1. INTRODUCTION

In the past two decades and in particular following the Kepler mission, hundreds of exoplanets have been detected (e.g., Schneider 1995; Mayor et al. 2003). Many of these planets are gas giants observed at an extremely close orbit of less than 0.1 AU from their host star (an orbital period of less than 10 days), and are classified under the term “Hot Jupiters” (HJs). The unexpected close-in orbit of HJs has stimulated many science investigations regarding their formation, evolution, and tidal interaction (e.g., Papaloizou et al. 2007 and references therein), their magnetic interaction with the host star (e.g., Cohen et al. 2010 and references therein), and the structure and dynamics of their atmospheres (e.g., Showman et al. 2008 and references therein).

In such a close orbit (especially if the star and the planet are tidally locked), HJs are expected to receive extremely large amounts of stellar X-ray and EUV radiation (Penz et al. 2008; Cecchi-Pestellini et al. 2009). It has been argued that this high EUV radiation can lead to strong photo-evaporation of the planetary atmosphere and high mass-loss rates (Lammer et al. 2003; EC88). There is evidence that the magnetic field direction, leading to an electric potential that acts on the ions to retain charge neutrality. The end result is an acceleration of the ions by this electric field so that the ions are dragged by the electrons.

The electric field applies a force proportional to the negative gradient of the electron pressure. Using some simplifications, the resulting force is approximately equivalent to half of the gravitational force on the major ion species and directed oppositely. Since $O^+$ is the major ion species in Earth’s upper ionosphere, the result is a supersonic flow of $H^+$ and an increase in the $O^+$ scale height. In addition, photoelectrons, which are electrons highly energized due to photoionization (the tail of the distribution function), can significantly increase the electron temperature, leading to an enhancement of the ions acceleration (Lemaire 1972). In Earth’s upper atmosphere, the velocity of $O^+$ is lower than the escape velocity. Nevertheless, $O^+$ is observed to serve as a significant plasma source in the magnetosphere (Lennartsson et al. 1981). Tam et al. (1995, 1998) have demonstrated by numerical simulation that photoelectrons indeed can accelerate $O^+$ and $H^+$, though they obtained an unrealistic electron temperature of 40,000 K. An additional simulation by Khazanov et al. (1997) resulted in a more realistic electron
temperature of 16,000 K. Recent numerical simulations by Glocer et al. (2012) also included the effects of photoelectrons to look at the global outflow solution and compared with in situ observations. Their simulations showed that the polar wind mechanism is responsible for the transport of ionospheric H⁺ and O⁺, and that only a small fraction of photoelectrons can significantly contribute to the ion acceleration.

In this Letter, we investigate how the ambipolar electric field and the fraction of photoelectrons reduce the gravitational potential, and therefore, increase the ion scale height and the ion temperature. Due to the high EUV radiation, the fraction of photoelectron in the atmospheres of HJs is expected to be higher than in Earth’s case, leading to a much greater increase of electron temperature.

In Section 2, we calculate the change of the effective gravity and the ion scale height due to the ambipolar electric field and photoelectrons. We present and discuss the results in Section 3, and draw our conclusion in Section 4.

2. Modification of the Ion Scale Height by the Ambipolar Electric Field

In the derivation below, we follow the standard model for the solar wind, but we include the effect of the photoelectrons on the solution. For a planetary atmosphere consisting of electrons, photoelectrons, and ions, charge neutrality requires that

\[ n_{e0} + n_{\alpha 0} = n_{i0}, \]  

where \( n_{e0}, n_{\alpha 0}, \) and \( n_{i0} \) are the electron, photoelectron, and ion number densities at some reference altitude, \( r_0 \). From Equation (1), we can define the fraction of the photoelectrons, \( \beta \), as \( n_{\alpha 0} = \beta n_{i0} \), and the fraction of electrons as \( n_{e0} = (1 - \beta)n_{i0} \).

Our goal here is to calculate how the effective gravity at the surface is modified when taking into account the photoelectrons and the ambipolar electric field, and investigate how this modified gravity affects the ion scale height, \( H_i \). We will compare \( H_i \) with the unchanged scale height \( H_0 \) which contains the surface gravity \( g \) but not the ambipolar electric field.

We begin by assuming a hydrostatic ion density profile:

\[ n_i(z) = n_{i0} e^{-(z-z_0)/H_i}, \]

with the ion scale height, \( H_i = (kT_i/m_i g_{\text{eff}}) \), where \( k \) is the Boltzmann constant, \( T_i \) is the ion temperature, \( m_i \) is the ion mass, and \( g_{\text{eff}} \) is the effective gravity. Without the effects we study here, \( g_{\text{eff}} = g \). Conservation of the photoelectron mass along a magnetic flux tube requires that

\[ n_{\alpha 0} u_{\alpha 0} A_0 = n_{\alpha} u_{\alpha} A, \]

with \( u_{\alpha 0} \) and \( u_{\alpha} \) being the photoelectrons velocities, and \( A_0 \) and \( A \) being the magnetic flux tube cross-sections at the reference altitude and at some altitude, respectively. This equation implicitly neglects any scattering of the photoelectrons. In a magnetic dipole geometry, the magnetic flux conservation requires that \( A_0 B_0 = AB \), with \( B = C/r^3 \) being the dipole field magnitude as a function of radius (\( C \) is a constant), and \( B_0 = C/r_0^3 \) is the field magnitude at the reference altitude, \( r_0 \). Therefore, \( A_0/A = r_0^3/r^3 \), and we have

\[ n_{\alpha} = n_{\alpha 0} \left( \frac{r_0}{r} \right)^3, \]

assuming \( u_{\alpha 0} = u_{\alpha} \) as a lower limit. Using Equations (2) and (4), the electron density at altitude \( z \) can now be obtained, assuming \( z_0 = 0, r_0 = R_p, \) and \( r = R_p + z \): \n
\[ n_e(z) = n_i(z) - n_{\alpha}(z) = n_{i0} \left( e^{-z/H_i} - \frac{\beta R_p^3}{(R_p + z)^3} \right). \]  

The effective gravity is modified by the ambipolar electric field as \( g_{\text{eff}} = g - (eE_{\|}/m_i) \), with the ambipolar electric field (positive for ions) defined as (Schunk & Nagy 2004):

\[ E_{\|} = \frac{1}{e n_e} \frac{\partial p_e}{\partial z} = \frac{kT_e n_e}{e n_e} = \frac{kT_e n_{i0}}{e n_e} \times \left[ -\frac{1}{H_i} e^{-z/H_i} + \frac{3\beta R_p^3}{(R_p + z)^3} \right]. \]  

Here \( T_e \) is the electron temperature, and \( e \) is the electric charge. At the planetary surface, \( z = 0 \) and so we obtain

\[ E_{\|}(z = 0) = -\frac{kT_e}{e(1 - \beta)} \left( \frac{1}{H_i} + \frac{3\beta}{R_p^3} \right), \]  

which yields

\[ g_{\text{eff}} = g + \frac{kT_e}{m_i(1 - \beta)} \left[ -\frac{m_i g_{\text{eff}}}{kT_i} + \frac{3\beta}{R_p^3} \right], \]

or

\[ g_{\text{eff}} = \left[ g + \frac{3\beta kT_e}{m_i R_p(1 - \beta)} \right] \left( \frac{1 - \beta T_i}{T_e + (1 - \beta)T_i} \right). \]

In Equation (9), \( g \) is modified by the ion and electron temperatures, and by the fraction of photoelectrons. For the case of \( \beta = 0 \) and \( T_i = T_e \), the well-known reduction of the effective gravity of the ions by half is obtained (Gombosi 2004).

As shown by previous models (Tam et al. 1995; Khazanov et al. 1997; Tam et al. 1998; Glocer et al. 2012), the electron temperature is highly affected by even a very small fraction of photoelectrons. In our model here, we assume that \( T_i = 1000 \) K. Despite the higher ion temperature expected in HJs, the effect studied here is driven by the difference between \( T_e \) and \( T_i \), so that it should scale with the increase in \( T_i \). We scale the electron temperature with the percentage of photoelectrons and \( T_i \) using two different models. One is based on the electron temperature distribution at the top of Earth’s atmosphere from Khazanov et al. (1997):

\[ T_e(\beta) = T_i \cdot 2^{6.9 \log \beta}, \]

with 1000 K < \( T_e \) < 16,000 K for 10⁻⁴(10⁻⁴%) < \( \beta \) < 10⁻²(1%), and a more modest function with 1000 K < \( T_e \) < 10,000 K:

\[ T_e(\beta) = T_i \cdot 1.8^{6.9 \log \beta}. \]

With the above models for \( T_e \), the modified gravity and scale height can be calculated as a function of the fraction of photoelectrons.

3. Results and Discussion

3.1. Results

Figure 1 shows the effective gravity as a function of the photoelectron percentage for the two models for \( T_e \). For \( \beta = 0 \), we obtain \( g_{\text{eff}}/g = 0.5 \). In Figure 2, we show the electron temperature and the ratio of modified to non-modified scale
height as a function of the fraction of photoelectrons, assuming $m_i = m_p$, the proton mass. Here, we show the solution only for photoelectron percentages of 0.0001–1. One can see that if the fraction of photoelectrons is even less than 1%, the scale height increases by a factor of 2–15.

A realistic ion density profile cannot be obtained using the simplified calculation we present here. In particular, we cannot calculate the density profile of the H$^+$ ions, since they are expected to attain supersonic speeds. Therefore, it is hard to estimate the increase in density at the top of the atmosphere and the corresponding increase in mass-loss rate. Nevertheless, we can use a hydrostatic profile to estimate the ion density change at lower altitudes. In Figure 3, we show the ratio of the hydrostatic density profiles using the modified and unmodified scale heights, respectively, as a function of the fraction of photoelectrons for altitudes of 350 km ($\sim 1H_0$) and 1000 km ($\sim 3H_0$). The density is increased by a factor of 2–3 at 350 km and by a factor of 5–15 at 1000 km. At higher latitudes, the hydrostatic solution is probably not valid any longer and the ratio in Figure 3 will become too large, since the density profile for the unmodified scale height goes to zero faster than the one with the modified scale height.

3.2. Discussion

In HJs, the extremely strong radiation is expected to increase the fraction of photoelectrons. Therefore, the electron temperature should be higher than the ion temperature, despite the strong heating at the day side, so that the mechanism proposed here should still be significant. The effect should be limited at the night side due to the lower ionization rate, and it is not yet clear how effective the atmospheric day–night circulation is at higher latitudes (where the day–night temperature difference is smaller than that at the equator), and at high altitudes (where the ion acceleration occurs).

For a magnetized HJ, the mass loss is expected to take place along the magnetic field lines which are open to the stellar wind (as demonstrated by Stone & Proga 2009; Trammell et al. 2011; Adams 2011), and that is exactly where the polar wind process takes place. It has been previously shown that the classical polar wind mechanism together with the addition of photoelectrons and wave–particle interactions is responsible for the transport of H$^+$ and O$^+$ out of Earth’s atmosphere. By lowering the potential barrier, these processes effectively lower the escape velocity. These processes have also been speculated to be important at Jupiter and Saturn (Glocer et al. 2007; Nagy et al. 1986); the major ions in the upper atmosphere at these planets are H$_3^+$ and H$^+$. In HJs, the relative ion abundances are not known, but modeling by Garcia Muñoz (2007) shows that H$^+$, H$_3^+$, He$^+$, C$^+$, and various ionized hydrocarbons are possibly present. The polar wind process should apply to each of these planets. Indeed the derivations presented here reflect the basic textbook derivation of the classical polar wind (Gombosi 2004) to which we have added the effect of photoelectrons. No other planet specific parameters are required. Even neglecting the effect of photoelectrons, the polar wind process by itself could significantly increase the ion scale height.

The relative composition affects the polar wind process by changing the parallel electric field. This is because the parallel electric field was found to increase with mass. In the case of no photoelectrons, if H$_3^+$ was the major ion species (such
Figure 3. Ratio of non-modified to modified hydrostatic ion densities for \( T_e \) model 1 (solid line) and model 2 (dashed line) at \( z = 350 \) km (top) and at \( z = 1000 \) km (bottom) as a function of the photoelectron percentage (0.0001%–1%).

as at Jupiter or Saturn) then the parallel electric field would exert an upward force approximately equal to one half the gravitational force acting on \( \text{H}^+ \). In this case the scale height of \( \text{H}^+ \) would increase. Lighter constituents such as \( \text{H}^+ \) would actually have a net upward force resulting in an eventual supersonic flow. Including photoelectrons increases the electric field and intensifies the effect of the polar wind, possibly resulting in a net upward force on heavier species. If \( \text{H}^+ \) was the major ion, the parallel electric field would be reduced, but the effect would still be quite significant.

The simplified model presented here is insufficient to predict the detailed change in the ion density profile, but it can predict how the scale height changes. We show that this change can reach about a factor of 10 at lower altitudes. Therefore, it should also increase the mass-loss rate by the same amount assuming the same surface area and without changing the ion velocity at the top of the atmosphere. The polar wind is expected to further accelerate the ions such that the ion speed should increase as well, so the factor of 10 increase is a lower limit.

In order to perform a more detailed calculation of the effect of the polar wind on the mass-loss rate of HJs, a more detailed model is needed, such as the polar wind model by Glocer et al. (2007, 2009, 2012), which is similar to that of Garcia Muñoz (2007), but includes the effect of the ambipolar electric field and photoelectrons. The derivation and discussion contained in this Letter, however, demonstrate that the polar wind process plays an important role in the mass-loss rate of HJs and should be accounted for in models.

4. CONCLUSIONS

In this Letter, we perform a simplified calculation of the effect of the ambipolar electric field and atmospheric photoelectrons on the planetary ion scale height. We show that this effect can reduce the effective gravity and therefore, enhance the ion acceleration in the region of the planetary atmosphere, where magnetic field lines are open. We find that a small fraction of photoelectrons (less than 1% of the total electrons) can increase the ion scale height by a factor of 2–15. We calculate the hydrostatic density profiles using the modified scale heights and find that the planetary mass-loss rate should increase by an order of magnitude at a minimum, even neglecting any increase in the ion velocity due to this the process. Since the ion acceleration should be enhanced by the process, we expect the increase in mass-loss rate to be even greater. A more comprehensive calculation, however, requires a more detailed modeling effort.

We thank an unknown referee for her/his review report and Jeremy Drake for his help in preparing this manuscript. O.C. is supported by SI Grand Challenges grant No. 40510254HH0022.

REFERENCES