



Safety Benefit Analysis of Conformance Monitoring for Situation Awareness in UTM

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Background & Motivation

Initial safety case was developed and published in the ASTM standard:

Strategic deconfliction (SD) can significantly mitigate UA to UA collision risk by two to three orders of magnitudes

Two key questions remain unanswered:

- 1) Can strategic deconfliction (SD) alone achieve the target level of safety?
- 2) Under what circumstances is conformance monitoring for situation awareness (CMSA) needed?



Outline



- Analysis Method
 - Assumptions in service modeling
 - Analysis model
 - Relationship Between Off-Nominal Flights and UA-to-UA Collision Risk
- Results: Conditions that require CMSA
 - Results driven by the risk of UA-to-UA collision
 - Results driven by the risk of ground injuries
- Conclusions



Assumption 1: When the SD is applied and operational intent volumes are valid, the UA-to-UA collision probability or Mid-Air-Collision (MAC) risk can be reduced to zero.

$$P(MAC|(SD \cap Valid_OIV)) = 0$$

Assumption 2: When the CMSA service is active, there is no time delay between when a UA goes off-nominal and when the updated off-nominal operational intent volume.

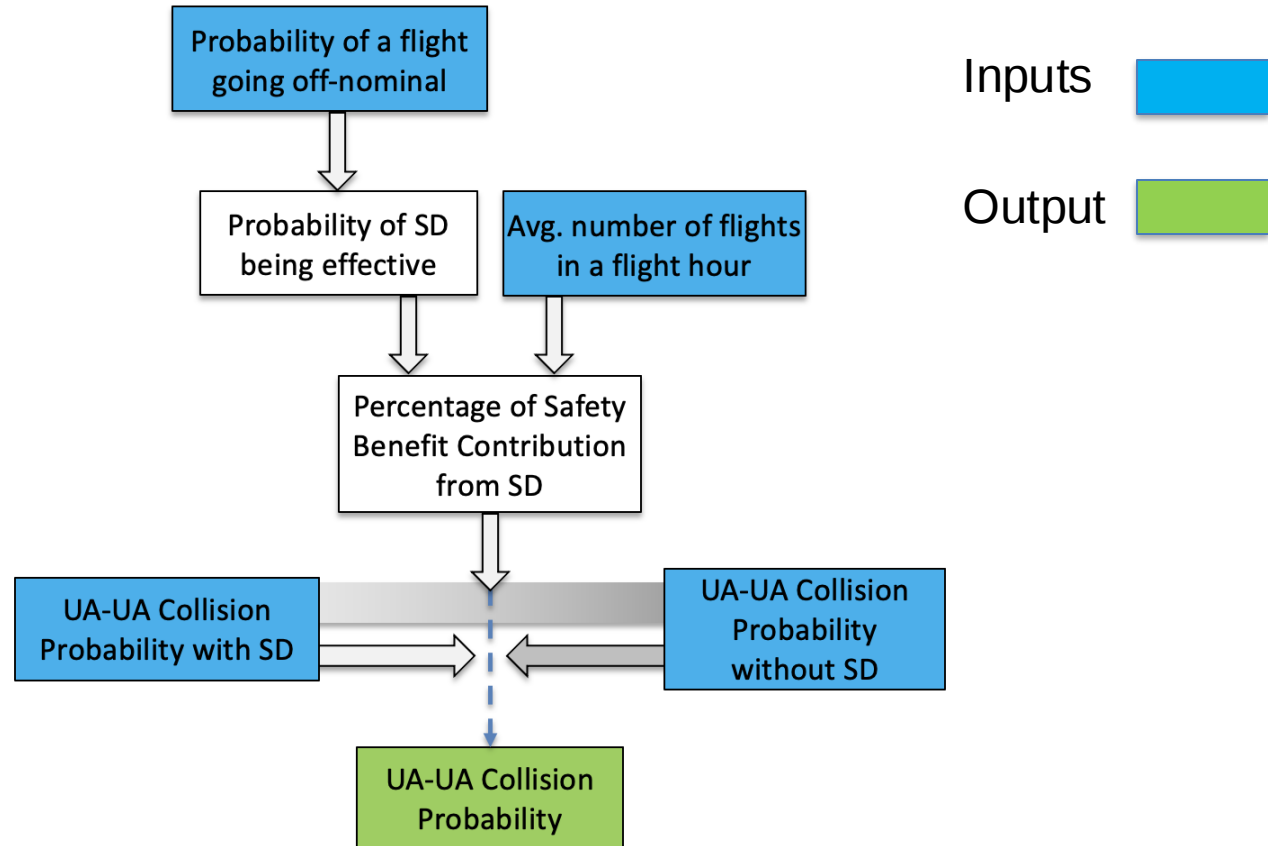
$$P(Valid_OIV|CMSA) = 1$$

Assumption 2: the CMSA is assumed to include deconfliction services - whether strategic or tactical deconfliction, and the deconfliction process takes no time to ensure successful resolution of potential conflicts.

$$P(MAC|(CMSA \cap SD)) = 0$$



Analysis Approach

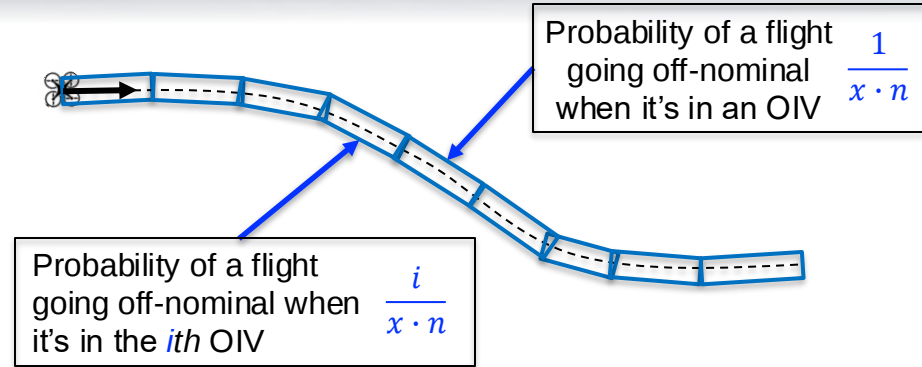


Step I: Probability of any OIV in a flight being invalid

- Probability of a flight going off-nominal: $\frac{1}{x}$

- Probability of the flight going off-nominal during any OIV is:

$$\frac{1}{x \cdot n}$$



- The probability of an operational intent volume (i th OIV of the total n OIVs in this flight) becomes invalid due to the flight going off-nominal is:

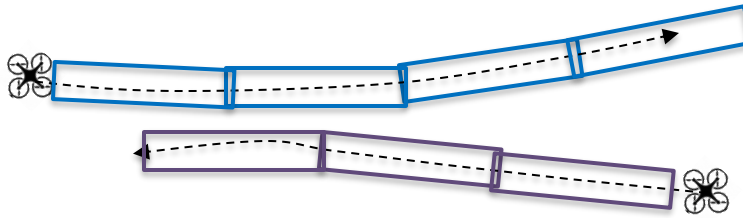
$$\frac{i}{x \cdot n}$$

- The probability of any operational intent volume (OIV) in a flight being invalid given the likelihood of the flight going off-nominal is then :

$$P(\text{invalid OIV exists in a flight}) = 1 - \prod_{i=1}^n \left(1 - \frac{i}{x \cdot n}\right) \approx \frac{1}{2x}$$

Step II: Percentage of the safety contribution from SD

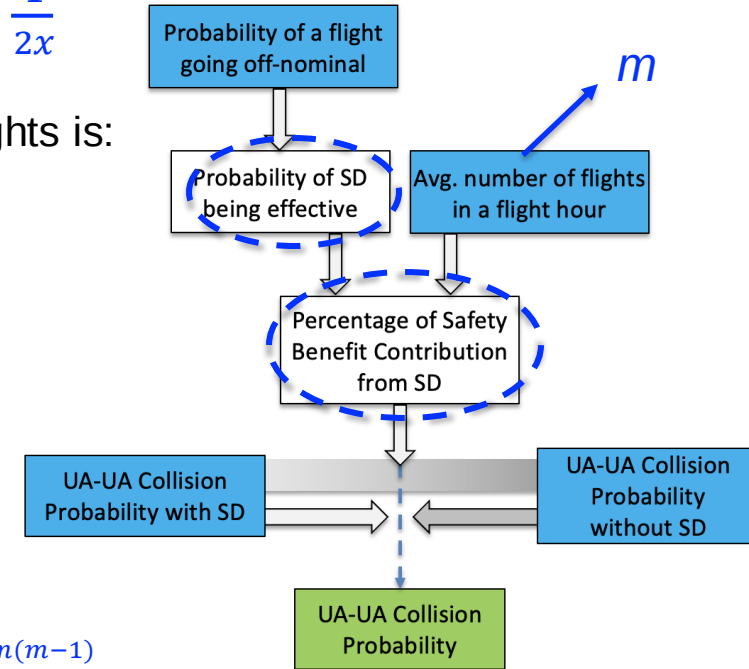
- The probability of all OIVs in a flight being valid: $1 - \frac{1}{2x}$
- The probability of SD being effective given any two flights is:



$$P(\text{effective_SD}|\text{any two flights}) = \left(1 - \frac{1}{2x}\right)^2$$

- Assuming the number of flights in a flight hour is m ,

$$P(\text{effective_SD}|m \text{ flights}) = \left[\left(1 - \frac{1}{2x}\right)^2 \right]^{C_m^2} = \left(1 - \frac{1}{2x}\right)^{m(m-1)}$$



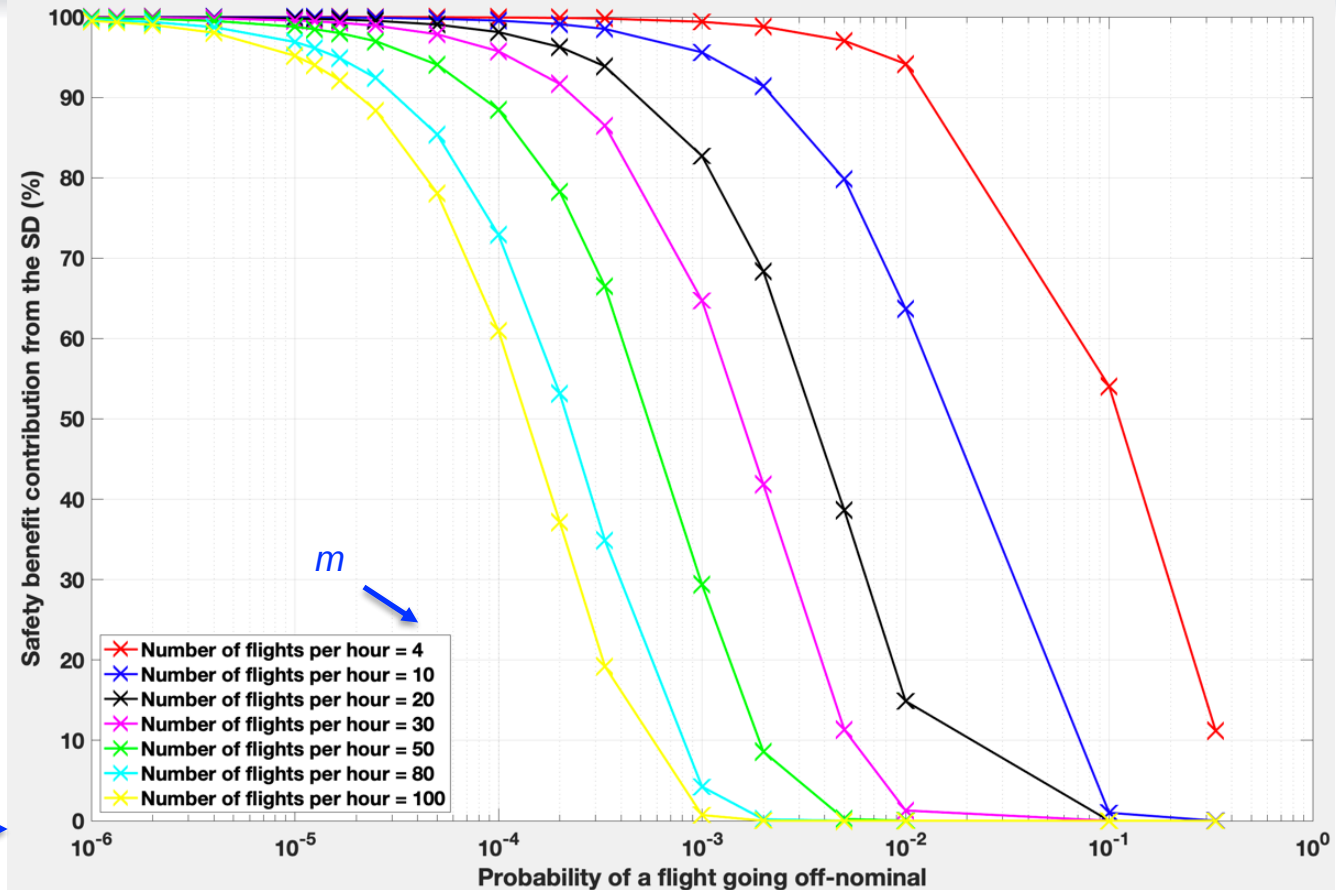


Relationship between off-nominal flights and effective SD

$P(\text{effective_SD} | m \text{ flights})$

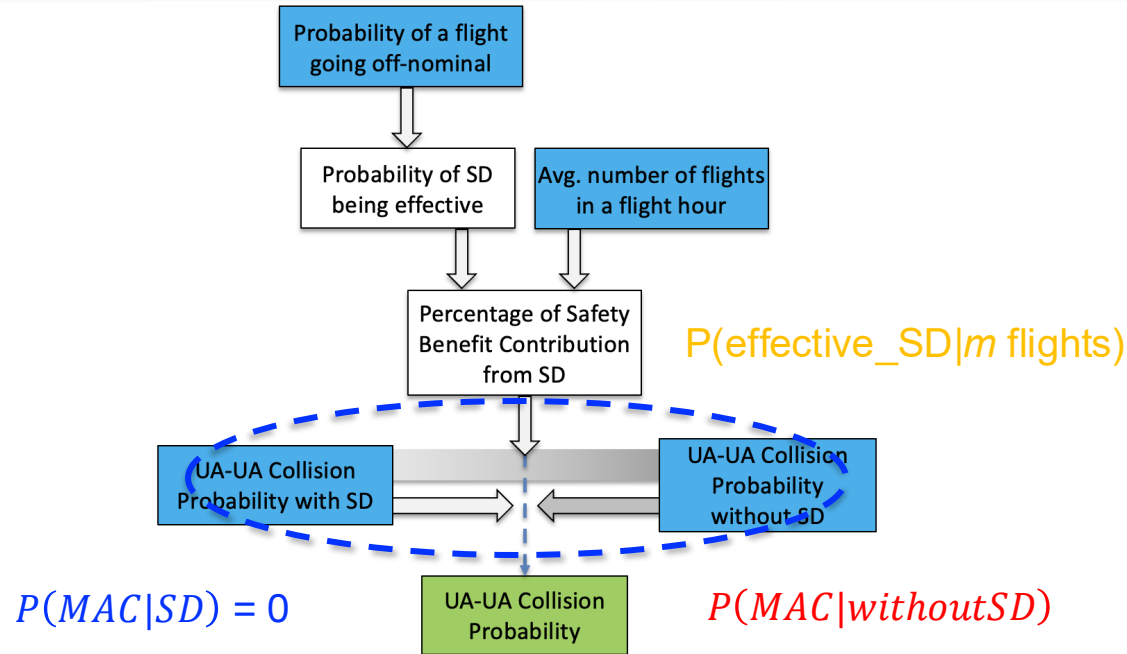
$$= \left(1 - \frac{1}{2x}\right)^{m(m-1)}$$

$1/x$





Relation between UA-to-UA collision risk and off-nominal flights (I)



$$P(\text{UA-UA Collision Risk}) = P(MAC|SD) \cdot P(effective_SD|m \text{ flights}) + P(MAC|withoutSD) \cdot (1 - P(effective_SD|m \text{ flights}))$$



Relation between UA-to-UA collision risk and off-nominal flights (II)

$$P(\text{UA-UA Collision Risk}) = P(\text{MAC}|SD) \cdot P(\text{effective_SD}|m \text{ flights}) + P(\text{MAC}|\text{withoutSD}) \cdot (1 - P(\text{effective_SD}|m \text{ flights}))$$

Target UA-to-UA collision

$$P(\text{MAC}|SD) = 0$$

$$P(\text{MAC}|\text{withoutSD})$$



$P(\text{effective_SD}|m \text{ flights})$



Probability of off-nominal flights

$$\frac{1}{x} \leq 2 \cdot \left(1 - \frac{m(m-1)}{\sqrt{1 - \frac{\text{Target UAtoUA Collision Risk}}{P(\text{MAC}|\text{withoutSD})}}} \right)$$

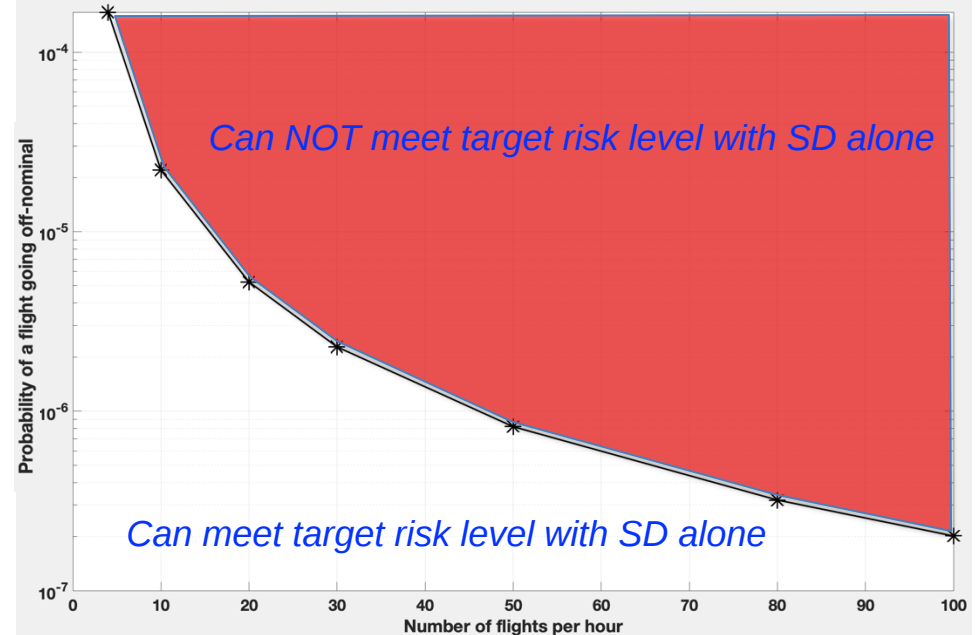


When SD alone can not meet the target UA-to-UA collision risk

$$\frac{1}{x} \leq 2 \cdot \left(1 - \sqrt[m(m-1)]{1 - \frac{\text{Target UA - UA Collision Risk}}{P(\text{MAC}|\text{withoutSD})}} \right)$$

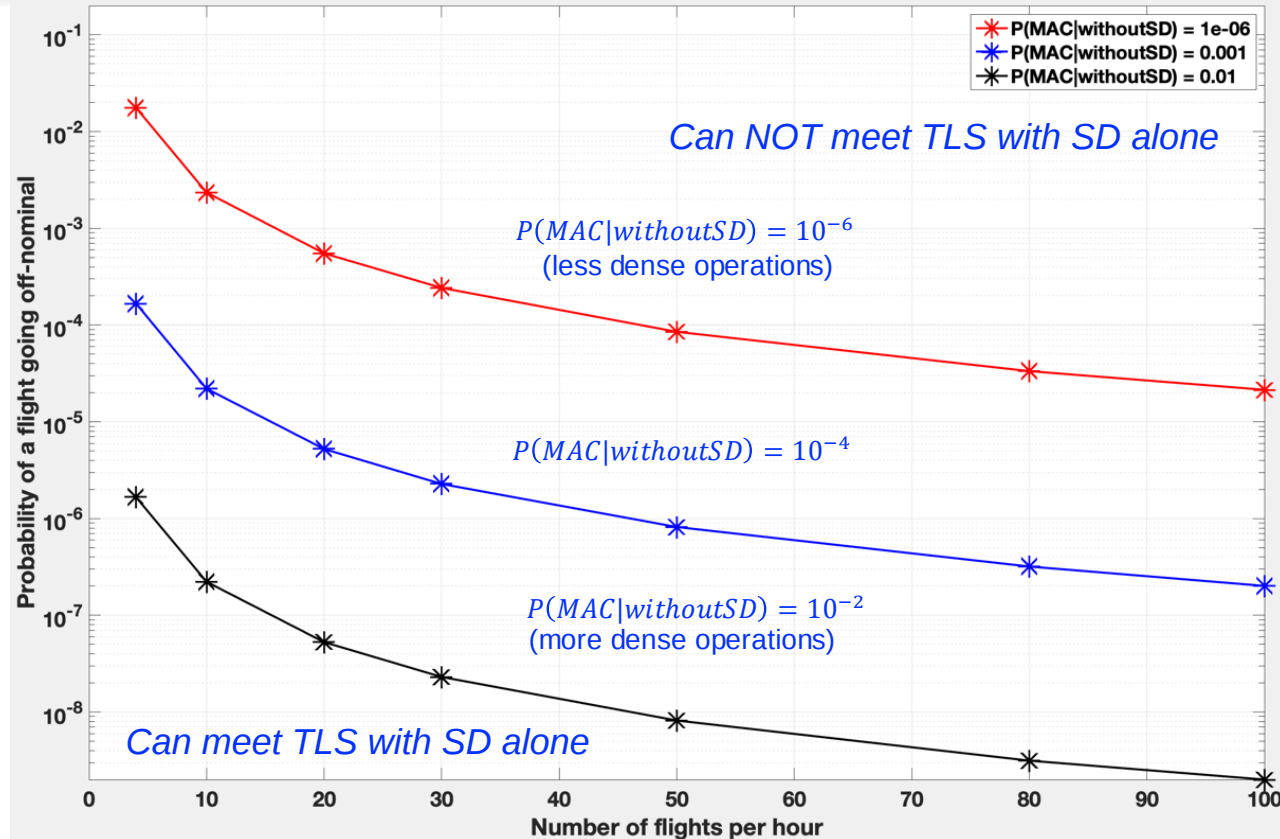
$$P(\text{MAC}|\text{withoutSD}) = 10^{-4}$$

Target: 10^{-7} UA-to-UA collision





Analysis with different $P(\text{MAC}|\text{withoutSD})$



In order to maintain the target level of safety (UA-to-UA collision risk) by SD alone, the **higher operational tempo/density** is, the **lower likelihood of off-nominal flights** will be required.



Outline



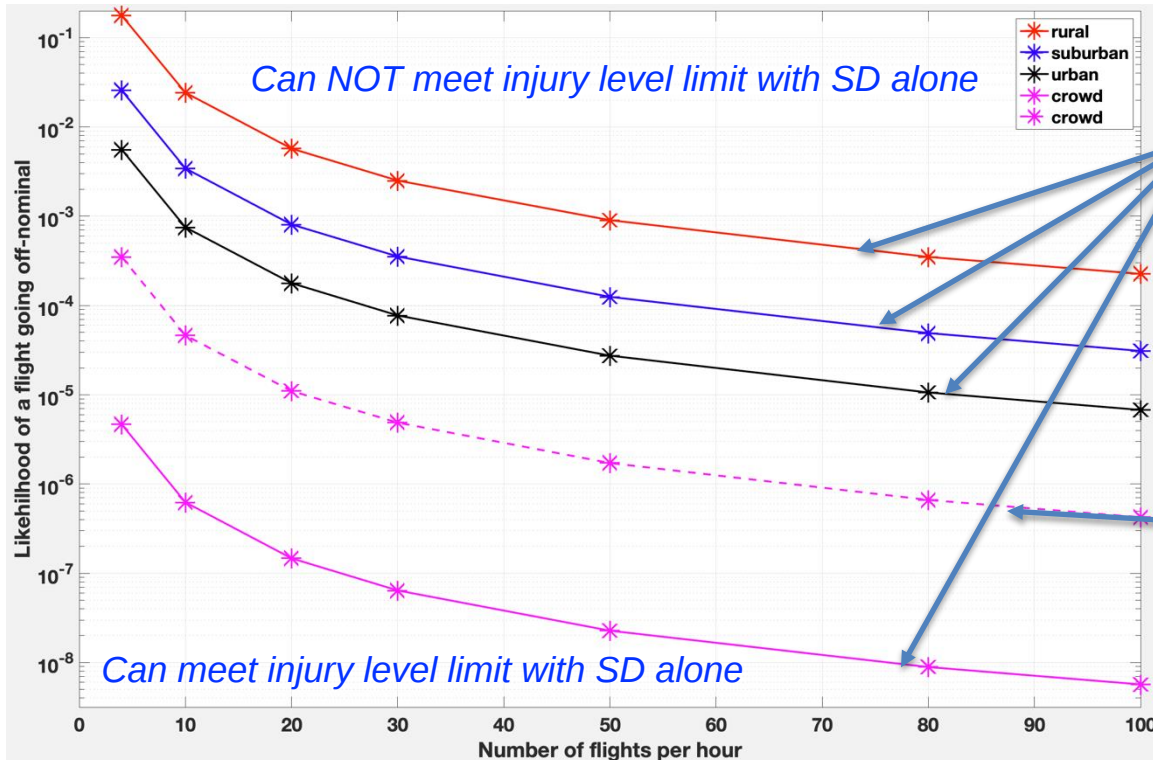
- Analysis Method
 - Assumptions in service modeling
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 - Results driven by UA-to-UA collision risk
 - **Results driven by ground injury risk**
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When SD alone can not meet the target injury risk on the ground

$$P(\text{MAC}|\text{withoutSD}) = 10^{-4}$$

If switch from target UA-UA collision per flight hour 1.0×10^{-7} to target injuries per flight hour.



Target: 2.0×10^{-7} injuries per flight hour
(equivalent to **10** injuries each year if 10K operations/hour and 14 hours/day)

Target: 1.5×10^{-5} injuries per flight hour
(equivalent to 766 injuries each year if 10K operations/hour and 14 hours/day)

Note: SD alone is sufficient for operations in "rural", "suburban", and "urban" areas



Conclusions



- This work defines the operational thresholds when SD alone is insufficient, requiring CMSA services.
- The thresholds were derived using two risk metrics: UA-to-UA collision risk and ground injury risk.
- The probability of a flight going off-nominal is the key factor in determining when CMSA services are required
- As operational tempo, density, and complexity increase, the baseline UA-to-UA collision risk without SD rises, thereby driving an increased demand for CMSA services.