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Microgravity and Charge Transfer in the Neuronal Membrane: Implications for Computational Neurobiology

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MICROGRAVITY AND CHARGE TRANSFER IN THE NEURONAL MEMBRANE: IMPLICATIONS FOR COMPUTATIONAL NEUROBIOLOGY

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Abstract

Evidence from natural and artificial membranes indicates that the neural membrane is a liquid crystal. A liquid-to-gel phase transition caused by the application of superposed electromagnetic fields to the outer membrane surface releases spin-correlated electron pairs which propagate through a charge transfer complex. The propagation generates Rydberg atoms in the lipid bilayer lattice. In the present model, charge density configurations in promoted orbitals interact as cellular automata and perform computations in Hilbert space. Due to the small binding energies of promoted orbitals, their automata are highly sensitive to microgravitational perturbations. It is proposed that spacetime is classical on the Rydberg scale, but formed of contiguous moving segments, each of which displays topological equivalence. This stochasticity is reflected in randomized Riemannian tensor values. Spacetime segments interact with charge automata as components of a computational process. At the termination of the algorithm, an orbital of high probability density is embedded in a more stabilized microscopic spacetime. This state permits the opening of an ion channel and the conversion of a quantum algorithm into a macroscopic frequency code.

Nomenclature

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
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</thead>
<tbody>
<tr>
<td>a₀</td>
<td>Bohr radius</td>
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<tr>
<td>CQM</td>
<td>Copenhagen interpretation of quantum mechanics</td>
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<tr>
<td>CTC</td>
<td>charge transfer complex</td>
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<tr>
<td>FMM</td>
<td>fluid mosaic membrane model</td>
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<tr>
<td>GR</td>
<td>General Relativity</td>
</tr>
<tr>
<td>HOMO</td>
<td>highest occupied molecular orbital</td>
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<td>LCM</td>
<td>liquid crystal membrane model</td>
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<tr>
<td>LUMO</td>
<td>lowest unoccupied molecular orbital</td>
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<tr>
<td>n</td>
<td>principal quantum number</td>
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<tr>
<td>QGM</td>
<td>quantum gravity model</td>
</tr>
<tr>
<td>T</td>
<td>Riemannian tensor</td>
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<tr>
<td>USG</td>
<td>Unturbe-Sanchez-Gomez model</td>
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</tbody>
</table>

I. Background

The nerve cell membrane is an amphiphilic bilayer composed of a phospholipid lattice and embedded proteins. Hydrophilic phosphorus head groups define the outer surfaces of the exterior and interior membrane leaflet, while the hydrophobic interior is comprised of hydrocarbon diacyl chains. The embedded proteins have a spanning domain ranging from a single α-helical polypeptide to several structured strands of amino acids.

According to FMM, the membrane bilayer is a homogeneous 2-dimensional liquid with considerable lateral mobility. The liquid state is due to positional and orientational randomness of the constituent phospholipids. Due to the membrane's stochastic nature, computational properties of nerve cells in FMM are attributed to embedded-protein dynamics (i.e., ion channel activity). The lipid bilayer serves as a semipermeable barrier separating aqueous compartments and as an "anchoring site" for the proteins.

X-ray crystallographic studies indicate that the stochasticity emphasized in FMM is inaccurate, and that LCM has stronger empirical support. In the alternative model, the membrane bilayer is a molecular lattice which displays phase transitions between liquid and gel states. These transitions
occur on a time scale as brief as 100-190 ps and a length of 100-1000 Å. They are associated with membrane permeability to Na+, cholesterol, and other ionic and molecular species, and hydration-layer formation on the outer membrane surface which influences transmitter and other ligand binding. Because several of these features are significant in neural communication, it is useful to examine their possible microscopic basis.

II. Membrane Charge Transfer

Molecular theory predicts that 1-2 electrons introduced at one end of a metastable lattice characterized by orbital overlap will propagate as a soliton through the system. This is a CTC of the form:

\[ \Psi_{\text{CTC}} = C_1 \Psi_{\text{AD}} + C_2 \Psi_{\text{A-D+}} \]  

where \( \Psi_{\text{AD}} \) is the wave function, without taking into account the charge transfer, of two molecules, A and D, and \( \Psi_{\text{A-D+}} \) is electron transfer from donor D to acceptor A. Energy transfer in CTC is \( \text{HOMO} \rightarrow \text{LUMO} \), generating excited states with \( 10^{-10} \) sec lifetimes. These protocols are consistent with experimental evidence for membrane charge-transfer activity immediately prior to depolarization at a voltage-gated ion channel.

Artificial membrane studies (Langmuir-Blodgett preparations) indicate that bonding between ethylenic p orbitals of carbon atoms 9 and 10 in adjacent hydrocarbon diacyls can be further stabilized by 1 or 2 additional electrons. The sequential release of spin-correlated electron pairs into the system is accomplished by cyclical electrochemical events at the outer membrane surface. Spatially and/or temporally summed afferent impulses produce a surge of Na+ causing phospholipids to become deprotonated. The deprotonation temporarily dissociates a phospholipid-cholesterol complex, releasing 2 spin-correlated electrons that move longitudinally through a conduction pathway created by the overlapping ethylenic orbitals.

Quasi-particles passing through a thin sample of condensed matter produce a form of absorption spectroscopy using electrons instead of light. In a neural membrane conduction system, ethylenic p orbitals, which have a low excitation threshold, would be promoted to metastable levels. Movement of successive electron pairs through the system would deform the p orbitals into a series of topologically equivalent hypershapes. The time interval between deformations based on the absorption/emission interval in biomembrane fluorescence depolarization probes \( \approx 10^{-8} \) sec.

The major constraints on interactions between and within deformed orbitals are hypersurface and charge. Units with dipolar, complementary hypershapes combine to form larger units. The process continues until configurations settle into a stable high energy arrangement of high probability density \( \Psi^2 \). Time estimates for this process based on hexadecane simulation of diacyl-chain carbon reorientations during increasing membrane viscosity \( \approx 100 \) picosec or \( 10^{-10} \) sec. The estimate is compatible with lifetimes \( \approx 2 \times 10^{-10} \) sec of highly localized reconstituted Rydberg wave packets or fractional revivals which may function as automata. This possibility merits further investigation.

Viewed from a computational standpoint, the superposition postulate in CQM implies massive parallelism for microscopic cellular automata. Highly intractable combinatorial problems involving temperature, pH, osmolarity, metabolite and hormone binding as well as sensory, autonomic and emotional data integration (in more neurologically complex species) can be microscopically solved at near optimality in polynomial time. Coulombic attraction between high probability density of self-assembled Rydberg automata and positively charged arginine and lysine residues of an adjacent ion channel regulate channel opening and the conversion of microscopic solutions into classical frequency codes.

"Learning" in the neural CTC is accomplished by mesoscopic interaction between membrane and cytoskeleton. Electrotonic conduction of the spike frequency pattern from a voltage-gated channel to a ligand-gated Ca++ channel at the NMDA receptor produces a complex chemical reaction which modifies the
Conformational changes in cytoskeletal protein tubulin dimers produce gross structural modifications in the attached membrane, including formation of dendritic spines at synapses. The modified synaptic structure in turn affects phase relations of subsequent afferent pulses at the outer membrane surface. Because these pulses generate the Na+ surge which indirectly activates the release of spin-correlated electrons into CTC, any modification of the interval or spatial extent of Na+ dissociation incrementally modifies iterations of Rydberg automata. This would constitute directional change or an "arrow of time" for the quantum wave function in a neural membrane mesoscopic computational system. This exception to the principle of strong Poincaré Recurrence in CQM permits quantum adaptation to combinatorially complex macroscopic environments.24

III. The Role of Microgravity in CTC.

It is known that energy eigenstates of hydrogenlike (Rydberg) atoms are sensitive to gravitational perturbations on an atomic scale due to their high principal quantum numbers $n$ (typical $n = 10-100$) or high macroscopic distance $r$ of the electron from the nucleus ($r \gg a_0$, where $a_0$ is the Bohr radius).25,26,27,28 In a neural CTC, topological fluctuations in Rydberg automata during the course of the algorithm are physically identical with energy eigenstates. It follows that microgravity (i.e., spacetime on the atomic scale $\approx a_0$) may have a significant effect on charge density interactions in neural membrane computations.

The recent renewal of interest in synthesizing GR with CQM has produced several competing models of microscopic gravity. The majority of these, however, are QGM models which apply at the Planck length ($= 10^{-33}$ cm), a scale many orders of magnitude smaller than that of the Rydberg atom. An exception is USG which postulates a stochastic form of the spacetime metric as a major explanatory feature of wave function reduction $R \Psi(X,t)$.29 The model (similar to that of Károlyházy, Frenkel and Lukács) assumes a classical but stochastic Gaussian metric in which the wave function is embedded. $R \Psi(X,t)$ is construed as an interaction between matter and the fluctuating metric such that $\Psi$ becomes increasingly localized, with corresponding decoherence of superposition, in a more stabilized spacetime metric with highly localized curvature values. In USG the threshold between microscopic and macroscopic systems occurs at transitional mass $M^{tr} (= 10^{-14} \text{g})$. Masses $m \ll M^{tr}$ (i.e., elementary particles) display quantum behavior while macroscopic masses $m \gg M^{tr}$ behave classically. Unlike alternative attempts to synthesize CQM and GR, USG is consistent with the stochastic character of nature and does not require a Relative State ("Many-Worl ds") interpretation of $R \Psi(X,t)$.

For Rydberg atoms in a neural-membrane CTC, the stochastic spacetime of USG may be expressed in computational terms. The metric $M_{USG}$ is mathematically definable as a set of fluctuating tensor values

$$d\mathcal{T}_1\Psi = d(g_{\mu\nu}\Psi),$$

where $d(g_{\mu\nu})$ is a derivative representing an instantaneous rate of change in the Riemannian coefficient $g_{\mu\nu}$ of GR. In accordance with USG, $d\mathcal{T}_1\Psi$ describes the rate of curvature change in a microscopic and mobile spacetime segment contiguous with other such segments and displaying topological equivalence. From a computational standpoint, $d\mathcal{T}_1\Psi$, $d\mathcal{T}_2\Psi$, $d\mathcal{T}_3\Psi... d\mathcal{T}_N\Psi$ are mathematical objects representing physically real spacetime cellular automata interacting systemically with one another and with charge density configurations in a promoted orbital. Increased probability density of self-assembled charge configurations generates increasing stability of spacetime automata approximating the manifold of classical GR. Reciprocally, the increasing stabilization of spacetime automata increases the localization of charge density configurations.

The algorithm converges at an end state $S$ of $\Psi$ defined in terms of phospholipid molecular probability density and stochasticity of microscopic spacetime. Subsequent Coulombic attraction between the phospholipid orbital envelope and...
positively charged arginine and lysine residues of an adjacent ion channel permit channel opening and neural membrane depolarization.

Regulation of field strength responsible for ion channel activation is the specialized role of self-assembled $d^{T_1\Psi}$ automata. In macroscopic GR, Newtonian “action at a distance” $G(M_1,M_2)$ was reformulated by Einstein as a propagated change in local spacetime curvature $^{30,31}$:

$$G(M_1,M_2) = \Delta T_1 \rightarrow \Delta T_2 \rightarrow \Delta T_3 \ldots \Delta T_N.$$  \hspace{1cm} (3)

In a quantum regime as described in USG, curvature propagation is randomized in proportion to the mobility of the contiguous $d^{T_1\Psi}$ segments comprising microscopic spacetime. It follows that Coulombic interaction (between phospholipid envelope and ion-channel amino residues) essential for membrane depolarization is determined by $d^{T_1\Psi}$ distribution at the end state $S$ of $(S)$ of the quantum algorithm.

IV. Discussion.

The purpose of this article has been to suggest in an admittedly schematic way the role of microgravity in neural communication. While certain features of the model will probably not be testable for some time to come, the general properties of a Rydberg atom in a regime of fluctuating macroscopic spacetime curvature may be derivable experimentally. Perturbation of different energy levels in a gravitational field varying over the dimension of the atom (i.e., tidal forces) is theoretically a function of the local macroscopic Riemannian curvature tensor $\mathbf{T}$. This condition may be observed as frequency shifts of Rydberg atoms with high lifetimes near neutron stars and black holes$^{32}$. The lifetimes are generally greater than those of Rydberg atoms generated in an Earth laboratory. In terms of USG, the energy shifts are induced by the propagation of curvature change from the classical GR manifold to the $d^{T_1\Psi}$ automata. Consequent movements and curvature changes in the segmented spacetime automata in turn produce a changed distribution of charge density configurations. If the USG model is correct, the frequency shifts should be highly randomized, reflecting the stochasticity of spacetime and charge density on the atomic scale. The astronomical data set, when combined with models of charge transfer and excitation in biomembranes, may generate more detailed models (possibly of the cellular automata family) of microgravity in subneural systems. As a consequence, the means by which neurons routinely compute near-optimal solutions to highly complex problems of physiology and cognition will be better understood.

V. Acknowledgements.

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References


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