INTERLAMINAR FRACTURE CHARACTERIZATION: A CURRENT REVIEW

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SUMMARY

Interlaminar fracture characterization has been investigated for several years. Only now is it well enough understood for standardization organizations to attempt to write standard test methods. This paper gives a review of the current philosophies in characterizing interlaminar fracture. The paper covers all modes of interlaminar fracture for brittle and ductile composites. First, the mode I, double cantilever beam test (DCB) for measuring $G_{ic}$ and the end notched flexure test (ENF) for measuring $G_{IIc}$ are discussed. These tests have undergone the most extensive research throughout the years and are furthest towards standardization. In addition, the mode II, end loaded split (ELS) specimen is discussed. Mixed mode fracture is also discussed and the recently developed mixed mode bending (MMB) test is detailed. Then, tests for evaluating mode III fracture toughness, including the split cantilever beam (SCB), are reviewed. Last, the work done on interlaminar fracture characterization in fatigue is reviewed.

NOMENCLATURE

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<td>constant in fatigue delamination growth expression</td>
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<td>$A_1$</td>
<td>slope of modified compliance expression</td>
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<td>b</td>
<td>specimen width</td>
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<td>$B$</td>
<td>exponent in fatigue delamination growth expression</td>
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<td>c</td>
<td>distance from load point to center of MMB fixture</td>
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<td>specimen compliance, $\delta/P$</td>
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<tr>
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<td>constant in ENF compliance calibration</td>
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<tr>
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<td>delamination growth rate</td>
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<td>$E_{22}$</td>
<td>transverse modulus</td>
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<td>strain energy release rate</td>
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With the increased use of laminated fiber reinforced composite materials in primary aircraft structural components, the ability to understand and predict their failure modes becomes paramount. One of the most commonly observed damage modes in laminated composites is delamination, the separation of adjacent plies. Delamination is caused by interlaminar stresses arising from events such as low velocity impacts, by eccentricities in the load path, or by geometric and structural discontinuities such as holes, edges or ply drops. Although delamination may not cause total collapse of the load bearing properties of the component, it is usually a precursor to such an event. Therefore, knowledge of the composite's resistance to interlaminar fracture is useful not only
for product development and material screening, but a generic measurement of the interlaminar fracture toughness of the composite is useful for establishing design allowables for damage tolerance analyses of composite structures.

Several tests have been developed over the years to determine interlaminar fracture toughness, but until recently these tests have not been sufficiently refined to consider them for standardization. Since 1981 an American Society for Testing and Materials (ASTM) task group has been attempting to write standard test methods for interlaminar fracture tests. In 1989 the ASTM effort merged with that of the European Group on Fracture (now the European Structural Integrity Society) and the Japanese Industrial Standards Group, to write international test methods for these tests. Prior to these efforts, the lack of standardization has resulted in a wide range of interlaminar fracture toughness values being quoted for the same material [1]. This paper will attempt to review the current practices for characterizing interlaminar fracture toughness in terms of test configuration, test method and data reduction. For the interlaminar tension fracture (mode I), the double cantilever beam (DCB) test will be reviewed. For interlaminar sliding shear fracture (mode II), the end notched flexure (ENF) test will be reviewed. Also, the mode II, end loaded split (ELS) test is discussed. Mixed mode fracture is also reviewed and the recently developed mixed mode bending (MMB) test will be detailed. For interlaminar tearing shear, mode III, the
split cantilever beam (SCB) test will be discussed. Finally, the work done on interlaminar fracture in fatigue is reviewed.

THE MODE I DOUBLE CANTILEVER BEAM TEST

Specimen Configuration

The double cantilever beam specimen, shown in fig. 1, has been widely used to measure the mode I interlaminar fracture toughness, \( G_{ic} \) of composites [1-12]. The DCB specimen is a laminate with a non-adhesive insert placed at the mid-plane at one end prior to curing, to simulate a delamination. Both 0° unidirectional [1-12] and multidirectional [13] lay-ups have been suggested. However, if 90° plies are used in a multidirectional lay-up these plies may be prone to cracking on loading, and additional delaminations may occur at these matrix cracks [14]. Also, because of the differences in Poisson's ratios between plies on either side of the delamination, interlaminar stresses arise at the edges, resulting in a non-uniform \( G \) distribution along the delamination front [15] and hence non-straight delamination growth. In addition, anticlastic bending which tends to increase the delamination front curvature [16,17] is more predominant in lay-ups that are not unidirectional. Hence, the unidirectional DCB is preferred.

Different width profiles from uniform width to tapered have been suggested for the DCB specimen [18]. The tapered width specimen was used to maintain a constant value of compliance as the delamination grew. Because of the extra work entailed in cutting the tapered width specimens the uniform width DCB specimen is more
often used. Various widths of DCB have been tested but typical widths range from 20-25mm. Also, various thicknesses (number of plies) of DCB have been used. Some references have shown that values of propagation interlaminar fracture toughness depend on specimen thickness; other references have shown a negligible dependence. In ref. 19 a 67% increase in thickness for IM6/PEEK specimens resulted in a 50% increase in toughness. But, only a 10% increase in toughness was noted with the same thickness increase in AS4/PEEK [20]. Reference 21 showed that there was little effect of specimen thickness on the initiation values of toughness for an AS4/PEEK specimen. Some thickness guidelines were given in refs. 22-24 to minimize the effects of geometric non-linearity in the DCB test. Typically, a 24 ply DCB is used to satisfactorily obtain $G_{ic}$ values without the need for geometric non-linearity corrections.

The method of load application in the DCB may also effect the data. Typically, loads are applied to the DCB via loading blocks or hinges adhesively bonded to the surface of the DCB. Load has also been applied via T-Tabs which can have a greater bonding area, allowing higher loads to be applied [24]. However, the height of the loading pin above the delamination surface causes a secondary geometric non-linearity upon loading. This secondary geometric non-linearity can also be accounted for in the data reduction schemes. However, if hinges or loading blocks can be sized so that the height of the loading pin above the delamination surface does not exceed 10mm, geometric non-linearity terms become negligible [24].
**Test Method**

A uniform width unidirectional DCB specimen subjected to displacement controlled loading, usually experiences stable delamination growth \([3,6]\). This stable growth allows several values of mode I interlaminar fracture toughness to be determined along the specimen's length. However, for a unidirectional beam, fiber bridging occurs as the delamination progresses along the length of the beam \([25,26]\). Fiber bridging occurs to different degrees in different composite systems but is always present in standard unidirectional tape laminates. Fiber bridging increases the energy required to propagate the delamination further. Therefore, values of interlaminar fracture toughness, \(G_{IC}\), measured in the presence of fiber bridging may be artificially high and hence not a generic material property for the composite, but an artifact of the unidirectional DCB test. Only the first value of \(G_{IC}\) obtained from delamination growth from the insert is unaffected by fiber bridging and can be considered a generic interlaminar fracture toughness \([8,9,12]\). However, during manufacture a resin pocket may form at the tip of the insert. The size of this resin pocket depends on the thickness of the insert and may also depend on the fiber stiffness and the viscosity of the resin in its liquid state. Therefore, a delamination growing from the insert tip must first pass through, or around, this resin pocket. This passage can result in artificially increased values of \(G_{IC}\) at initiation. One possible means to circumvent the problems of a resin pocket is to
pre-crack the specimens, that is, to grow the delamination through the resin pocket either under tension or shear loading and then conduct the static test. However, if the pre-cracking is conducted in tension, fiber bridging will occur and the first value of $G_{ic}$ determined from the precrack will include the effects of fiber bridging. If the pre-crack is grown in shear, damage in the form of microcracks may occur ahead of the delamination front [27-29]. Hence, the first value of $G_{ic}$ from the pre-crack would be a measure of delamination through damaged material and would not be a generic material property.

Efforts have been made to quantify the effects of the size and type of the insert on initiation values of $G_{ic}$ [8,9,12]. The results for a glass/epoxy with four different insert thicknesses and a shear pre-crack are shown in fig. 2. The values of $G_{ic}$ appear to reach a minimum value for insert thicknesses less than 75μm. References 8, 9 and 12 concluded that the thinnest insert possible should be used so that the size of the resin pocket that forms at the end of the insert will be as small as possible. Typically, the thinnest insert commercially available ranges between a 7 and 13μm film. These thicknesses are approximately equivalent to one glass fiber diameter and are also the approximate thickness of the resin rich layer that lies between plies of different orientation. Hence, $G_{ic}$ values measured from the end of an insert of approximately these thicknesses should be representative of the fracture toughness of the composite.
There are several methods used to determine the loads and displacements corresponding to delamination initiation from the insert [12,20]. One method is to use the maximum value of load and the corresponding value of displacement from the load-displacement plot, point A in fig. 3. However, for a composite that experiences substantial fiber bridging, the load may continue to increase due to the increase of fiber bridging, and may never reach a maximum. Alternatively, the critical load and displacements for delamination initiation may be determined from the intersection of the load-displacement curve with a line corresponding to a 5% increase in initial compliance. This technique is analogous to that used in fracture testing of ductile homogeneous materials (ASTM E399-81). However, at the point of intersection, location B on fig. 3, delamination growth has typically already occurred. Therefore, the loads and displacements at location B should not be used to calculate $G_{ic}$ at initiation. An alternative method is to visually monitor the tip of the insert. When delamination growth is observed the load and displacement are noted, point C in fig. 3. Visual observation typically occurs at smaller loads and displacements than the previous two methods. The last alternative is to use the loads and displacements corresponding to a deviation from linearity of the initial loading slope, point D in fig. 3. For brittle composites, such as thermosets, the deviation from linearity occurs at the same moment delamination growth is observed visually [12], i.e. points C and D in fig. 3a would coincide. In
less brittle composites, such as those with thermoplastic matrices, the deviation from linearity occurs slightly before delamination growth is observed visually, fig. 3b. There are several possible reasons for the deviation from linearity prior to visual observation of delamination growth at the edges. The material could be deforming plastically prior to delamination initiation. However, the plastic zone ahead of the delamination front is usually very localized in a DCB [30] and is not likely to cause the large deviation from linearity observed in the load-displacement plots. Another possibility is that the delamination growth may be initiating in the center of the delamination front and is not yet visible at the edges [31]. Because the loads and displacements at deviation from linearity are lower than those from the other methods, these values yield the most conservative values of $G_{IC}$. Also, this technique is simpler than the visual observation method because the tests may be run without the operator visually monitoring the end of the insert.

Data Reduction

The most commonly used data reduction technique for the DCB has been the Berry method [32]. With this method the compliance of the DCB is approximated by a power law, $C = ma^n$, where $C$ is the compliance (load point displacement, $\delta$, divided by load, $P$) and $a$ is the delamination length. The fracture toughness is calculated by
\[ G_{IC} = \frac{n P_c \delta_c}{2 b a} \]  

where \( \delta_c \) is the critical displacement, \( b \) is the width of the specimen and \( n \) is determined experimentally by a least squares plot of \( \log C \) versus \( \log a \), fig. 4a. It is recognized that the calculated value of \( n \) may be influenced by fiber bridging. However, fiber bridging decreases the measured compliance with delamination length, thus reducing the value of \( n \). Hence, ignoring the effects of fiber bridging yields conservative values of \( n \) and hence \( G_{IC} \).

The power law relationship of compliance to delamination length is relatively crude. An alternative method, known as the Modified Beam Theory [33] involves adjusting the measured delamination length by a value \( \Delta \). Beam theory assumes that the cantilever beams are rigidly clamped at the delamination front, which may not be true. Therefore, the value of \( \Delta \) is used to account for any shear deformation or rotation at the delamination front. The fracture toughness is calculated by

\[ G_{IC} = \frac{3 P_c \delta_c}{2 b (a+|\Delta|)} \]  

The value \( \Delta \) is determined experimentally by fitting a least squares curve to a plot of the cube root of the compliance, \( C^{1/3} \), as a function of the delamination length. The value of \( \Delta \) is the value of \( a \) at \( C^{1/3} = 0 \), fig. 4b. Again, the effects of fiber bridging are not included but have the effect of increasing \( |\Delta| \) and giving more
conservative values of \( G_{ic} \) at initiation.

A third method known as the Modified Compliance Method [34] calculates the fracture toughness as

\[
G_{ic} = \frac{3 P_c^2 \left( \frac{\delta_c}{P_c} \right)^{2/3}}{2 A_I b h}
\]

where \( h \) is the half thickness of the beam and \( A_I \) is the slope of a least squares line fit to a plot of \( a/h \) as a function of the cube root of the compliance, \( C^{1/3} \), fig. 4c. For this data reduction scheme, fiber bridging increases the value of \( A_I \) and hence reduces the value of \( G_{ic} \) at initiation. All three methods give similar values of \( G_{ic} \) with similar scatter and eq. 2 typically yields the most conservative values of the three.

**MODE II TESTS**

**END NOTCHED FLEXURE TEST**

**Specimen Configuration**

The end notched flexure specimen has been widely used to measure the mode II interlaminar sliding shear fracture toughness, \( G_{IIc} \), of composites [28,29,35-37] and is shown schematically in fig. 5. The specimen configuration is similar to that of the DCB in that the lay-up is unidirectional, for the same reasons discussed for the DCB, and the sides are parallel. A non-adhesive insert is placed at the mid-plane at one end prior to curing. To apply the shear loading the specimen is loaded in three point bending. The loading fixture, shown in fig. 6, used rollers to
support the specimen and to allow it to rotate freely [1,28]. A restraining bar was included on the fixture at the end opposite the insert to prevent the specimen from shifting on the rollers during the test. Load point displacements were monitored via a displacement transducer (DCDT) mounted under the center of the specimen. The effects of specimen thickness and geometric non-linearity must be considered for the ENF specimens as they were for the DCB. If the beam is too thin then geometric non-linearity correction terms must be applied [38]. Typically, a 24-ply specimen is used to satisfactorily obtain $G_{IIc}$ values without the need for geometric nonlinearity corrections.

**Test Method**

The ENF experiences unstable delamination growth even under displacement control for the majority of the useful length of the beam [35]. To obtain an R-curve, the specimen has to be tested once, moved in the fixture and re-tested. Since fiber bridging does not occur for a delamination grown in mode II, if any R-curve effect is observed it must be caused by another mechanism. As the delamination extends in shear, a large zone ahead of the delamination front is stressed [27]. This stress can cause damage ahead of the delamination front [29]. Hence, the ENF should not be pre-cracked in shear because any subsequent values of $G_{IIc}$ would be toughness values corresponding to a delamination growing into damaged material and would not be a generic material property of the composite. A mode I pre-crack is also not recommended because
fiber bridging will occur. When the delamination subsequently tries to grow in shear, the bridged fibers must deform or break, thereby increasing the energy required to grow the delamination [12,36]. Studies of the effect of insert thickness and precracking on $G_{\text{IIc}}$ initiation values were presented in refs. 12 and 39. The results for a glass/epoxy from ref. 12 are shown in fig. 7. Unlike the DCB, there was no apparent minimum value of $G_{\text{IIc}}$ with decreased insert thickness for this glass/epoxy. Results from ref. 39 for an IM6/PEEK composite showed similar values of $G_{\text{IIc}}$ at initiation from 7μm and 13μm inserts, indicating that an insert thickness between 7μm and 13μm may be appropriate for determining $G_{\text{IIc}}$ values as in the DCB. In ref. 12 the $G_{\text{IIc}}$ values at initiation from a shear or tensile pre-crack were higher than those from the thinner inserts. However, for other materials, the $G_{\text{IIc}}$ values obtained from a precrack were lower than those obtained from a 25μm thick insert [28,36].

Some attention has been given to determining the loads and displacements required to calculate the $G_{\text{IIc}}$ values corresponding to delamination initiation [12,20,39]. Visual observation of delamination growth from the insert is difficult in the ENF because the delaminated surfaces are being pressed together and the delamination grows very rapidly. Therefore, $G_{\text{IIc}}$ may be calculated using the loads and displacements corresponding to either the maximum load at which unstable delamination growth occurs, point A in fig. 8; the deviation from linearity of the load-displacement
curve, point B in fig. 8; or the intersection of the load-displacement curve with a line representing a 5% increase in initial compliance, point C in fig. 8. For brittle composites, even if the delamination is grown from the insert, there is a detectable non-linear portion to the load-displacement curve prior to unstable growth [12,39]. This non-linear portion may possibly be caused by the formation of microcracks or damage ahead of the delamination front, prior to coalescence of these cracks into delamination growth [29]. Also, the deviation from linearity may be caused by the delamination growth initiating at the center of the delamination front. The values of load and displacement at the deviation from linearity yield more conservative values of $G_{IIc}$ than the maximum loads.

An alternative approach to conducting the ENF test was given in ref. 37. Here, the test is controlled by a clip gauge which measures the crack sliding displacement, CSD, fig. 9. By controlling the CSD, stable delamination growth is achieved and an R-curve can be obtained in one loading cycle.

**Data Reduction**

The most common method for reducing the ENF data is a beam theory expression for $G_{IIc}$ with a correction for transverse shear [11,29,36]. This reduction scheme agreed well with predicted values from a 2-D finite element analysis [40]. Thus $G_{IIc}$ may be calculated from
where \( L \) is the half span length and \( E_{11} \) and \( G_{13} \) are the longitudinal and shear moduli, respectively. An alternative data reduction technique involves determining the compliance as a function of delamination length. The ENF specimen is positioned in the loading fixture at different \( a/L \) lengths and loaded sufficiently to determine the compliance but not to propagate delamination. An expression for compliance is obtained from

\[
C = C_0 + ka^3
\]

where \( C_0 \) and \( k \) are determined experimentally from a least squares fit to a plot of compliance versus \( a^3 \), and \( G_{IIc} \) is determined from

\[
G_{IIc} = \frac{3 k a^2 P_c^2}{2 b}
\]

For tests measuring CSD, as detailed in ref. 37, \( G_{IIc} \) values may be determined from

\[
G_{IIc} = \frac{3}{8 \ b \ h} \ \frac{P_c^2}{\chi}
\]

where \( \chi \) is the crack shear compliance, CSD/P.

**END LOADED SPLIT TEST**

The end loaded split (ELS) test \([41,42]\) has been used as a mode II test and has a similar configuration to the ENF. It is rigidly clamped at one end and loaded at the other as shown in
Because it is essential that the clamped end is rigid, the clamping fixture is usually fixed to the load frame. Hence, the fixture is not always readily transferrable from one load frame to another. The advantage of this specimen is that it has stable delamination growth for $a/L > 0.55$. Hence, any $R$-curve effect may be determined in one loading sequence.

MIXED MODE TESTING

Delaminations will not always occur in a pure mode fashion but may be a combination of all three modes. Therefore, a valid mixed mode failure criterion must be established. Most of the current research has focused on mixed mode I and II. Different types of specimens such as the cracked lap shear [7], the edge delamination test (EDT) [43,44], the Arcan [45], the asymmetric DCB [46], the mixed mode flexure [47], the variable mixed mode specimen [48] and others have been devised to give a combination of mode I and II. Some of the above tests require a finite element analysis to calculate the mode mix, and others, such as the asymmetric DCB, require a complicated loading mechanism.

Recently, a mixed mode bending (MMB) test, fig. 11, which has distinct advantages over the above mentioned mixed mode tests was developed [49] and modified [50]. By varying the position of the applied load point, $c$, the mixture of the modes can be altered. Thus, virtually any combination of modes I and II can be obtained from one specimen type. In addition, a closed form beam theory solution was developed to calculate the mode mix, thus avoiding the
use of finite element analysis. The mode I and II values for G can be calculated for \( c \geq L/3 \) from

\[
G_{ic} = \frac{4 P_c^2 (3c - L)^2}{64 b L^2 E_{11} I} \left[ a^2 + \frac{2a}{\lambda} + \frac{1}{\lambda^2} + \frac{h^2 E_{11}}{10 G_{13}} \right] 
\]

(8)

\[
G_{IIC} = \frac{3 P_c^2 (c + L)^2}{64 b L^2 E_{11} I} \left[ a^2 + \frac{h^2 E_{11}}{5 G_{13}} \right] 
\]

(9)

where

\[
\lambda = \frac{1}{h} \left[ \frac{6 E_{22}}{E_{11}} \right]^{\frac{1}{4}}
\]

(10)

Reference 50 gives details of the modifications made to the loading fixture to reduce geometric non-linearities. Results of ref. 50 indicate that for AS4/PEEK a suitable mixed mode I and II failure criterion may be

\[
\left( \frac{G_I}{G_{ic}} \right) + \left( \frac{G_{II}}{G_{IIC}} \right) = 1
\]

(11)

Further mixed mode tests (I and III; II and III; and I, II and III) need to be developed before eq. 11 could be extended to cover all three modes.

The edge delamination test (EDT) [43,44] has been used to conduct predominantly pure mode I tests as well as mixed mode tests. However, the values of G near the free edge are largely dependent on the amount of moisture the specimen has absorbed prior
to testing [51]. For this reason this specimen has not been widely accepted as an interlaminar fracture test. The EDT test has typically been used to quote edge delamination strength. But, these "strengths" will depend on the lay-up, stacking sequence and ply thickness of the test specimen. The EDT has one advantage over the MMB for studying environmental effects, such as exposure to temperature or fluids. Unlike the MMB, the delamination front in the EDT configuration in ref. 43 may be exposed to the environment. Therefore, the variation in fracture toughness caused by the environment may be directly measured [52,53].

**MODE III TESTING**

Little research has been conducted on mode III testing. Many analyses that are conducted on structures that are liable to delaminate are either 2-D [54], and hence have no mode III component or 3-D with uniaxial loading, causing a small to negligible mode III component [55]. However, some analyses show that the mode III component may be significant [56]. A mode III delamination test based on the rail shear test was developed in ref. 57. The rigidity of these specimens made compliance difficult to measure. In refs. 58 and 59 a split cantilever beam specimen (SCB) was developed and used to give mode III toughness values. This test was modified in ref. 60 and a 3-D finite element analysis was conducted to determine the modal distribution of $G$ along the delamination front. The results, shown in fig. 12, indicated that there was a constant mode III distribution along the
delamination front. However, in addition there was a large mode II component which was zero in the center of the beam and significantly larger than the mode III component at the free edge. Examination of the failure surfaces from the experimental work in ref. 60, fig. 13, showed the failure surfaces along the delamination front were different at the edges than in the center of the beam. At the edges, shear hackles, indicative of mode II failure were observed, fig. 14. In the center of the beam, the failure surface was indicative of a mode III failure. Therefore, the split cantilever beam is not a pure mode III test. To date no adequate mode III test has been devised.

**FATIGUE TESTING**

The technique to characterize delamination fatigue has been studied by several authors and two methods currently exist; the delamination growth method and the delamination onset method. The DCB and ENF have been used to characterize fatigue delamination by monitoring the delamination growth per fatigue cycle, $\frac{d}{dN}$. Expressions were given relating the applied cyclic strain energy release rate ($G_{max}$ or $\Delta G$) with $\frac{d}{dN}$ in the form of a power law, $\frac{d}{dN} = AG^B$ where $A$ and $B$ are constants that are determined experimentally. However, for composites, the values of the exponents, $B$, in these power laws were high, typically ranging from 3 to 10. Thus, any small deviation from the anticipated service load may lead to large errors in the predicted delamination growth rate using these power laws. This effect is shown
schematically in fig. 15. Thus, da/dN characterization may not be suitable for damage tolerance designs in composites.

An alternative design philosophy for composites utilizes the threshold value of strain energy release rate [67], such that if a flaw is known to exist, then the applied G must never exceed a threshold value, thus ensuring damage tolerance. The DCB and ENF tests have been used to obtain threshold values, \( G_{th} \), in a manner similar to that used in metals. In the DCB, the delamination is allowed to grow under cyclic loading and the delamination growth rate is decreased until the delamination growth arrests [1,61,62]. However, this technique requires that the delamination be allowed to grow some distance before delamination arrest. As the delamination grows in fatigue, fiber bridging will occur as for the static tests. Therefore, when the delamination eventually arrests during the fatigue test, the measured G will include the effects of fiber bridging and will give artificially high values of \( G_{th} \).

An alternative method of obtaining threshold values using the DCB was demonstrated in refs. 1, 8, 12, 66 and 68. This method involved visually and electronically monitoring the onset of delamination growth at the end of the insert. If the delamination did not begin to grow before a specified number of cycles, N, then the applied G must be below the threshold value. By choosing a suitable value of N for the application, such as one million cycles, a desired value of \( G_{th} \) may be specified. If no delamination growth is observed after one million cycles, the
specimen is considered a runout as indicated by the arrows in fig. 16. That specimen is discarded and a new one tested at a higher load level. Because this method of determining thresholds uses only the initial delamination growth from the insert, the problems associated with delamination growth are eliminated. The use of delamination onset data may be further extended by testing several specimens at G values above the threshold value. Thus, it is possible to obtain a complete G-N curve for delamination growth onset, as shown in fig. 16.

Figure 17 shows the delamination growth plot for DCB specimens of the same glass/epoxy as used in fig. 16. Also plotted are the $G_{th}$ values at $10^6$ cycles from fig. 16. If $da/dN = 10^{-7}$ mm/cycle is considered to be delamination arrest, then the values of $G_{th}$ at $10^6$ cycles can be seen to be significantly lower that the values of $ΔG$ at $da/dN=10^{-7}$ mm/cycle. Therefore, using $da/dN$ data to obtain a threshold strain energy release rate for damage tolerance designs could prove disastrous. However, G-N data of the type shown in fig. 16 may be used in life prediction methodologies such as detailed in refs. 53, 69-71. Using this methodology, each unique structural discontinuity in a composite structure must be analyzed to obtain a G distribution with delamination length. These calculated values of G are then compared to the G-N curves to predict delamination onset and growth in the structure.
SUMMARY

This paper gave a review of the current techniques for characterizing interlaminar fracture. The mode I, double cantilever beam (DCB) test for measuring $G_{ic}$ and the end notched flexure (ENF) for measuring $G_{IIc}$ were reviewed in terms of their configurations, testing methods, and data reduction. Also, the mode II end loaded split (ELS) test was discussed. Then, mixed mode delamination characterization was discussed and the mixed mode bending (MMB) test was detailed. Results of an analysis on the split cantilever beam (SCB) were given. This specimen has been proposed as a mode III test, but recent analysis has shown that this specimen delaminates in a combination of modes II and III. Therefore, to date no recommended mode III test is available. Lastly, techniques for characterizing interlaminar fracture by fatigue were reviewed. Two techniques for fatigue characterization exist: The delamination growth method and the delamination onset method. This paper reviewed the work done using both methods and details the advantages of the onset method versus the growth method.

REFERENCES


Fig. 1 - Double cantilever beam specimen.
Fig. 2. - Effect of initial delamination on $G_{IC}$ at initiation.
Fig. 3. - Schematic of load-displacement plots for DCB specimen.
Fig. 4. - Experimental data fitting to obtain constants for $G_{IC}$ determination.
Fig. 5. - End notched flexure specimen.
Fig. 7. - Effect of initial delamination on $G_{IIc}$ at initiation.
Fig. 8. - Schematic of load-displacement plot for ENF specimen.
Fig. 9. - ENF specimen controlled by crack sliding displacement.
Fig. 10. - Schematic of end loaded split specimen.
Fig. 11. - Schematic of the mixed mode bend specimen.
Fig. 12. - $G_{II}$ and $G_{III}$ distribution along delamination front.
Fig. 13. - Fracture surface of the split cantilever beam specimen.
Fig. 14. - Micrographs of the fracture surface on the split cantilever beam specimen.
Fig. 15. - Schematic of delamination growth characterization.
Fig. 16. - Delamination onset data for S2/SP250 and S2/CE9000 composites.
Fig. 17. - Delamination growth data for S2/SP250 and S2/CE9000 composites.
Interlaminar fracture characterization has been investigated for several years. Only now is it well enough understood for standardization organizations to attempt to write standard test methods. This paper gives a review of the current philosophies in characterizing interlaminar fracture. The paper covers all modes of interlaminar fracture for brittle and ductile composites. First, the mode I, double cantilever beam test (DCB) for measuring $G_{IC}$ and the end notched flexure test (ENF) for measuring $G_{IIc}$ are discussed. These tests have undergone the most extensive research throughout the years and are furthest towards standardization. In addition, the mode II, end loaded split (ELS) specimen is discussed. Mixed mode fracture is also discussed and the recently developed mixed mode bending (MMB) test is detailed. Then tests for evaluating mode III fracture toughness, including the split cantilever beam (SCB), are reviewed. Last, the work done on interlaminar fracture characterization in fatigue is reviewed.