MAGNETOSPHERIC ELECTRONS

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July, 1972

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PPG-123

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1.) INTRODUCTION

The satellite era of magnetospheric physics began with the discovery of the electron Van Allen radiation belts. By the late sixties numerous satellite surveys had determined the energy spectra, spatial distribution, and temporal variations of electrons with energies between 0.1 keV - 1 MeV. During this period the development of hydromagnetic models of the magnetosphere and the application of plasma turbulence theory resulted in a rough quantitative understanding of electron dynamics. The purpose of this review is to summarize the present theoretical understanding of magnetospheric electrons. Such a review will inevitably neglect many important observational features which are not yet understood, and some of the theoretical concepts may not always correspond to what is actually observed. Finally, we apologize in advance to any theorist whose work is not discussed or referenced.

First let's define our reference system, i.e., structure of the magnetosphere. Figure 1 shows the magnetosphere's magnetic field topology separated into several distinct regions. The post-shock solar wind flow confines the geomagnetic field to a roughly 10 earth radii ($R_E$) hemispherical cavity on the dayside. The resistive annihilation of magnetic fields at neutral lines or points on the dayside magnetopause results in the direct connection of interplanetary and geomagnetic field lines. Thus the solar wind flow over the magnetosphere exerts a tangential Maxwell stress which pulls the geomagnetic field out into a long tail extending many hundreds of $R_E$ downstream on the nightside. Lines of force in the high latitude lobes of the tail are open to the solar wind, while lines in the plasma sheet have reconnected with their dipole partners, and hence are closed. The plasma sheet carries the self-consistent currents required to form the opposed magnetic fields of the tail. Earthward from the tail is a quasi-dipolar region whose field lines leave and enter the earth at latitudes corresponding to the statistical auroral zone (1). Further inward is a region of dense, cold plasma, called the plasmasphere, which is a diffusive extension of the ionosphere. The classical outer Van Allen belt is typically located outside the plasmapause (62, 64), while the inner zone occurs well within the plasmasphere.

Theoretically, the structure of the earth's radiation belts can be divided into three interrelated problems: (1) determination of the source of low energy electrons; (2) determination of how electrons are transported from their source; (3) evaluation of possible sinks of electrons from the magnetospheric system. The evaluation of electron sinks is most directly amenable to plasma physical theory and relates to the laboratory confinement of thermonuclear plasmas; hence our understanding of sinks is quite extensive. The transport problem primarily concerns the hydromagnetic structure and dynamics of the magnetosphere. Qualitatively, transport is well understood, but accurate quantitative models are years away from development. Surprisingly, the source of magnetospheric electrons is probably the least understood of the three problems.

The largest available volume of energetic plasma is the tail plasma sheet. The solar wind probably penetrates directly into the plasma sheet at a weak field region near the center, but whether the region of dominant entry is near the earth or in the distant tail is still unresolved. The open lobes of the tail might also contain very low energy plasma which is as yet undetected. This plasma could be accelerated to plasma sheet energies by turbulence within the sheet itself or possibly by the magnetic field annihilation process. In addition to the plasma sheet, the polar cusp (34, 37) and the polar wind flow of ionospheric plasma into the magnetosphere (7) might be additional, though limited, sources of plasma.

The transport of electrons from the plasma sheet to the auroral zone is accomplished by internal magnetospheric convection. Dungey (25), Petschek (57), Levy et al. (47), and Axford et al. (5) have argued that when the solar magnetic field has a southward component, direct merging or connection of interplanetary and geomagnetic fields establishes a convective flow of magnetic flux into the tail.
Flux conservation requires a second neutral line in the plasma sheet and a convective return flow of plasma sheet particles and flux toward the nightside. Although the original convection models were steady state, the most intense convection occurs for relatively short times, the order of 30 minutes, during the expansion phase of magnetospheric substorms (1). Thus the transport rate of electrons from the plasma sheet to the auroral zone is keyed to substorm activity.

If convection were steady and electron dynamics were purely adiabatic, convection would eventually flow plasma sheet electrons to the dayside magnetopause where they would return to the solar wind. However, sporadic intensification and subsidence of convection often injects large electron fluxes into the auroral zone whereupon they execute guiding center drift motion around the earth (54). Earthward transport of electrons, however, will not cease with convection. An electron's drift adiabatic invariant can be violated by resonant interactions with electromagnetic fluctuations whose frequency matches a harmonic of the electron's drift frequency. A net radial or L-shell (51) displacement results, and the electron may diffuse inward to lower L-shells (61). Since low energy (<40 KeV) electrons have drift periods longer than either the time between substorms or their precipitation lifetimes (43), inward radial diffusion constitutes an effective transport process for only high energy electrons.

As a magnetic flux tube flows from the deep tail toward the earth, its volume decreases. Plasma on these flowing field lines is more or less adiabatically compressed, and thus arrives in the auroral zone with a higher density and temperature; the energy increase originates from the convection electric field. Maximum convection potentials taken across the magnetosphere can be as large as 100-300 KeV during substorms (35). However, since such potentials typically persist for only a small fraction of the time required to drift across the full potential drop, electrons may only gain some 10's of KeV energy due to convection. After convective injection into the auroral zone, radial diffusion may transport electrons into regions of high magnetic field strength. Since radial diffusion approximately conserves the first and second adiabatic invariants (61), electrons gain energy as they diffuse inward at the expense of the fluctuating electromagnetic fields driving the diffusion. Energies of some 100's of KeV are attainable, so that inner Van Allen belt electrons are usually more energetic than are auroral electrons.

The ultimate fate of a plasma sheet electron is not controlled by convection or radial diffusion alone. Since both convection and radial diffusion tend to heat electrons preferentially in the direction perpendicular to the magnetic field, a pitch-angle anisotropy eventually develops in the electron distribution function during transport into the dipole magnetic field. (The pitch-angle $\alpha = \tan^{-1}(v_\parallel/v_\perp)$, where $v_\parallel$ ($v_\perp$) is the electron velocity parallel (perpendicular) to the magnetic field.) An additional anisotropy is always present due to the mirror-loss cone property of the geomagnetic field; electrons with small pitch angles at the magnetic equator can reach the lower ionosphere where collisions with neutrals remove them from the system. Since the maximum entropy state of any gas corresponds to an isotropic pitch-angle distribution, anisotropy is a source of free energy which is available to destabilize various modes of plasma turbulence. Electrons relinquish energy to the plasma waves and in the process are scattered by the wave electromagnetic fields to smaller pitch angles, i.e., toward the loss cone. Hence plasma turbulence can significantly reduce the fluxes of electrons wherever the loss cone is large and whenever the fluxes and anisotropies are sufficiently large to be unstable (41, 17).

In Section 2, we discuss low energy auroral electrons (0.1-10.0 KeV). The macroscopic characteristics of these electrons are determined by convective transport and precipitation sinks. Section 3 considers the higher energy (>40 KeV) Van Allen electrons. Their transport to deep inside the plasmasphere is probably controlled by inward radial diffusion. The observed precipitation loss and pitch-angle distributions of plasmaspheric Van Allen electrons are now in excellent
agreement with the theoretical calculations by Lyons et al. (50).

2.0) CONVECTION DOMINATED ELECTRONS IN THE AURORAL ZONE

In Section 2.1, we compare plasma sheet electron spectra with those observed in the auroral zone and argue that the auroral spectra are consistent with inward convection. Section 2.2 considers the spatial distribution calculated assuming only convective and adiabatic guiding center transport. The observed spatial distribution of auroral electrons is then reviewed in Section 2.3. In Section 2.4 non-adiabatic plasma turbulence precipitation sinks are added to the convection spatial distribution model.

2.1) The Plasma Sheet as the Source of Auroral Electrons

Figure 2a, b shows the differential energy spectra of plasma sheet electrons observed by Hones et al. (39) during quiet geomagnetic conditions (2a) and following the expansion phase of a substorm (2b). Both electron spectra are approximately Maxwellian between the energies of 0.1 to 10.0 KeV, with the quiet (substorm) spectra having a mean energy of 0.42 KeV (2.6 KeV) and an estimated total density of 0.5 (0.2) particles/cm$^3$. Electron measurements at 40 KeV, however, show fluxes considerably in excess of those expected for a Maxwellian distribution thus indicating an extensive high energy tail (32). Although the electron distribution is generally isotropic (6, 38), occasionally very intense "beams" of electrons are observed which are thought to be guided along the tail magnetic field lines (39).

Figure 3 curve I is a plot of the differential energy flux for pitch angles near the loss cone obtained by DeForest and McIlwain (24) on the synchronous satellite ATS-5 near midnight prior to a substorm. The spectrum is roughly Maxwellian between 0.05 and 10 KeV, with a mean energy of 2.5 KeV and total density of 5.5 cm$^{-3}$. The simultaneously detected perpendicular flux (not shown but virtually identical to curve I) was essentially equal to the parallel flux so that the anisotropy was either zero or small. Curves II, III, and IV demonstrate the variability of the auroral electron spectra.

If we assume that convection approximately conserves the first two adiabatic invariants, then the electron distribution observed by Vela at 18 $R_E$ in the tail can be extrapolated inward to 6 $R_E$ (roughly ATS $\frac{5}{2}$). For typical field strengths we take $B(18 \, R_E) \approx 10^{-4} \, \text{Gauss}$; and $B(6 \, R_E) \approx 10^{-3} \, \text{Gauss}$, the length of the Vela field line might be $l_n(18 \, R_E) \approx 40 \, R_E$ while at 6 $R_E$ $l_n(6 \, R_E) \approx 20 \, R_E$. From the data of Figure 2, conservation of the first adiabatic invariant would give a perpendicular temperature at 6 $R_E$ of $T_\perp(6 \, R_E) \approx T_\perp(18 \, R_E) \left( \frac{B(6 \, R_E)}{B(18 \, R_E)} \right) \approx 2-4 \, \text{KeV}$. Conservation of the second invariant yields a parallel temperature at 6 $R_E$ of $T_\parallel(6 \, R_E) \approx T_\parallel(18 \, R_E) \left[ \frac{l_n(18 \, R_E)}{l_n(6 \, R_E)} \right]^{2} \approx 0.8-1.6 \, \text{KeV}$. The resultant thermal anisotropy at 6 $R_E$ is $A = T_\perp/T_\parallel - 1 \approx 1.5$. The density is inversely proportional to the flux tube volume which scales as $l_n/B$, so that at 6 $R_E$ we have $n(6 \, R_E) = n(18 \, R_E) \left[ \frac{l_n(18 \, R_E)}{l_n(6 \, R_E)} \frac{B(6 \, R_E)}{B(18 \, R_E)} \right] \approx 6 \, \text{cm}^{-3}$. These estimates are extremely crude since the adiabatic invariants are to some extent probably violated by plasma turbulence and magnetic inhomogeneities on gyro-radius scale lengths. However, the general agreement of the scaled and measured (Figure 3) parameters clearly indicates that convection from the plasma sheet is the dominant source and transport process for the auroral electrons.
2.2) Convection Electron Spatial Distribution

If the magnetospheric electric and magnetic field configurations were known, the adiabatic guiding center equations of motion could be solved to determine the electron orbits and thus the electron velocity and spatial distributions. Lacking this detailed knowledge several authors (9, 67) have employed model fields to carry out the calculations. Typical of these results is the work of Kavanagh et al. (40) which is shown in Figure 4. These authors specifically assume that electrons at 10 \(R_E\) behind the earth have an energy of 1 KeV in a magnetic field of \(2 \times 10^{-4}\) Gauss. Furthermore, the electrons are restrained to mirror in the equatorial plane, the plasmapause is taken as a perfectly conducting sphere located at 4 \(R_E\), a 50 KV convection electric potential is adopted, and any charge separation and ionospheric polarizaton on electric fields are neglected. The assumption of 90° pitch angle at the equator implies that the drift trajectory is along contours of constant to total energy \(W = q\phi + \mathbf{u} \cdot \mathbf{B}\) where \(\phi\) is the electric potential, and \(\mathbf{u}\) is the first adiabatic invariant assumed equal to 5 MeV/Gauss. All non-adiabatic processes are neglected.

Electrons which start on the morning side of the tail flow rapidly around local dawn and out to the magnetopause taking about four hours for the trip. The relatively high drift speed implies that the density of these electrons remains low. Electrons starting in the pre-midnight region, except those very close to the dusk magnetopause, encounter a forbidden region (3) at about 8 \(R_E\), inside of which they cannot penetrate without violating energy conservation. Near the forbidden region, called the Alfvén layer, the convection electric field drift is approximately balanced by the magnetic gradient, curvature, and corotation electric field drifts. Pre-midnight, the electrons spend about 3 to 6 hours in the vicinity of the Alfvén layer, and then drift more rapidly around toward morning. The electron density maximizes near the dusk Alfvén layer since the drift speed is slowest there, and the electron thermal energy maximizes near the dawn Alfvén layer where the largest magnetic field strength is attained. Thus this model predicts that intense fluxes of 5 to 10 KeV electrons should be detected between about 5 and 7 \(R_E\) starting at 0300 time and continuing eastward to about local noon. Also note that a second region of very dense 3 to 5 KeV electrons should occur near 8 \(R_E\) at about 2000 local time. Finally, if a spectrum of electron energies is present in the plasma sheet, the convection-drift model predicts that the lower energy electrons would penetrate further into the dipole than the higher energy electrons.

2.3) Observed Electron Spatial Distribution

A sharp inner edge to the plasma sheet (2 KeV) electrons was first detected by Vasyliunas (71, 72) on OGO's 1 and 3 at about 10 \(R_E\) in the dusk-midnight region. Figure 5, from Schield and Frank (65), shows a detailed radial profile of the plasma sheet inner edge near local midnight for electrons between 0.1 and 50.0 KeV. The flux in the higher energy channel (5 to 24 KeV) begins decreasing around 7 \(R_E\) while the lower energy electrons (0.5 to 5.0 KeV) penetrate to about 6.4 \(R_E\) before decreasing. The spatial scale length of the flux gradient is about 0.5 \(R_E\). Across the inner edge the integrated energy density of 0.7 to 50.0 KeV remained constant until the plasmapause was encountered at 5.9 \(R_E\), thus indicating that the density loss of >0.7 KeV electrons was compensated by a density gain in the low energy 0.09 to 0.7 KeV electrons (see also Vasyliunas, 71, 72).

The azimuthal structure of the inner edge has been mapped by Vasyliunas (72). In the dusk-midnight region the boundary is sharp and varies in radial distance from 7 to 8 \(R_E\) at midnight, to 10 to 11 \(R_E\) at dusk, and finally merges with the magnetopause near local noon. On the morning-side the inner edge is also between 8 and 10 \(R_E\), but is less sharply defined with appreciable KeV electron fluxes extending inward to the plasmapause. However, the most intense fluxes, of order \(10^9\) to \(10^{10}\) electron/cm\(^2\)-sec from 0.1 to 2.0 KeV, exist beyond 8 \(R_E\). On Injun V, Frank and Ackerson (33) have detected these electrons as an almost uniform electron flux.
between 0.1 and 10 keV extending from 68° to 78° invariant altitude at 0900-1000 local time. Finally, at synchronous altitude (6.6 RE), DeForest and McIlwain (24) report that the typical (see Table I) electron density, flux, and energy density maximize in the midnight to 0300 local time sector, and then fall off to a minimum about 1800 local time.

Now let's compare the observed and theoretical spatial distributions. In the dusk-midnight region, the Alfvén layer roughly coincides with the inner edge of the plasma sheet. Furthermore, the more earthward penetration of lower energy electrons agrees qualitatively with Alfvén layer theory. However, at dawn the theoretically expected high density of 5-10 keV fluxes between 5 and 7 RE is not generally observed (24, 33). In the noon-dusk region, the plasma sheet boundary is just inside the magnetopause, which disagrees with the expected Alfvén layer at 8 RE. Finally, the constancy of the electron density across the inner edge is, at best, difficult to explain on the basis of the convection-Alfvén layer theory. We conclude that while convection roughly accounts for the electron spatial distribution on the nightside, additional physics must be added to explain the observations, especially at dawn.

2.4) Coupling of Convection and Precipitation

Petschek and Kennel (58) first predicted that first adiabatic invariant violations by pitch-angle scattering interactions with high frequency wave turbulence would diffuse inward convecting electrons into the atmospheric loss cone and produce an inner edge to the electron plasma sheet fluxes via precipitation. Two modes of plasma turbulence are observed on nightside auroral lines of force: 1) the electromagnetic whistler mode with the frequencies below the electron cyclotron frequency (10); 2) an electrostatic mode with frequencies between 1.25 and 1.75 of the electron cyclotron frequency (44). Both modes are destabilized by a pitch-angle or loss-cone anisotropy with \( T_\parallel / T_\perp > 1 \) (4, 41, 79) as is produced by the inward convection flow.

In general, the electron precipitation rate and lifetime are determined by the amplitude of the wave turbulence. However, when the wave turbulence level is sufficiently strong to maintain pitch-angle isotropy across the equatorial loss cone, the precipitation lifetime depends only on the geometric probability of an electron being in the loss cone and the electron escape time from the system (43). For a dipole field this minimum electron or strong diffusion lifetime is given by

\[ T_{\text{min}} \approx L^4 / E(\text{KeV}) \]

where \( E \) is the electron energy in keV. For \( L = 8 \), and \( E \approx 1 \text{ keV} \), \( T_{\text{min}} \approx 2 \times 10^3 \) sec, which is considerably shorter than the 3 to 6 hour electron drift time through the dusk-midnight region given by convection-Alfvén layer theory. Hence, even if the precipitation lifetime somewhat exceeds the strong diffusion \( T_{\text{min}} \), very few convection electrons in the vicinity of the Alfvén-layer would survive to drift around to local dawn. Since \( T_{\text{min}} \) decreases with increasing energy, the lower energy electrons penetrate further into the dipole before being lost.

Vasyliunas (see Kennel, (43)) has incorporated precipitation losses into a convection-guiding center drift model for the electron spatial distribution. Furthermore, since the proton precipitation flux, even on strong diffusion, is usually an order of magnitude smaller than the electron precipitation flux, the maintenance of charge neutrality in space requires that cold ionospheric electrons flow out into the magnetosphere to replace the precipitated electrons (45). Vasyliunas also permits these ionospheric electrons to thermalize with the convection electrons in less than a flow time. His basic results (see Figure 4) are:

a) the calculated location of the plasma sheet inner edge or temperature gradient boundary roughly agrees with observations;
b) the electron density is constant across the inner edge due to the charge neutralizing ionospheric electrons;
c) the electron density and mean energy between 5 and 8 RE at local dawn are low due to the precipitation loss of the energetic convection electrons and their replacement by cooler ionospheric electrons;
d) outside 8 RE at dawn the long
minimum lifetime results in the relatively high electron density and mean energy; e) few electrons survive to drift into the noon-dusk region. Hence the coupling of convection and precipitation produces an electron spatial distribution which is in much better agreement with observations than that predicted by the convection-Alfvén layer theory alone.

3.0) GEOMAGNETICALLY TRAPPED ELECTRONS

Although auroral electrons (L > 6) rarely survive for longer than several hours in the radiation belts, higher energy (>40 KeV) electrons can be quasi-stably trapped in the region L \approx 6 for many days or even years. In Section 3.1, we discuss possible sources of these Van Allen electrons. Section 3.2 briefly considers the inward transport of electrons to low L-shells by radial diffusion. The geomagnetically quiet and disturbed electron spatial structure is reviewed in Section 3.3. Section 3.4 considers the precipitation loss of energetic electrons due to whistler turbulence inside the plasmasphere, and Section 3.5 discusses the rapid loss of >MeV electrons due to interactions with ion cyclotron turbulence at the plasmapause.

3.1) Source of Van Allen Electrons

The sporadic enhancements of inward convection which occur during magnetospheric substorms not only increase auroral electron fluxes, but also produce an injection and acceleration of >40 KeV electrons. Figure 6 (56) shows the flux increase of 50 to 10^3 KeV electrons observed on ATS-1 which occurred within minutes of the expansion phase onset of a substorm (indicated by the sharp negative change in the H-component of the College magnetogram). Although they have been detected at all local times, these substorm enhancements are largest near midnight and are limited to the region exterior to the stormtime plasmapause (77).

Since the total convection potential across the magnetosphere rarely exceeds 100-200 KV (14), the substorm enhancement of MeV electrons is not explicable by adiabatic compression alone. A possible non-adiabatic heating process is the stochastic acceleration of a few higher energy electrons which can interact with the intense plasma wave turbulence generated by auroral electrons (43). Electrons might also become trapped in the electrostatic potential well of a single wave and be accelerated to high energy if the wave phase speed increased (46, 66). However, neither of these processes has been evaluated in detail, and acceleration mechanisms remain virgin territory, theoretically.

3.2) Inward Radial Diffusive Transport

Since substorm acceleration and injection processes can prime the outer radiation belts with energetic electrons, the next problem is to transport these electrons to lower L-shells. For trapped electrons, a steady convection electric field would not produce any inward transport, but only a distortion of the guiding center orbit. However temporal variations in the convection or possibly wave electric field with time scales comparable to the electron azimuthal drift period can result in a net inward L-shell displacement. If these time variations are random, and conserve the first two adiabatic invariants (54), this spatial transport is described by a diffusion equation in L-space (8, 27, 61). The diffusion coefficient is given by

\[
D_{LL} = \frac{e^2 L^6 u^2}{8 B_0} \left[ P(u) \right]_{u=\tau_D} - 1
\]

where \( B_0 \) is the L = 1 equatorial dipole field strength, \( P(u) \) is the electric field power spectral density at frequency \( u \), \( \tau_D = \frac{2\pi e R_e^2 L^2}{3mu} \left( 1 + \frac{2ueB_0}{mc^2} \right)^{1/2} \) is the azimuthal drift period, \( c \) is the speed of light, \( e \) is the electronic charge, and \( m \) is the electron rest mass.
Cornwall (18, 20) has evaluated $D_{LL}$ for substorm-like electric field variations which rise rapidly and then decay exponentially with a time constant $T/2$; he finds

$$D_{LL} = \frac{c^2 \langle E^2 \rangle}{4 B_0^2} L^6 \left[ \frac{T}{1 + \left( \frac{\omega_D T}{2} \right)^2} \right]$$  \hfill (3.2)

where $\langle E^2 \rangle$ is the mean-square fluctuating electric field and $\omega_D = 2\pi/\tau_D$. Low energy electrons with $\omega_D T \ll 1$ have $D_{LL} \sim L^6$, while ultra-relativistic electrons ($\omega_D T \gg 1$) have $D_{LL} \sim L^7$. Tomassian et al. (70) have used (3.2) with $\langle E^2 \rangle^{1/2} \sim 0.1-0.3$ millivolts/meter and $T \sim 1/2$ hour to fit the observed inward radial diffusion of inner zone relativistic electrons. These electric fields are comparable to those measured by Mozer (52) and Carpenter et al. (12), and the time scale is consistent with convection enhancements and decay times (22).

### 3.3 Spatial Structure of Van Allen Electrons

With the radial diffusion coefficient reasonably well determined, the L-shell distribution of electrons could be obtained by simply solving the diffusion equation with a source term at auroral L values. In the absence of sinks, the solution would predict a monotonically increasing electron flux with decreasing L-shell. Typical equatorial electron flux profiles measured by Pfitzer et al. (53) are shown in Figure 7. For quiet conditions (Sept. 20) electrons are distributed into two distinct zones separated by a broad region, referred to as the slot, in which the fluxes fall below detection threshold. Below 300 KeV the location of the outer zone flux maximum is roughly independent of energy and is correlated with the position of the plasmapause (62); above an MeV the fluxes peak just inside the plasmapause and evince a systematic inward displacement with increasing energy (74). During moderate geomagnetic activity (Sept. 29) lower energy (<700 KeV) electrons are injected to partially fill the slot while the higher energy (>700 KeV) and inner zone (L < 2) electron distributions remain essentially unaffected. Following major magnetic storms, however, substantial flux enhancements occur even in the inner zone (60, 70), which then decay on a time scale of many months (78). Hence the slot cannot result from radial diffusive transport alone, and the decay of the storm injected fluxes indicates that rapid sinks of Van Allen electrons exist within the plasmasphere.

Evidence for a strong source of electrons just outside the plasmapause is contained in Figure 8 (Owens and Frank, 55) which shows a two month history of outer zone electron fluxes. During magnetic storms lower energy (<1.6 MeV) electron fluxes are greatly enhanced (23, 30, 31, 77) and move in unison with the storm-time plasmapause to lower L-values (64). This behavior is consistent with impulsive convective injection to the vicinity of the compressed plasmapause (L \sim 3 to 4) (11, 15); thus convection provides the outer-zone source for radial diffusive transport into the slot and inner-zone. Also evident in Figure 8 is the rapid depletion of >1.6 MeV electrons at L = 3 to 5 during the early phase of a magnetic storm (28, 29, 67). Vampola (71) has reported precipitation of 1.5 MeV electrons near the plasmapause with roughly isotropic pitch-angle distributions, thus indicating that these electrons are lost due to strong plasma turbulent pitch-angle diffusion. These electrons immediately return after the storm with flux levels exceeding pre-storm values. Hence a strong acceleration source of MeV electrons must operate throughout the outer zone (see Figure 6).
3.4) Electron Slot Formation

The decay of electrons injected into the slot during storms indicates the preferential loss or precipitation of electrons in this region. Early whistler turbulent-precipitation theories stressed that the unstable, and hence precipitating, electrons must self-consistently generate the pitch-angle diffusing plasma turbulence locally on each flux tube (4, 17, 41). This self-consistency requirement was stated in terms of a stable trapping flux limit; i.e., fluxes below a threshold value could not sustain a steady turbulence level against wave propagation losses. For the losses of >100 KeV electrons in the slot, this concept is inapplicable since the electron fluxes are too small to be unstable. However, whistler-mode turbulence with frequencies centered at a few hundred Hz (69) and wave amplitudes of 5 to 50 milligammas is continuously present throughout the slot (inside the plasmapause). At these low frequencies, whistler waves readily propagate across magnetic field lines (48, 53) and thus fill the entire slot region. The waves are probably generated by low energy (20-40 KeV) electrons which have diffused to just inside the plasmapause.

Even though stable to whistler emission, >100 KeV slot electrons can be parasitically scattered by this background whistler turbulence and thus diffuse into the loss cone (42). Since the whistlers propagate obliquely to the magnetic field, electron resonance and diffusion will occur at each harmonic of the electron cyclotron frequency and at Landau resonance (49). Lyons et al. (50) modeled the whistler hiss spectrum by a Gaussian wave distribution centered at 600 Hz with a 300 Hz e-folding width, a relatively isotropic distribution of wave energy in k-space, and a wave intensity which is independent of geomagnetic latitude and L-shell. They then calculated the pitch-angle diffusion coefficient (see Figure 9) averaged over the electron bounce period and summed for all possible resonant interactions. Equatorially mirroring electrons diffuse toward lower pitch-angles by Landau resonance and are subsequently scattered into the loss cone by cyclotron resonance. For low energy electrons (20 KeV) first order cyclotron resonance dominates the diffusion. Higher energy electrons experience a combination of first order cyclotron resonance near their mirror points plus high harmonic resonance near the geomagnetic equator.

For times during which no strong sources occur in the slot, the pitch-angle diffusion coefficients can be incorporated into the source-free quasilinear diffusion equation (41, 35) to solve for the electron pitch-angle distribution and precipitation lifetime (50). A comparison between theoretical pitch-angle distributions and those observed on the OGO-5 satellite (H. West private communication) is shown in Figure 10. The pronounced lower energy flux enhancements around 90° result from the slow diffusion rates (which produce steep pitch-angle gradients) in the region of partial overlap between cyclotron and Landau resonance (see Figure 9). At high energies, the region of cyclotron diffusion extends to high pitch-angles and consequently no 90° enhancements are expected. Theoretical precipitation lifetimes are shown in Figure 11 based on a wide-band wave amplitude of 35 milligammas. Over the energy range 0.1-2.0 MeV the predicted lifetimes approximately agree with the observed electron decay rates (Pfitzer; Vampola, private communication). The sharp increase in the electron lifetimes at low L-values, where electrons no longer interact with the observed whistler turbulence, correctly predicts the location of the slot inner edge. Within the slot region, the lifetimes are relatively short, and any injected electrons are rapidly lost by precipitation. The variation of the lifetimes with energy predicts that the slot's outer edge should occur at higher L-values with decreasing energy, as observed in Figure 7. However, the precise particle source must be specified in order to solve for the electron structure.
3.5) **Rapid Loss of Outer-Zone MeV Electrons**

Although the whistler theory is in excellent agreement with the observed electron lifetimes, pitch-angle distributions, and approximate spatial distributions, the rapid loss of outer zone >1.6 MeV electrons during the storms (Figure 8) requires a much faster loss process than is provided by whistlers. Relativistic electrons (>1 MeV), however, can also resonate with electromagnetic ion cyclotron waves in the high density regions of the plasmasphere (68). Cornwall et al. (19) have predicted that ring current protons (>50 KeV) would generate intense ion cyclotron turbulence just inside the plasmapause. Thorne and Kennel (68) have shown that parasitic pitch-angle diffusion of relativistic electrons with these waves gives a roughly 50 second precipitation lifetime. Since this lifetime is comparable to the minimum precipitation lifetime, precipitated electrons should be roughly isotropic in pitch-angle, in agreement with recent observations by Vampola (71). Even if rapid acceleration of electrons occurs in the outer zone during storms, as is indicated by the flux enhancements of lower energy electrons (<1 MeV) in Figures 7 and 8, the parasitic ion cyclotron precipitation is sufficiently fast to keep the relativistic fluxes near background throughout the storm main phase.

4.0) **DISCUSSION**

The coupling of source, transport, and sink processes yields a fairly accurate model for the macroscopic structure and dynamics of magnetospheric electrons. Auroral electrons are controlled by convective transport from a plasma sheet source coupled with a precipitation loss due to whistler and electrostatic plasma turbulence. Outer and inner zone electrons are governed by radial diffusion transport from convection and acceleration sources external to the plasmapause and by parasitic precipitation losses arising from cyclotron and Landau interactions with whistler and ion cyclotron turbulence.

However, several fundamental problems are not yet adequately understood:

- The entry of solar wind plasma into the tail, the heating of this plasma, and the magnetic structure of the plasma sheet must be determined before quantitative models of the basic electron source can be constructed. The solution of these problems involves the plasma physics of magnetic field annihilation and the dynamics of high pressure plasmas, neither of which are currently well-developed.

- The extent to which the polar wind flow of ionospheric plasma into the magnetosphere provides a source of electrons must be evaluated.

- A self-consistent model of magnetospheric convection is needed in order to specify the internal transport rates as a function of the imposed solar wind and ionospheric boundary conditions. Since convection is regulated by substorms and magnetic storms, convection theories must include time dependent changes of the entire magnetospheric configuration (21).

- The interaction between convection and the ionosphere could modify the electron distributions in the magnetosphere. At the plasma sheet inner edge, the spatial gradient in the electron precipitation flux produces an inhomogeneous ionospheric conductivity (22). The convection electric field driven ionospheric currents may require closure paths in the magnetosphere which must be fed via field-aligned currents. If these field-aligned currents become sufficiently intense to generate current-driven plasma turbulence (45), an anomalous resistance and quasi-DC parallel electric field will develop somewhere along the field line. In addition to local Joule heating, a small fraction of the current-carrying electrons would be expected to runaway, i.e., be accelerated to high energies. These runaway electrons may constitute the narrow energy beams observed in auroral arcs (2, 16, 26, 76), and may actually produce most of the light intensity observed in the aurorae. Some runaways may also become part of the trapped radiation belts.
Numerous observations indicate that rapid electron acceleration occurs throughout the outer and auroral zones, especially during substorms and magnetic storms. The possible relationship between the production of relativistic electrons in the earth's magnetosphere and the origin of cosmic rays and the Jovian synchrotron electrons suggests that plasma acceleration processes are universal.

An accurate model of the inner and outer zone electron fluxes requires that inward radial diffusion be coupled with local electron precipitation losses. The location of the plasmapause and the internal convection and electrons acceleration rates probably specify the initial conditions. During large magnetic storms the inward shift of the plasmapause to \( L \sim 2 \) permits electron injection directly into the inner zone.

Shortly, the first space probes will transit the Jovian magnetosphere. From radio emission studies we know that Jupiter has an inner radiation zone containing intense fluxes of relativistic electrons (13, 75). In situ surveys of the entire Jovian radiation environment will help elucidate whether the physics of the earth's magnetosphere is applicable to planetary magnetospheres in general or whether new or perhaps overlooked physical processes must be considered.

Acknowledgments

It is a pleasure to acknowledge many beneficial discussions with Professor C.F. Kennel and Dr. L.R. Lyons. This work was supported in part by NASA grant NGR-05-007-190, NSF grants GA-2805 and GA-34148.
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TABLE I: 50 eV to 50 KeV Spectral Integrals
(From S.E. DeForest and C.E. McIlwain, 24)

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<th></th>
<th>0000 LT</th>
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<th>0600 LT</th>
<th>1200 LT</th>
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<tr>
<td>Minimum</td>
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<td>Maximum</td>
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<td>2.9</td>
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<td>0.4</td>
<td>0.10</td>
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<td>Energy flux, erg/cm$^2$sec ster</td>
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<td>Minimum</td>
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<td>6</td>
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<tr>
<td>Maximum</td>
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<td>266</td>
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<td>60</td>
<td>30</td>
<td>12</td>
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FIGURE CAPTIONS

Figure 1: The magnetosphere's magnetic field topology and plasma environment. Lines of force emanating from the polar caps are connected to interplanetary field lines.

Figure 2a,b: Quiet (left) and substorm (right) differential electron energy spectra. The dashed curve is for a Maxwellian distribution with e-folding energy $E_0$. (After Hones et al. 39).

Figure 3: Differential auroral electron energy spectra. Curve I is a pre-substorm and curve II is a post-substorm spectra detected on the geostationary satellite ATS-5 by DeForest and McIlwain (24). Curve III is a spectrum taken inside a inverted-V event on Injun V by Frank and Ackerson (33). An inverted-V is characterized by a spatial increase of the mean electron energy followed by a decrease. Curve IV is taken inside an auroral arc by Westerlund (76). In curves III and IV the electrons below 50 eV are probably secondary electrons produced by the more energetic primary precipitation.

Figure 4: On the left are shown the electron drift trajectories and constant energy contours (in KeV) for electrons which start at 10 Re on the nightside with 1 KeV energy in a $2 \times 10^{-4}$ Gauss field. The dots represent the electron position at 10 minute intervals. (After Kavanagh et al., 40). On the right is shown the electron drift paths (arrowed curves) for an initial flow velocity in the tail of 15 km/sec and an initial temperature of 1 KeV. The heavy curves are contours of constant electron temperature. Due to the precipitation of hot plasma sheet electrons and their replacement by thermalized ionospheric electrons, there is a sharp temperature gradient at the plasma sheet inner edge. (After Vasyliunas in Kennel, 43).

Figure 5: Differential electron flux vs. L. Channel 8 measures electrons within the energy range 0.99 to 1.7 KeV, channel 10 between 2.6 and 4.6 KeV, channel 12 between 6.8 and 12 KeV, channel 14 between 14 and 24 KeV. Other channels are intermediate and below these energies. (After Schield and Frank, 65).

Figure 6: Electron fluxes measured by Parks and Winckler (56) on a geosynchronous satellite. Enhancements by factors of 10-100 occur within minutes of a substorm expansion phase indicated by the magnetic bay occurring near local midnight at College.

Figure 7: Electron differential flux measured by Pfitzer, Kane and Winckler (59) during quiet-times (September 20) and during the main phase (September 29) and recovery (October 20) of a modest geomagnetic storm.

Figure 8: Contours of constant omnidirectional intensity of electron ($E_e > 40$ KeV, >230 KeV and >1.6 MeV) at the magnetic equator constructed by Owens and Frank (55) for the period February through March, 1963. During geomagnetically active periods enhancements of low energy electron flux occur coincident with dramatic drop-outs in >1.6 MeV electrons.

Figure 9: Bounce-averaged cyclotron and Landau resonant pitch-angle diffusion coefficients plotted as a function of equatorial pitch angle at $L = 4$ for 20, 200 and 2000 KeV electrons. (After Lyons, et al., 50).

Figure 10: A comparison between theoretical equatorial pitch-angle distributions and those observed within the electron "slot" during the decay following an injection event (West, private communication).

Figure 11: Theoretical precipitation lifetimes as a function of L for several electron energies. The results apply only within the plasmasphere. (After Lyons et al., 50).
Figure 3

The figure shows a graph of differential number of electrons per unit area per unit energy vs. energy in electron volts (ev). The graph includes four curves labeled I, II, III, and IV. Each curve represents a different material or condition, with varying dJ/dE (electrons/cm²·sec·SR·ev) across different energy ranges. The y-axis is logarithmic, ranging from $10^2$ to $10^8$, and the x-axis represents energy in ev, ranging from 100 to 10,000 ev.
OGO 3  23 JUNE 1966
INBOUND ELECTRONS, A

- BETWEEN ENERGY STEPS

PLASMA SPHERE

CHANNEL

12 - PLASMA SHEET

13 - PLASMA SHEET

14

15

213 A G.M. TUBE
COUNTS (SEC)^{-1}

E_e > 45 KeV

L, EARTH RADII

8.2  7.8  7.4  7.1  6.7  6.3  5.9  5.5  5.1  4.7  4.25

05:20  06:00  07:00

Figure 5
Figure 6
Figure 7
Figure 9

L = 4 BOUNCE AVERAGED

PITCH ANGLE DIFFUSION COEFFICIENT (arbitrary units)

0° 30° 60° 90°

EQUATORIAL PITCH-ANGLE

20 KeV
200 KeV
2000 KeV

LANDAU
CYCLOTRON
Figure 10
ELECTRON LIFETIME (days)

$\omega_m = 600 \text{Hz}$

$\delta \omega = 300 \text{Hz}$

$B_{\text{wave}} = 35 \text{m}\gamma$

$N(L=4) = 1000 \text{ cm}^{-3}$

Figure 11
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<td>&quot;Propagation of Ion Acoustic Waves Along Cylindrical Plasma Columns&quot;</td>
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<td>Alfredo Baños, Jr. (September 1966)</td>
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