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# Robotic Software Architecture for In-Space Outfitting Operations

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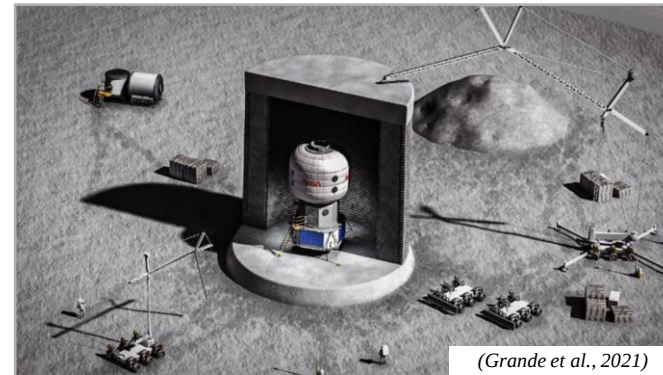
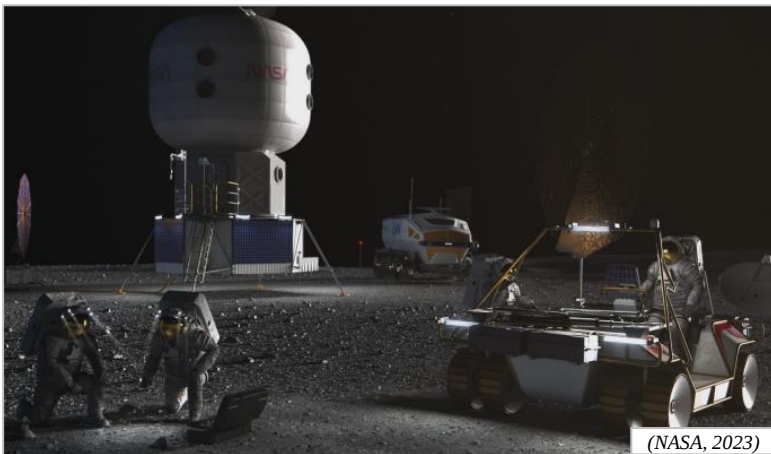
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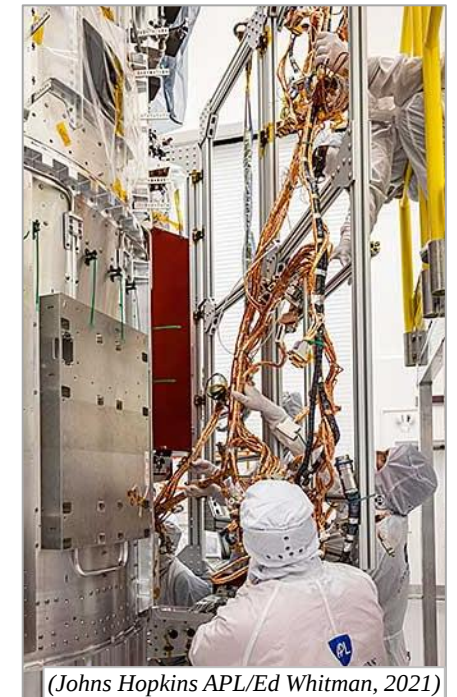
# Lunar Construction and Outfitting

- Goal to have a sustained, long-term presence on the lunar surface
- Excavation, Construction, and Outfitting technologies critical to infrastructure
  - *M2M Objectives LI-2: Demonstrate advanced manufacturing and autonomous construction capabilities in support of continuous human lunar presence and a robust lunar economy.*
- A permanent facility will not have a constant crewed presence
  - Robotic capabilities crucial for infrastructure



# Robotic Outfitting

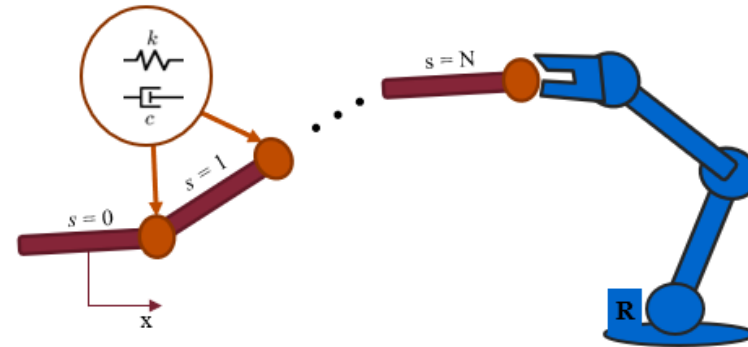
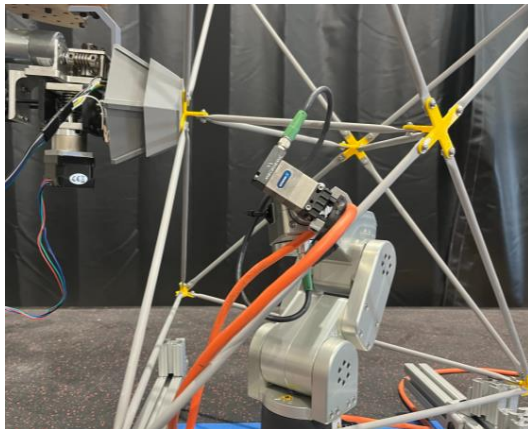
- This work focuses on performing **outfitting tasks with autonomous systems**
  - *In-situ* installation of subsystems to create a fully functional system
- Outfitting often involves the routing and installation of cables
  - Cables are considered Deformable Linear Objects (DLOs)
- Challenges of autonomous cable routing:
  - System complexity (computational difficulty)
  - Complications of in-space environment
  - Obstacle Density



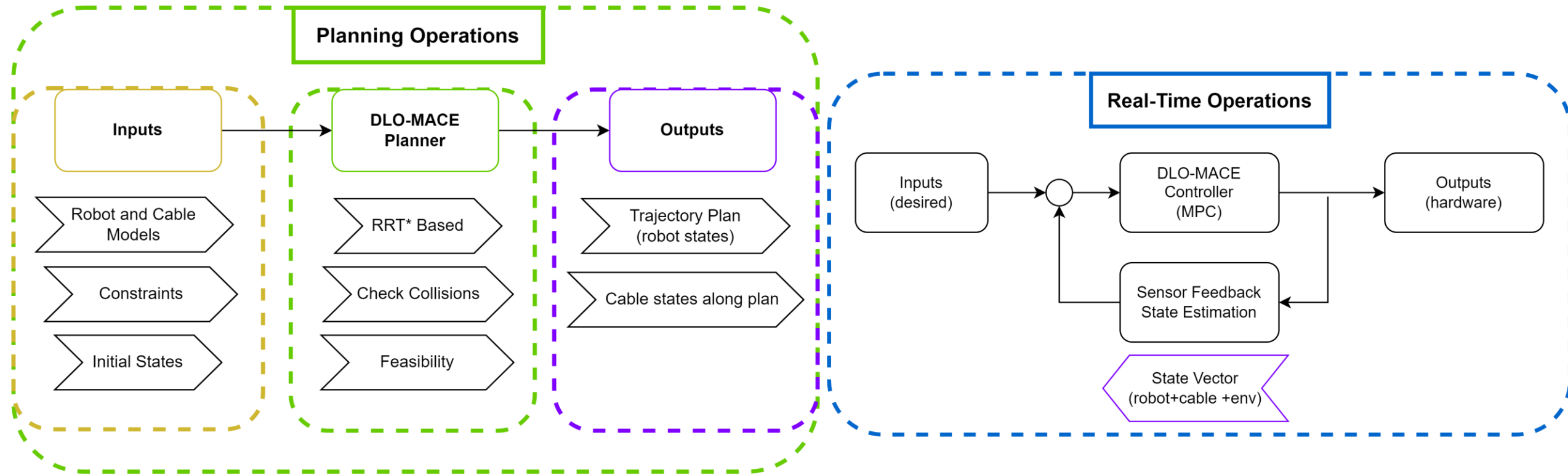
# Research Problem Formulation

**Solution:** Architecture to facilitate a computationally viable model for both structural and non-rigid elements in autonomous assembly operations with complex workspaces.

- Leverage state-of-the-art in various robotic disciplines
- DLO Manipulation Architecture for Cluttered Environments (DLO-MACE)

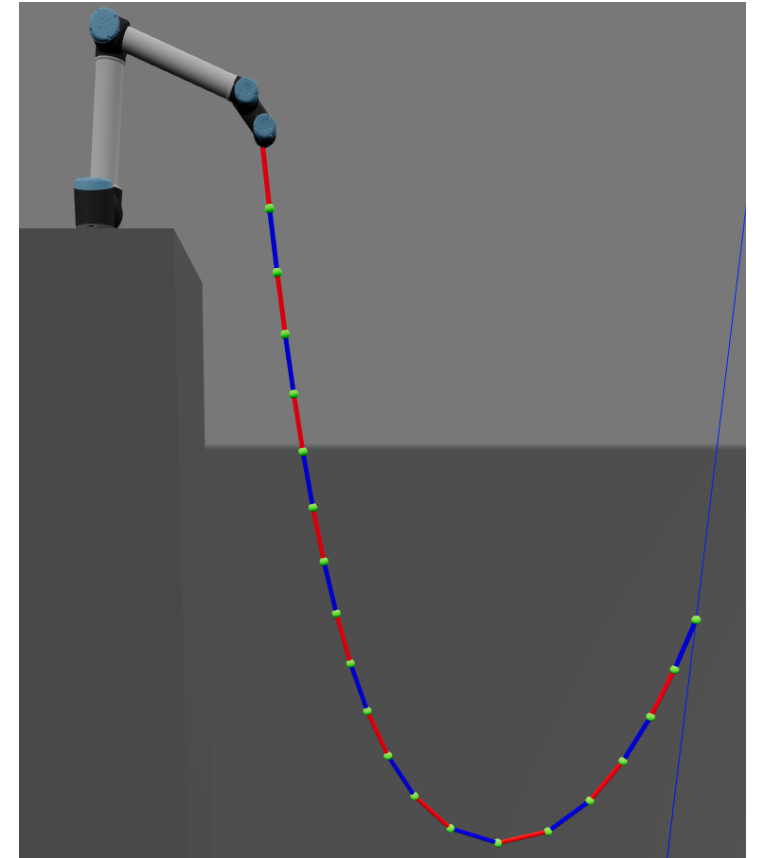


# Architecture Overview



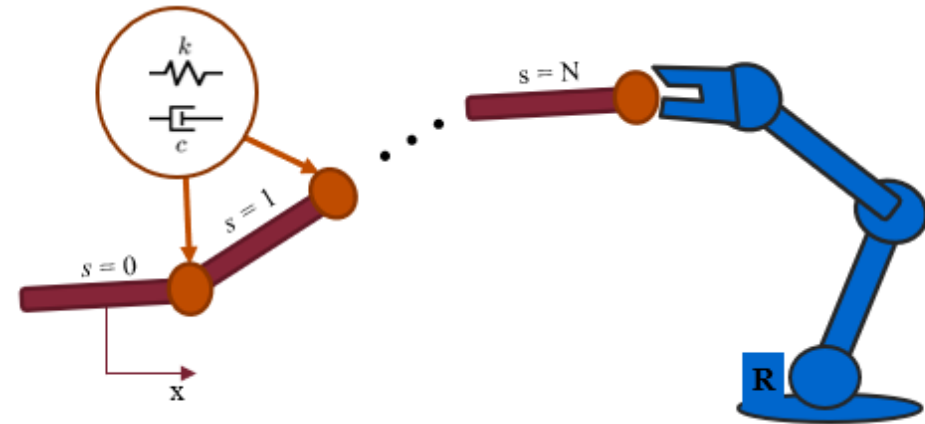
# Research Problem Formulation

- DLO-MACE Components
  - **DLO Modeling**
  - Optimization Planning
  - Real-time Control
  - State Estimation
- Understanding the DLO model is essential
  - Represent cable
  - Start with static implementation to verify model fundamentals



# Model Formulation

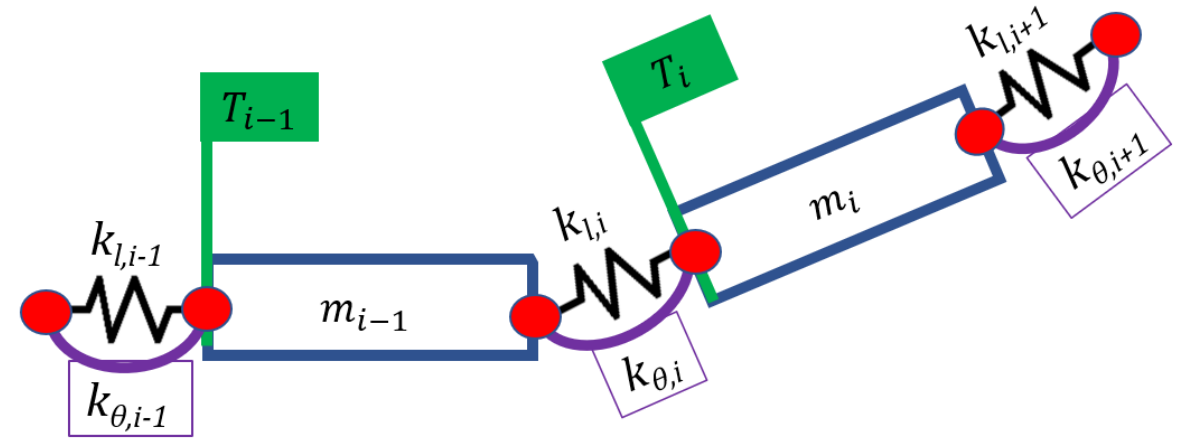
- Modeling Cables as DLOs
  - Multiple formulation approaches: discretized models, continuum models, model-free neural-network
- Discrete Multibody Model
  - Cable broken up into a fixed number of rigid body segments
  - Connect links with springs and dampers
- Static Configuration
  - Only springs
  - 2D to simplify derivations
  - Compare with hardware images



# Model Formulation

- $n$  Link Segments
  - Rigid component with mass  $m_i = m_{link} = \frac{m_{cable}}{n}$
  - Base and forward nodes ●
  - Linear and rotational springs
- Generalized Coordinates:
  - Spring deformation
$$\mathbf{q} = [\theta_1 \ \delta x_1 \ \dots \ \theta_{n+1} \ \delta x_{n+1}]$$
- Homogeneous transformation matrices
  - Link orientation and position

$$\mathbf{T}_i \in \mathbb{R}^{4 \times 4} = \begin{bmatrix} \mathbf{R}_i & \mathbf{p}_i \\ \mathbf{0} & 1 \end{bmatrix}$$



# Minimum Potential Energy

- Static configuration at minimum potential energy

- At rest, no kinetic energy

- Total potential energy ( $U$ ) in system

- Linear and torsional spring potential

$$U = \frac{1}{2} k \delta^2$$

- Calculate height of link  $y_i(\mathbf{q})$  for gravity potential

$$U = m_{link} g y_i$$

- Formulate as optimization problem

- **Cost:** Potential Energy
- **Variables:** Generalized Coordinates,  $\mathbf{q}$
- **Constraints:** Start and end points of cable

Total Potential Energy

$$U(\mathbf{q}) = \sum_{i=1}^n \frac{1}{2} k_r \theta_i^2 + \frac{1}{2} k_l \delta x_i^2 + m_{link} g y_i(\mathbf{q})$$

Optimization Problem

$$\min_{\mathbf{q}} f(\mathbf{q}) = \sum_{i=0}^n \frac{1}{2} k_r \theta_i^2 + \frac{1}{2} k_l \delta x_i^2 + m_{link} g y_i(\mathbf{q})$$

$$\text{subject to } g(\mathbf{q}) = |\mathbf{p}_n - \mathbf{p}_{des}| \leq 0$$

$$h(\mathbf{q}) = \mathbf{p}_0 = 0$$

End position

Start position

# Optimization Problem

- Spring deflections between links  $(i - 1)$  and  $(i)$   
 $\mathbf{q}_i = [\theta_i \quad \delta x_i]$
- Current link transformation

$$\mathbf{T}_i(\mathbf{q}) = \mathbf{T}_{i-1}(\mathbf{q}) \mathbf{T}_{link} \mathbf{T}_{spr,i}^{link}(\mathbf{q}_i)$$



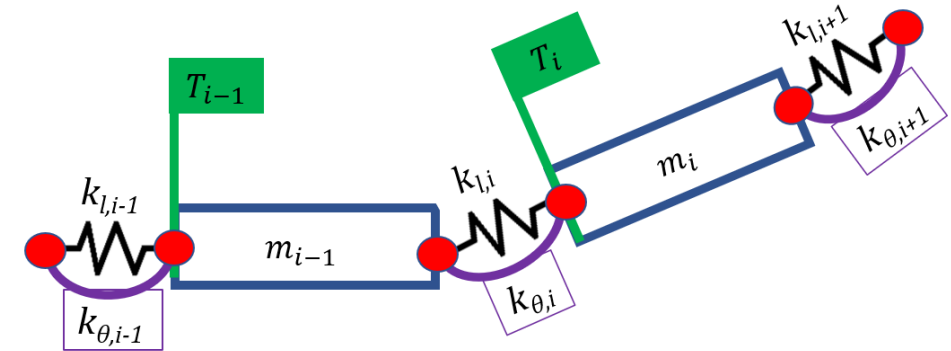
$$\mathbf{T}(\mathbf{q}_i)_{spr,i}^{link} = \begin{bmatrix} \mathbf{R}(\theta_i) & \mathbf{R}(\theta_i) \begin{bmatrix} \delta x_i \\ 0 \end{bmatrix} \\ \mathbf{0} & 1 \end{bmatrix}$$

Transformations to solve cost and constraint eqns.

- Solve for center of mass height  
 $y_i(\mathbf{q}) = \mathbf{e}_2 \mathbf{T}_i(\mathbf{q}) \mathbf{T}_{COM}(\mathbf{q}) \mathbf{e}_4$
- End position constraint  
 $\mathbf{p}_n(\mathbf{q}) = \mathbf{T}_n(\mathbf{q}) \mathbf{T}_{link} \mathbf{T}_{spr,n+1}^{link}(\mathbf{q}_i) \mathbf{e}_4$

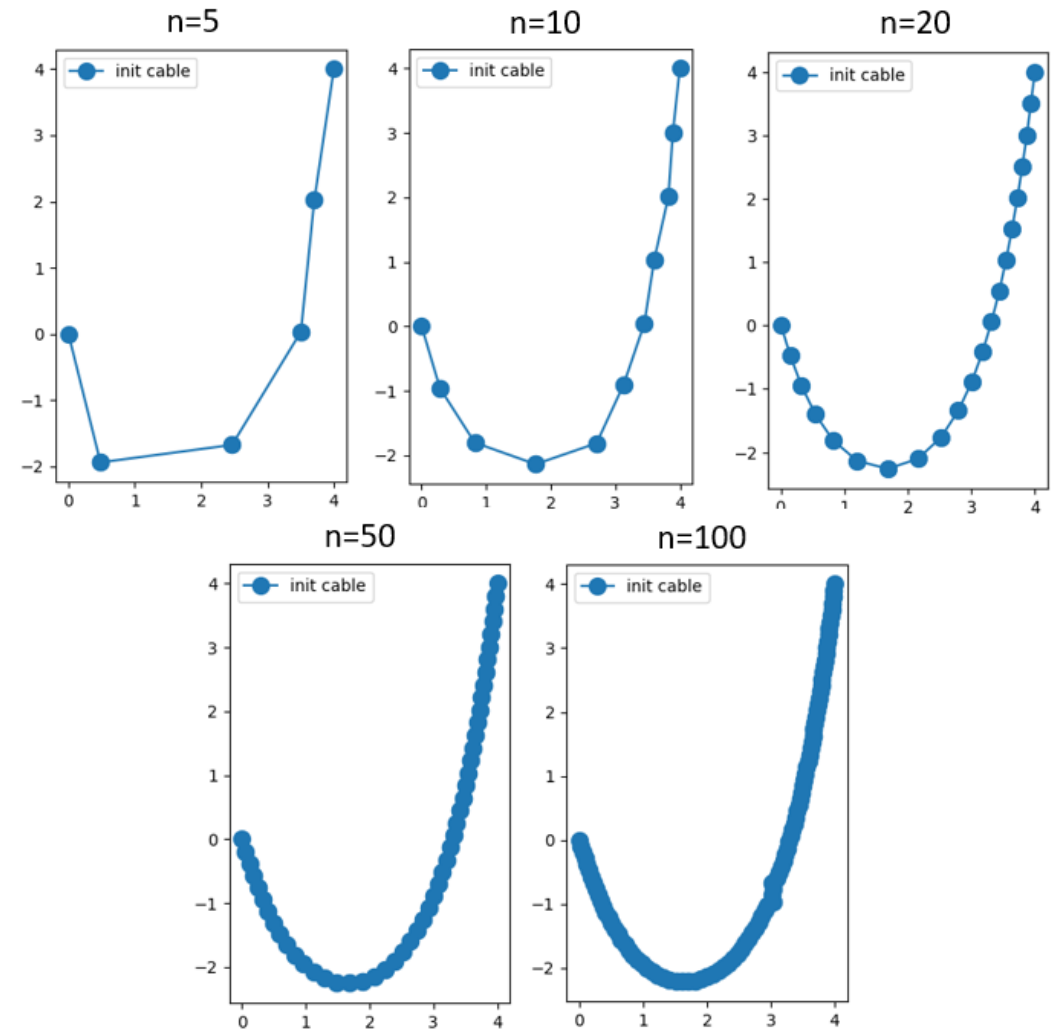
$$\mathbf{e}_i = [0 \dots 1 \dots 0] \in \mathbb{R}^4$$

One in  $i^{th}$  entry



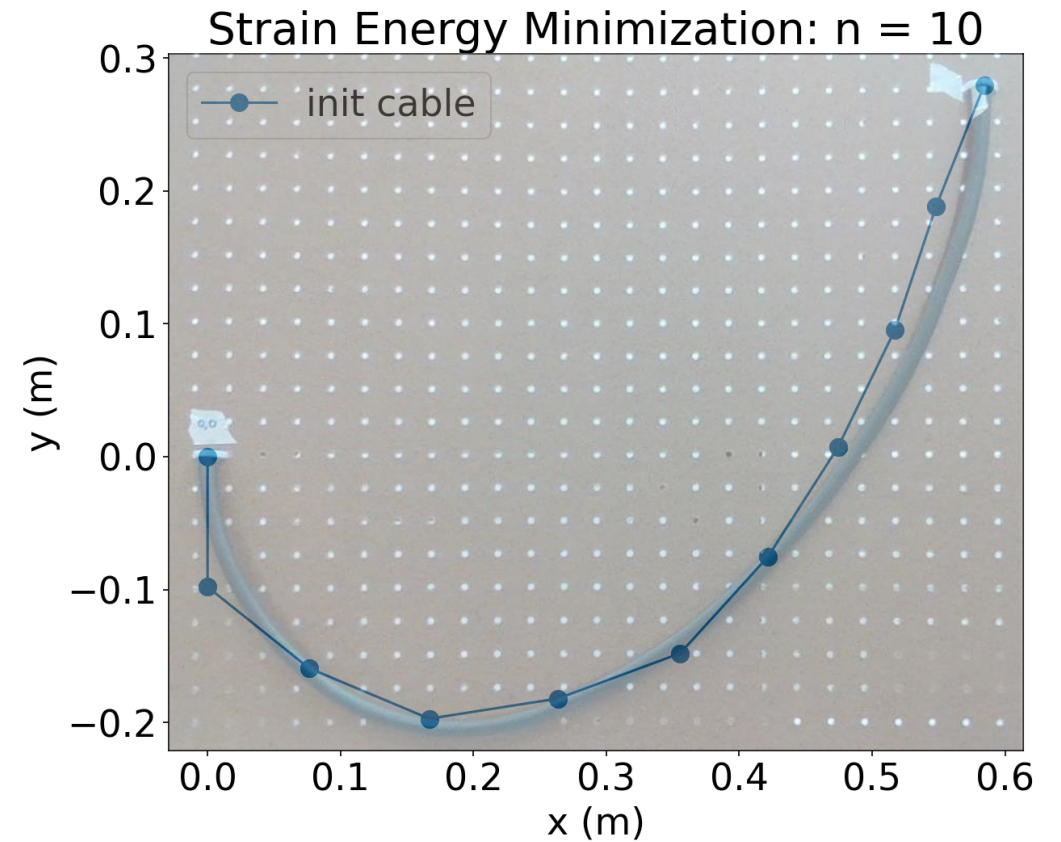
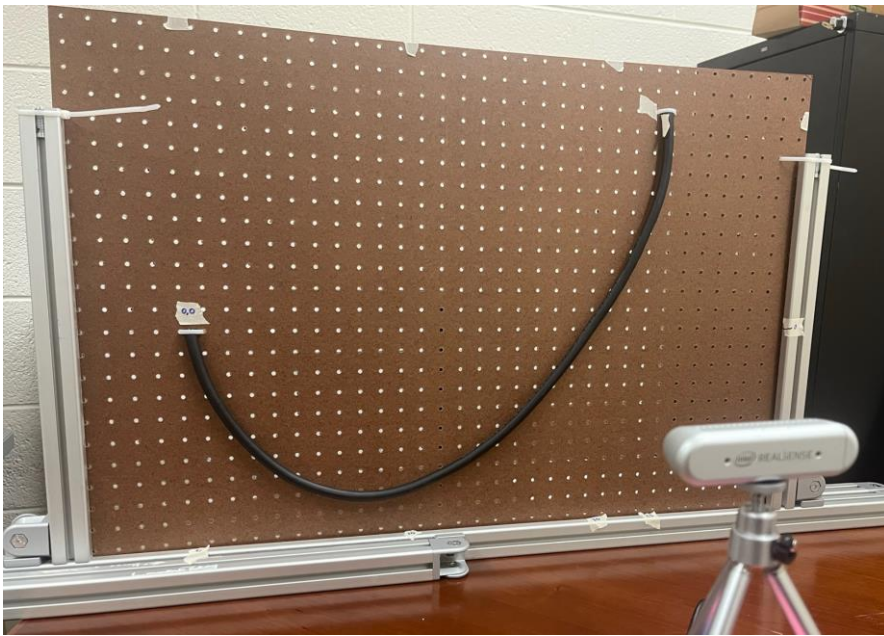
# Minimized State Vector

- Parametric model
  - Number of links as design parameter
- Tradeoff between accuracy and size of state space
  - Higher accuracy requires more computational time
  - Future work into generating tradeoff curve
- Leverage scenario goals to determine minimal state vector size
  - How cluttered is environment?
  - How fast does the control loop need to be?



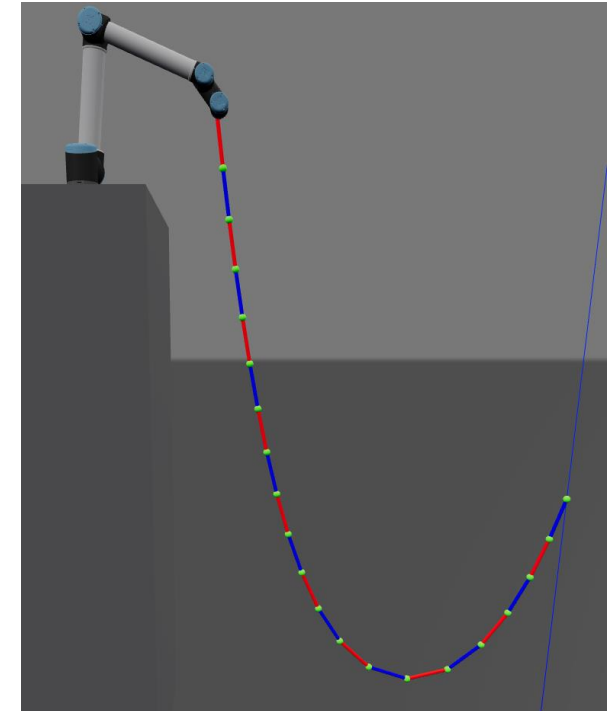
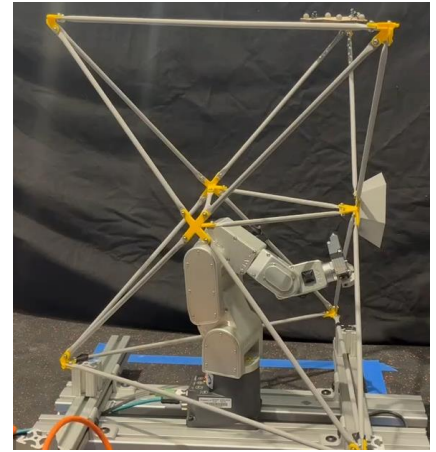
# Hardware Validation

- Two-dimensional evaluation of real cable
- System ID to identify cable stiffness



# Ongoing Work

- Further evaluate static case with hardware
  - Optimize system ID procedure
- Integrate quasi-static motion with trajectory planner
  - RRT\* or similar
- Integrate Dynamics
- Tradeoff between accuracy and degree of discretization
  - Compare with high fidelity Cosserat rod model
- Integrate with robotic system to automate outfitting





# Questions?

# References

*In order of appearance*

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# ASCEND™

[ascend.events](https://ascend.events)

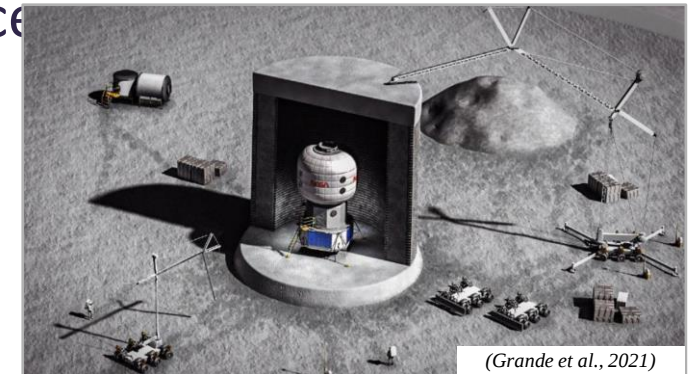




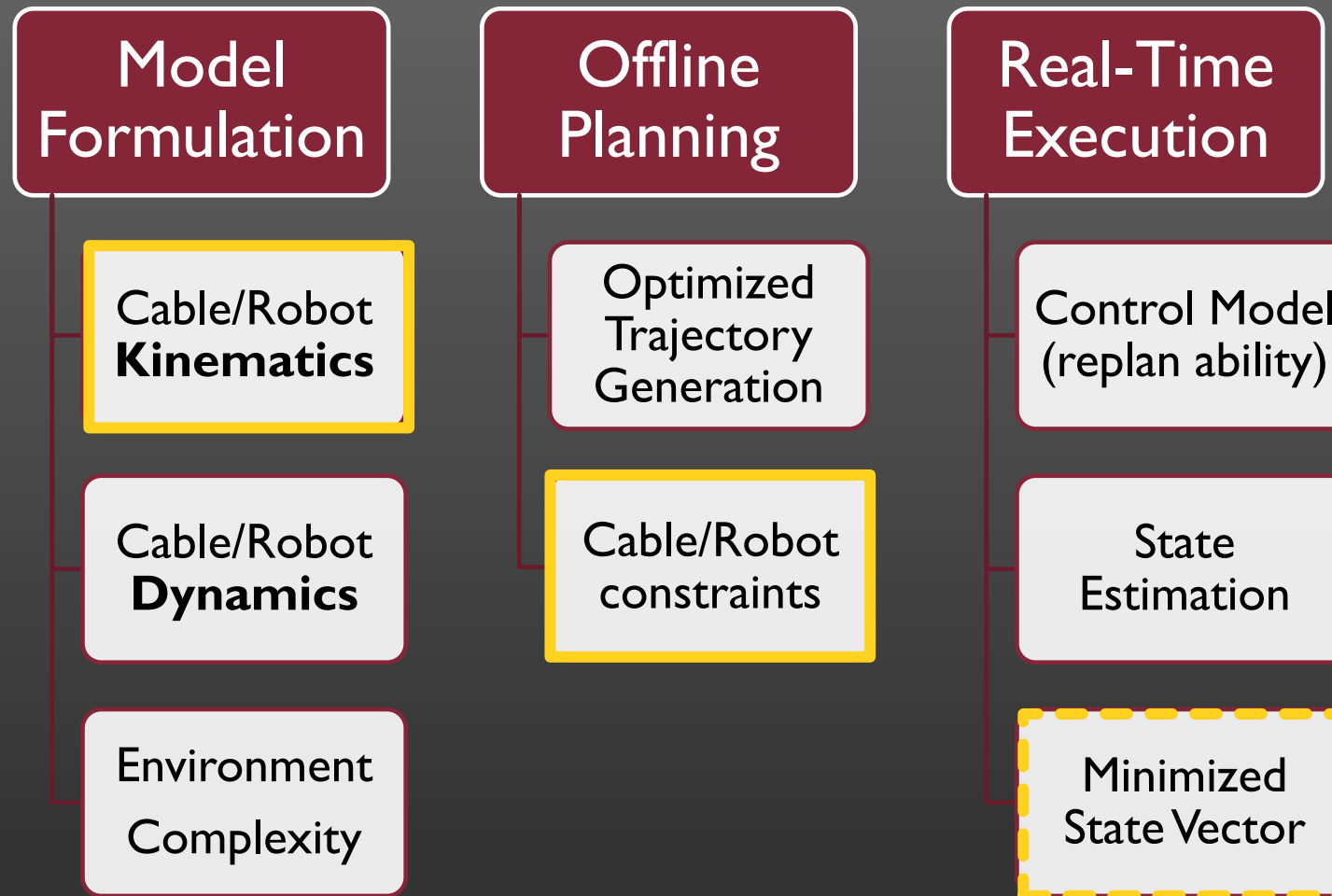
# BACKUP

# Robotic Construction and Outfitting

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- Excavation, Construction, and Outfitting technologies critical for lunar infrastructure
  - *M2M Objectives LI-2: Demonstrate advanced manufacturing and autonomous construction capabilities in support of continuous human lunar presence and a robust lunar economy.*
- A permanent facility will not have a constant crewed presence
  - Robotic capabilities crucial for infrastructure
- This work focuses on performing **outfitting tasks with autonomous systems**
  - *In-situ* installation of subsystems to create a fully functional system
  - Applications for lunar surface work, in-space assembly, and terrestrial construction



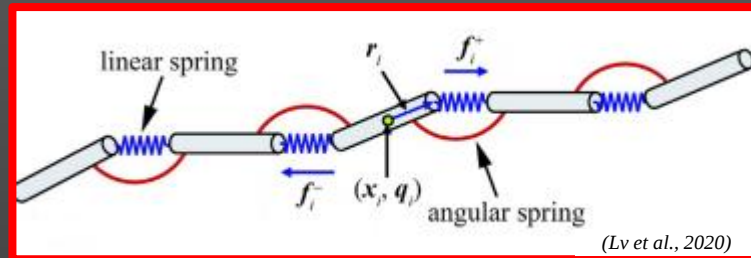
# ARCHITECTURE OVERVIEW



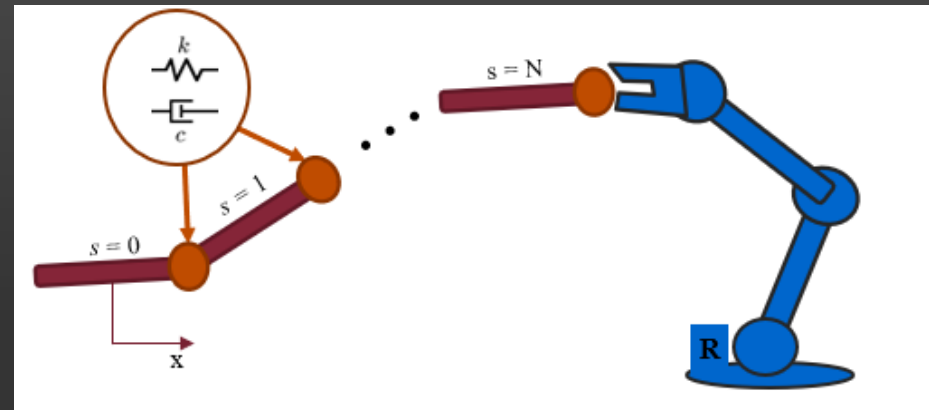
# MODEL FORMULATION

## CABLES

- Cables are considered Deformable Linear Objects (DLOs)
  - Multiple formulation approaches: discretized models, continuum models, model-free neural-network



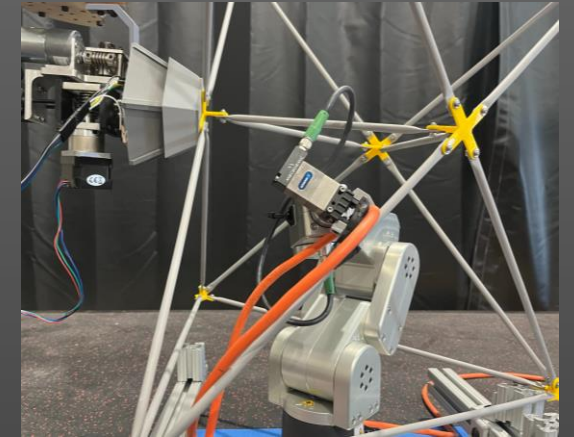
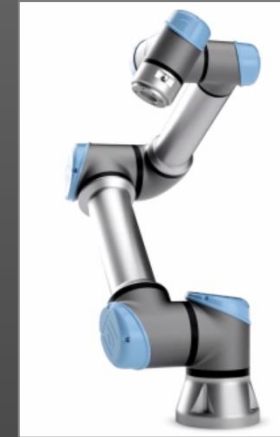
- Discrete Multibody Dynamics Model
  - Cable broken up into a fixed number of components
  - Connect links with springs and dampers



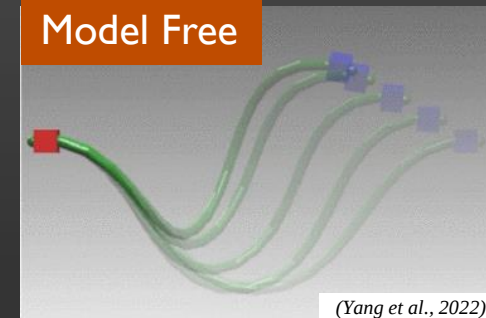
# MODEL FORMULATION

## ROBOTICS

- Utilize joint information to define robot based on joint position
  - Screw Theory Kinematic Formulation
- Transformation Matrices to represent spatial points of interest
  - Map position/velocities between joint space and task space
- Feasibility Experiments
  - Demonstrate serial robot arm for cable manipulation



Model Free

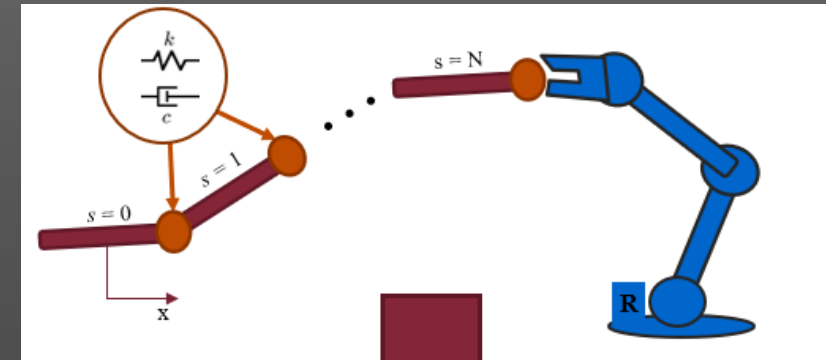


(Yang et al., 2022)

# MODEL FORMULATION

## ENVIRONMENT COMPLEXITY

- Cable and Robot models rely on an understanding of the full environment
- Complex applications make it difficult to access individual components
- Slowly introduce complexity into architecture



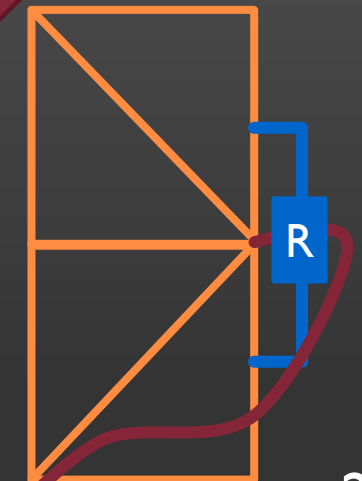
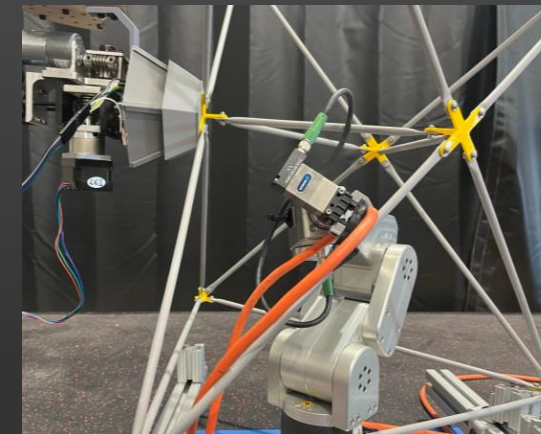
COMPLEXITY

2D - Drag cable, no obstacles

2D - Drag cable, obstacles in path

3D Anchored cable, path w/ obstacles

3D cluttered structure, space env.



# ROBOTICS

## ■ ROBOTICS

- Utilize available hardware (URs) and open-source tools (ROS/Python RTB)

## ■ TRAJECTORY

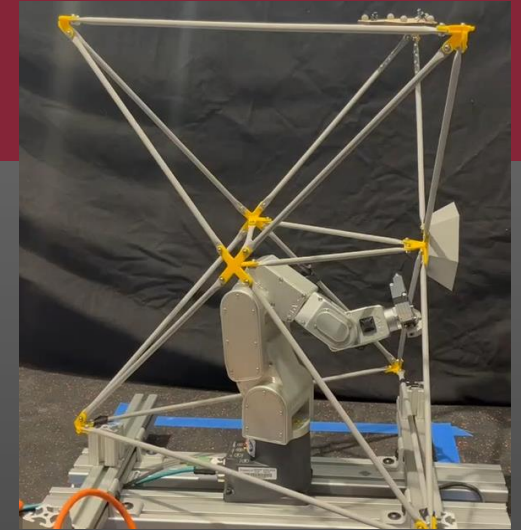
- Optimal planner (such as RRT\*, RRT#) with similar constraints to minimization problem
- Introduce route intermediate point constraints

## ■ CONTROL

- Model Predictive Control for path following
- Utilize the dynamics of the system to a certain time horizon to inform the control input to the system

## ■ STATE ESTIMATION

- Non-linear Filtering for SLAM (EKF, UKF, etc.)
- Model reduction techniques to be evaluated to reduce computational requirements



# OFFLINE PLANNING

- Utilize knowledge of the system to generate optimal trajectory
  - Known: Static environment (obstacles), cable model, robot kinematics
  - Cost function: Weighted combination of cable and robot motion
- Rapidly exploring Random Trees (RRT)
  - Graph based path planner to explore known space
  - RRT\* - optimal variation, allowing RRT graph to redo edges when lower cost path found
- Constraints
  - Collisions between objects
  - Avoid too much bending in cable
  - Known start, end, and waypoint positions cable must pass through

