FORMATION OF γ'-Ni3Al VIA THE PERITECTOID REACTION: \( γ + β (A_{2}O_{3}) = γ' (A_{2}O_{3}) \)

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nickel aluminides: solidification: partial thermodynamic properties: Knudsen effusion mass spectrometry

Abstract

The activities of Al and Ni were measured using multi-cell Knudsen effusion-cell mass spectrometry (multi-cell KEMS), over the composition range 8 – 32 at.%Al and temperature range \( T = 1400 – 1750 \) K in the Ni-Al-O system. These measurements establish that equilibrium solidification of \( γ'\)-Ni3Al-containing alloys occurs by the eutectic reaction, \( L (A_{2}O_{3}) = γ + β (A_{2}O_{3}) \), at 1640 ± 1 K and a liquid composition of 24.8 ± 0.2 at.%Al (at an unknown oxygen content). The \( γ + β + A_{2}O_{3} \) phase field is stable over the temperature range 1633 – 1640 K, and \( γ'\)-Ni3Al forms via the peritectoid, \( γ + β (A_{2}O_{3}) = γ' (A_{2}O_{3}) \), at 1633 ± 1 K. This behavior is inconsistent with the current Ni-Al phase diagram and a new diagram is proposed. This new Ni-Al phase diagram explains a number of unusual steady-state solidification structures reported previously and provides a much simpler reaction scheme in the vicinity of the \( γ'\)-Ni3Al phase field.

Introduction

The Ni-Al system is the foundation for Ni-base superalloys used in gas-turbine applications. The precipitation of \( γ'\)-Ni3Al containing alloys and observe them at room temperature. As a result it is difficult to quench-in the high-temperature microstructures of \( γ'\)-Ni3Al containing alloys and observe them at room temperature. Experimental techniques that provide information about the phase equilibria at temperature are therefore crucial to studying the Ni-Al system. Many studies of this system have used directional solidification (DS), differential thermal analysis (DTA) and differential scanning calorimetry (DSC) techniques to study the high temperature phase equilibria, but it always hard to determine equilibrium transformation temperatures or phase boundaries under non-isothermal or irreversible conditions. DS involves significant thermal gradient and heat flux across the solidification front, while DTA and DSC studies involve heating and cooling rates of 2.0 ~ 10 K/min. DS provides important information about steady-state solidification in these alloys, but a number of studies report a range of microstructures that are unexplainable with the current Ni-Al phase diagram (e.g., β + γ eutectics and unusual γ / γ' interfaces)\(^{[12-16]}\). Reducing the ramping rate of DTA and DSC give closer to equilibrium transformations but reduced signal intensity imposes a low limit on the ramp rate\(^{[10]}\). Of more concern is the disagreement between transformation temperatures observed during heating and cooling (up to 20 ~ 100 K), which was the major reason sighted by Hilpert for including KEMS measurements in their studies\(^{[8,9]}\). The KEMS technique is well suited to study equilibrium solidification behavior because isothermal conditions are obtained (\( T \) is routinely held within ±0.5 K over 1–4 hrs) and equilibrium is closely approached. Equilibrium transformations are determined by extrapolating measured equilibrium behavior on either side of a phase boundary or transformation\(^{[27, 28]}\).

Another aspect that is not always adequately considered is the thermodynamic state of the system present in these experiments. To correctly interpret thermodynamic property measurements the equilibrium needs to be described accurately and any unmeasured variables must be identified and all assumptions clearly stated. The typical approach has been to only consider the Ni-Al alloy and ignore the container material (typically \( A_{2}O_{3} \)). In this study the boundary of the system is identified as the inner surface of the diffusion-cell and \( A_{2}O_{3} \) is included together with the alloy sample, thus the \{alloy + \( A_{2}O_{3} + \) vapor\} equilibrium describes the thermodynamic state and the Ni-Al-O ternary system is considered\(^{[20,31,32]}\). In these equilibria the alloy phases \( γ\)-(Ni), \( γ'\)-Ni3Al, \( β\)-NiAl and \( L \) are saturated with O, and the \( A_{2}O_{3} \) is saturated with Al and Ni from the alloy. The amount of O saturation in the alloy and Ni in \( A_{2}O_{3} \) are unknown. This removes the implicit assumptions that dissolved O does not influence the solution behavior of the alloy phases and measurements made in the Ni-Al-O system can be applied directly to the Ni-Al system. A review of the phase equilibrium observed in the Al-O\(^{[31]}\) and Ni-O\(^{[34]}\) systems clearly shows the merit of including O and \( A_{2}O_{3} \) in the description of the results and considering them in terms of the ternary system. This paper reports a series of partial thermodynamic property measurements - activities of \( α\)-(Al) and \( α\)-(Ni) - made by the vapor pressure method with a multiple Knudsen effusion cell mass spectrometer (multi-cell KEMS) in Ni-Al alloys in equilibrium with \( A_{2}O_{3} \). Particular attention is given to compositions on either side of \( γ'\)-Ni3Al, namely Ni-23at.%Al and Ni-27at.%Al in the \{\( γ + γ + A_{2}O_{3} \)\} and \{\( γ + β + A_{2}O_{3} \)\} condensed three-phase fields, respectively. These measurements raise some fundamental questions about the accepted solidification behavior of \( γ'\)-Ni3Al, which are considered in detail.
Experimental

Alloy and Sample Preparation

The alloys considered in this study are listed in Table 1. Their compositions were determined by inductively coupled plasma spectroscopy (using a Varian Vista-Pro ICP-OES) and inert gas fusion for nitrogen/ oxygen (using a LECO TC-436). All alloys were prepared by repeated arc-melting (5 times) the correct partial pressures were determined as a function of temperature by the vapor pressure method, where the characteristic vapor species (p(Al) and p(Ni)) in equilibrium with the sample over p(Au)(Au) in equilibrium with pure-Au(s), A) / p(Au) or I / p(Au; the tabulated ratio of p(Au) over the characteristic vapor species in equilibrium with the pure-element reference state p(i). 

\[
\frac{p_A}{p_{Au}} = \frac{I_A}{I_{Au}} \frac{S_{Al}}{S_{Au}} \frac{p_A}{p_{Al}} \quad \text{(Eq. 1)}
\]

The gAu / gAlloy term accounts for variations in the effusion-orifices for a pair of cells [43-45] and was routinely measured to be 1.00 ± 0.01 in this study. The SAl / SAlloy terms can be considered as instrument specific ionization cross-section ratios that relate the secondary reference, pure-Au(s,l) or p(Au), to the pure-element references, which are {Al(l) + Al2O3(s)} or p(Al) and {Ni(s,l) + Al2O3(s)} or p(Ni), respectively. These calibration factors, SAu / SAu and SAl / SAlloy, were measured in separate experiments as 0.154 ± 0.005 and 0.85 ± 0.03, respectively, and were independent of temperature. The tabulated ratio p(Au) / p(i) in Eq. 1 was determined at each T by the 3rd-law treatment suggested by Paule [46] using the Gibbs free energy functions for the pure substances from reference [47] together with the measured 2nd-law reactions enthalpies listed in column 2 of Table 2. Because of the different ionization efficiency curves for Au(g), Al(g) and Ni(g) the same electron energy (25eV) was used for both SAu / SAlloy, and the alloy measurements.

Activity and Phase Equilibrium Measurements

The activities of Al and Ni in the various {alloy + Al2O3} equilibria were determined by the vapor pressure method, where the partial pressure of characteristic vapor species, Al(g) and Ni(g), in equilibrium with each sample, p(i), are compared to a reference state, p(i)(ref), according to: a(i) = p(i) / p(i)(ref) [33-37]. The partial pressures were determined as a function of temperature by Knudsen effusion-cell mass spectrometry, KEMS, where p(i) inside the effusion-cell is determined from the measured intensity of a representative ion beam, I(i), and absolute temperature, T, according to the relationship: p(i) = IT / SI, (where SI is the instrument sensitivity factor) [39]. The need to determine SI and absolute partial pressure was removed in this study with a multiple effusion-cell vapor source (with 3 effusion-cells), multi-cell KEMS, which allows the relative partial pressure between samples in adjacent effusion-cells to be determined directly [39-42]. These measurements are made effectively independent of the effusion-cell by introducing two fixed apertures between the effusion-cell and ion-source (which define the molecular beam) together with consistent alignment of each effusion-cell orifice with these fixed apertures. The multi-cell vapor source allows 2 alloys and pure-Au(s), as a secondary reference, to be measured in a single experiment with an indirect procedure, represented by Eq. 1. Activities are determined at each temperature, T, by comparing the ratio of the measured relative partial pressure of the characteristic vapor species (p(Al) and p(Ni)) in equilibrium with the sample over p(Au)(Au) in equilibrium with pure-Au(s), A) / p(Au) or I / p(Au; the tabulated ratio of p(Au) over the characteristic vapor species in equilibrium with the pure-element reference state p(i). 

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\frac{p_A}{p_{Au}} = \frac{I_A}{I_{Au}} \frac{S_{Al}}{S_{Au}} \frac{p_A}{p_{Al}} \quad \text{(Eq. 1)}
\]

The sensitivity of this measurement is improved by observing the ratio of the ion-intensities, I(i) / IA, in the molecular beam from a single
effusion-cell with temperature \(^{[49,50]}\). This technique was used to determine the phase boundaries and temperature of invariant reactions in this study.

The temperature was measured with a pyrometer (Mikron Infared, New Jersey, M1900V–TS) sighting a blackbody source (2.5 mm in diameter and 13.5 mm long) machined into the bottom of each effusion-cell and Mo-cell holder. Pure-Au\((s,l)\) provides a primary diameter and 13.5 mm long) provided a systematic method of checking the accuracy of these results. The steady state or equilibrium condition in each effusion-cell was verified at each temperature with repeat measurements 30–45 minutes apart. The typical variation in temperature and ion-intensity between repeat measurements was less than 0.5 K and 1 %, respectively. Measurements were made at a range of temperatures over three days and were taken in a random order.

**Results**

This publication reports the results from thirteen separate experiments. In each experiment the enthalpy of sublimation of pure-Au\((s,l)\), \(\Delta H_{\text{sub}}\text{Au}(298)\), was determined and used as a check for consistent measurement procedure. In all cases the 2nd and 3rd law values were within the range 362.8±3.0 kJmol\(^{-1}\) and 367.8±1.0 kJmol\(^{-1}\), respectively, and agree with the values listed in Table 2. The activities of Al and Ni of all nine alloys are plotted as the logarithm of activity versus 1/\(T\) and are shown in Figs. 1 and 2, respectively. For the composition range 8 – 32 at.% Al, the Al activity varied by about a factor of 300 while the Ni activity varied by about a factor of 2. The relative errors in both sets of data are similar, however, the different scales make the \(a(\text{Al})\) data look more precise then \(a(\text{Ni})\) data. The sensitivity of these measurements to changes in sample composition relates directly to the Gibbs free-energy surface. In this case a difference of 1 at.% Al is observable. In Figs. 1 and 2 the univariant phase fields, \{phase\(^1\) + phase\(^2\) + Al\(_2\)O\(_3\)\}, in the Ni-Al-O system exist as lines and are identified by solid-lines labeled with stable alloy phases \(\gamma^\prime + \gamma\), \(\gamma^\prime + \beta\), \(\gamma + \beta\), \(L + \gamma\) and \(L + \beta\). In regions where bivariant phase fields \{phase + Al\(_2\)O\(_3\)\} exist the behavior of each sample is identified by a dashed line and the stable alloy phase is identified. In the univariant phase fields the composition of the condensed phases are fixed but unknown, while in the bivariant fields the composition of the alloy phase is known (oxygen content is unknown) and listed in Table 1.

In Fig. 1 and 2 the changes in slope observed in a particular plot correspond to the sample crossing a phase boundary. In this way these results provide important information about the equilibrium phase boundaries and invariant transformations in the Ni-Al-O system. The most striking feature of these results is the four univariant phase fields \(\gamma^\prime + \gamma\), \(\gamma^\prime + \beta\), \(L + \gamma\) and \(L + \beta\) converge within the temperature range \(T = 1630 \sim 1640\) K, where the same Al and Ni activities were measured for Ni-23Al, Ni-25Al and Ni-27Al samples (note: \(a(\text{Al}) \neq a(\text{Ni})\). The convergence of the \(\gamma^\prime + \gamma\) and \(\gamma^\prime + \beta\) and the subsequent divergence of the \(L + \gamma\) and \(L + \beta\) univariant phase fields is due to changes in the composition of \(\gamma^\prime\)-(Ni), \(\gamma^\prime\)-Ni\(_3\)Al, \(\beta\)-Ni\(_3\)Al and \(L\) and \(\gamma\) activities indicate Ni-23Al, Ni-25Al and Ni-27Al enter the same phase field, which is inconsistent with the current Ni-Al phase diagram \(^{[21-25]}\). If the current Ni-Al phase diagram is correct \(\gamma^\prime\)-Ni\(_3\)Al remains stable up to the liquidus, and compositions either side of \(\gamma^\prime\)-Ni\(_3\)Al \((i.e., \text{Ni-23Al and Ni-27Al}) \) must remain in different phase fields, separated by the composition range of \(\gamma^\prime\)-Ni\(_3\)Al below the liquidus and by \(L\) above the liquidus. These new results clearly indicate that this is not the case and the Ni-Al phase diagram needs to be revised.

![Figure 1](image-url) A plot of log \(a(\text{Al})\) vs. 1/\(T\) for alloys: Ni-8Al, Ni-15Al, Ni-20Al, Ni-23Al, Ni-25Al, Ni-27Al, Ni-29Al, Ni-30Al, Ni-32Al.
More detailed information about the phase equilibria involving $\gamma'$-$\text{Ni}_3\text{Al}$ was obtained by placing Ni-27Al and Ni-23Al samples in adjacent effusion-cells and measuring the relative activities of Ni and Al (for Ni-27Al / Ni-23Al). Repeated measurements were combined and the data are plotted in Fig. 3, as relative activity versus $T$. This plot shows the relative activity of Al and Ni converge to unity over the temperature range $T = 1633 \pm 1 - 1640 \pm 1$ K where both alloys must be in the same phase field. Below 1633 K alloy Ni-27Al and Ni-23Al are in the $\gamma'$ + $\beta$ and $\gamma'$ + $\gamma$ univariant phase fields and the relative activities effectively represent the chemical potential difference across the composition range of $\gamma'$-$\text{Ni}_3\text{Al}$, which decreases with increasing $T$. 

**Figure 2.** A plot of log $a$(Ni) vs. $1/T$ for alloys: Ni-8Al, Ni-15Al, Ni-20Al, Ni-23Al, Ni-25Al, Ni-27Al, Ni-29Al, Ni-30Al, Ni-32Al.

**Figure 3.** Relative $a$(Al) and $a$(Ni) for Ni-27Al / Ni-23Al vs. T (K).
At $T = 1633$ K this difference goes to zero (i.e., relative $a(\text{Al})$ and relative $a(\text{Ni}) = 1$) signifying that $\gamma$-Ni$_3$Al is no longer stable for $T > 1633$ K. Similarly above $T = 1640$ K, but below the liquidus, the alloys are in the $L + \beta$ and $L + \gamma$ univariant phase fields and the relative activities represent the difference across the $L$ phase. For $T < 1640$ K the difference also goes to zero and indicating $L$ is no longer stable. According to the Gibbs phase-rule ($f = c + 2 - p$), a maximum of 5 phases can coexist at an invariant point in the Ni-Al-O system. Therefore only 4 phases can be stable over the $8 < T < 1640$ K range and there must be an invariant point at either end of this temperature range. As $\gamma$-(Ni) and $\beta$-Ni$_3$Al both remain stable up to the liquidus, $\gamma$'-Ni$_3$Al must decompose to $\gamma + \beta$ on heating via the peritectoid reaction, $\gamma + \beta$ ($\text{Al}_2\text{O}_3$) = $\gamma'$ ($\text{Al}_2\text{O}_3$), at $T = 1633 \pm 1$ K, which corresponds to the $\{\gamma' + \gamma + \beta + \text{Al}_2\text{O}_3\}$ equilibrium. Similarly at $T = 1640 \pm 1$ K the liquid decomposes on cooling via the eutectic reaction, $L (\text{Al}_2\text{O}_3) = \gamma + \beta$ ($\text{Al}_2\text{O}_3$), which corresponds to the $\{L + \gamma + \beta + \text{Al}_2\text{O}_3\}$ equilibrium. Based on this argument the $\{\gamma + \beta + \text{Al}_2\text{O}_3\}$ equilibrium is stable over the range $1633 - 1640$ K.

Information about the broader phase equilibria in the Ni-Al-O system was obtained from the measured ratio of the ion-intensities, $I_{\text{Ni}}/I_{\text{Al}}$, in the molecular beam from each effusion-cell with $T$. This is effectively the ratio, $a(\text{Ni}) / a(\text{Al})$, in each alloy and is independent of results shown in Figs. 1, 2 and 3. Figure 4 shows the results from all samples on a plot of the natural logarithm of $I_{\text{Ni}} / I_{\text{Al}}$ versus $1/T$. The same procedure, discussed above, was used to identify the behavior of each sample as it traversed the univariant and bivariant phase fields. This data is more suited to identifying phase boundaries and invariant transformations. For example, point A in Fig. 4 represents the solidus $\gamma + \text{Al}_2\text{O}_3 / L + \gamma + \text{Al}_2\text{O}_3$ ($T = 1675 \pm 5$ K) for the Ni-15Al sample, while point B represents the $\gamma$(Ni) solvus $\gamma' + \gamma + \text{Al}_2\text{O}_3 / \gamma + \text{Al}_2\text{O}_3$ ($T = 1541 \pm 8$ K) for Ni-20Al. An invariant transformation is identified by the point of intersection of 2 univariant phase fields. All the phase boundary data obtained in this study (from Fig. 3 and 4) are summarized in Table 3.

<table>
<thead>
<tr>
<th>Alloy</th>
<th>Phase Boundary</th>
<th>$T$ (K)</th>
</tr>
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<tbody>
<tr>
<td>Ni-8Al</td>
<td>$\gamma + \text{Al}_2\text{O}_3 / L + \gamma + \text{Al}_2\text{O}_3$</td>
<td>1697 ± 4</td>
</tr>
<tr>
<td>Ni-15Al</td>
<td>$\gamma + \text{Al}_2\text{O}_3 / L + \gamma + \text{Al}_2\text{O}_3$</td>
<td>1675 ± 5</td>
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<tr>
<td>Ni-20Al</td>
<td>$\gamma + \gamma' + \text{Al}_2\text{O}_3 / \gamma + \text{Al}_2\text{O}_3$</td>
<td>1541 ± 8</td>
</tr>
<tr>
<td>Ni-23Al</td>
<td>$\gamma + \gamma' + \text{Al}_2\text{O}_3 / \gamma + \text{Al}_2\text{O}_3$</td>
<td>1651 ± 4</td>
</tr>
<tr>
<td>Ni-25Al</td>
<td>$\gamma + \gamma' + \beta + \text{Al}_2\text{O}_3$</td>
<td>1674 ± 3</td>
</tr>
<tr>
<td>Ni-27Al</td>
<td>$\gamma + \beta + \text{Al}_2\text{O}_3 / \gamma + \beta + \text{Al}_2\text{O}_3$</td>
<td>1640 ± 1</td>
</tr>
<tr>
<td>Ni-29Al</td>
<td>$\gamma + \beta + \text{Al}_2\text{O}_3 / \gamma + \beta + \text{Al}_2\text{O}_3$</td>
<td>1649 ± 1</td>
</tr>
<tr>
<td>Ni-30Al</td>
<td>$\gamma + \beta + \text{Al}_2\text{O}_3 / \gamma + \beta + \text{Al}_2\text{O}_3$</td>
<td>1641 ± 1</td>
</tr>
<tr>
<td>Ni-32Al</td>
<td>$\gamma + \beta + \text{Al}_2\text{O}_3 / \gamma + \beta + \text{Al}_2\text{O}_3$</td>
<td>1646 ± 1</td>
</tr>
</tbody>
</table>

Figure 4. Measured $\ln (I_{\text{Ni}} / I_{\text{Al}})$ vs. $1/T$ for: Ni-8Al, Ni-15Al, Ni-20Al, Ni-23Al, Ni-25Al, Ni-27Al, Ni-29Al, Ni-30Al, Ni-32Al.
Discussion

The measured reaction enthalpies for {Al(l) + Al2O3} listed in column 2 of table 2 are significant with potentially wide ranging ramifications. While the vaporization behavior of {Al(l) + Al2O3} has no influence on the eutectic and peritectoid transformations involving γ'-Ni3Al observed in this study, it raises some questions about the accepted thermodynamic properties of Al(s,Lg), the value of \( \rho'/(Al) \) and thus previously measured α(Al) data and published thermodynamic description of systems that contain Al. Therefore a brief discussion of these new results and review of the previously published thermodynamic data for Al is provided. The reaction enthalpies listed in table 2 were determined during repeated measurements of the \( S_{\text{Al}} \) and \( S_{\text{Al}} \) calibration terms that relate \( p''(\text{Au}) \), \( p''(\text{Al}) \) and \( p''(\text{Al}_2\text{O}_3) \). In these experiments the 2nd and 3rd law values for the enthalpy of sublimation of Au(s) were measured in the ranges 363.0±3.0 kJmol\(^{-1}\) and 367.0±1.5 kJmol\(^{-1}\), respectively. Similarly the 2nd law enthalpy of sublimation of Al(s) was repeatedly measured in the range 341.0±2.2 kJmol\(^{-1}\). (The Gibbs free energy functions ( G(T) - p''(Au) ) for the pure substances used in these calculations came from references 46 and 47.) This differs significantly from the currently recommended value of 330.0±3.0 kJmol\(^{-1}\) [47,48] but given that the accepted sublimation of Au(s) was reproduced in the same experiments there is no compelling reason to question the validity of these new results. While some issues were investigated by the author [51,52] the underlying fact is that Al(l) is highly reactive and to date the most suitable container has not been widely used, and to make matters worse different containers have been used for vaporization and calorimetric studies. A review of the literature reveals that graphite, BeO, TaC, Ta2Si, ZrC, BN, TiB2, Al2O3, and ZrO2 have all being used to contain Al(l), with varying degrees of success, in melting point, calorimetry and vaporization studies. Because Al2O3 is such a stable compound it is impractical to consider Al independently of O, however, the Al-O phase diagram [33] indicates Al2O3 is in equilibrium with Al(l) and the O saturation limit is less than 0.1 wt% O at temperatures above 2000K. In addition, Al2O3 exhibits slow diffusion kinetics for both O and Al. Accordingly Al2O3 is the perfect container for Al(l) and the univariant equilibrium \{Al(l) + Al2O3\} unambiguously defines \( \rho''(\text{Al}) \), \( \rho''(\text{Al}_2\text{O}_3) \) and \( p''(\text{O}) \) and provides an excellent experimental reference state for Al, Al2O3, O and Al2O4 [41].

Unfortunately to date there have been no reliable studies reporting the vaporization behavior of \{Al(l) + Al2O3\}. As a result all the studies cited in the thermodynamic compilations (JANAF, TPIS, CODATA, etc.) as the basis of the recommended \( \Delta H_{\text{subAl}}(298) \) value BeO(s) as a container for Al(l) [53-55]. This is surprising because both Brewer et al. [54] and Potter et al. [53] clearly state that Al(l) reacts with the BeO(s) to form unidentified AlBe2O4 compounds together with the dissolution of 2 ~ 5at% Be in Al(l). If these observations are correct the reported vaporization behavior cannot be assigned to pure Al(l) and indeed this is the likely cause for the discrepancy seen in table 2. Further, reference [53] is a progress report for a wide ranging project that only contains a brief summary of the vaporization of Al(l) consisting of the 2nd and 3rd law values for \( \Delta H_{\text{subAl}}(298) \) and it turns out that the measured \( p''(\text{Al}) \) versus \( T \) data was never actually published [56]. The critical calorimetric study of Al(l) by McDonald [57] used to determine the heat capacity and Gibbs free energy function of Al(l) used both BN and TiB2 to contain Al(l). BN is unsuitable because AlN and AlB2 need to form before Al(l) is stable but neither compound provides a suitable diffusion barrier to stop the reaction of Al with the BN container. After Al2O3, TiB2 is probably the best container for Al(l) because the \{Al(l) + TiB2\} and \{Al(l) + TiAl3 + TiB2\} equilibria exist, in fact TiB2 has a long history as a grain refiner for Al-based alloys. However, at high \( T \) significant dissolution of Ti and B in Al(l) occurs and it is uncertain if a univariant equilibrium exists. It is unclear why calorimetric / heat capacity measurements of Al(l) were never made in Al2O3 containers. Given that Al is such an important component in a wide range of alloys currently used in many industrial applications there is an urgent need to re-measure the heat capacity and vaporization behavior of Al(l) to elucidate the inconsistency in the accepted thermodynamic data. Ideally heat capacity and vaporization measurements of Al(l) need to be made in consistent containers (i.e., Al2O3, TiB2 and possibly AlN).

On returning to the eutectic and peritectoid reactions observed in this study, it is important to recognize the system considered in this study is essentially the same as in all previous studies [1-25]. While the system was identified as Ni-Al-O in this study, changing the description of the system cannot influence the actual measurements. The different behavior reported here is a consequence of the isothermal conditions, obtaining equilibrium at each \( T \) and a significant improvement in experimental capability provided by the multi-cell KEMS technique. The limited temperature range where \( \gamma + \beta + \text{Al}_2\text{O}_3 \) is stable, the similar composition of the L in the eutectic and \( \gamma'\text{-Ni}_3\text{Al} \) (as shown in Fig. 5) together with fast reaction kinetics make the details of this behavior very difficult to observe with more conventional non-isothermal techniques. The ability to compare the partial thermodynamic properties from different samples at temperature provides direct information about differences in the phase equilibria and provides an excellent tool for investigating complex phase transformations under equilibrium conditions. This capability needs to be applied to a wide range of technically important alloy and ceramic systems.

Combining the data listed in tables 1 and 3 provide 24 \( (X_{\text{Ni}}, T) \) points that correspond to various phase boundaries, which were used to construct the section of the “Ni-Al” phase diagram shown in Fig. 5. Given that measurements made in the Ni-Al-O system have been routinely applied to the Ni-Al system, for the purpose of this discussion the current results are also presented in this way to allow a direct comparison with previous studies. To avoid confusion, however, Fig. 5 is a projection of the alloy phase boundaries observed in the Ni-Al-O system onto the Ni-Al binary edge of the ternary system, where the alloy phases are saturated with O and in equilibrium with Al2O3. For the purpose of this comparison the proposed phase equilibrium (the thick solid / dashed lines and data points) has been superimposed on the current Ni-Al phase diagram (thinner solid grey lines) from the assessment of Huang and Chang [24]. There is just enough data to define the shape of the liquidus, solidus (γ(Ni)-β(NiAl) and γ(Ni) + β-NiAl) and β-NiAl solvus boundaries shown in Fig. 5, but the placement of the γ(Ni) solvus and γ’-Ni3Al phase boundaries is pure conjecture based on the currently accepted behavior. The critical finding of this study is that γ’-Ni3Al forms via the peritectoid reaction \( \gamma + \beta + \text{Al}_2\text{O}_3 \) (from Al2O3), at \( T = 1633 \pm 1 \) K, below the liquidus and γ’-Ni3Al is not involved in either a eutectic or peritectoid reaction as currently accepted.
Above the peritectoid, over the temperature range \( T = 1633 - 1640 \) K, \( \gamma \)-(Ni) and \( \beta \)-NiAl are in equilibrium and at \( T = 1640 \pm 1 \) K there is a eutectic reaction, \( L + Al_2O_3 = \gamma + \beta + Al_2O_3 \). An estimate of the liquid composition at the eutectic, \( 24.8 \pm 0.2 \) at\% Al, was obtained by extrapolating the measured liquidus on either side of the eutectic down to the eutectic temperature, \( T = 1640 \) K.

The composition of \( \gamma' \)-Ni\(_3\)Al at the peritectoid reaction cannot be determined from these data but it is clearly to the Ni-rich side of Ni-25Al composition and close to the composition of \( L \) in the eutectic. Apart from the solidification behavior of \( \gamma' \)-Ni\(_3\)Al there is good agreement in the \( \gamma \)-(Ni) solvus, \( \beta \)-NiAl solvus, liquidus, \( \beta \)-NiAl solidus and Al-rich \( \gamma' \)-Ni\(_3\)Al phase boundary between the results reported in this study and Huang’s assessment. However, there is a significant difference in the position of the \( \gamma \)-(Ni) solidus and nature of this discrepancy needs further investigation.

In view of the fact that these results represent such a large departure from the accepted phase equilibrium in the Ni-Al system, the reproducibility of this behavior was checked with three independent measurements (absolute activities Fig. 1 and 2, relative activities Fig. 3 and ion-intensity ratios Fig. 4). All three sets of measurements showed consistent behavior across the thirteen experiments. It would be ideal if the \( \{ \gamma + \beta + Al_2O_3 \} \) phase field was confirmed directly by quenching in the high temperature microstructure and observing it by optical and electron microscopy. Unfortunately this experiment cannot be conducted with the multi-cell furnace because it is under a high vacuum and high cooling rates are impossible. A cursory review of the relevant literature reveals that \( \gamma + \beta \) eutectic structures have in fact been routinely observed in the Ni-Al system and the factors affecting their formation, during directional solidification, have been studied in detail \([12,14,16]\). These studies were founded on the view that the current Ni-Al phase diagrams is correct (i.e., \( \gamma' \)-Ni\(_3\)Al is stable up to the liquidus and is involved in both \( L + \gamma = \gamma' \) and \( L = \beta + \gamma' \) reactions) and the aim was to understand how the “metastable” \( \gamma + \beta \) eutectic structure formed as a function of directional solidification conditions. However, in the light provided by these new results and the proposed phase equilibrium in the Ni-Al system it is interesting to reconsider the discussion surrounding the stability and formation of \( \gamma + \beta \) eutectic structures.

Lee and Verhoeven \([12-15]\) used the Bridgman technique with a thermal gradient of 20 – 40 K/cm in the liquid. The alloy samples (with Al content 23 – 27 at\% Al) were placed in an \( Al_2O_3 \) tube and a sample feed rate of 0.8 – 61 \( \mu \)m/s was used. A range of quenching methods (in order of increasing cooling rate: air, water, ice-water and molten Ga-In) were employed in an attempt to freeze in the steady-state solidification structures. In addition to the \( \gamma + \beta \) eutectic these studies also revealed unusually wide lamella spacing in \( \gamma' + \beta \) structures, \( \gamma' / \gamma' \) interfaces \([13]\) and two cellular structures of \( \gamma' + \beta \) and \( \gamma + \gamma' + \beta \) (the latter contradicts the Gibbs phase rule), all of which the authors felt could not be adequately explained. While their initial publication \([12]\) is widely cited as a critical study proving the accepted Ni-Al phase equilibrium in the development of the thermodynamic descriptions \([22-24]\) all subsequent publications reporting unusual microstructures were and are still inexplicably ignored. From this
The activities of Al and Ni were measured with the multi-cell KEMS technique over the composition range 8 – 32 at.% Al and temperature range and \( T = 1400 \text{ to } 1750 \text{ K} \) to better understand the equilibrium solidification behavior of \( \gamma'\)-Ni3Al containing alloys in the Ni-Al-O system. The data clearly showed the univariant phase fields: \( \gamma' + \gamma + \text{Al}_2\text{O}_3 \), \( \gamma' + \beta + \text{Al}_2\text{O}_3 \), \( \gamma + L + \text{Al}_2\text{O}_3 \), and \( \beta + L + \text{Al}_2\text{O}_3 \), converged over the temperature range \( T = 1633 \pm 1 \text{ to } 1640 \pm 1 \text{ K} \) where the same \( \alpha(\text{Al}) \) and \( \alpha(\text{Ni}) \) exist in the composition range 23 – 27 at.% Al. This behavior reveals that \( \gamma'\)-Ni3Al is not involved in either a eutectic or peritectic but forms via the peritectoid reaction \( \gamma + \beta + \text{Al}_2\text{O}_3 = \gamma' + \text{Al}_2\text{O}_3 \), at \( T = 1633 \pm 1 \text{ K} \). The \( \gamma' + \beta + \text{Al}_2\text{O}_3 \) phase field is stable over the temperature range \( T = 1633 \text{ to } 1640 \text{ K} \) and equilibrium solidification occurs by the eutectic reaction, \( L + \text{Al}_2\text{O}_3 = \gamma + \beta + \text{Al}_2\text{O}_3 \) at \( T = 1640 \pm 1 \text{ K} \) with a liquid composition of 24.8 ± 0.2 at.% Al (at an unknown O content). This behavior is inconsistent with the current Ni-Al phase diagram in the vicinity of \( \gamma'\)-Ni3Al and a new Ni-Al phase diagram (projected from the Ni-Al-O system) was proposed based on these new results. This new Ni-Al phase diagram provides a compelling explanation for some steady-state solidification structures that are routinely observed but are difficult to explain in terms of the current Ni-Al phase diagram. If viewed objectively, this new phase diagram is consistent with all previously reported observations and provides a much simpler reaction scheme.

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References

43. D. Hildenbrand, SRI, personal communication, (December, 11 2007).