i, y_i, z = 0)$. We instead use the points in the vertical plane, but the integration procedure is the same.)

The points on the contours are shown in the left panel of Figure 10. We then examine vertical slices of $\epsilon(x_i, y, z)$; their location within the domain is shown in the right panel of Figure 10. The slices themselves are shown in Figure 11. In each slice, we mark the locations where the traced field lines cross the plane of the slice.

Two results appear immediately. First, the bright features stay coherent through consecutive slices. Second, *the bright features appear to be enclosed by the same magnetic field lines on consecutive slices*. This is consistent with the picture of enhanced emission along flux tubes. However, the flux tubes containing emitting features, are: (1) large in diameter (compared to the thickness of the strands in synthetic AIA images); (2) fewer in number, compared to the amount of strands seen in the synthetic images; and (3) highly structured, with complex shape and a wrinkled boundary. Only the brightest of emission features, and consequently, the enveloping flux tubes, appear well-defined; dimmer features appear

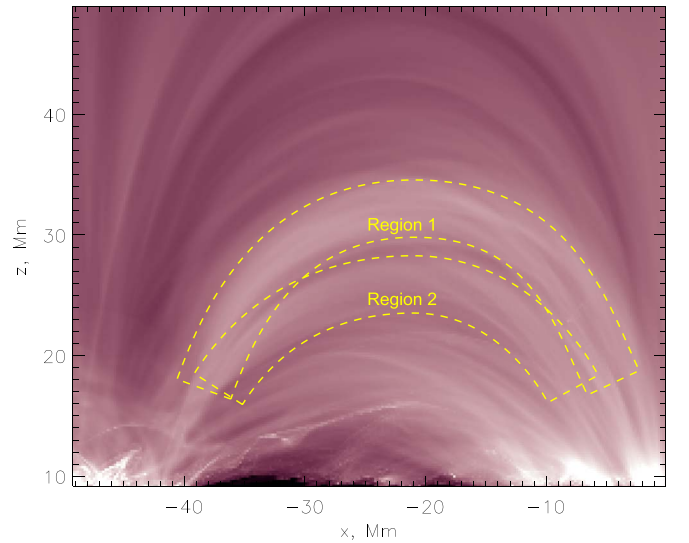


Figure 12. Two curvilinear regions surrounding bundles of loops that we focus on in Section 5. (Note that, as the bundles converge, there is a small overlap between the two regions.)

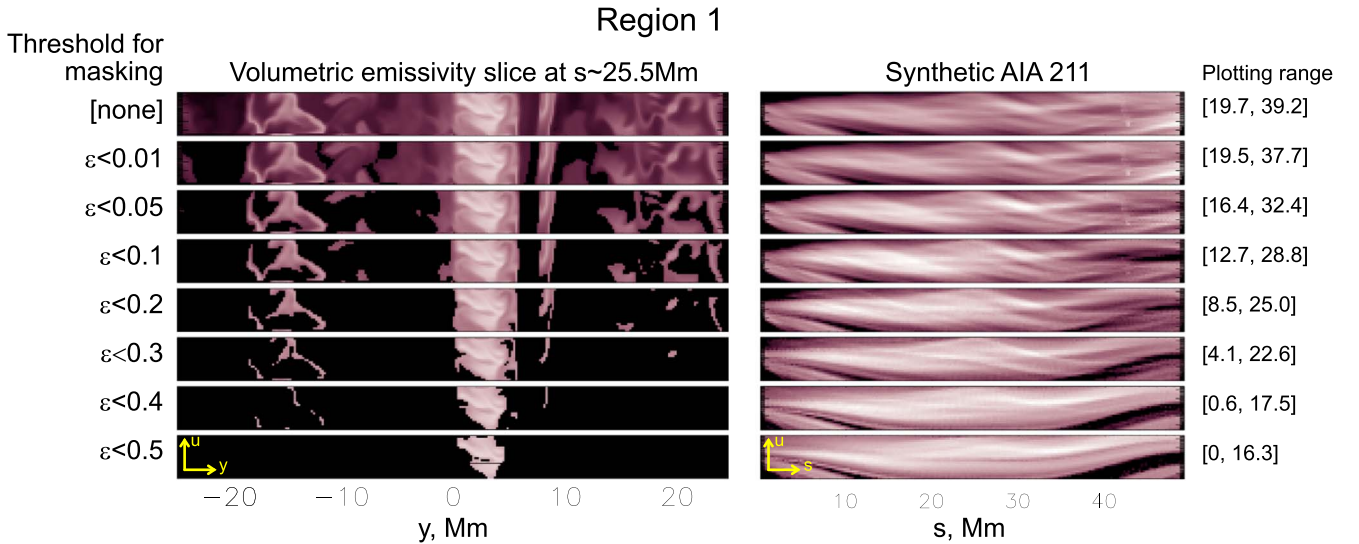


Figure 13. Region 1 from Figure 12. Right column: synthetic 211 Å emission $I(s, u)$, straightened out along the long edge (s). The horizontal axis is along $\hat{s}$, and vertical axis is along the direction $\hat{u}$, locally normal to $\hat{s}$. Left column: volumetric emissivity $\epsilon(y, u)$ on a plane along the line of sight (i.e., perpendicular to the images in the right column) at $s \approx 25.5$ Mm, to illustrate the kind of features that remain, as dim emission is masked out of the volume at progressively higher thresholds. The images in the right panels show AIA 211 channel synthesized after the dim emission has been progressively masked out. Note how the observed morphology of the loops changes with the removal of the dim emission; the image in the last row is a subset of the image in the first row, but it does not seem to be responsible for a large number of bright features in the original loop bundle. Note that synthetic images of $I(s, u)$ are plotted using a progressively narrower intensity range, [min,max], as indicated in the right-hand column. This is done to ensure remaining features are visible. (Both I and ϵ are plotted on the square-root intensity scale, although the LOS integration is done on a linear scale. The units of ϵ are arbitrary, and the images of $\epsilon(y, u)$ in the left-hand column are plotted in the range of [min = 0.0, max = 1.2] in these units. The images of $I(s, u)$ are in the same units times length in pixels; the volume is 256 pixels in the $\hat{y}$ direction.)

spatially extended and difficult to separate from one another. The dim diffuse emission appears highly structured as well.

To summarize, the emitting structures are of complex shape, but they are embedded in magnetic flux bundles much as in Figure 11. We therefore refer to these flux bundles as “magnetic structures” rather than “flux tubes,” as the latter implies that the structures are (a) isolated, (b) small in cross section compared to footpoint-to-footpoint length, and (c) simple in cross-sectional shape. None of these applies in general to the structures of continuous enhanced emission in the simulation we examine in this paper. Our observations, however, do not appear specific to the particular MURaM simulation: in Section 10, we point out other independent simulations in which similar structures have been reported.

5. The Minimal Isle Experiment

While the emitting structures in the volume do have complex structure, the brightest features (e.g., in Figures 7 and 8) are indeed compact. Are they alone sufficient to explain the general appearance of coronal loops? We rephrase this question as follows: how much of the dim emission can be removed from the volume, such that the remaining islands of bright plasma maintain the pretense of the same loop structures, when integrated along the line of sight?

To determine this, we compute the magnetic mapping from the “central” Slices 1 and 2 to their photospheric footpoints. We then construct magnetic flux tubes that embed individual bright features on the central slices, for a choice of a brightness threshold, and integrate the emission from the corresponding flux tubes only, masking out the rest of the volume. Finally, we vary the threshold and compare the resulting synthetic observables with those of the full simulation volume. The maximal emission threshold (and consequently, smaller islands of emission) for which the same loop structures can be

observed (as in the full cube rendering) would define the minimal islands of emission significant for the overall observed configuration of loops.

Figure 12 shows two regions that we focus on. Figures 13 and 14 show these two regions “straightened up” (in coordinates $(\hat{s}, \hat{u})$, with $\hat{s}$ being the direction along the loop bundle and $\hat{u}$ being locally normal to $\hat{s}$). These images are recalculated with dim plasma in the volume masked out, while progressively increasing the threshold for such masking. In both of these figures, the left-hand column corresponds to the $(y - u)$ volumetric emissivity slice through the middle of the region. As is evident from these figures, the emission from the bright compact features is not responsible for the impression of many bright strands seen in the unmasked images. The particular parts of the volume that correspond to a particular strand in the image are examined in more detail in the next section and in the appendix, while here, we would like to draw attention to how different the loop bundles appear when only compact emission is taken into consideration. While the strands that are the result of these small compact features are present in the “unmasked” image, they are not the most noticeable, nor are they the most common in this particular observation. The overall shapes, lengths, and directions of loops in the “unmasked” image seem to be largely determined by the dim features of complex shape.

6. The Wrinkles in the Veil

As we demonstrated in the previous sections, the volumetric emission has a complicated structure. Emission in Figures 7 and 8 is structured into shapes akin to puffs of smoke. Many bright substructures appear in the form of thin, ragged, and wrinkled sheets, akin to those of a “veil curtain.”

Malanushenko & Schrijver (2013) have previously pointed out that structures that are elongated along the LOS will appear

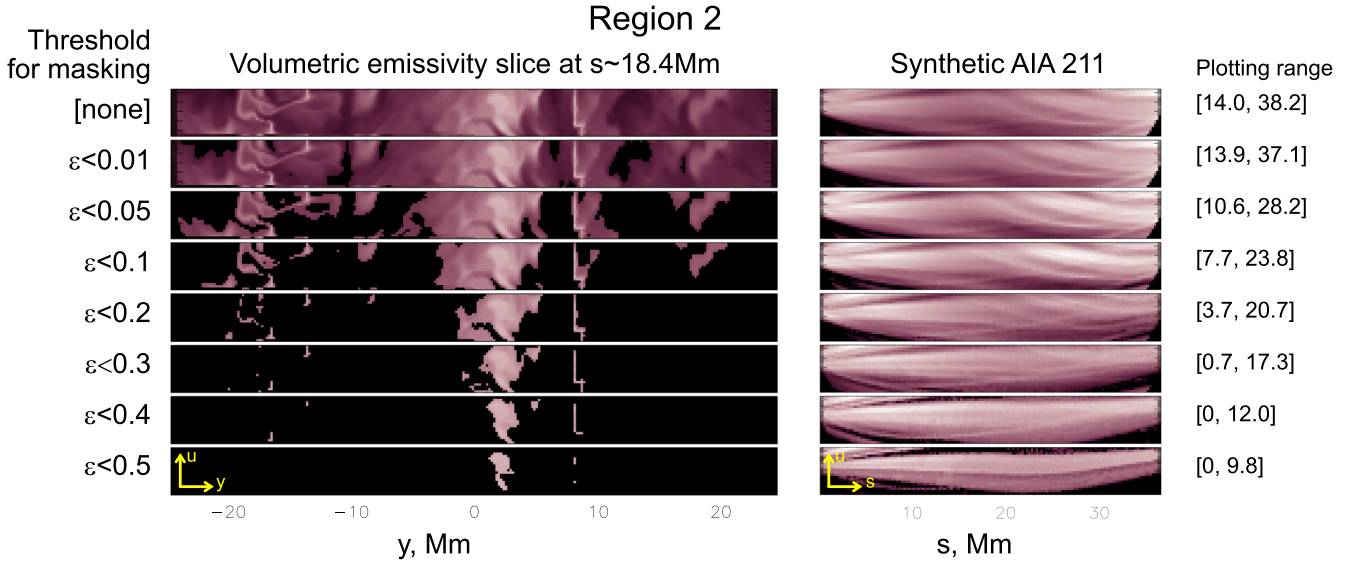


Figure 14. Region 2 from Figure 12. The notation here is the same as in Figure 13. (The volume slice here is taken at $s \approx 18.4$ Mm.)

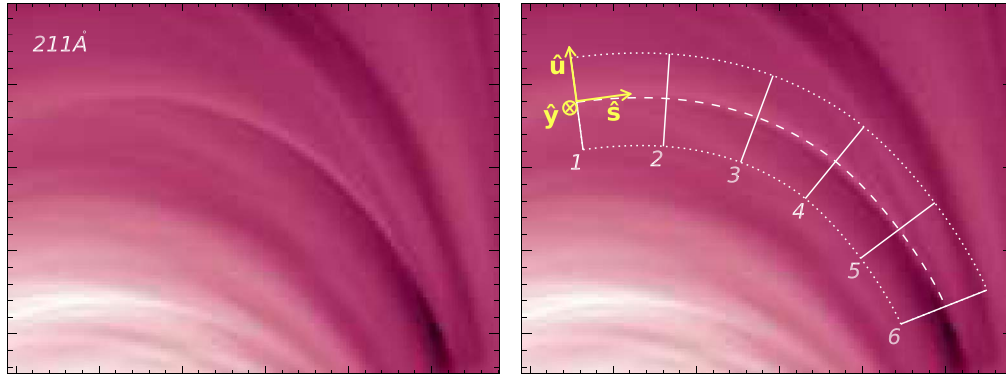


Figure 15. Left panel: subregion in the synthetic 211 Å image showing a relatively clear and isolated loop. Right panel: the traced loop, the slab around it, the slices across the loop that we will examine, and the coordinates that will be further used.

thinner *and* brighter than those elongated across the LOS. Consequently, a curtain-like structure that is thin and wrinkled may produce *several* features when integrated along LOS: thin and bright shape(s) where the wrinkles locally align with the LOS, superposed over dim diffuse background where the structure is locally perpendicular to the LOS.

We illustrate this effect on a particular loop seen in the 211 Å channel of the synthetic AIA images. The loop is shown in Figure 15. We attempt to locate the bright structure in the volume that corresponds to this loop. For that, we first manually draw a smooth curve along the loop in the POS. For this purpose, we adopt the definition of a loop as the smallest quasilinear visual feature in the corona, as has been and remains common practice in relevant studies (e.g., Testa et al. 2002; Aschwanden & Nightingale 2005; Aschwanden & Peter 2017; Kucera et al. 2019; Klimchuk & DeForest 2020; McCarthy et al. 2021, etc.). We then define a thick slab surrounding this curve, in the same manner as in the previous section, and extract a 3D subvolume that projects into this slab when integrated along the LOS. We then analyze slices in this subvolume.

The setup of this experiment is as follows. Let the direction along the curve be $\hat{s}$ and let the LOS direction be $\hat{y}$; the coordinate in the POS across the loop, $\hat{u}$, completes the orthogonal basis. These coordinates are labeled in Figure 15. We choose the following ranges: $s \in [0, s_{\max}]$ is where the

loop is clearly visible, $u \in [-u_{\max}/2, u_{\max}/2]$ as shown in Figure 15, and $y \in [y_{\min}, y_{\max}]$ being the full extent of the volume in the $\hat{y}$ direction. We then extract and straighten the curvilinear 3D slab, akin to “straightening the loop” (DeForest 2007; Winebarger et al. 2014), but with the inclusion of the third dimension.

Figure 16 shows (y, u) slices of ϵ . For each slice, its LOS integral is shown on the side to guide the reader. The latter is the same as the intensity profile in the LOS-integrated image along lines labeled in Figure 15. First, we notice that, in respective slices, the features stay coherent, with small changes in shape, size, and position from slice to slice. Second, we notice a particular sheet-like feature with a bend in it: a “ ζ ”-shaped⁵ feature in the right part of the slices (approximately in $y \in [30, 45]$ Mm). On each slice, we isolate this feature by computing the $\hat{y}$ -LOS-integral over the corresponding subregion: from $y_{\min}$, which is shown as a dotted vertical line in each slice in Figure 16, to $y_{\max}$, which is the edge of the entire volume. For each slice, the LOS-integral over the subregion $y \in [y_{\min}, y_{\max}]$ is plotted in the right panel in dotted line.

By looking at the slices in Figure 16 and at both LOS-integrals to the right of each slice, we notice the following. The dashed and the solid lines in the right panels are close in shape,

⁵ The “ ζ ” is the archaic Greek letter “Koppa.”

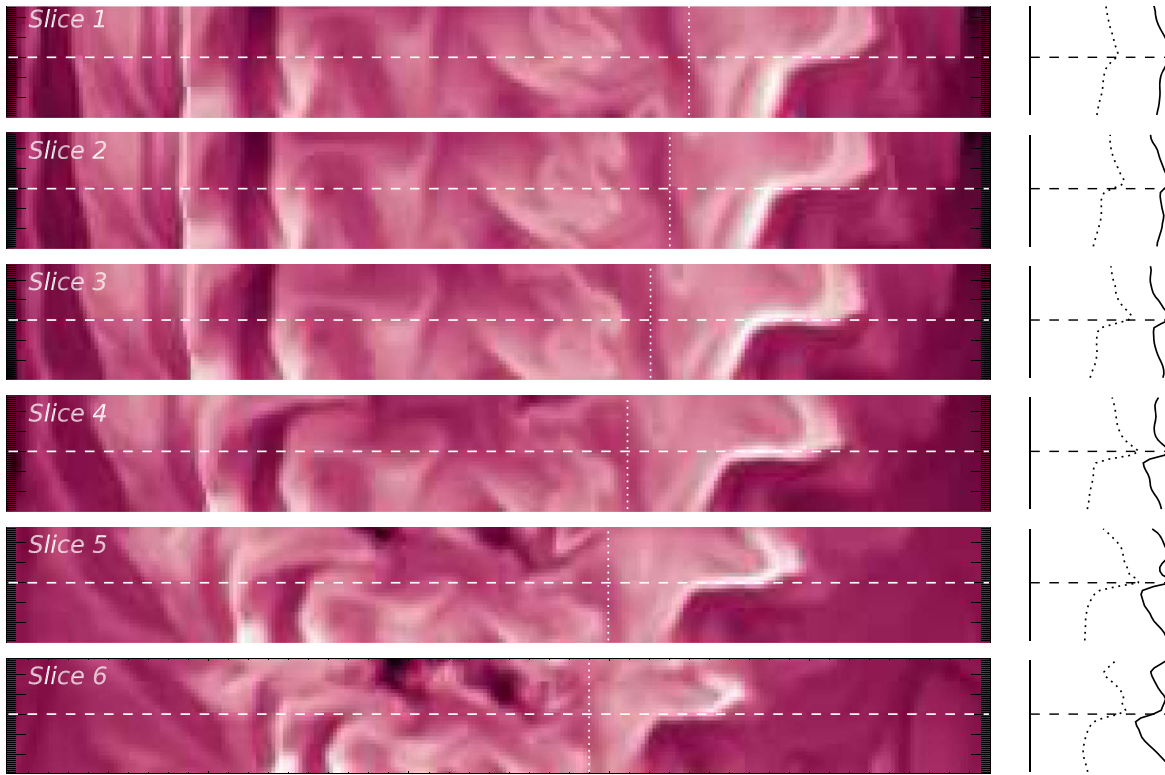


Figure 16. Slices in the volume that project into the lines 1–6 shown in Figure 15. The right panels here show, for each respective slice, its integral over $\hat{y}$, which is equivalent to the values of intensity along the lines 1–6 in Figure 15. The solid line shows the integral over the entire y range, while the dotted line shows the integral of the subregion to the right of the vertical dotted line shown in each slice (both curves are plotted with respect to zero, marked as a solid vertical line, to give insight regarding the relative contrast of the bump). This subregion, in each slice, is meant to isolate the “z”-shaped feature, which we argue is what contributes the most to the loop from Figure 15.

which suggests that the “z” feature is indeed what is responsible for creating the loop we study. The loop itself appears to be a small enhancement over the background, as has been previously found in actually observed loops in the literature (e.g., Klimchuk & DeForest 2020). We also notice that the “z” distorts slightly from slice to slice. It seems that its horizontal portion is aligned with the LOS ($\hat{y}$, the dashed line in the images in left panels) best between slices 2 and 5. It is noteworthy that the loop itself, shown in Figure 15, appears to be the most well-defined between slices 2 and 5 as well.

All this analysis leads us to the conclusion that the loop we study is in fact a projection artifact, a “*wrinkle in the veil*.” One might argue that the horizontal portion of the “z” could be considered a stand-alone loop. However, as the entire feature rotates, and the thickness of the projected loop changes, other parts of the “z” begin to stand out of the background. Note that the particular portion of “z” that manifests as a loop is actually dependent on the line of sight. Moreover, a nonzero magnetic twist would exacerbate the situation: if a “z”-shaped flux tube is twisted, then along the flux tube’s length, *different* parts of the cross section would manifest as a strand. To an unsuspecting observer, a large amount of twist would even manifest as one strand disappearing midway and two more appearing slightly offset. Additionally, it appears that the distribution of the brightness along the feature changes: in Slice 1, its lower vertical portion is the brightest; by Slice 5, the middle horizontal portion becomes the brightest, and in Slice 6, its upper vertical portion is the brightest. This may be the result of the effects described in Peter & Bingert (2012): slight temperature/density variations in different portions of the flux

tube. For these reasons, we are inclined to consider the entirety of this feature as one “flux tube,” as it spins around, gets distorted, and changes in size *as a whole*.

7. Implications for Stereoscopy

While it does *not* appear that *all* structures in our simulation are thin wrinkled sheets, *many* of them are. As we showed above, the wrinkles can produce the impression of compact loops, and it is not clear how to tell them apart from compact blobs based on the LOS-integrated observations alone. This means that, for any observed loop, the possibility of it being a projection of a wrinkle must be ruled out on an individual basis.

While it may appear at first glance that stereoscopy may help in telling apart compact flux tubes and projections of wrinkles, we believe that it may instead produce additional difficulties. Malanushenko & Schrijver (2013) have argued that, even if structures were known to be compact, they may have elongated cross sections, which in turn may complicate stereoscopic determination of their shapes. Their argument went as follows. Suppose there are two instruments imaging the same region from two different view points, such as the case for the twin STEREO satellites (Kaiser 2005). Further suppose, for simplicity of argument, that the LOS are 90° from one another, and that each instrument sees two nearby loops, A and B. In order to proceed with triangulation, the observer must first decide which of the loops in one imager corresponds to which of the loops in the other imager. If the trajectories of A and B and their total flux integrated over the cross section are similar, then there are in principle two options, both of which produce

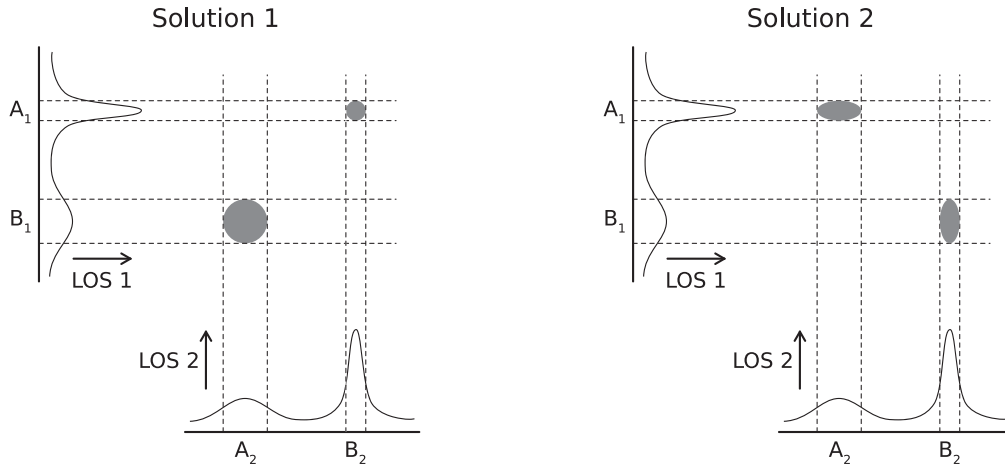


Figure 17. A brief recap of the argument made by Malanushenko & Schrijver (2013) with regard to the triangulation of compact structures, but when the cross section is not known to be circular a priori. Suppose the same two structures are observed by two instruments with lines of sight 90° apart. Suppose each sees a thin bright loop and a thick dim loop, in a similar location and with similar trajectories. (We refer the readers to Figure 11 of that paper for a rendering of such a pair of loops.) When doing triangulation, there would be two different solutions (left and right panels), which will produce exactly the same observations in both imagers; it is therefore not possible to tell which one is valid from these two views alone.

acceptable trajectories: $(A_1 \rightarrow A_2, B_1 \rightarrow B_2)$, $(A_1 \rightarrow B_2, B_1 \rightarrow A_2)$. It may seem reasonable to make the choice based on other properties, such as loops' diameters and brightnesses. Malanushenko & Schrijver (2013) have argued that this is in fact can be *misleading*, if both flux tubes have elongated cross sections. The two solutions are shown in Figure 17. It appears that without an a priori knowledge of whether the structures are elongated or not in cross section, it is not possible to tell these two solutions apart based on the two views alone. The addition of the third viewpoint may in principle help; however, there are usually many more than two loops in an active region, which may lead to more than just two degenerate solutions. In the idealized setup, the ambiguity could be broken by different total flux in the two structures (i.e., total area under A_1 , A_2 , etc.). However, in real observations, there will generally be background (generally nonuniform), noise, etc. Therefore, when an observer is tasked with finding matching structures in multiple imagers in real data, an allowance for the observational uncertainties is typically made (e.g., Kucera et al. 2019; McCarthy et al. 2021).

We now turn to the “4”-shaped structure discussed above and shown in Figure 16. Under a similar observational setup, shown in Figure 18, one can follow a similar line of argument. However, in this case, the *number* of observed loops will differ: the first imager will see one loop (surrounded by background), and the second imager will see two loops (with background between them). A second solution of the triangulation problem given this pair of observations may be that there are two loops, and that they are coaligned along LOS1. However, if that were the case, then the total intensity of the peaks that the second observer sees should be equal to the intensity of the peak that the first observer sees. It is evident from the figure that this will not in general uphold for a wrinkled structure, because the two imagers will see *different parts* of the structure as peaks. This will be especially true if background subtraction is used: what one observer sees as a peak, the second sees as a background, and vice versa.

The addition of a third viewpoint can in principle help resolve the problems we here outline. But it is likely that additional studies will be needed to confirm or reject this possibility.

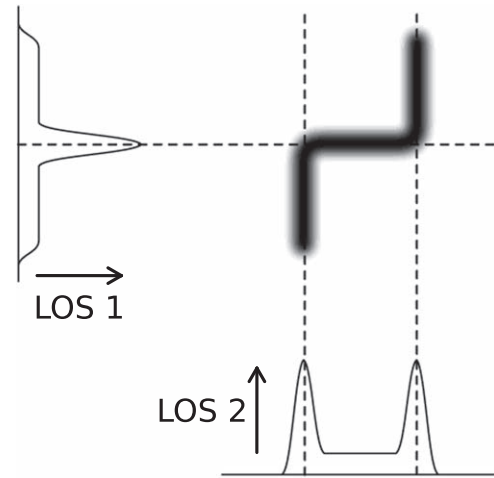


Figure 18. Implications of existence of bright wrinkled sheets in the corona for stereoscopy. Here, a conceptual rendering of the “4” feature from Figure 16 is integrated along two different lines of sight (as if observed by the STEREO spacecraft when they are 90° apart). An observer looking along LOS 1 will see *one* loop and background *around*. An observer looking along LOS 2 will see *two* loops and background *in between*. The ground truth, however, is a single structure, and it contributes to both the loops and the background; not only will the observers see different amount of features, but also subtracting the background will subtract a portion of the structure itself.

8. Summary of the Results

We have studied a 3D MHD simulation of an active region created with the MURaM code. We focused on the coronal portion of the datacube and studied synthetic EUV observation and volumetric emission of plasma. Our findings are as follows.

1. The synthetic observations in six AIA EUV channels appear realistic. We focused on the two major loop bundles. Each of these bundles appears to be composed of many individual loops. These loops have various thicknesses, the thinnest of them being near the resolution of the simulation itself. Most of the loops appear as incomplete arches. Many loops are but a small enhancement of the background intensity, which is consistent with observations (e.g., Klimchuk & DeForest 2020). The

loop tops appear bright and thin, which is qualitatively consistent with observations of non-expanding loops with high-pressure scale height.

2. We then studied emitting structures in the volume (which need to be integrated along the line of sight to produce the synthetic observables). The expectation, based on the traditional picture of individual loops being the projections of individual thin flux tubes, was to see many thin and isolated structures with compact cross sections. The structures in the volume that we observe are in striking disagreement with this expectation. Overall, we observe fewer structures of larger size. These structures have remarkably complicated cross-sectional shape and complex, ragged boundaries. The complexity of the shapes is such that, in many instances, it is difficult to separate different features, as they appear to blend and merge into one another. Some of the bright substructures appear to be in the shape of thin and long sheets, ragged and wrinkled, also merging into one another.
3. We were able to confirm that these emitting structures nonetheless follow lines of magnetic field. We did this by drawing contours around some features at some location in the volume, initiating magnetic field lines from the points along these contours, and following both the field lines and the emission through the volume. This result means that the complicated emitting structures we observe *are*, in fact, magnetic flux tubes; however, they are not *thin*, nor is their cross-section *compact* and well-defined compared to their surroundings.
4. We studied one particular loop that appeared to be reasonably visible and reasonably isolated from other loops. We were able to identify a single emitting structure in the volume that mapped into this loop. Its cross-sectional shape was that of a thin sheet with two bends in it, akin to the Greek letter Koppa (“ϰ”). Its middle portion was oriented along the line of sight, and we found that this middle portion was well-correlated with the location of the loop in the LOS-integrated image. The entire feature was rotating along the length of the loop, and the loop was best defined when the middle portion was co-aligned with the line of sight. This implies that the loop we observed was not a projection of a thin, compact flux tube, but rather it was an LOS artifact, a projection of a wrinkle of a veil-like structure.
5. We argued that some unknown number of loops that appear in these synthetic images may in fact be such artifacts: projections of emitting veils in the volume, rather than thin isolated flux tubes. It is not clear how to tell one from another, given only the LOS-integrated images. Appendix A shows an analysis similar to that of the “ϰ” structure, but for a number of coronal loops, suggesting that loops that are projection artifacts are ubiquitous.
6. We also demonstrated that stereoscopy will not necessarily help rule one over the other in each particular case. Instead, wrinkled shapes may introduce additional problems in triangulation procedure. These problems will not necessarily manifest themselves in any noticeable way, short of yielding results that do not correspond to the ground truth.

9. Can We Believe MURaM?

The MURaM simulation we studied here is one of the most realistic coronal simulations available to date. However, it is certainly vulnerable to criticism, like any other simulation. We nonetheless believe that our results are relevant to the actual corona, for the following reasons:

1. The simulation captures much of the known physics, and successfully reproduces many observational phenomena (see Section 2.1). The combination of these two factors is in principle enough to consider the model plausible. This is in fact is a typical line of arguments in many studies that are focused on simulations.
2. Additionally, we notice that MURaM is far from the only simulation in which the “veil curtains” of emission have been noted. Below is the list of *independent* simulations, which feature independent realizations of *both* the ab initio full-MHD, and also other kinds of models, in which comparable features have been reported. They were observed in various scales and resolutions, from ultra-fine resolution models several Mm across, to full-AR size solutions:
 - (a) Gudiksen & Nordlund (2005) used their 3D MHD model to simulate a corona above a small active region. The velocity field at the lower boundary was designed to mimic granulation pattern, and the heating was ohmic, induced by small flow motions at the lower boundary. The resulting synthetic images are generally in good agreement with observations. Most of the features discussed in their study are in the plane of sky, but the authors do briefly touch the topic of cross-sectional properties of coronal loops. They find that, for a randomly selected set of flux tubes that are circular at the apices, the footpoints are strongly distorted (which agrees with Malanushenko & Schrijver 2013).
 - Most importantly for the coronal veil hypothesis, Gudiksen & Nordlund (2005) say the following: “In general the footprints of the loops shown in Figure 3 are wrinkled and not geometrically simple, and their area cannot be approximated by product of ΔX and ΔY . We expect the footprints to increase in complexity with increasing resolution, which may give the *impression* that the cross-sectional area changes less than it actually does.”
 - (b) Mok et al. (2005) have developed a unique method for simulating coronal emission, in which the magnetic and the plasma processes are intrinsically decoupled. First, a model of a magnetic field is calculated using a $\beta=0$ assumption. Then, for every voxel in the volume, a magnetic field line is traced and hydrodynamic equations are solved along this field line. While this models makes more approximations than full-MHD models do, its advantages include the fact that the cross-field diffusion and conduction are null by design (which is difficult to achieve in a standard 3D simulation). Additionally, it allows the user to prescribe different heating functions corresponding to different analytical coronal heating models.

In a recent use of this model, Winebarger et al. (2014) simulated coronal emission based on a magnetogram from a particular active region and used

a quasi-steady, highly stratified heating function that, as they had demonstrated in previous papers, produces a good match to observations. They identified and analyzed several loops on the synthetic coronal images. They were able to identify the distinct structures in the volume that produced these loops.

They also show a vertical slice of volumetric emission in their Figure 4 (similar to our Figures 7 and 8). It demonstrates features qualitatively similar to those we show in the current paper: the emission is composed of (a) a diffuse component, (b) several isolated blobs, and (c) thin, bright, sheet-like structures. Winebarger et al. (2014) focus specifically on loops that are due to flux structures of compact, round cross-section. The wrinkles in the sheet-like structures are not commented upon, but from visual examination of their Figures 1 and 4, it appears that there are in fact loops that are mere projection artifacts due to these wrinkles, much like our example in Section 6.

- (c) Antolin et al. (2014) studied evolution of a thin straight flux rope subject to transverse MHD waves. In their simulation, they had a thin cylindrical flux rope in hydrostatic equilibrium. The flux rope was then subject to a perturbation consistent with a kink mode. As the axis of the flux rope wriggled on a large scale, it turned out that the boundary of the flux rope, initially circular in cross section, developed small current sheets and consequently fine structure around its circumference. Antolin et al. (2014) argued that this is a manifestation of Kelvin–Helmholtz instability, caused by sheering motions and exacerbated by resonant absorption. They also pointed out that the eddies generated by the Kelvin–Helmholtz instability may produce fine-scale strands in synthetic images, causing the impression of fine substructuring within the initial cylindrical “loop.”

Qualitatively, the boundary of their flux rope (their Figure 3) appears to have ragged and wrinkled edges, and is consistent with the “veil” hypothesis outlined in our paper. The cross-sectional shape of their flux rope is in general consistent with the smaller-scale structures in our Figures 7 and 8. However, the effect they study takes place on extremely small scales: their flux rope is ≈ 1 Mm in diameter (and the eddies are much smaller than that), while the size in cross section of the flux structures we show in Figure 10 are ≈ 10 Mm. Also, while Kelvin–Helmholtz instability plays a major role in the formation of the eddies in Antolin et al. (2014), it is unclear whether this is a major effect in our study. It must be noted that, while Antolin et al. (2014) evolve a flux rope that is initially smooth and round in cross section, our simulation is *ab initio* and contains no such predetermined setup in the corona. The movies of the time history of flux bundles in our simulation suggest that they form with an *already* complex cross section, rather than evolving to it from an initially simple and smooth shape.

We stress that, to our knowledge, these codes were developed independently from one another. The only thing they have in common is the physics they approximate. Therefore, it is

likely that it is the physics that leads to the formation of such features.

Finally, we note that the core implication of this paper (that about veils having similar signatures as compact features) *does not depend on MURaM having a valid corona*, even though MURaM was used to illustrate the point. The reasons for that are explained below and further in Section 10. We use these data to illustrate how a combination of complex temperature and density distributions and LOS integration can lead to the appearance of loop-like features in synthetic emission even when the 3D volume data do not contain compact density and temperature structures themselves. The main findings of our analysis are independent from a particular simulation setup and simply illustrate the intrinsic complexity involved in interpreting observations that result from LOS integration in an optically thin plasma.

On a separate note, *if MURaM does* in fact reproduce the actual corona, then our results imply the abundance of veils in the actual coronal emission. This raises a number of questions regarding their nature and the mechanisms of their formation. More specific questions include, for example, the following. What determines their thickness? What determines their complexity? Are there preferred places for their formation? Most importantly, is there a way to tell, for a particular loop, whether it is a veil or a structure with compact cross section? These questions must be addressed in future studies.

10. Conclusions and Discussion

This work forces us to rethink the way we interpret observations of the solar corona. We demonstrate how a realistic-looking set of coronal loops can be a product of volumetric structures that are not consistent with the standard paradigm of loops representing individual thin bright structures confined to thin magnetic flux tubes. For a particular active region on the Sun, this interpretation might or might not apply (however, the success of the *ab initio* simulation from Cheung et al. 2019 is encouraging in this regard). We do not offer a quantitative statistics of “loops” versus “veils,” as this must be a study of a larger scope. However, the complex manifolds we observed in the MHD simulation are also a more general class of structures than individual isolated thin flux tubes, in the same sense as, for example, polygons are a more general class of shapes than triangles. This adds additional plausibility to our hypothesis.

While the concept of emitting veils in application for coronal loops is relatively unexplored to date, and the strength of the case we make in its support constitutes an important result on its own, the appreciation of this fact may be distracting from the main take-home message we wish to offer to the readers. The most impactful conclusion of this paper, for practical purposes, may be that, just by looking at an individual loop structure, we cannot tell whether it *is* a veil, or whether it is a individual, coherent, compact structure viewed over a diffuse background. The visual appearance can be deceiving, as we demonstrate in Section 6 and in our Appendix. The apparently sane stereoscopic measurements may be deceiving as well, as we argue in Section 7. The reason why this is important is that many measurements of the physical conditions in the solar corona, such as pressure scale height, temperature, measurements inferred from observed loop oscillations, and so on, make a tacit assumption that a given loop is “real.” Should the loop in question turn out to be a “wrinkle in the veil,” the results, while appearing sensible, may be misleading.

Another consequence of “the veil” hypothesis regards background subtraction. Even for an isolated loop, subtracting what *appears* to be background will in fact result in removing part of the feature itself. Moreover, as the feature does not maintain a constant shape and orientation to the observer, the background subtraction will remove different portion of the feature at different parts along the loop, possibly interfering with the desired measurements.

Our results do not specifically rule out models that include spatially compact loops, but they do show that the more general veil-like case must be considered and explicitly ruled out before a given active region loop may be considered as a compact structure. Because veil-like structures are a more general, higher-entropy class of shapes than isolated compact strands, and because current observations—including spectral filling-factor analysis—do not appear to rule out the veil case, it must be considered the most plausible scenario for any given observation, and interpretations that require compact form should be defended with compelling observational evidence.

Our results may bear importance to other areas of astrophysics and plasma physics. Our hypothesis that emitting plasma may be structured in veil-like manifolds *and that it is difficult to tell if this is the case* may be relevant to not only solar plasma structures, but to other magnetically confined hot plasmas as well.

This work was sponsored by NASA awards HGCR/NNX14AI14G and NNX16AG98G/S005. The work of J.A.K. was supported by the NASA Heliophysics Guest Investigator program (NNX16AG98G) and the Internal Scientist Funding Model (competitive work package) program at GSFC. Data are courtesy of the SDO science team. AIA is an instrument on board the SDO—a mission for NASA’s Living With a Star Program. M.C.M.C. acknowledges support from NASA’s SDO/AIA (NNG04EA00C) contract to the LMSAL. We acknowledge high-performance computing support from Cheyenne (<https://doi.org/10.5065/D6RX99HX>), provided by NCAR’s Computational and Information Systems Laboratory and sponsored by the National Science Foundation, as well as from the NASA High-End Computing programme through the NASA Advanced Supercomputing Division at Ames Research Center. This material is based upon work supported by the National Center for Atmospheric Research, which is a major facility sponsored by the National Science Foundation under Cooperative Agreement No. 1852977.

Appendix

Additional Examples of Wrinkle-like Features

In this appendix, we show several more examples of loops that appear to be projection artifacts akin to the feature studied

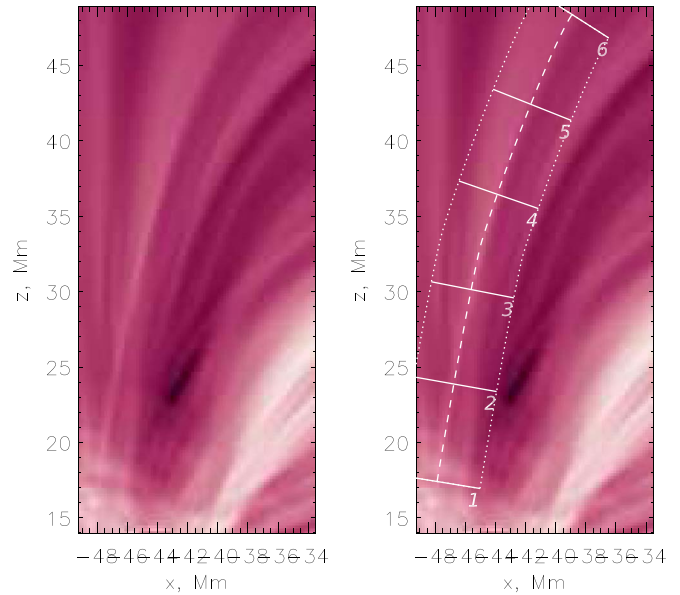


Figure 19. Loop “A01” from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 15. Left panel: subregion in the synthetic 211 Å image, which shows a relatively clear and isolated loop. Right panel: the traced loop, the slab around it, and the slices across the loop, which we further examine in the next figure.

in Section 6. This is not an extensive list, and its purpose is not to make quantitative analysis of the fraction of loops that are projection artifacts. Such analysis needs to be the subject of a separate, large study. In this appendix, we instead demonstrate that the projections artifacts are ubiquitous enough that *a* particular loop cannot a priori be assumed to be a thin isolated structure in the volume.

The loops are displayed in Figures 19–40 in a manner similar to that from Figures 15 and 16: in each pair of figures, the first figure shows an LOS-integrated image, an identified loop, and slices across it, while the next figure shows structures in the volume that contribute to emission along the loop. Like in Figure 16, we attempt to isolate subvolumes with bright features; unlike in Figure 16, we usually plot the LOS integral for more than one subvolume. The individual subvolumes are marked by colored bars above each slice image, and the corresponding colors on the LOS integrals mark the results for these subvolumes. While several subvolumes could contain a peak roughly corresponding to a given loop, note that in most cases, only one of these subvolumes has the peak at the right location *on all slices*.

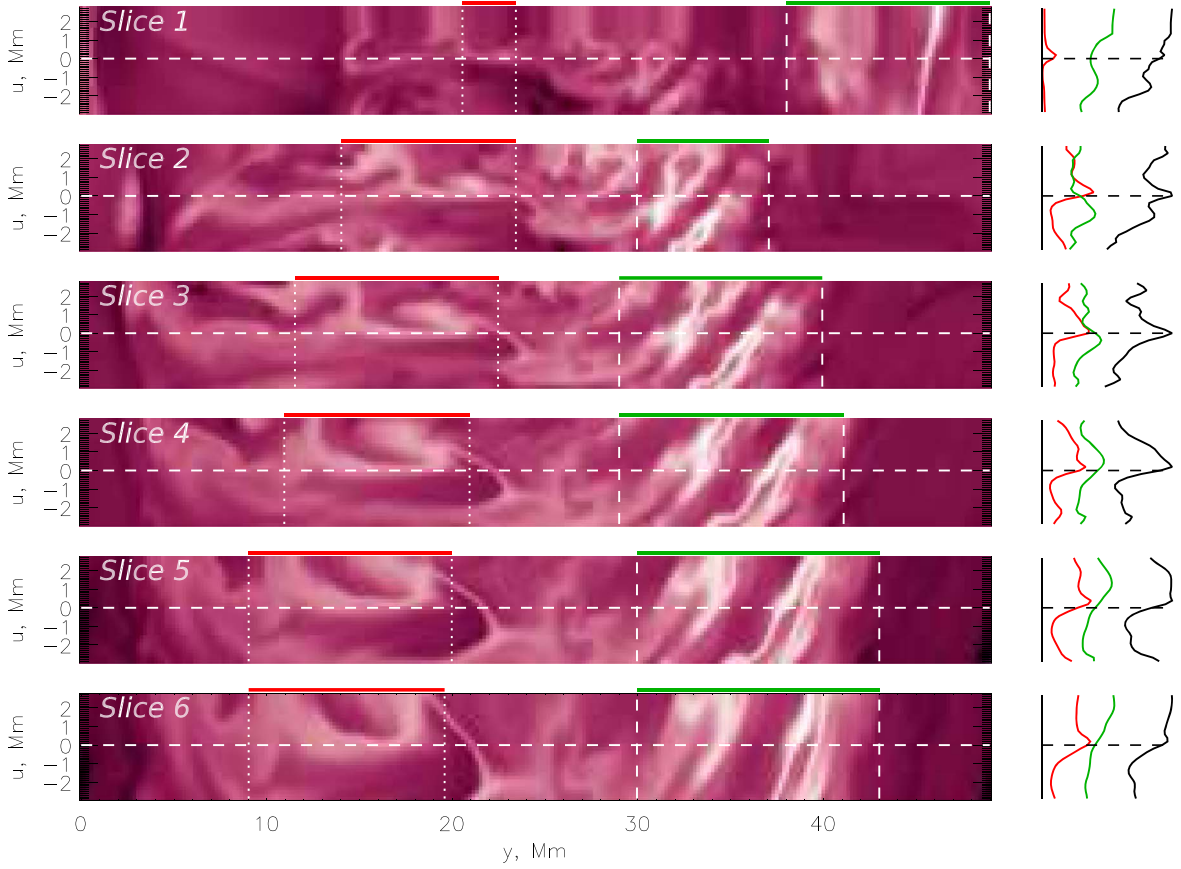


Figure 20. Slices of volumetric emissivity across loop A01 from Figure 19, displayed in a similar fashion as Figure 16. The left panels show slices in the volume that project into the lines 1–6 shown in Figure 19. Unlike in Figure 16, which showed an integral over one subdomain, we here choose several subdomains with bright features that can project into the loop. The respective slices are indicated by color bars above the subdomains in the left panels, and their LOS integrals are plotted in corresponding colors in the right panels. It appears that, while the “green domain” features dominate the emission background, the loop itself (the bump in the middle) is likely caused by the feature in the “red” domain. Indeed, the LOS integral over the “red” feature has a bump that is correlated with the loop location ($u = 0$) in *all* slices. Notice also that a skewed background is in fact part of the “red” feature itself (although the other parts of the volume further amplify this effect).

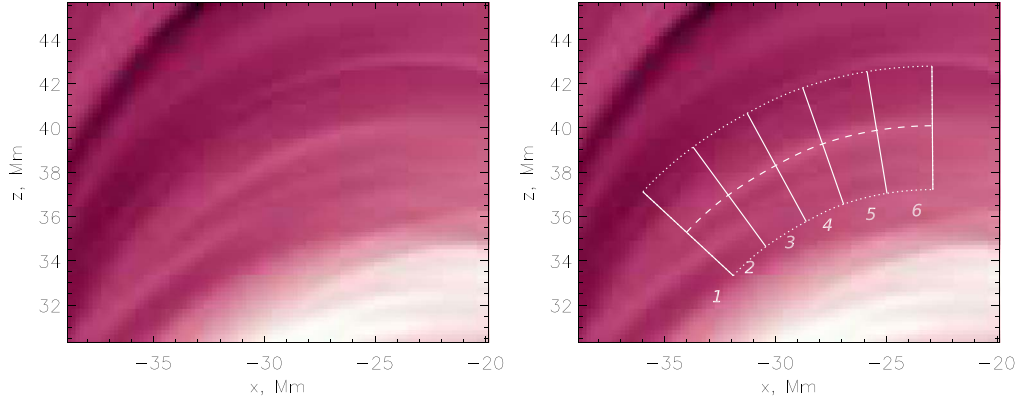


Figure 21. Loop A02 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 15.

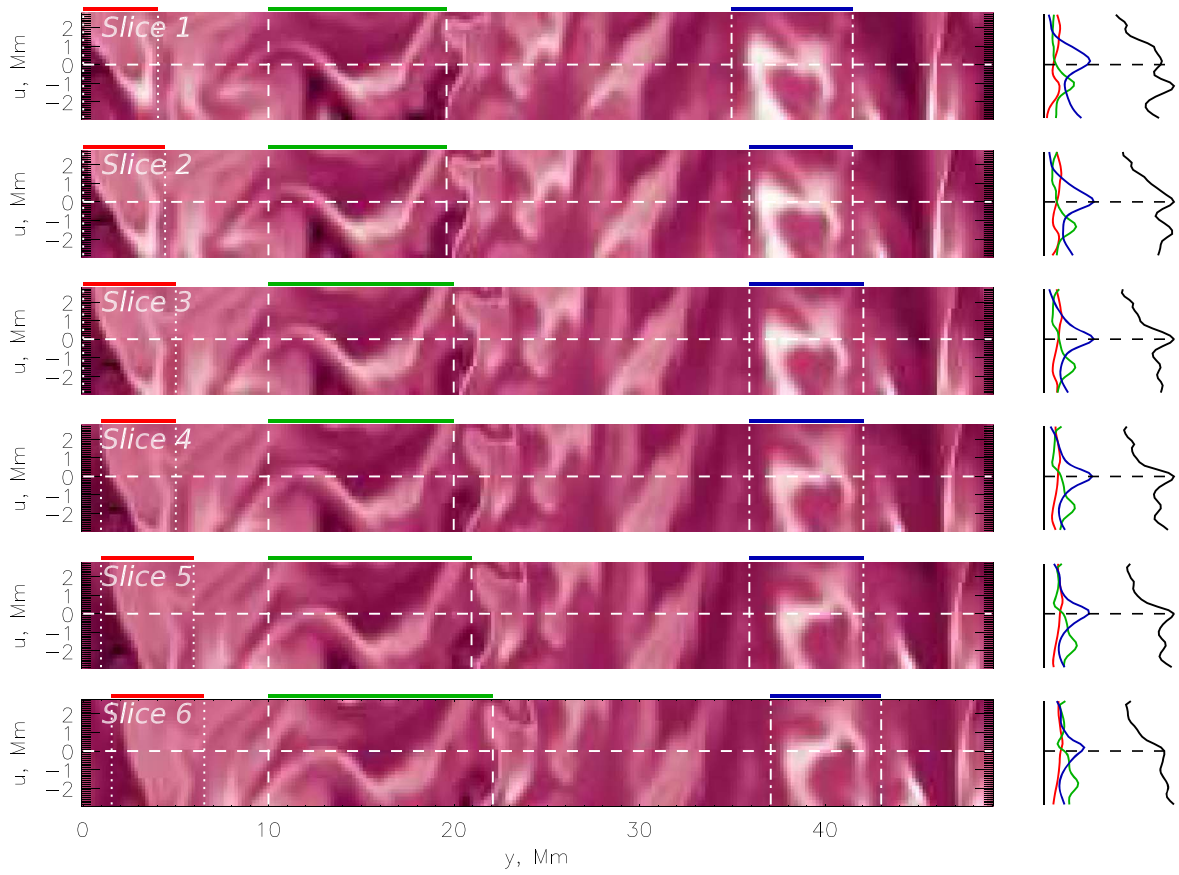


Figure 22. Slices of volumetric emissivity across loop A02 from Figure 21, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “blue” domain.

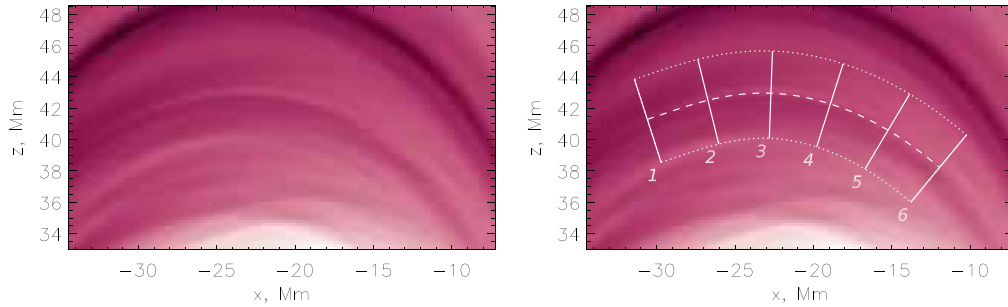


Figure 23. Loop A03 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 19.

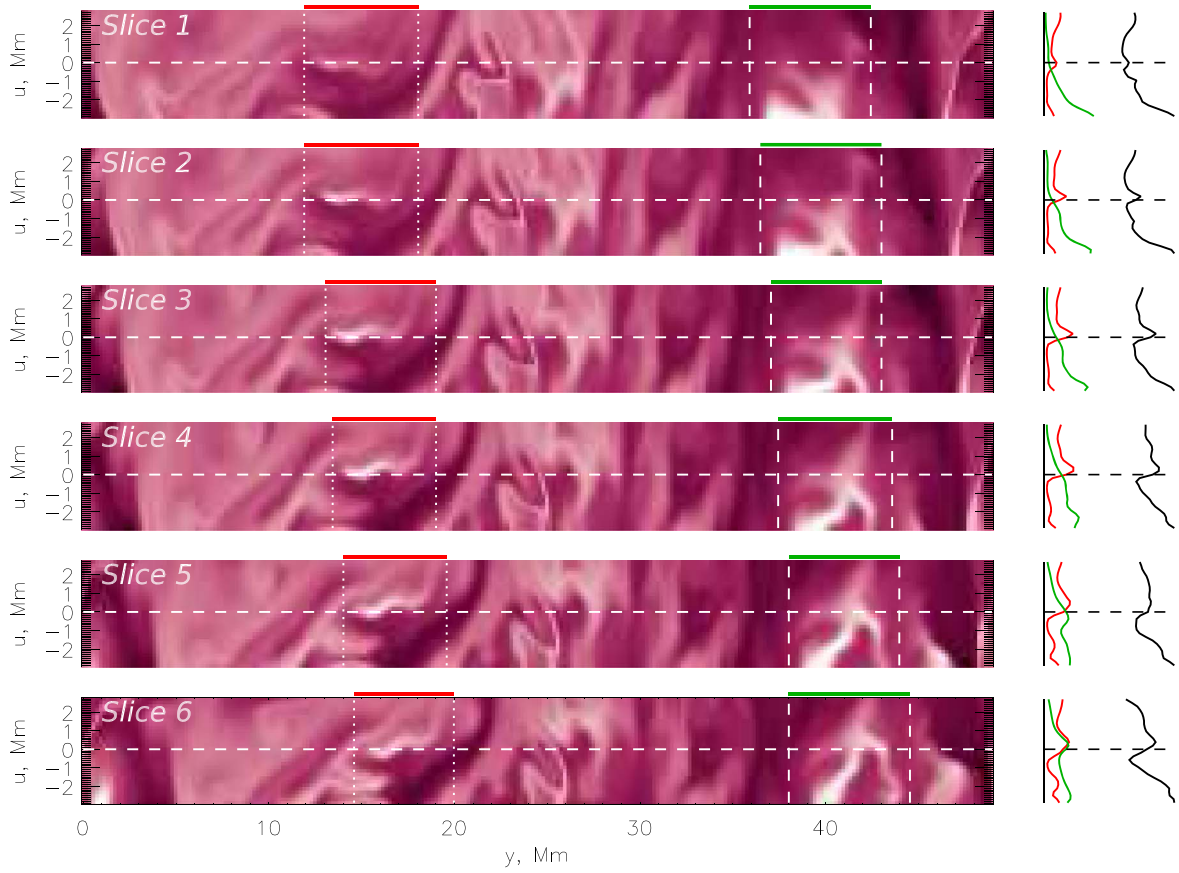


Figure 24. Slices of volumetric emissivity across loop A03 from Figure 23, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “red” domain.

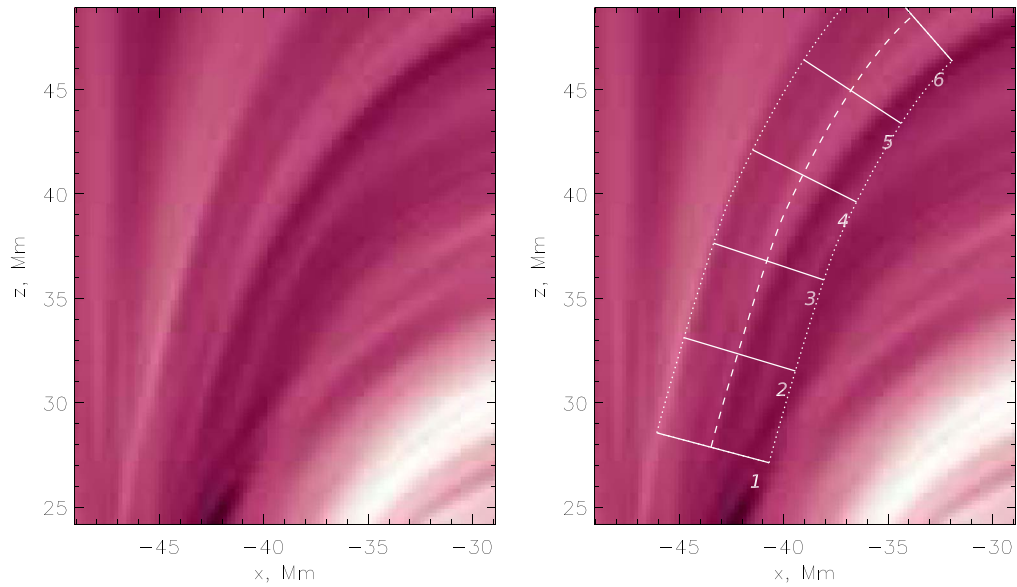


Figure 25. Loop A04 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 19.

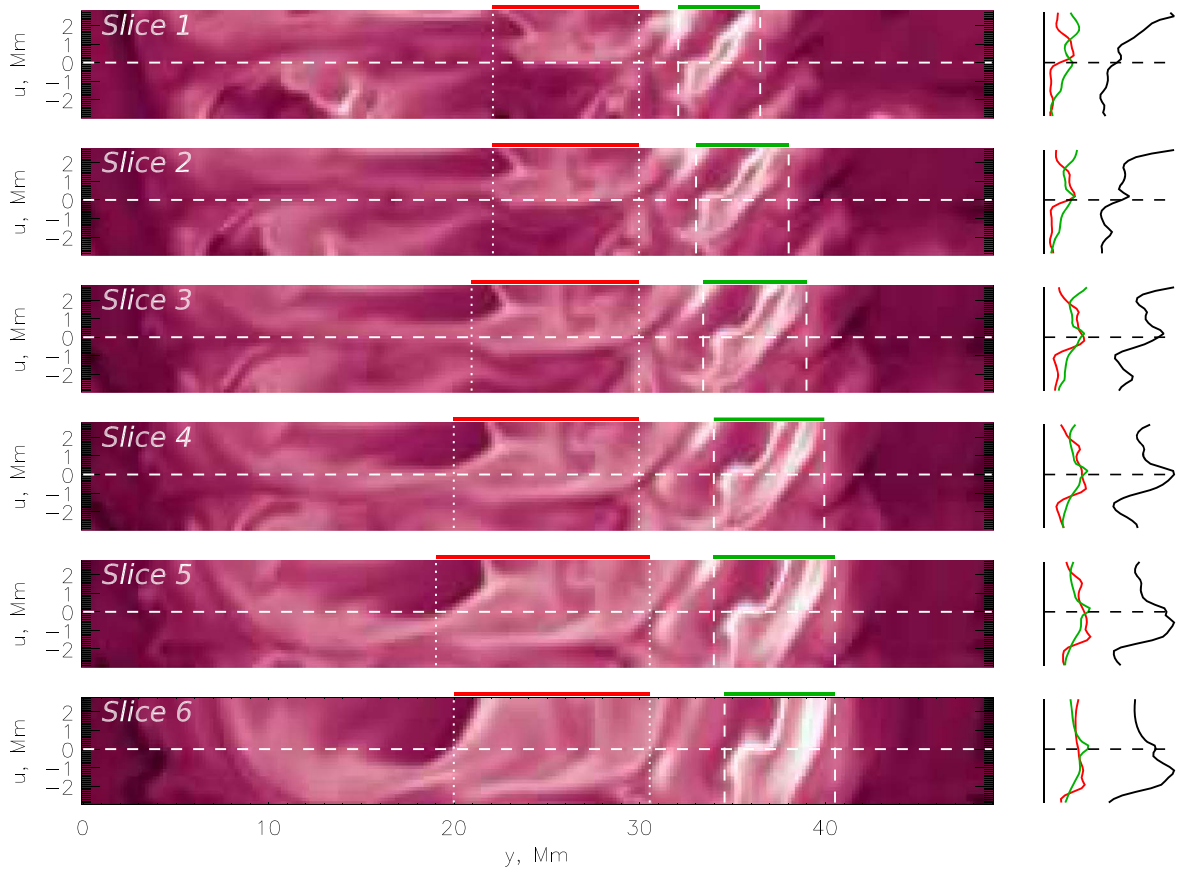


Figure 26. Slices of volumetric emissivity across loop A04 from Figure 25, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “green” domain.

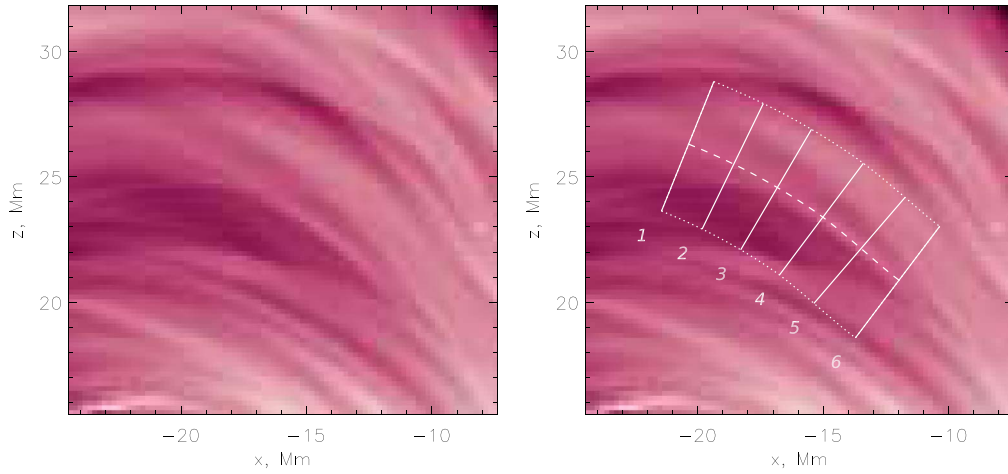


Figure 27. Loop A05 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 19.

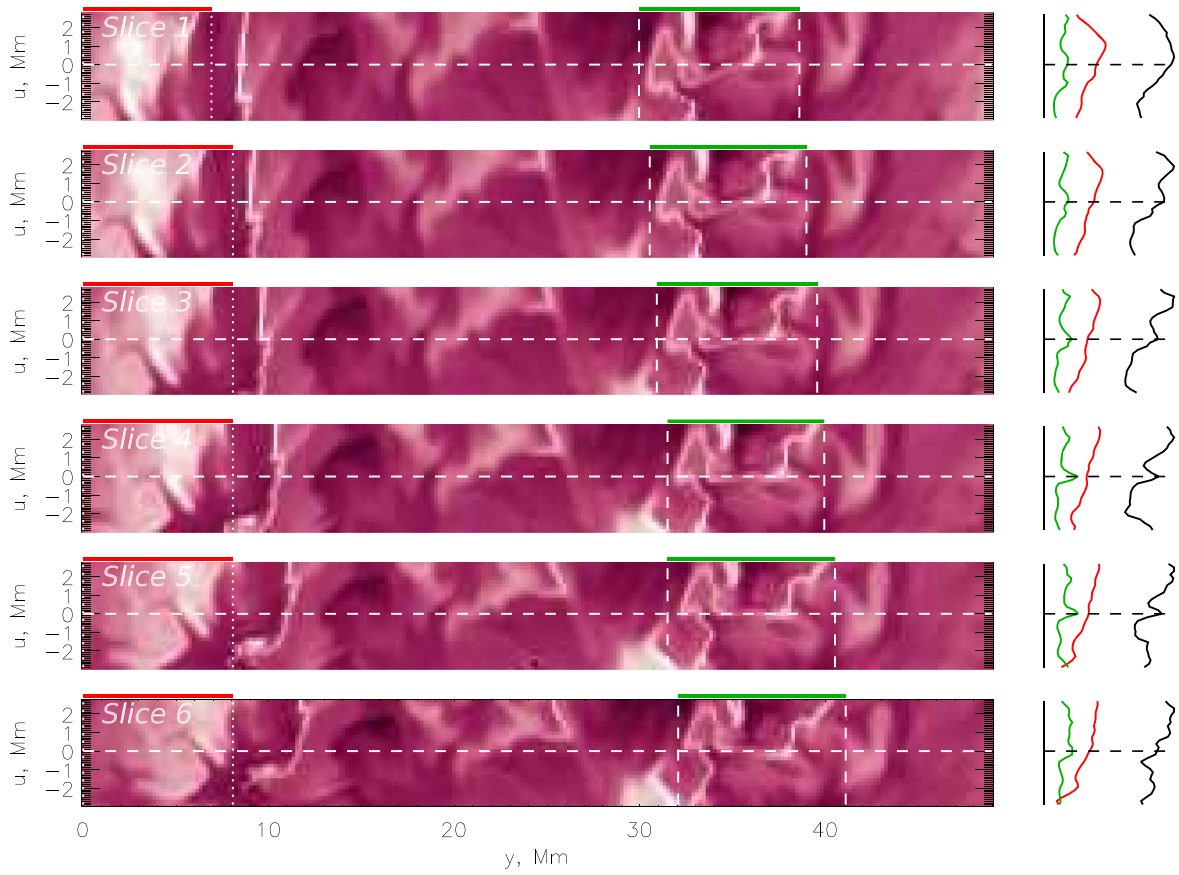


Figure 28. Slices of volumetric emissivity across loop A05 from Figure 27, displayed in a similar fashion as Figure 20. The loop is likely produced by the feature in the “green” domain.

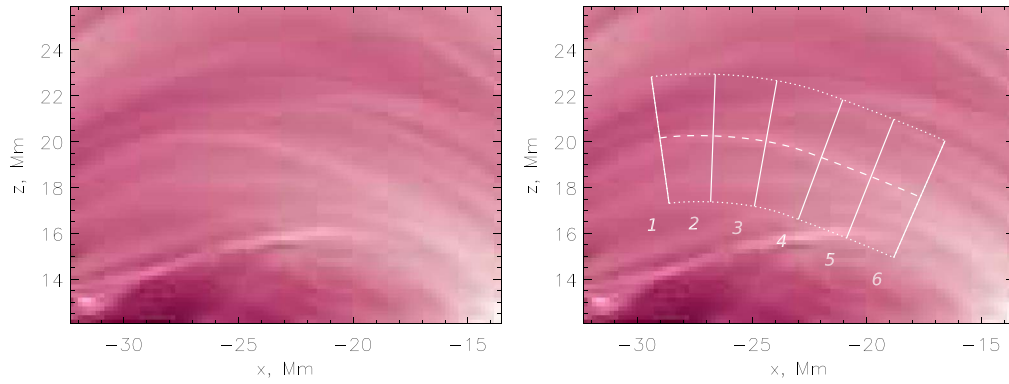


Figure 29. Loop A06 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 19.

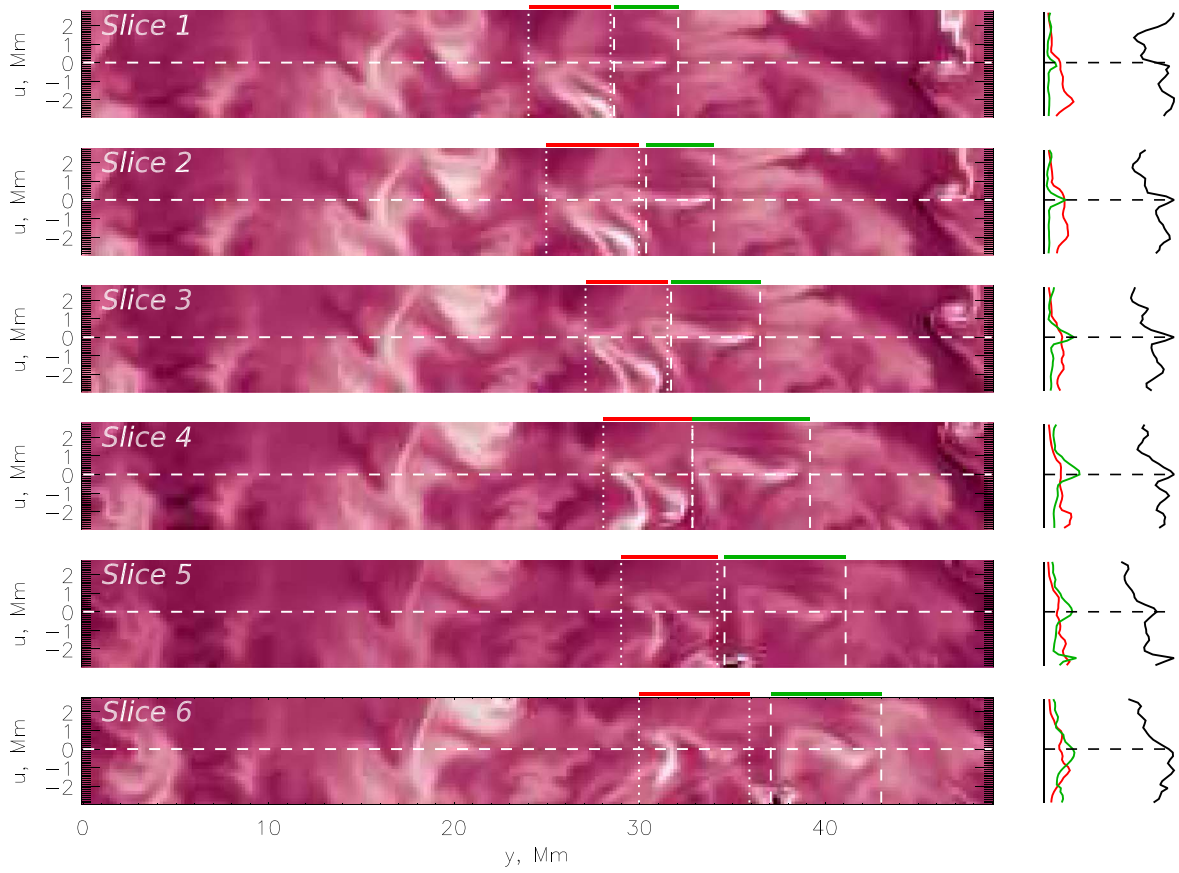


Figure 30. Slices of volumetric emissivity across loop A06 from Figure 29, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “green” domain.

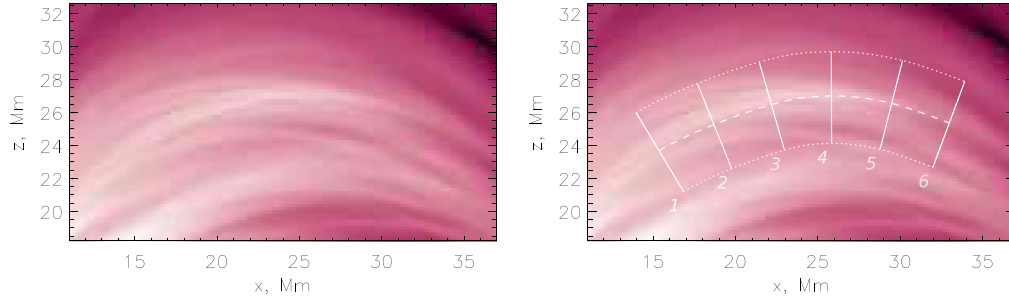


Figure 31. Loop A07 from the synthetic 211 Å image, displayed in the same fashion as the one in Figure 19.

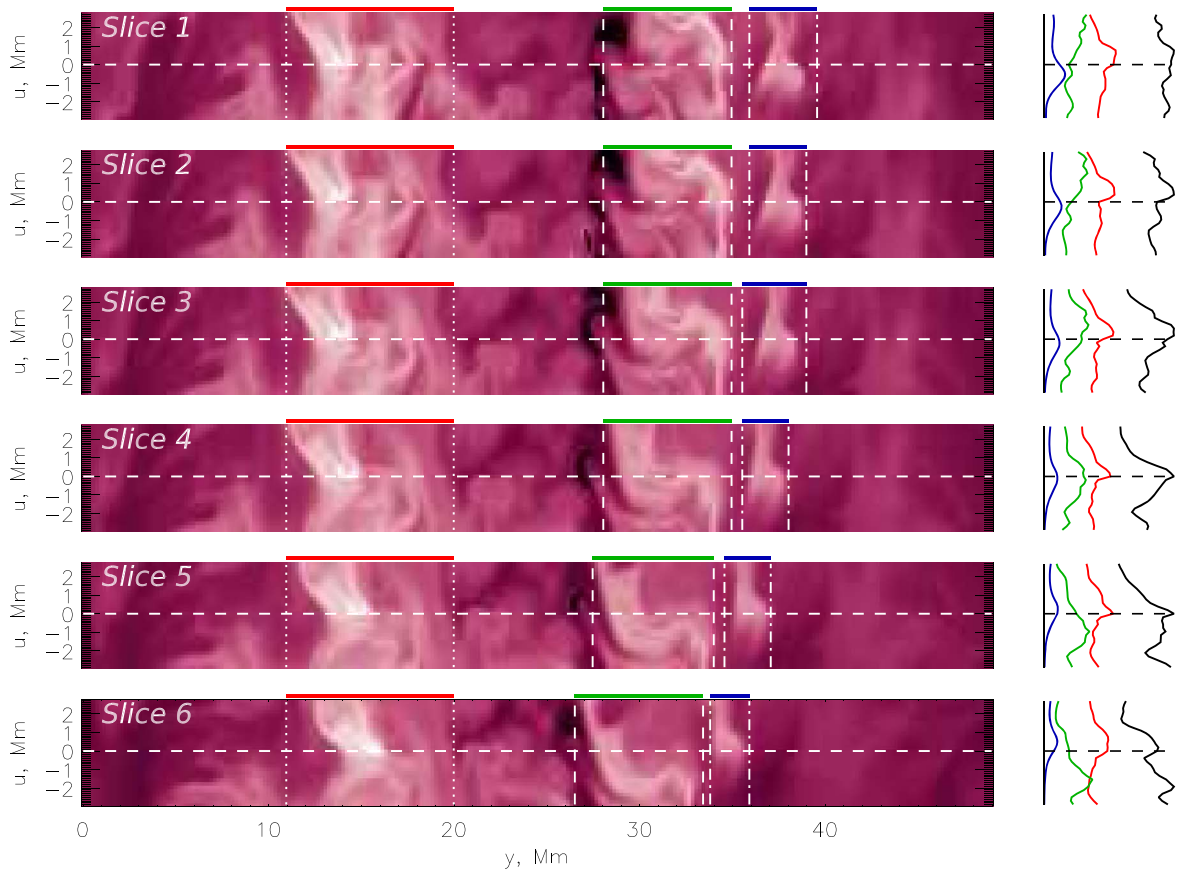


Figure 32. Slices of volumetric emissivity across loop A07 from Figure 31, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “red” domain.

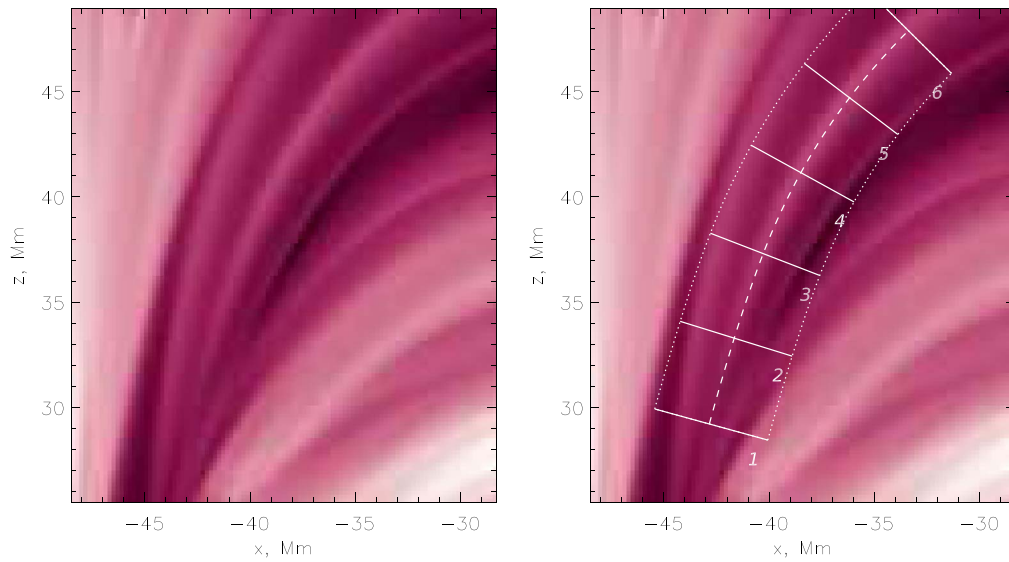


Figure 33. Loop A8 from the synthetic 171 Å image, displayed in the same fashion as the one in Figure 19.

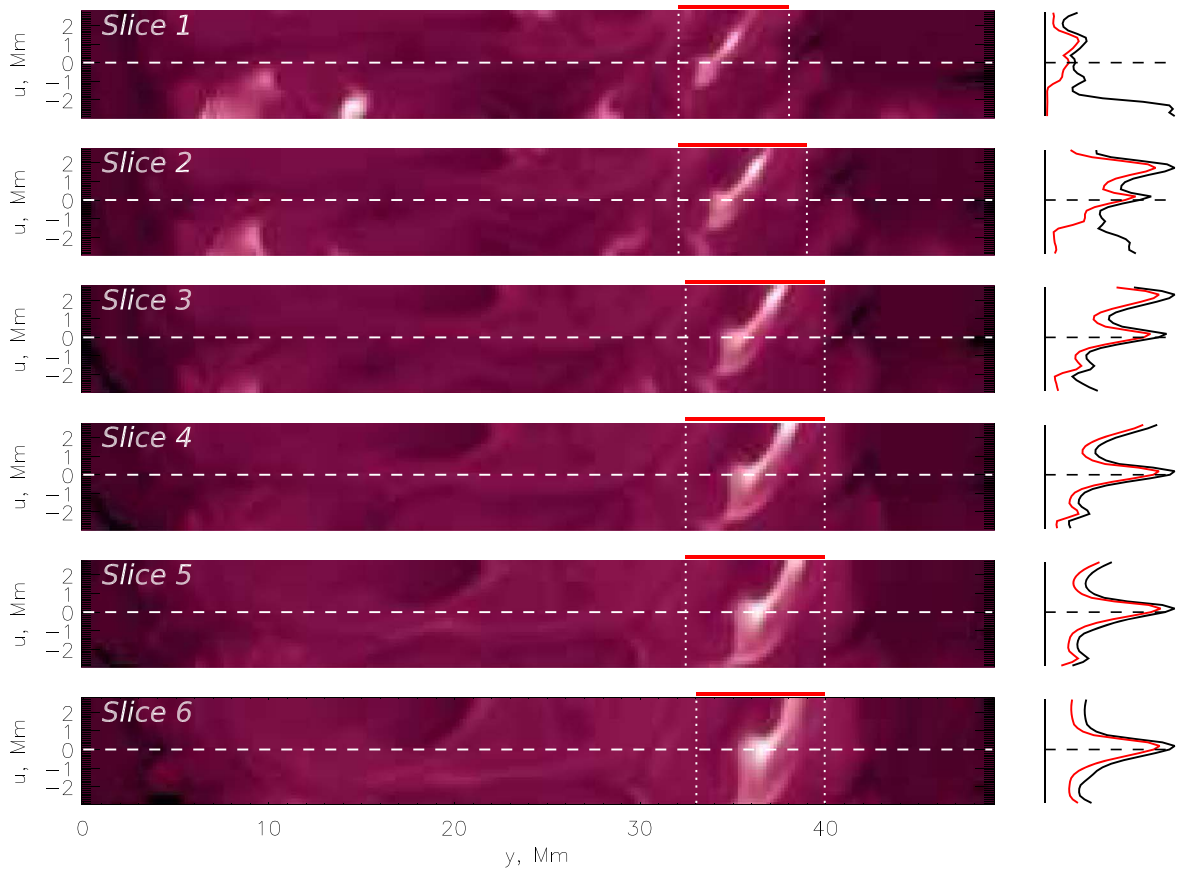


Figure 34. Slices of volumetric emissivity across loop A8 from Figure 33, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “red” domain.

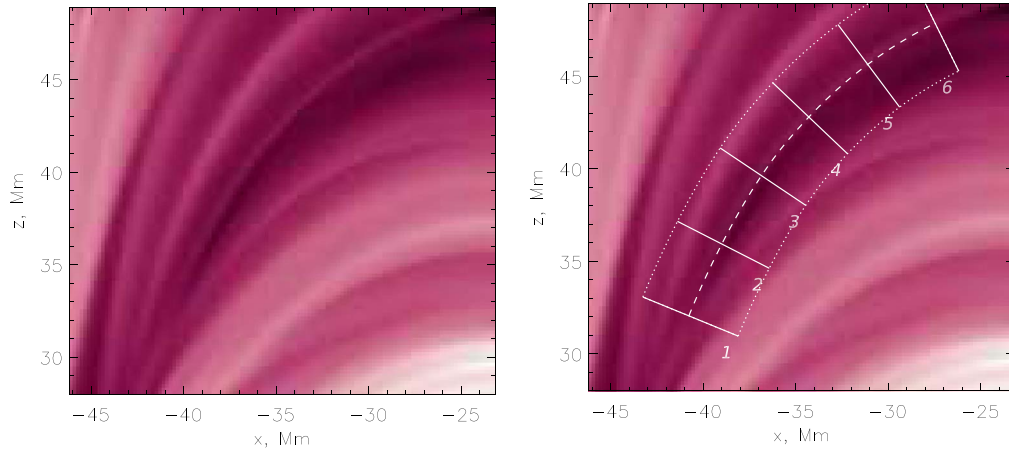


Figure 35. Loop A09 from the synthetic 171 Å image, displayed in the same fashion as the one in Figure 19.

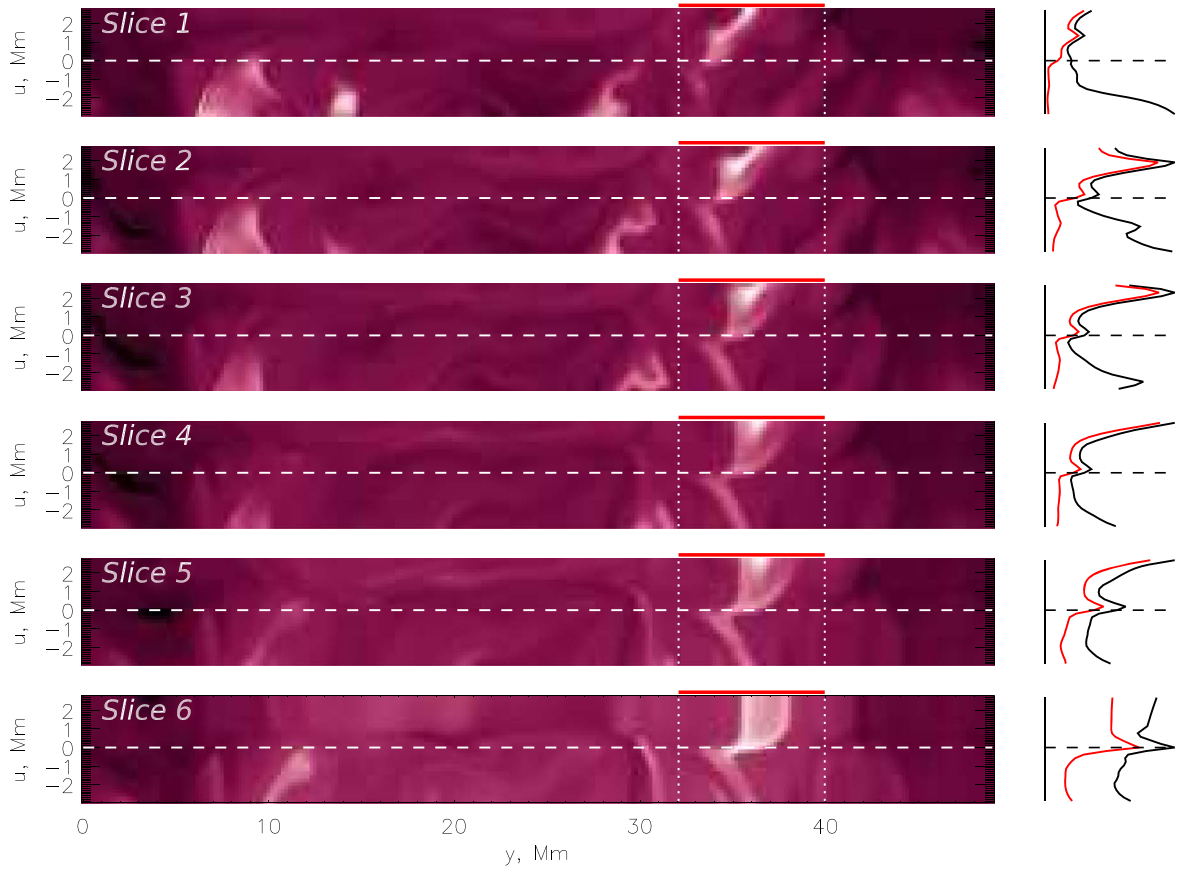


Figure 36. Slices of volumetric emissivity across loop A9 from Figure 35, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “red” domain.

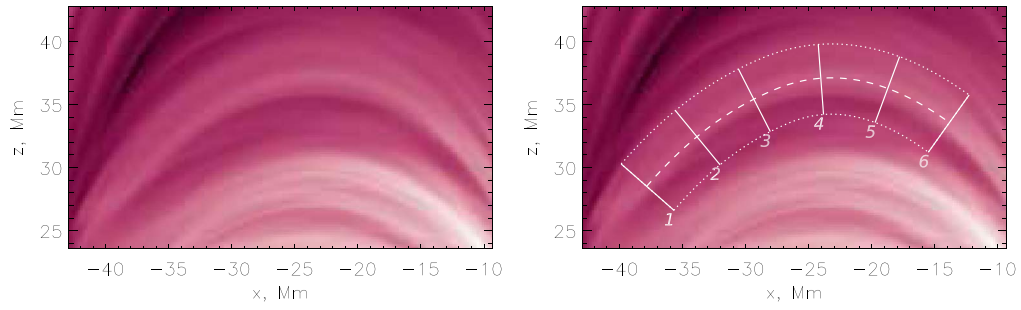


Figure 37. Loop A10 from the synthetic 171 Å image, displayed in the same fashion as the one in Figure 19.

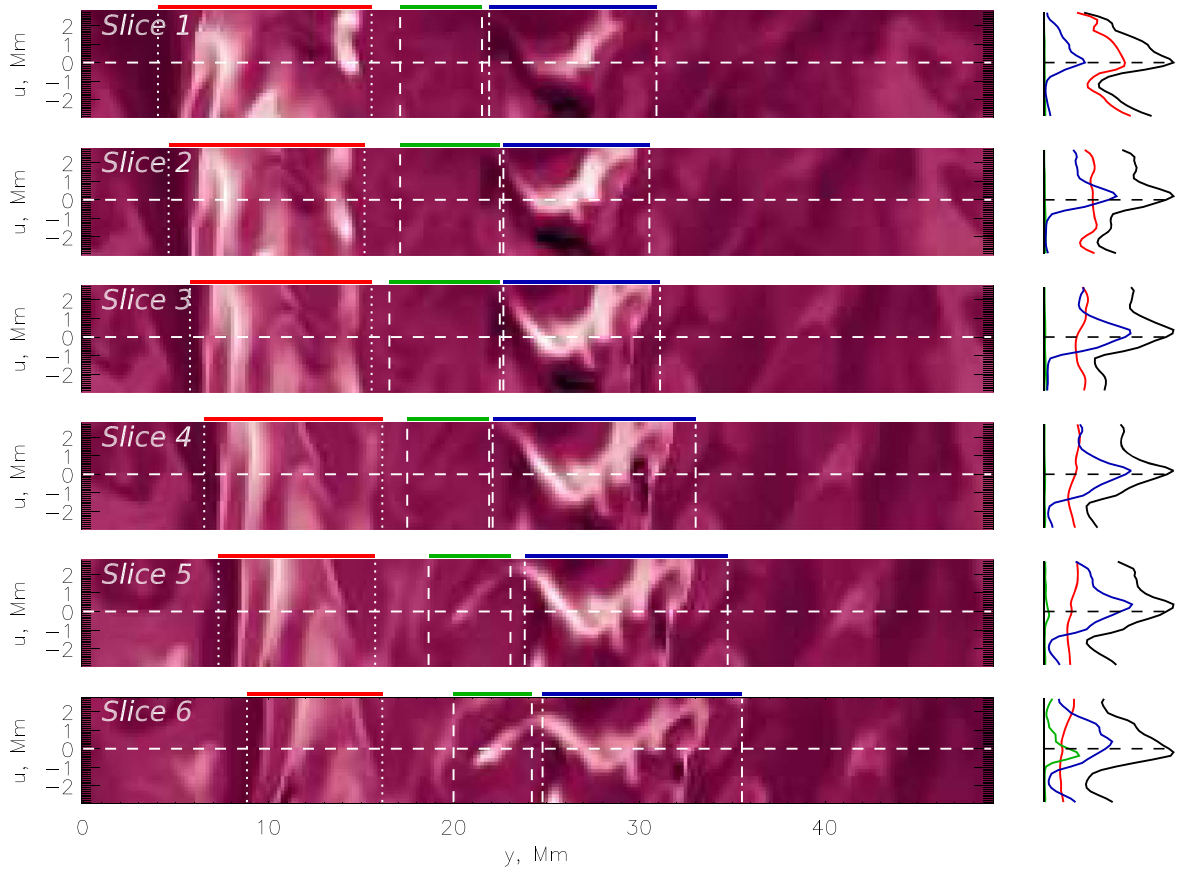


Figure 38. Slices of volumetric emissivity across loop A10 from Figure 37, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “blue” domain.

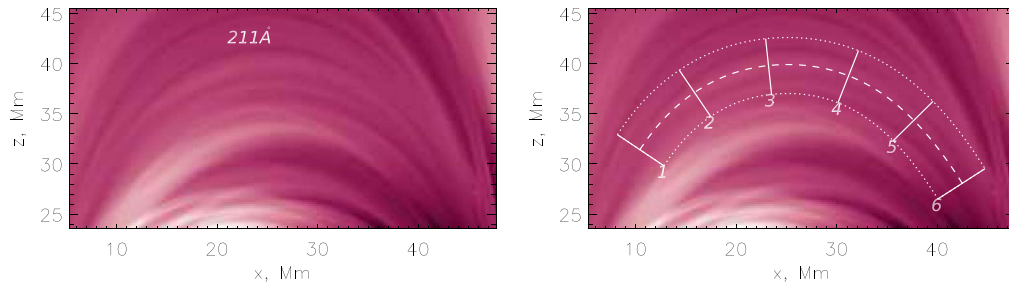


Figure 39. Loop A11 from the synthetic 171 Å image, displayed in the same fashion as the one in Figure 19.

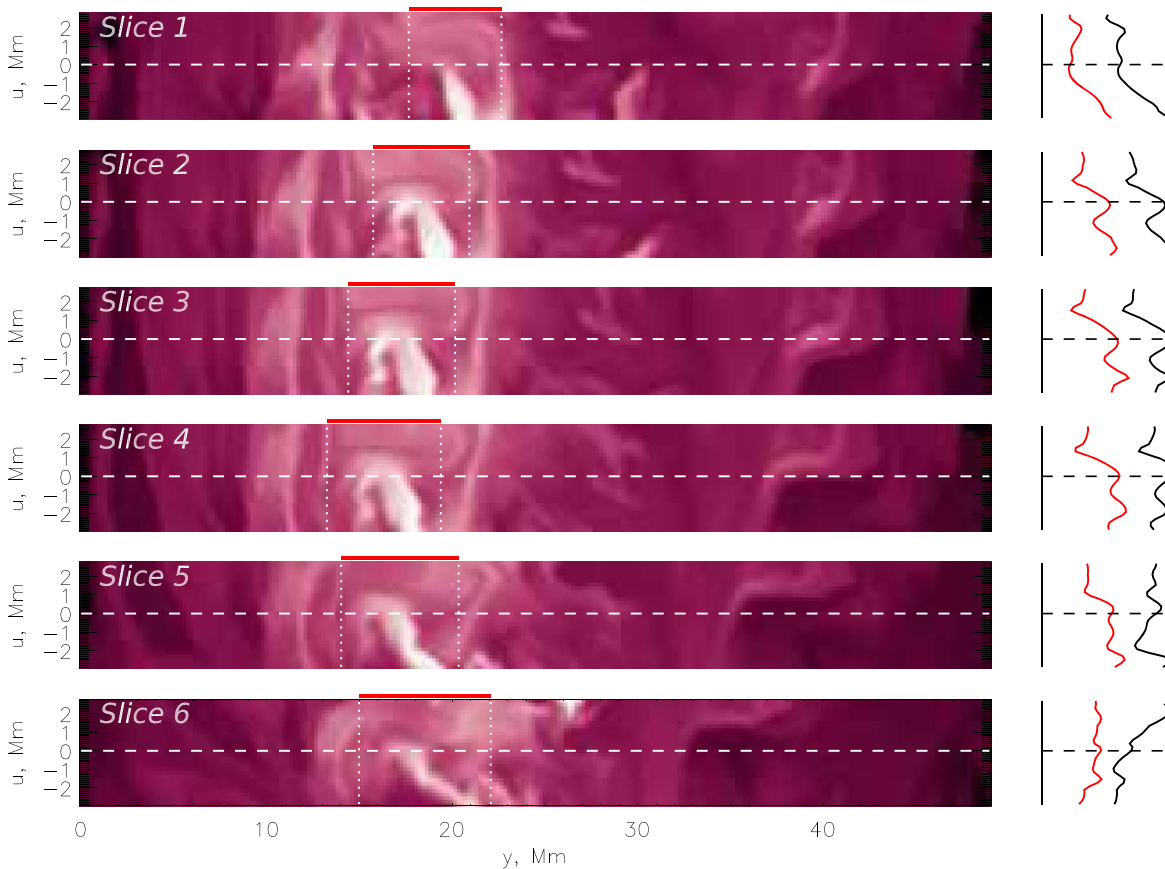


Figure 40. Slices of volumetric emissivity across loop A11 from Figure 39, displayed in a similar fashion as in Figure 20. The loop is likely produced by the feature in the “red” domain.

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