Some Aspects of the Failure Mechanisms in BaTiO$_3$-Based Multilayer Ceramic Capacitors

David (Donhang) Liu
MEI Technologies, Inc.
NASA Goddard Space Flight Center
Greenbelt, MD 20771
Donhang.liu-1@nasa.gov

Michael J. Sampson
NASA Goddard Space Flight Center
Greenbelt, MD 20771
Michael.J.Sampson@nasa.gov

Abstract

The objective of this presentation is to gain insight into possible failure mechanisms in BaTiO$_3$-based ceramic capacitors that may be associated with the reliability degradation that accompanies a reduction in dielectric thickness, as reported by Intel Corporation in 2010. The volumetric efficiency ($\mu$F/cm$^3$) of a multilayer ceramic capacitor (MLCC) has been shown to not increase limitlessly due to the grain size effect on the dielectric constant of ferroelectric ceramic BaTiO$_3$ material. The reliability of an MLCC has been discussed with respect to its structure. The MLCCs with higher numbers of dielectric layers will pose more challenges for the reliability of dielectric material, which is the case for most base-metal-electrode (BME) capacitors.

A number of MLCCs manufactured using both precious-metal-electrode (PME) and BME technology, with 25 V rating and various chip sizes and capacitances, were tested at accelerated stress levels. Most of these MLCCs had a failure behavior with two mixed failure modes: the well-known rapid dielectric wearout, and so-called “early failures.” The two failure modes can be distinguished when the testing data were presented and normalized at use-level using a 2-parameter Weibull plot. The early failures had a slope parameter of $\beta >1$, indicating that the early failures are not infant mortalities.

Early failures are triggered due to external electrical overstress and become dominant as dielectric layer thickness decreases, accompanied by a dramatic reduction in reliability. This indicates that early failures are the main cause of the reliability degradation in MLCCs as dielectric layer thickness decreases. All of the early failures are characterized by an avalanche-like breakdown leakage current. The failures have been attributed to the extrinsic minor construction defects introduced during fabrication of the capacitors.

A reliability model including dielectric thickness and extrinsic defect feature size is proposed in this presentation. The model can be used to explain the Intel-reported reliability degradation in MLCCs with respect to the reduction of dielectric thickness. It can also be used to estimate the reliability of a MLCC based on its construction and microstructure parameters such as dielectric thickness, average grain size, and number of dielectric layers.

Measures for preventing early failures are also discussed in this document.

Introduction

An inevitable trend in the miniaturization of MLCCs is an attempt to increase the capacitance volumetric efficiency ($\mu$F/cm$^3$). A typical monolithic MLCC structure is shown in Figure 1. A number of dielectric layers and internal electrodes are alternately stacked up together, and the internal electrodes are connected in parallel to form end terminations for the electrical contacts. The capacitance $C_t$ of an MLCC can be represented by

$$C_t = \varepsilon_0 \cdot \varepsilon_r \cdot N \cdot \frac{S}{d},$$

(1)
where $S$ is the overlap area of internal electrodes, $N$ is the number of the individual dielectric layers, $\varepsilon_r$ is the relative dielectric constant of the ceramic BaTiO$_3$ dielectric, $d$ is the thickness of the dielectric layer, and $\varepsilon_0$ is the dielectric constant of free space.

![Figure 1. A typical structure of an MLCC device.](image)

Volumetric efficiency can be defined and expressed as

$$\frac{C_t}{V} = \frac{\varepsilon_0 \varepsilon_r N^2 S}{d S h},$$

where $h \approx N \cdot d$ is the approximate height of an MLCC. Equation 2 can be simplified as

$$\frac{C_t}{V} \approx \varepsilon_0 \frac{\varepsilon_r}{d^2} \approx 8.854 \times 10^{-12} \frac{\varepsilon_r}{d^2} \left(\text{µF cm}^2\right).$$

The approximate relationship shown in Equation 3 clearly reveals that in order to increase the volumetric efficiency ($C_t/V$), one needs to increase the dielectric constant $\varepsilon_r$, decrease the dielectric layer thickness $d$, or make both of these changes. For a wide range of dielectric thicknesses the grain size is almost unchanged at a given processing condition, so that it is more effective to increase the $C_t/V$ by reducing the dielectric thickness $d$. However, several reports [1-3] have shown that once the grain size is below a certain point, $\varepsilon_r$ will decrease dramatically with a further decrease in grain size. This is due to the fact that ceramic BaTiO$_3$ begins to lose its ferroelectricity as the grain size of BaTiO$_3$ decreases beyond a certain point. Therefore, there exists a limit of $d$ below which the value of $C_t/V$ will not increase with further reduction of $d$ because of the grain size reduction in such thin dielectric layers.

Furthermore, one should not expect to increase $C_t/V$ simply by increasing the capacitor area $S$ or the number of dielectric layers $N$ of an MLCC. Figure 2 shows the results of a calculation of $C_t/V$ as a function of dielectric thickness $d$ for a number of ceramic BaTiO$_3$ MLCCs. The dielectric thickness and grain size data are based on the measured data from our previous reports [11-12], and the dielectric constant data were taken from Figure 2 in reference 2.

**The Reliability of a Multilayer Ceramic Capacitor**

A monolithic MLCC can be converted both constructively and electrically to a number of single layer ceramic capacitors connected in parallel. Such an idea is shown in Figure 3. Assuming $C_i$ is the $i$-th layer capacitor, the MLCC can be viewed as a parallel connection among $C_1$, $C_2$, $C_3$, $C_i$, $C_N$, where $N$ is the number of dielectric layers inside an MLCC device. Since every single-layer capacitor $C_i$ shares the same electrode area $S$, the same dielectric thickness $d$, and the same processing history, it is reasonable to assume that $C_1 = C_2 = C_3 = \cdots = C_i = \cdots = C_N$. So the sum of the capacitance $C_t$ of an MLCC can be expressed as

$$C_t = C_1 + C_2 + C_3 + \cdots + C_i + \cdots + C_N = N \cdot C_i$$
Similarly, the reliability of an MLCC with \( N \) layers of dielectric material \( R_t \) can be expressed as

\[
R_t = R_1 \times R_2 \times R_3 \ldots \times R_i \ldots \times R_N = R_1^N
\]  

(5)

where \( R_i \) is the reliability of an \( i \)-th single-layer capacitor. When a 2-parameter Weibull distribution is used, the reliability \( R_i \) of capacitor \( C_i \) can be written as

\[
R_i(t) = e^{-\left(\frac{t}{\eta}\right)^\beta}
\]  

(6)

where \( e \) is the base for natural logarithms, \( t \) is the failure time, slope \( \beta \) is the dimensionless shape parameter whose value is often characteristic of the particular failure mode under study, and \( \eta \) is the scale parameter that represents the point at which 63.2\% of the population has failed.

The reliability relationship shown in Equation 5 indicates that the overall reliability \( R_t \) of an MLCC device is dependent highly on the reliability \( R_i \) of a single-layer capacitor inside a monolithic MLCC. Since dielectric
degradation is the primary cause of the long-term reliability failure of a single-layer capacitor, it is reasonable to assume that the reliability $R_t$ is mainly determined by that of the ceramic BaTiO$_3$ dielectric material.

In many situations, the $R_t$ of a dielectric material can last more than thousands of years at the use level without showing significant degradation, leading to high overall reliability $R_t$. However, if $R_t$ is reduced slightly, the overall reliability $R_t$ of a MLCC can be degraded rapidly due to the “amplifying” effect from the number of dielectric layers $N$. Table I summarizes the calculated 5-year reliability of $R_t$ from Equation 5 as a function of single dielectric layer reliability $R_i$ as well as the number of dielectric layers $N$. It is interesting to note that when the reliability of a single-layer capacitor $R_i$ is very close to unity, the number of dielectric layers $N$ does not have a significant impact on the overall reliability $R_t$. However, if $R_i$ is not close to unity, the MLCC reliability $R_t$ will be degraded much more quickly if the number of dielectric layers $N$ is significantly large.

<table>
<thead>
<tr>
<th>$R_i$ (5 yr)</th>
<th>$R_t$ (5 yr) with $N=20$</th>
<th>$R_t$ (5 yr) with $N=200$</th>
<th>$R_t$ (5 yr) with $N=500$</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.99999</td>
<td>0.99980</td>
<td>0.99800</td>
<td>0.99501</td>
</tr>
<tr>
<td>0.99900</td>
<td>0.98019</td>
<td>0.81865</td>
<td>0.60638</td>
</tr>
<tr>
<td>0.99000</td>
<td>0.81791</td>
<td>0.13398</td>
<td>0.00657</td>
</tr>
</tbody>
</table>

The results summarized in Table I reveal some important facts about the reliability of an MLCC with respect to its structure: (1) the overall reliability $R_t$ of an MLCC is primarily determined by $R_i$, the reliability of the dielectric material in a single-layer capacitor; (2) the number of dielectric layers $N$ behaves more like a secondary factor to accelerate the degradation of the reliability $R_t$, if $R_i$ is only slightly reduced; (3) since BME capacitors normally have a much higher value of $N$, if the overall reliability $R_t$ is assumed to be identical for both PME and BME capacitors, the reliability of the single-layer dielectric $R_i$ should be much higher for the BME capacitors. This latter fact is one of the reliability challenges for BME capacitors with a large number of dielectric layers $N$.

**What Happened When the Dielectric Layer Became Thinner?**

In 2010, Intel reported a worrying trend with respect to the life reliability of BaTiO$_3$-based high volumetric efficiency MLCCs [4]. Numerous hours of qualification data of MLCCs for decoupling applications to support Intel CPUs initially showed that the failure due to dielectric wearout would not be a concern; this is because their reliability model indicated that MLCCs could generally be used for thousands of years before the insulating resistance ($IR$) would begin to degrade. However, in the last five years, it has been noticed that as capacitance volumetric efficiency has increased, the usable life of MLCCs has been reduced to hundreds, then tens, and sometimes even less than five years. This rapid life reliability degradation has been attributed to the method by which volumetric efficiency of MLCCs has increased, i.e., the stacking up of hundreds of layers of dielectric material, with an accompanying further reduction in dielectric layer thickness.

Based on our discussions on $C_t/V$ and on $R_t$ with respect to $R_i$ and $N$ in the previous sections, we may gain better insight into the failure mechanisms in these high $C_t/V$ MLCCs that were reported by Intel. First, as shown in Figure 2, the $C_t/V$ of an MLCC may not be increased without limit. Second, the calculated results in Table I indicate that the overall reliability $R_t$ of an MLCC will not be significantly reduced only by an increase in the number of dielectric layers $N$, as long as the single-layer capacitor reliability $R_i$ is very close to unity. A significant reduction in $R_t$ implies a simultaneous reduction in $R_i$.

When a 2-parameter Weibull model is used, the reliability $R_i$ is only dependent on the Weibull parameters $\beta$ and $\eta$. The rapid reduction in $R_t$ may suggest two possibilities: (1) $R_t$ only declined slightly; however, due to the “amplifying” effect of a large number of $N$, a significant reduction in $R_t$ could be observed; (2) a failure mode other than regular dielectric wearout might have been introduced when $d$ became smaller and smaller and resulted in a fair amount reduction in dielectric reliability $R_t$.

On the other hand, the trend shown in Figure 4 reveals an important fact: the thinner the dielectric thickness $d$, the higher the electric field applied to the dielectric layer. This suggests that with continuous reduction of $d$, the MLCC may be operated under electrical overstress conditions. It is important to find out whether this overstress would
Failure Mechanism under Overstress Conditions

1. Accelerating Stress Testing and Weibull Model

In general, most overstress tests for reliability estimation employ a number of highly accelerated stress levels, such as voltage $V$ and temperature $T$. In order to gain insight into the influence of the electrical overstress on the overall reliability $R_t$ with respect to the reduction of $d$, a number of MLCCs from various manufacturers, with the same rated voltage but different dielectric thicknesses, were selected for a number of reliability tests under various highly accelerated testing (HAT) conditions.

It is widely known that the failure rate for MLCCs that is caused by a single failure mode when both $V$ and $T$ are changed from $V_1$ to $V_2$ and $T_1$ to $T_2$ is the product of the separate acceleration factors:

$$A_{VT} = \frac{\text{Rate}(V_2)}{\text{Rate}(V_1)} \cdot \frac{\text{Rate}(T_2)}{\text{Rate}(T_1)} = \left(\frac{V_2}{V_1}\right)^n \cdot e^{-(E_S/K_B)\left(\frac{1}{T_1} - \frac{1}{T_2}\right)}. \quad (7)$$

where $n$ is an empirical parameter that represents the voltage acceleration factors, $E_S$ is an activation energy that represents the temperature acceleration factor, and $k_B$ is the Boltzman constant.

This so-called Prokopowicz and Vaskas equation (P-V equation) has proven to be useful in the capacitor industry for testing MLCCs at various highly accelerated testing conditions [5]. An average of $n \sim 3$ has been found for the voltage acceleration factor, and an average value of $1 < E_S < 2$ eV is typical for the temperature acceleration factor [6-9].

When a 2-parameter Weibull model is applied, according to Equation 7, the Weibull distribution scale parameter $\eta$ can be expressed as

$$\eta(V, T) = C \cdot \frac{B}{V^n} \cdot e^{\left(\frac{B}{V}\right)^n}. \quad (8)$$

where $C$ and $B = E_S/k_B$ are constants. When Equations 6 and 8 are combined, the reliability of a MLCC $R_t(t)$ can be expressed as
The purpose of HAT testing is to predict the reliability life of capacitors under a normal, non-accelerated operating condition. In this study, the “normal use-level condition” refers to the capacitors being operated at room temperature (300K) and at rated voltage ($V_r$). When accelerating factors $n$ and $B = E_S/k_B$ are known, the reliability life $t_R$ of a unit for a specified reliability, starting the mission at zero, can be determined by

$$t_R = \eta \left\{ -\ln R(t_R) \right\}^{1/\beta} = \frac{C}{V_n} \cdot e^{B/\beta} \cdot \left\{ -\ln \left( \frac{t_R V_n e^{-\beta}}{C} \right) \right\}^{1/\beta}$$

(10)

Note that this is the life for which the unit will function successfully with a reliability of $R(t_R)$. If $R(t_R) = 0.5$, then $t_R$ = the median life [10].

When the maximum likelihood estimation method previously described by Nelson [10] is applied, reliability and accelerating parameters $B$, $\beta$, $C$, and $n$ in Equation 9 can all be determined. Furthermore, all reliability data points tested under HAT conditions may be extrapolated and normalized individually to their use-level conditions using Equation 10. The approach from Equation 10, when compared to that of Equation 7, is more effective for determining the use-level reliability of each test point when mixed failure modes are present.

2. Highly Accelerated Test Results and Discussion

A number of MLCCs manufactured using both BME and PME technology, with 25 V rated voltage and various chip sizes and capacitances, were tested at accelerated stress levels. The tests were performed at three different temperatures (155 °C, 165 °C, and 175 °C) and at three voltages (150 V, 200 V, and 250 V) for all units. Table II summarizes the specifics of the MLCC samples that are to be HAT tested in this study. Although most of the capacitors are 25 V rated, the dielectric thickness varies significantly. There is one PME capacitor sample that is rated only at 5 V in Table I. The reason for including this 5 V-rated unit when all of the other capacitors are rated at 25 V is because this PME capacitor has a relatively thick dielectric layer when compared to other BME capacitors, but it is still thinner than the MIL-PRF-123 minimum dielectric thickness requirement of 20 μm.

<table>
<thead>
<tr>
<th>Capacitor ID</th>
<th>Cap (µF)</th>
<th>Chip Size</th>
<th>Mfg.</th>
<th>Processing Technology</th>
<th>Dielectric Thickness (µm)</th>
<th>Avg. Grain Size (µm)</th>
</tr>
</thead>
<tbody>
<tr>
<td>A08X22525</td>
<td>2.20</td>
<td>0805</td>
<td>A</td>
<td>BME</td>
<td>3.5</td>
<td>0.31</td>
</tr>
<tr>
<td>A08X15425</td>
<td>0.15</td>
<td>0805</td>
<td>A</td>
<td>BME</td>
<td>9.8</td>
<td>0.46</td>
</tr>
<tr>
<td>A06X10425</td>
<td>0.10</td>
<td>0603</td>
<td>A</td>
<td>BME</td>
<td>7.6</td>
<td>0.47</td>
</tr>
<tr>
<td>B06X22425</td>
<td>0.22</td>
<td>0603</td>
<td>B</td>
<td>BME</td>
<td>4.2</td>
<td>0.34</td>
</tr>
<tr>
<td>B08X33425</td>
<td>0.33</td>
<td>0805</td>
<td>B</td>
<td>BME</td>
<td>5.8</td>
<td>0.42</td>
</tr>
<tr>
<td>B08X10525</td>
<td>1.00</td>
<td>0805</td>
<td>B</td>
<td>BME</td>
<td>4.6</td>
<td>0.40</td>
</tr>
<tr>
<td>C06X10525</td>
<td>1.00</td>
<td>0603</td>
<td>C</td>
<td>BME</td>
<td>3.1</td>
<td>0.44</td>
</tr>
<tr>
<td>C08X22525</td>
<td>2.20</td>
<td>0805</td>
<td>C</td>
<td>BME</td>
<td>4.0</td>
<td>0.32</td>
</tr>
<tr>
<td>D06X10405</td>
<td>0.10</td>
<td>0603</td>
<td>D</td>
<td>PME</td>
<td>12.4</td>
<td>0.68</td>
</tr>
<tr>
<td>D08X10425</td>
<td>0.10</td>
<td>0805</td>
<td>D</td>
<td>PME</td>
<td>20.2</td>
<td>0.61</td>
</tr>
</tbody>
</table>

Figure 5 shows use-level Weibull probability plots of some MLCC samples that were HAT tested in this study. Each data point in Figure 5 was extrapolated using Equation 10. This was done for each failure and for any suspensions that were entered, and then the median ranks of the failures were determined. The data points were
Figure 5. Use-level Weibull probability plots of typical BaTiO$_3$ ceramic capacitors with 25 V rating. All data points are extrapolated using Equation 10 and best fitted using a single 2-parameter Weibull model.

Upper left: 0.22 µF, 0603, manufacturer B; upper right: 0.15 µF, 0805, manufacturer A;
Lower left: 0.56 µF, 0805, manufacturer C; lower right: 0.01 µF, 0805, manufacturer A.

“best fitted” using a single 2-parameter Weibull model (indicated by straight lines for each plot in Figure 5). Although the majority of the data points fit the Weibull model very well, a number of “early failures” are as shown in Figure 5 at the lower left corner near the fitted curve for almost every capacitor sample in this study. The early failures also caused a slight curve at the bottom of the distribution, indicating a subpopulation that fits a line with a smaller slope parameter $\beta$ value and a lower time parameter $\eta$. It suggests that these parts failed earlier than the majority of the failed parts with higher $\beta$ and $\eta$ values at a given HAT testing condition. Similar results were also reported previously for HAT-tested MLCCs [8].

As described in our previous report [11], all capacitors listed in Table II exhibited a minimum of $10^5$ years of reliability life at use-level when the early failures were removed for the statistical calculations. In this report, however, the statistical calculations of early failures will be the focus of the discussion.

Figure 6 shows the 2-parameter Weibull plot for capacitor sample A06X10425. The plot contains a “dogleg bend” characteristic, i.e., a shallow slope followed by a steep slope. The plot is usually caused by mixtures of more than one failure mode. The failure modes shown in Figure 6 can be statistically separated using a mixed bi-Weibull approach based on the likelihood ratio test [10].

The results of bi-Weibull modeling reveal a slope parameter $\beta$ = 1.54 for the first data set, indicating an early wearout failure mode ($1 < \beta < 4$), followed by a failure mode with a slope parameter of $\beta$ = 8.47, which is usually defined as rapid wearout ($\beta > 4$), as described in reference 13. Corresponding contour plots of the two failure modes...
Figure 6. Statistical separation of mixed failure modes using bi-Weibull modeling. Corresponding contour plots reveal the existence of two independent failure modes. Revealing no crossover with respect to $\beta$ and $\eta$. This indicates that the split data followed two different failure modes, and the separation of the two failure modes is statistically a success.

The bi-Weibull modeling procedure that has been used to separate the early wearouts from rapid wearouts, as shown in Figure 6, was repeatedly applied to the use-level Weibull data for the rest of the capacitor samples listed in Table II. The calculated Weibull parameters and the corresponding 5-year reliability are summarized in Table III. To ease comparison, measurements for dielectric thickness $d$ are also included. Due to the limited availability of early failure data points, some of the $\beta$ values in Table III are estimates. However, as will be discussed in the next section, the percentage of early failures was determined independently from a capacitor's leakage current measurement.

It is worthy to note that after bi-Weibull modeling, all early failures exhibit a Weibull slope parameter of $\beta > 1$. This indicates that these failures are not infant mortalities and therefore may not be completely removed by a regular burn-in process.

### Table III. Early Failures in MLCCs with Respect to Dielectric Thicknesses

<table>
<thead>
<tr>
<th>Capacitor ID</th>
<th>Percent of early failures (%)</th>
<th>Weibull Slope Parameter $\beta$</th>
<th>5-Year Reliability</th>
<th>Dielectric Thickness ($\mu$m)</th>
</tr>
</thead>
<tbody>
<tr>
<td>A08X22525</td>
<td>76%</td>
<td>1.69</td>
<td>0.0</td>
<td>3.5</td>
</tr>
<tr>
<td>A08X15425</td>
<td>11%</td>
<td>1.46</td>
<td>1.0</td>
<td>9.8</td>
</tr>
<tr>
<td>A06X10425</td>
<td>23%</td>
<td>1.38</td>
<td>1.0</td>
<td>7.6</td>
</tr>
<tr>
<td>B06X22425</td>
<td>45%</td>
<td>1.70</td>
<td>0.0</td>
<td>4.2</td>
</tr>
<tr>
<td>B08X33425</td>
<td>24%</td>
<td>4.23</td>
<td>1.0</td>
<td>5.8</td>
</tr>
<tr>
<td>B08X10525</td>
<td>43%</td>
<td>1.77</td>
<td>0.0</td>
<td>4.6</td>
</tr>
<tr>
<td>C06X10525</td>
<td>80%</td>
<td>1.18</td>
<td>0.0</td>
<td>3.1</td>
</tr>
<tr>
<td>C08X22525</td>
<td>60%</td>
<td>1.22</td>
<td>0.0</td>
<td>4.0</td>
</tr>
<tr>
<td>D06X10405</td>
<td>9%</td>
<td>2.24</td>
<td>1.0</td>
<td>12.4</td>
</tr>
<tr>
<td>D08X10425</td>
<td>0%</td>
<td>N/A</td>
<td>1.0</td>
<td>20.2</td>
</tr>
</tbody>
</table>

### Early Failures and Reliability of BaTiO$_3$-Based Ceramic Capacitors

1. Early Failures as a Function of Dielectric Thickness and Overstress

Although the Weibull parameters of early failures were statistically determined using a bi-Weibull model, the actual percentage of early failures as summarized in Table III was determined experimentally. As discussed in a previous report [11], when the leakage current of each capacitor is monitored as a function of testing time, all early failures show an avalanche-like leakage current breakdown, characterized by a sudden and extremely rapid increase in
leakage current without any initial gradual increase in leakage current. Indeed, the early failures can be divided into three groups:

(1) The failures that occurred at the very beginning of HAT testing, when the testing conditions were just set up. Most of the failures found in test samples of capacitor A08X22525 belong to this group. These failures are also dominant for some of the MLCCs with smaller dielectric thicknesses. However, they were not used for bi-Weibull calculations since they failed almost instantly.

(2) At a given accelerated testing voltage and temperature, early failures always occurred first, regardless of the combination of temperature and voltage. The early failures also form a subpopulation with a smaller $\beta$ and lower $\eta$ in comparison to the subsequent rapid wearout failures. These early failures represent a subgroup that shows relatively poor reliabilities.

(3) As accelerating test conditions became more aggressive, the number of early failures increased significantly. This may result in slope parameter $\beta$ being transformed to a smaller value with respect to those observed with lesser accelerated testing conditions. This is clear evidence that early failures result in a new failure mode due to electrical overstress conditions. The more aggressive the overstress conditions, the higher the number of early failures that would be revealed.

Figure 7 shows the experimentally determined percentage of early failures as a function of measured dielectric thickness $d$. The calculated 5-year reliability data from Equation 6 are also plotted together. Under the same accelerating conditions, the percentage of early failures increases significantly with decreasing dielectric thickness $d$. It is evident that a new failure mode has been introduced when $d < 6$ µm. In the meantime, the 5-year reliability decreases dramatically as early failures become the dominant failure mode.

Although $d \approx 6$ µm appears to be much greater than $d \approx 1$ µm for a dielectric thickness at which the capacitor reliability degraded rapidly, as shown in Figure 4, the stress level used in Figure 7 is also much higher than the Intel operating voltage of 1.2 V. However, if the failure mode revealed in Figure 7 is the same as that which causes the reliability degradation in Figure 4, the reliability degradation in MLCCs will occur at a greater dielectric thickness when the operating voltage shown in Figure 4 is increased beyond 1.2 V.

![Figure 7. Percentage of experimentally determined early failures and calculated 5-year Weibull reliability as a function of dielectric thickness $d$.](image)

Finally, it is important to point out that although the early failures failed with an avalanche-like-like leakage current breakdown, the failure is indeed a thermal breakdown that was caused by a rapid temperature increase due to a sudden increase in the capacitor current that generates excessive heat to destroy the dielectric structure. There is a fundamental difference between an avalanche-like breakdown in ceramic capacitors and an avalanche-like breakdown in diodes that represents a typical electrical breakdown. The reason for this is simple: The thermal
conductivity of ceramic BaTiO₃ is more than 100 times smaller than that of a silicon-based diode. The massive heat generated by an avalanche-like leakage current will not be dissipated fast enough to prevent the rapid temperature increase in a ceramic capacitor.

2. The Impact of Early Failures on the Reliability of BaTiO₃ Ceramic Capacitors

It has been reported that the avalanche-like leakage current breakdown failure of ceramic capacitors can be attributed to minor extrinsic construction defects introduced during capacitor fabrication [14]. In a previous report [11], we have processed a number of MLCC samples for cross-section examination of the defect types and feature sizes of the extrinsic defects. The results revealed that micro-voids were occasionally observed among the grain boundaries, but cracks and delamination were rarely found. In addition, a number of failure analyses were also performed on the MLCC samples that had failed due to an avalanche-like breakdown. Figure 8 shows a cross-section SEM image and a corresponding energy dispersive X-ray (EDX) map of a BME capacitor that failed with an avalanche-like breakdown. The SEM image shows voiding at the defect site.

![Figure 8](image)

Figure 8. Cross-section SEM image (left) and EDX map (right) of a BME capacitor that failed with an avalanche-like breakdown. The voiding and carbon calcium contamination introduced during manufacturing are revealed.

The matching EDX map appears to show a short between opposing electrodes of the capacitor. A white arrow points to the location of carbon and calcium, contaminations likely introduced during manufacturing. The original defect size appears to be almost equivalent to the grain size of BaTiO₃.

Additional failure analysis results showed that the most common observed defects in a MLCC failed with an avalanche-like breakdown are the grains with an initial inhomogeneous element distribution due to incomplete solid-state reactions during the formation of the BaTiO₃ compound. Size-wise, these defects are approximately of the average grain size of a BaTiO₃ dielectric.

The extrinsic defects that may not be removed by a burn-in process are also called “freaks” [8]. The failure rate of a “freak” extrinsic defect depends on dielectric thickness and external stress levels. When the dielectric thickness is far greater than the feature size of the defects, most of the defects are non-harmful and may not cause any failures for many years, or even during a device’s lifetime, when used at regular use-level conditions. However, as the dielectric thickness approaches the feature size of the defects, the non-harmful defects can cause catastrophic dielectric damage.

As showing in Figure 9, assuming the feature size of an extrinsic defect is \( r \) and \( d \) is the dielectric thickness, the reliability of dielectric \( R_d \) can be written as \( R_d \rightarrow 1 \), when \( d \gg r \), and \( R_d \rightarrow 0 \), when \( d \approx r \). For a 2-parameter Weibull distribution, the reliability \( R_d \) with respect to dielectric thickness \( d \) and size \( r \) can be expressed as

\[
R_d(t) = e^{-\left(\frac{t}{\eta}\right)^\beta} \left[1 - \left(\frac{x}{\alpha}\right)^\alpha\right],
\]

where

\[
P = 1 - \left(\frac{r}{d}\right)^\alpha, \quad (\alpha \geq 5)
\]

\[\text{(11)}\]

\[\text{(12)}\]
is a geometric factor that determines the reliability of a dielectric layer in terms of the ratio $\frac{r}{d}$, and $\alpha$ is an empirical constant that depends only on the processing condition and microstructure of a ceramic capacitor. In general, the value of empirical parameter $\alpha$ is assumed to be $\alpha \geq 5$ and can be determined experimentally. Equation 11 can be applied to explain the reliability degradation behavior shown in Figure 7.

From the failure analysis results discussed earlier, if the feature size of a freak defect approximates the average grain size, we have

$$\left(\frac{r}{d}\right) \approx \frac{1}{\text{number of stacked grains per dielectric layer}} \quad (13)$$

The proposed reliability model as described in equations (5), (11), and (13) indicates that the overall reliability of a MLCC can be approximately estimated using only dielectric thickness, average grain size, and number of dielectric layers, if the failure mode is caused by extrinsic defects (freaks).

3. How Can the Reliability of BaTiO$_3$-Based MLCCs Be Improved?

So far, we have demonstrated that early failures are the primary cause of reliability degradation in BaTiO$_3$-based ceramic capacitors when dielectric thickness is reduced and the MLCCs are operated under electrical overstress conditions. The overstress testing results of MLCCs show that at a given external electric field, the number of early failures is inversely proportional to the dielectric thickness. All early failures failed with avalanche-like leakage current characteristics, and the failures can be attributed to extrinsic minor defects. These defects have a typical feature size equivalent to the average grain size of a BaTiO$_3$ dielectric. In addition, all early failures can behave in one of two ways: they can stay benign for a long time (perhaps beyond the required lifetime), or they can cause catastrophic dielectric damage, depending on the level of external stress and the dielectric thickness.

Since extrinsic processing defects can never be completely eliminated, the best outcome would be to keep potential early failures benign during the lifetime of an MLCC. This can be achieved if a minimum dielectric thickness is set at a given electrical stress level. This is exactly the same approach that has been implemented with high-reliability PME ceramic capacitors. Paragraph 3.4.1 of MIL-PRF-123 is cited here as a reference: “Capacitors supplied to this specification shall have a minimum dielectric thickness of 20 $\mu$m for 50 volt rated capacitors or 25 $\mu$m for capacitors with ratings above 50 volts.”

A comparison of microstructures for both BME and PME MLCCs has shown that BME capacitors generally exhibit a denser and more uniform microstructure, with relatively small grain size (0.3~0.4 $\mu$m for BME, versus $\approx 1$ $\mu$m for PME capacitors). At a given rated voltage, the minimum dielectric thickness for BME capacitors should therefore be smaller than that for PME capacitors. The results shown in Figure 7 suggest that the minimum dielectric thickness for 25 V is about 6 $\mu$m. Further testing data from manufacturers should be encouraged, to establish a realistic minimum dielectric thickness versus voltage rating for BME capacitors under consideration for high-reliability applications. NASA’s widely used voltage de-rating method is another effective method for further guaranteeing the long-term reliability of MLCC capacitors. Finally, many MLCC manufacturers may have developed their own screening process to eliminate some of the extrinsic defects, and the practice can be further evaluated and improved.
Summary

Volumetric efficiency ($\mu F/cm^3$) of a MLCC may not be increased without limit. Since the dielectric constant of ceramic BaTiO$_3$ is confined by the grain size effect, the volumetric efficiency will reach a peak and then decline with further reduction in dielectric thickness.

The reliability of an MLCC is mainly determined by the reliability of the single dielectric layer. The number of dielectric layers $N$ in an MLCC behaves like an amplifying factor to make a problematic part degrade more quickly. BME capacitors usually have a higher $N$ and will pose a higher demand for dielectric material reliability.

When tested under electrical overstress conditions, all 25 V-rated BME and some 5 V-rated PME capacitors revealed Weibull reliability plots with mixed failure modes: early failures and rapid wearout failures. Early failures are characterized with a lower value of the slope parameter $\beta$ and a smaller time parameter $\eta$, and these early failures will result in reduced reliabilities for MLCCs. But the early failures are not infant mortalities and may not be completely removed by a burn-in process. The percentage of early failures is inversely proportional to dielectric thickness $d$. When $d$ is below 6 $\mu m$, the reliability $R_t$ of studied 25V MLCCs decrease dramatically, accompanied by a rapid increase in the percentage of early failures.

All of the early failures exhibit an avalanche-like breakdown leakage current, characterized by a sudden and extremely rapid increase in leakage current without any initial gradual increase in leakage current. Early failures are due to the extrinsic minor construction defects introduced during capacitor fabrication. Corresponding failure analysis results show that most of the extrinsic defects are the grains with inhomogeneous composition or contamination during the formation of BaTiO$_3$ phase. The typical feature size of these defects is similar to the grain size of BaTiO$_3$ dielectrics. A reliability model with respect to the dielectric thickness $d$ and extrinsic defect feature size $r$ was proposed and used to explain the reliability degradation due to the reduction of $d$. The model can be used to explain the Intel-reported reliability degradation in MLCCs with respect to the reduction of $d$. It can also be used to estimate the reliability of a MLCC based only on its microstructure and construction parameters such as dielectric thickness, average grain size, and number of dielectric layers.

Preventing the reliability degradation of MLCCs that results from early failures requires a means by which potential early failures can be kept benign during the lifetime of an MLCC. This can be done by establishing a minimum dielectric thickness at a given voltage rating, a method that is currently being applied to high-reliability PME capacitors. Voltage de-rating is clearly another effective method for preventing early failures.

Acknowledgements

Author David Liu appreciates the NASA Electronic Parts and Packaging (NEPP) program’s support for this study. The authors are also thankful to Dr. Henning Leidecker for valuable discussion and to B. Wang and N. Heng at the GSFC Code 562 Parts Analysis Laboratory for assistance with electrical testing. Thanks are also due to the managers and engineers at various capacitor manufacturers for sampling and for useful discussions.

References: